## Decorrelation Within Pathways

January 31, 2018

## 1 Table of Contents

## 1 Figure 7

In this notebook, I show that decorrelation could help order a pathway. The approach I will take is as follows:

- Calculate primary pairwise correlations between each mutant transcriptome
- Weight all correlations by the number of isoforms that are DE in both transcriptomes, divided by the total number of isoforms in either transcriptome.
- Plot

There's a lot of untidy code here, for which I apologize. This is probably the most poorly documented notebook in this project...

```
In [1]: # important stuff:
        import os
        import pandas as pd
        import numpy as np
        import morgan as morgan
        import genpy
        import gvars
        # Graphics
        import matplotlib as mpl
        import matplotlib.pyplot as plt
        import seaborn as sns
        from matplotlib import rc
        rc('text', usetex=True)
        rc('text', usetex=True)
        rc('text.latex', preamble=r'\usepackage{cmbright}')
        rc('font', **{'family': 'sans-serif', 'sans-serif': ['Helvetica']})
        # Magic function to make matplotlib inline;
        %matplotlib inline
        # This enables SVG graphics inline.
```

```
%config InlineBackend.figure_formats = {'png', 'retina'}
        # JB's favorite Seaborn settings for notebooks
        rc = {'lines.linewidth': 2,
              'axes.labelsize': 18,
              'axes.titlesize': 18,
              'axes.facecolor': 'DFDFE5'}
        sns.set_context('notebook', rc=rc)
        sns.set_style("dark")
        mpl.rcParams['xtick.labelsize'] = 16
        mpl.rcParams['ytick.labelsize'] = 16
        mpl.rcParams['legend.fontsize'] = 14
In [2]: genvar = gvars.genvars()
In [4]: # Specify the genotypes to refer to:
        single_mutants = ['b', 'c', 'd', 'e', 'g']
        # Specify which genotypes are double mutants
        double_mutants = {'a' : 'bd', 'f':'bc'}
        # initialize the morgan.hunt object:
        thomas = morgan.hunt('target_id', 'b', 'tpm', 'qval')
        # input the genmap file:
        thomas.add_genmap('../input/library_genotype_mapping.txt', comment='#')
        # add the names of the single mutants
        thomas.add_single_mutant(single_mutants)
        # add the names of the double mutants
        thomas.add_double_mutants(['a', 'f'], ['bd', 'bc'])
        # set the q-value threshold for significance to its default value, 0.1
        thomas.set_qval()
        # Add the tpm files:
        kallisto_loc = '../input/kallisto_all/'
        thomas.add_tpm(kallisto_loc, '/kallisto/abundance.tsv', '')
        # Make all possible combinations of WT, X
        combs = \{\}
        for gene in thomas.genmap.genotype.unique():
            if gene != 'wt':
                combs[gene] = 'WT_'+gene+'/'
        # load all the beta values for each genotype:
```

```
sleuth_loc = '../sleuth/kallisto/'
      for file in os.listdir("../sleuth/kallisto"):
          if file[:4] == 'beta':
             letter = file[-5:-4].lower()
             thomas.add_beta(sleuth_loc + file, letter)
             thomas.beta[letter].sort_values('target_id', inplace=True)
             thomas.beta[letter].reset index(inplace=True)
      thomas.filter_data()
In [5]: barbara = morgan.mcclintock('bayesian', thomas, True)
starting comparison of d, c
Applied log-transform to lam and added transformed lam_log_ to model.
[-----] 2000 of 2000 complete in 1.7 sec
starting comparison of d, e
Applied log-transform to lam and added transformed lam_log_ to model.
[-----] 2000 of 2000 complete in 1.9 sec
starting comparison of d, b
Applied log-transform to lam and added transformed lam_log_ to model.
[-----] 2000 of 2000 complete in 1.9 sec
starting comparison of d, g
Applied log-transform to lam and added transformed lam_log_ to model.
 [-----] 2000 of 2000 complete in 1.9 sec
starting comparison of c, e
Applied log-transform to lam and added transformed lam_log_ to model.
[-----] 2000 of 2000 complete in 2.1 sec
starting comparison of c, b
Applied log-transform to lam and added transformed lam_log_ to model.
[-----] 2000 of 2000 complete in 1.8 sec
starting comparison of c, g
Applied log-transform to lam and added transformed lam_log_ to model.
[-----] 2000 of 2000 complete in 1.7 sec
starting comparison of e, b
Applied log-transform to lam and added transformed lam_log_ to model.
[-----] 2000 of 2000 complete in 2.6 sec
starting comparison of e, g
Applied log-transform to lam and added transformed lam_log_ to model.
[-----] 2000 of 2000 complete in 2.1 sec
starting comparison of b, g
Applied log-transform to lam and added transformed lam_log_ to model.
[-----] 2000 of 2000 complete in 1.9 secd d
Applied log-transform to lam and added transformed lam_log_ to model.
Applied log-transform to lam and added transformed lam_log_ to model.
Applied log-transform to lam and added transformed lam_log_ to model.
```

```
Applied log-transform to lam and added transformed lam_log_ to model.
c c
c e
Applied log-transform to lam and added transformed lam_log_ to model.
c b
Applied log-transform to lam and added transformed lam_log_ to model.
c g
Applied log-transform to lam and added transformed lam_log_ to model.
e e
e b
Applied log-transform to lam and added transformed lam_log_ to model.
e g
Applied log-transform to lam and added transformed lam_log_ to model.
e g
Applied log-transform to lam and added transformed lam_log_ to model.
b b
b g
Applied log-transform to lam and added transformed lam_log_ to model.
g g
```

Next, I define some functions that will help me clean up the matrix I just generated with the above command and place it into a tidy dataframe.

```
In [6]: def tidy_df(df, corr='corr', morgan_obj=thomas):
            A function that returns a tidied up dataframe.
            Dataframe provided must be the result of morgan.robust_regression()
            or morgan.robust_regression_secondary()
            df - dataframe to tidy up
            corr - a string indicating whether to use 'corr' or 'outliers'
            outputs:
            df - a tidied dataframe with columns 'corr_wit', 'variable',
                'fraction' and 'pair'
            # make a copy of the df
            df = df.copy()
            # append a column called corr_with
            if 'corr_with' not in df:
                df['corr_with'] = morgan_obj.single_mutants
            # melt it so that each row has a single correlation
            df = pd.melt(df, id_vars='corr_with')
            # drop any observations where the correlated letters are the same
            df = df[df.corr_with != df.variable]
            def calculate_fraction(x, fraction='corr'):
```

```
"""Fraction of genes that participate in a given interaction."""
                if (x.corr_with, x.variable) in barbara.correlated_genes.keys():
                    dd = barbara.correlated_genes[(x.corr_with, x.variable)]
                    outliers = len(dd['outliers'])
                    corr = len(dd['corr'])
                    total = outliers + corr
                    if fraction == 'corr':
                        return corr/total
                    else:
                        return outliers/total
                else:
                    return np.nan
            # calculate the fraction of genes participating in any interaction
            df['fraction'] = df.apply(calculate_fraction, args=(corr,), axis=1)
            # generate a new variable 'pair' that is
            df['pair'] = df.variable + df.corr_with
            # return the damned thing:
            return df
In [7]: def different(x, d):
            Returns an indicator variable if the primary regression
            is different in sign from the secondary.
            # extract the pair in question:
            p = x.pair
            # search for the primary interaction in the dataframe
            primary = d[(d.pair == p) &
                        (d.regression == 'primary')].value.values[0]
            # search for the secondary
            secondary = d[(d.pair == p) &
                          (d.regression == 'secondary')].value.values[0]
            # if the interactions are 0, return 0
            if primary == 0 or secondary == 0:
                return 0
            # if they have the same sign, return -1
            elif (primary*secondary > 0):
                return -1
            # otherwise return 1
            else:
                return 1
In [8]: def special add(x):
            If the primary and secondary have the same sign,
            returns the addition of both.
```

```
# if the current row is a secondary row
            # and the primary and secondary rows are the same
            # then return np.nan since we will want to ignore
            # the secondary correlation
            # if they are different in sign, return the current value
            if x.regression == 'secondary':
                if x.different == -1:
                    return np.nan
                else:
                    return x.value
            # if the regression is primary,
            # then add the values if the correlations have the same sign
            # otherwise just return the current value:
            check = d[(d.regression=='secondary') & \
                 (d.pair == x.pair)].different.values
            if check == -1:
                to_add = d[(d.regression=='secondary') &
                           (d.pair == x.pair)].value.values[0]
                return x.value + to_add
            else:
                return x.value
  tidy up the dataframes:
In [9]: # tidy up the dataframe w/bayesian primary interactions:
        d_pos = tidy_df(barbara.robust_slope)
        d_pos['regression'] = 'primary'
        # tidy up the secondary interactions
        d_minus = tidy_df(barbara.secondary_slope, corr='outliers')
        d_minus['regression'] = 'secondary'
        frames = [d_pos, d_minus]
        d = pd.concat(frames)
        # identify whether primary and secondary
        # interactions have different signs
        d['different'] = d.apply(different, args=(d,), axis=1)
        # drop any fractions that are NAN
        d.dropna(subset=['fraction'], inplace=True)
        # calculate corrected coefficients
        d['corrected'] = d.apply(special_add, axis=1)
        # drop any NAN corrected columns
        d.dropna(subset=['corrected'], inplace=True)
        # sort the pairs according to functional distance
        d['sort_pairs'] = d.pair.map(genvar.sort_pairs)
```

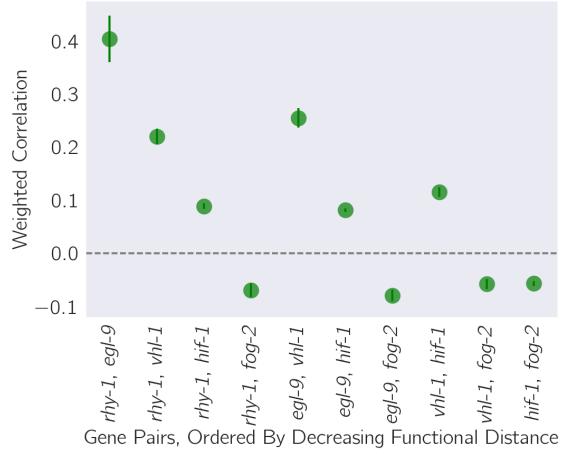
11 11 11

```
d.sort('sort_pairs', inplace=True)
        # add the labels for plotting:
        d['genes'] = d.pair.map(genvar.decode_pairs)
In [10]: # extract the standard error for each correlation
         e_plus = tidy_df(barbara.errors_primary)
         # add a sort pairs column
         e_plus['sort_pairs'] = e_plus.pair.map(genvar.sort_pairs)
         # decode the gene pairs
         e_plus['genes'] = e_plus.pair.map(genvar.decode_pairs)
         # sort
         e_plus.sort('sort_pairs', inplace=True)
         # drop nonnumeric values
         e_plus.dropna(inplace=True)
         # repeat for secondary errors
         e_minus = tidy_df(barbara.errors_secondary)
         e_minus['sort_pairs'] = e_minus.pair.map(genvar.sort_pairs)
         e_minus['genes'] = e_minus.pair.map(genvar.decode_pairs)
         e_minus.sort('sort_pairs', inplace=True)
         e_minus.dropna(inplace=True)
```

## 2 Figure 7

```
In [11]: # generate a stripplot with all the
         sns.stripplot(x='genes', y='corrected',
                       data=d[d.regression=='primary'], size=15,
                       color='g', alpha=0.7)
         # add errorbars:
         # for each xtick and xticklabel
         for x, xlabel in zip(plt.gca().get_xticks(),
                              plt.gca().get_xticklabels()):
             # get the data
             temp = d[d.regression=='primary']
             # get the gene ID
             f = temp.genes == xlabel.get_text()
             # get the error bar gene ID
             f2 = e_plus.genes == xlabel.get_text()
             # plot the errorbar
             plt.gca().errorbar(np.ones_like(temp[f].corrected.values)*x,
                                temp[f].corrected.values,
                                yerr=e_plus[f2].value.values,
                                ls='none', color='g')
```

```
# prettify:
plt.xticks(rotation=90, fontsize=20)
# plt.yticks([-0.1, 0, 0.5], fontsize=20)
plt.yticks(fontsize=20)
plt.axhline(0, lw=2, ls='--', color='gray')
plt.xticks(fontsize=20)
plt.yticks(fontsize=20)
plt.yticks(fontsize=20)
plt.xlabel('Gene Pairs, Ordered By Decreasing Functional Distance', fontsize=20)
plt.ylabel('Weighted Correlation', fontsize=20)
# save
plt.savefig('../output/weighted_corr_decreases_w_distance.svg')
```



Secondary correlations do not seem to have this property. That may be a result of the low number of genes (we should have sequenced deeper) or a result of other things that may be occurring. I don't really know.

```
(d.different == 1)],
                        size=10, color='k')
         # add errorbars:
         for x, xlabel in zip(plt.gca().get_xticks(),
                                plt.gca().get_xticklabels()):
              temp = d[d.regression=='secondary']
              f = temp.genes == xlabel.get_text()
              f2 = e_minus.genes == xlabel.get_text()
              plt.gca().errorbar(np.ones_like(temp[f].corrected.values)*x,
                                  temp[f].corrected.values,
                                  yerr=e_minus[f2].value.values,
                                  ls='none', color='k')
         # prettify
         plt.axhline(0, ls='--', color='0.5')
         plt.xticks(rotation=45, fontsize=20)
         plt.yticks([-0.1, 0, 0.1], fontsize=20)
         plt.axhline(0, lw=2, ls='--', color='gray')
         plt.ylabel('Secondary Correlation, Normalized to Overlap')
Out[12]: <matplotlib.text.Text at 0x13737d978>
    Secondary Correlation, Normalized to Overlap
          0.1
          0.0
```

0.1

In []: