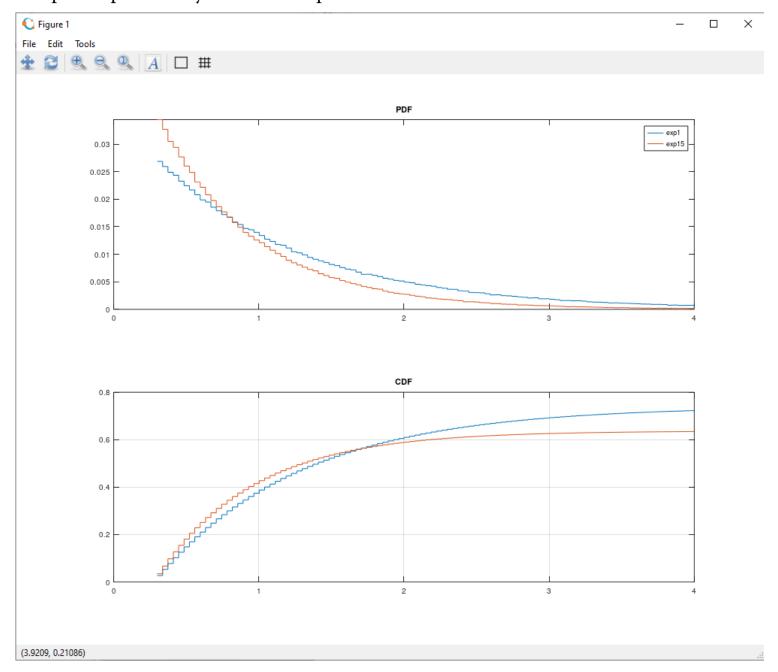
eup = empirical_univariate_plot(s). Empirical probability distribution plots.



Exponential distribution:

pkg load statistics; #unless loaded already

lambda = single(1);

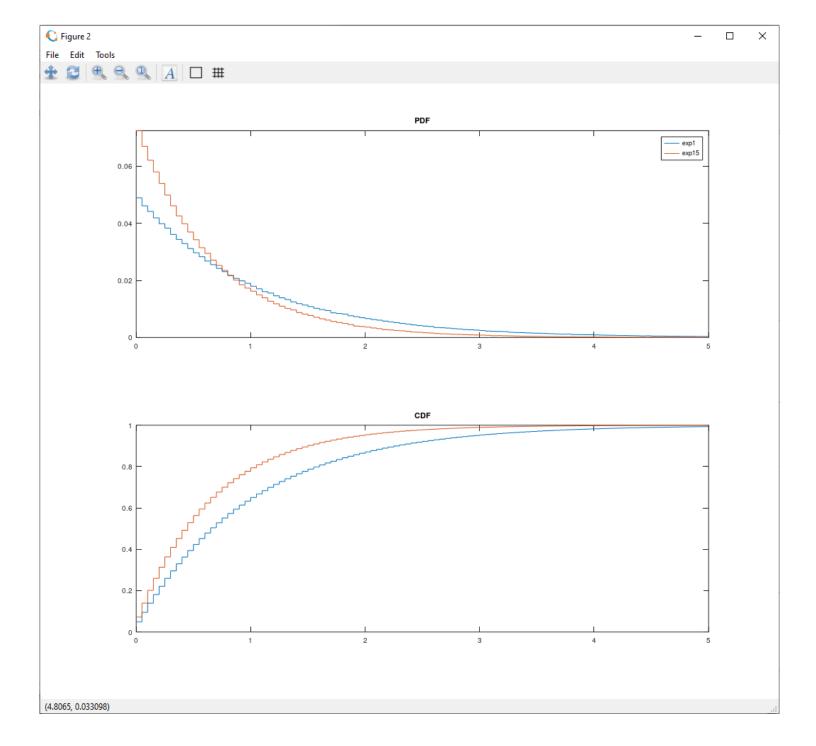
 $\exp 1 = \exp \operatorname{rnd}(\operatorname{lambda}, 1000); \#\operatorname{return} 10^6 \operatorname{random} \operatorname{samples} \operatorname{exponential} \operatorname{distributed}.$

lambda = single(1.5);

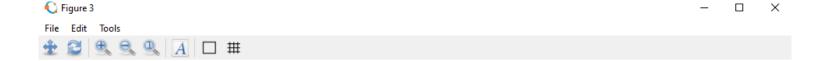
exp15 = exprnd(lambda, 1000); #lambda = scale parameter.

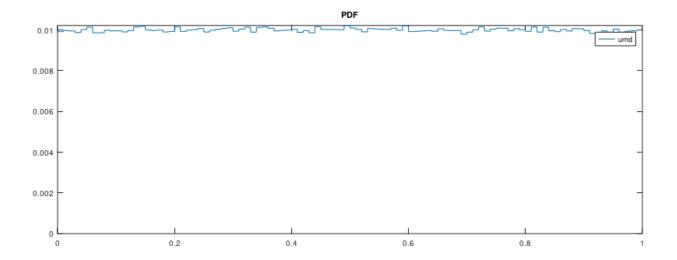
eup(exp1, :, :, [0.3 4]); # suppose create figure 1.

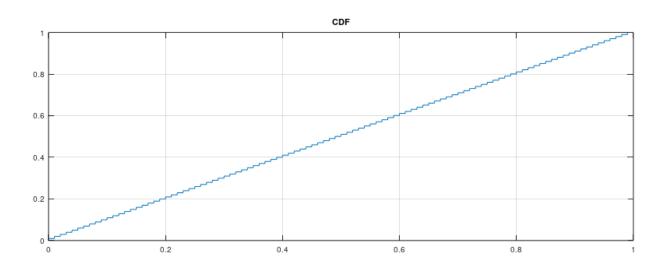
eup(exp15, :, 1, [0.3 4]); # plot in figure 1 (3rd param).



Exponential distribution (2): eup(exp1, :, :, [0 5]); # suppose create figure 2. eup(exp15, :, 2, [0 5]); # plot in figure 2 (3rd param).

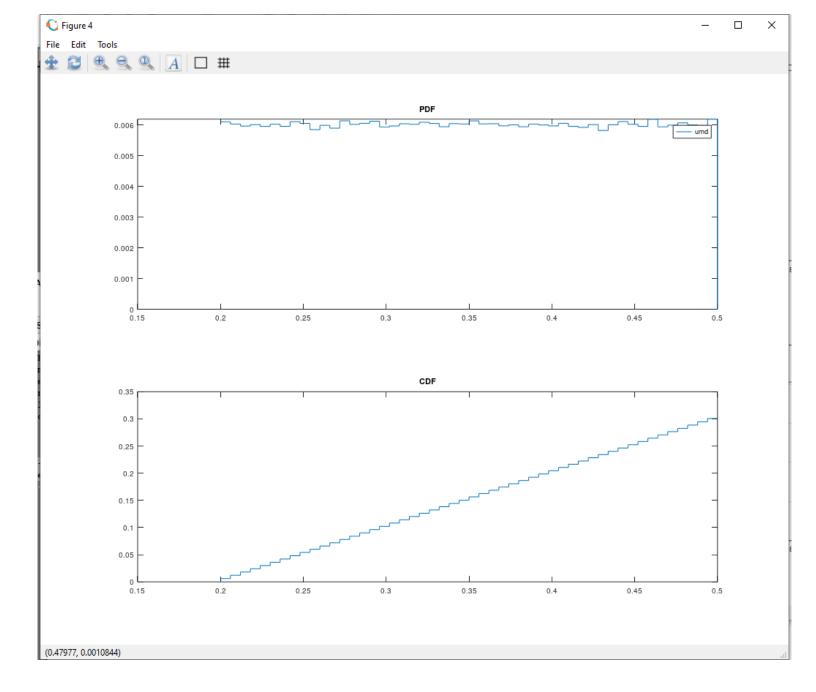




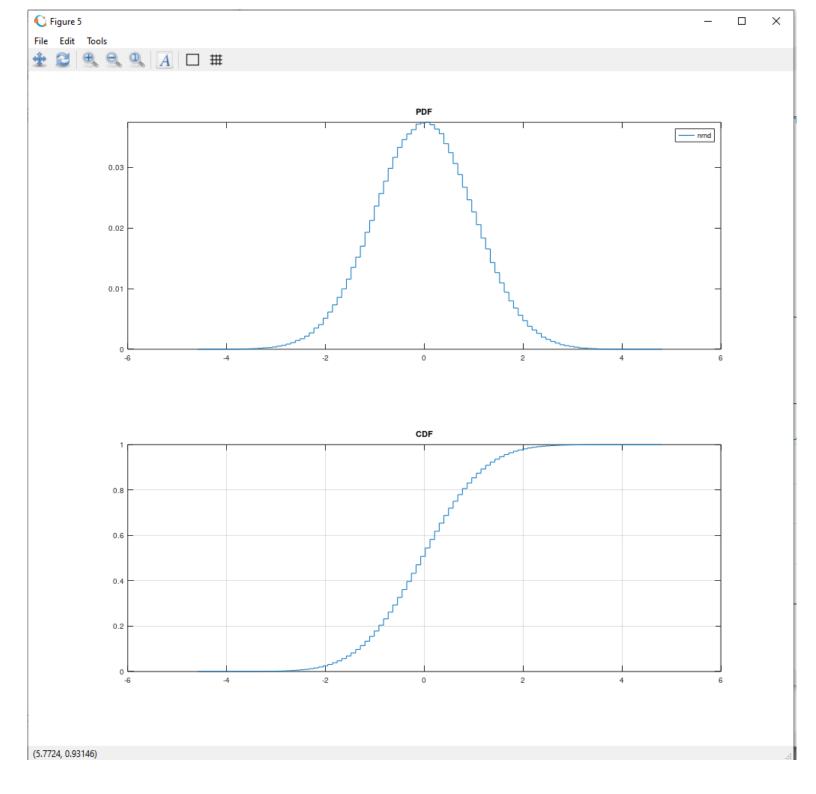


(0.78435, 0.0014205)

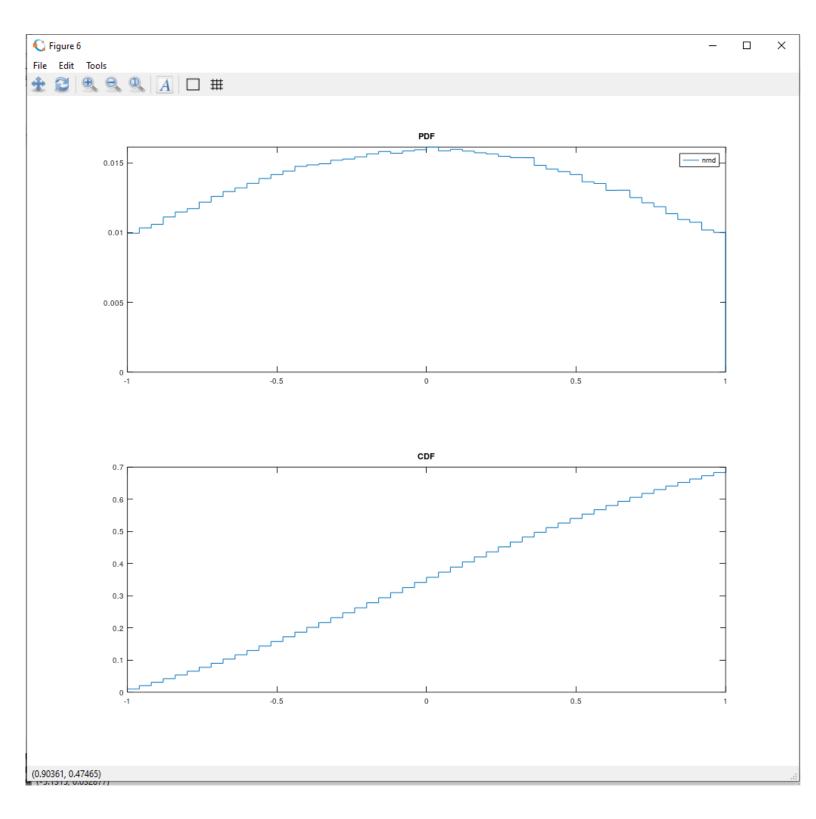
Uniform distribution:
urnd = rand(1000, "single");
eup(urnd);



Uniform distribution (2):
urnd = rand(1000, "single");
eup(urnd, 50, :, [0.2 0.5]);



Normal (Gaussian) distribution:
(standard) normally distributed random elements (zero mean and variance one):
nrnd = randn(1000, "single"); # 10⁶ elements.
eup(nrnd);



Normal (Gaussian) distribution (2): eup(nrnd, 50, :, [-1 1]); #zone with 68.2% probability (+/-sigma). ## Adjusting [xmin xmax] (the 4th eup parameter) we can evaluate the probability associated with different zones of X random variable.