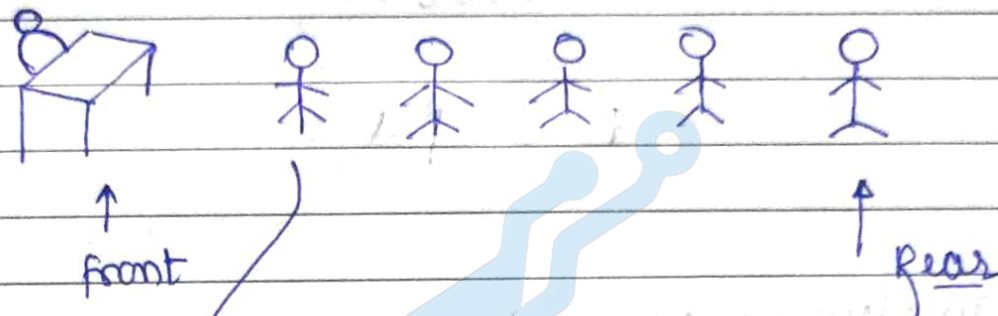


Section-14

Queues

Queue ADT :-

↳ works in FIFO (first in first out)



Insertion is done at Rear end
deletion is done at front end

Queue ADT

Data:

1. Space for ~~storing~~ storing elements
2. Front - for deletion
3. Rear - for insertion

Operations :-

1. enqueue(x)
2. dequeue()

3. isEmpty()

4. isFull()

5. first()

6. Last()

7. Display()

Implemented using

└─ Array

└─ Linked list

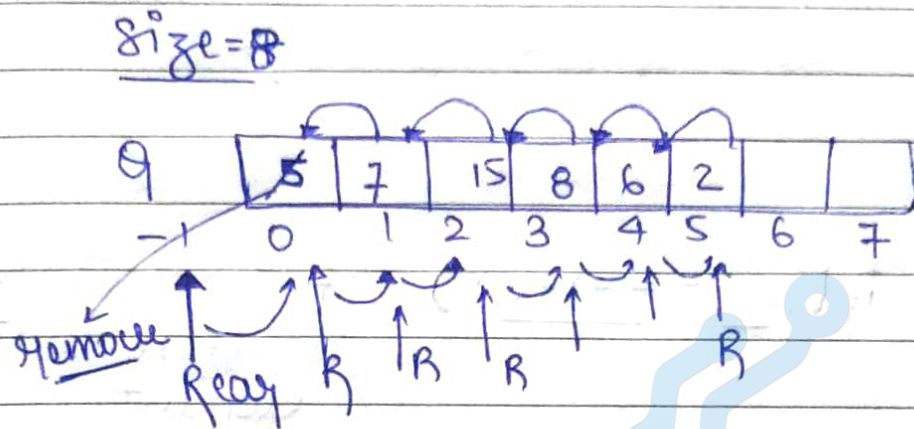
Queue using Array

1. Queue using single pointer

2. Queue using front and rear

3. Drawbacks of Queue using Array

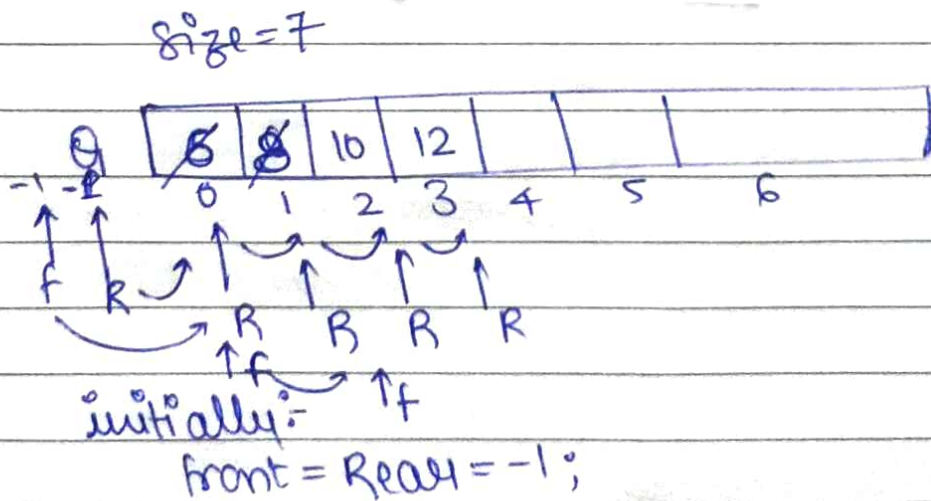
• Queue using Single Pointer



Insert - $O(1)$

delete - $O(n)$

• Queue using two pointer



Insert - $O(1)$

Delete - $O(1)$

enqueue - $O(1)$

Dequeue - $O(1)$

Queue is Empty

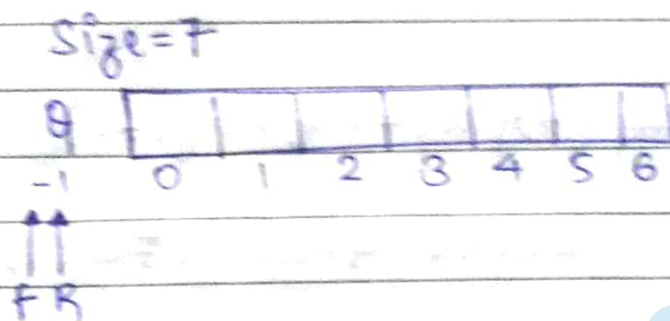
→ if (front == rear) if front is pointer
is before that
element

if (front > rear) if front is pointing
at that element.

Queue is ~~Empty~~ Full

if (rear = size - 1)

Implementation of Queue using Array



struct Queue

{
int size;
int front;
int rear;
int * Queue;
};

int main()
{

struct Queue q;

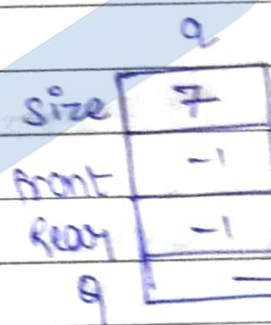
cout << "Enter Size: ";

cin >> q.size;

q.Q = (int*) malloc (q.size * sizeof(int));

q.front = q.rear = -1;

}




```
void enqueue (Queue *q, int x)
{
```

```
    if ( rear q->rear == q->size - 1 )
    {
```

```
        cout << "Queue is Full";
```

```
    }
```

```
    else
```

```
    {
```

```
        q->rear++;
```

```
        q->Q[q->rear] = x;
```

```
    }
```

```
}
```

```
void dequeue (Queue *q)
```

```
{
```

```
    int x = -1;
```

```
    if ( front q->front == q->rear )
```

```
    {
```

```
        cout << "Queue is Empty";
```

```
    }
```

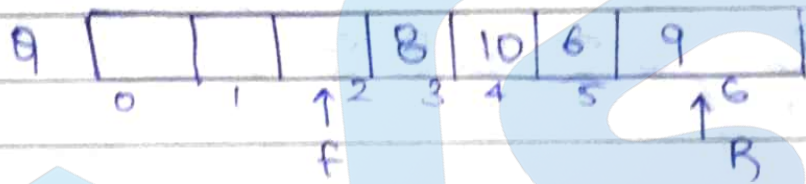
```
    else
```

```
    {
```

```
        q->front++;
```

3

size = 6



- We cannot reuse the space of deleted elements.

- Every location used only once.

- A situation where queue is empty, ~~also~~^{and} full also.

20 $\therefore \downarrow$

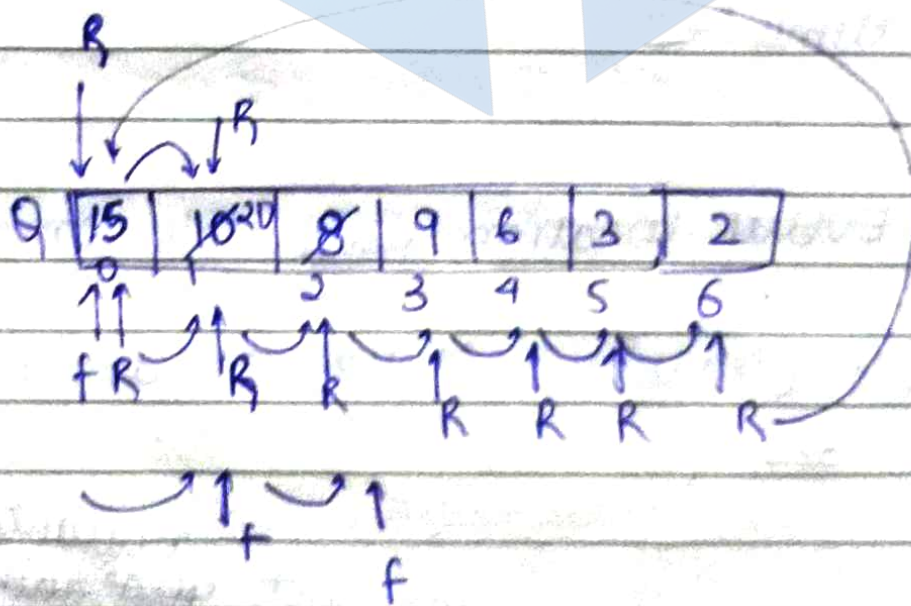
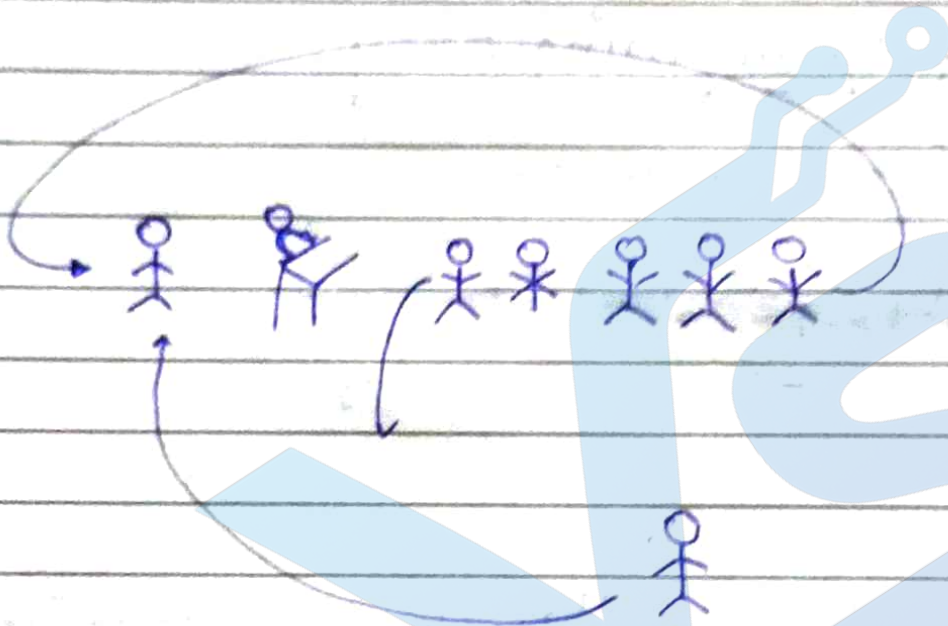
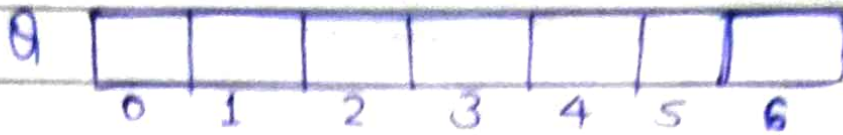
→ does not ~~guarantee~~ ^{guarantee}, to reuse these space.

- Resetting Pointers \rightarrow when queue is empty then $\text{front} = \text{rear} = -1;$

- Circular Queue

Circular Queue

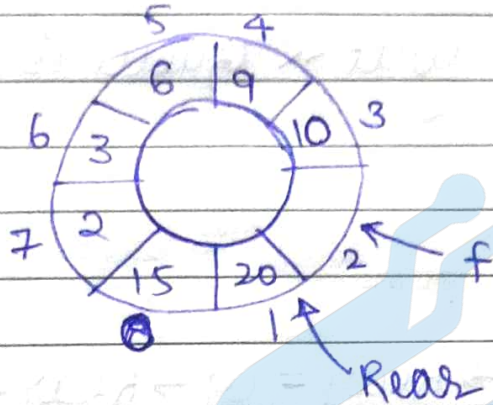
Size = 7



Best method to implement Queue using Array

↳ Circular Queue

Representation



$$\text{Rear} = (\text{Rear} + 1) \% \text{Size}$$

0	$(0+1)\%8$	1
1	$(1+1)\%8$	2
2	$(2+1)\%8$	3
3	$(3+1)\%8$	4
4	$(4+1)\%8$	5
5	$(5+1)\%8$	6
6	$(6+1)\%8$	7
7	$(7+1)\%8$	0

void enqueue (struct Queue *q, int x)

{

if ((q->Rear+1)%q->size == q->front)

cout << "Queue is Full";

else

{

q->Rear = (q->Rear+1)%q->size;

q->Q[q->Rear] = x;

}

}

int dequeue (struct Queue *q)

{

int x = -1;

if (q->front == q->Rear)

cout << "Queue is Empty";

else

{

q->front = (q->front+1)%q->size;

x = q->Q[q->front];

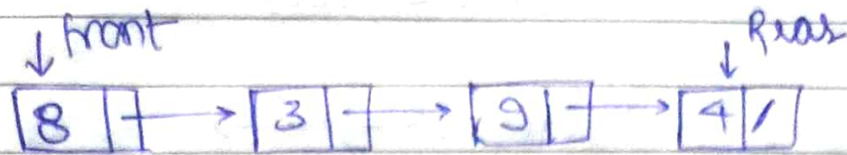
}

return x;

}

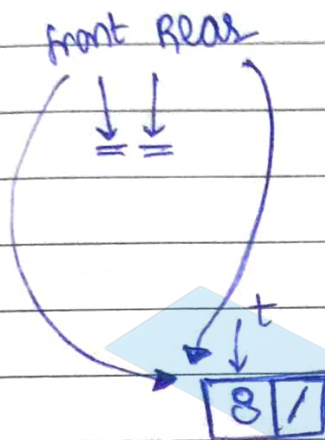
Ques)

Queue using linked list :-



Rear \rightarrow Insertion

front \rightarrow Delete



Empty

if (front == NULL)

Full

Node *t = new Node

if (t == NULL)

```
void enqueue (int x)
```

```
{
```

```
    Node *t = new Node;
```

```
    if (t == NULL)
```

```
        cout << "Queue is full";
```

```
    else {
```

```
t → data = x;  
t → next = NULL;
```

```
if (front == NULL)
```

```
front = rear = t;
```

```
else
```

```
{
```

```
rear → next = t;
```

```
rear = t;
```

```
}
```

```
}
```

```
}
```

— * — * — * — * —

```
int dequell()  
{
```

```
int x = -1;
```

```
Node *p;
```

```
if (front == NULL)
```

```
cout << "Queue is Empty";
```

```
else
```

```
{
```

```
p = front;
```

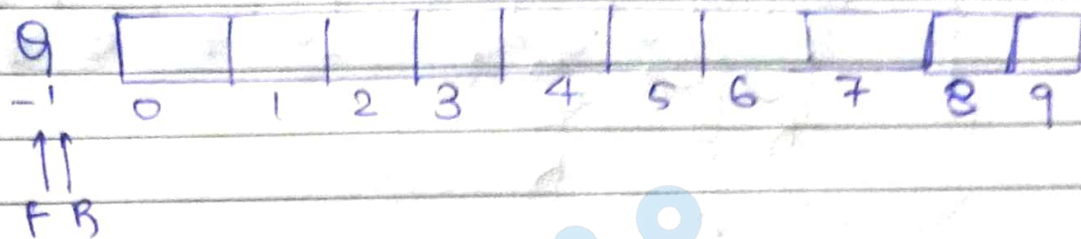
```
front = front → next;
```

```
x = p → data;
```

```
delete (p)
```

```
return x; }
```

Double Ended Queue (DEQUEUE)



front and Rear are used for both insertion and deletion

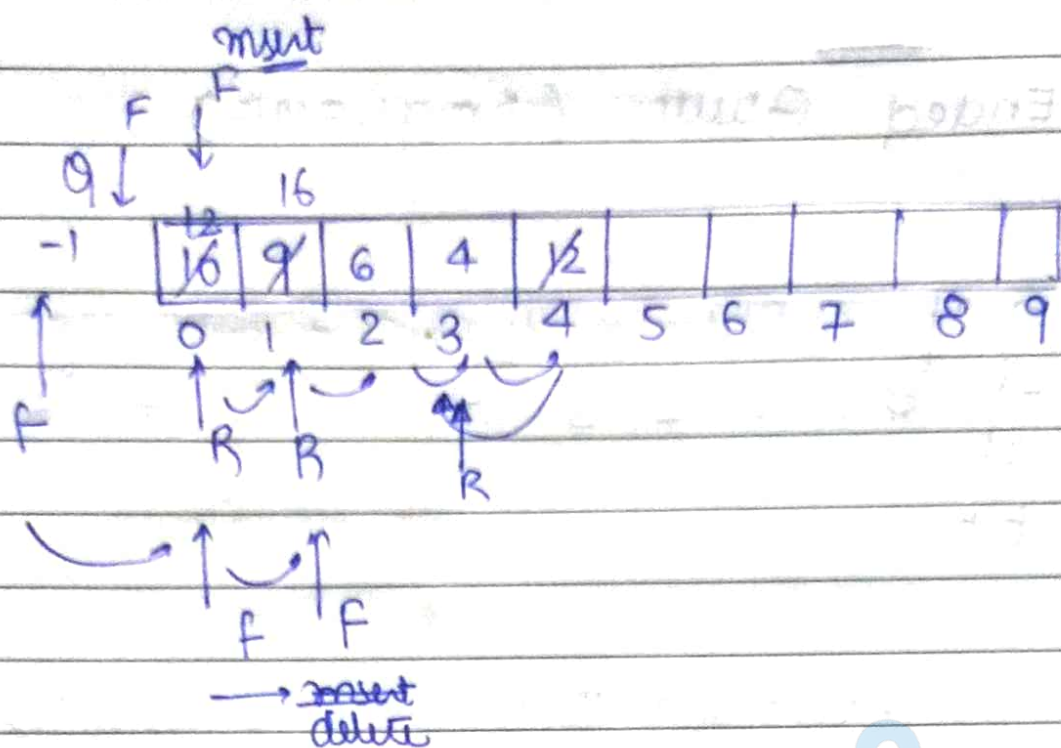
Queue

	Insert	Delete
front	x	✓
Rear	✓	x

DE Queue

	Insert	Delete
front	✓	✓
Rear	✓	✓

DE Queue not following FIFO



i/p Restricted

	Insert	Delete
front	X	✓
rear	✓	✓

→ Insert from front

→ Delete from front

→ Insert from rear

o/p Restricted

	Insert	Delete
front	✓	✓
rear	✓	X

→ Delete from rear

Priority Queue

1. Limited set of Priority

2. Element Priority

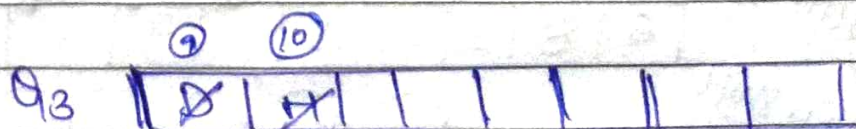
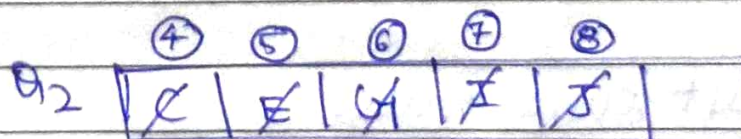
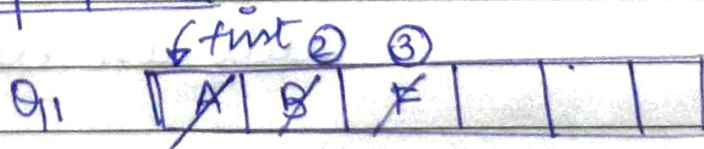
• Limited set of priority →

mostly useful in operating system

Priority = 3

Element →	A	B	C	D	E	F	G	H	I	J
Priority →	1	1	2	3	2	1	2	3	2	2
	↑							↑		
	high priority							low pri.		

Priority Queues



sequence of delete
↓
first delete element is which has high priority.

• Element Priority

Element \rightarrow 6, 8, 3, 10, 15, 2, 9, 17, 5, 8

smaller number
High Priority

9 || 2

1. Insert same order

\rightarrow Delete max priority by searching it.

2. Insert in increasing order of priority

Delete last element of array

1. Insert same order

Insert - $O(1)$
Delete - $O(n)$
 \swarrow
searching shift

6	8	3	10	15	2	9	17	5	8
---	---	---	----	----	---	---	----	---	---

6	8	3	10	15	9	17	5	8	
---	---	--------------	----	----	---	----	---	---	--

6	8	10	15	9	17	5	8		
---	---	----	----	---	----	---	---	--	--

2. Insert in in searching order of Priority

[6] []

[8] [6] []

[8] [6] [3] []

[10] [8] [6] [3] []

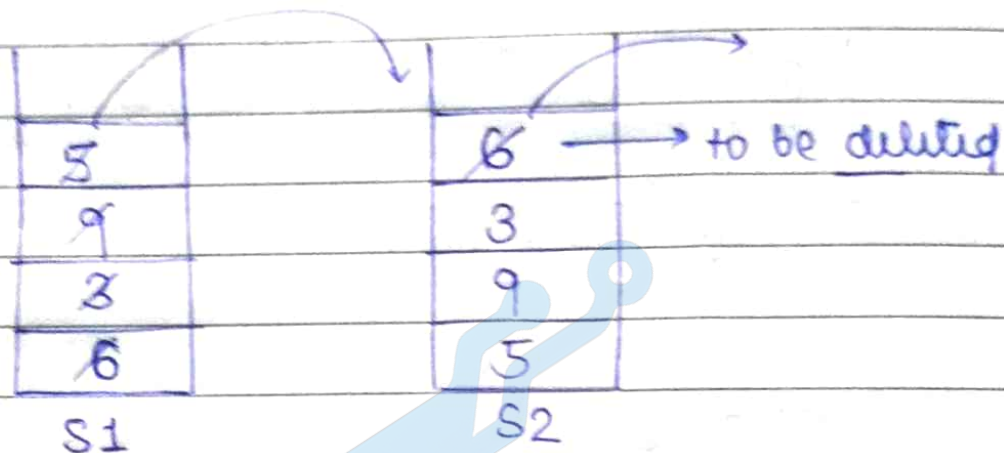
[15] [10] [8] [6] [3] []
↑
return

Insert $\rightarrow O(n)$

return $O(1)$

Queue using two stacks :-

element \rightarrow 6, 3, 9, 5, 4, 2, 8, 12, 10, ...



```
enqueue(int x)
{
    push(&s1, x);
}
```

```
int dequeue()
{
```

```
    int x = -1;
```

```
    if (is Empty(s2))
    {
```

```
        if (is Empty(s1))
        {
```

```
            cout << "Queue Empty";
```

```
        }
```

```
        return
```

```
        return x;
    }
```

else

}

while (!isEmpty(s1))

{

push(&s2, pop(&s1))

}

}

return pop(&s2);

}