Data Management and Artificial Intelligence Lab Class 1

Task 1 Graph - Breadth-first search(15 minutes)

Implement the breadth-first search (BFS) with the graph in homework. The function should show the nodes at each breadth. Think about the time complexity of BFS.

Task 2 Graph – Dijkstra's Algorithm (20 minutes)

Please construct an undirected graph visualized in Figure 1 using Networkx. Note to assign weights to edges when constructing graph. Then, implement the Dijkstra's algorithm to obtain the lengths of shortest paths from node A to the other nodes. The desired output should be: $\{A:0,B:7,C:3,D:9,E:5\}$

Task 3 Graph - Dijkstra's Algorithm to obtain paths (30 minutes)

Based on Dijkstra's Algorithm, please obtain the shortest path from node A to the other nodes. The desired output should be: $\{A:[A],B:[A,C,B],C:[A,C],D:[A,C,B,D],E:[A,C,E]\}$

Hint: Create a dictionary parent to record the parent of each node in shortest path tree. Whenever we find shorter path through a node u, we make u as parent of current node. Once we have parent dictionary constructed, we can obtain path using recursive function.

Task 4 Graph – Kruskal's Algorithm (30 minutes)

Implement the Kruskal's algorithm in Python with the graph visualized in Figure 2. For convenience, you can start with the code of graph construction below. The desired output should be: $\{(F,G),(A,B),(C,F),(A,D),(E,F),(A,E)\}$

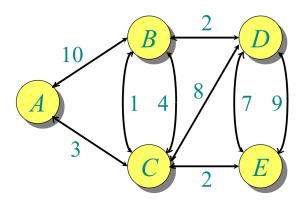


Figure 1: Graph of Task 2 and 3

```
G=nx.Graph()
G.add_edge('A','B',weight=2)
G.add_edge('A','D',weight=8)
G.add_edge('A','E',weight=14)
G.add_edge('D','E',weight=21)
G.add_edge('B','E',weight=25)
G.add_edge('B','C',weight=19)
G.add_edge('B','C',weight=17)
G.add_edge('E','C',weight=17)
G.add_edge('E','F',weight=13)
G.add_edge('C','F',weight=5)
G.add_edge('C','G',weight=9)
G.add_edge('F','G',weight=1)
```

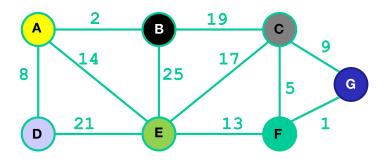


Figure 2: Graph of Task 4