

Functions in C.

1. What are functions anyway? We have seen functions in Maths. A function takes some input (called arguments) and returns some output (called return value).

$$\text{return value} \leftarrow y = f(a, b, c) \rightarrow \text{arguments}$$

function name

2. Take, for instance, the example of LCM. What will be LCM(12, 18)? LCM(12, 18) is read as LCM of 4 and 3. How do we solve it? We draw a table, write down the numbers, then find the common prime factors... What we follow is a procedure. And then the result we obtain after the procedure is the answer.

2	12, 18
3	6, 9
	2, 3

arg

$$\text{LCM} = 2 \times 3 \times 2 \times 3 = 36 \text{ (answer)}$$

return value

procedure

3. If we want to do the same thing in C. It will look like this:

```

int LCM (int a, int b) {
    /*
     * procedure
     */
    return answer;
}
  
```

return type

function name

args and their types

returning the answer

Types of functions.

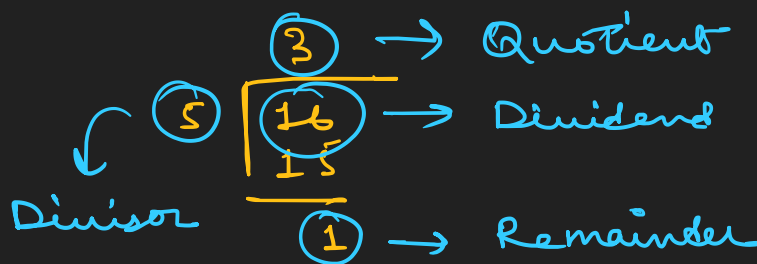
1. Built-in functions - Functions that are available to us without including any library. There are no built-in functions in C, but in other languages like python, they provide a lot of functions which we can use without including any library, like print(), input(), round() and more.
2. Library functions - Other people have written functions to make our life easier, and we can just include them into our code and use them. Examples include printf() and scanf() from stdio.h and pow() and round() from math.h
3. User-defined functions - These are the functions that we create. The LCM() function we roughly outlined previously is one such example.

Analysing the above code.

1. Note that the for loop runs from 1 to B-1 in the worst case. So, it almost takes B steps to find the LCM. If B is a very big number, in the worst case, it will take a lot of steps.
2. We can optimize it further by choosing the smaller number as B, but both A and B may be very big numbers.
3. A better way of finding LCM would be by dividing the product of A and B by their GCD. But for that we again need to define a GCD function which should take less than B-1 steps.
4. Turns out that there is a very efficient and simple way to find GCD of two numbers. It is called the Euclidean method.

Euclidean method of finding GCD.

1. Before proceeding, we need to recall some terminologies related to division.



2. We divide the dividend by the divisor to obtain the quotient which leaves the remainder. That's what's going on when we are dividing.
3. Euclidean method is like division, except that, after dividing once, we replace the dividend with the divisor and the divisor with the remainder, and then divide again. This continues until the remainder is 0. The divisor for which remainder is 0 is the GCD.

Write a C function to find GCD of two numbers using Euclidean method.

```
int GCD(int a, int b) {  
    // A is the dividend  
    // B is the divisor  
    // Note that A need not be greater than B.  
    // If A is less than B, then in the next  
    // iteration, A and B will be interchanged  
    // anyway. I encourage you to do a dry run  
    // and verify it.  
    int r = a % b;  
    while (r != 0) {  
        a = b;  
        b = r;  
        // The order of assignment is very  
        // important! If B = R were used before
```

