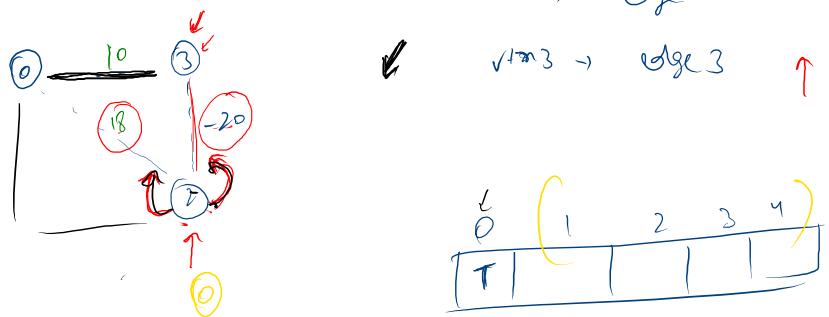
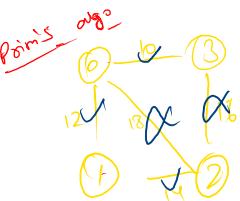
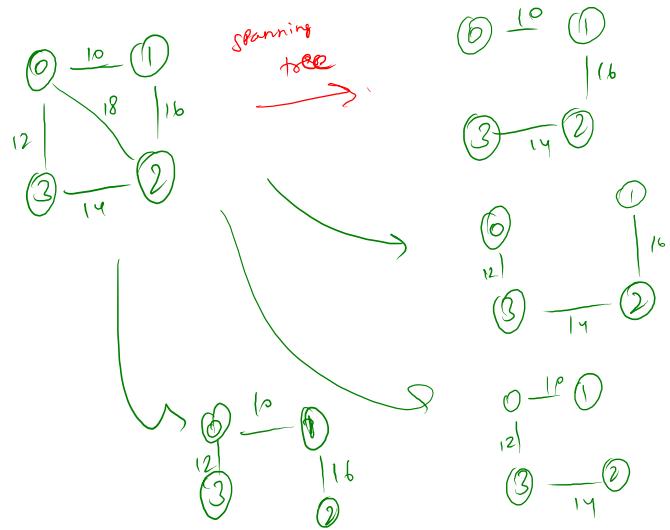


MST

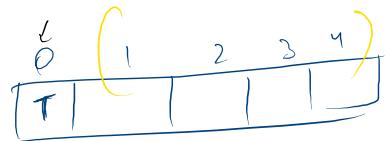


Point's  $\alpha^{\circ}$

$$v = v+n \rightarrow \frac{(v-1) \text{ edges}}{800+} \quad \min_{\text{edge}}$$

①  $v+n_1 \rightarrow$  edge 1  
②  $v+n_2 \rightarrow$  edge 2

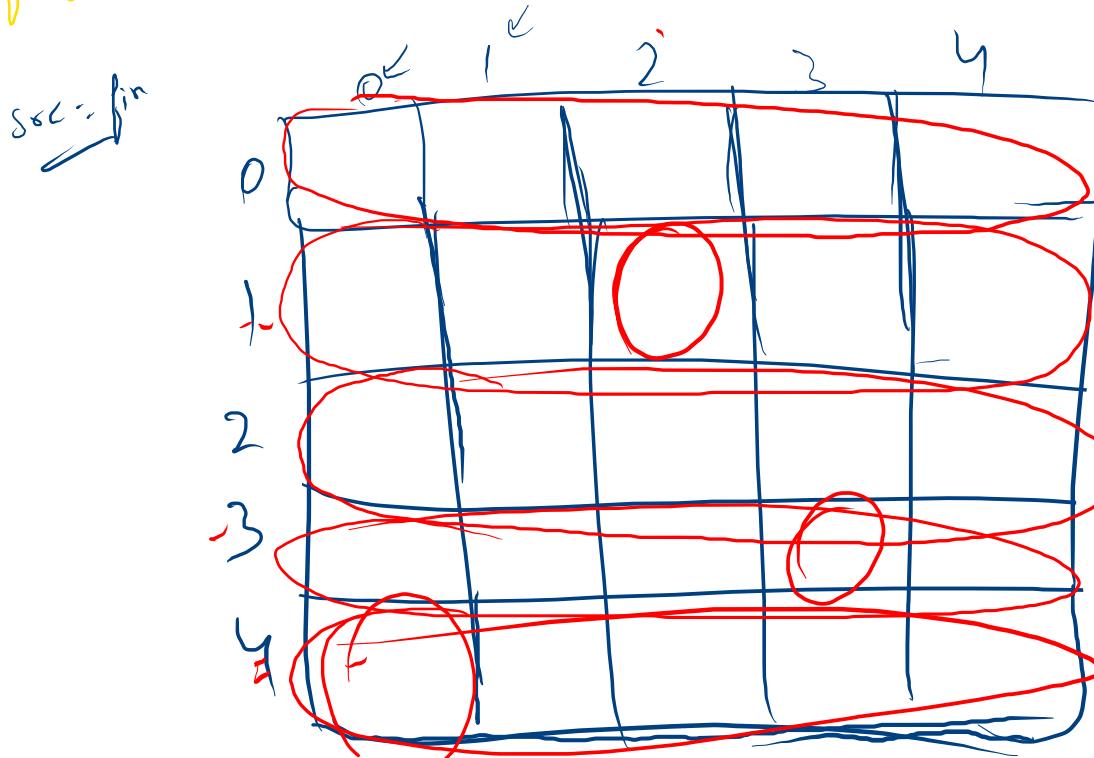
③  $v+n_3 \rightarrow$  edge 3 ↑

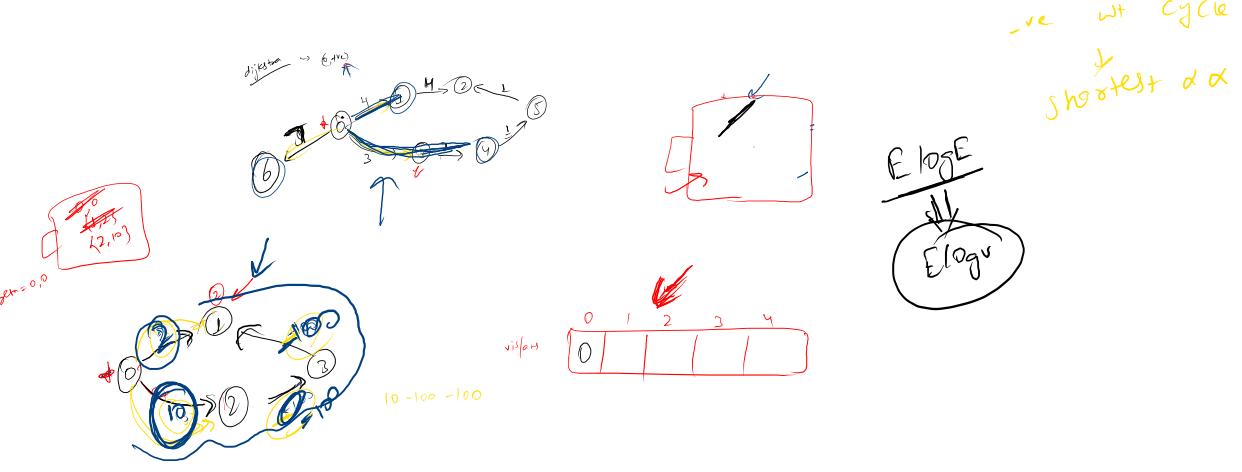


Shortest path algo  
 $\rightarrow$  directed, undirected  
 $\rightarrow$  +ve, -ve, 0

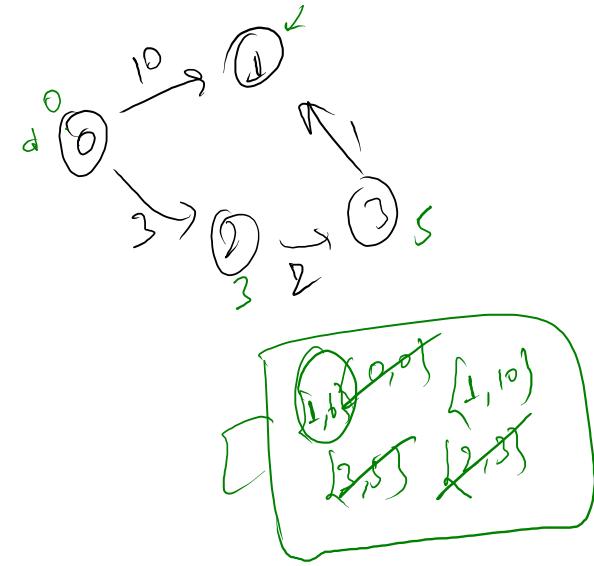
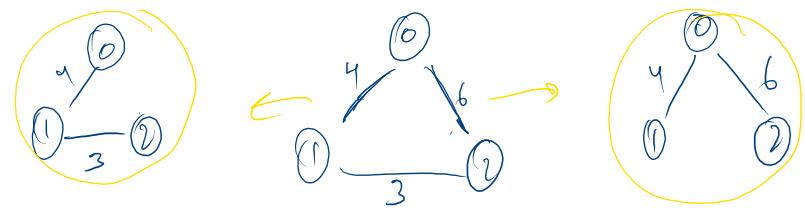
edge count  $\in$  bfs  $\rightarrow O(v + \epsilon)$

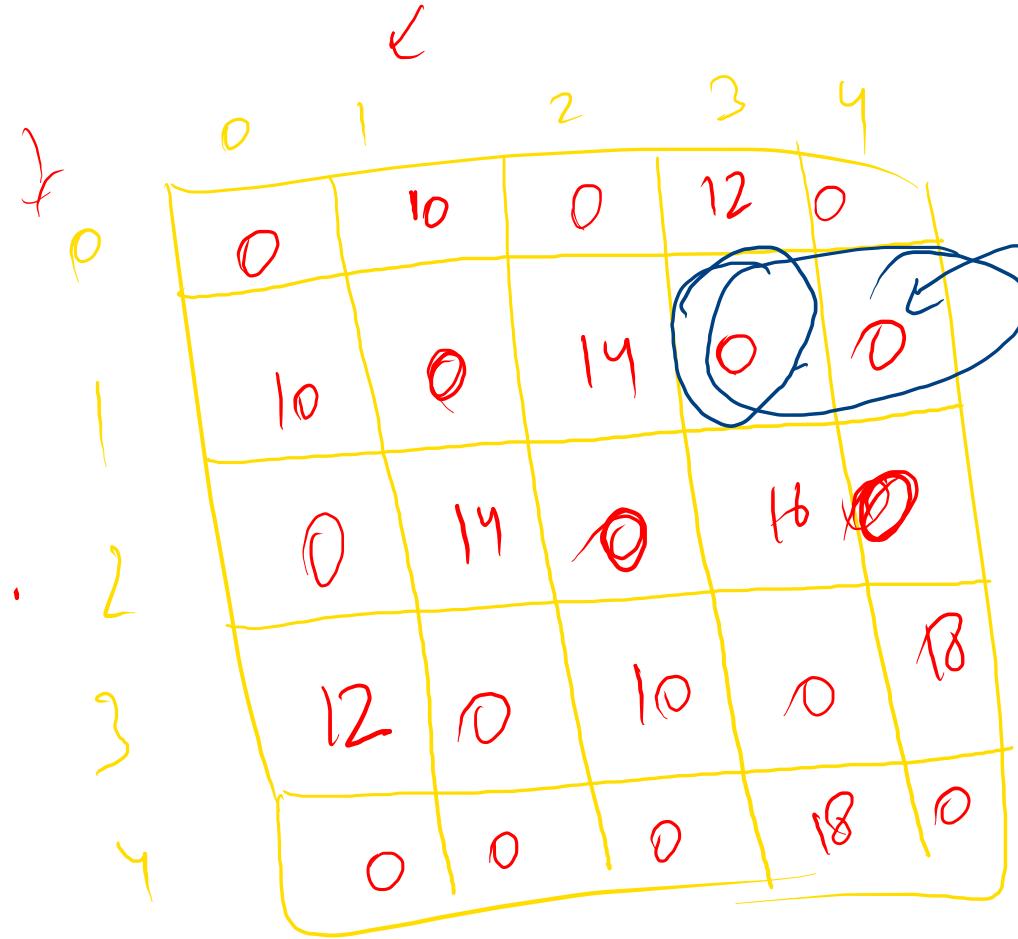
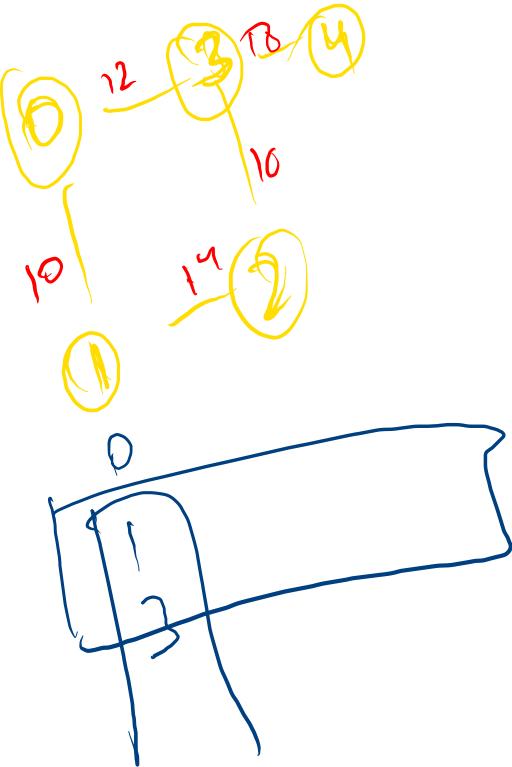
edge  $w+$   
 {  
 single source shortest path  
 dijkstra  $\rightarrow O(E \log v)$   $\rightarrow$  allowed  $\rightarrow (0, +ve)$   
 bellman ford  $\Rightarrow O(E + v)$   $\rightarrow$  allowed  $\rightarrow (0, +ve, -ve)$   
 all pair shortest path  
 floyd warshall  $\rightarrow O(v^3)$   $\rightarrow$  allowed  $\rightarrow (0, +ve, -ve)$

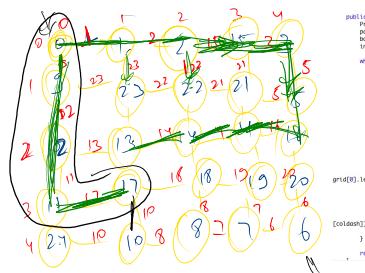




Points  
→ overall goal path minimize  
    ↑  
    tre, we, 0







```

public int solveNQueens(int[] grid) {
    PriorityQueue<Pair> pq = new PriorityQueue<>();
    pq.add(new Pair(0, 0, grid[0]));
    boolean[][] dirs = {{(-1, 0), (0, 1), (1, 0), (0, -1)}};
    int[][] dirs1 = {{(-1, 1), (0, 0), (1, 1), (0, -1)}};
    while (pq.size() > 0) {
        Pair cur = pq.remove();
        if (cur.row == grid.length - 1 && cur.col == grid[0].length - 1) {
            continue;
        }
        if (visFree[cur.row][cur.col] == true) {
            continue;
        }
        visFree[cur.row][cur.col] = true;
        for (int i = 0; i < dirs.length; i++) {
            int rowdash = cur.row + dirs[i][0];
            int coldash = cur.col + dirs[i][1];
            if (rowdash < 0 || coldash < 0 || rowdash > grid.length || coldash >= grid[0].length)
                continue;
            if (visFree[rowdash][coldash] == true) {
                continue;
            }
            pq.add(new Pair(rowdash, coldash, Math.max(cur.mf, grid[0].length)));
        }
    }
    return 0;
}

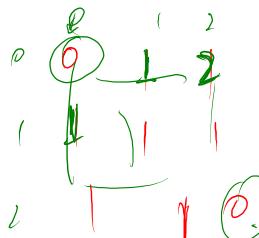
```

$\Theta(n^2)$

$$\sum_{k=1}^{n-1} k = \frac{n^2 - 1}{2}$$

0 1 2 3  
4 5 6 7  
8 9 10 11  
12 13 14 15

(0,  $\frac{n^2-1}{2}$ ,  $n^2-1$ )



0-1 motion  
(odd)



(0,  $\frac{n^2-1}{2}$ ,  $n^2-1$ )

$n^2 \log n$

Pain's  
distn  
remove

mid mid

$$n=4 \quad C = 25 + 10 + 10 + 10$$

$\{ 1, 2, 3, 7, 5, 6, 9 \}$        $\{ 3, 9 \}$   
 $\{ 4, 6 \}$ .       $\{ 1, 2 \}$

40  
 9  
 1  
 2  
 $\frac{40}{2} = 20$

33  
 $\frac{33}{3} = 11$

$\frac{10}{1} = 10$

$$36 - 33 = 3$$

$$1 + 1 + 3$$

$$\begin{array}{ccc}
 & 0 & \\
 0 & 0 & \xrightarrow{\quad} & 1 & 0 \\
 & \downarrow & & & \\
 1 & 1 & 0 & & 1 & 0 \\
 & & & & & \downarrow \\
 2 & 1 & 0 & & 1 & 0 \\
 & & & & & \leftarrow 0
 \end{array}$$

<del>0, 0, 0</del>	<del>2, 2, 0</del>	<del>0, 1, 1</del>	<del>1, 0, 1</del>	<del>1, 1, 1</del>
<del>2, 0, 1</del>	<del>0, 2, 2</del>	<del>1, 0, 2</del>	<del>2, 0, 2</del>	
<del>2, 1, 1</del>				

