

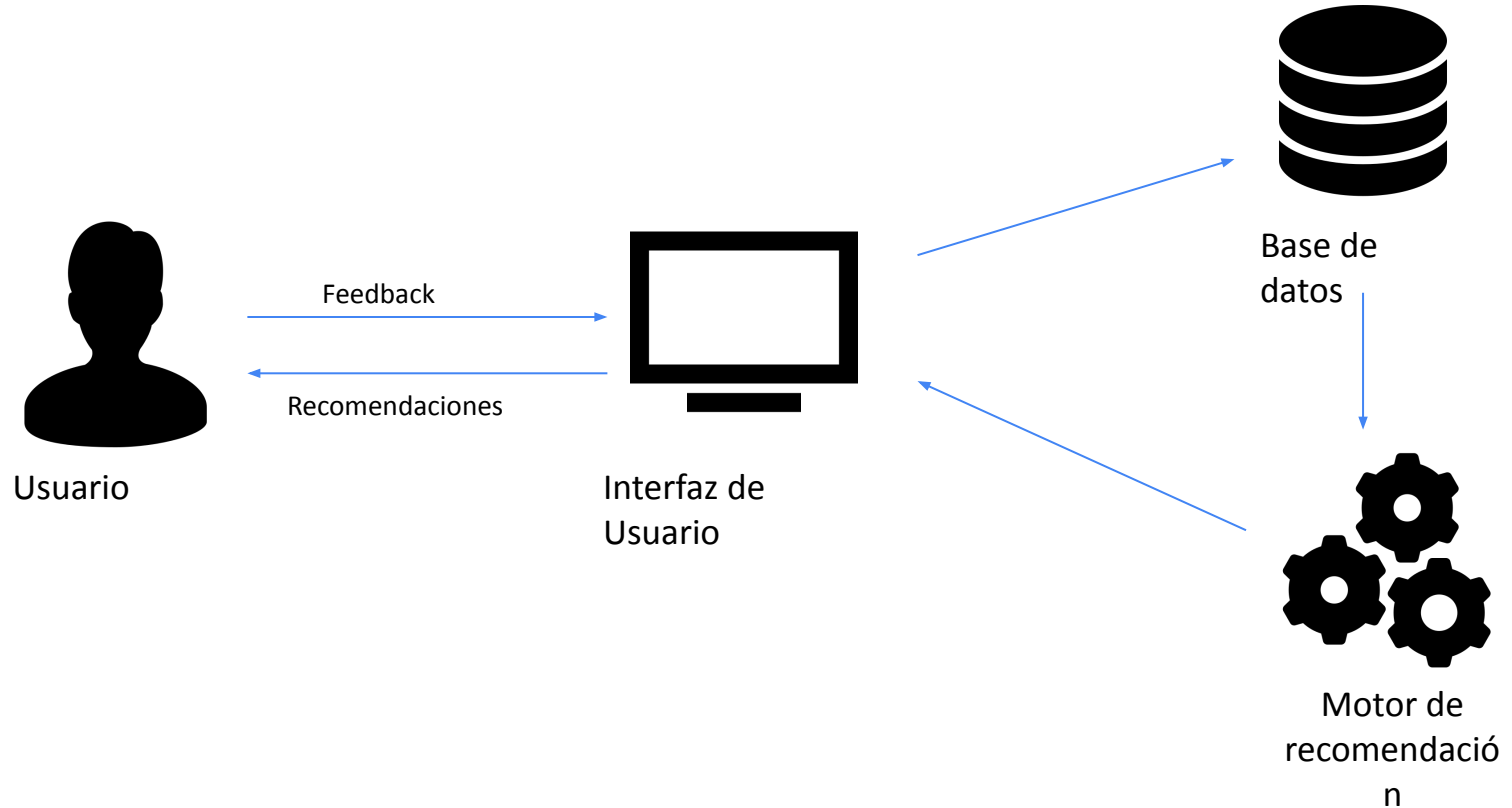
Sistemas Recomendadores

IIC-3633

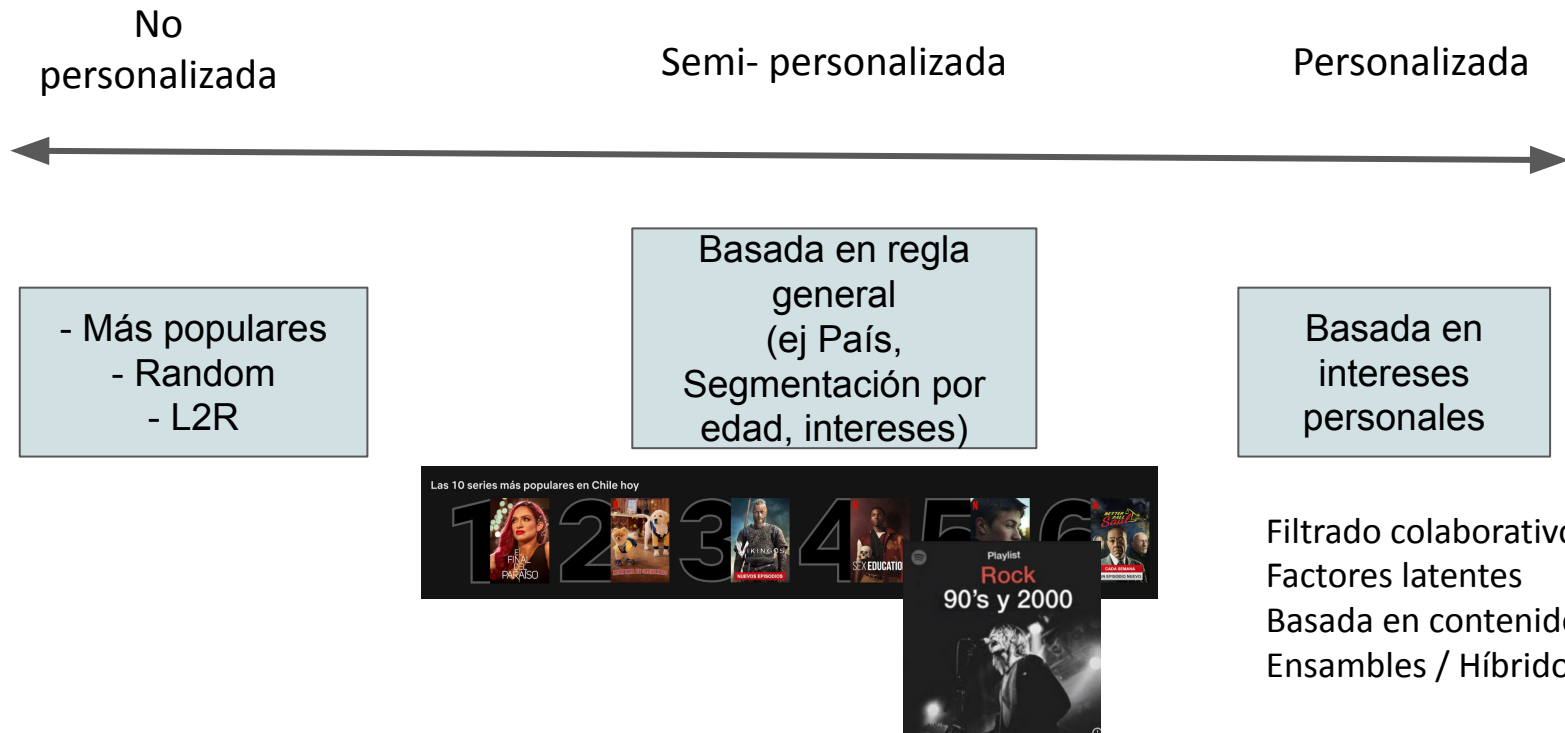
Repaso general y
Trabajo Futuro en Sistemas Recomendadores

Repaso general

Esquema de recomendación

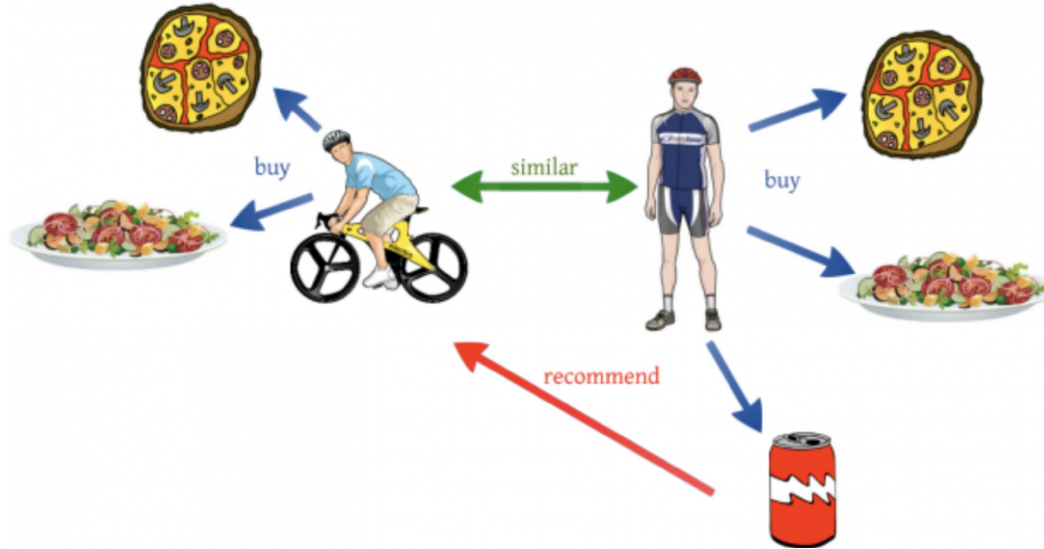


Recomendación no personalizada, semi-personalizada y personalizada.



Filtrado Colaborativo basado en Usuarios

- **Objetivo:** buscar a usuarios similares y recomendar usando una suma ponderada con una métrica de similaridad



<https://www.slideshare.net/tantrieuf31/introduction-to-recommendation-systems>

Filtrado Colaborativo basado en Items

- En vez de calcular la similitud entre usuarios, calcula la similitud entre ítems para generar las recomendaciones
- Sub tareas
 - Calcular similitud entre ítems *co-rated* (co-consumidos)
 - Calcular predicciones

USER-BASED

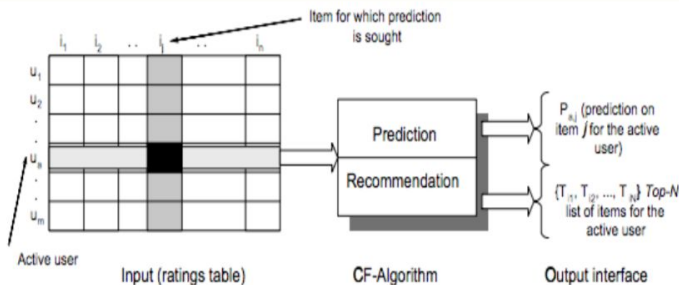


Figure 1: The Collaborative Filtering Process.

ITEM-BASED

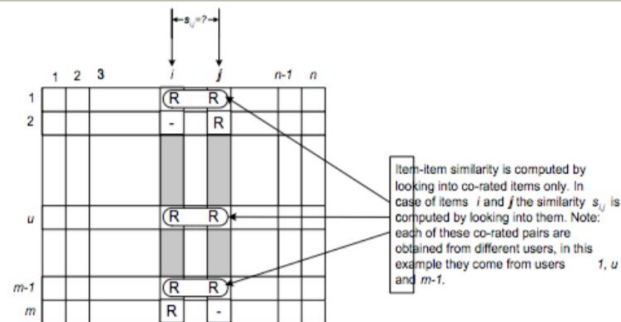
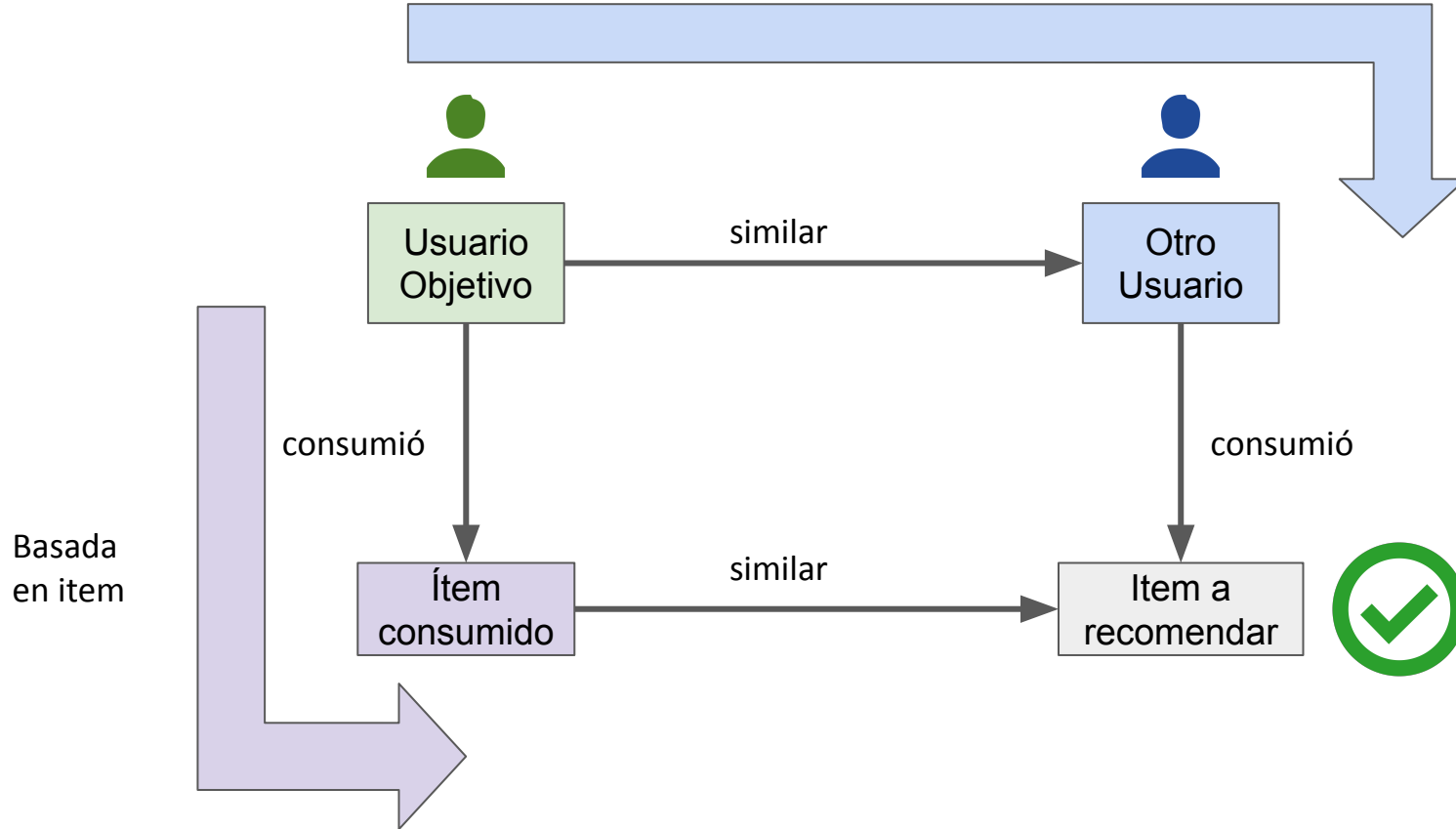


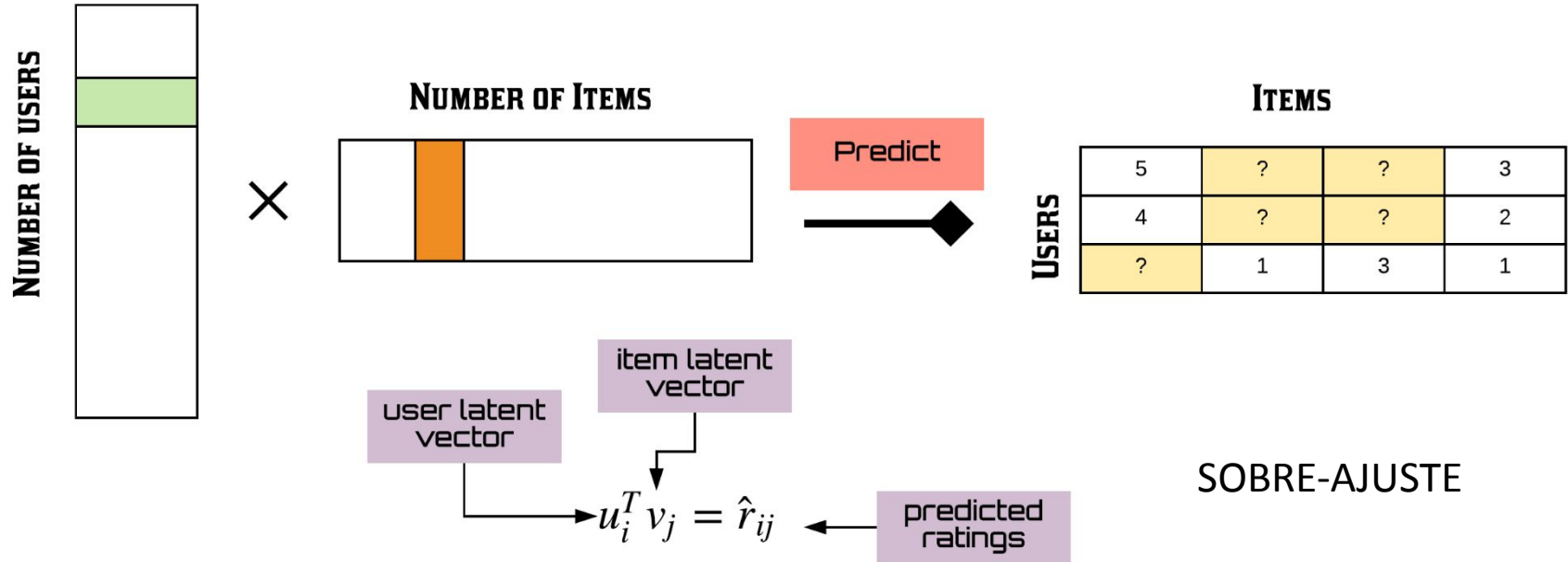
Figure 2: Isolation of the co-rated items and similarity computation

Filtrado colaborativo (resumen)

Basada en usuario



Recomendación basada en factores latentes (factorización matricial SVD).



Feedback implícito

Retroalimentación Implícita o Implicit Feedback

- Hu, Y., Koren, Y., & Volinsky, C. (2008) modificaron el modelo de SVD para incluir *feedback* implícito

Binarización de los datos $p_{ui} = \begin{cases} 1 & \text{si } r_{ui} > 0 \\ 0 & \text{si } r_{ui} = 0 \end{cases}$ Ej. lo compra o no lo compra?
interacción?

Función de confianza $c_{ui} = 1 + \alpha r_{ui}$ Ej. - dwell time (más tiempo , mayor score)
- monto \$, UF

Función de pérdida (Implicit Funk SVD)

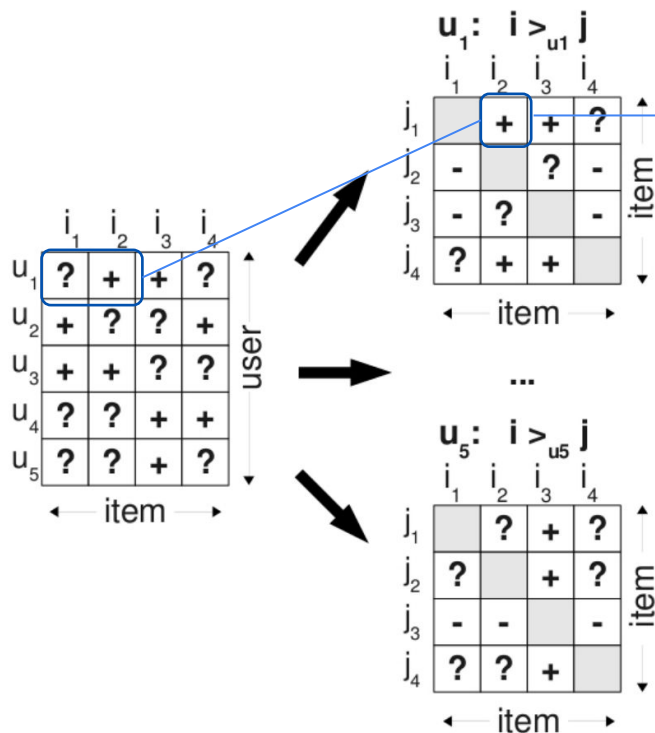
$$\min_{x^*, y^*} \sum_{u, i} c_{ui} (p_{ui} - x_u^T y_i)^2 + \lambda (||x_u||^2 + ||y_i||^2)$$

Alternativas de FM para feedback implícito

Alternating Least Squares (ALS): aprende vector latente de usuarios e ítems de manera alternada.

Bayesian Personalized Ranking (BPR): aprender a rankear ítems relevantes en las primeras posiciones comparando pares.

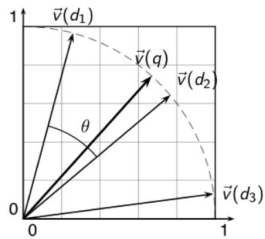
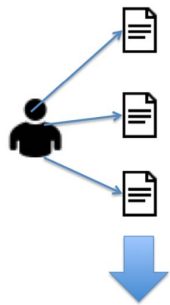
Transformando retroalimentación en positiva y negativa



$$(u_1, i_2, j_1)$$

Cada usuario (u_i) se representa como una matriz de preferencias.

$$\mathcal{D}_p = \{(u, i, j) \in \mathcal{D} | i \in \mathcal{I}_u \wedge j \in \mathcal{I} \setminus \mathcal{I}_u\}$$



Doc_1 = {w_1, w_2, ..., w_3}



Doc_2 = {w_1, w_2, ..., w_3}

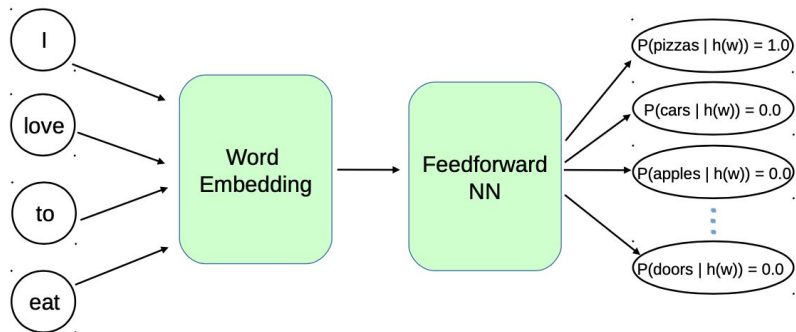


Doc_3 = {w_1, w_2, ..., w_3}

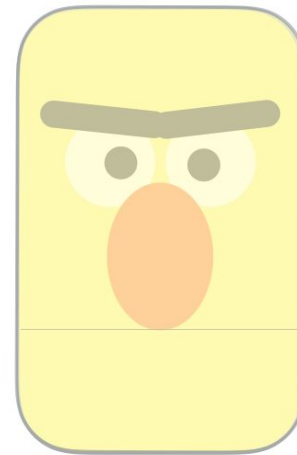


Doc_n = {w_1, w_2, ..., w_3}

user_profile = {w_1, w_2, ..., w_3} usando
TF-IDF

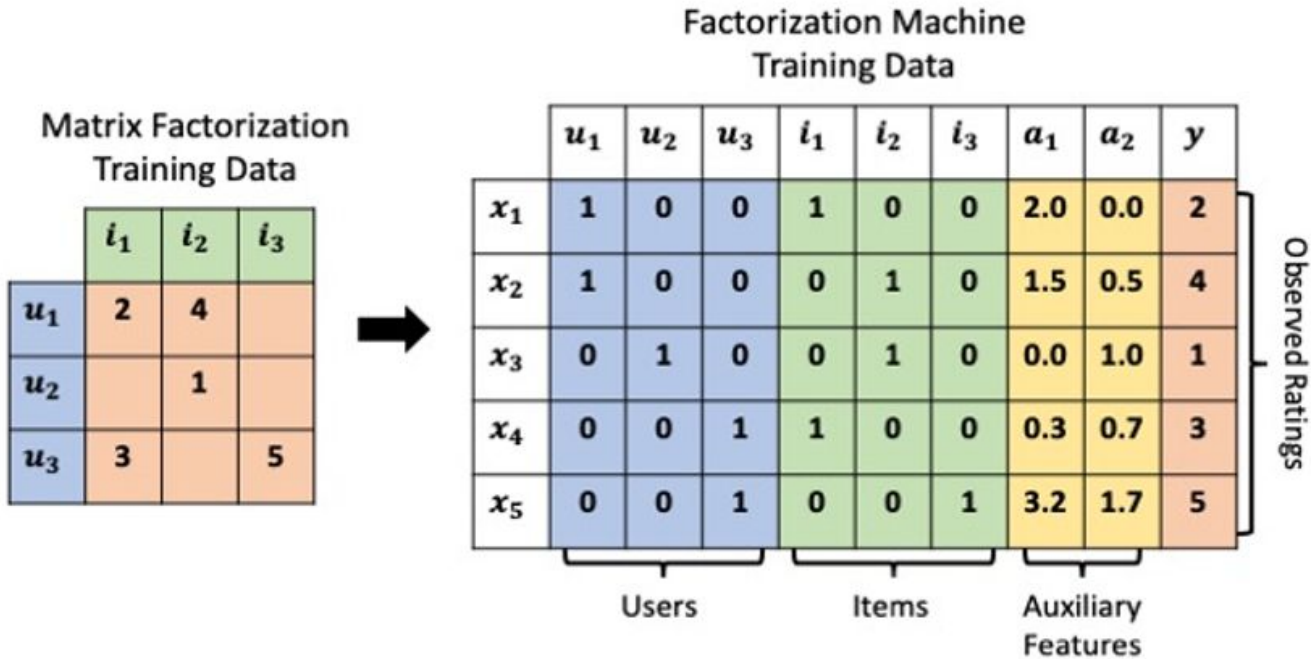


BERT_{BASE}



BERT_{LARGE}

Factorization machines [1/2]



Factorization machines [2/2]

$$\hat{y}(\mathbf{x}) := w_0 + \sum_{i=1}^n w_i x_i + \sum_{i=1}^n \sum_{j=i+1}^n \langle \mathbf{v}_i, \mathbf{v}_j \rangle x_i x_j$$

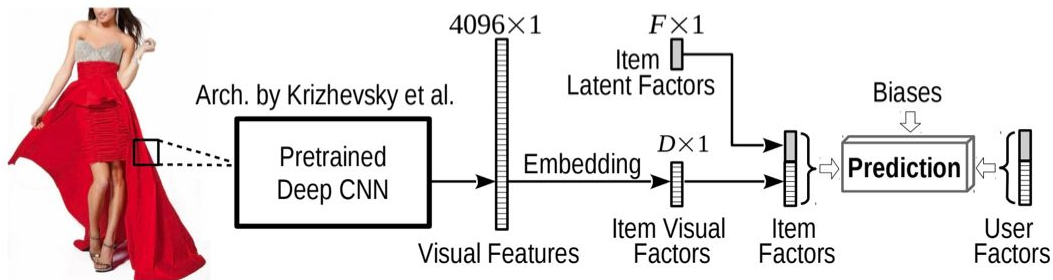
Coeficientes de
regresión de la
iesima variable

Factorización
Matricial
User - Item

Interacción
entre features
 x_i y x_j

Imágenes en recomendaciones

- [VBPR: Visual Bayesian Personalized Ranking from Implicit Feedback](#) [He and McAuley, 2016]
- Utiliza CNN para obtener características visuales
- Utilizan embeddings de usuarios e ítems
- Pérdida BPR (pairwise)

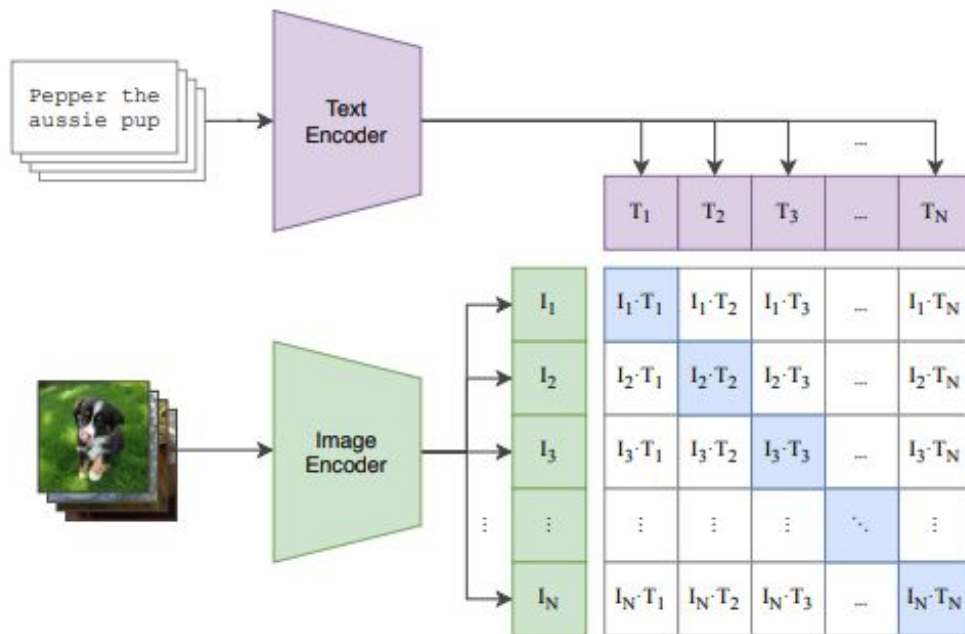


El Text Encoder y el Image Encoder se entrenan juntos para acercar imágenes y textos que corresponden entre sí.

(1) Contrastive pre-training

El **contrastive pre-training** busca maximizar la similaridad coseno de la diagonal de la matriz $N \times N$ de los embeddings de imágenes y de textos.

Se actualizan los pesos de ambos encoders.



Product
description

Product
image

Related
products

The screenshot displays the Amazon product page for a Polo Ralph Lauren Houston polo shirt. The main product image is a maroon polo shirt with "HOUSTON" printed in gold across the chest. To the left of the main image are three smaller images showing the shirt in different colors: maroon, black, and white. To the right of the main image is the product description and pricing information.

Product Description:

- Brand: Polo Ralph Lauren
- Product Name: Polo Ralph Lauren Mens Custom Slim Fit Mesh City Polo Shirt
- Price: \$54.75 - \$134.99
- Fit: As expected (79%)
- Size: Select (Size Chart)
- Color: Burgundy Houston

Product Features:

- 100% Cotton
- Polo Ralph Lauren
- Custom Slim Fit
- Features embroidered pony, city, and crest logos
- Two riveted vent grommets under each arm
- Mesh knit with tennis tails

Recommended from our brands:

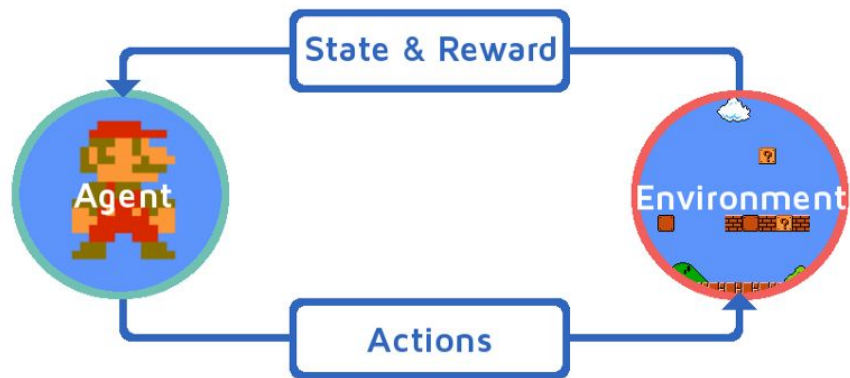
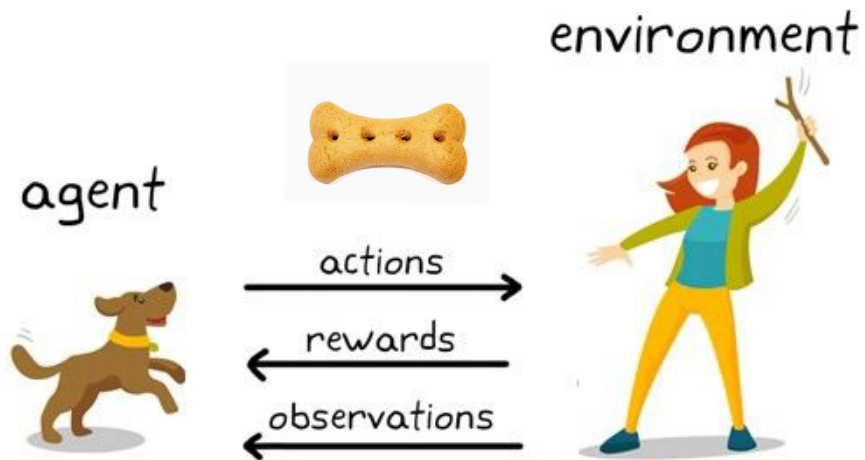
- Amazon Essentials: \$20.00
- Amazon Essentials: \$19.00
- Hawaiian Breese: \$29.99
- Something for Everyone: \$12.99 - \$16.99

Customers who viewed this item also viewed:

Product	Price
Polo Ralph Lauren Mens Custom Slim Fit Big Pony Polo Shirt	\$67.00 - \$127.50
Polo Ralph Lauren Mens Big Pony Custom Slim Fit Three Button Crest Polo	\$55.75 - \$89.99
Polo Ralph Lauren Mens Custom Slim Fit Big Pony Large Polo Shirt	\$41.75 - \$89.00
Polo Ralph Lauren Mens Custom Slim Fit Big Pony Mesh Crest Polo	\$74.99 - \$95.00
Polo Ralph Lauren Mens Big Pony Custom Slim Fit Big Pony Crest Polo	\$54.99 - \$89.99
Polo Ralph Lauren Mens Classic Fit Big Crested Pony Polo Shirt	\$42.00 - \$165.00
Polo Ralph Lauren Mens Big Pony Country Custom Fit Mesh Polo Shirt	\$55.75 - \$89.00
Polo Ralph Lauren Mens Classic Fit Big Crested Pony Polo Shirt	\$64.99 - \$88.50
Polo Ralph Lauren Mens Big Pony Custom Slim Fit Mesh Polo Shirt	\$124.75
Polo Ralph Lauren Mens Custom Slim Fit Big Pony Crest Polo	\$54.99 - \$89.00
Polo Ralph Lauren Mens Big Pony Custom Slim Fit Crested Crest Polo	\$54.99 - \$89.00

APRENDIZAJE REFORZADO

APRENDIZAJE POR PRUEBA Y ERROR.
EXPLORAR ACCIONES NUEVAS APOSTANDO POR UNA
RECOMPENSA A COSTA DE PERDER TIEMPO Y RECURSOS.



Sistemas recomendadores basados en bandits



Recomendación conversacional

Sistema recomendador conversacional

¿Qué es un sistema conversacional?

Un sistema recomendador que da **sugerencias personalizadas** a través de diálogos en lenguaje natural con un sistema.

Model: I recommend Pulp Fiction. This is a dark comedy with a great cast.

User: I don't want to watch a comedy right now.

Model: How about Ice Age? It is a very good anime with a lot of action adventure.

User: I don't like anime, but action movie sounds good.

Model: I recommend Mission Impossible. This is by far the best of the action series.

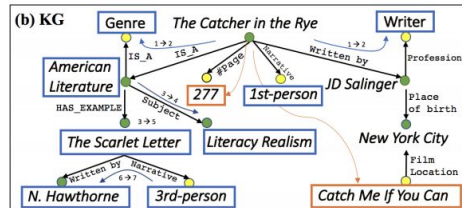
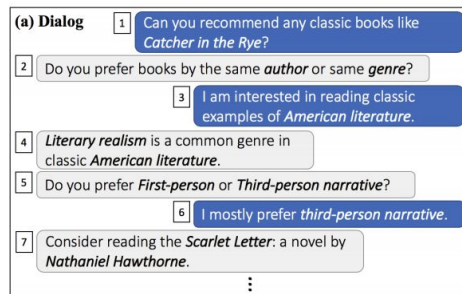
User: Sounds great. Thanks for the recommendation!

Predefined Template

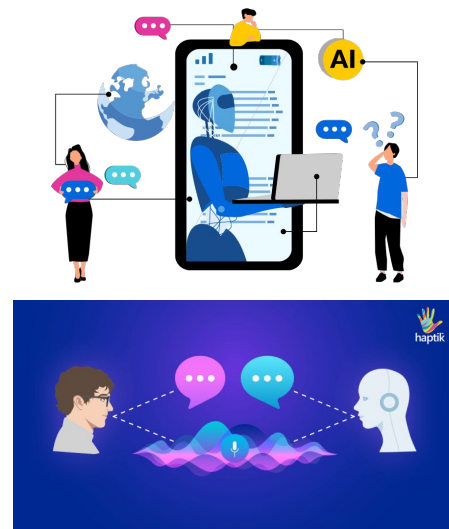
Recommended Item

Generated Explanation

CHEN ET AL, IJCAI 2020



OPENDIAL KG MOON ET AL, ACL 2019



También puede funcionar en lenguaje **escrito** o **hablado**.

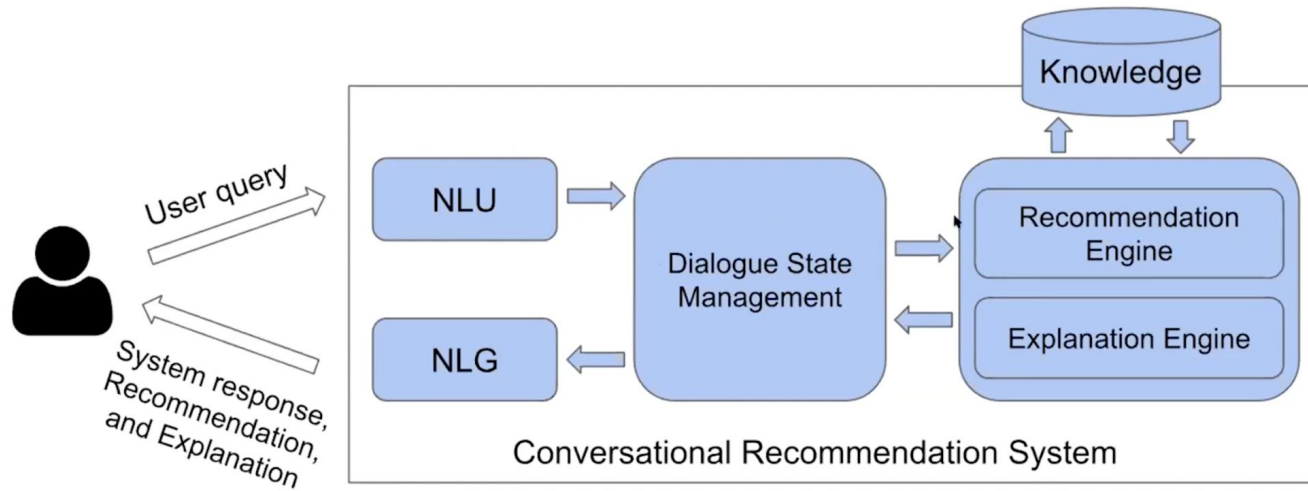
Sistema recomendador conversacional

una forma natural y privada de recibir recomendaciones:

- descubrir las necesidades del usuario mediante diálogos.
- dar orientación en una situación particular.



Sistema recomendador conversacional: arquitectura



Datos de entrenamiento

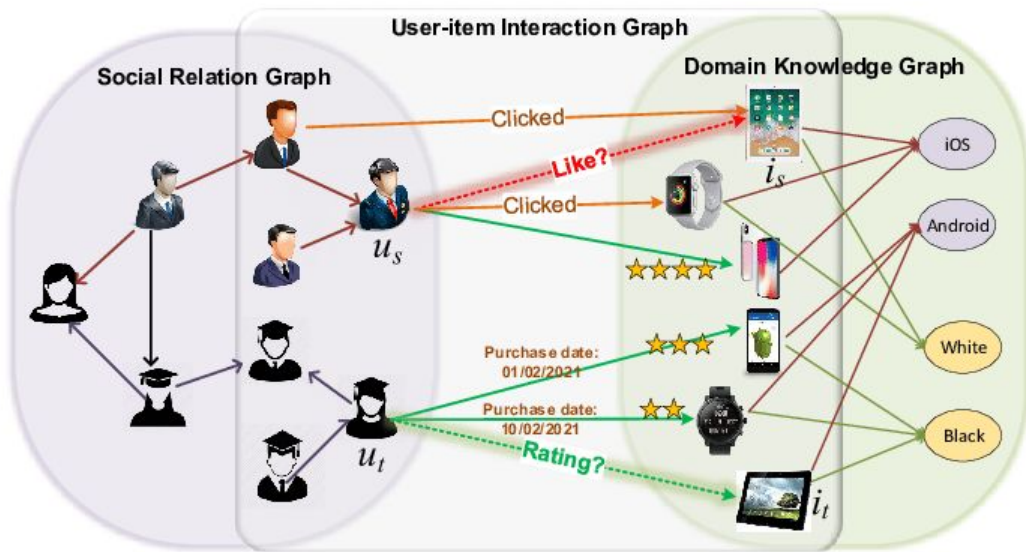
1. Convertir reviews de productos en una conversación.
2. Amazon mechanical turk - Diálogos entre dos usuarios.
3. Diálogos telefónicos transcritos.

...

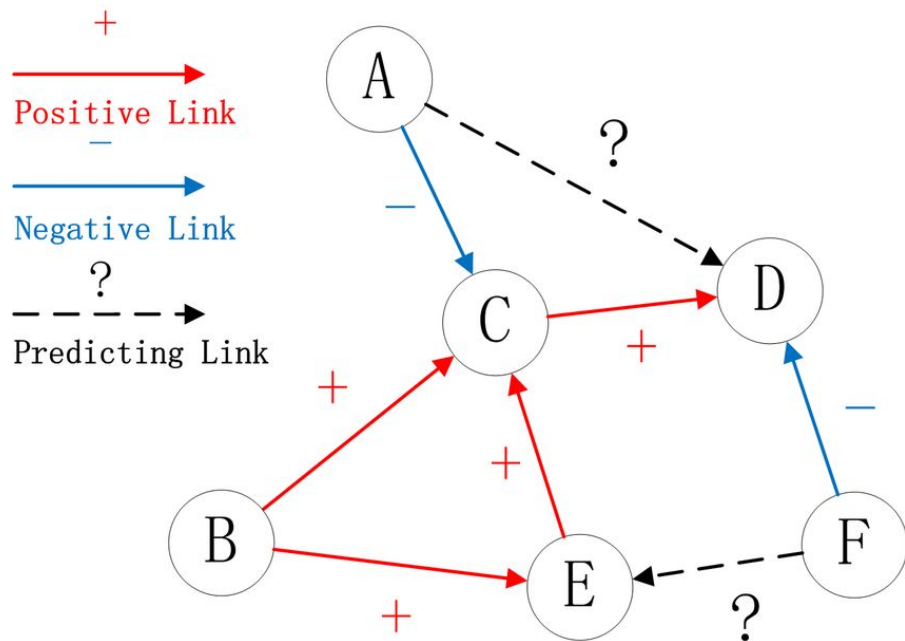
Dataset	Dialog Types	Domains	External Knowledge
ConvRec [10]	Rec	Restaurant	N
SAUR [11]	Rec	E-commerce	N
Cookie [24]	Rec	E-commerce	Y
ReDail [13]	Rec, Chitchat	Movie	N
OpendialKG [14]	Rec	Music, Sports	Y
KBRD [15]	Rec	Movie	Y
DuRecDial [21]	Rec, Chitchat, QA	Movie, Music, Restaurant, News, Weather	Y
MGConvRex [23]	Rec, Chitchat, QA	Restaurant	Y

Recomendación basada en grafos

Sistemas recomendadores basados en grafos



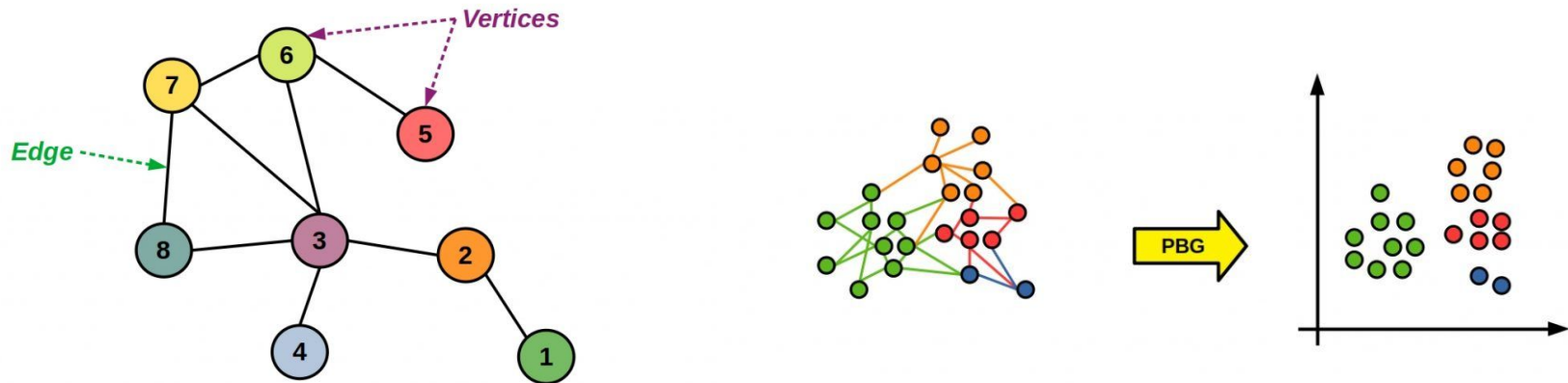
Una forma natural de representar interacciones en un sistema recomendador es con grafos.



Aprender embeddings
de usuarios e items
(nodos dentro de un
grafo)

A partir de las
interacciones (aristas)

La tarea es predecir
interacciones futuras
entre nodos.



- Cada nodo es un vector de características (embeddings)
- La tarea es actualizar estos vectores para forzarlos a predecir interacciones futuras con otros nodos.

Knowledge graph embedding learning

We have triplets $\langle \mathbf{s}, \mathbf{r}, \mathbf{d} \rangle$ corresponding to E

$$\langle s, r^{(i)}, d \rangle$$

Each element have vectors:

$$(\theta_s, \theta_r^{(i)}, \theta_d)$$

Function f relates \mathbf{s} , \mathbf{r} and \mathbf{d}

$$f(\theta_s, \theta_r^{(i)}, \theta_d) = \text{sim}(g(\theta_s, \theta_r^{(i)}), g(\theta_d, \theta_r^{(i)}))$$

Objective: Maximize cases where the triple e belongs to E , and to minimize cases when the edge does not exists in the graph.

$$L = \sum_{e \in E} \sum_{e' \in S'_e} \max(f(e) - f(e') + \lambda, 0) \quad 30$$

Transformation function g encodes the relation between nodes and relations $r^{(i)}$ vectors. e' is an edge that do not exist in the graph.

Knowledge graph embedding learning (relation functions α)

Model	Score function	#Parameters
SE [Bordes <i>et al.</i> , 2011]	$\ \mathbf{M}_r^h \mathbf{h} - \mathbf{M}_r^t \mathbf{t}\ _{\ell_{1/2}}$ $\mathbf{h}, \mathbf{t} \in \mathbb{R}^{k_e}, \mathbf{M}_r^h, \mathbf{M}_r^t \in \mathbb{R}^{k_e \times k_e}$	$2k_e n_e + 2k_e^2 n_r$
SME(linear) [Bordes <i>et al.</i> , 2012]	$-(\mathbf{M}_{h_1} \mathbf{e}_h + \mathbf{M}_{h_2} \mathbf{r} + \mathbf{b}_h)^\top (\mathbf{M}_{t_1} \mathbf{e}_t + \mathbf{M}_{t_2} \mathbf{r} + \mathbf{b}_t)$ $\mathbf{h}, \mathbf{t} \in \mathbb{R}^{k_e}, \mathbf{M}_r^1, \mathbf{M}_r^2 \in \mathbb{R}^{k_e \times k_e}$	$2k_e n_e + 2k_e^2 n_r$
SME(bilinear) [Bordes <i>et al.</i> , 2012]	$-[(\mathbf{M}_{h_1} \mathbf{e}_h) \otimes (\mathbf{M}_{h_2} \mathbf{r}) + \mathbf{b}_h]^\top [(\mathbf{M}_{t_1} \mathbf{e}_t) \otimes (\mathbf{M}_{t_2} \mathbf{r}) + \mathbf{b}_t]$ $\mathbf{h}, \mathbf{t} \in \mathbb{R}^{k_e}, \mathbf{M}_r^1, \mathbf{M}_r^2 \in \mathbb{R}^{k_e \times k_e}$	$2k_e n_e + 2k_e^2 n_r$
TransE [Bordes <i>et al.</i> , 2013]	$\ \mathbf{h} + \mathbf{r} - \mathbf{t}\ _{\ell_{1/2}},$ $\mathbf{h}, \mathbf{t} \in \mathbb{R}^{k_e}, \mathbf{r} \in \mathbb{R}^{k_r}$	$k_e n_e + k_r n_r (*k_e = k_r)$
TransH [Wang <i>et al.</i> , 2014]	$\ \mathbf{h}(\mathbf{I} - \mathbf{w}_r^\top \mathbf{w}_t) + \mathbf{r} - \mathbf{t}(\mathbf{I} - \mathbf{w}_r^\top \mathbf{w}_t)\ _{\ell_{1/2}},$ $\mathbf{h}, \mathbf{t} \in \mathbb{R}^k, \mathbf{w}_r, \mathbf{r} \in \mathbb{R}^k$	$k_e n_e + 2k_r n_r$
TransR [Lin <i>et al.</i> , 2015]	$\ \mathbf{h} \mathbf{M}_r + \mathbf{r} - \mathbf{t} \mathbf{M}_r\ _{\ell_{1/2}},$ $\mathbf{h}, \mathbf{t} \in \mathbb{R}^{k_e}, \mathbf{r} \in \mathbb{R}^{k_r}, \mathbf{M}_r \in \mathbb{R}^{k_e \times k_r}$	$k_e n_e + (k_r + k_r^2) n_r$
TransD [Ji <i>et al.</i> , 2015]	$\ (\mathbf{r}_p \mathbf{h}_p^\top + \mathbf{I}^{k_r \times k_e}) \mathbf{h} + \mathbf{r} - (\mathbf{r}_p \mathbf{t}_p^\top + \mathbf{I}^{k_r \times k_e}) \mathbf{t}\ _{\ell_{1/2}},$ $\mathbf{h}, \mathbf{t}, \mathbf{h}_p, \mathbf{t}_p \in \mathbb{R}^{k_e}, \mathbf{r}, \mathbf{r}_p \in \mathbb{R}^{k_r}$	$4k_e n_e + 2k_r n_r$
TranSparse(<i>separate</i>) [Ji <i>et al.</i> , 2016]	$\ \mathbf{M}_r^1(\theta_r^1) \mathbf{h} + \mathbf{r} - \mathbf{M}_r^2(\theta_r^2) \mathbf{t}\ _{\ell_{1/2}}$ $\mathbf{h}, \mathbf{t} \in \mathbb{R}^{k_e}, \mathbf{r} \in \mathbb{R}^{k_r}, \mathbf{M}_r^1(\theta_r^1), \mathbf{M}_r^2(\theta_r^2) \in \mathbb{R}^{*k_r \times k_e}$ $0 \leq \theta_r^1, \theta_r^2 \leq 1$	$2k_e n_e + 2(1 - \theta)(k_e + 1)k_r n_r$ $0 \leq \theta_r^1, \theta_r^2 \leq 1$
GTrans-DW [Tan <i>et al.</i> , 2018]	$\ 1/\sigma \odot [(\alpha \mathbf{h}_e + \beta \mathbf{r}_a \mathbf{h}_a^\top \mathbf{h}_e) + \mathbf{r}_e - (\alpha \mathbf{t}_e + \beta \mathbf{r}_a \mathbf{t}_a^\top \mathbf{t}_e)]\ _{\ell_{1/2}}$ $\mathbf{h}_a, \mathbf{h}_e, \mathbf{t}_a, \mathbf{t}_e \in \mathbb{R}^{k_e}, \mathbf{r}_a, \mathbf{r}_e \in \mathbb{R}^{k_r}, \sigma, \alpha, \beta \in \mathbb{R}$	$k_e n_e + 3k_r n_r (*k_e = k_r)$
GTrans-SW [Tan <i>et al.</i> , 2018]	$\ 1/\sigma \odot [(1 - \alpha_{h,r}) \mathbf{h}_e + \alpha_{h,r} \mathbf{r}_a \mathbf{h}_a^\top \mathbf{h}_e + \mathbf{r}_e - (1 - \alpha_{t,r}) \mathbf{t}_e - \alpha_{t,r} \mathbf{r}_a \mathbf{t}_a^\top \mathbf{t}_e]\ _{\ell_{1/2}}$ $\mathbf{h}_a, \mathbf{h}_e, \mathbf{t}_a, \mathbf{t}_e \in \mathbb{R}^{k_e}, \mathbf{r}_a, \mathbf{r}_e \in \mathbb{R}^{k_r}, \sigma, \alpha, \beta \in \mathbb{R}$	$k_e n_e + 3k_r n_r (*k_e = k_r)$
TransMS	$\ -\tanh(\mathbf{t} \otimes \mathbf{r}) \otimes \mathbf{h} + \mathbf{r} - \tanh(\mathbf{h} \otimes \mathbf{r}) \otimes \mathbf{t} + \alpha \cdot g(\mathbf{h} \otimes \mathbf{t})\ _{\ell_{1/2}},$ $\mathbf{h}, \mathbf{t} \in \mathbb{R}^{k_e}, \mathbf{r} \in \mathbb{R}^{k_r}, \alpha = \mathbf{r}_{k_r+1} \in \mathbb{R}^1$	$k_e n_e + (k_r + 1) n_r (*k_e = k_r)$

Table 2: Statistics of datasets used in experiments. We mainly compare the models’ score functions and their numbers of parameters. n_e and n_r represent the number of entities and relations in knowledge graph respectively. k_e and k_r represent the dimension of entity and relation in the low-dimensional space, $\mathbf{h}, \mathbf{t} \in \mathbb{R}^{k_e}, \mathbf{r} \in \mathbb{R}^{k_r}$. θ_r^1 and θ_r^2 denote the sparse degrees of transfer matrices in TranSparse. α represents one additional dimension for each relation vectors in our model TransMS. For TransE, GTrans and TransMS, $(*k_e = k_r)$ means that k_e is equal to k_r .

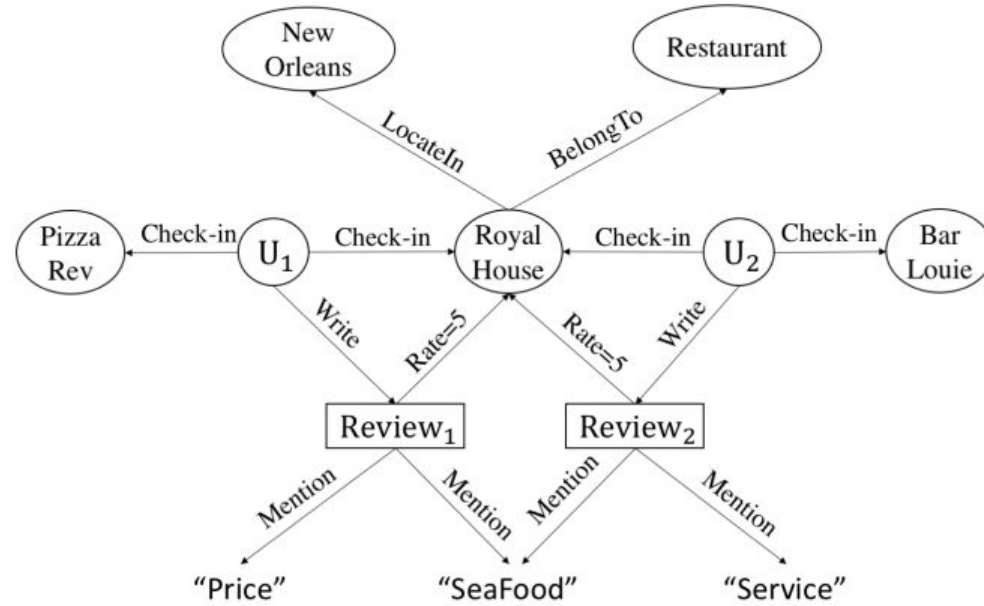


Figure 1: Example of HIN, which is built based on the web page for Royal House on Yelp.

Gracias!