



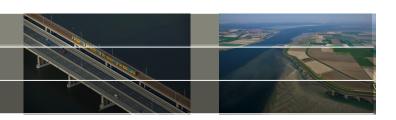
The use of the OpenDA SWAN Calibration Instrument

for the Dutch Hydraulic Boundary Conditions

by: Caroline Gautier

JONSMOD May 11th, 2010

Introduction

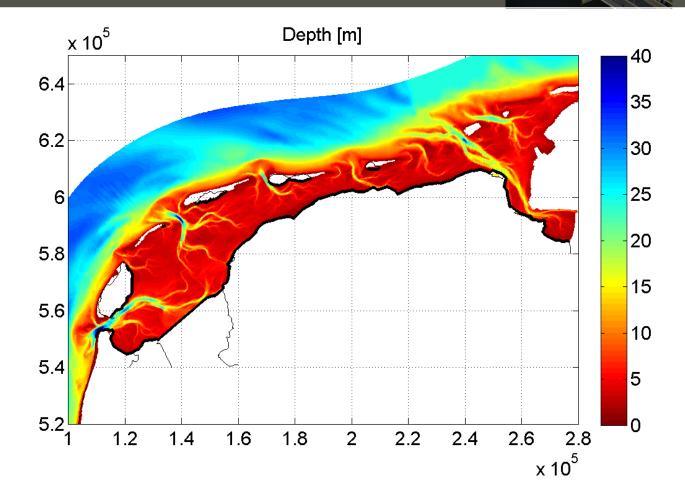


The use of the OpenDA SWAN Calibration Instrument for the Dutch hydraulic boundary conditions

- OpenDA: framework for data assimilation and calibration
- SWAN: numerical wave model
- SWAN Calibration Instrument: software for calibrating SWAN
- hydraulic boundary conditions:
 represent the hydraulic load (water level, wave height, wave period and wave direction) that a flood defence must be able to withstand.



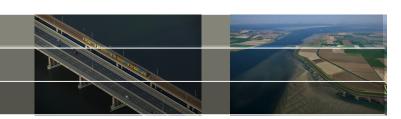
Hydraulic Boundary Conditions



hydraulic boundary conditions



SWAN



SWAN (Simulating WAves Nearshore) accounts a.o. for:

- wind generation
- wave propagation
- wave dissipation
 - white capping
 - bottom friction
 - depth-induced breaking
- wave interactions
 - quadruplets
 - triads

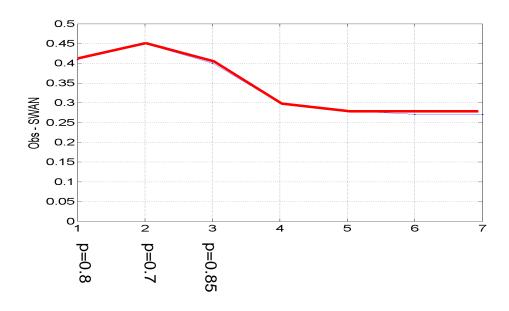
These process descriptions contain model parameters with default values. Not per se optimal values for a specific area of interest.



Calibration

Model Calibration

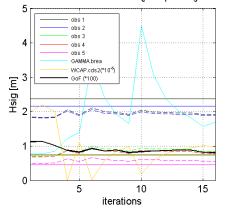
Determine in an efficient, objective and reproducible way the values of SWAN model parameters so that the model approximates wave observations best.

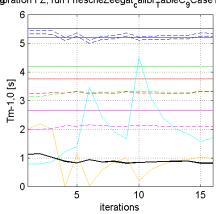




Model Calibration

 ${\tt Calibration FZ, run FriescheZeegat_alibr_ableC_qCase1; \ \textbf{Salib} ration FZ, run FriescheZeegat_alibr_ableC_qCase1; \ \textbf{Tm-1}, 0}$



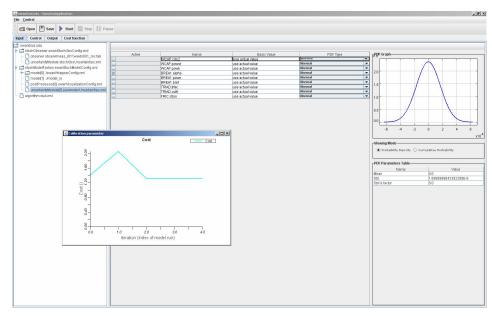


- various wave parameters
- various calibration parameters
- simultaneous calibration
- various locations
- nested runs

→ SWAN Calibration Instrument



SWAN Calibration Instrument



$$GoF = \frac{1}{2} \sum_{i=1}^{N_i} w_{H_{m0}}^i \left[\left(H_{m0,obs}^i - H_{m0,sim}^i \right)^2 / (\sigma^i)_{H_{m0,obs}^i}^2 \right] +$$

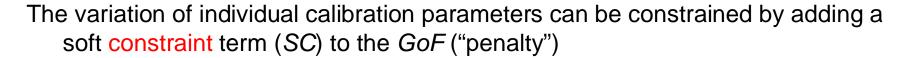
(wave height)

$$\frac{1}{2} \sum_{i=1}^{N_i} w_{T_{m-1,0}}^i \left[\left(T_{m-1,0,obs}^i - T_{m-1,0,sim}^i \right)^2 / (\sigma^i)_{T_{m-1,0,obs}^i}^2 \right] + \dots$$

(wave period)

 σ = measurement uncertainties





$$SC = +\frac{1}{2} \sum_{p=1}^{P} w_p \left(\frac{\alpha_p + \alpha_p^{ref}}{\sigma_p^{ref}}\right)^2$$
 initial best guess measure for the allowed variation

Furthermore, user can define:

- algorithm (Dud, Powell, Simplex)
- accuracy criteria (number of iterations, tolerances etc)
- calibration parameters
- initial parameter values
- uncertainty of calibration parameters
- wave parameters (Hm0, Tp, Tm-1,0)
- measurements (where and when)
- measurement uncertainty / weight



ument

The SWAN Calibration Instrument carries out a number of SWAN runs ("evaluations"), varying the values of the calibration parameters.

The new values of the calibration parameters are based on the results of the previous evaluations.

The SWAN Calibration Instrument has no knowledge on wave processes, it just checks whether the GoF increases or decreases.



Application Calibration Instrument for HBC

SWAN calibration for the Hydraulic Boundary Conditions

- Enhanced dissipation in counter currents: cds3 > deep

- Bottom friction: *cfjon*

- Wave breaking (biphase model): $\alpha_{BP} > sI$

- Triads: trfac



Application Calibration Instrument for HBC

SWAN cases (=observations + SWAN input) available in SWIVT http://swivt.deltares.nl

>100 field and laboratory cases

Choose suitable locations within appropriate cases

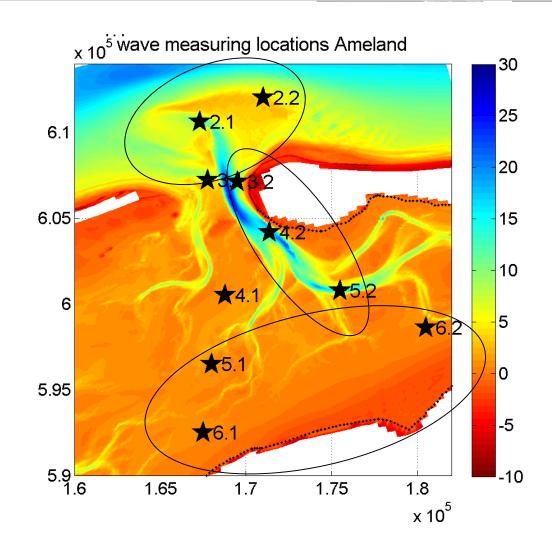


Selection of measuring locations

breaking / triads

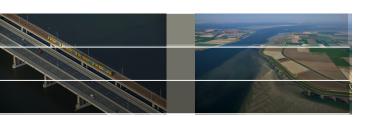
dissipation on counter current

bottom friction





Calibration of bottom friction



Calibration of bottom friction (*cfjon*)

initial value: 0.067 m²s⁻³

uncertainty: lognormal distribution with 80% standard deviation

lognormal distribution prevents negative values

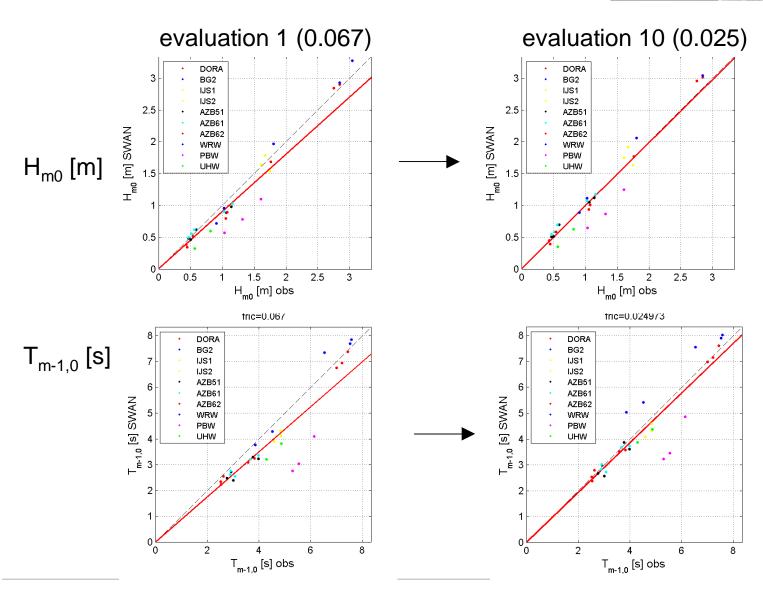
0.03 ~< *cfjon* ~< 0.15

observations: 31 locations (H_{m0} and $T_{m-1,0}$)

uncertainty: 10%



Result calibrating bottom friction





Calibration breaking, friction, triads



initial value: $\alpha_{BP} = 0.99$; cfjon=0.025; trfac=0.10

observations: 103 locations within 20 cases in 5 areas

uncertainty σ : different per area, used to give certain weight to

the areas. A large uncertainty implies a small weight. 3 samples in Lake IJssel can get the

same weight as 29 samples in a laboratory case.

$$GoF = \frac{1}{2} \sum_{i=1}^{N_i} w_{H_{m0}}^i \left[\left(H_{m0,obs}^i - H_{m0,sim}^i \right)^2 / (\sigma^i)_{H_{m0,obs}^i}^2 \right] + \dots$$



Result calibrating breaking, friction, triads

# GoF	cds3	alpha	trfac	cfjon	c-Hm0	SI-Hm0	RB-Hm0	c-Tm	SI-Tm	RB-Tm	error
1 447.400	0.800	0.990	0.0800	0.0250	1.0053	0.1249	0.0145	0.8899	0.0941	-0.0167	0.1095
2 506.772	0.800	1.188	0.0800	0.0250	0.9580	0.1473	-0.0308	0.8813	0.0983	-0.0251	0.1228
3 446.690	0.800	0.990	0.1319	0.0250	1.0120	0.1254	0.0215	0.8827	0.0911	-0.0242	0.1082
4 456.535	0.800	0.990	0.0800	0.0556	0.9506	0.1247	-0.0404	0.8343	0.1051	-0.0701	0.1149
5 421.076	0.800	0.958	0.0996	0.0376	0.9926	0.1195	0.0013	0.8640	0.0906	-0.0417	0.1051
6 423.829	0.800	0.990	0.1101	0.0363	0.9880	0.1210	-0.0026	0.8633	0.0903	-0.0427	0.1057
7 421.972	0.800	0.974	0.1047	0.0370	0.9904	0.1202	-0.0005	0.8636	0.0904	-0.0422	0.1053
8 421.875	0.800	0.966	0.1021	0.0373	0.9916	0.1199	0.0005	0.8637	0.0906	-0.0421	0.1052
9 422.029	0.800	0.962	0.1009	0.0374	0.9921	0.1197	0.0009	0.8639	0.0907	-0.0419	0.1052
10 421.126	0.800	0.960	0.1002	0.0375	0.9924	0.1196	0.0011	0.8640	0.0906	-0.0418	0.1051
11 421.172	0.800	0.957	0.0993	0.0376	0.9928	0.1196	0.0015	0.8641	0.0907	-0.0417	0.1051
12 421.199	0.800	0.959	0.0998	0.0376	0.9926	0.1196	0.0013	0.8640	0.0906	-0.0418	0.1051

Computational effort for 12 evaluations, 3 parameters, 20 cases: 97 hours (4 days) on eight nodes



Result calibrating breaking, friction, triads

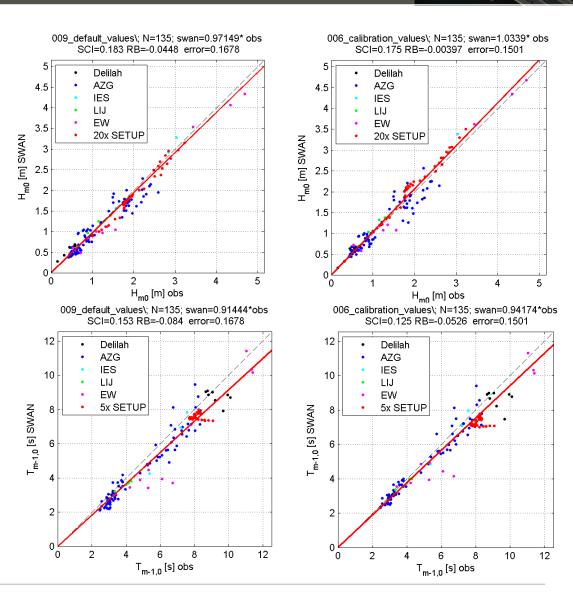
Proposed settings of the calibrated SWAN model

parameters	cds3	cfjon	α_{BP}	trfac
default	0.7	0.067	0.99	0.05
proposed	0.8	0.038	0.96	0.10



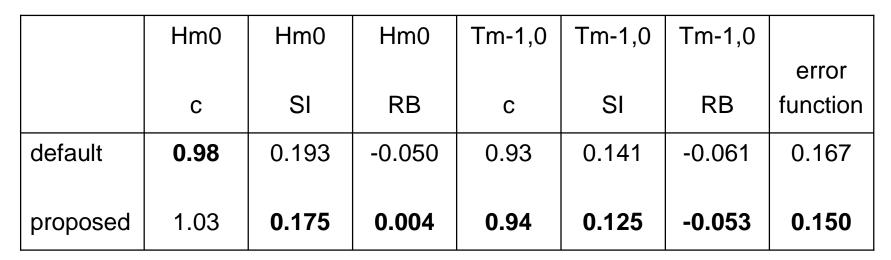
Validation

validation20 cases135 samples





Validation



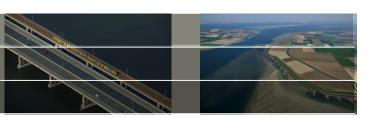
Scatter Index
$$SCI_{\psi} = \frac{\sqrt{\frac{1}{N} \sum_{i=1}^{N} (\psi_{obs}^{i} - \psi_{SWAN}^{i})^{2}}}{\frac{1}{N} \sum_{i=1}^{N} \psi_{obs}^{i}}$$

Relative Bias
$$RB_{\psi} = \frac{\sum_{i=1}^{N} (\psi_{SWAN}^{i} - \psi_{obs}^{i})}{\sum_{i=1}^{N} \psi_{obs}^{i}}$$

Error Function
$$\varepsilon = \frac{1}{2}(SCI_H + SCI_T)$$



Conclusions calibration



Conclusions on the calibration

In the final calibration, the SWAN Calibration Instrument was used to find simultaneously for 3 model parameters the optimal settings, based on 103 measured samples of bothe wave height and wave period.

Especially the wave period $T_{m-1,0}$ improves with the proposed settings. For the wave height, the differences are small.

Considering the scatter plots, the SWAN results with proposed settings approach the wave observations quite well, especially at the shallow locations of the Amelander Zeegat.



Reflections SWAN Calibration Instrument

- The SWAN Calibration Instrument uses automated optimisation techniques.
- The present SWAN Calibration Instrument is essentially an analysis tool.
- Use of automated optimisation requires sound knowledge of SWAN and wave processes to guarantee appropriate user choices
- Key user choices: A optimisation technique; B: uncertainties; C: no/yes constraints;
 D: information content of field data
- Beware: "Garbage in Garbage out"
- The SWAN Calibration Instrument can be run under Linux and Windows, either with or without a GUI.
- The user has to build up user experience with the techniques (viz. their internal convergence settings)
- Given the above user choices, the process is objective, quantitative, reproducible and tranferable. If used properly, it really is a robust and efficient Calibration Instrument

