

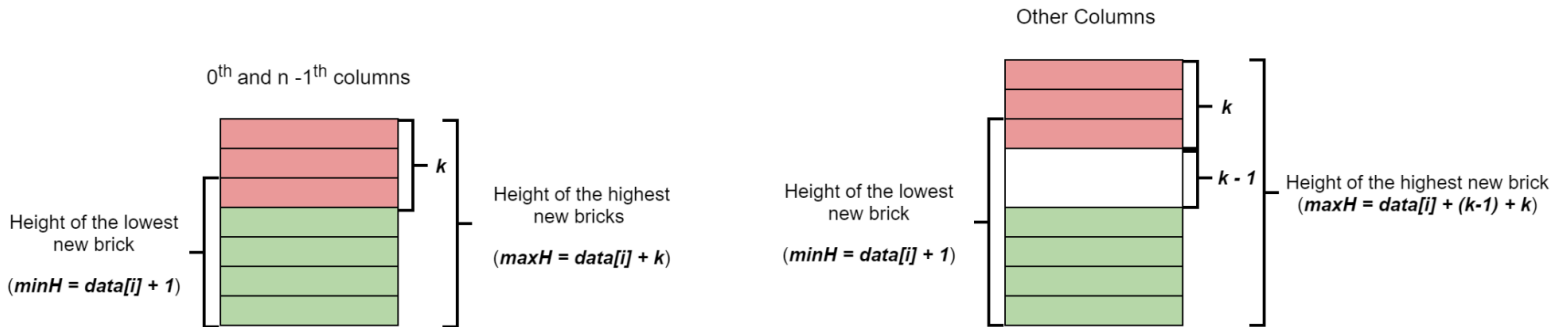
Editorial - Gadol

Facts to consider,

1. Every column should contain at least 1 new brick (rule 2)
2. The first and last columns should not have spaces between new and old bricks and can have a maximum of k new bricks
3. Every other column can have a maximum of $k-1$ contiguous spaces and a maximum of k new bricks

By taking each column separately,

- All the columns,
 - Height of the lowest new brick from ground = old height from ground + 1
- 0^{th} and $n - 1^{th}$ columns,
 - Height of the highest new brick = old height + number of new bricks
= old height + k
- Other columns,
 - Height of the highest new brick = old height + no. of spaces + no. of new bricks
= old height + $(k - 1) + k$



Above heights may violate rule 2 or 3. Therefore, the following steps should be followed to check that.

1. The lowest and the highest height of the new bricks of the 0^{th} column are stored. (rule 3)
2. 1^{st} to $n - 2^{th}$ columns are taken one by one and their possible heights are checked with the previous column's heights of the highest and lowest new brick.
 - a. If (height of the old bricks of i^{th} column is greater than or equal to the height of the lowest new brick of previous $(i - 1^{th})$ column) or (height of the highest new

brick of i^{th} column is lesser than the height of the lowest new brick of the previous $(i - 1^{th})$ column) then the second rule is broken. It implies that there is no solution.

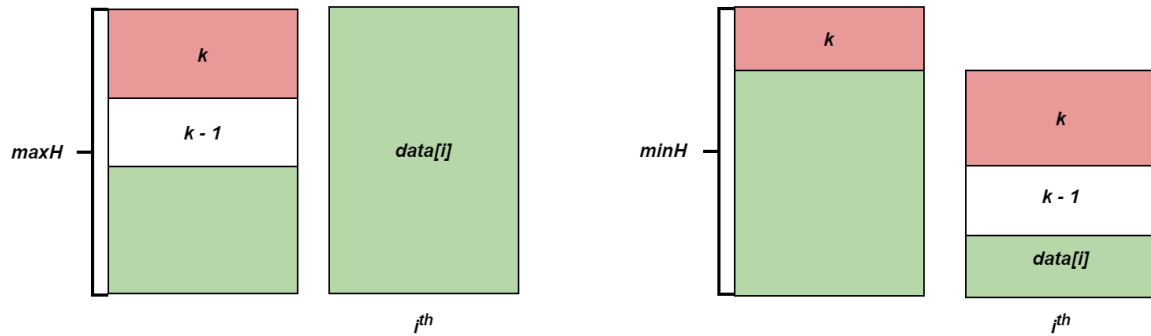
```
if (data[i] >= maxH || data[i] + k + (k - 1) < minH)
    //no solution
```

b. Then height of the highest new brick of i^{th} column is updated as follows,

```
maxH = min(data[i] + k + (k - 1), maxH + (k - 1));
```

c. Height of the lowest new brick of i^{th} column is updated as follows,

```
minH = max(data[i] + 1, minH - (k - 1));
```



3. The last column's $(n - 1^{th})$ heights of highest and lowest bricks are checked.

a. If (height of the old bricks of last $(n - 1^{th})$ column is already greater than or equal to the height of the lowest new brick of previous $(n - 2^{th})$ column) or (height of the highest new brick of last $(n - 1^{th})$ column is lesser than the height of the lowest new brick of the previous $(n - 2^{th})$ column) then the second rule is broken. It implies that there is no solution.

```
if (data[n - 1] >= maxH || data[n - 1] + k < minH)
    //no solution
```

4. If all of the above cases are false, then it is possible to lay bricks by following all the rules.