

Coding Arena<C*deVita/>
the TCS Coding Contest

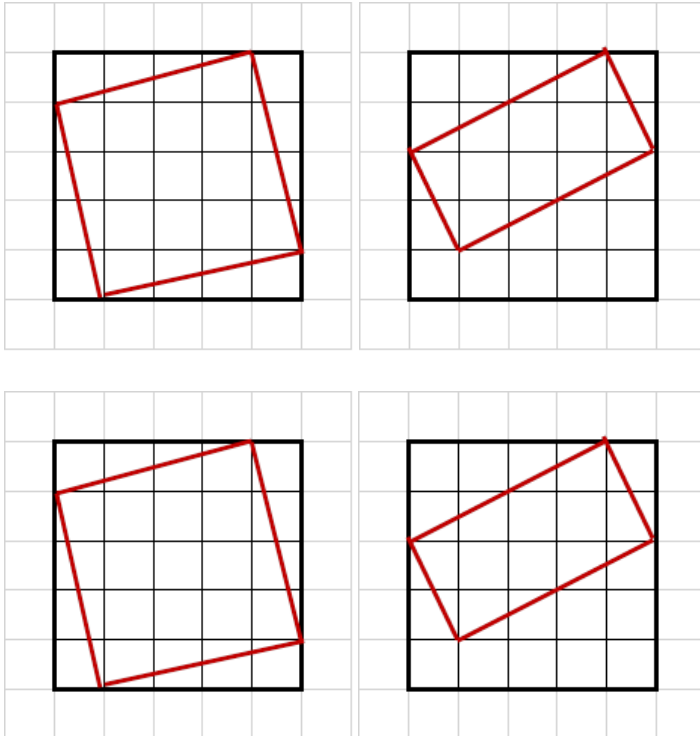
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Time Left

06 00 00
hr min secA B C D E F G H**Problem : Counting Rectangles**

Consider a grid of $N \times N$ squares. There are $(N+1) \times (N+1)$ grid points (corners of the squares). We need to count the number of rectangles (including squares) that can be formed with vertices at these grid points.

Note that the rectangles may not be aligned to the sides of the squares in the grid. For example, the figure below gives an example of two of these "oblique" rectangles in a 5×5 (or larger) grid of squares.

**Input Format:**

The input has one line with a positive integer, N , which is the number of squares per side of the grid.

Output Format:

The output is one line with the total number of rectangles that can fit into the grid.

Constraints:

$$L \leq R \leq 10^6$$

Example 1

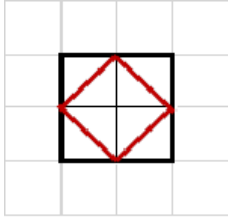
Input
2

Output
10

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Explanation

The input says that $N=2$, and we are considering a 2 square X 2 square grid. Consider the "straight" rectangles (with sides aligned to the sides of the grid). There are 4 1×1 squares, 4 2×1 rectangles (including all orientations) and 1 2×2 square, a total of 9 rectangles. There is one "oblique" square pictured below.

**Example 2**

Input

3

Output

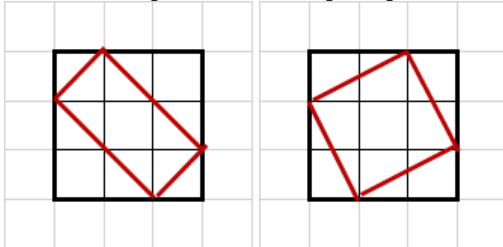
44

Explanation

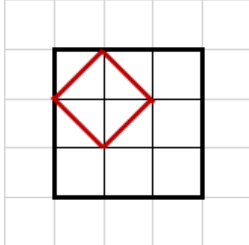
The input says $N=3$, and we are considering a 3 square by 3 square grid.

As before, if we consider the "straight" rectangles first. There are 9 1×1 squares, 4 2×2 squares and 1 3×3 square. If we consider 2×1 rectangles, there are 6 with the longer side parallel to the x axis, and 6 with the shorter side parallel to the x axis. If we consider 3×1 rectangles, there are 3 with the longer side parallel to the x axis and 3 with the shorter side parallel to the x axis. If we consider 3×2 rectangles, there are 2 with the longer side parallel to the x axis, and 2 with the longer side parallel to the y axis.

If we look at oblique rectangles, there are two types which have vertices on the 3×3 square. Each may be reflected around a vertical line through the middle of the grid to get a different rectangle, a total of 4.



We also have the oblique square embedded in a 2×2 grid that we looked at in Example 1. This can be embedded in a 3×3 square (see figure below). There are 4 ways to do this (embedding a 2×2 square in a 3×3 square).



The total number of rectangles is $9 + 4 + 1$ (squares) + $12 + 6 + 4$ (straight rectangles) + 4 (oblique with vertices on outside square) + 4 (from embedded 2×2 square) = 44 rectangles. Hence the output is 44.

Note:

Please do not use package and namespace in your code. For object oriented languages your code should be written in one class.

Note:

Participants submitting solutions in C language should not use functions from `<conio.h>` / `<process.h>` as these files do not exist in gcc

Note:

For C and C++, return type of `main()` function should be `int`.

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