

# INTRODUCTION TO MATLAB® WORKSHOP FOR CHEMICAL ENGINEERING STUDENTS

- Instructor: Sina Ghanbari
- Kimia Scientific Group - Chemical & Petroleum Department
- Sharif University of Technology
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# INTRODUCTION

- MATLAB is a matrix-based tool for numerical computations. It's very powerful and easy to use.
- Both programming language and interactive environment!
- Lots of available toolboxes





# ADVANTAGES AND DISADVANTAGES

## Advantages

**User-Friendly**

**Rich Functionality**

**Powerful Visualization**

**Community and Resources**

## Disadvantages

**Cost (Excludes Toolboxes)**

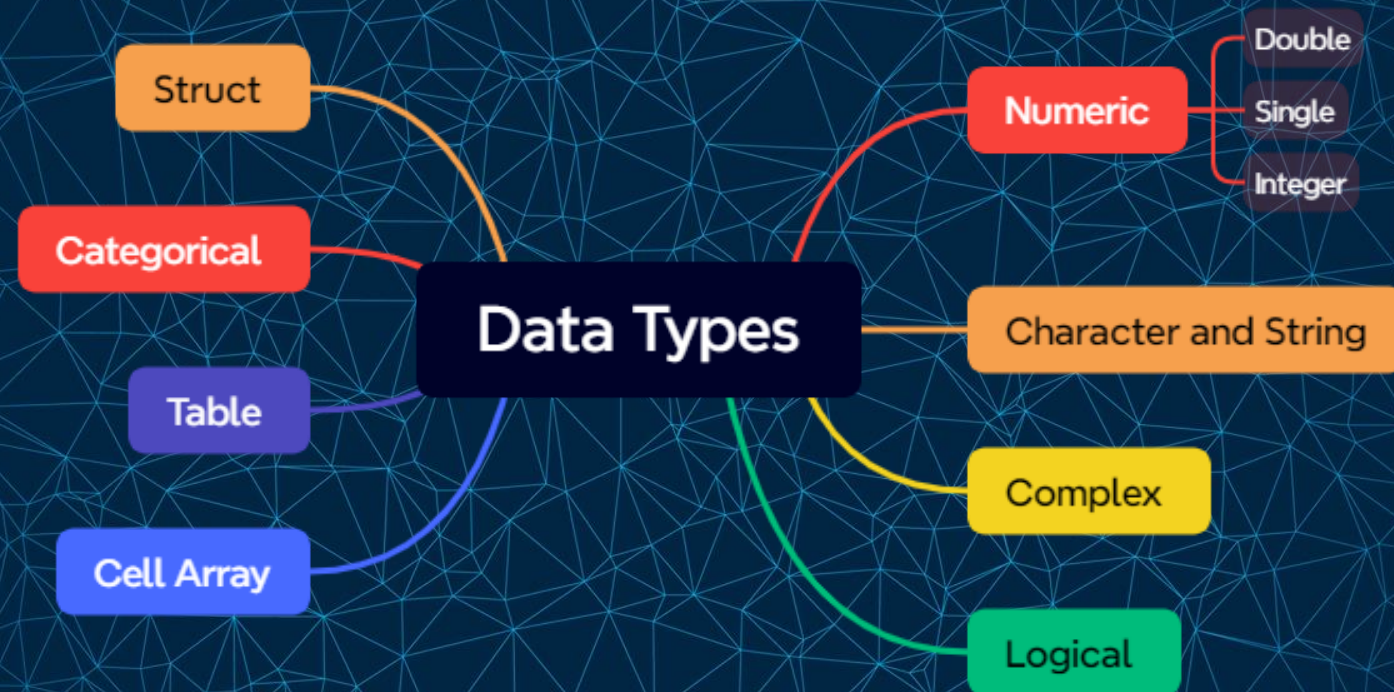
**Resource Intensive**

**Lack of Speed**

**Not Ideal for Large-Scale  
Projects**









# BASIC COMMANDS



# BASIC COMMANDS FOR WORKSPACE

- **who, whos** current workspace vars.
- **clear all** clear workspace vars.
- **close all** close all figures
- **clc** clear screen
- **clf** clear figure
- **class(x)** show the data type of 'x'
- **disp(x)** Show 'x' to user
- **input(x)** **Input 'x' from user**





## BASIC OPERATION COMMANDS

- **%** used to denote a comment
- **%%** used to divide your code into several sections
- **;** suppresses display of value (when placed at end of a statement)
- **...** continues the statement on next line
- **eps** machine epsilon
- **inf** machine infinity
- **realmin** Smallest positive floating-point number
- **Realmax** Largest positive floating-point number
- **NaN** not-a number, e.g., 0/0.





# MATHEMATICAL COMMANDS

- Mathematical functions: **sqrt(x)**, **exp(x)**, **cos(x)**, **sin(x)**, **log(x)**, **log10(x)**, **log2(x)**, **asin(x)**, **acos(x)**, **sec(x)**, **sinh(x)**, **cosh(x)**, etc.
- Operations: **+** **-** **\*** **/** **^** **'**
- Constants: **pi**, **exp(1)**,





# LOGICAL CONDITIONS

- `==`, `<`, `>`, `<=`, `>=`, `~=` (not equal), `~` (not)
- `&` (element-wise logical and), `|` (or)
- **`find('condition')`** – Return indices of A's elements that satisfies the condition.





## NOTE FOR NAMING M-FILES

- ✓ M-file names must start with an alphabetic character, may contain any alphanumeric characters or underscores, and must be no longer than the maximum allowed M-file name length(63 character).
- ✓ Never use blank space in the file name.
- ✓ Use ( \_ ) instead of space or ( - )





# NUMERIC & MATRICES



## VECTORS & MATRICES

- `v = [-4 8 0 2.5 -1.5];` % length 5 row vector.
- `v = v';` % transposes v.
- `v(1);` % first element of v.
- `v = 4:-1:2;` % same as `v=[4 3 2];`
- `a=1:3;b=2:3;c=[a b];` → `c = [1 2 3 2 3];`





- **`x = linspace(-pi,pi,10);`** % creates 10 linearly-spaced elements from  $-\pi$  to  $\pi$ .
- **`logspace`** is similar.
- **`A = [1 2 3; 4 5 6];`** % creates 2x3 matrix
- **`A(1,2)`** % the element in row 1, column 2.
- **`A(:,2)`** % the second column.
- **`A(2,:)`** % the second row.





- **A+B, A-B, 2\*A,** % matrix addition, matrix subtraction, scalar multiplication
- **A.\*B** % element-by-element multiple
- **A./B** % element-by-element div.
- **A'** % transpose of A (complex-conjugate transpose)
- **dot(A,B)** % dot product of A & B
- **A\*B** % cross product of A & B
- **det(A)** % determinant of A
- **inv(A)** % inverse matrix of A





- **diag(v)** % change a vector v to a diagonal matrix.
- **diag(A)** % get diagonal of A.
- **eye(n)** % identity matrix of size n.
- **zeros(m,n)** % m-by-n zero matrix.
- **ones(m,n)** % m\*n matrix with all ones.
- **Randi([a, b], m,n)** % Create a m\*n matrix with random variables from a to b





## MORE MATRICES/VECTOR OPERATION

- **length(v)** % determine length of vector.
- **size(A)** % determine size of matrix.
- **rank(A)** % determine rank of matrix.
- **find(A)** % determine indices of non-zero elements
- **sum(A)** % determine sum of elements
- **max(A)** % determine maximum element
- **min(A)** % determine minimum element
- **mean(A)** % determine mean of elements
- **sort(A)** % sort element from minimum to maximum value

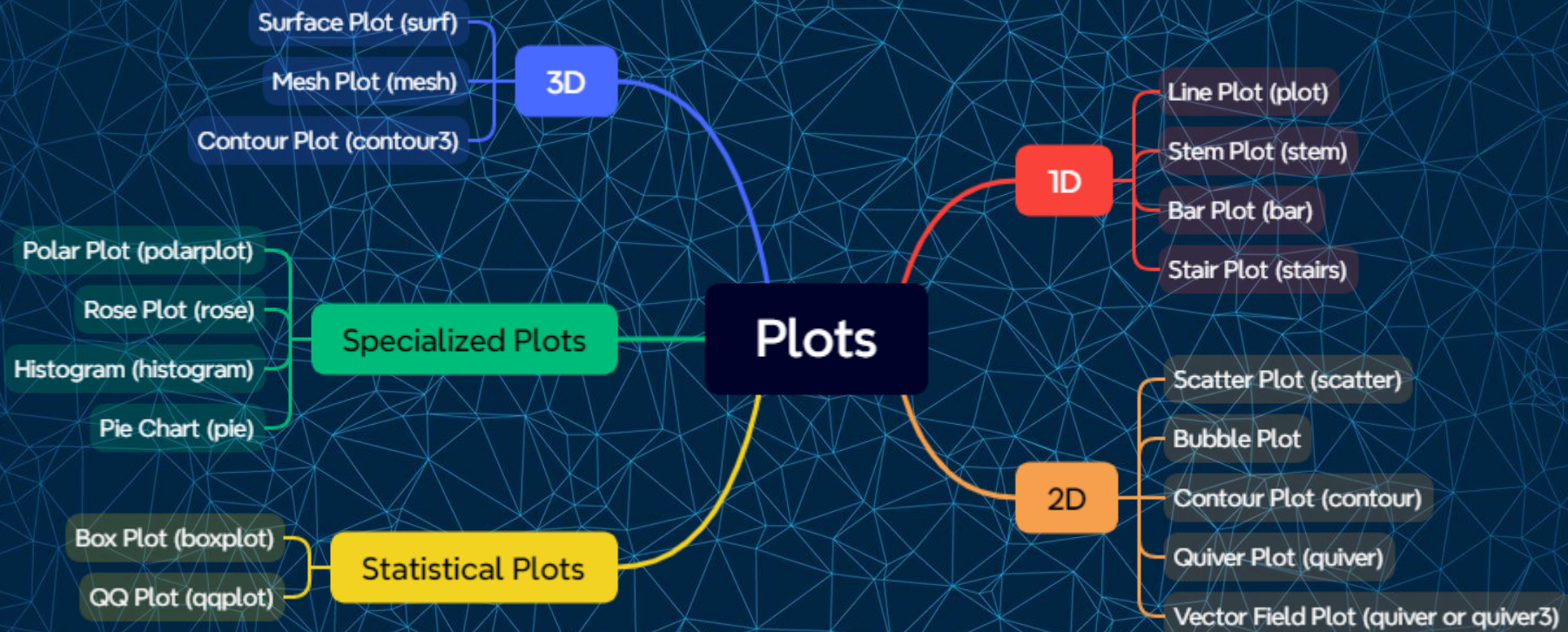




# PLOTTING

An abstract network diagram consisting of numerous blue dots (nodes) connected by thin, light blue lines (edges). The nodes are distributed across the right half of the image, with a higher density in the lower right quadrant. The lines form a complex, web-like structure that fills the right side of the frame.







# PLOTTING COMMON SYNTAX

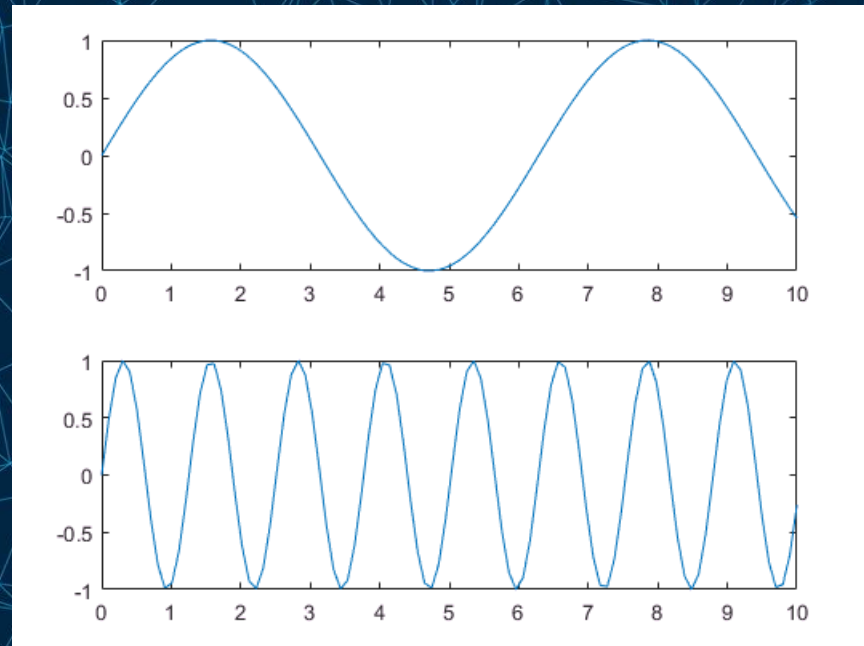
- `figure` % new figure window
- `grid on` % Turn on gridlines
- `xlabel(" ")` % add label to axis x
- `ylabel(" ")` % add label to axis y
- `xlim([a,b])` % set limits to axis x
- `ylim([c,d])` % set limits to axis y
- `title('name','FontSize',22)` % title of figure
- `hold on` % retains current figure when adding new stuff
- `hold off` % restores to default (no hold on)
- `loglog(x,y)` % plot y & x on log scale
- `text(x,y,'text')` % place text at position x,y





# MERGE MULTIPLE PLOTS INTO ONE FIGURE

```
subplot(2,1,1);  
x = linspace(0,10);  
y1 = sin(x);  
plot(x,y1)  
subplot(2,1,2);  
y2 = sin(5*x);  
plot(x,y2)
```





# EXTRA

| Character color | Character symbol   | character line style |
|-----------------|--------------------|----------------------|
| b blue .        | . point            | - solid              |
| g green         | o circle           | : dotted             |
| r red           | x x-mark           | -. dashdot           |
| c cyan          | + plus             | -- dashed            |
| m magenta       | * star             |                      |
| y yellow        | s square           |                      |
| k black         | d diamond          |                      |
|                 | v triangle (down)  |                      |
|                 | ^ triangle (up)    |                      |
|                 | < triangle (left)  |                      |
|                 | > triangle (right) |                      |
|                 | p pentagram        |                      |
|                 | h hexagram         |                      |





# CONTROL FLOW

An abstract network diagram consisting of numerous blue dots (nodes) connected by thin, light blue lines (edges). The nodes are distributed across the right half of the image, with a higher density of connections and nodes on the right side, creating a complex web-like structure that suggests a flow or a network.



## LOOPS - FOR

We use “**for**” to repeat a particular command number of times!

A = matrix that defined by user

for i = A

    Statement

end





## LOOPS - WHILE

We use “**while**” to repeat a particular command number of times, even infinite!

A = Number that defined by user

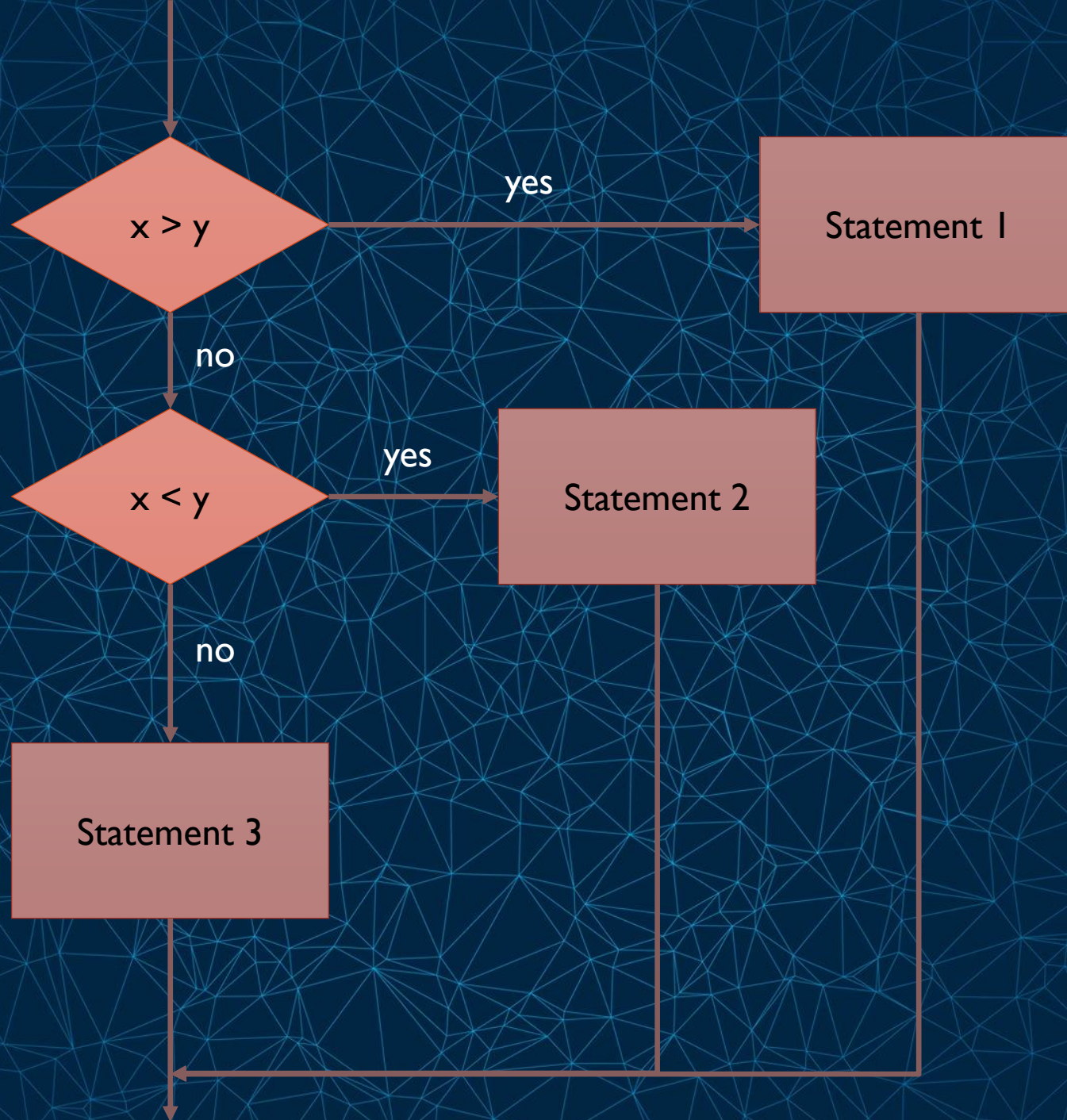
while I < A

    Statement

end









# CONDITIONAL STATEMENTS

## IF/ELSE/ELSEIF

A = number that defined by user

B = another number that defined by user

If  $i = A$

    Statement 1

elseif  $i = B$

    Statement 2

else

    Statement 3

end





# CONDITIONAL STATEMENTS SWITCH/CASE/OTHERWISE

```
switch i
    case A
        statement 1
    case B
        statement 2
    otherwise
        statement 3
end
```





## BREAK/CONTINUE

- **break** – terminates execution of for and while loops. For nested loops, it exits the innermost loop only.
- **continue** - passes control to the next iteration of a for or while loop





## EXAMPLE I: BMI CALCULATOR

Write a program that gets height and weight from user, then calculates his BMI and shows his fat region.

|                          |                                  |                             |                                  |                                 |                          |
|--------------------------|----------------------------------|-----------------------------|----------------------------------|---------------------------------|--------------------------|
| $< 18.5$<br>Under Weight | $18.5 < < 24.9$<br>Normal Weight | $25 < < 29.9$<br>Overweight | $30 < < 34.9$<br>Obese (Class I) | $35 < < 39.9$<br>Obese (Class2) | $40 <$<br>Obese (Class3) |
|--------------------------|----------------------------------|-----------------------------|----------------------------------|---------------------------------|--------------------------|





# FUNCTIONS

An abstract network diagram consisting of numerous blue dots (nodes) connected by thin, light blue lines (edges). The nodes are distributed across the right half of the image, with a higher density of connections and nodes on the right side, creating a complex web-like structure that fades into the dark blue background.



# FUNCTION FILE

```
function [output] = function_name(input variables)  
statement  
end
```





# SYMBOLIC FUNCTION

`syms x,y`

`f = function equation`

`subs(f,{x,y},{value of x, value of y})`





## EXAMPLE2 : ANTOINE EQUATION

Chemical Engineers uses Antoine equation to calculate saturated pressure using given temperature and vice versa. Antoine equation is written as follows:

$$\log(P) = A - \frac{B}{T + C} \quad (\text{Pressure form})$$

$$T = \frac{B}{A - \log(P)} - C \quad (\text{Temperature form})$$

- Write a function that gets saturated pressure or temperature from user and returns saturated pressure or temperature. Then, Calculate the saturate pressure and temperature for a certain substance in 80 °C and 500 mmHg.

| A     | B       | C       |
|-------|---------|---------|
| 8.043 | 1582.27 | 239.726 |





# COMMON NUMERICAL AND ANALYTICAL CALCULATIONS WITH MATLAB



# POLYNOMIALS

- How to define a polynomial in MATLAB?

$$f(x) = ax^n + bx^{n-1} + cx^{n-2} + \dots + d \Rightarrow \text{coeff} = [a, b, c, \dots, d]$$

- `polyval(coeff,m)` assign “m” instead of “x”
- `roots(coeff)` Solve  $f(x) = 0$
- `polyfit(x,y,n)` Fit a “n<sup>th</sup>” order polynomial





## EXAMPLE 3

The following table shows measurements of reaction temperature versus time. Determine the 1<sup>st</sup> – order, 2<sup>nd</sup> – order, 4<sup>th</sup> – order, and 8<sup>th</sup>-order polynomials to represent this data and reaction temperature when  $t = 4.26$  hr.

|          |      |      |      |      |      |      |      |      |
|----------|------|------|------|------|------|------|------|------|
| t (hour) | 1    | 2    | 3    | 4    | 5    | 6    | 7    | 8    |
| T (°C)   | 50.8 | 54.4 | 55.1 | 57.6 | 61.2 | 59.5 | 54.6 | 53.5 |





## EXAMPLE 4

The van der Waals equation can be rearranged as:

$$Pv^3 - (bP + RT)v^2 + av - ab = 0$$

In this equation,  $v$  is represented as specific volume,  $R = 0.082054 \text{ lit.atm}/(\text{mol.K})$ ,  $a = 3.592$  &  $b = 0.04267$  (for  $\text{CO}_2$ ).

- Find the specific volume of  $\text{CO}_2$  when  $P = 12 \text{ atm}$ ,  $T = 315.6 \text{ K}$





# DERIVATIVE AND INTEGRATION

- `diff(f)` Calculate the analytical derivative of  $f$
- `Int(f)` Calculate the analytical integration of  $f$
- `trapz(x,y)` Calculate the numerical integration (trapezoidal method)





## EXAMPLE 5

In a chemical process, the concentration of a reactant A,  $C_A$ , as a function of time  $t$  is given by the function:

$$C_A(t) = \frac{2t^3 - 5t^2 + 3t}{t^2 + 2t + 1}$$

- Calculate the rate of change of  $C_A$  with respect to time  $t$ . This represents the rate of consumption or production of reactant A. Calculate this rate at  $t=4.5$  min.
- Determine the total amount of reactant A consumed or produced over a given time interval by computing the definite integral of  $C_A(t)$  over that interval. Calculate this value from  $t=0$  min to  $t=5$  min.





## EXAMPLE 6

Total mass of a bar with inhomogeneous density is obtained from this equation:

$$m = \int_0^L \rho(x) A(x) dx$$

that  $m$  is represented as mass of bar,  $\rho(x)$  as density,  $A(x)$  as Area,  $L$  as total length of bar. This table contains the data for a 10 m bar. Calculate the total mass of bar (kg).

|                             |      |      |      |     |     |      |     |
|-----------------------------|------|------|------|-----|-----|------|-----|
| x, m                        | 0    | 2    | 3    | 4   | 6   | 8    | 10  |
| $\rho$ , gr/cm <sup>3</sup> | 4.00 | 3.95 | 3.89 | 3.8 | 3.6 | 3.41 | 3.3 |
| A, cm <sup>2</sup>          | 100  | 103  | 106  | 110 | 120 | 133  | 150 |



## EXAMPLE 7: SYSTEM OF LINEAR EQUATIONS

The following figure shows a flat square plate with its side held at constant temperature. Find the temperature at each node  $x_1, x_2, x_3, x_4$ . Each dot represent a node, and the temperature at each node is assumed to be given by the average temperature of adjacent nodes.

- Illustrate the temperature profile of plate as heat map and 3D plot.  
(Assume the temperature of corner nodes is equal to  $25^\circ\text{C}$ )

$$x_1 = \frac{1}{4}(30 + 15 + x_2 + x_3)$$

$$x_2 = \frac{1}{4}(x_1 + 15 + 20 + x_4)$$

$$x_3 = \frac{1}{4}(30 + x_1 + x_4 + 25)$$

$$x_4 = \frac{1}{4}(x_3 + x_2 + 20 + 25)$$

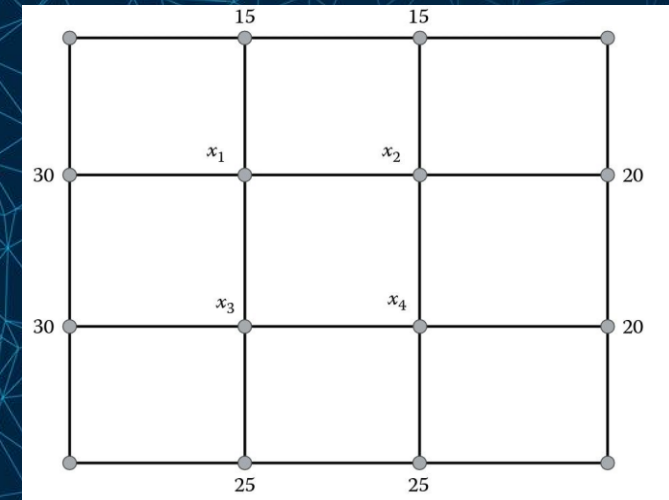


$$4x_1 - x_2 - x_3 = 45$$

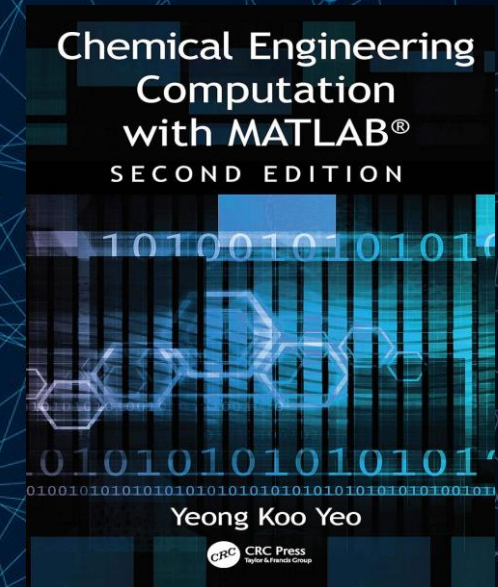
$$-x_1 + 4x_2 - x_4 = 35$$

$$-x_1 + 4x_3 - x_4 = 55$$

$$-x_2 - x_3 + 4x_4 = 45$$









# END OF PRESENTATION!

Thanks for your attention. 😊