### ARTIFICIAL INTELLIGENCE ASSIGNMENT

# **BLOCKS WORLD PROBLEM**

STUDENT: POP DIANA-ŞTEFANIA

GROUP: C.EN. 2.2A

YEAR: II

### TECHNICAL REPORT

### 1 Problem statement

A set of wooden blocks of various shapes and colors are sitting on a table. The goal is to build one or more vertical stacks of blocks. The catch is that only one block may be moved at a time: it may either be placed on the table or placed atop another block. Because of this, any blocks that are, at a given time, under another block cannot be moved.

Initial state: Given configuration of blocks and a set of block stacks.

**Actions and transitions**: Move block from the top of one stack onto the table or onto the top of another stack.

**Goal**: A given final configuration of the stacks of blocks.

### 2 Pseudocode

Presented below are the algorithms used for defining the heuristics, for computing the resulted state after performing a certain action and for determining the possible actions:

#### **ACTIONS** (state)

 $\triangleright$  Computes the possible actions to be taken in the current state and returns their list

```
1. for stack in state do
2. for other_stack in state do
3. if other_stack != stack then
4. append (actions_list, (state \rightarrow index(stack), state \rightarrow index(other_stack))
6. if length(stack) != 1 then
7. append (actions_list, (state \rightarrow index(stack), none)
8. return actions_list
```

**Note: none** (no stack) can be represented as anything (for example ','), except as a natural number (used to enumerate the stack indexes).

```
RESULT (state, action)
> Computes the resulting state based on a certain action
and the current state
1. source\_stack \leftarrow action[0]
2. destination\_stack \leftarrow action[1]
3. moved\_block \leftarrow last element in <math>state\_list[source\_stack]
4. if length(state[source_stack]) != 1 then
     for iterator \leftarrow 0, length(state[source\_stack] - 1 do
5.
6.
          append(new\_stack, state[source\_stack][iterator])
7.
     append(state_list, new_stack)
8. if destination_stack!= none then
     remove(state_list, state[destination_stack])
10. append(state_list, state[destination_stack] + (moved_block))
11. else
12.
      append(state_list, (moved_block))
13. remove(state_list, state[source_stack])
14. state\_list \rightarrow \mathbf{sort\_by}(\mathbf{length}(stack))
15. return state_list
Note: none (no stack) can be represented as anything
(for example ''), except as a natural number (used to enumerate the stack indexes).
H1 (node)
> Checks whether a block is in the right place and returns
the number of blocks out of place
1. sum \leftarrow 0
2. for stack in node \rightarrow state do
3.
      for block in stack do
4.
          for other_stack in goal do
             if block in other_stack then
5.
                block\_position \leftarrow stack \rightarrow index(block)
6.
7.
                other\_position \leftarrow other\_stack \rightarrow index(block)
8.
                if block_position == 0 or other_position == 0
9.
                and block_position != other_position
10.
                or stack[block_position-1] != stack[other_position-1] then
11.
                  sum \leftarrow sum + 1
12.
                  break
13. return sum
```

```
H2 (node)
> Counts the number of moves than need to be done in order
for every block to reach its correct place
1. sum \leftarrow 0
2. for stack in node \rightarrow state do
3.
        for other_stack in goal do
            if stack[0] in goal then
4.
                goal\_stack \leftarrow other\_stack
5.
6.
               break
7.
        for block in stack do
            block\_position \leftarrow stack \rightarrow index(block)
8.
            if block in goal_stack then
9.
10.
               if block\_position == goal\_stack \rightarrow index(block) then
                  continue
11.
12.
            sum \leftarrow sum + \mathbf{length}(stack) - block\_position
            for iterator \leftarrow block\_position, length(stack) do
13.
14.
                 stack\_block \leftarrow stack[iterator]
                 stack\_position \leftarrow stack \rightarrow \mathbf{index}(stack\_block)
15.
16.
                 if stack_position != 0 then
17.
                    for other_stack in goal do
18.
                         if stack_block in other_stack then
19.
                            other\_position \leftarrow other\_stack \rightarrow \mathbf{index}(stack\_block)
20.
                            if other_position != 0 then
21.
                               for iterator_2 \leftarrow 0, stack\_position do
22.
                                   other\_block \leftarrow stack[iterator\_2]
23.
                                   if other_block in other_stack then
24.
                                      if other\_stack \rightarrow index(other\_block)
25.
                                       < other_position then
26.
                                         sum \leftarrow sum + 1
27.
                                         break
28. return sum
```

## 3 Application design

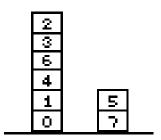
#### 3.1 Architectural overview:

The application is structured in 5 modules: main.py, problem.py, blocks\_world.py, random\_state\_generator.py, and search.py.

The **problem.py** module contains the class **BlocksWorld** used to define the Blocks World problem, whereas **blocks\_world.py** is used to extend the class and implement problem heuristics.

The module **random\_state\_generator.py** is used to generate a random state according to a number of blocks given.

Figure 1: A random configuration for 8 blocks



A state is represented as a "tuple of tuples", where each tuple contained by the main tuple represents a stack of blocks and their first element represents the base block.

**Example:** The state from *Figure 1* would be represented as state = ((0, 1, 4, 6, 3, 2), (7, 5))

The module **search.py** is used for implementing the search algorithms (A\* and recursive best-first search) and it closely follows the **AIMA framework.** 

#### 3.2 Input specification

The application will run using the main.py module, and will ask the user to input a natural (non-zero) number which represents the number of blocks for the blocks world problem. Then, there will be generated a random n-blocks world problem for which both searchers (A\* and recursive best-first search) will be tested.

### 3.3 Output specification

There were made 10 tests using non-trivial input, the results being written in the files output1.txt - output10.txt.

The output presents a randomly generated initial and goal state for which the searchers are tested, and both solutions to the problem found by the searchers. A solution represents the solution path (sequence of states) of the problem with the actions that lead to their specific states.

**Example:** Action (1, 2) - move top block from stack 1 to stack 2

### References

- [1] https://en.wikipedia.org/wiki/Blocks\_world Blocks World problem.
- [2] https://docs.python.org/3/library/random.html Random numbers generator.
- [3] http://www.d.umn.edu/~kvanhorn/cs2511/discussions/heuristics.
  html
  https://www.d.umn.edu/~gshute/cs2511/projects/Java/
  assignment6/blocks/blocks.xhtml Blocks World heuristics
- [4] https://github.com/aimacode/aima-python AIMA problem framework python.
- [5] LATEX project site, http://latex-project.org/