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0.1 Libraries:

```
[1]: # Magic command below to enable interactivity in the JupyterLab interface
%matplotlib ipympl
# Some basic imports that are useful
import numpy as np
import matplotlib.pyplot as plt
from matplotlib.animation import FuncAnimation
```

0.2 init () and update ():

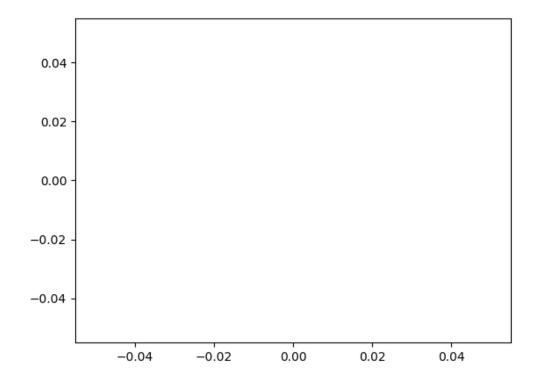
This is used to initialize the plot, and then update the plot during the transformation.

```
[2]: fig, ax = plt.subplots()
     xdata, ydata = [], []
     ln, = ax.plot([], [], 'red')
     total_data = []
     def init():
         ax.set_xlim(-1.2, 1.2)
         ax.set_ylim(-1.2, 1.2)
         return ln,
     def update(frame):
         count_1 = int(frame)
         if(int(frame) >= 5): # To get the reverse animation of figures, i.e from 8_{\sqcup}
      →to 7 to 6 to 5 to 4 to 3
           if(int(frame) >= 6):
               count_2 = 6 - int(frame)
             count_2 = 5 - int(frame)
               xc, yc, xs, ys = polygon\_coordinates(count\_2 + 9, count\_2 + 8, t)
             xc, yc, xs, ys = polygon_coordinates(count_2 + 8, count_2 + 7,t)
             xdata, ydata = morph(xs, ys, xc, yc, frame - count_1)
             total_data.append(xdata)
             total_data.append(ydata)
             ln.set_data(total_data[-2], total_data[-1])
```

```
total_data.clear()
    return ln,

# To get the forward animation of figures, i.e from 3 to 4 to 5 to 6 to 7 tout

***Belif(frame >= count_1 and frame <= (count_1 + 1)):
    xc, yc, xs, ys = polygon_coordinates(count_1 + 3, count_1 + 4, t)
    xdata, ydata = morph(xs, ys, xc, yc, frame - count_1)
    total_data.append(xdata)
    total_data.append(ydata)
    ln.set_data(total_data[-2], total_data[-1])
    total_data.clear()
    return ln,</pre>
```



0.3 Mapping function ():

To map the vertex of a polygon to the coming polygon. To understand the below function, I have taken the example of conversion from triangle (3) to square (4). The same is valid for the conversions of other polygons also. Since in the animation, vertices are being split, each vertex of the triangle gets mapped to two of the vertices of square. Considering the x coordinates, we can say that :(I

am moving in the anticlockwise direction, and the starting coordinate (1,0) gets repeated a] 1 gets mapped to 1 b] -0.5 gets mapped to 0, and -1 c] -0.5 gets mapped to -1, and 0 (The other vertex of triangle with x coordinate as -0.5) d] 1 gets mapped to 1 The y-coordinates also gets respectively mapped.

The variables x before, y before, x after, y after are calculated using this mapping.

```
[3]: # m = first polygon, with number of sides = m
     # n = second polygon, with number of sides = n
     # x_before, y_before = to map with <math>x_after, y_after, with the help of m_x, m_y
      \hookrightarrow n_x, n_y.
     # General case is for m < n. The 'check' variable is used to check when m > n_{1}
      → and make the respective changes
     def mapping(m, n, m_x, m_y, n_x, n_y, t, check):
         total = int(len(t)/m)
         x_before = []
         y_before = []
         x_after = []
         y_after = []
         for i in range(0, len(m_x), 2):
             x_before.extend(np.linspace(m_x[i], m_x[i+1], total))
             y_before.extend(np.linspace(m_y[i], m_y[i+1], total))
             x_after.extend(np.linspace(n_x[i], n_x[i+1], total))
             y_after.extend(np.linspace(n_y[i], n_y[i+1], total))
         x_before = np.array(x_before)
         x_after = np.array(x_after)
         y_before = np.array(y_before)
         y_after = np.array(y_after)
         if(check == 1):
     # Here the values of x_before and x_after, and y_before and y_after gets_{\sqcup}
      \rightarrow interchanged
     # This is done when m < n
             d_x_before = x_before
             d_y_before = y_before
             x_before = x_after
             y_before = y_after
             x_after = d_x_before
             y_after = d_y_before
         else:
         return x_before, y_before, x_after, y_after
```

0.4 point split():

It is used to find proper splitting of the coordinates that will be used by the mapping function above.

```
[4]: def point_split(m, n, m_x_coord, m_y_coord, n_x_coord, n_y_coord, t):
         if(len(m_x_coord) > len(n_x_coord)): # To get the value of 'check',,,
      \rightarrow depending on whether m<n or m>n
             check = 1
             dupli_x = n_x_coord
             n_x_{coord} = m_x_{coord}
             m_x_coord = dupli_x
             dupli_y = n_y_coord
             n_y_coord = m_y_coord
             m_y_coord = dupli_y
         else:
             check = 0
     # m_x, m_y, n_x, n_y are useful for mapping in the above function
     # I have updated the values in m_x, m_y, n_x, and n_y in the way they will be
      \rightarrow mapped
         m_x = []
         m_y = []
         n_x = []
         n_y = []
         m_x.append(1)
         m_y.append(0)
         for i in range(1, len(m_x_coord)):
             m_x.append(m_x_coord[i])
             m_x.append(m_x_coord[i])
             m_y.append(m_y_coord[i])
             m_y.append(m_y_coord[i])
         m_x.append(1)
         m_y.append(0)
         for i in range(len(n_x_coord)):
             n_x.append(n_x_coord[i])
             n_y.append(n_y_coord[i])
             if(i \ge 2 and i \le len(n_x\_coord) - 2):
                  n_x.append(n_x_coord[i])
                  n_y.append(n_y_coord[i])
         n_x.append(1)
         n_y.append(0)
```

```
# print('mx coord ', m_x_coord)
# print('nx coord ', n_x_coord)
# print('mx ', m_x)
# print('nx ', n_x)
# print('my ', m_y)
# print('my ', n_y)
return mapping(m, n, m_x, m_y, n_x, n_y, t, check)
```

0.5 polygon coordinates ():

This function finds the x and y coordinates of both the polygon that will be used during a particular transformation

```
[5]: \# m_x = coord, m_y = coord - list containing all the x and y coordinate of lst_{\square}
     # n_x_coord, n_y_coord - list containing all the x and y coordinate of 2nd_{\sqcup}
      \rightarrowpolygon
     def polygon_coordinates(m, n, t):
         angle_m = 2 * np.pi/m
         angle_n = 2 * np.pi/n
         m_x_{coord} = []
         m_y_coord = []
         n_x_{coord} = []
         n_y_coord = []
         for i in range(m):
             m_x_coord.append(np.cos(angle_m * i))
             m_y_coord.append(np.sin(angle_m * i))
         for i in range(n):
              n_x_coord.append(np.cos(angle_n * i))
             n_y_coord.append(np.sin(angle_n * i))
         return point_split(m, n, m_x_coord, m_y_coord, n_x_coord, n_y_coord, t)
```

0.6 morph ():

This is used in morphing the polygon from one type to another

```
[6]: def morph(x1, y1, x2, y2, alpha): # The morphing function is the same as the one

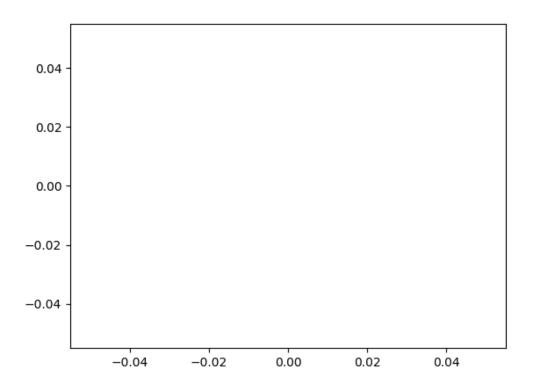
used in week 5 presentation

xm = alpha * x1 + (1-alpha) * x2

ym = alpha * y1 + (1-alpha) * y2

return xm, ym
```

```
t = np.linspace(0, 2 * np.pi, 840) # Total points should be the lcm of 3, 4, 5, <math>\square
\rightarrow 6, 7, 8
if len(t) % 4 != 0:
    raise BaseException("Number of points should be multiple of 3, 4, 5, 6, 7, 8_{\sqcup}
")
# The forward and reversed transformation done in the update function dependent \sqcup
→on the value of frames
# The total number of transformations are 10, first 5 are the forward one and \Box
→ the other 5 are the reversed one
# The value of frames and interval can be changed as per need to alter the speed \Box
\hookrightarrow of transformation.
ani = FuncAnimation(fig, update, frames=np.linspace(0, 10, 1000), init_func = 1
→init, blit=True, interval=10,repeat=False)
# ani = FuncAnimation(fig, update, frames=np.linspace(0, 12, 1000), init_func = ___
⇒ init, blit=True, interval=10, repeat=False)
plt.show()
```



[]:[