

# Transforming Bowsons

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Physicists have discovered a new particle known as *Bowson*. As you all probably guessed, a Bowson contains a variable number of even smaller particles called *Bows*.

A Bowson can contain at most 100,000 Bows.

Physicists have found 5 different operations that can be performed on a Bowson. Each of these operations alters the number of Bows the Bowson has. For a Bowson with  $M$  Bows,

Operation 1: Operation 1 halves the number of Bows the bowson has. The resulting number of Bows is  $M/2$ . For obvious reasons, this operation can only be performed if  $M$  is even.

Operation 2: Squares the number of Bows. Resulting number of Bows is  $M \times M$ .

Operation 3: Multiplies the number of Bows by 3 and adds 1. Resulting number of Bows is  $3M + 1$ .

Operation 4: Make the number of Bows equal to the Factorial of the current number of Bows. (result =  $M!$ )

Operation 5: Resulting number of Bows becomes the sum of  $M$ 's digits in binary form. (ex:  $197 \Rightarrow 4$  since  $11000101$  has 4 1's)

Physicists need to transform a Bowson containing  $X$  bows into a Bowson containing  $Y$  bows by doing a sequence of operations on it.

Performing these operations is expensive. So we need to minimize the number of operations performed.

Given  $X$  and  $Y$ , find the minimum number of operations needed.

Number of Bows in the Bowson cannot exceed 100,000 at any given time. Output -1 if it's impossible.

## Input Format

First line contains the integer  $X$ . Second line contains the integer  $Y$ .

## Constraints

$0 < X, Y \leq 100,000$

## Limits

- Time Limit: 1s
- Memory Limit: 256MB

## Output Format

First line should contain a Single integer, the minimum number of operations needed.

#### Sample Input 0

```
54
10
```

#### Sample Output 0

```
4
```

#### Explanation 0

A possible minimal sequence is,  $54 \Rightarrow 163 \Rightarrow 26569 \Rightarrow 79708 \Rightarrow 10$

$54 \times 3 + 1 = 163$   $163 \times 163 = 26569$   $26569 \times 3 + 1 = 79708$   $79708 = 10011011101011100$  in binary; number of 1 bits = 10