

A Bayesian Convolutional Neural Network Approach

for Image-Based Crack Detection and a Maintenance Application

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We are living in the Golden Ages of machine learning

Why?

- Data availability
 - Data is the new oil
- Computing power
 - Affordable & accessible

What?

- Decision Making & Autonomous control
 - Buy a stock (yes/no)?
 - Will my client default?
 - When will my machine break down?
 - Face-recognition
 - Self—driving cars
 - Chatbots



Not a question of if but when

Erasmus

The practical applicability concerns a trade-off between high accuracy and reliability

Drawbacks

- “Black-Box”
 - Will patient X need surgery or not?
 - Uncertainty
 - Intelligent prediction or random guess?
 - Can be dangerous life-threatening situations



INTRODUCTION

Can we quantify the uncertainty in image-based crack detection for concrete structures using a Bayesian Convolutional Neural Network?

- Maintenance Application
 - Cracks & Chemical deterioration
 - System failures
 - Labor-intensive, subjective, dangerous
- Image-based methods in practice
 - CQM
 - Railroad inspection with CNNs
 - No measure of uncertainty

Slimme beeldherkenning maakt spoorinspectie vijf keer efficiënter

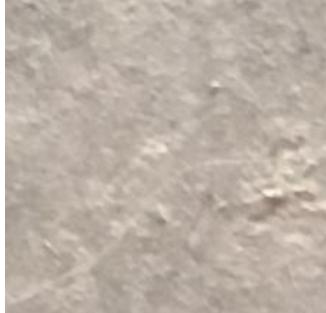


We want a model that knows
when they don't know!

The Bayesian convolutional neural network aggregates from neural networks and Bayesian learning to obtain a probabilistic framework.

Data Set

40,000 images of concrete structures



Özgenel, Çağlar Fırat (2019), "Concrete Crack Images for Classification",

Mendeley Data, v2

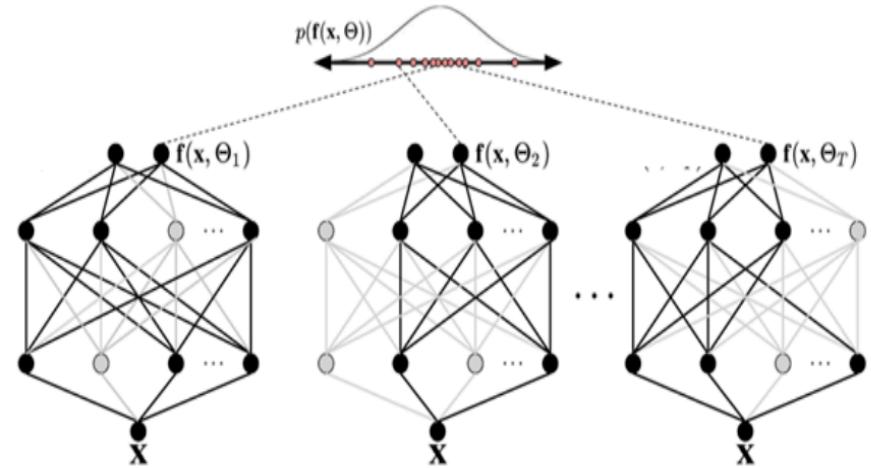
<http://dx.doi.org/10.17632/5y9wdsg2zt.2>

Bayesian convolutional Neural Network

Bayesian learning + neural networks

Does the image contains a crack? Yes or No?

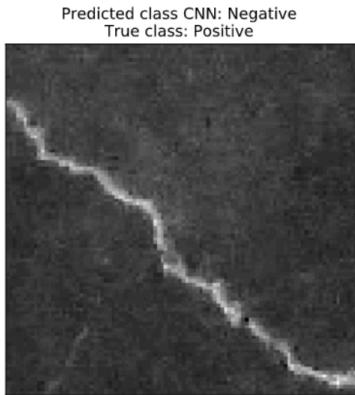
Monte Carlo Dropout



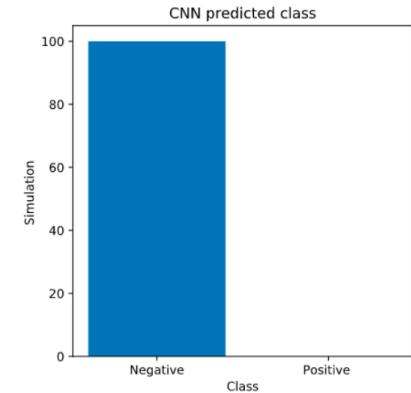
Ezafun

The Bayesian method is able to measure the uncertainty and reduce the false negatives compared to traditional models

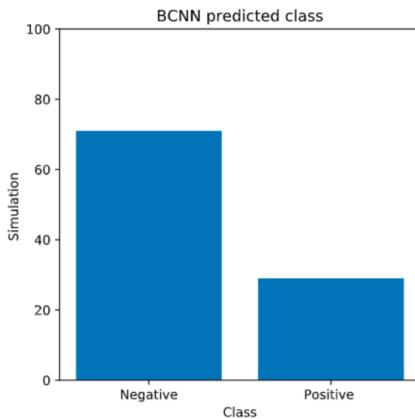
- CNN wrongly predicts no crack with $p = 0.76$
- BCNN correctly classifies the image in some of the cases.
- The variance is high, the model not sure about the outcome



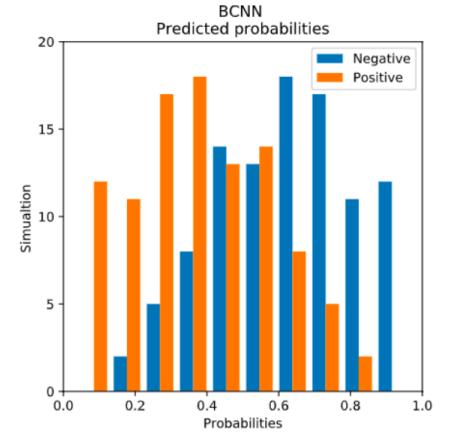
(a) False negative prediction



(b) Predicted probabilities for 100 simulations



(c) Predicted class for 100 simulations



(d) Predicted probabilities for 100 simulations

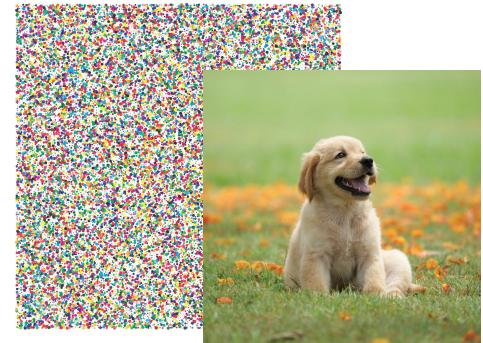
The Bayesian convolutional neural network can measure uncertainty, and domain experts confirms it's potential

Recommendations & Limitations

- Advantages over the traditional methods
- Widely applicable for all kinds of anomaly detections
- CQM domain expert confirms it's potential and the importance of model uncertainty
- Questioned by other researchers on its theoretical foundation
- Running time

Further Research

- * Research on outlier images
- * Human in the loop



Erasmus

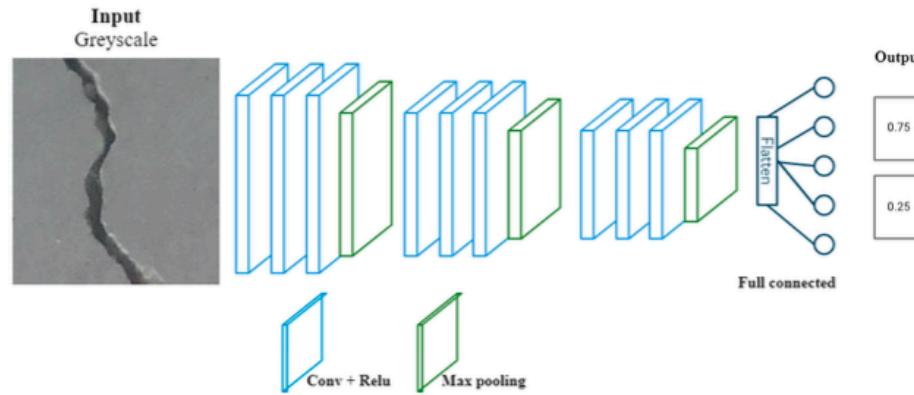
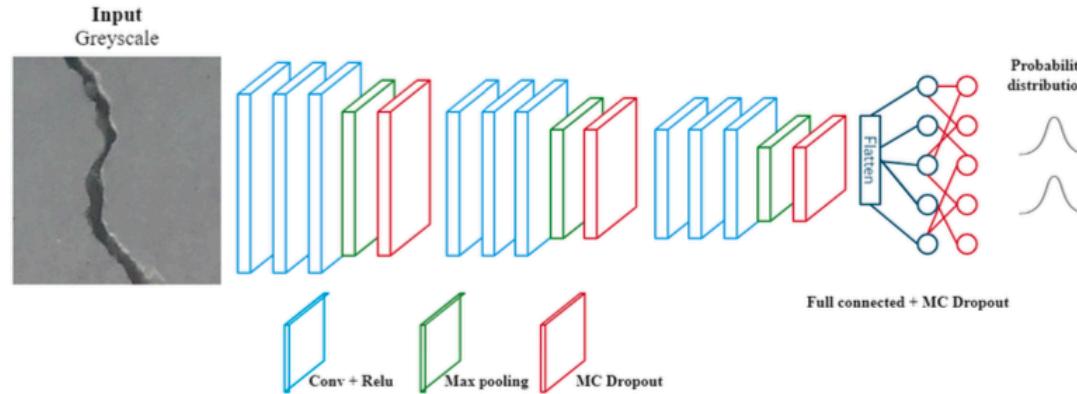
Thank you for listening!

Are there any questions?

APPENDIX I

Model architectures

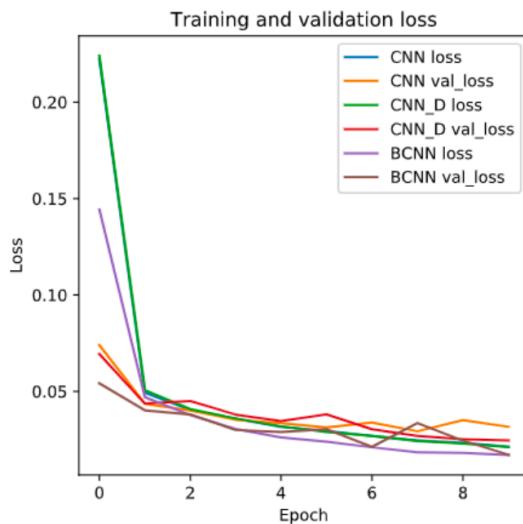
Github: <https://github.com/Tasiabueno/Bayesian-Convolutional-Neural-Network-Crack-Detection>



APPENDIX II

Model performance

Model	Accuracy			Loss		
	Train	Val	Test	Train	Val	Test
CNN	0.993	0.992	0.993	0.021	0.032	0.026
CNN_D	0.993	0.992	0.993	0.021	0.025	0.025
BCNN	0.995	0.994	0.994	0.017	0.171	0.018

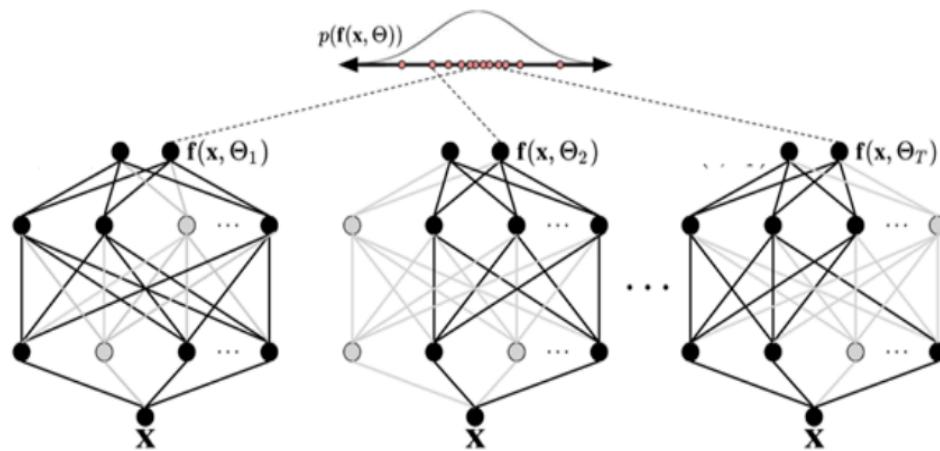


BCNN	Predicted (p > 0.50)			Predicted (p > 0.70)			
	Negative	Positive	All	Negative	Positive	All	
	Negative	2821	179	3000	2821	179	3000
True	Positive	0	3000	3000	0	3000	3000
	All	2654	3346	6000	2654	3346	6000
CNN	Predicted (p > 0.50)			Predicted (p > 0.70)			
	Negative	Positive	All	Negative	Positive	All	
	Negative	2980	20	3000	2973	27	3000
True	Positive	21	2979	3000	12	2988	3000
	All	3001	2999	6000	2985	3015	6000
CNN_D	Predicted (p > 0.50)			Predicted (p > 0.70)			
	Negative	Positive	All	Negative	Positive	All	
	Negative	2976	24	3000	2960	40	3000
True	Positive	15	2985	3000	11	2989	3000
	All	2991	3009	6000	2971	3029	6000

APPENDIX III

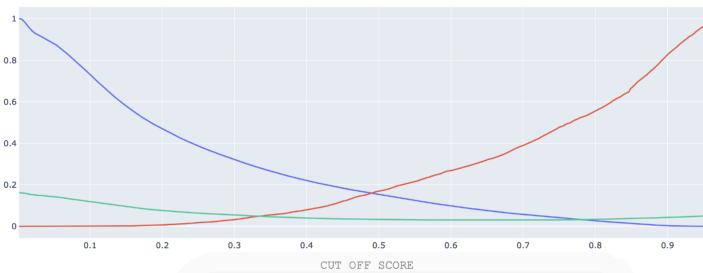
Monte Carlo Dropout

$$\begin{aligned} P(\hat{y}_i = k | \mathbf{x}_i, \boldsymbol{\beta}) &\approx \int P(\hat{y}_i = k | \mathbf{x}_i, \boldsymbol{\beta}) q_{\boldsymbol{\theta}}^*(\boldsymbol{\beta}) d\boldsymbol{\beta}, \\ &\approx \frac{1}{T} \sum_{t=1}^T P(\hat{y}_i = k | \mathbf{x}_i, \hat{\boldsymbol{\beta}}_t), \end{aligned}$$



APPENDIX IV

False negative – False positive trade-off
Variance as uncertainty measure



Questions other researchers?

- Posterior distribution does not concentrate when more data become available - Osband

<https://arxiv.org/pdf/1711.02989.pdf>

APPENDIX V

Softmax probabilities are not a measure of uncertainty

Prediction: dog
Probability: 0.98



Prediction: dog
Probability: 0.95



<https://arxiv.org/pdf/1812.05720.pdf>

Nguyen & O'Connor, 2015; Yu et al., 2010; Provost et al., 1998; Nguyen et al., 2015