

# How much did Bonus Unemployment Insurance Payments During the COVID Pandemic Depress Aggregate Employment?

Did supplemental unemployment compensation discourage a return to full-time work?

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Robert Winslow

*Job Market Talk*

Motivation

Partial Unemployment Insurance in the US

Model

- Model Setup

- Parameterization

Policy Experiments in the Model

- Comparisons of Steady States

- Simulation of Pandemic Timeline

# Motivation

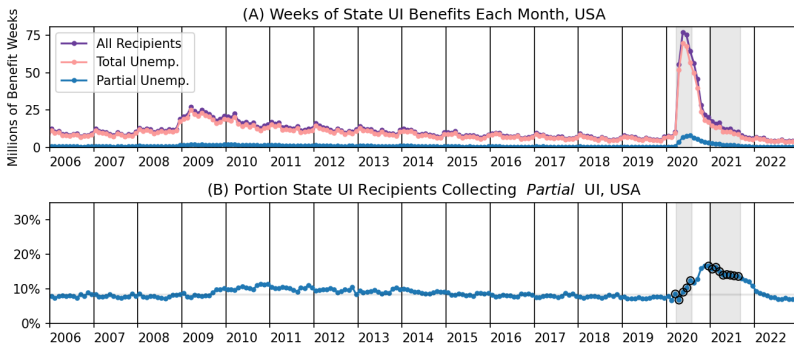
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- ▶ During the Pandemic, large supplemental payments were given to anyone collecting even a dollar of Unemployment Insurance.
- ▶ These payments were made to the fully unemployed *and to those with reduced hours*.
- ▶ Other papers estimate these programs only slightly reduced the job finding rate.
- ▶ But what about the effect on the intensive margin? Did the program discourage workers from returning to *full-time* work?

# Partial Unemployment Insurance in the US

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# Regular State UI Recipients Over Time, All US



# Partial Unemployment Insurance

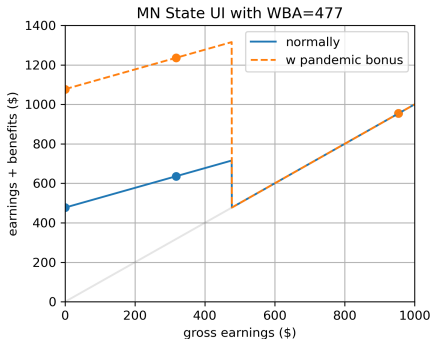
- ▶ If a person is eligible for UI, a weekly benefit amount (WBA) is determined based on employment history.
  - Except for high earners, it's about half of their typical income.
  - Constant throughout entire UI spell.
- ▶ Benefits depend both on the current week's gross earnings, and on the individual's WBA.
  - Your WBA is the amount you collect when totally unemployed.
  - As earnings increase, benefits decrease
  - Details vary by state.
- ▶ During the pandemic, the Federal Pandemic Unemployment Compensation supplement was paid out in full to anyone collecting even a single dollar of state UI.
  - 600 dollars per week April to July, 2020
  - 300 dollars per week January to September, 2021

## Example: State UI Benefits in Minnesota

In Minnesota, the rule is that the benefits for a given week are determined by:

$$\text{benefits} = \begin{cases} \text{WBA} - \frac{\text{earnings}}{2} & \text{if } \text{earnings} < \text{WBA} \\ 0 & \text{if } \text{earnings} \geq \text{WBA} \end{cases}$$

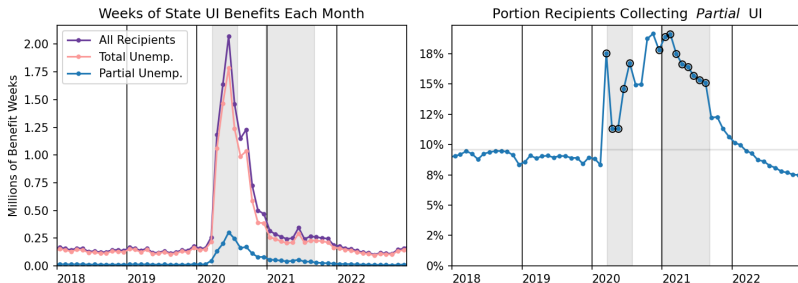
*Figure on right: earnings and benefits for a hypothetical Minnesota worker with a WBA of 477 USD*





# Regular State UI Recipients Over Time, MN

Weeks of State UI Benefits - MN - Seasonally Adjusted



# Model

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- ▶ Model of unemployment insurance with partial employment and moral hazard.
- ▶ Workers stochastically transition between three levels of employment opportunity.
  - Full Employment, Partial Employment, Unemployment
- ▶ Workers receive UI benefits when partially employed or unemployed.
- ▶ Workers can choose to work at a level below their employment opportunity, but only have a small chance of receiving UI benefits if they do so.

The consumer's utility function is straightforward:

$$\mathbb{E} \sum_j \beta^t U(c_t, l_t) = \mathbb{E} \sum_t \beta^t \frac{(c_t^{1-\sigma} l_t^\sigma)^{1-\rho} - 1}{1-\rho}$$

Two decisions the consumer faces:

1. How to split income between consumption and (non-interest-bearing) savings
  - budget is  $a' + c = a + y_d$ , where  $a$  is assets, and  $y_d$  is disposable income.
  - assets are subject to the constraint  $a' \geq 0$
2. Whether and how much to work when give a job opportunity.

# Timeline Within Each Period

1. Consumer receives potential job offer  $s \in \{E, P, U\}$
2. Consumer chooses employment status  $\eta \in \{E, P, U\}$
3. Determine whether Consumer gets UI benefits due to imperfect monitoring.
4. Consumer chooses  $a'$  after learning whether they receive benefits

Employment opportunity  $s \in \{E, P, U\}$  represents whether the person has a job opportunity ( $s = E$ ), a partial job opportunity ( $s = P$ ) or no job opportunity ( $s = U$ ). (Employment, Partial employment, full Unemployment)

- ▶  $s$  evolves according to a 3x3 transition matrix  $\chi$

$$\chi = \begin{bmatrix} \chi(E, E) & \chi(E, P) & \chi(E, U) \\ \chi(P, E) & \chi(P, P) & \chi(P, U) \\ \chi(U, E) & \chi(U, P) & \chi(U, U) \end{bmatrix}$$

Employment status  $\eta \in \{E, P, U\}$  represents the level of work the consumer actually chooses to engage in.

- ▶ If  $s = E$ , consumer can choose from  $\eta \in \{E, P, U\}$
- ▶ If  $s = P$ , consumer can choose from  $\eta \in \{P, U\}$
- ▶ If  $s = U$ , consumer can choose from  $\eta = U$

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- ▶ If the worker otherwise *chooses* to work reduced hours, then there is some probability  $\pi$  that they nonetheless collect benefits due to imperfect monitoring.
- ▶ Let  $\mu \in \{0, 1\}$  be a binary variable indicating whether the person receives UI benefits.
  - If  $s = E$ , then  $\mu = 0$
  - If  $(s, \eta) = (P, P)$  or  $(U, U)$ , then  $\mu = 1$
  - If  $\eta = U$ , but  $s \neq U$ , then  $\mu = 1$  with probability  $\pi_u$ , 0 otherwise
  - If  $\eta = P$ , but  $s \neq P$ , then  $\mu = 1$  with probability  $\pi_p$ , otherwise

# Unemployment Benefit Payments

- ▶ Two Components to UI benefits payments:
  - Income “Replacement rate”, which depends on typical and current earnings.
    - ▶  $\theta_p$  is replacement rate for partially employed (when  $(\eta, \mu) = (P, 1)$ )
    - ▶  $\theta_u$  is replacement rate for unemployed (when  $(\eta, \mu) = (U, 1)$ )
  - Lump sum bonus,  $b$ , which is the same for all recipients.

## Utility Flows, Income, and Leisure

Utility flow is  $U\left(a - a' + (1 - \tau)y(\eta, \mu), l(\eta)\right)$

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$$y(\eta, \mu) = \begin{cases} w & \text{if } (\eta, \mu) = (E, 0) \\ w \frac{h_p}{h_e} & \text{if } (\eta, \mu) = (P, 0) \\ 0 & \text{if } (\eta, \mu) = (U, 0) \\ \left( w \frac{h_p}{h_e} + w\theta_p + b \right) & \text{if } (\eta, \mu) = (P, 1) \\ (w\theta_u + b) & \text{if } (\eta, \mu) = (U, 1) \end{cases}$$

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$$l(\eta) = \begin{cases} 1 - h_e & \text{if } \eta = E \\ 1 - h_p & \text{if } \eta = P \\ 1 & \text{if } \eta = U \end{cases}$$

# Fixed Skill Heterogeneity

- ▶  $w$ , which represents a worker's skill level or income when employed full time, is fixed per person.
- ▶ Introduce income/skill heterogeneity with different 'types', indexed by  $i$ , and distinguished by  $w_i$ .

# Value Functions

$$V_i(a, s) = \max_{\eta} \left\{ \mathbb{E} \left[ \max_{a'} \{ U((1 - \tau)y_i(\eta, \mu) + a - a', l(\eta)) \right. \right. \\ \left. \left. + \beta \sum_{s'} \chi(s, s') V_i(a', s') \} \right] \right\}$$

$$\begin{aligned} \text{s.t.} \quad & \eta \in \begin{cases} \{E, P, U\} & \text{if } s = E \\ \{P, U\} & \text{if } s = P \\ \{U\} & \text{if } s = U \end{cases} \\ & 0 \leq a' \leq a + (1 - \tau)y_i(\eta, \mu) \end{aligned}$$



# Stationary Equilibrium

State of a person is  $x = (a, s)$

Stationary equilibrium consists of :

- ▶ decision rules  $c(y_d + a, s)$ ,  $a'(y_d + a, s)$ ,  $\eta'(a, s)$
- ▶ time-invariant measure  $\lambda(x)$  of people in state  $x$
- ▶ tax rate  $\tau$

Such that

1. Given the tax rate, the decision rules solve the worker's maximization problem.
2. The government's budget is balanced each period.
3.  $\lambda(x') = \lambda(x)$

## Parameterization: Transition Matrix $\chi$

- ▶ Each period is 1 month.
- ▶ Transition matrix calculated from Current Population Survey data to match pre-pandemic economy:

$$\chi = \begin{bmatrix} \chi(E, E) & \chi(E, P) & \chi(E, U) \\ \chi(P, E) & \chi(P, P) & \chi(P, U) \\ \chi(U, E) & \chi(U, P) & \chi(U, U) \end{bmatrix} = \begin{bmatrix} 0.965 & 0.017 & 0.018 \\ 0.598 & 0.343 & 0.059 \\ 0.339 & 0.057 & 0.604 \end{bmatrix}$$

- ▶ This matrix gives a stationary distribution for E, P, and U of approximately 92.6%, 2.8%, 4.6%, which is close to the actual distribution of 92.6%, 2.9%, 4.5%

## Parameterization: Working Time

- ▶  $h_e$  is set to 0.45, representing a full work week of 45 hours out of possible 100.
- ▶ And time spent for part-time work is set to  $h_p = 0.15$
- ▶ This means Part-time worker earns 1/3 of typical income before UI benefits.

## Parameterization: Skill Heterogeneity.

Quintile	1	2	3	4	5
Pre-pandemic Weekly Income	372	592	886	1280	2323
$w_i$	0.42	0.67	1	1.44	2.62

- ▶ Five types corresponding to income quintiles of for pre-pandemic weekly income.<sup>1</sup>
- ▶ Income scaled so that 886 corresponds to  $w_3 = 1$

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<sup>1</sup>From Table 1 of *US unemployment insurance replacement rates during the pandemic* (Ganong, Noel, and Vavra, 2020)

## Other Parameters

- ▶ Utility parameters:
  - Discount Rate:  $\beta = 0.9966$
  - Cobb-Douglass Exponent:  $\sigma = 0.5$
  - Risk Aversion  $\rho = 2$
- ▶ Replacement Rates:
  - $\theta_u = 1/2$
  - $\theta_p = 1/3$
- ▶ Lump sum UI bonus initially set to  $b = 0$
- ▶ Chance that choice to work reduced hours is detected:  
calibrated for simulation to  $\pi = 0.12$

## Policy Experiments in the Model

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- ▶ Compare stationary equilibria with different parameters.
- ▶ “Baseline” economy is stationary equilibrium with the parameters above.
- ▶ For “Unbalanced Budget” cases, some of the assumptions of the equilibrium are relaxed.

## Effects of *Bonus* on Aggregates

	Tax Rate	Deficit	Cons. Equiv.	Full-Time	Part-Time	Unemployed
Pre-pandemic Baseline	3.35%	0	0%	92.58%	2.8%	4.62%
Pandemic Bonus, Unbalanced Budget	3.35%	0.052	5.8%	88.91%	6.46%	4.62%
Pandemic Bonus, Balanced Budget	7.6%	0	1.5%	88.88%	6.49%	4.62%



## Effects of *Higher Replacement Rate* on Aggregates

	Tax Rate	Deficit	Cons. Equiv.	Full-Time	Part-Time	Unemployed
Pre-pandemic Baseline	3.35%	0	0%	92.58%	2.8%	4.62%
Higher RR, Unbalanced Budget	3.35%	0.018	1.7%	92.58%	2.8%	4.62%
Higher RR, Balanced Budget	4.81%	0	0.2%	92.58%	2.8%	4.62%

- Impose an elevated 70% replacement rate.

# Effects of *Transfers* on Aggregates

	Tax Rate	Deficit	Cons. Equiv.	Full-Time	Part-Time	Unemployed
Pre-pandemic Baseline	3.35%	0.0	-0.0%	92.58%	2.8%	4.62%
Pandemic Bonus, Balanced Budget	7.6%	-0.0	+1.5%	88.88%	6.49%	4.62%
Transfer to Everyone	7.39%	-0.0	+1.8%	92.58%	2.8%	4.62%
Transfer to Bottom Two Quintiles	7.39%	0.0	+4.2%	92.58%	2.8%	4.62%

- ▶ Calculate the amount of increased spending in the case with a permanent 600 dollar bonus.
- ▶ Spend the same amount of money on a lump-sum bonus to everyone, regardless of employment status.
- ▶ Do the same, but transfer only to the bottom two quintiles.

# Who Wins? Who Loses?

Quintile	% Consumption Equivalent to Welfare Change					
	1	2	3	4	5	all
Pre-pandemic Baseline	0	0	0	0	0	0
Pandemic Bonus, Unbalanced Budget	10.9	7.2	5.1	3.7	2.1	5.8
Pandemic Bonus, Balanced Budget	6.9	2.9	0.7	-0.8	-2.4	1.5
Higher RR, Unbalanced Budget	1.7	1.7	1.7	1.7	1.7	1.7
Higher RR, Balanced Budget	0.2	0.2	0.2	0.2	0.2	0.2
Transfer to Everyone	7.5	3.4	1.0	-0.6	-2.3	1.8
Transfer to Bottom Two Quintiles	21.0	13.2	-4.4	-4.4	-4.4	4.2

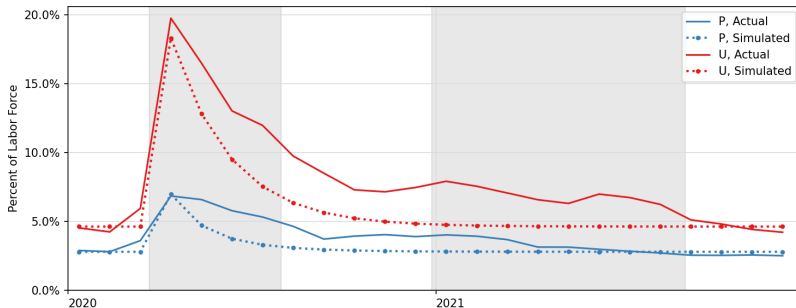
# Simulation of Pandemic Timeline

- ▶ Start in pre-pandemic stationary equilibrium.
- ▶ Iterate measure month by month. 24 periods representing 2020 and 2021.
- ▶ Represent the direct effect of the pandemic as one time shock, where transition between months 3 and 4 is:

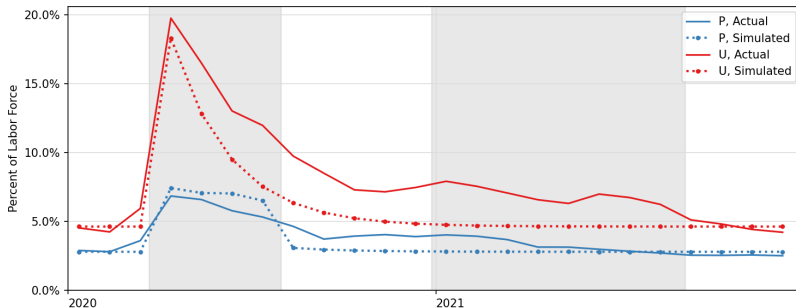
$$\chi_{shock} = \begin{bmatrix} 0.783 & 0.065 & 0.152 \\ 0.360 & 0.252 & 0.388 \\ 0.268 & 0.053 & 0.679 \end{bmatrix}$$

- ▶ Then transition process reverts to normal thereafter.
- ▶ Simulate lump sum UI bonus by updating  $b$  each period.
- ▶ Both the arrival and cessation of elevated benefits are unexpected.

# Simulation without bonus UI payments



# Simulation with bonus UI payments



## Appendix

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- ▶ Similar models without partial employment:  
(Hansen and Imrohoroglu, 1992)(Abdulkadiroglu et al., 2002)
- ▶ UI Replacement rates were effectively above 100%:  
(Ganong et al., 2020)
- ▶ Effects of expanded UI on job finding rate were small:  
(Ganong et al., 2022)(Dube, 2021)(Coombs et al., 2022)