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## B. Tech. SEMESTER -Ist MAJOR EXAMINATION 2018 - 2019

Subject Name: Engineering Physics-I

Max. Marks: 50 Time: 3 Hrs. Note: Attempt all questions. Each question carry equal marks.  $(5 \times 2 = 10)$ Attempt any five parts of the following: 1.

What do you mean by frame of reference? What are the differences between inertial and non-(a) inertial frame of reference?

Derive the relativistic velocity audition theorem. Show that no material particle can travel faster (b) than the velocity of light.

The mass of a moving electron is 11 times its rest mass. Find the kinetic energy and momentum.

Establish Einstein's mass-energy relation. Give two physical examples of Einstein's mass-(c) (d)

Compare the wavelength of a photon and electron having (i)-Same momentum (ii)-Same energy.

What was the objective of Davisson-Germer experiment? Discuss the results of this experiment. (c)

State Heisenberg uncertainty principle. If the uncertainty in the location of a particle is equal to (f) its de Broglie wavelength, then find out the uncertainty in its velocity. (g)  $(2 \times 5 = 10)$ 

Attempt any two parts of the following:

Why the Newton's Rings are circular? Derive expression for the diameter of bright ring.

A diffraction grating used at normal incidence gives a line  $\lambda_1 = 6000$  Å in a certain order (a) superimposed on another line  $\lambda_2 = 4500$  Å of the next higher order. If the angle of diffraction is (b) 30°, calculate the number of lines in 1 cm of the grating.

Write the condition of secondary maxima for a single slit and show that the intensities of the successive maxima are in the ratio (c)

1: 1/22:1/61:1/121......

 $(2 \times 5 = 10)$ Attempt any two parts of the following:

In Newton's ring experiment, the diameter of 4th and 12th dark rings is 0.4 and 0.7 cm, respectively. Find the diameter of 20th dark ring. (2)

The indices of refraction of quartz for right handed and left handed circularly polarized light of wavelength 7620 Å are 1.53914 and 1.53920 respectively. Calculate the rotation of the plane of (b) polarization of the light in degrees produced by a plate 0.5 mm thick

Discuss the production and detection of plane, elliptically, and circularly polarised light?  $(2 \times 5 = 10)$ (c)

Attempt any two parts of the following: Mention the essential conditions for lasing action. With the help of suitable diagram, explain (11) الم النم

the principle, construction and working of Ruby laser, &

What is holography? Explain recording and reconstruction of a hologram. List some important (b) applications of holography.

An optical fibre has NA of 0.20 and a cladding refractive index of 1.59. Determine the acceptance angle for the fibre in water, which has refractive index of 1.33. (c)

### 74 What is meant by bonding and anti-bonding molecular orbitals? What are the conditions of linear combination of atomic arbitals (LACO)? Discuss the different conformations of butane. How will you account for the difference in Write down a brief note on fullerene-Cas and its applications. Unaw MO energy level diagram for the $F_2$ molecule. What is the order of stability arriang $F_2^{12}$ , $F_2$ and $F_2$ . What are various types of organic reactions? Explain them with one suitable example Time: I hrs. Max. Marks: 50 Note: Attempt all questions. All questions curry equal marks ROLL 2 3 1 19 0 3 1 1 2 8 What is Beckmann and Hofmann rearrangement? Discuss the machanism of the THE THE THE PERSON ... Subject Name: Lugincering Chemistry Major Examination 2018-2019 ODD SEMESTER 2 th 9 minutes C C Complete the following reactions Attempt any live of the following. = 3 ฉ Ŧ f O Û 0 ô Đ Ô Ö

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Classification of conducting polymers with examples.

i) How is natural rubber obtained from latex?

Attempt any two of the following

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A 0.80 g sample of a solid fluet was completely combusted in the excess of exigent using bomb calorimeter. The rise in temperature of water in calorimeter was 2.5° C. Calculate the high and low calorific value of the fluet, if water taken in calorimeter is 2000 g and water equivalent of calorimeter is 2000 g. Give answer vukg.

O.3. Attempt two of the following:

(a) Whe notes on.

l) Mechanism of cationic polymerization ii) Mechanism of free radical polymerization

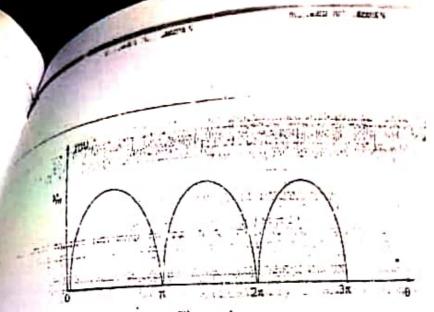


Figure. 4

- If the terminal voltage of the circuit is 100 sin  $\omega t + 50 \sin (3\omega t + \pi/4)$  and the current flowing is 10 sin ( $\omega t + \pi/3$ ) + 5 sin 3 $\omega t$ , calculate the total power consumption in the circuit and over (b) all power factor.
- What is requirement of earthing. Explain with a relevant circuit diagram, how earthing protects humans from an electric shock at residential premises. Why earthing wires are (c) comparatively thicker.
  - Attempt any two parts of the following:

 $(2 \times 5 = 10)$ 

- What is three phase ac system? Explain three phase delta connection with suitable phasor diagram and derive the expression of power for this connection at lagging power factor. (a)
- A three phase, three wire, star connected system has 150 V between phase to phase. Each phase has Z = 5 \( -30^\circ\). Find; (i) current in each phase, (ii) total power, draw phasor digram. (b)
- A balanced three phase, star connected load of 180 kW is taking a leading current of 300 A when connected across a three phase, 440 V, 50 Hz supply. Find the values and nature of the (c) load current and also power factor of the load  $(2 \times 5 = 10)$
- Attempt any two parts of the following: 5.

- Compare between electric circuit and equivalent magnetic circuit. Draw and explain B-H curve for a magnetic material. Explain the factors which affect hysteresis loss. How hysteresis loss (a)
- An iron ring is made up of two different materials-A and B having a relative permeability of 1000 and 1500 respectively. The mean length of the two material L<sub>A</sub> and L<sub>B</sub> are 75 cm and 25 cm respectively. The air gap length is 2 mm. The cross sectional area of the core is 10 cm<sup>2</sup>. The magnetizing coil has 1000 turns and a current of 5 A is allowed to flow through it. Calculate
  - Explain leakage flux. What is meant by coefficient of coupling in a magnetic circuit? Define self and mutual inductance and derive relation of self inductances and mutual inductance between mutually coupled magnetic circuits. (c)

(i) Within the families and shouldness of the motionness used for seals of the following is power, by the page of													31
(i) Write the names and shrudures of the monomers used for seah of the following is played, b) there as the control as played, b) there is a fined by the control as played, b) there is a fined by the control as the control as a played, b) there is a fined by the control as a played, b) the my required to the control as a played by the control and the	5	TO THE	T				,e)	ıΩ	ស	က			J.P
				i) Write the names and structures of the monomers used for each of the following is polymers. Nylon-6, c) Teffor, d) PVC, e) SBR, f) NBR, g)PGA, and b) Nylon-6,5. ii) I st out the differences polywen LDPE and HDPE.	In Last care fuels? How are they classified? Give sultable example of each class. What are fuels? How are they classified? Give sultable example of our burning 0.70. is. The temperature of 950 if growners make increased from 25.5°C to 28.5°C our burning 0.70. is of a solid fixel in a bomb colorimeter. Water equivelent of calorimeter and latent heat of steam are 400.0°g and 597.0°callig respectively. If the fuel contains 0.85% of hydrogen, caloulate its net catorific value.	stiany two of the following. What is the julipose of IR? Why KBr pellet is used in IR? What are the differences between stretching vibration and bending vibrations? Why acetone has lower between stretching vibration and bending vibration(1718cm*)?	The concentration of t-RNA in an aquedus solution is 10 M. The absorbance is found to be 0.209 when this solution is placed in a 1.00 cm covette and 256 nm radiations are passed through it.  a) Calculate the specific absorptivity, including units, of RNA.  b) What will be the absorbance if the path length of the original solution is what will be the absorbance if the path length of the original solution is increased to 5.00 cm?	Molecules like H <sub>2</sub> , N <sub>2</sub> , and O <sub>2</sub> are Infraisal inactive molecules whereas in CO <sub>2</sub> molecule some of vibrational modes are IR active. Give the comment. A CuSO <sub>4</sub> solution shows a transmittance of 90%, when taken in a cell of 1 9 cm thickness, Calculate its concentration if the molar absorption coefficient is 9000 throttom.	pt any two of the following Describe ion exchange method of demineralization of water.	What is an absorption spectra? Write what do you know about $\sigma \to \sigma^*$ , $\pi \to \pi^*$ , $n \to \pi^*$ and $n \to \sigma^*$ transitions? Define functional and finger print regions, How many vibrational modes are there in a linear and a non linear molecules boying n atoms? Explain with the help of degree of freedom.	فق		
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# Attempt any two parts of the following

(2x5)=10

ABCD+ABCD+ABC+AB Plot the logical expression. **E** 

B. coler down On a 4 variable K Map. Obtain the simplified expression from the map.

- Convert the following numbers as directed with procedures. (4021.25)10 Œ
  - (A6F,CD)<sub>18</sub> (2AC9)16  $\equiv$

- State and Prove following properties and laws of Bootean algebra: T

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- (i) Distributive property
  - (ii) Consensus Laws

(2x5)=10

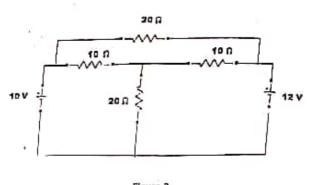
Attempt any two parts of the following

State the advantages of DVM over an analog meter. Explain the basic principle of DVM.

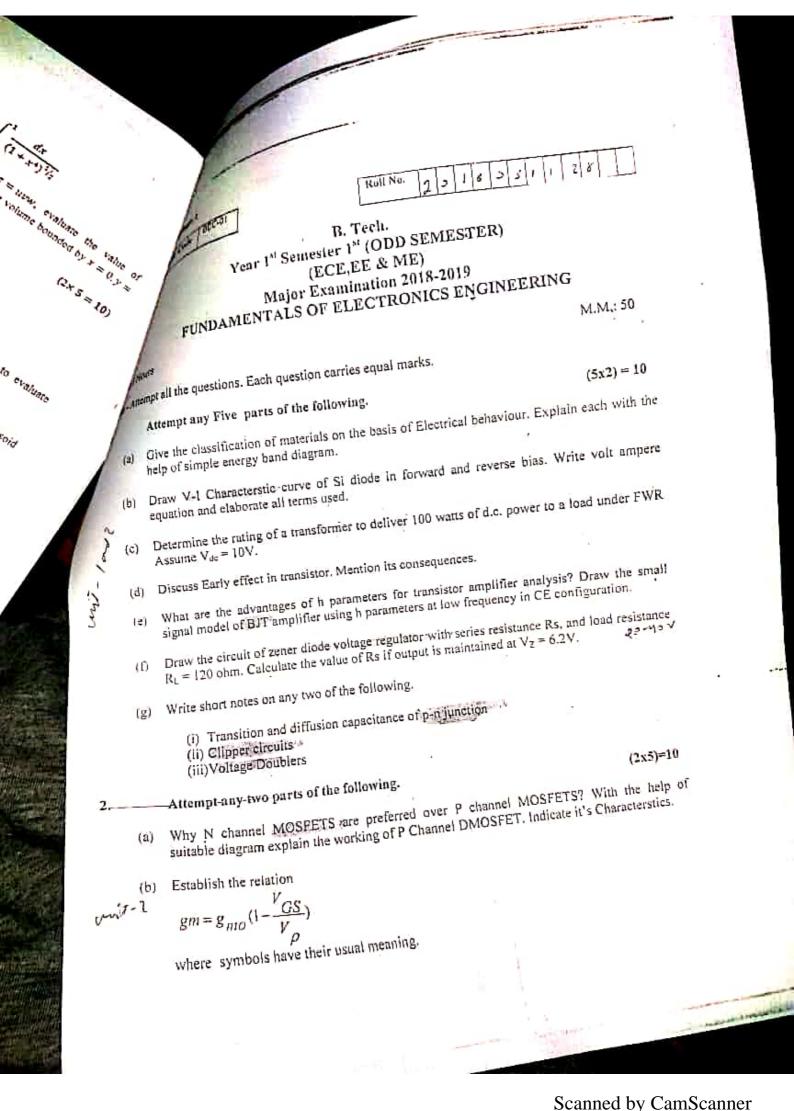
(E)

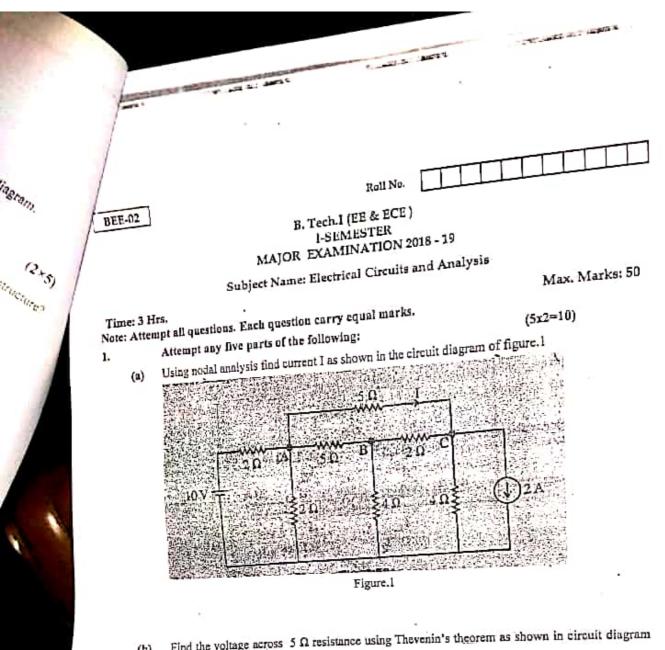
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- Describe the Working of CRO with the fielp of block diagram. Mention the practical applications of CRO. 0
- Explain the operation of basic Digital Multimeter with block diagram. How current and resistance can be measured? E

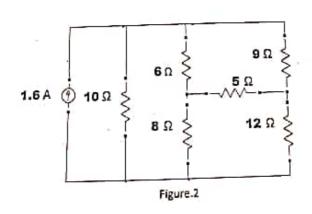


- Figure.3
- The equation of an alternating current is 42.42 sin628t, determine its; (i) maximum value, (d) (ii) frequency, and (iii) form factor.
- A series R-L-C circuit has 100 Ω resistor, 0.318H inductance and C. If supply voltage across A series K-1-C encount has 100 at resistor, 0.372 sinot A; find: (i) the value of capacitance C this circuit  $V=230\sqrt{2}$  sinot V, and  $I=2.3\sqrt{2}$  sinot A; find: (i) the value of capacitance C (ii) voltage across inductor, and (iii) power absorbed by circuit.
- in a series RL circuit explain: power factor, active power, reactive power and apparent power (f) by drawing the following; (i) Impedance triangle, (ii) Power triangle. (g)
- Two admittances  $Y_1 = (0.01 + j0.02)$  U, and  $Y_2 = (0.02 j0.01)$  U are connected in parallel across a supply of 100 V. Find the current drawn from the supply.
- 2. Attempt any two parts of the following:
  - An a.c. supply is suddenly switched on to a series R-L load, draw the relevant waveforms for (a) different switching instant and also derive the expression of currents for such switching (b)
  - A supply voltage of 24 V is switched on to a circuit with a resistance of 1 k $\Omega$  and a capacitance A supply voltage of 24 v is switched on to a cureur with a resistance of a capacitar of 1000 µF in series. Find (i) the time constant of the circuit, (ii) initial rate of rise of capacitor voltage, (iii) the rate of rise when the voltage is 10 V, and (iv) voltage and current after 2 (c)
  - Discuss the transient response of series RLC circuit with step input and explain over damping.
- Attempt any two parts of the following: 3.
  - Find the trignometrical Fourier series for the full wave rectified voltage sine wave as shown in





Find the voltage across 5  $\Omega$  resistance using Thevenin's theorem as shown in circuit diagram (b) of figure.2



Find mesh currents for the circuit shown in figure.3 (c)

Page 1

$$\int_0^1 \frac{x^2 dx}{(1-x^4)^{1/2}} \times \int_0^1 \frac{dx}{(1+x^4)^{1/2}}$$

- (c) By means of substitution  $x+y+z=u_ty+z=uv$ , z=uvw, evaluate the value of  $\iiint x^{-1/2}y^{-1/2}z^{-1/2}(1-x-y-z)^{1/2}dxdydz$  taken over the volume bounded by x=0, y=0 and x+y+z=1.
- 3. Attempt any two parts of the following:

- (a) Show that  $\beta(m,n) = \int_0^m \frac{x^{m-1}}{(1+x)^{m+n}} dx = \int_0^m \frac{x^{n-1}}{(1+x)^{m+n}} dx = \frac{\Gamma m \Gamma n}{\Gamma (m+n)!}$
- (b) (i) Show that

$$\Gamma\left(\frac{1}{n}\right)\Gamma\left(\frac{2}{n}\right)\Gamma\left(\frac{3}{n}\right)\dots\Gamma\left(\frac{n-1}{n}\right) = \frac{(2\pi)^{\binom{n-1}{2}}}{n^{1/2}}.$$

- (ii) Evaluate  $\int_0^\infty e^{-ax} x^{n-1} \cos bx \, dx$  in terms of Gamma function: Use it to evaluate  $\int_0^\infty \cos x^2 dx$
- (c) Evaluate  $\iiint \sqrt{a^2b^2c^2 b^2c^2x^2 c^2a^2y^2 a^2b^2z^2} dxdydz$  taken throughout the ellipsoid  $\frac{z^2}{a^2} + \frac{y^2}{b^2} + \frac{z^2}{c^2} = 1$ .
- 4. Attempt any two parts of the following:

$$(2 \times 5 = 10)$$

- (i) A fluid motion is given by  $\vec{v} = (y \sin z \sin x)\hat{i} + (x \sin z + 2yz)\hat{j} + (xy \cos z + y^2)\hat{k}$ . Is motion irrotational? If so, find the velocity potential.

  (ii) Show that  $div \left\{ grad \left( \frac{x}{z} \right) \right\} = 0$ , where r is the magnitude of position vector  $\vec{r} = x\hat{i} + y\hat{i} + y\hat{i}$ 
  - (ii) Show that  $div\left\{grad\left(\frac{x}{r^3}\right)\right\} = 0$ , where r is the magnitude of position vector  $\vec{r} = x\vec{\imath} + y\hat{\jmath} + z\hat{k}$ .
- Evaluate  $\iint_S \vec{F} \cdot \Re dS$ ,  $\vec{F} = 18z\hat{\imath} 12\hat{\jmath} + 3y\hat{k}$  and S is the surface of the plane 2x + 3y + 6z = -12 in the first octant.
  - (c) Verify divergence theorem for  $\vec{F} = 4x\hat{\imath} 2y^2\hat{\jmath} + z^2\hat{k}$  taken over the region bounded by cylinder  $x^2 + y^2 = a^2$ , z = 0, z = b.
- 5. Attempt any two parts of the following:

$$(2 \times 5 = 10)$$

- (a) .(i) Find the greatest value of the directional derivative of  $\phi(x, y, z) = 2x^2 y z^4$  at (2, -1, 1).
  - (ii) Find the directional derivative of  $xyz^2 + xz$  at (1,1,1) in the direction of the normal to the surface  $3xy^2 + y + z$  at (0, 1, 1).
- (b) Verify Green's theorem in a plane for  $\int_C (3x^2 8y^2)dx + (4y 6xy) dy$  where C encloses the region bounded by  $y = \sqrt{x}$  and  $x = \sqrt{y}$ .
- (c) Apply stokes' theorem to evaluate  $\int_C ydx + zdy + xdz$ , where C is the curve of intersection of  $x^2 + y^2 + z^2 = a^2$  and x + z = a.
  - (ii) Prove that  $\int_C \vec{r} \cdot d\vec{r} = 0$ , where  $\vec{r} = x\hat{t} + y\hat{j} + z\hat{k}$ .

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Time: 3 Hours

Paper Code

BAS-06

Roll No.

# B. Tech (SEM I) ODD SEMESTER MAJOR EXAMINATION 2018-2019 SPACE SCIENCE

Time: 3 Hrs.

Max. Marks: 50

Note: Attempt all questions. Each question carries equal marks.

1. Attempt any four parts of the followings:

 $(5\times2)$ 

- (a) Classify telescopes into different types and sketch ray-diagram of each.
- (b) Describe the construction and function of Charge Coupled Device (CCD). Also highlight its importance.
- (c) Write down nuclear reactions involved in CNO cycle.
- (d) Explain the construction and function of X-rays telescopes. Why are the X-rays collected at small glancing angles?
- (e) Discuss different cases of bound and un-bound obits along with energy conditions.
- (f) The force acting on a planet is given by the following equation-

$$f = -\frac{l^2 u^2}{m} \left( \frac{d^2 u}{d\theta^2} + u \right)$$

Here, the terms have their usual meanings. If  $r = \frac{p}{(1+\epsilon\cos\theta)}$ ; then show that the force obeys the inverse square law. ( $\varepsilon$  and p are constants).

- (g) Derive Newton's law of gravitation from Kepler's law of planetary motion.
- 2. Attempt any two parts of the followings:

 $(2\times5)$ 

- (a) Describe the formation of our solar system from a solar nebula with the help of neat and clean diagram.
- (b) Draw Hubble's tuning fork diagram and explain morphological evolution of galaxies.

(e) Why do "Pulsars" emit radiation? Explain with the help of neat and clean diagram.

3. Attempt any two parts of the followings:

 $(2 \times 5)$ 

- (a) Explain the formation of a "White Dwarf" star. How does it achieve its equilibrium structure?
- (b) Draw neat and clean Hurtzsprung-Russel (HR) diagram and explain the life cycle of an averaged sized star in it.
- (c) Why are "Black holes" not visible? Account reasons for it.
- 4. Attempt any two parts of the followings:

 $(2 \times 5)$ 

- (a) Describe Hubble's law of expanding Universe. Highlight the discrepancy in Hubble's observation.
- (b) Discuss about cosmic background radiations coming from different parts of the Universe and explain black body radiation curve of the Universe.
- (c) Starting from the Friedmann's equation, obtain the condition for closed model of the Universe and explain it.
- 5. Attempt any two parts of the followings:

 $(2\times5)$ 

- (a) Classify dark matter into different categories and comment on each.
- (b) Explain different stages of evolution of the Universe with the help of neat and clean diagram.
- (c) Comment on term "Cosmic Shower".

# B. Tech. 1 Semester ODD SEMESTER MAJOR EXAMINATION 2018 - 2019

Subject Name: : Engineering Mathematics-I

Max. Marks: 50

rimer 3 Hrs. all questions. Each question carry equal marks.

Attempt any five parts of the following:

 $(5 \times 2 = 10)$ 

- If  $u = \sin nx + \cos nx$ , then show that  $u_r = n^r [1 + (-1)^r \sin 2nx]^{1/2}$ , where  $u_r$  is the  $r^{th}$  differential coefficient of u w.r.t. x.
- If  $u = \sin^{-1} \left[ \frac{x^{1/4} + y^{1/4}}{\frac{y^2}{a^2 + y^2} \frac{y^2}{a^2}} \right]$ , then find  $x^2 \frac{\partial^2 u}{\partial x^2} + 2xy \frac{\partial^2 u}{\partial x \partial y} + y^2 \frac{\partial^2 u}{\partial y^2}$ (b)
- Expand  $\sin(m \sin^{-1} x)$  in ascending power of x. (c)
- Using  $x = r \cos \theta$ ,  $y = r \sin \theta$ , transform the equation  $\frac{\partial^2 u}{\partial x^2} + \frac{\partial^2 u}{\partial y^2} = 0$  into polar form as (d)

$$\frac{\partial^2 u}{\partial r^2} + \frac{1}{r} \frac{\partial u}{\partial r} + \frac{1}{r^2} \frac{\partial^2 u}{\partial \theta^2} = 0.$$

- Show that the equations 3x + 4y + 5z = a, 4x + 5y + 6z = b, 5x + 6y + 7z = c do not (e) have solution unless a + b = 2c.
- Find the rank of the matrix (f)

$$\begin{bmatrix} 2 & 3 & -2 & 4 \\ 3 & -2 & 1 & 2 \\ 3 & 2 & 3 & 4 \\ -2 & 4 & 0 & 5 \end{bmatrix}$$

Find the Eigen values and Eigen vectors of the man

$$\begin{bmatrix} -2 & 2 & -3 \\ 2 & 1 & -6 \\ -1 & -2 & 0 \end{bmatrix}$$

 $(2 \times 5 = 10)$ 

- Attempt any two parts of the following: 2.
  - (i) Evaluate

(i)

(b)

$$\int_0^\infty \int_0^x xe^{-\frac{x^2}{y}} dxdy$$

(ii) Solve by using change of order of integration

$$\int_0^a \int_0^{\frac{b}{b+x}} x dy dx$$

Find the volume bounded by the surfaces  $x^2 + y^2 = 1 + z$  and z = 0.

P.T.D.