# A Practical Introduction to Machine Learning in Python

Day 4 - Thursday
»Supervised Machine Learning«

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Gesis

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### Today

- 1 Recap: Types of Automated Content Analysis
- 2 Supervised Machine Learning

You have done it before!

Applications

An implementation

- 3 Vectorizers
- 4 Different models
- **5** Alternatives to train/test split

Train/validation/test split

Cross-validation

- 6 Finding the optimal (hyper-)parameters Hyperparameter optimization with grid search Tuning decision thresholds with ROC curves
- 7 From feature set to final classification

Putting stuff together with pipelines

Visualizing feature weights with ELI5



Recap: Types of Automated Content Analysis

### Methodological approach

	Dictionary	Machine Learning	Machine Learning
Typical research interests and content features	visibility analysis sentiment analysis subjectivity analysis	frames topics gender bias	frames topics
Common statistical procedures	string comparisons counting	support vector machines naive Bayes	principal component analysis cluster analysis latent dirichlet allocation semantic network analysis

Supervised

Counting and

deductive inductive



Uncuparticad

# Some terminology

### Supervised machine learning

You have a dataset with both predictor and outcome (independent and dependent variables; features and labels) — a labeled dataset. Think of

regression: You measured x1, x2, x3 and you want to predict y, which you also measured

### Unsupervised machine learning

You have no labels. (You did not

Again, you already know some techniques to find out how x1, x2,...x\_i co-occur from other courses:

- Principal Component Analysis (PCA)
- Cluster analysis
  - ...

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- **1** Based on your data, you estimate some regression equation  $v_i = \alpha + \beta_1 x_{i1} + \cdots + \beta_n x_{in} + \varepsilon_i$
- ② Even if you have some *new unseen data*, you can estimate your expected outcome  $\hat{y}$ !
- Example: You estimated a regression equation where y is newspaper reading in days/week:
- **4** You could now calculate  $\hat{y}$  for a man of 20 years and a woman of 40 years even if no such person exists in your dataset:  $\hat{y}_{man20} = -.8 + .4 \times 1 + .08 \times 20 = 1.2$   $\hat{y}_{woman40} = -.8 + .4 \times 0 + .08 \times 40 = 2.4$

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# This is Supervised Machine Learning!

- We will only use half (or another fraction) of our data to estimate the model, so that we can use the other half to check if our predictions match the manual coding ("labeled data", "annotated data" in SML-lingo)
  - e.g., 2000 labeled cases, 1000 for training, 1000 for testing if successful, run on 100,000 unlabeled cases
- We use many more independent variables ("features")
- Typically, IVs are word frequencies (often weighted, e.g. tf×idf) (⇒BOW-representation)

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A lot of different applications

from recognizing hand-written characters to recommendation systems

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It starts to get popular to measure latent variables

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## SML to code frames and topics

### Some work by Burscher and colleagues

- Humans can code generic frames (human-interest, economic, ...)
- Humans can code topics from a pre-defined list
- But it is very hard to formulate an explicit rule
   (as in: code as 'Human Interest' if regular expression R is matched)
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TABLE 4
Classification Accuracy of Frames in Sources Outside the Training Set

	$VK/NRC$ $\rightarrow Tel$	$VK/TEL$ $\rightarrow NRC$	$ \frac{NRC/TEL}{\rightarrow VK} $ .75	
Conflict	.69	.74		
Economic Cons.	.88	.86	.86	
Human Interest	.69	.71	.67	
Morality .97		.90	.89	

Note. VK = Volkskrant, NRC = NRC/Handelsblad, TEL = Telegraaf

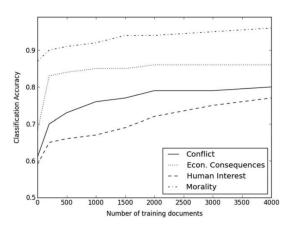
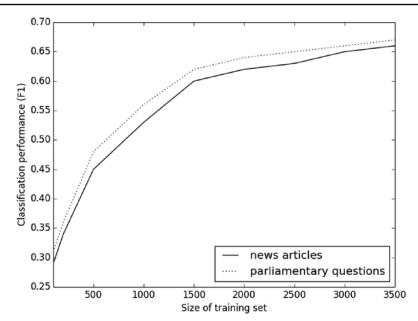


FIGURE 1 Relationship between classification accuracy and number of training documents.

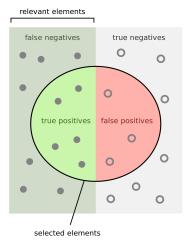
 $\label{eq:FIGURE 1} \textbf{FIGURE 1}$  Learning Curves for the Classification of News Articles and PQs



 ${\it TABLE~1} \\ {\it F1~Scores~for~SML-Based~Issue~Coding~in~News~Articles~and~PQs}$ 

Issue		News Articles		PQs	
		All Words	Lead Only F1		All Words F1
Features	N	F1		N	
Macroeconomics	413	.54	.63	172	.46
Civil rights and minority issues	327	.34	.28	192	.53
Health	444	.70	.71	520	.81
Agriculture	114	.72	.76	159	.66
Labor and employment	217	.43	.49	174	.58
Education	188	.79	.71	229	.78
Environment	152	.34	.44	237	.59
Energy	81	.35	.59	67	.66
Immigration and integration	150	.50	.57	239	.78
Transportation	416	.58	.67	306	.81
Law and crime	1198	.70	.69	685	.77
Social welfare	115	.33	.34	214	.54
Community development and housing	113	.45	.44	136	.72
Banking, finance, and commerce	622	.62	.67	188	.58
Defense	393	.59	.55	196	.71
Science, technology, and communication	426	.64	.59	57	.53
International affairs and foreign aid	1,106	.70	.64	352	65
Government operations	1,301	.71	.72	276	.48
Other issue	3,322	.84	.80	360	.51
Total	11,089	.71	.68	4,759	.69

NOTE: The F1 score is equal to the harmonic mean of recall and precision. Recall is the fraction of relevant documents that are retrieved, and precision is the fraction of retrieved documents that are relevant.



# Precision =

How many selected

items are relevant?

How many relevant items are selected?

Recall =

## Some measures of accuracy

- Recall
- Precision
- $F1 = 2 \cdot \frac{\text{precision} \cdot \text{recall}}{\text{precision} + \text{recall}}$
- AUC (Area under curve)
   [0,1], 0.5 = random guessing

### What does this mean for our research?

It we have 2,000 documents with manually coded frames and topics...

- we can use them to train a SML classifier
- which can code an unlimited number of new documents
- with an acceptable accuracy

Some easier tasks even need only 500 training documents, see Hopkins, D. J., & King, G. (2010). A method of automated nonparametric content analysis for social science. *American Journal of Political Science*, 54(1), 229–247.

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## An implementation

Let's say we have a list of tuples with movie reviews and their rating:

```
reviews=[("This is a great movie",1),("Bad movie",-1), ... ...]
```

And a second list with an identical structure:

```
test=[("Not that good",-1),("Nice film",1), ... ...]
```

Both are drawn from the same population, it is pure chance whether a specific review is on the one list or the other.

Based on an example from http://blog.dataquest.io/blog/naive-bayes-movies/

## Training a A Naïve Bayes Classifier

```
from sklearn.naive_bayes import MultinomialNB
    from sklearn.feature extraction.text import CountVectorizer
    from sklearn import metrics
4
    # This is just an efficient way of computing word counts
5
    vectorizer = CountVectorizer(stop_words='english')
6
    train_features = vectorizer.fit_transform([r[0] for r in reviews])
    test features = vectorizer.transform([r[0] for r in test])
8
9
    # Fit a naive bayes model to the training data.
10
11
    nb = MultinomialNB()
    nb.fit(train features, [r[1] for r in reviews])
12
13
    # Now we can use the model to predict classifications for our test
14
        features.
    predictions = nb.predict(test_features)
15
16
    actual=[r[1] for r in test]
17
    print("Precision: {0}".format(metrics.precision_score(actual,
18
         predictions, pos_label=1, labels = [-1,1])))
    print("Recall: {0}".format(metrics.recall_score(actual, predictions,
19
         pos label=1, labels = \lceil -1, 1 \rceil))
```

## And it works!

Using 50,000 IMDB movies that are classified as either negative or positive,

- I created a list with 25,000 training tuples and another one with 25,000 test tuples and
- trained a classifier
- that achieved an AUC of .82.

Dataset obtained from http://ai.stanford.edu/-amaas/data/sentiment, Maas, A.L., Daly, R.E., Pham, P.T., Huang, D., Ng, A.Y., & Potts, C. (2011). Learning word vectors for sentiment analysis. 49th Annual Meeting of the Association for Computational Linguistics (ACL 2011)

## Playing around with new data

- newdata=vectorizer.transform(["What a crappy movie! It sucks!", "This is awsome. I liked this movie a lot, fantastic actors", "I would not recomment it to anyone.", "Enjoyed it a lot"]) predictions = nb.predict(newdata)
- print(predictions)

This returns, as you would expect and hope:

```
[-1 \ 1 \ -1 \ 1]
```

### But we can do even better

We can use different vectorizers and different classifiers.

### **Vectorizers**

- CountVectorizer (=simple word counts)
- 2 TfidfVectorizer (word counts ("term frequency") weighted by number of documents in which the word occurs at all ("inverse document frequency"))

$$tfidf_{t,d} = tf_{t,d} \cdot idf_t$$

There are different ways to weigh the idf score. A common one is taking the logarithm:

$$idf_t = \log \frac{N}{n_t}$$

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# Different vectorizer options

- Preprocessing (e.g., stopword removal)
- Remove words below a specific threshold ("occurring in less than n = 5 documents")  $\Rightarrow$  spelling mistakes etc.
- Remove words above a specific threshold ("occuring in more than 50% of all documents) ⇒ de-facto stopwords
- Not only to improve prediction, but also performance (can reduce number of features by a huge amount)

### Models (Classifiers)

(When we want to predict a binary outcome, we often refer to this as a *classification problem*, while we often call predicting a continous outcome a *regression problem*.)

### Different classifiers

- Naïve Bayes
- Logistic Regression
- Support Vector Machine (SVM)
- ...

Typical approach: Find out which setup performs best (see example source code in the book).

### Bayes' theorem

$$P(A \mid B) = \frac{P(B \mid A) \times P(A)}{P(B)}$$

A = Text is about sports

B = Text contains "a very good game" Furthermore, we simply multiply the propabilities for the features:

$$P(B) = P(a \text{ very close game}) = P(a) \times P(\text{very}) \times P(\text{close}) \times P(\text{game})$$

We can fill in all values by counting how many articles are about sports, and how often the words occur in these texts.

(Fully elaborated example on https://monkeylearn.com/blog/practical-explanation-naive-bayes-classifier/)

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### Probability of a binary outcome in a regression model

$$p = \frac{1}{1 + e^{-(\beta_0 + \beta_1 x_1 + \beta_2 x_2 + \dots + \beta_n x_n)}}$$

Just like in OLS regression, we have an intercept and regression coefficients.

We use a threshold (default: 0.5) and above, we assign the positive label ('good movie'), below, the negative label ('bad movie').

- The features are *not* independent.
- Computationally more expensive than Naïve Bayes
- We can get probabilities instead of just a label
- That allows us to say how sure we are for a specific case
- ... or to change the threshold to change our precision/recall-tradeoff

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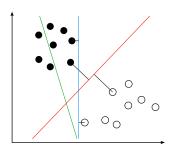
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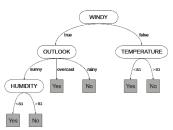
# Support Vector Machines

- Idea: Find a hyperplane that best seperates your cases
- Can be linear, but does not have to be (depends on the so-called kernel you choose)
- Very popular



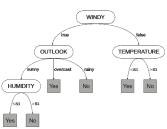
(Further reading: https://monkeylearn.com/blog/introduction-to-support-vector-machines-svm/)

- Model problem as a series of decisions (e.g., if cloudy then . . . if temperature > 30 degrees then . . . )
- Order and cutoff-points are determined by an algorithm
- Big advantage: Model non-linear relationships
- And: They are easy to interpret (!) ("white box")



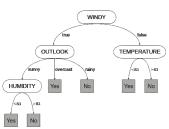
https://upload.wikimedia.org/wikipedia/en/4/4f/ GEP\_decision\_tree\_with\_numeric\_and\_nominal\_ attributes.png

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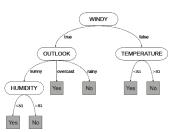
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- And: They are easy to interpret (!) ("white box")



https://upload.wikimedia.org/wikipedia/en/4/4f/ GEP\_decision\_tree\_with\_numeric\_and\_nominal\_ attributes.png

- Model problem as a series of decisions (e.g., if cloudy then . . . if temperature > 30 degrees then . . . )
- Order and cutoff-points are determined by an algorithm
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- once you are in the wrong branch, you cannot go 'back up'
- prone to overfitting (e.g., outlier in training data may lead to completely different outcome)

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https://scikit-learn.org/stable/supervised\_learning.html