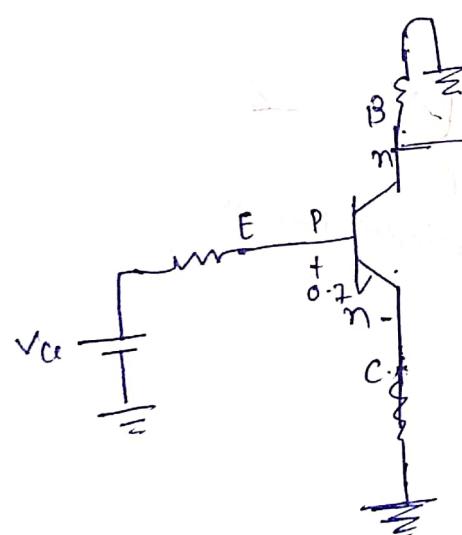


\* Websites for RF & Antenna Eng. 10/08/2019

1. amurkirelen.com (Applied Elwave)
2. rfdesign.com
3. highfrequencyelectronic.com
4. mwjournal.com
5. mw\_rf.com
6. rfworld.com
7. mrtmag.com
8. mwee.com
9. mobilehandsetdesignline.com
10. antennaconline.com
11. rfcafe.com

FCC (federal communication community.)

J ↓ classify the diff' freq'n.  
independent government agency (U.S.A) responsible for  
regulating the radio, tv, phone, industry.  
D.V.O. → ELF (Extremely low freq)  
(30Hz - 300Hz) → power transmission  
50Hz, 220V



↓ velocity  $3 \times 10^8$  m/s in terms of 3  
→ VF (300Hz - 3000Hz) → voice freqn.  
→ VLF (very low freqn) (3KHz - 30KHz)

↓ used for Army, Navy,  
Submarine → underwater  
comm., military.

→ LF (30KHz - 300KHz) (longe freqn)

↓  
→ Marine comm. → on the surface of water  
→ Atmospheric comm.

→ MF (300kHz - 3MHz) (Medium freq.)



Homework  
at high freq can not  
generate large amount  
of power?

→ HF (3MHz - 30MHz) (High freq.)

↓  
Short wave.

→ VHF (30 - 300MHz) (Very High freq.) →

FM - (88 - 108) MHz

at high freq less power

2-13. (54MHz - 216MHz)

→ New ISM 2.4GHz  
Antennas in aircraft?

→ RF spa → high freq  
cancer treat treatment that

RF → uni antenna uniformly  
radiates uniformly  
in all the direction

→ UHF (300MHz - 3GHz)

↓

most of the application from this band (14 - 81) → TV  
bluetooth, microwave, own, RFID tags, WiFi, GSM,  
(2.4GHz) (2.4GHz) (2.4GHz)  
various industrial, medical app;

(ISM)

→ Missiles, aircraft, cricket clicker bugle  
navigation from ground station

→ airport scan → continuous navigation from aircraft to aircraft

Homework → microwave disinfection system (for gloves) for troubleshooting  
(for medical application) for (friend or foe)

clear images (RF application)

→ their attachment to company

- Antenna in south-east direction.
  - Whether prediction
  - 21/08/2017
  - EHF (.30GHz - 300GHz) (Extreme high freq<sup>n</sup>)
  - Most of defense system.  
(35f94GHz)
  - $T = 10^2$  → Infrared (0.35THz - 300THz)  
 $P = 10^{15}$   
 $E = 10^{18}$  → Visible (0.3PHz - 3PHz)  
 $E_{ext} = 10^{18}$   
→ UV (.3PHz - 30PHz)
  - $\rightarrow X\text{-ray}$  (30PHz - 300PHz)  
    0.3EHZ
  - $\rightarrow \gamma\text{-ray}$  (.0.3EHZ - .3EHZ)
  - $\rightarrow$  Cosmic ray (3EHZ - 30EHZ)
  - radio proximity fuse  
    closer  
    for Targetting (heat the target)  
    need to make optimum distance  
    from target
  - $\beta = \frac{P_2}{P_1} = 100, 1000$
  - $\Delta B = 10 \log \left( \frac{P_2}{P_1} \right) \Rightarrow$  task become easy.
- anti-aircraft fly in  
Thermosphere upto  
[10 km]  
Gagan yantra/Chandrayaan  
launcher
- week-strong → Modulation
- Bands:
- |         |             |                  |
|---------|-------------|------------------|
| L       | → 1 - 2 GHz | E10 - 60 - 90GHz |
| S       | → 2 - 4     | W - 94 GHz       |
| C       | → 4 - 8     |                  |
| X       | → 8 - 12    |                  |
| Ku      | → 12 - 18   |                  |
| T.V.    |             |                  |
| Antenna |             |                  |
| K       | → 18 - 27   |                  |
| Ka/Q    | → 27 - 40   |                  |
- Today's
- High electron mobility Transistor
- MOSFET
- HEMT } → Transistor  
HBT } very costly
- Hyper Function Bipolar  
Transistor
- Junction not breakdown  
at high temp
- 600 m/s → Missile speed  
→ aircraft speed

$$dB = 10 \log \left( \frac{P_2}{P_1} \right) = 10 \log \left( \frac{V_2^2 / R}{V_1^2 / R} \right)$$

losses & gain

power in dB

$$dB = 20 \log \left( \frac{V_2}{V_1} \right) = 20 \log \left( \frac{I_2}{I_1} \right)$$

dBm, dB $\omega$ , dBmV, dBV, dBmA, dB $A$

$$dBm = 10 \log \left( \frac{P_2}{1 \text{ mW}} \right)$$

comparison of two power  
loss & gain  $\Rightarrow$  dB is used.  
signal noise  $\rightarrow$  dBm

SNR  $\rightarrow$  dB  
signal to noise ratio  
Noise distortion

interference

Q

$$\frac{P_2}{P_1} \quad dB$$

$$2 : 1 \rightarrow 3 \quad 10 \log_{10}^2 = 0.3$$

$$\frac{I_2}{I_1} \text{ or } \frac{V_2}{V_1} \quad dB$$

$$10 \log_{10}^2 = 3$$

$$2 : 1 \rightarrow 6$$

$$4 : 1 \rightarrow 12$$

$$10 : 1 \rightarrow 20$$

$$100 : 1 \rightarrow 40$$

$$1 : 2 \rightarrow -6$$

$$1 : 4 \rightarrow -12$$

$$1 : 10 \rightarrow -20$$

$$1 : 100 \rightarrow -40$$

$$4 : 1 \rightarrow 6.$$

$$10 : 1 \rightarrow 10$$

$$100 : 1 \rightarrow 20$$

$$1 : 2 \rightarrow -3$$

$$1 : 4 \rightarrow -6$$

$$1 : 10 \rightarrow -10$$

$$1 : 100 \rightarrow -20$$

$\text{dBm}$ ,  $\text{dBW}$ ,  $\text{dBmV}$ ,  $\text{dBV}$ ,  $\text{dBmA}$ ,  $\text{dBA}$

$$\text{dBm} = 10 \log \frac{P_2}{1\text{mW}}$$

$$\text{dBW} = 10 \log \frac{P_2}{1\text{W}}$$

$$\text{dBmV} = 20 \log \frac{V_2}{1\text{mV}}$$

$$\text{dBV} = 20 \log \frac{V_2}{1\text{V}}$$

$$0^- = 10 \log P_2$$

$$10^{-100}$$

$$0\text{dBm} = 1\text{mW}$$

$$10\text{ dBm} = 100\text{ mW}$$

$$30\text{ dBm} = 1000\text{ mW} = 1\text{W}$$

$$60\text{ dBm} = 1\text{ kW} = 10^6\text{ mW}$$

$$-10\text{ dBm} = 0.1\text{ mW}$$

$$-20\text{ dBm} = 0.01\text{ mW}$$

$$-30\text{ dB} = 1\text{ nW}$$

$$0\text{ dBW} = 1\text{ W}$$

$$= 1000\text{ mW}$$

$$-10 = 10 \cdot \log \frac{P_2}{1\text{ mW}}$$

$$-1 \quad 0.1\text{ mW} = P_2$$

$$1\text{ W} = 10 \log \frac{P_{10}}{P_0}$$

$$1\text{ W} = 1000\text{ mW}$$

$$1\text{ mW} = 10^{-3}\text{ W}$$

$$0\text{ dBW} = 30\text{ dBm}$$

$$0\text{ dBm} = -30\text{ dBW}$$

0 dB = near total silence

15 dB = whisper

60 dB = normal conversation

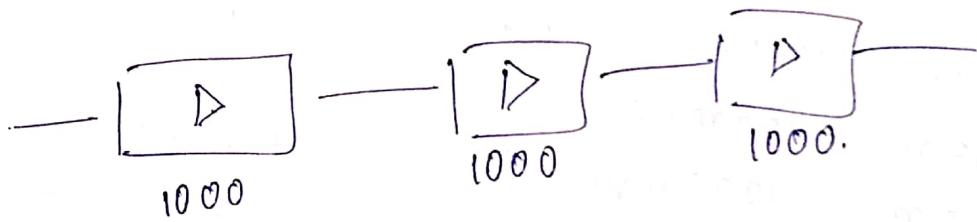
90 dB = hair dryer

110 dB = car horn

jet engine

120 dB = jet engine / rock concert

140 dB = firecracker



$$= 10^9$$

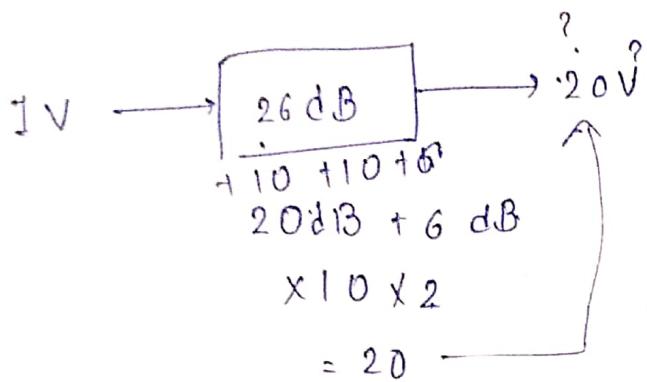
$$= 90 \text{ dB}$$

$$10 \log \frac{P_2}{P_1} = 26$$

$$20 \log \frac{V_2}{V_1} = 26$$

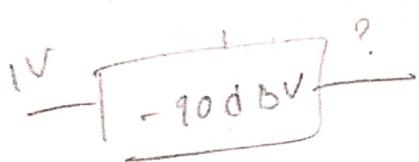
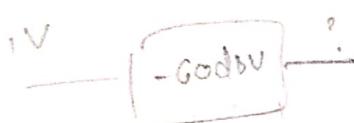
$$\log \frac{V_2}{10^{V_1}} = \frac{26}{20}$$

$$\sqrt{2}$$



$$-60 = 20 \log \frac{V_2}{1V}$$

$$-60 = 20 \log \frac{V_2}{1V}$$



$-1000 = 10^9 \frac{V_2}{1V}$

more sensitive  
as low input we get more OIP.  
(0 dBm on.)

2 years exp Ch (affiliated M.Tech)

$$\begin{aligned} 16 \text{ dB} & \\ 10 \text{ dB} & = \times 3.33 \\ 10 \text{ dB} & = \times 10 \end{aligned}$$

$$\begin{aligned} 16 \text{ dB} & \\ 20 \text{ dB} - 12 \text{ dB} + 20 \text{ dB} - 12 & \\ \times 10 \div 4 \times 10 \div 4 & \end{aligned}$$

$$6 \text{ dB} \quad \frac{\times 2}{6.66}$$

$$\begin{aligned} 10 &+ 10 + 10 \times 10 \\ 10,000 & \rightarrow 20 + 20 + 20 \times 20 \end{aligned}$$

$$\begin{aligned} & \text{voltage gain} \\ & \frac{100 \times 4}{400} = 52 \text{ dB} \end{aligned}$$

$$\text{power: } 400? \rightarrow - \text{ dB}$$

$$4 \times 100 \Rightarrow 20 + 6 \\ = 26$$

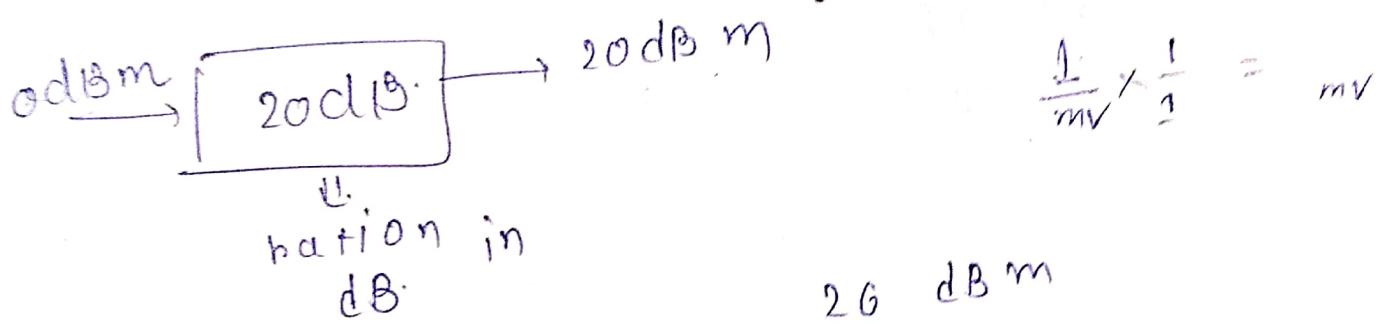
$$2 \times 2 \times 10 \times 10 =$$

$$\begin{aligned} 13 \text{ dBm} &= \log \frac{V_2}{1 \text{ mV}} \\ 20 & \end{aligned}$$

$$V_2 =$$

$$13 \text{ dB} = 10 + 3$$

$$\rightarrow \frac{1}{10 \text{ mV}} \times 2 = 20 \text{ mV}$$



$$(20 + 3) \text{ dB add}$$

↓

$$100 \times 2 = 200 \text{ mW.} \quad 100 \times$$

$$\cancel{73 \text{ dB}} \quad 17 \text{ dBm}$$

$$20 \text{ dBm} - 3 \text{ dBm}$$

$$\frac{100 \text{ mW}}{2} = 50 \text{ mW}$$

$$-2 \text{ dB}$$
$$-1 \text{ dB} = 21 \text{ % of Power.} \quad 1055.$$

$$10 \log_{10}^{(0.74)} = -0.3 \times 10$$

$$10 \log_{10}^{(0.74)} = -3 \text{ dB}$$

$\text{oc}$  of  $K$  (no degree)

3) Thermal noise (Johnson noise):

$$P_n = kTB \rightarrow \text{Bandwidth}$$

↓

Boltzmann's constant  $1.38 \times 10^{-23} \text{ J/K}$

→ White noise  $\Rightarrow$

2) shot noise  $\Rightarrow$  shot key noise.

$I_n = \text{RMS current noise.}$

$$= \sqrt{2qI_{dc}B}$$

↓

$1.6 \times 10^{-19} \text{ C}$

3) Partition noise

When single current

4) Transistor time noise

Transist.

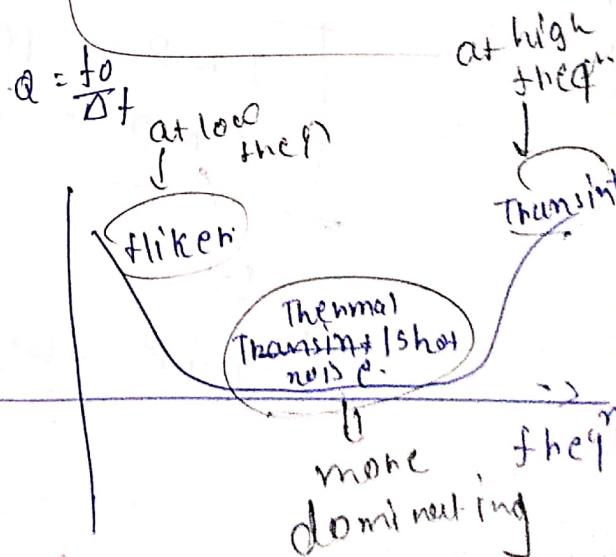
(High freqn noise)

5) Flicker noise

(Low freqn noise) (tubelight)

reflection  
diffraction  
refraction.  
↓  
Formal interference  
interference  
Georgyam / Chaudhury  
↓  
engine

active  $\Rightarrow$  need power  
mobile  $\Rightarrow$   
passive  $\Rightarrow$  no need  
of power  
green electronic



6) Popcorn noise  
(High freq noise)

High freq  $\rightarrow$  less Antenna size  
→ Antennas radiation uniform in all direction.

\* distortion

⇒ Hartley theorem

⇒ Shannon "

$$J = B \log_2 \left( 1 + \frac{S}{N} \right)$$

SINAD  
 $\frac{S}{I+N+D}$

Amp is. not given loss but give gain.

simplex by half duplex

full duplex

F/F/F duplex.

full full just single channel for receiving & transmitting (ex. Internet)

$$\boxed{NP \text{ (Neper)} = \log_e \left( \frac{V_2}{V_1} \right)^{-1}}$$

Loss  $= -\ln \left( \frac{V_2}{V_1} \right)$

$$\boxed{\begin{aligned} INP &= 10 \log e^2 \\ INP &= 8.686 \text{ dB} \end{aligned}}$$

$$\boxed{\begin{aligned} \text{Loss} \\ 1 \text{ dB} &= 0.115 \text{ NP} \end{aligned}}$$

Microwave dryer

own work  
2.4 GHz

Apollo  $\rightarrow$  11 mission

Liquids use in comm.

→ FeCl<sub>3</sub>

→ Iso-propyle alcohol.

Potentiometer  
protection.  
badan

$$d, \epsilon, T, B, K \xrightarrow{\text{into dB.}}$$

$$10 \log (\ )$$

Everywhere to convert in dB  $10 \log_{10} (\ )$

accept V & I

Thermal shock.



Sudden change  
in environment

$$N_o = P_n = kTB$$

$$k = 1.38 \times 10^{-23} \text{ J/K}$$

$$T = 27^\circ \text{ C} = 290 \text{ K}$$

$$B = ?$$

$$N_{oldm} = 10 \log (kTB)$$

$$= 10 \log (kT) + 10 \log B$$

$$= 10 \log \left( \frac{1.38 \times 10^{-23} \times 290}{0.001} \right) + 10 \log B$$

$$N_o = -174 \text{ dBm/Hz} + 10 \log B$$

~~x10<sup>0</sup>~~

Noise  $\Rightarrow$  amplified like signal  
noise + inherent noise.

$\times 100 \Rightarrow$  gain

$$N_i = 1\text{mV} \cdot 1 \times 100$$

~~10<sup>0</sup>~~

$$a) S = 10 \mu\text{V} \times 100 = 1000 \mu\text{V} \Rightarrow 1 \times 10^0$$

$$N_r = 1 \times 100 = 100 + 30 = 130 \mu\text{V}$$

$$\frac{S}{N} = \frac{1000}{30} = 17.72 \text{ dB}$$

$$b) S = 10 \mu\text{V} \times 10 = 100 \mu\text{V} \Rightarrow 10 \times 10$$

$$= 100 \mu\text{V} \times 1\text{V} = 1000$$

$$\Rightarrow 18.84 \text{ dB}$$

$$c) 20 \times 5$$

$$S = 10 \times 20 = 200$$

$$N_r = (1 \mu\text{V} \times 20) + 5 = 25$$

$$S/N = \left( 25 \mu\text{V} \times 5 \right) + 1 = 126$$

$$= 20 \log \left( \frac{1000}{126} \right) = 17.99 \text{ dB}$$

d)  $5 \times 20$

$$S/N = (1 \mu V \times 5) + 1 = 6 \text{ mV}$$

$$= (6 \text{ mV} \times 20) + 5 = 125$$

$$10 \log \left( \frac{1000}{125} \right) = 18.06 \text{ dB}$$

$\frac{S}{N} \uparrow \Rightarrow$  good design to  
comm. engineer.

→ Power in  $\text{mW}$

$$N_0 = k T_e B$$

$$= -174 \frac{\text{dBm}}{\text{Hz}} + 10 \log B$$

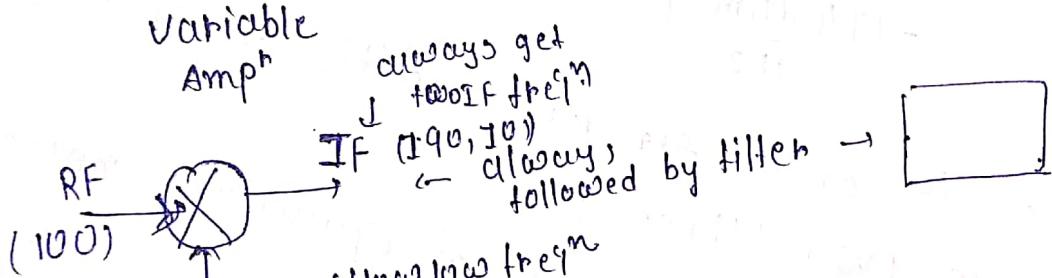
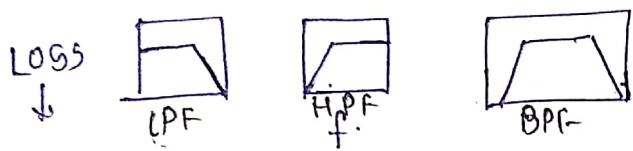
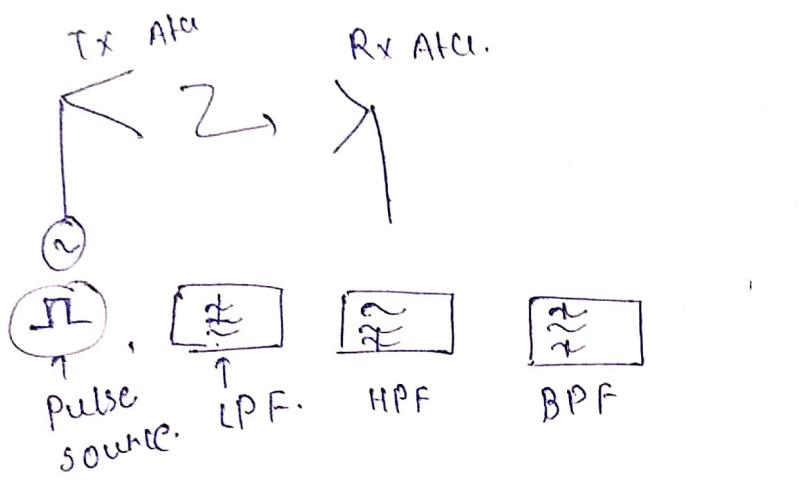
→ Antenna is only device with single port.  
others are two / three port.

→ Antenna measures in terms of equivalent noise temp.

$$T_e = \frac{N_0}{K B} \Rightarrow N_0 = K T_e B$$

Spectrum Analysis,  
Network Analysis

$$T_e = \frac{N_0}{K G B}$$



Mixer, Modulator, Multiplier → 3 M.



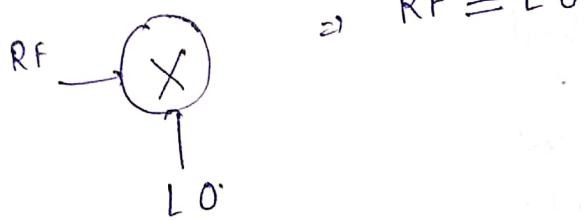
Modulation  
→ diffn bet'n carriers  
x message is very high.  
(freq.)

\* Unidirectional Receiver

→ All devices are lossy  
except the Ampl.

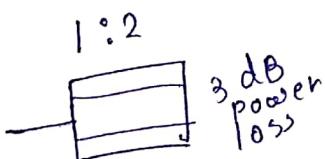
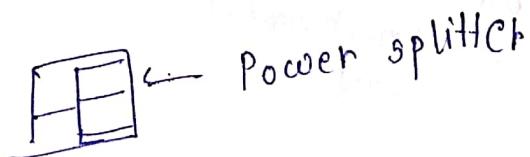
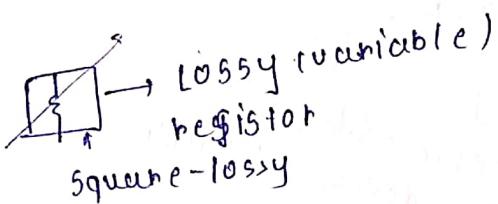
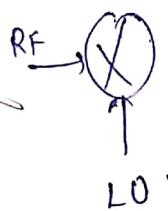
1) Homodyne Receiver

↳ two sum freq<sup>n</sup> mixing (dyne.)



2) Heterodyne Receiver

↳ different freq



→ wifi  
super net

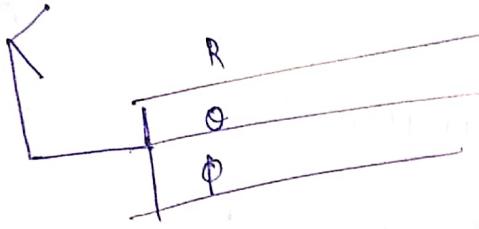
→ football  
not convolution

→ Homodyne  
technology

→ AGC  
(Automatic  
gain control)  
in phone.

→ channel change  
no change  
observed because  
of AGC

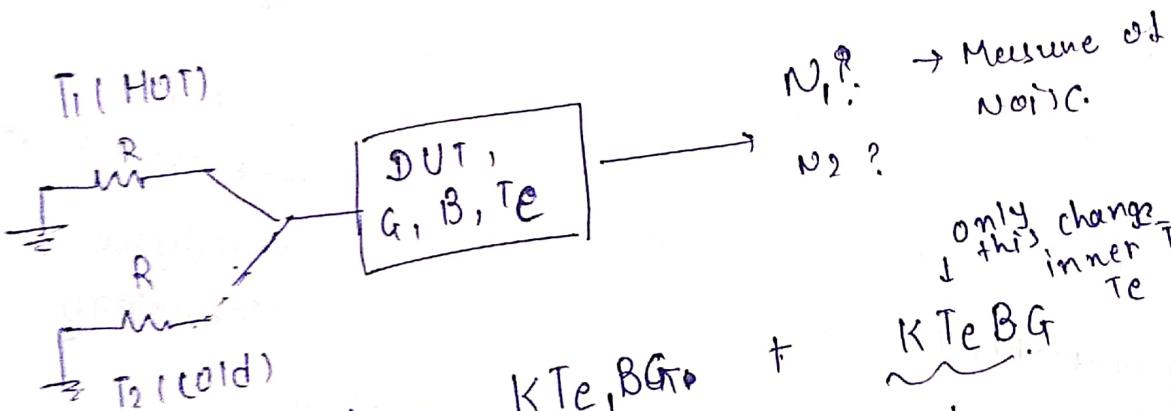
X



\* Measure -  $T_c$  :  $\gamma$ -factor Method

DUT  
G, B,  $T_e$

device under Test  
it could be Amp,  
filter, system etc.



$$N_1 = \underbrace{K T_e B G}_\text{IP noise} + \underbrace{N_2}_\text{noise added by device internally}$$

*Output noise contains two components always*

$$\gamma = \frac{N_1}{N_2} = \frac{K B G (T_{e1} + T_e)}{K B G (T_{e2} + T_e)}$$

$$\gamma = \frac{T_{e1} + T_e}{T_{e2} + T_e} > 1$$

only change inner temp  $T_e$

$K T_e B G$

- 1 noise added internally
- 2 comp'nt

$$T_e = \frac{T_{e1} - T_{e2}}{Y - 1}$$

→ System noise less temp  
as low as possible.

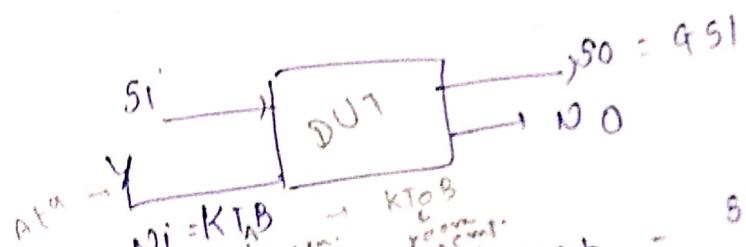
room temp  $T_{eF} = 290K$

liquid He = 4 K →  $T_e$

$\downarrow$   
diffn is high betn  $T_{e1}$  &  $T_{e2}$

$T_{e1} \gg T_{e2}$  (much accuracy)  
liquid He = 4 K  
 $N_2 = 77K$   
room temp = 290 K

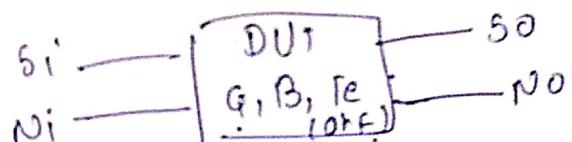
liquid Nitrogen = 77 K



$$F = \text{Noise factor} = \frac{S_i / N_i}{S_0 / N_o}$$

$$\text{noise factor} \rightarrow F = \frac{S_{NRI}}{S_{NRO}} < 1 \Rightarrow \text{good system}$$

relation betn F &  $T_e$



$$S_0 = \alpha S_i$$

$$N_i = K T_{oB}$$

$N_o =$  IIP noise amplified + Noise due to device internally amplified

$$= K T_{oB} G + K T_e B G$$

$$= K B G (T_o + T_e)$$

$$[N_o = G K B (T_o + T_e)]$$

$$\text{But } F = \frac{S_i/N_i}{S_o/N_o}$$

$$= \frac{S_i \times GKB (T_0 + T_e)}{B_s S_i \times K T_0 B}$$

$$F = \frac{T_0 + T_e}{T_0}$$

$$F = 1 + \frac{T_e}{T_0} \geq 1$$

$$T_e = (F-1)T_0$$

→ For a perfect noiseless PVT,

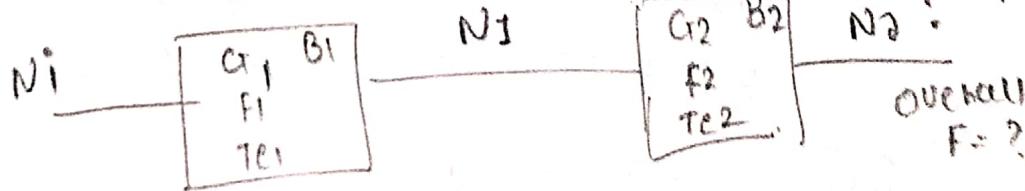
$$F = 1$$

$$T_e = 0 \text{ K}$$

$$NF|_{dB} = \text{noise fig} = 10 \log F$$

$$NF = 10 \log_{10} \text{numerical value, no dB} = 0 \text{ dB}$$

(overall) factor → noise figure of cascaded system  
⇒ Noise figure of DUT1      # DUT2



$$N_1 = K T_0 B$$

$$N_1 = \underbrace{G_1 K T_0 B}_J + \underbrace{G_1 K T_{e1} B}_I$$

i/p noise  
amplified

noise added  
due to internally amplified.

$$N_0 = G_2 N_1 + G_2 K T_{e2} B$$

$$= G_2 (G_1 K T_0 B + G_1 K T_{e1} B) + G_2 K T_{e2} B$$

$$N_0 = G_1 G_2 K B (T_0 + T_{e1} + \frac{T_{e2}^2}{G_1})$$

$$= G_1 G_2 K B (T_0 + T_e)$$

$$T_e = T_{e1} + \frac{T_{e2}}{G_1}$$

$$T_e = T_{e1} + \frac{T_{e2}}{G_1} + \frac{T_{e3}}{G_1 G_2} + \frac{T_{e4}}{G_1 G_2 G_3}$$

We know,

$$T_e = (F - 1) T_0$$

$$(F - 1) T_0 = (F_1 - 1) T_0 + \left( \frac{F_2 - 1}{G_1} \right) T_0$$

$$F = F_1 + \frac{F_2 - 1}{G_1}$$

Overall noise factor

$$F_F = F_1 + \frac{(F_2 - 1)}{G_1} + \frac{(F_3 - 1)}{G_1 G_2} + \frac{(F_4 - 1)}{G_1 G_2 G_3} + \dots$$

Friis formula

$\underbrace{\qquad\qquad}_{\text{Maximum contribution from first system}}$

no contribution from 4th system.

→ Overall noise figure.

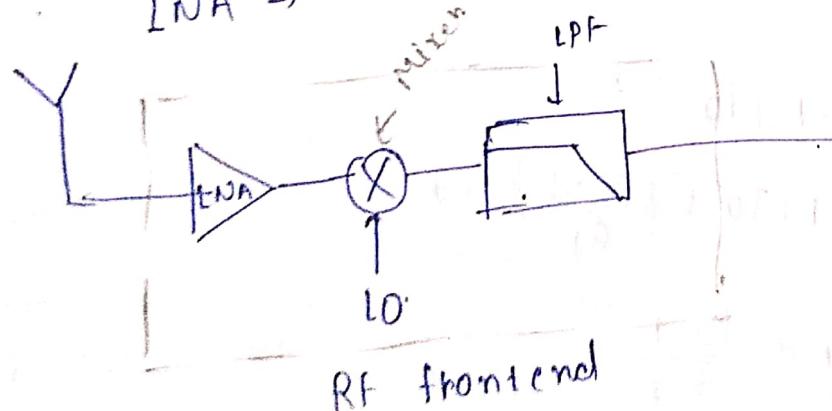
$$NF_{dB} = 10 \log(F)$$

$$NF = NF_1 + \frac{NF_2 - 1}{G_1} + \dots$$

$$NF = NF_1 + NF_2 + \dots$$

LNB  $\Rightarrow$  Low Noise Block.

LNA  $\Rightarrow$  Lower noise Amp



TUR SKY DTH  
more clearing  
detect from  
direct satellite

→ 3GHz freq  
wave in  
laptop

→ Meas radiation  
freq

Example

\* Analysis of RF/

TRX

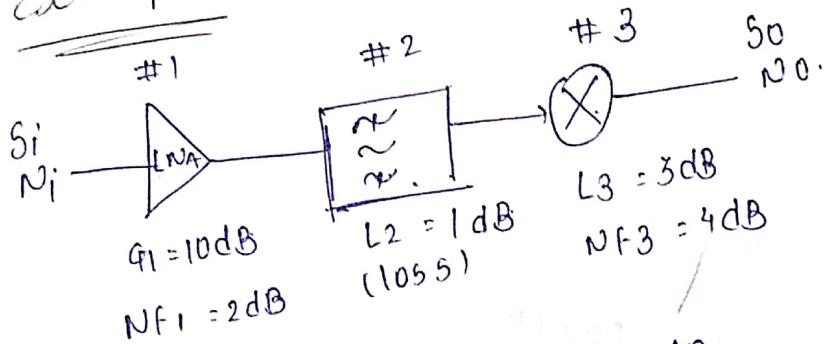
Transceiver

3.2 - 10 GHz

U  
UWB

1km distance  
small ping.

Example -



$$\rightarrow \text{Overall } G = 10 - 1 - 3 = 6 \text{ dB}$$

$$F_{eq} = F_1 + \frac{(F_2 - 1)}{G_1} + \frac{(F_3 - 1)}{G_2 G_3}$$

$$T_C = (f-1) T_0$$

$F$   
for lossy device / passive  
noise figure =  $10.55 \text{ dB}$

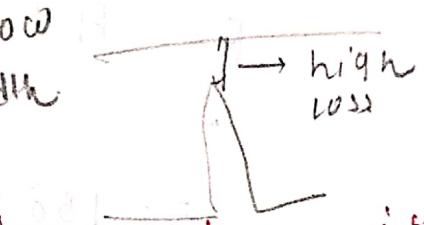
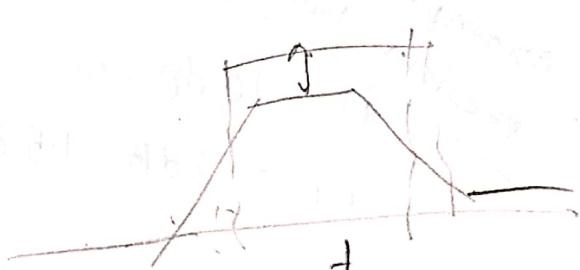
high loss, low bandwidth

→ high loss

for active device like comp' noise figure and loss is different

saw tooth filter

lossy but for narrow band.



$$T_e = (F-1) T_0$$

$$F = 1 + \frac{T_e}{T_0}$$

$$T_e = T_{e1} + \frac{T_{e2}}{G_1} + \frac{T_{e3}}{G_1 G_2} + \dots$$

$$F = F_1 + \frac{F_2 - 1}{G_1} + \frac{F_3 - 1}{G_1 G_2} + \dots$$

overall noise figure strong  $\Rightarrow$  low noise power  
 noise figure factor  $\downarrow$   
 example page soln  
 previous page soln  
 $G_1 = 10 \text{ dB} = 10$   
 $F_1 = 2 \text{ dB} = 1.58$

$$G_2 = -1 \text{ dB (loss)} = 0.79 \quad G_3 = -3 \text{ dB} \\ = 0.5 \quad F_2 = 1 \text{ dB} = 1.26 \quad F_3 = 4 \text{ dB} \\ = 2.51$$

$$F = F_1 + \frac{F_2 - 1}{G_1} + \frac{F_3 - 1}{G_1 G_2} + \dots$$

$$= 1.58 + \frac{1.26 - 1}{10} + \frac{2.51 - 1}{(10)(0.79)}$$

$$NF = 10 \log(F) = 10 \log(1.8) = 2.55 \text{ dB}$$