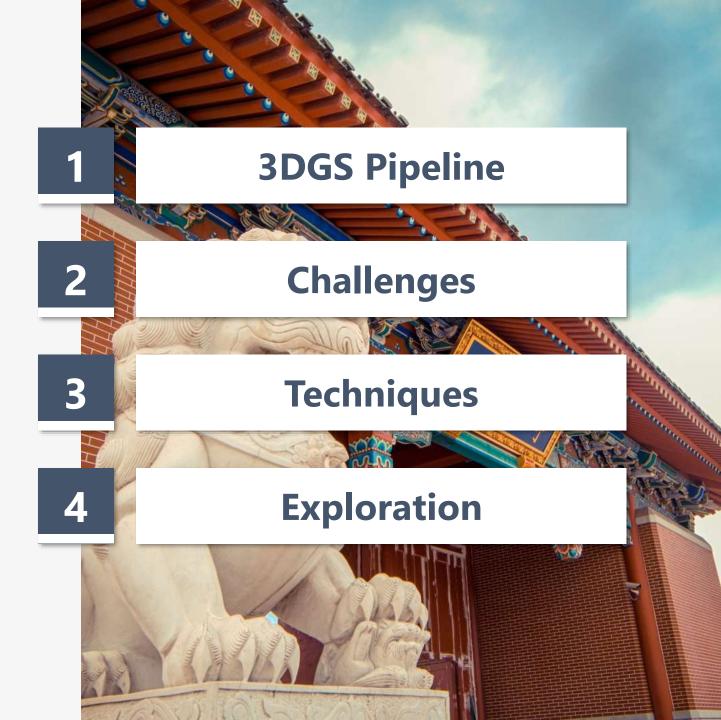




Enhance Efficiency: 3D Gaussian Splatting for Speed and Memory Optimization

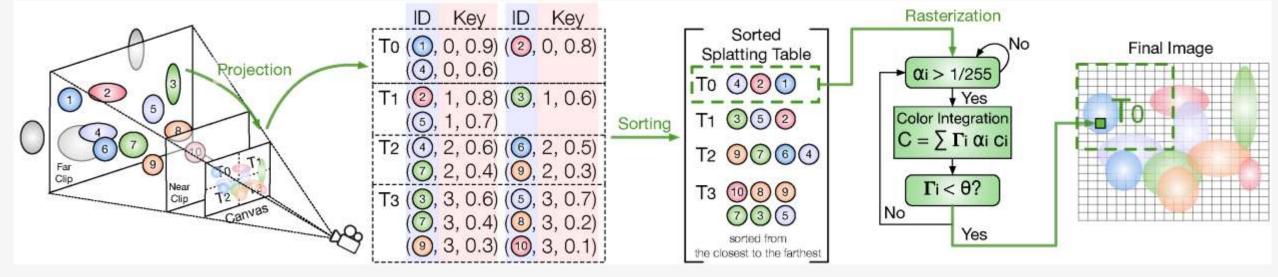






3DGS Pipeline

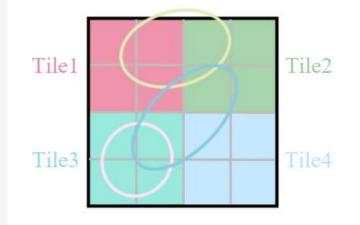




Step 1: Project 3D Gaussians into image space and replicate the Gaussians which

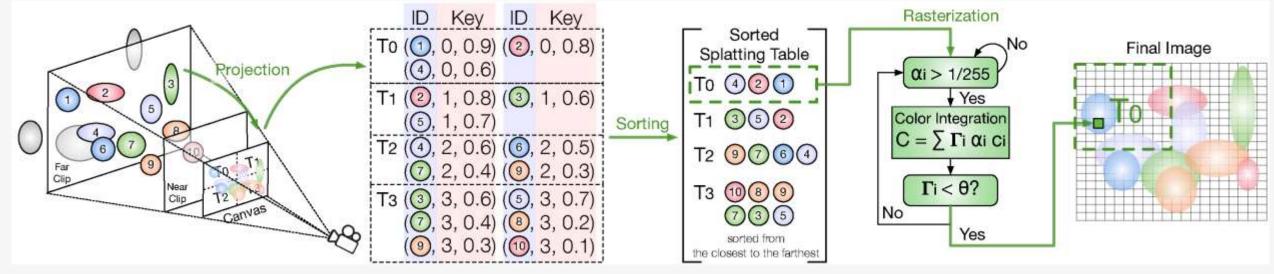
cover several tiles.

$$\Sigma' = JW \; \Sigma \; W^T J^T$$



3DGS Pipeline



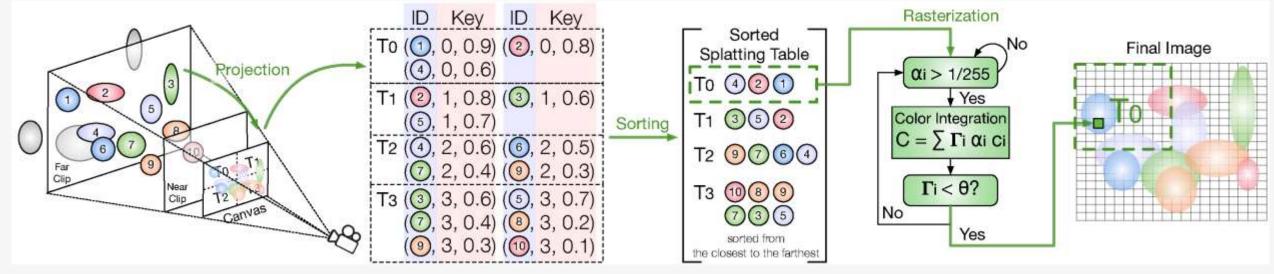


Step 2: Sort the intersected points based on their depth values, from the nearest to the farthest.



3DGS Pipeline





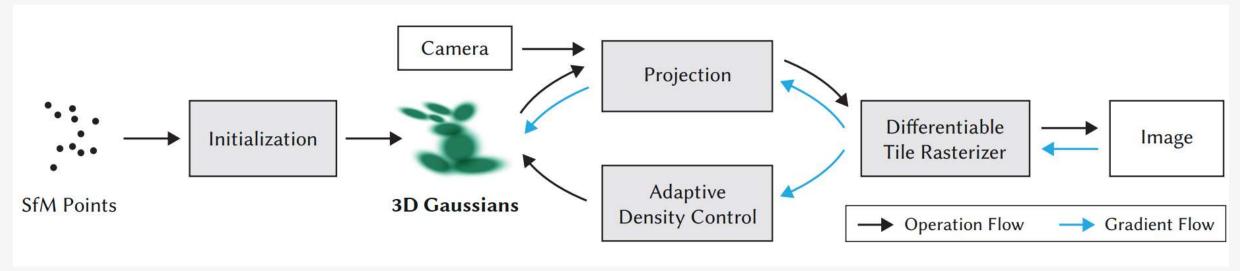
Step 3: Within each tile, render the Gaussians in the sorted order based on the radiance accumulation equation to obtain all pixels.

$$C = \sum_{i=1}^{N} T_i (1 - \exp(-\sigma_i \delta_i)) \mathbf{c}_i \quad \text{with} \quad T_i = \exp\left(-\sum_{j=1}^{i-1} \sigma_j \delta_j\right),$$



3DGS Optimization





- Optimization starts with the sparse SfM point cloud and creates a set of 3D Gaussians.
- By comparing the rendering image to the training views, optimize the properties of the Gaussians and adaptively control the density of this set of Gaussians.

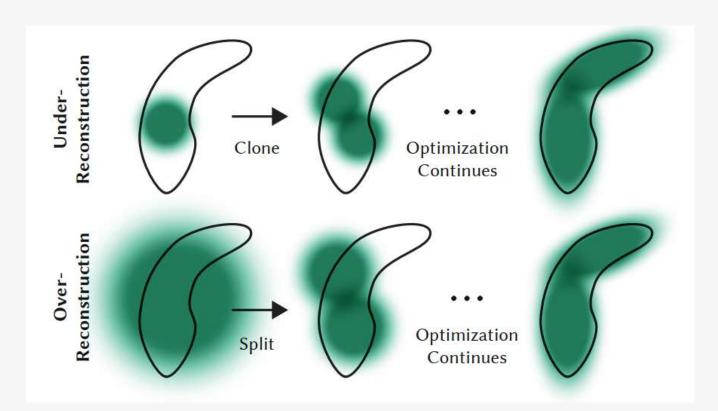


3DGS Optimization



Densification:

- For **cloning**, a copy of the Gaussian is created and moved towards the positional gradient.
- For **splitting**, a large Gaussian is replaced with two smaller ones, reducing their scale by a specific factor.





3DGS Optimization



Pruning:

- Eliminate Gaussians that are virtually **transparent** (with α below a specified threshold) and those that are **excessively large** in either world-space or view-space.
- In Gaussian density **near input cameras**, the alpha value of the Gaussians is set close to zero after a certain number of iterations.

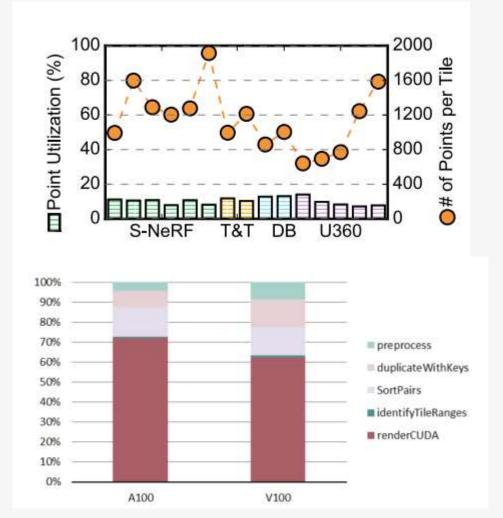


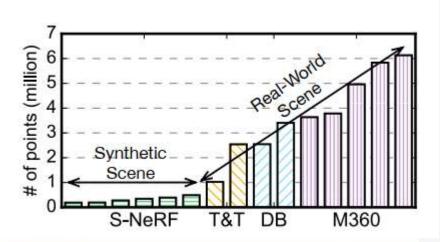
3DGS Challenges



- A large number of Gaussians, but only a small fraction of them are truly

useful.







3DGS Challenges



- A large number of Gaussians, but only a small fraction of them are truly useful.
- High-degree spherical harmonics (SH) coefficients. (16 * 3 for a splat)

Table 1. Paramet	ers for 3D	Gaussian.
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Parameter	Symbol	Size	Note
Position (mean)	μ	3	3D vector (x, y, z)
Scale	S	3	3D vector (x, y, z)
Rotation (quaternion)	q	4	scalar + 3D vector (i, j, k)
Opacity	o	1	scalar
SH coefficients	sh	48	4 bands of SH; (1+3+5+7)×3
Total (per Gaussian)		59	

Memory	4GB 64-bit LPDDR4 25.6GB/s
Storage	16GB eMMC 5.1
Video Encode	1x 4K30 (H,265) 2x 1080p60 (H,265)
Video Decode	1x 4K60 (H.265) 4x 1080p60 (H.265)
CSI Camera	Up to 4 cameras I2 lanes MIPI CSI-2 D-PHY L1 (up to 18 Gbps)
PCie*	1 x4 (PCle Gen2)
usa•	1x USB 3.0 (5 Gbps) 3x USB 2.0

Scene		bicycle		bonsai			drjohnson			playroom		
Method	PSNR	Storage	Mem.	PSNR	Storage	Mem.	PSNR	Storage	Mem.	PSNR	Storage	Mem.
3DGS	25.08	1.4 GB	9.4 GB	32.16	295 MB	8.7 GB	29.06	774 MB	7.5 GB	29.87	553 MB	6.4 GB





LightGaussian

- 1. Gaussian Pruning and Recovery.
- 2. SH Distillation.
- 3. Vector Quantization.

Exp#	Model	FPS↑	Size↓	PSNR↑	SSIM↑	LPIPS↓
[1]	Baseline (3D-GS [32])	192.05	353MB	31.68	0.926	0.200
[2]	+ Gaussian Pruning.	312.30	116MB	30.32	0.911	0.222
[3]	+ Co-adaptation	303.99	116MB	31.85	0.925	0.206
[4]	+ SH Compactness.	318.97	77MB	30.54	0.914	0.217
[5]	+ Distillation	304.20	77MB	31.47	0.922	0.211
[6]	+ Pseudo-views	300.60	77MB	31.59	0.923	0.211
[7]	+ Codebook Quant.	300.60	20MB	31.16	0.915	0.218
[8]	+ VQ finetune	300.60	20MB	31.67	0.923	0.212
[9]	LightGaussian (Ours)	300.60	20MB	31.67	0.923	0.212



Gaussian Pruning and Recovery:

$$GS_{j} = \sum_{i=1}^{MHW} \mathbb{1}(G(\boldsymbol{X}_{j}), r_{i}) \cdot \sigma_{j} \cdot \gamma(\boldsymbol{\Sigma}_{j}),$$
(3)

where j is the Gaussian index, i means a pixel, M, H, and W represents the number of training views, image height, and width, respectively. 1 is the indicator function that determines whether a Gaussian intersects with a given ray.

$$\gamma(\Sigma) = (V_{\text{norm}})^{\beta},$$

$$V_{\text{norm}} = \min\left(\max\left(\frac{V(\Sigma)}{V_{\text{max}90}}, 0\right), 1\right).$$
(4)

Here, the calculated Gaussian volume is firstly normalized by the 90% largest of all sorted Gaussians, clipping the range between 0 and 1, to avoid excessive floating Gaussians derived from vanilla 3D-GS. The β is introduced to provide additional flexibility.



SH distillation:

Distill the knowledge from the high-degree teacher model to the low-degree student model.

Note: Distillation involves training the Gaussians not only to represent **known views** but also to learn views from **unseen(pseudo) views**.

$$\mathcal{L}_{ ext{distill}} = rac{1}{HW} \sum_{i=1}^{HW} \left\| \boldsymbol{C}_{ ext{teacher}}(r_i) - \boldsymbol{C}_{ ext{student}}(r_i) \right\|_2^2.$$

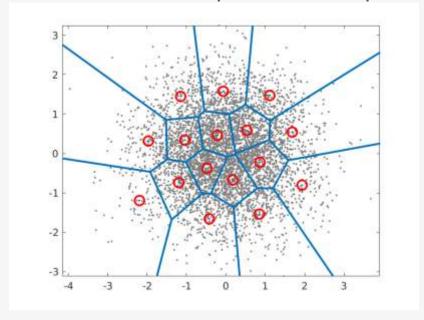


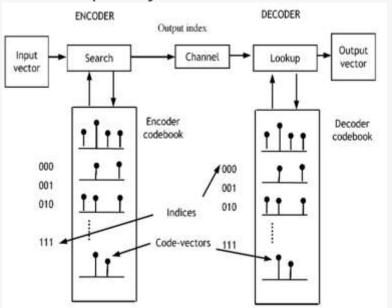


Vector quantization:

Assumption: that a subgroup of 3d gaussians typically exhibits a similar appearance.

- 1. Compress the **least significant elements** in the SHs,
- 2. but store Gaussian's position, shape, rotation, and opacity attributes in the float16 format.









LightGaussian

- 1. Gaussian Pruning and Recovery.
- 2. SH Distillation.
- 3. Vector Quantization.

Exp#	Model	FPS↑	Size↓	PSNR↑	SSIM↑	LPIPS↓
[1]	Baseline (3D-GS [32])	192.05	353MB	31.68	0.926	0.200
[2]	+ Gaussian Pruning.	312.30	116MB	30.32	0.911	0.222
[3]	+ Co-adaptation	303.99	116MB	31.85	0.925	0.206
[4]	+ SH Compactness.	318.97	77MB	30.54	0.914	0.217
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[9]	LightGaussian (Ours)	300.60	20MB	31.67	0.923	0.212



EfficientGS:

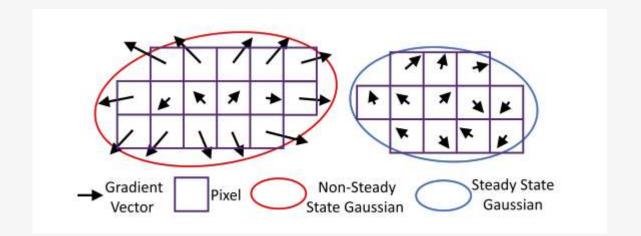
- 1. A selective densification strategy.
- 2. A pruning strategy.
- 3. A sparse SH order increment strategy.





1. A selective densification strategy.

They only clone and split non-steady Gaussians.



$$\mathbf{E}_g = \frac{\sum_{I \in M}^M (|\sum (\vec{\nabla}_{p_I}^g)|)}{|M|},$$



$$\mathbf{S}_g > \tau_s, \mathbf{S}_g = \frac{\sum_{I \in M}^{M} (\sum (|\vec{\nabla}_{p_I}^g|))}{|M|},$$





2. A pruning strategy.

They calculate the weight of a Gaussian when contributing to the pixel p:

weight_pⁱ =
$$\alpha_i \prod_{j=1}^{i-1} (1 - \alpha_j), g_i \in \mathcal{N}_p$$
.

$$C_p = \sum_{i \in \mathcal{N}_p} c_i \alpha_i \prod_{j=1}^{i-1} (1 - \alpha_j),$$

For each ray, they regard the Gaussians with top-K weights as dominant:

$$weight_p^g \ge sort(\{-weight_p^j, g_j \in \mathcal{N}_p\})[K].$$

As long as a Gaussian is not dominant for any certain pixel, the Gaussian will be deleted.





3. A sparse SH order increment strategy.

They selectively increase the SH order for only those Gaussians with large difference.

The view-based color difference is calculated as:

$$d_k = \sum_{p=1}^{NHW} \mathbb{1}(k \in \mathcal{N}_p) weight_p^k | C_p - C_p^{gt} |,$$





- 1. A selective densification strategy. (SD)
- 2. A pruning strategy. (GP)
- 3. A sparse SH order increment strategy. (SOI)

SD	GP	SOI	SSIM	PSNR	LPIPS	Train	FPS	Storage	Peak GPU↓
		-	0.812	27.48	0.222	25m57s	125	742MB	12.8G
1			0.820	27.53	0.202	24m02s	140	544MB	11.0GB
1	1		0.821	27.48	0.209	20m42s	229	259MB	10.9GB
1	1	1	0.817	27.38	0.216	19m41s	218	98MB	8.8GB







3DGS Techniques: GaussianSpa



Weakness of before methods:

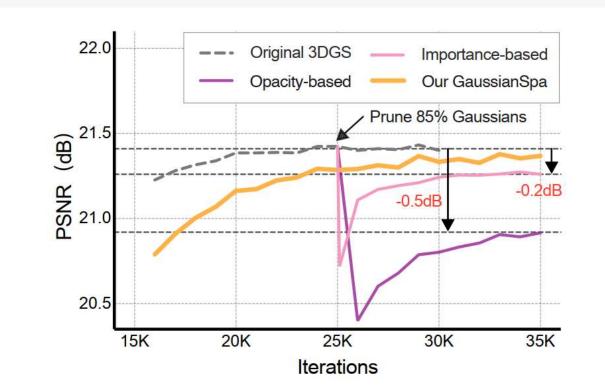


Figure 2. **PSNR curves of human-crafted criteria-based pruning methods.** All methods remove 85% of the Gaussians at iteration 25K.



3DGS Techniques: GaussianSpa



Innovations:

Formulate 3DGS simplification as a constrained optimization problem **under a target number of Gaussians.**

Optimizing Step:

$$\min_{\boldsymbol{a},\boldsymbol{\Theta}} \mathcal{L}(\boldsymbol{a},\boldsymbol{\Theta}) + \frac{\delta}{2} \|\boldsymbol{a} - \boldsymbol{z} + \boldsymbol{\lambda}\|^2.$$

Sparsifying Step:

$$\min_{\boldsymbol{z}} h(\boldsymbol{z}) + \frac{\delta}{2} \|\boldsymbol{a} - \boldsymbol{z} + \boldsymbol{\lambda}\|^2.$$

$$z \leftarrow \operatorname{prox}_h(a + \lambda).$$



3DGS Techniques: GaussianSpa



Malad		Mip-No	eRF 360			Tanks&	Temples			Deep E	Blending	
Method	PSNR↑	SSIM↑	LPIPS↓	#G/M↓	PSNR↑	SSIM↑	LPIPS↓	#G/M↓	PSNR↑	SSIM↑	LPIPS↓	#G/M↓
3DGS [25]	27.45	0.810	0.220	3.110	23.63	0.850	0.180	1.830	29.42	0.900	0.250	2.780
CompactGaussian [29]	27.08	0.798	0.247	1.388	23.32	0.831	0.201	0.836	29.79	0.901	0.258	1.060
LP-3DGS-R [54]	27.47	0.812	0.227	1.959	23.60	0.842	0.188	1.244	_	27—12 27—27	-	07 (= 5 s) 0 (== 2 s)
LP-3DGS-M [54]	27.12	0.805	0.239	1.866	23.41	0.834	0.198	1.116	-	-	-	=
EAGLES [22]	27.23	0.809	0.238	1.330	23.37	0.840	0.200	0.650	29.86	0.910	0.250	1.190
Mini-Splatting [20]	27.40	0.821	0.219	0.559	23.45	0.841	0.186	0.319	30.05	0.909	0.254	0.397
Taming 3DGS [34]	27.31	0.801	0.252	0.630	23.95	0.837	0.201	0.290	29.82	0.904	0.260	0.270
CompGS [38]	27.12	0.806	0.240	0.845	23.44	0.838	0.198	0.520	29.90	0.907	0.251	0.550
GaussianSpa	27.85	0.825	0.214	0.547	23.98	0.852	0.180	0.269	30.37	0.914	0.249	0.335
Gaussianspa	27.03	0.025	0.214	0.347	23.70	0.032	0.100	0.209	30.33	0.912	0.254	0.256

Method	PSNR↑	SSIM↑	LPIPS↓	Storage
EfficientGS [31]	27.38	0.817	0.216	98 MB
LightGaussian [19]	27.28	0.805	0.243	42 MB
GaussianSpa	27.85	0.825	0.214	25 MB

Table 2. Storage comparison evaluated on the Mip-NeRF 360 dataset. GaussianSpa's storage cost is reported based on the addon compression methods (i.e., SH distillation and vector quantization) from LightGaussian [19].



3DGS Techniques: Summary



- 1. Remove a certain number of Gaussians:
 - a. pruning and sampling aim to discard unimportant Gaussians by opacity, hit count, dominant primitives.
 - b. formulate it as an optimization problem.

2. Avoid redundancy computations in duplicating gaussians, sorting, rendering....

3. Compression methods like VQ, distillation, mixed precision computation....



3DGS Exploration



Observation:

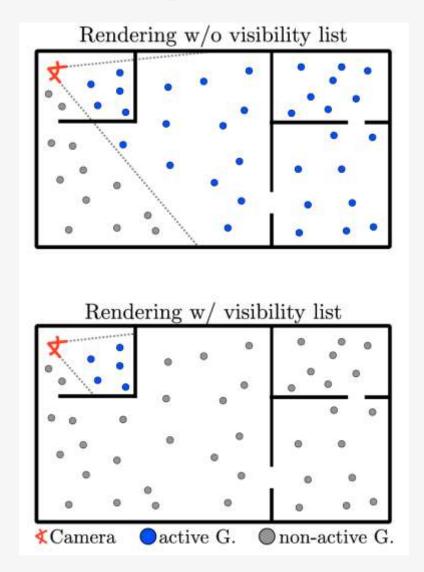
Between two distant frames, the number of Gaussian points shared for rendering images is limited.

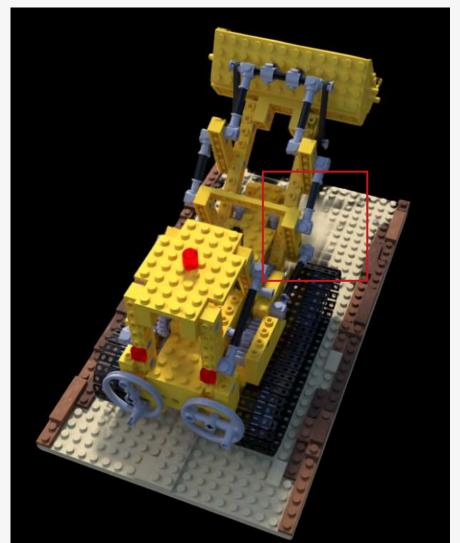
Frame	Ratio
0 & 9	0.77 0.81
8 & 9	0.97 0.96
17 & 9	0.71 0.61
10 & 0	0.75 0.75
20 & 0	0.40 0.36
30 & 0	0.22 0.14



3DGS Exploration







3DGS Techniques: Exploration



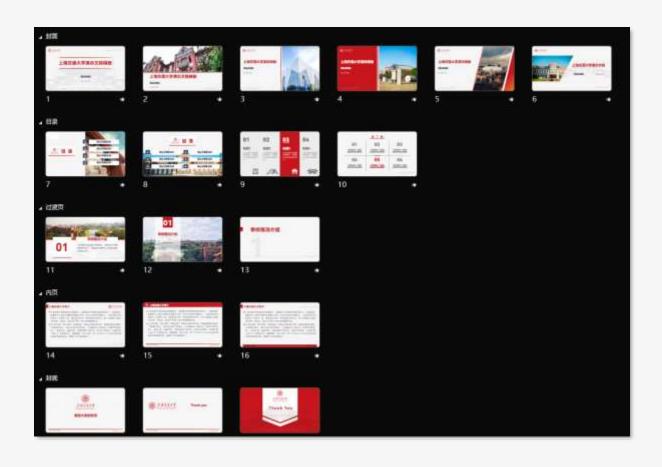
- How should the division into clusters be performed?
- When only a part of the Gaussian point cloud is loaded, is it possible to perform some fine-tuning? If so, how can we ensure the consistency of shared Gaussian points across different clusters?
- Can further optimizations be achieved by leveraging the division into clusters?

• • •









封面版式: 6个

目录版式: 4个

过渡页版式: 3个

内页版式: 3个

封底版式: 3个

空白页: 1个





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