IT 402

Assignment 4 - Naive Bayes

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```
In [1]: import random
    import pandas as pd
    import numpy as np
    import matplotlib.pyplot as plt
    from sklearn.datasets import load_iris
    from sklearn.model_selection import train_test_split
    from sklearn.metrics import accuracy_score
    from sklearn.metrics import classification_report
    from sklearn.metrics import confusion_matrix, ConfusionMatrixDisplay
    from sklearn.metrics import cohen_kappa_score
    from sklearn.metrics import mean_absolute_error
    import warnings
    warnings.filterwarnings("ignore")
```

```
In [2]: class NaiveBayes:
            def gaussian fit(self, X, Y):
                self.n samples, self.n features = X.shape
                self.n classes = len(np.unique(Y))
                self.mean = np.zeros((self.n classes, self.n features))
                self.var = np.zeros((self.n classes, self.n features))
                self.prior pred = np.zeros(self.n classes)
                for clas in range(self.n classes):
                    X c = X[Y == clas]
                    self.mean[clas, :] = np.mean(X c, axis=0)
                    self.var[clas, :] = np.var(X c, axis=0)
                    self.prior pred[clas] = X c.shape[0] / self.n samples
            def gaussian predict(self, X):
                pred = [self.get gaussian probability(x) for x in X]
                return pred
            def get gaussian probability(self, x):
                post prob = []
                for clas in range(self.n classes):
                    mean = self.mean[clas]
                    vari = self.var[clas]
                    prior pred = np.log(self.prior pred[clas])
                    post pred = np.sum(np.log(self.gaussian density(x, mean, vari)))
                    post pred = prior pred + post pred
                    post prob.append(post pred)
                return np.argmax(post prob)
            def gaussian density(self, x, mean, variance):
                const = 1 / np.sqrt(2 * np.pi * variance)
                prob = np.exp(-0.5 * ((x - mean) ** 2 / variance))
                return const * prob
            def discrete fit(self, X, y):
                self.n samples, self.n features = X.shape
```

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self.n_classes = len(np.unique(y))
   self.likelihood_prob = np.zeros((self.n_classes, self.n_features))
   self.prior_prob = np.zeros(self.n_classes)
   for clas in range(self.n_classes):
        x = X[y == clas]
        self.prior_prob[clas] = x.shape[0] / self.n_samples
        for feature in range(self.n_features):
            self.likelihood prob[clas][feature] = np.log(
                (np.sum(x[:, feature]) + 1) / (len(x) + 1)
def discrete predict(self, X):
   pred = [self.get discrete probability(x) for x in X]
   return pred
def get_discrete_probability(self, x):
   post_prob = []
    for clas in range(self.n_classes):
        post prob.append(
            np.sum(self.likelihood prob[clas]) + np.log(self.prior prob[clas])
        )
   return np.argmax(post_prob)
```

```
In [3]: def performance measures continuous(cm):
            fp = cm.sum(axis=0) - np.diag(cm)
            fn = cm.sum(axis=1) - np.diag(cm)
            tp = np.diag(cm)
            tn = cm.sum() - (fp + fn + tp)
            tpr = tp / (tp + fn)
            fpr = fp / (fp + tn)
            print tpr = "\n".join([f" {i} --> {tprr:.03f}" for i, tprr in enumerate(tpr)])
            print fpr = "\n".join([f" {i} --> {fprr:.03f}" for i, fprr in enumerate(fpr)])
            print(f"\nTrue Positive Rate for each class:\n{print tpr}")
            print(f"\nFalse Positive Rate for each class:\n{print fpr}")
            return tp, fp, tn, fn
        def performance measures discrete(test y, y pred):
            tp = 0
            fp = 0
            tn = 0
            fn = 0
            for i in range(len(test y)):
                if test y[i] == y \text{ pred}[i] == 1:
                    tp += 1
                if test y[i] != y pred[i] and test y[i] == 1:
                    fn += 1
                if test y[i] == y \text{ pred}[i] == 0:
                    tn += 1
                if test y[i] != y pred[i] and test y[i] == 0:
                    fp += 1
            print(f"\nTrue Positive Rate = {tp/(tp+fn):.03f}")
            print(f"False Positive Rate = {fp/(fp+tn):.03f}")
            return tp, fp, tn, fn
        def relative absolute error(y test, y pred):
            return abs(y test - y pred).sum() / abs(y test - y test.mean()).sum()
```

IRIS Dataset

sepal length (cm) sepal width (cm) petal length (cm) petal width (cm) target 0 5.1 3.5 1.4 0.2 0 4.9 3.0 1.4 0.2 0 4.7 3.2 1.3 0.2 0 2 3.1 1.5 0 3 4.6 0.2 0 5.0 3.6 1.4 0.2

```
In [5]: train_df, test_df = train_test_split(df, test_size=0.2, random_state=23)

X_train = train_df.to_numpy().T[:-1].T

y_train = train_df.to_numpy().T[-1].T

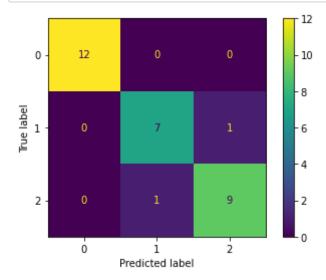
X_test = test_df.to_numpy().T[:-1].T

y_test = test_df.to_numpy().T[-1].T

model = NaiveBayes()
model.gaussian_fit(X_train, y_train)
y_pred = model.gaussian_predict(X_test)
```

```
In [6]: corr_res = len(y_test[y_test == y_pred])
incorr_res = len(y_test) - corr_res

cm = confusion_matrix(y_test.tolist(), y_pred)
cm_display = ConfusionMatrixDisplay(confusion_matrix=cm)
cm_display.plot()
plt.show()
```



```
In [7]: print(f"Correctly classified instances: {corr res}")
        print(f"Incorrectly classified instances: {incorr res}")
        print(f"\nKappa Score: {cohen kappa score(y test.tolist(), y pred)}")
        print(f"\nRoot Mean Square Error (RMSE): {np.sqrt(((y pred - y test) ** 2).mean())}")
        print(f"\nRelative Absolute Error (RAE): {relative absolute error(y test, y pred)}")
        print(f"\nMean Absolute Error (MAE): {mean absolute error(y test, y pred)}")
        tp, fp, tn, fn = performance measures continuous(cm)
        print(f"\nAccuracy: {100*accuracy score(y test, y pred):.3f} %")
        Correctly classified instances: 28
        Incorrectly classified instances: 2
        Kappa Score: 0.8986486486486487
        Root Mean Square Error (RMSE): 0.2581988897471611
        Relative Absolute Error (RAE): 0.08928571428571429
        Mean Absolute Error (MAE): 0.06666666666666667
        True Positive Rate for each class:
          0 \longrightarrow 1.000
          1 \longrightarrow 0.875
          2 \longrightarrow 0.900
         False Positive Rate for each class:
          0 \longrightarrow 0.000
          1 \longrightarrow 0.045
          2 \longrightarrow 0.050
        Accuracy: 93.333 %
```

Heart Dataset

5 rows × 23 columns

```
In [9]: train_df, test_df = train_test_split(df, test_size=0.2, random_state=31)

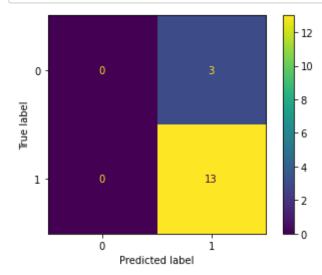
X_train = train_df.to_numpy().T[1:].T
    y_train = train_df.to_numpy().T[0].T

    X_test = test_df.to_numpy().T[1:].T
    y_test = test_df.to_numpy().T[0].T

model = NaiveBayes()
model.discrete_fit(X_train, y_train)
    y_pred = model.discrete_predict(X_test)
```

```
In [10]: corr_res = len(y_test[y_test == y_pred])
incorr_res = len(y_test) - corr_res

cm = confusion_matrix(y_test.tolist(), y_pred)
cm_display = ConfusionMatrixDisplay(confusion_matrix=cm)
cm_display.plot()
plt.show()
```



```
In [11]: print(f"Correctly classified instances: {corr_res}")
    print(f"Incorrectly classified instances: {incorr_res}")
    print(f"\nKappa Score: {cohen_kappa_score(y_test.tolist(), y_pred)}")
    print(f"\nRoot Mean Square Error (RMSE): {np.sqrt(((y_pred - y_test) ** 2).mean())}")
    print(f"\nRelative Absolute Error (RAE): {relative_absolute_error(y_test, y_pred)}")
    print(f"\nMean Absolute Error (MAE): {mean_absolute_error(y_test, y_pred)}")
    tp, fp, tn, fn = performance_measures_discrete(y_test, y_pred)
    print(f"\nAccuracy: {100*accuracy_score(y_test, y_pred):.3f} %")
```

```
Correctly classified instances: 13
Incorrectly classified instances: 3

Kappa Score: 0.0

Root Mean Square Error (RMSE): 0.4330127018922193

Relative Absolute Error (RAE): 0.6153846153846154

Mean Absolute Error (MAE): 0.1875

True Positive Rate = 1.000

False Positive Rate = 1.000

Accuracy: 81.250 %
```