Spiking + Oja + LCA = image comprehension and compression

EQUATIONS GOVERNING OUR 2 MONTHS AT THE DARPA INNOVATION HOUSE IN ARLINGTON, VA

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Average firing counts over interval τ :

$$n_j^{\mathcal{T}}(t+\Delta t) = e^{\frac{-\Delta t}{\mathcal{T}}} \left[A_j(t) + n_j^{\mathcal{T}}(t) \right]$$
 (1)

Average firing rate over interval τ :

$$f_i^{\tau}(t) = \frac{n_i^{\tau}(t)}{\tau} \tag{2}$$

Feed-forward weight adaptation:

$$Q_{ij}(t + \Delta t) = Q_{ij}(t) + \beta \left(\frac{\Delta t}{\tau_{oja}}\right)^2 \{Oja * LTP - LTD - decay\}$$

i.e.

$$Q_{ij}(t + \Delta t) = Q_{ij}(t) + \beta \left(\frac{\Delta t}{\tau_{oja}}\right)^{2} \{$$

$$n_{Y_{j}}^{\tau_{oja}}(t) \left[n_{X_{i}}^{\tau_{oja}}(t) - Q_{ij}(t)n_{Y_{j}}^{\tau_{oja}}(t)\right] \cdot \lambda_{P} A_{Y}(t) n_{X_{i}}^{\tau_{P}}(t) -$$

$$\lambda_{Dj} A_{Xi}(t) n_{Y_{j}}^{\tau_{D}}(t) -$$

$$\alpha_{dec} Q_{ij}(t) \}$$

$$(3)$$

Adaptive LTD for feed-forward weights

$$\lambda_{Dj}(t + \Delta t) = \lambda_{Dj}(t) + \frac{\Delta t}{\tau_{THR}} \left[f_j^{\tau_o}(t) - f_o \right] \frac{\lambda_{Dscale}}{f_o}$$
(4)

where

$$\lambda_{Dj} > 0$$

$$\lambda_{Dj}(0) = \lambda_{Dinit}$$
(5)

Lateral inhibition:

$$w_{jk}(t + \Delta t) = w_{jk}(t) + \frac{\Delta t}{\tau_{INH}} \left[f_j^{\tau_{LCA}}(t) f_k^{\tau_{LCA}}(t) - f_o^2 \right] \frac{1}{f_o^2}$$
 (6)

Current scales for τ values

$$au_{oja} \approx 50 - 200ms$$
 $au_P \approx 0 - 10ms$ $au_D \approx 20 - 40ms$ $au_{LCA} \approx au_{oja}$ $au_o = 300$ $au_{THR} \gg au_o$ $au_{INH} \gg au_{LCA}$ $au_{Vth} \approx 5ms$

Current values for constants:

$$V_{thRest} = -55mV$$

$$V_{rest} = -70mV$$

$$\lambda_P \approx 1$$

$$\lambda_{scale} \approx \lambda_P$$

$$\lambda_{Dinit} \approx 1$$

$$\beta = 2$$

$$\alpha_{dec} = 0$$