

Effect of the temporal laser pulse asymmetry on pair production processes during intense laser-electron scattering

C I Hojbota, Hyung Taek Kim, Chul Min Kim, V B Pathak and Chang Hee Nam, Plasma Phys. Control. Fusion 60 (2018)

Notebook: Óscar Amaro, November 2022 @ [GoLP-EPP](#)

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Introduction

In this notebook we reproduce some results from the paper.

Table 1

```
In[1550]:= (* table 1 *)
Clear[τ12, τ12r, τ12f]
τ12 = 42;
τ12r = {36, 31.5, 21.5, 10.5, 6};
τ12f = {6, 10.5, 21, 31.5, 36};

(* S *)

$$\frac{\tau_{12r} - \tau_{12f}}{\tau_{12}} // N$$

Out[1554]= {0.714286, 0.5, 0.0119048, -0.5, -0.714286}
```

Figure 2

```

In[1555]:= Clear[T1, T2,  $\tau_{12r}$ ,  $\tau_{12f}$ ,  $\tau_{12}$ , sol, S, c,  $\lambda$ ,  $\omega_0$ , T, tpeak]

sol = Solve[{ $\tau_{12f} == \tau_{12} - \tau_{12r}$ ,  $S == (\tau_{12r} - \tau_{12f}) / \tau_{12}$ }, { $\tau_{12r}$ ,  $\tau_{12f}$ }]
 $\tau_{12r} = \text{sol}[[1, 1, 2]]$ 
 $\tau_{12f} = \text{sol}[[1, 2, 2]]$ 

(* physical parameters *)
c = 299 792 458; (* [m/s] *)
 $\lambda = 0.8 \times 10^{-6}$ ; (* [m] *)
 $\omega_0 = 2 \pi c / \lambda$ ; (* [s-1] *)
 $T = \frac{2 \pi}{\omega_0}$ ; (* [s] *)
 $\tau_{12} = 42$ ; (* [fs] as stated after eq 4*)

S = +0.7;
T1 = 6  $\tau_{12r}$ ;
T2 = 6  $\tau_{12f}$ ;

Tt[t_] := Piecewise[{{Cos[ $\frac{t}{T1}$ ]2 HeavisideTheta[ $\frac{\pi}{2} T1 + t$ ], t < 0},
  {Cos[ $\frac{t}{T2}$ ]2 HeavisideTheta[ $\frac{\pi}{2} T2 - t$ ], t > 0}}]

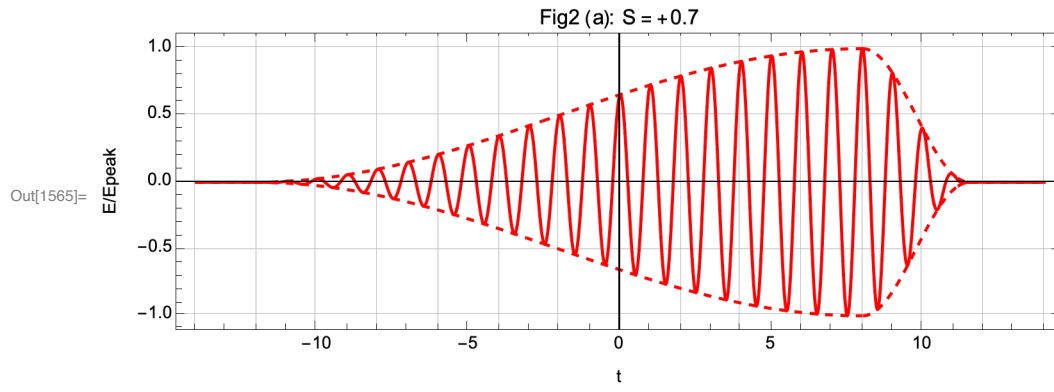
tpeak = 8;
Plot[{Tt[2  $\pi$  (tt - tpeak) T 1015] Cos[ $\omega_0$  tt T], Tt[2  $\pi$  (tt - tpeak) T 1015],
  -Tt[2  $\pi$  (tt - tpeak) T 1015]}, {tt, -14, +14}, Frame → True,
  FrameLabel → {"t", "E/Epeak"}, PlotLabel → "Fig2 (a): S = +0.7",
  PlotStyle → {Red, {Red, Dashed}, {Red, Dashed}}, AspectRatio → 1 / 3,
  GridLines → {Table[x, {x, -14, 14, 2}], {-1, -0.5, 0, 0.5, 1}}, ImageSize → 500]

Out[1556]= {{ $\tau_{12r} \rightarrow \frac{1}{2} (\tau_{12} + S \tau_{12})$ ,  $\tau_{12f} \rightarrow \frac{1}{2} (\tau_{12} - S \tau_{12})$ }}

Out[1557]=  $\frac{1}{2} (\tau_{12} + S \tau_{12})$ 

Out[1558]=  $\frac{1}{2} (\tau_{12} - S \tau_{12})$ 

```



```
In[1566]:= Clear[T1, T2,  $\tau_{12r}$ ,  $\tau_{12f}$ ,  $\tau_{12}$ , sol, S, c,  $\lambda$ ,  $\omega_0$ , T, tpeak]
```

```
sol = Solve[{ $\tau_{12f} == \tau_{12} - \tau_{12r}$ ,  $S == (\tau_{12r} - \tau_{12f}) / \tau_{12}$ }, { $\tau_{12r}$ ,  $\tau_{12f}$ }];
```

```
 $\tau_{12r} = \text{sol}[[1, 1, 2]];$ 
```

```
 $\tau_{12f} = \text{sol}[[1, 2, 2]];$ 
```

```
(* physical parameters *)
```

```
c = 299 792 458; (* [m/s] *)
```

```
 $\lambda = 0.8 \times 10^{-6}$ ; (* [m] *)
```

```
 $\omega_0 = 2 \pi c / \lambda$ ; (* [s-1] *)
```

```
 $T = \frac{2 \pi}{\omega_0}$ ; (* [s] *)
```

```
 $\tau_{12} = 42$ ; (* [fs] as stated after eq 4*)
```

```
S = -0.7;
```

```
T1 = 6  $\tau_{12r}$ ;
```

```
T2 = 6  $\tau_{12f}$ ;
```

```
Tt[t_] := Piecewise[{{Cos[ $\frac{t}{T_1}$ ]2 HeavisideTheta[ $\frac{\pi}{2} T_1 + t$ ], t < 0},
```

```
{Cos[ $\frac{t}{T_2}$ ]2 HeavisideTheta[ $\frac{\pi}{2} T_2 - t$ ], t > 0}}]
```

```
tpeak = 8;
```

```
Plot[{Tt[ $2 \pi (tt + tpeak) T 10^{15}$ ] Cos[ $\omega_0 tt T$ ], Tt[ $2 \pi (tt + tpeak) T 10^{15}$ ],
```

```
-Tt[ $2 \pi (tt + tpeak) T 10^{15}$ ]}, {tt, -14, +14}, Frame → True,
```

```
FrameLabel → {"t", "E/Epeak"}, PlotLabel → "Fig2 (b): S = -0.7",
```

```
PlotStyle → {Blue, {Blue, Dashed}, {Blue, Dashed}}, AspectRatio → 1 / 3,
```

```
GridLines → {Table[x, {x, -14, 14, 2}], {-1, -0.5, 0, 0.5, 1}}, ImageSize → 500]
```

