

## Transductive Learning: (转导推理) 直推式

"Reasoning from observed, specific (training) cases to specific (test) cases"

"只能预测在其训练过程中用过的样本"

## Inductive Learning: (归纳式)

"Reasoning from observed training cases to general rules, which are then applied to the test cases"

(从具体学到一般规律的学习)

"只要样本特征属于同样的欧拉空间，即可进行预测"

Sample / Aggregate



# GraphSAGE (根据均匀采样构建邻域)

"generate nodes' embeddings by sampling and aggregating features from a node's local neighborhood"

## Node Embedding Approaches

### aggregator functions

"learn to aggregate feature information from a node's local neighborhood"

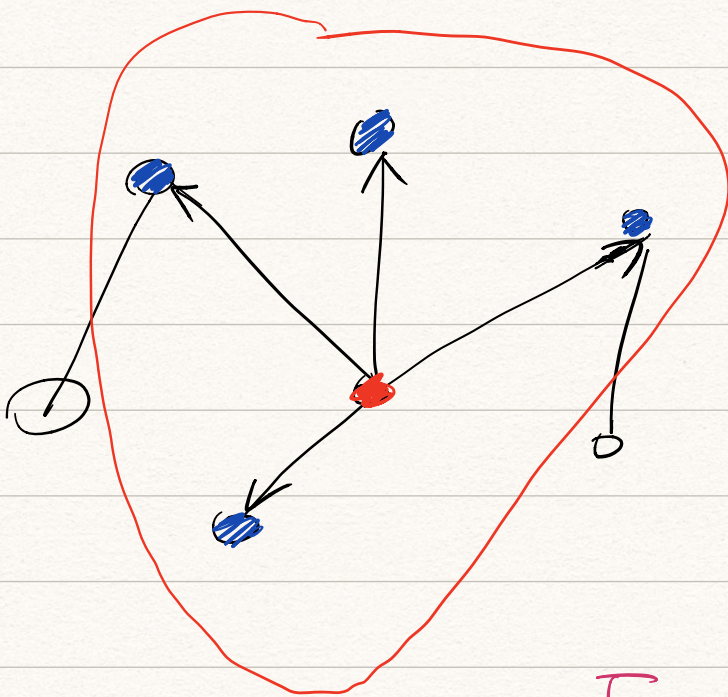
$k$  aggregator functions

$$\begin{cases} \text{AGGREGATE}_k, \forall k \in \{1, \dots, k\} \\ W^k, \forall k \in \{1, \dots, k\} \\ X_v, \forall v \in V \end{cases}$$



$$h_{N(v)}^k \leftarrow \text{AGGREGATE}_k(\{h_u^{k-1}, \forall u \in N(v)\})$$

$$h_v^k \leftarrow \sigma(W^k \cdot \text{CONCAT}(h_v^{k-1}, h_{N(v)}^k))$$



Function

$$h_{N(v)}^{k-1} = \{h_u^{k-1}, \forall u \in N(v)\}$$

Single  
Vector

$$h_v^k = \{h_v^{k-1}, h_{N(v)}^{k-1}\}$$

Concatenate

Concat



$k$ : current step in the outer loop  
(depth of the search)

$N(v)$ : fixed-size

uniform draw from

$$\{u \in V : (u, v) \in E\}$$

Aggregator: symmetric

Mean Operator:

$$h_v^k \leftarrow \sigma(W \cdot \text{Mean}(\{h_v^{k-1}\} \cup \{h_u^{k-1}, \forall u \in N(v)\}))$$

$$h_v^k \leftarrow \sigma(W \cdot \{h_v^{k-1}\} \cup \text{MEAN}(\{h_u^{k-1}, \forall u \in N(v)\}))$$

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Pooling aggregator:



$$\text{AGGREGATE}_k^{\text{pool}} =$$

$$\max \left( \{ \sigma(W_{\text{pool}} h_{u_i}^k + b), \forall u_i \in \mathcal{N}(v_1) \} \right)$$

Loss Function

$$\text{update } W^k \quad \forall k \in \{1, \dots, k\}$$

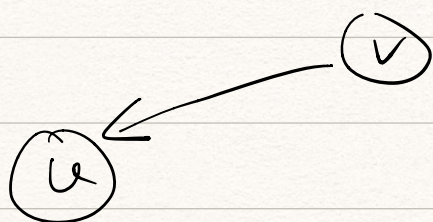
$$J_G(z_u) = -\log(\sigma(z_u^T z_v)) -$$

$$\underbrace{Q}_{\text{number of negative samples}} \cdot \underbrace{\mathbb{E}_{v_n \sim p_n(v)}}_{\text{negative sampling distribution}} \log(\sigma(-z_u^T z_{v_n}))$$

nearby nodes have similar representations,

representations of disparate nodes are highly distinct





$V$ : a node that co-occurs near  $u$   
on fixed-length random walk

$$z_v \leftarrow h_v^k$$

$z_u$ : generated from the features  
contained within a node's local neighborhood  
(embedding lookup)

$$z_u, \quad \forall u \in V$$