

# **Linked Autonomous Interplanetary Satellite Orbit Navigation (LiAISON)**

Jason M. Leonard

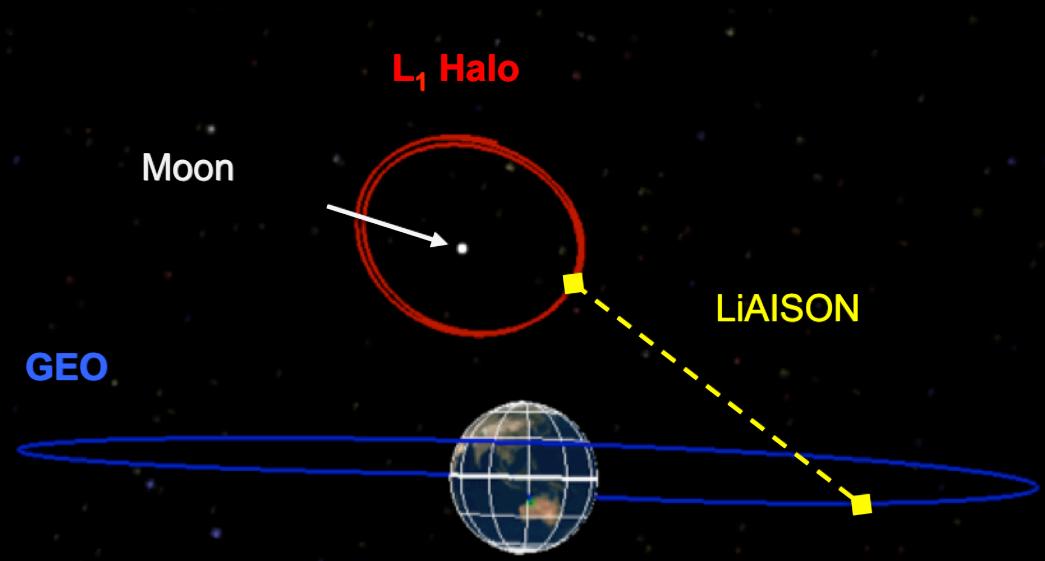
*University of Colorado at Boulder*

ASEN 5070: Statistical Orbit Determination  
October 25<sup>th</sup>, 2012



# Outline

- Introduction
- Satellite-to-Satellite Tracking
- LiAISON for Dummies
- LiAISON Research
  - LL<sub>1</sub> and LL<sub>2</sub>
  - LL<sub>1</sub> and GEO
  - Crewed LLO



# Introduction

## What it is:

A new navigation technique using a satellite in a libration orbit.

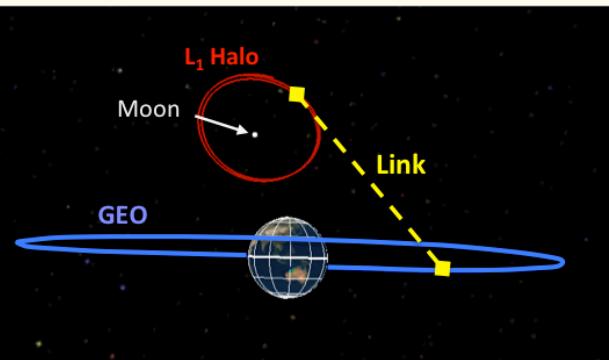
The satellite brings GPS-like navigation to GEO, the Moon, and beyond.

Relative range measurements produce absolute navigation knowledge!

Allows for autonomy in spacecraft operations

## LiAISON:

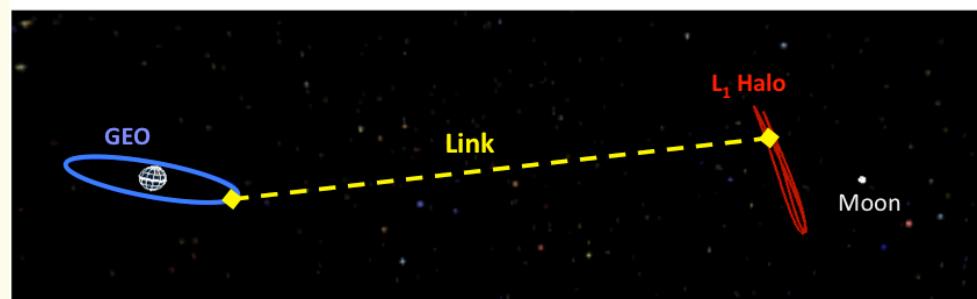
Linked  
Autonomous  
Interplanetary  
Satellite  
Orbit  
Navigation



## Results:

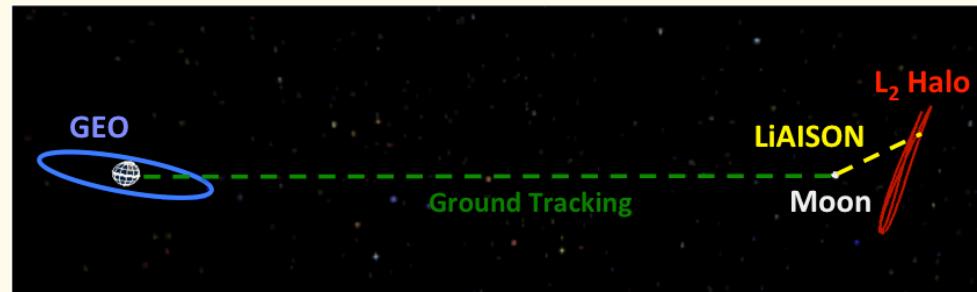
Navigation position accuracy:

- < 100 meters for lunar libration orbiters
- < 10 meters for low lunar orbiters
- < 10 meters for GEO / LEO orbiters



## Applications:

- Lunar exploration: orbiters, landers, rovers, far-side tracking
- GEO navigation
- Interplanetary departures
- Crewed missions to the Moon

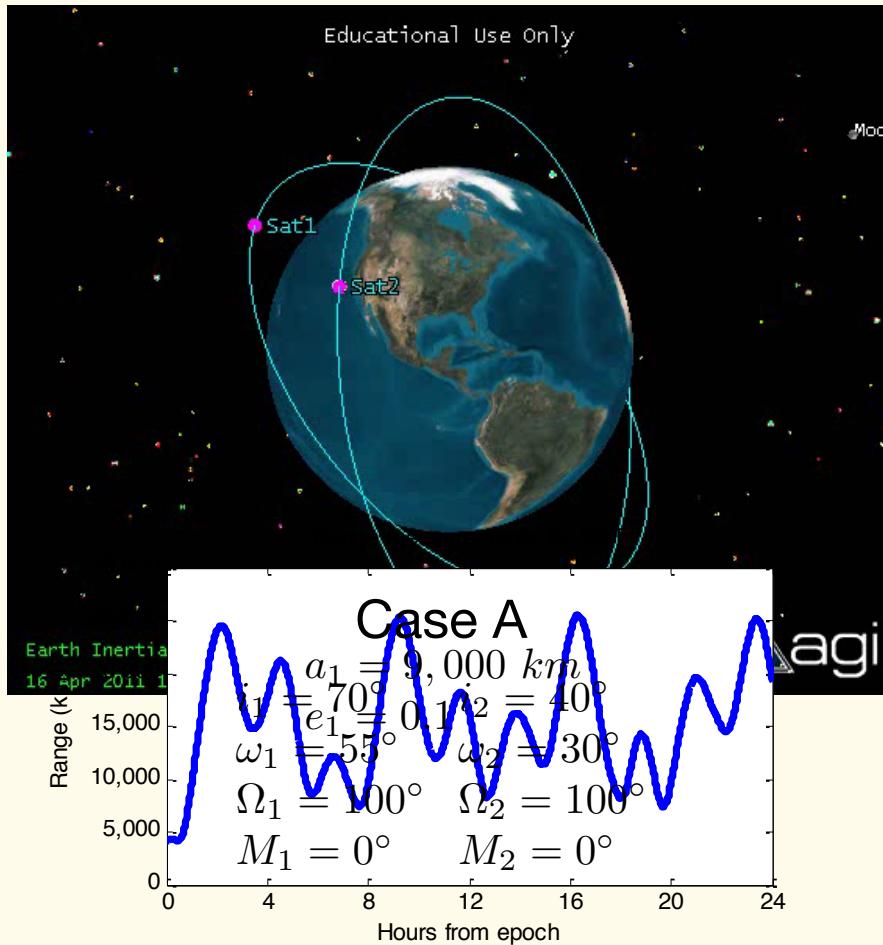


# Satellite-to-Satellite Tracking

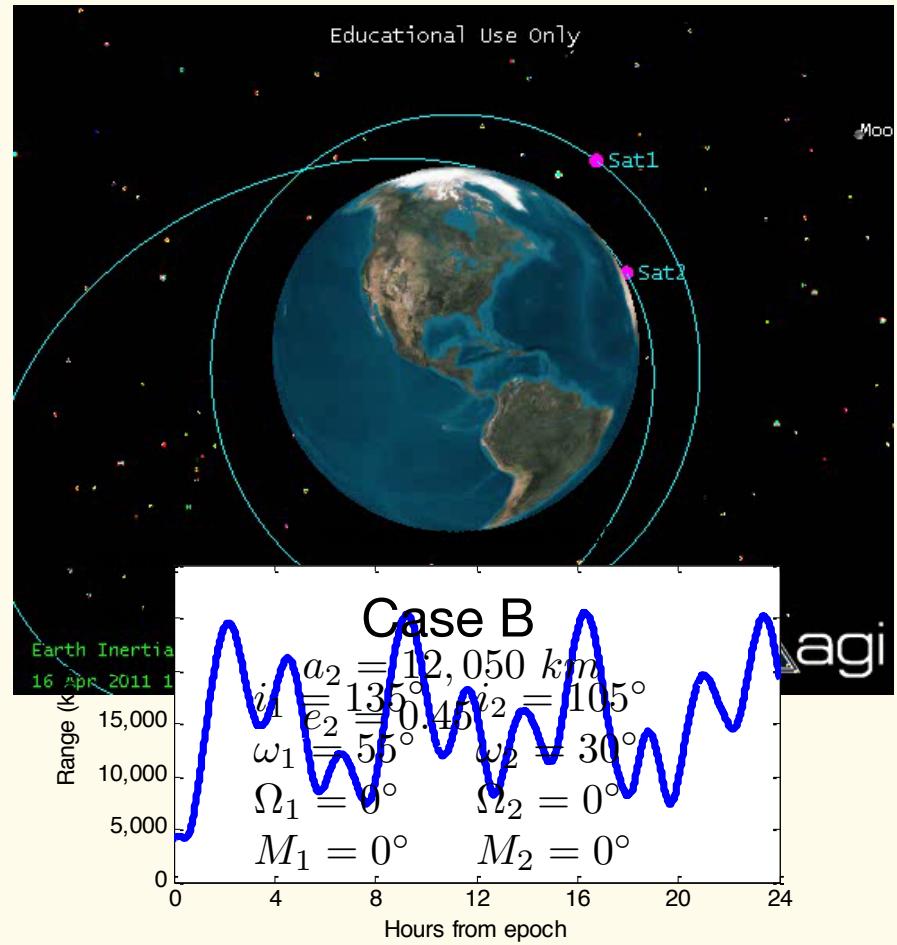


# Satellite-to-Satellite Tracking

Case A



Case B



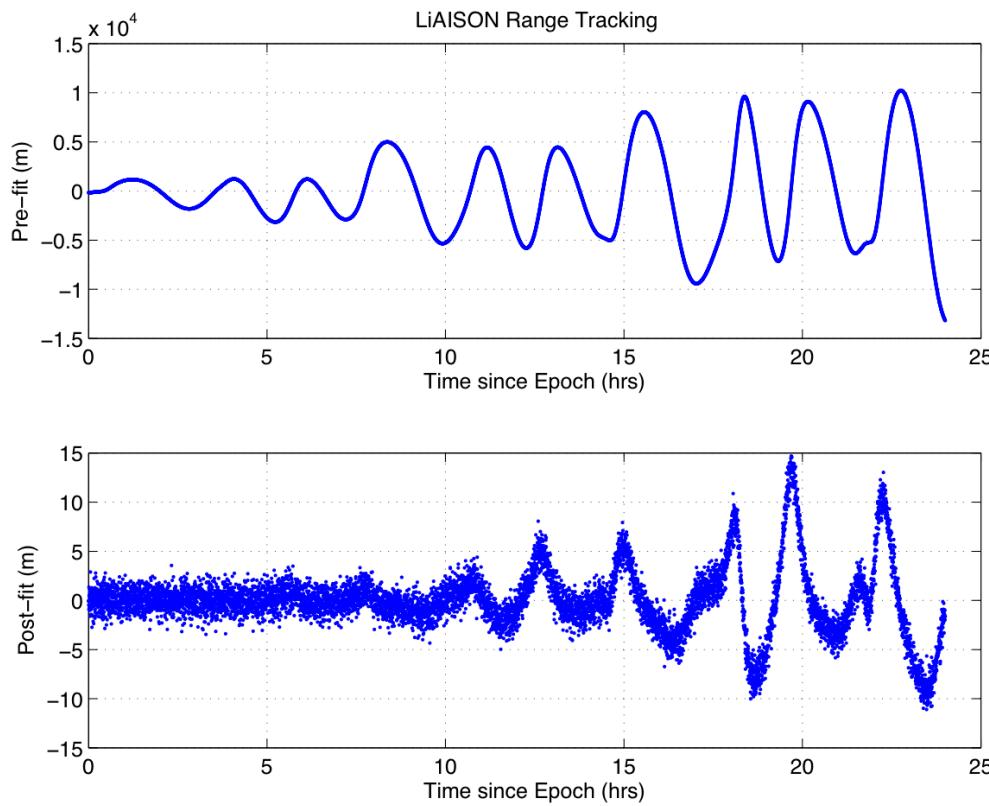
# SST Case Study

- What would happen if we ran a CKF for Case A using:
  - Typical state vector:
$$\mathbf{X} = [\mathbf{r}_1^T \quad \mathbf{v}_1^T \quad \mathbf{r}_2^T \quad \mathbf{v}_2^T]^T$$
  - SST range and range-rate measurements
  - No ground observations
- Some of your options
  - Filter saturates
  - Filter diverges
  - Filter explodes?!?
  - Other options?



# Case A Results: Residuals

- Previous Case A CKF Results

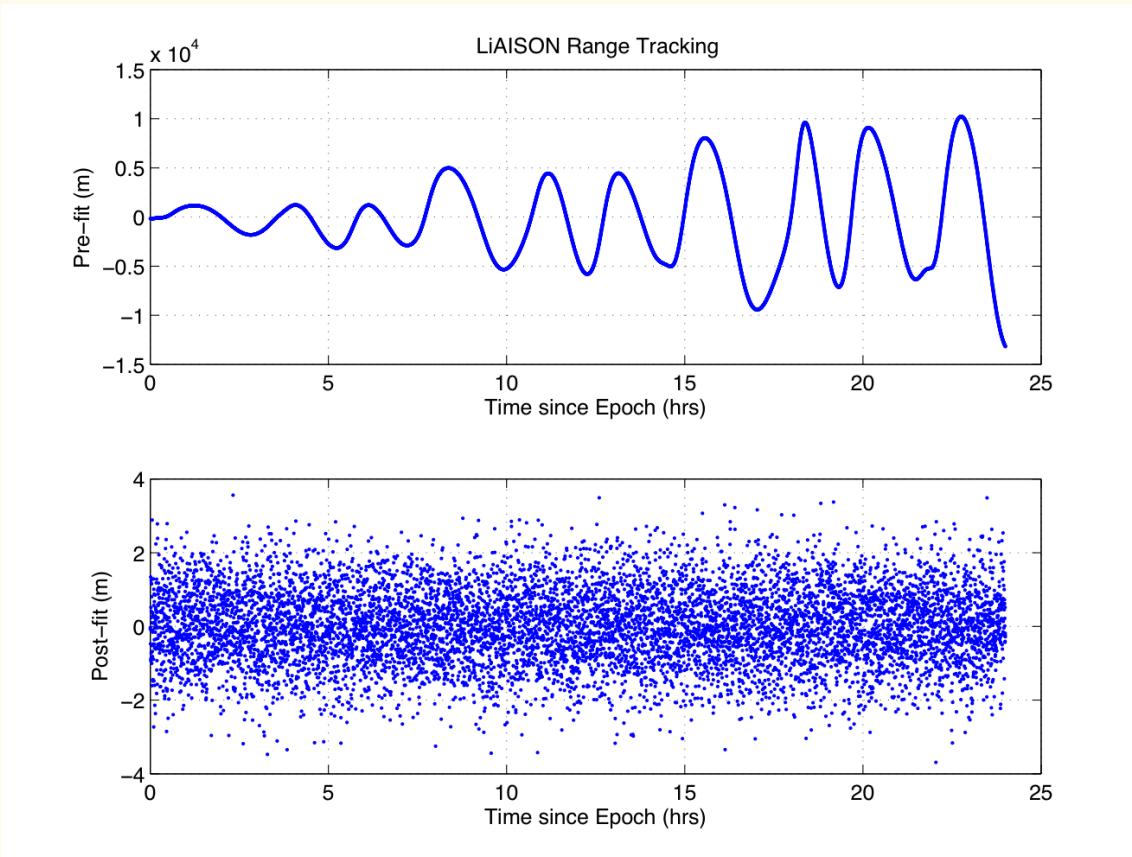


**What happened?**



# Case A Results: Residuals

- Previous Case A CKF Results with SNC

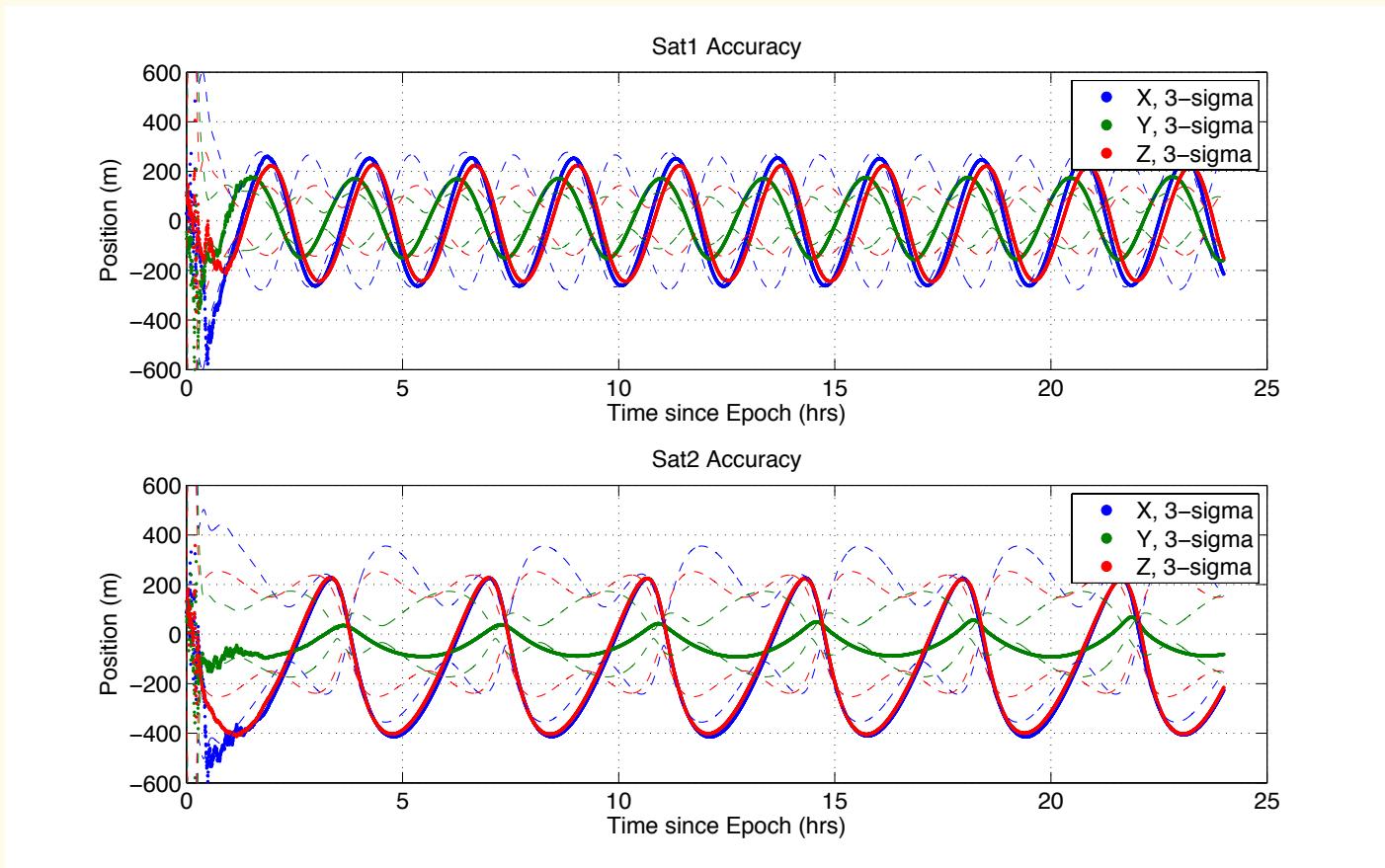


**What happened?**



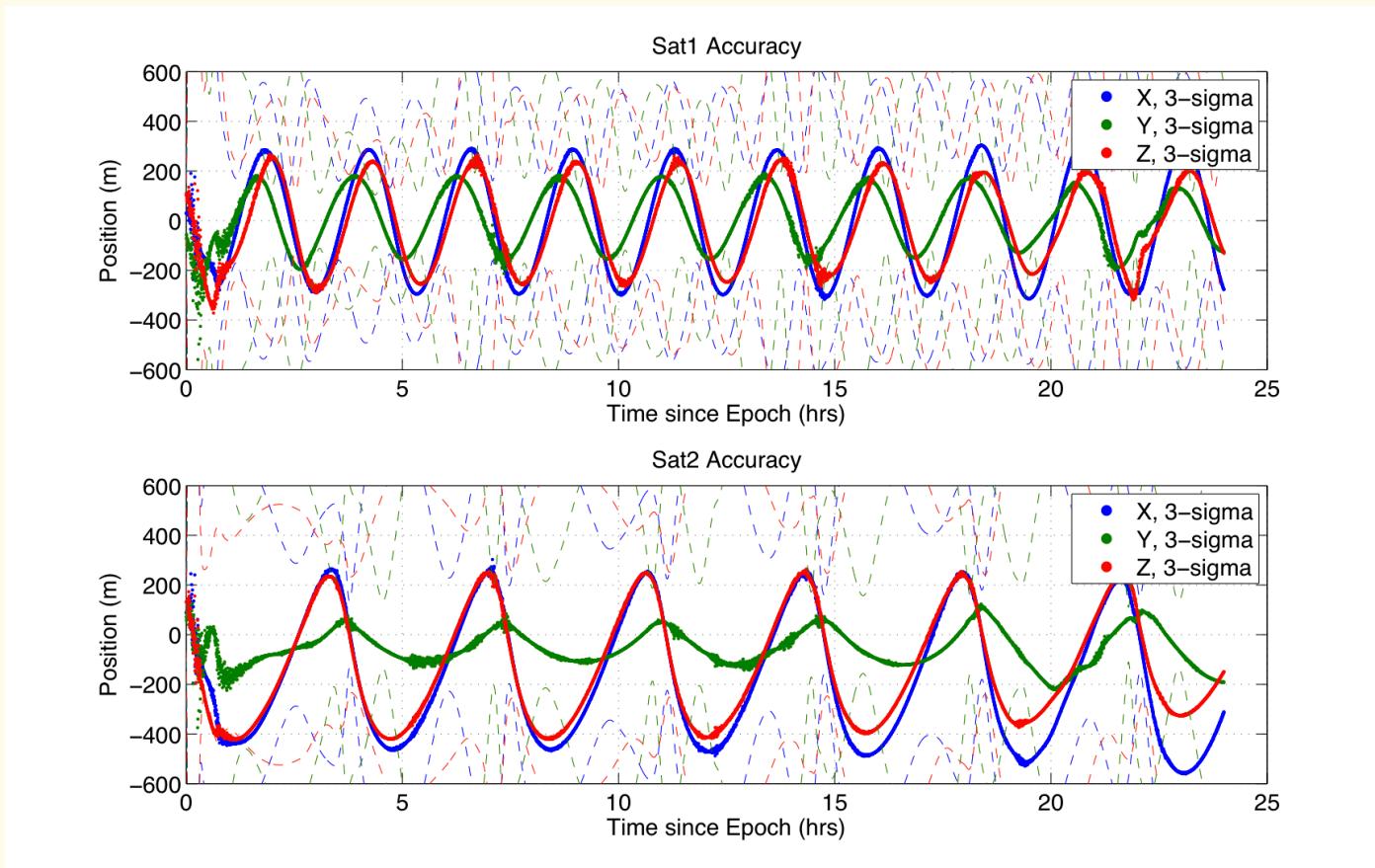
# Case A Results: Accuracy

- Previous Case A CKF Results



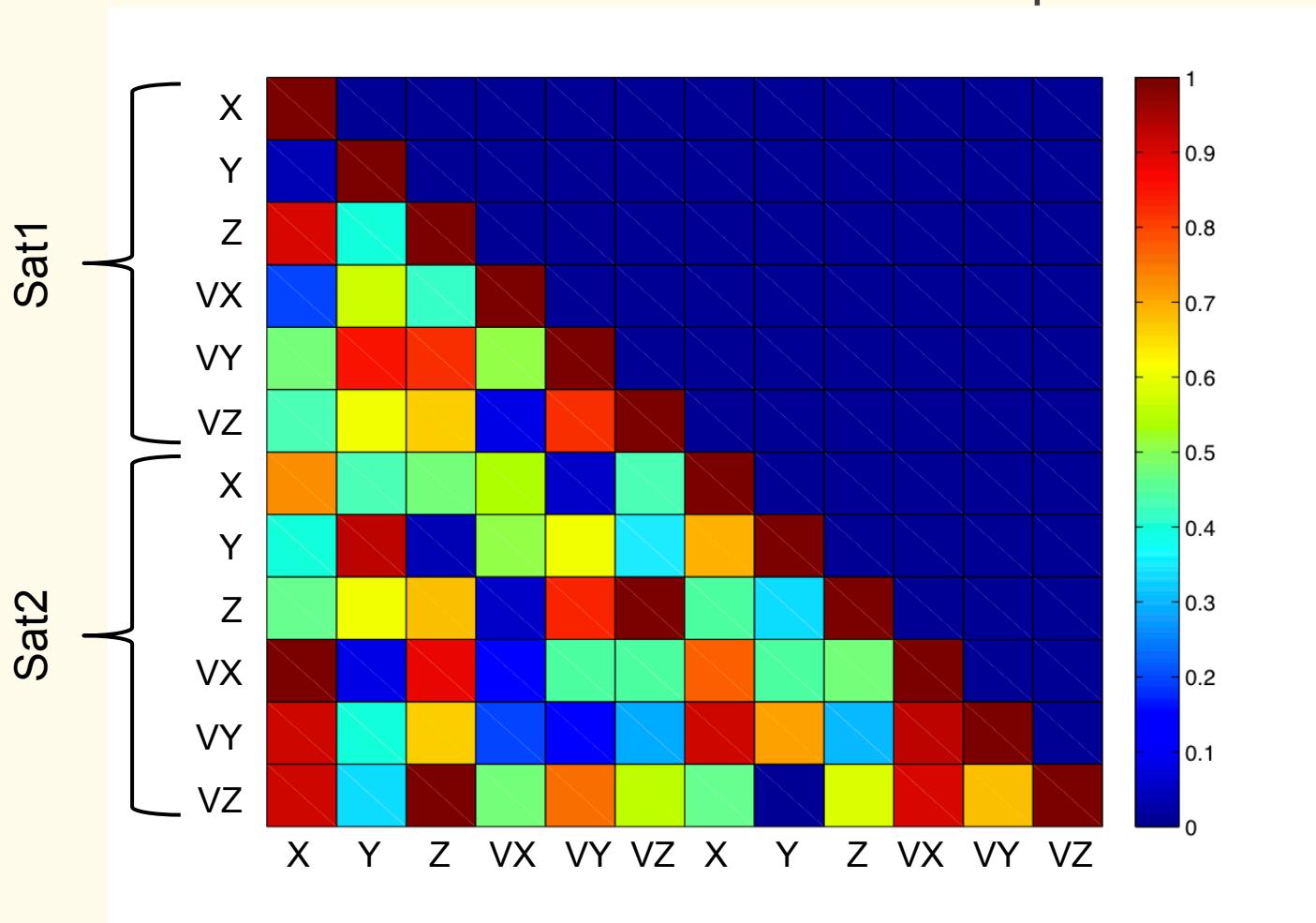
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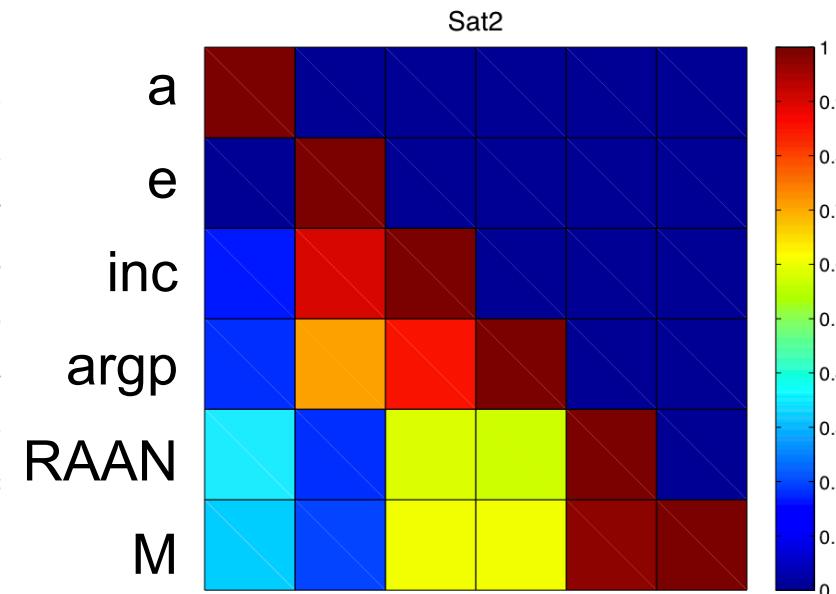
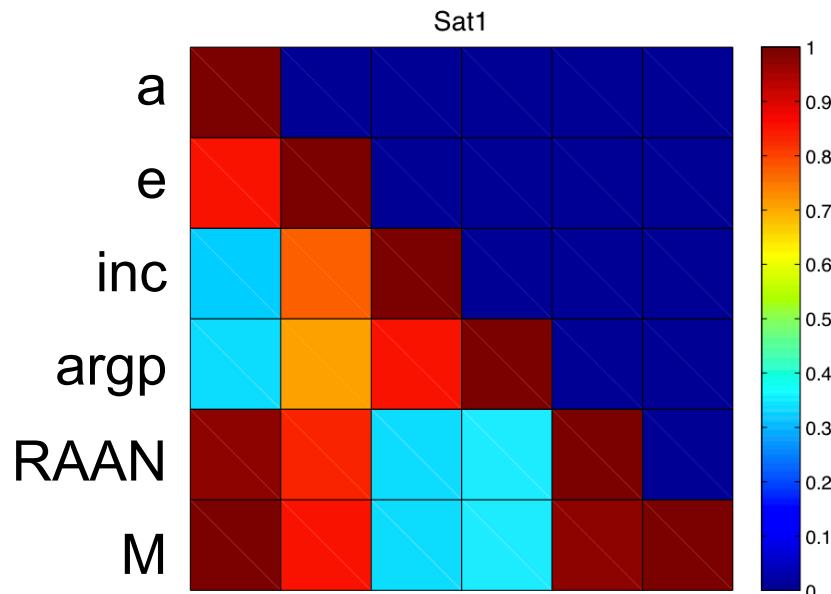
# Case A Results: Covariance Matrix

- Correlation Coefficient in Cartesian Space



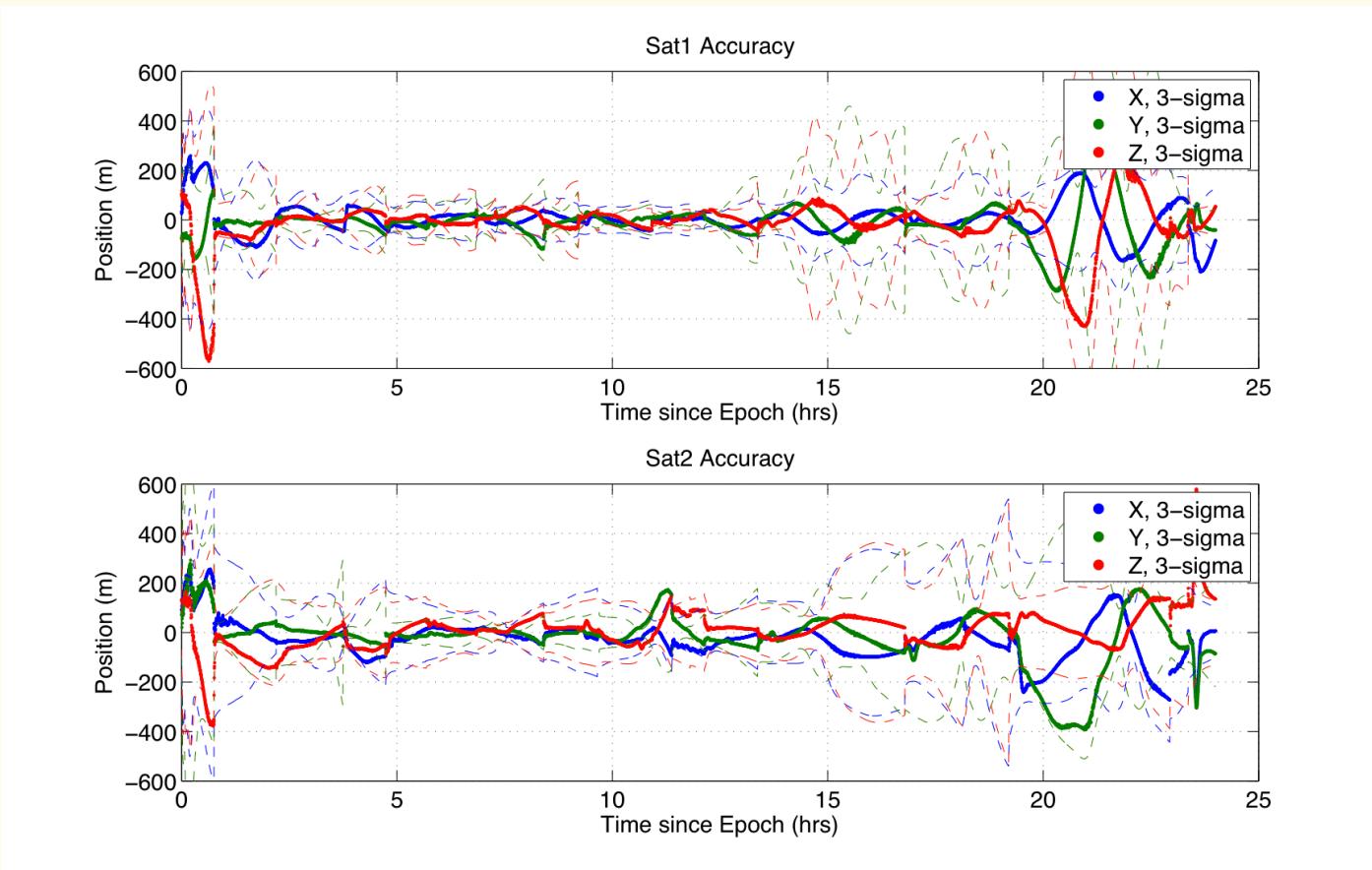
# Case A Results: Covariance Matrix

- Correlation Coefficients in Keplerian Elements



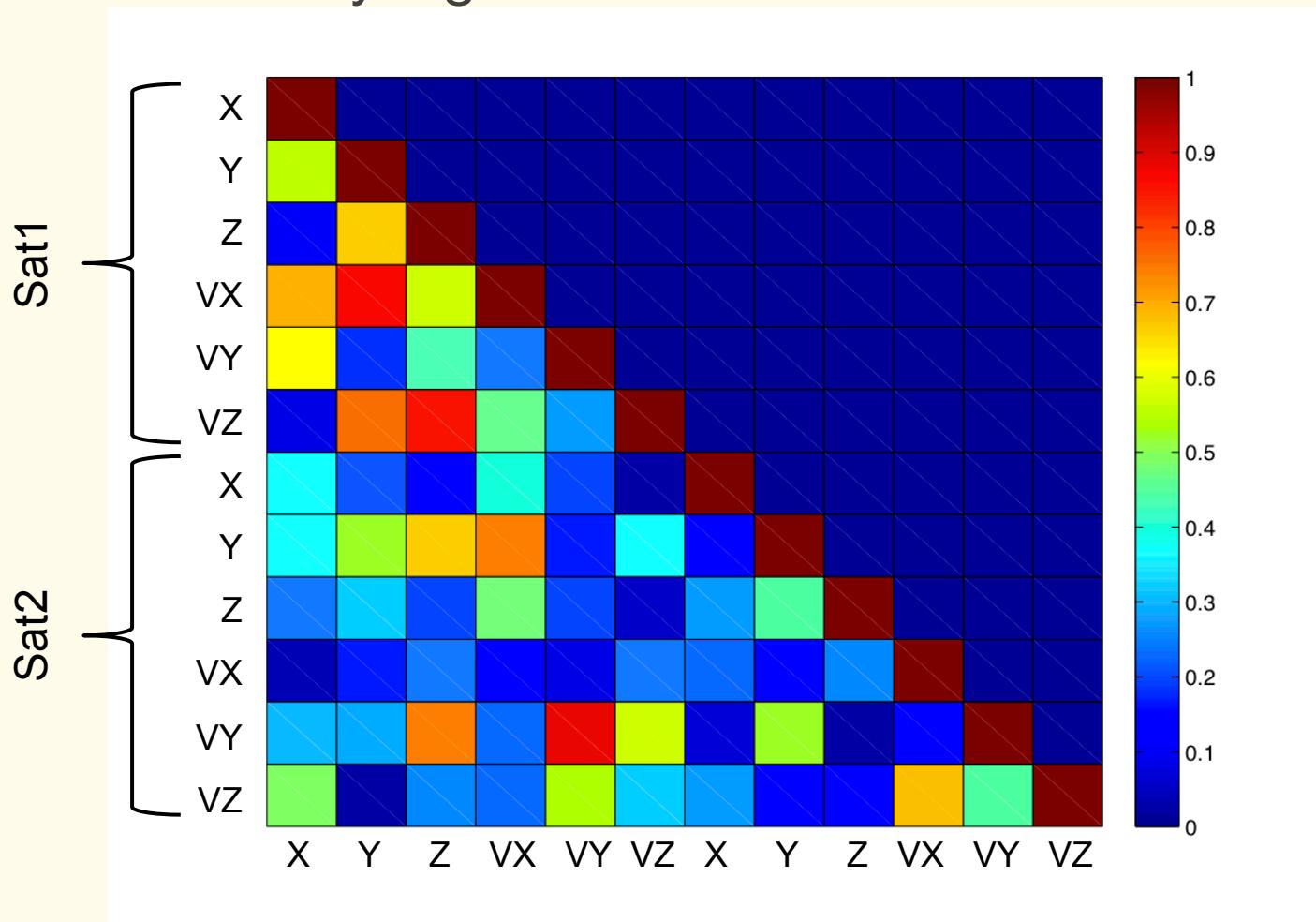
# Case A Results: Accuracy with Ground Obs

- Uncertainty is greatly reduced!



# Case A Results: Covariance Matrix with Ground Obs

- Not as many high correlations



# Satellite-to-Satellite Tracking

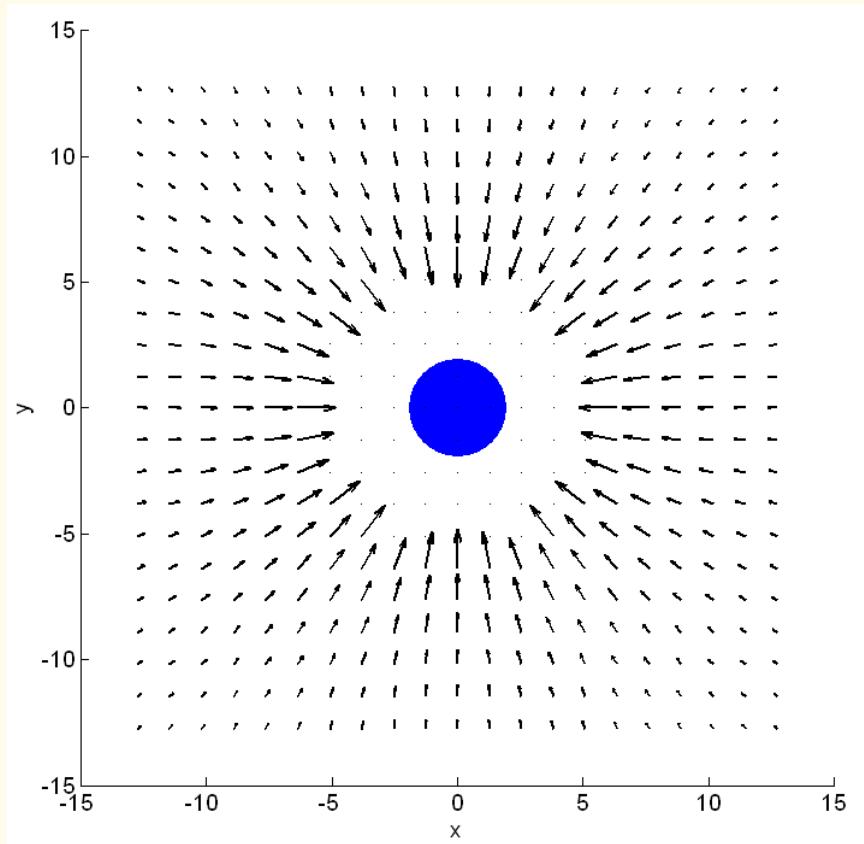
- SST only provides information about size, shape and relative orientation about the orbits of the participating spacecraft
- Changes in the absolute orientation of the constellation do not show in the crosslink measurements... as long as the relative orientation of the orbits does not change
- Supplemental ground tracking needed to solve for complete state vector



# LiAISON for Dummies



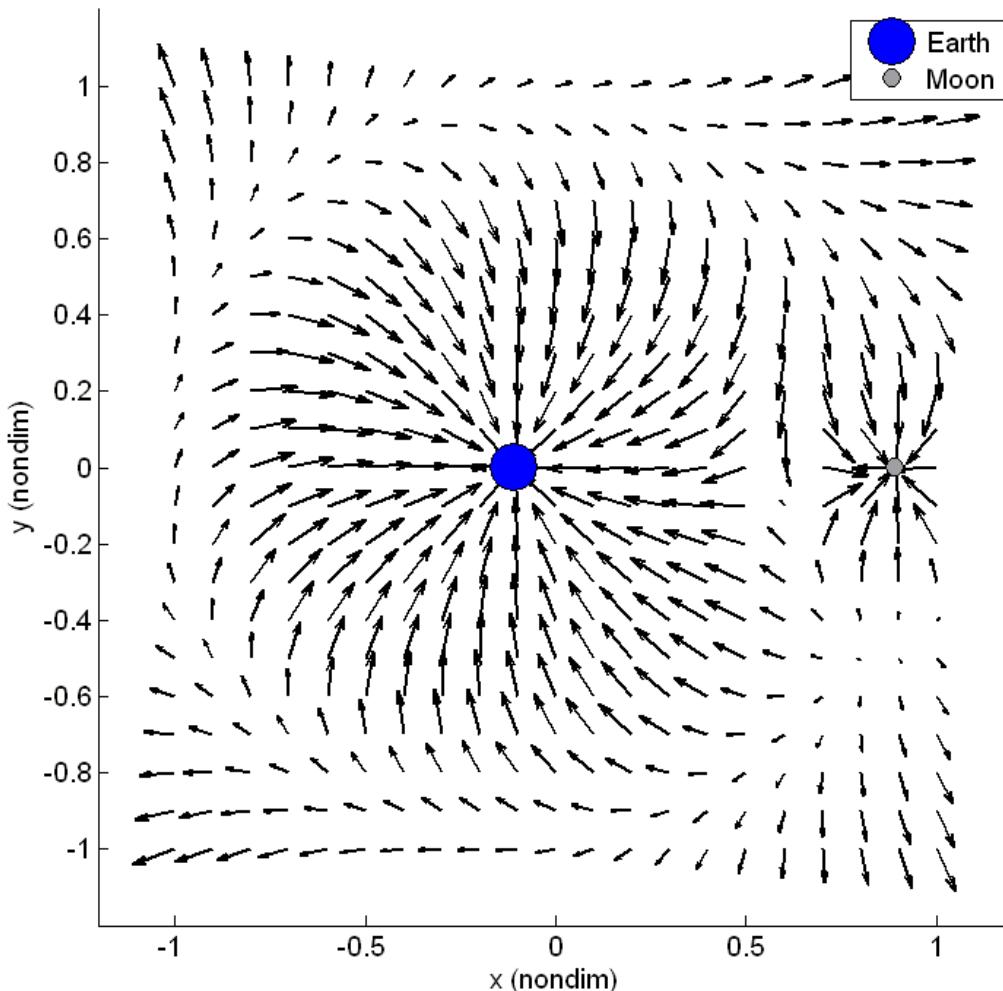
# Two-Body Problem



Acceleration vectors in the two-body problem

- Symmetrical gravity field
- Unique orbits do not exist

# Three-Body Problem

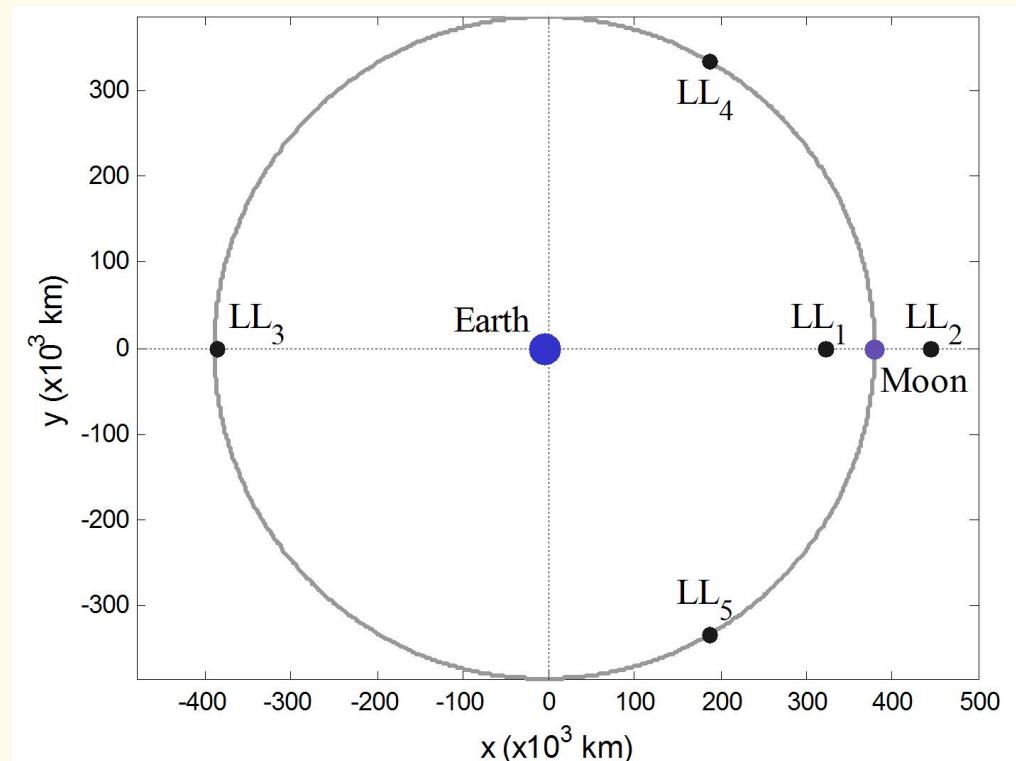


Acceleration vectors in the CRTBP (rotating frame)

- Third body provides an asymmetrical gravity field
- Locally unique orbits exist as long as they are not restricted to the orbit of the primaries
- LiAISON is more likely to work in regions where the asymmetry is strong

# Earth-Moon System

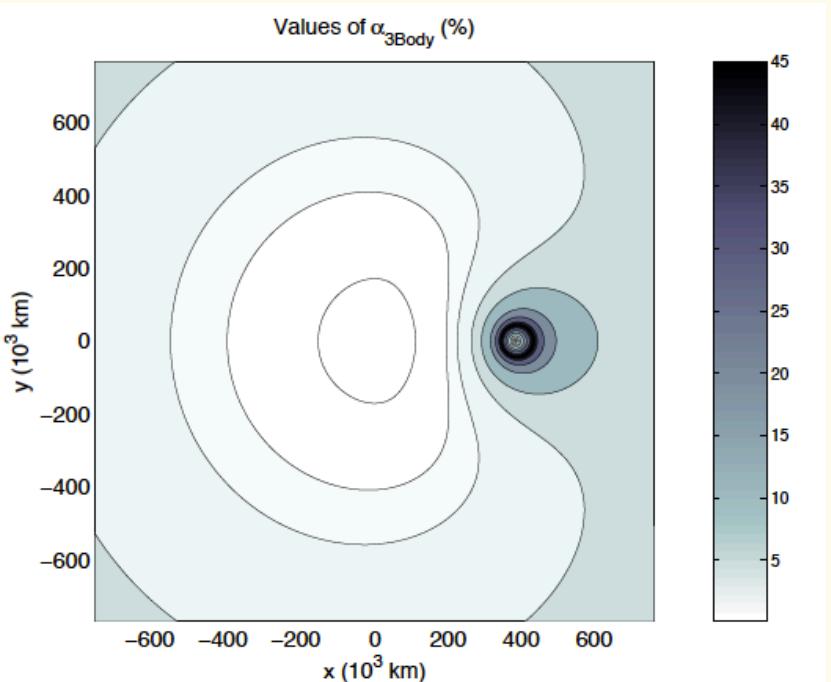
- The Earth and Moon orbit their barycenter in nearly circular orbits.
- Motion of a satellite within the Earth-Moon system may be approximated by the Circular Restricted Three-Body Problem (CRTBP)



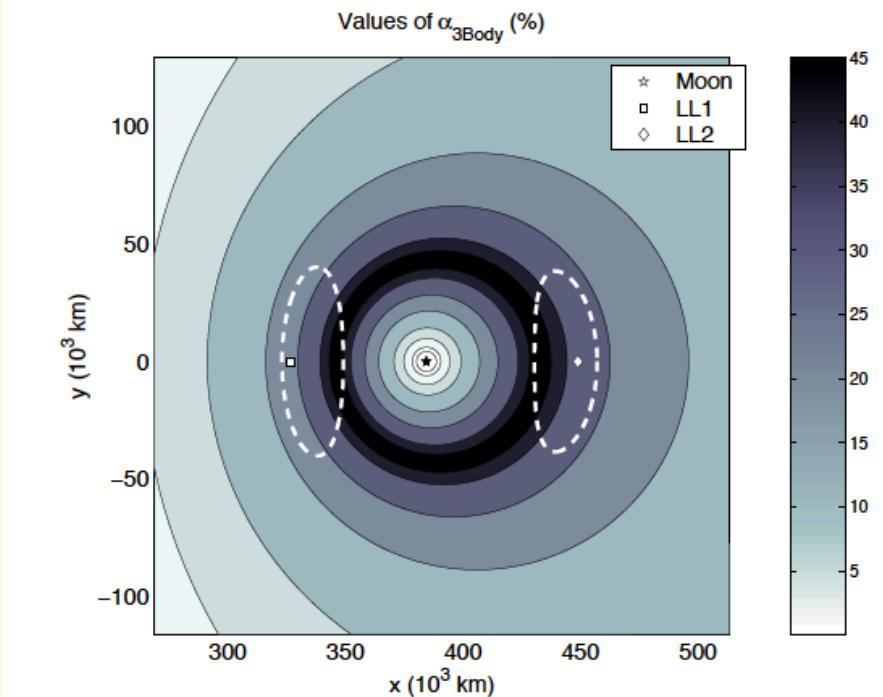
# Three-Body Problem

- $\alpha$  is relative strength of perturbations
- Looked at  $J_2$  and SRP
  - Neither provide enough asymmetry
- Third-body perturbations provide the necessary asymmetry

$$\alpha_j(x, y, z) = \frac{|\ddot{\mathbf{r}}_j(x, y, z)|}{\sum_{i=1}^n |\ddot{\mathbf{r}}_i(x, y, z)|}$$



Map of  $\alpha$  for acceleration due to the third body in the Earth-Moon system.



Map of  $\alpha$  for acceleration due to the third body in the Earth-Moon system zoomed in on the Moon.

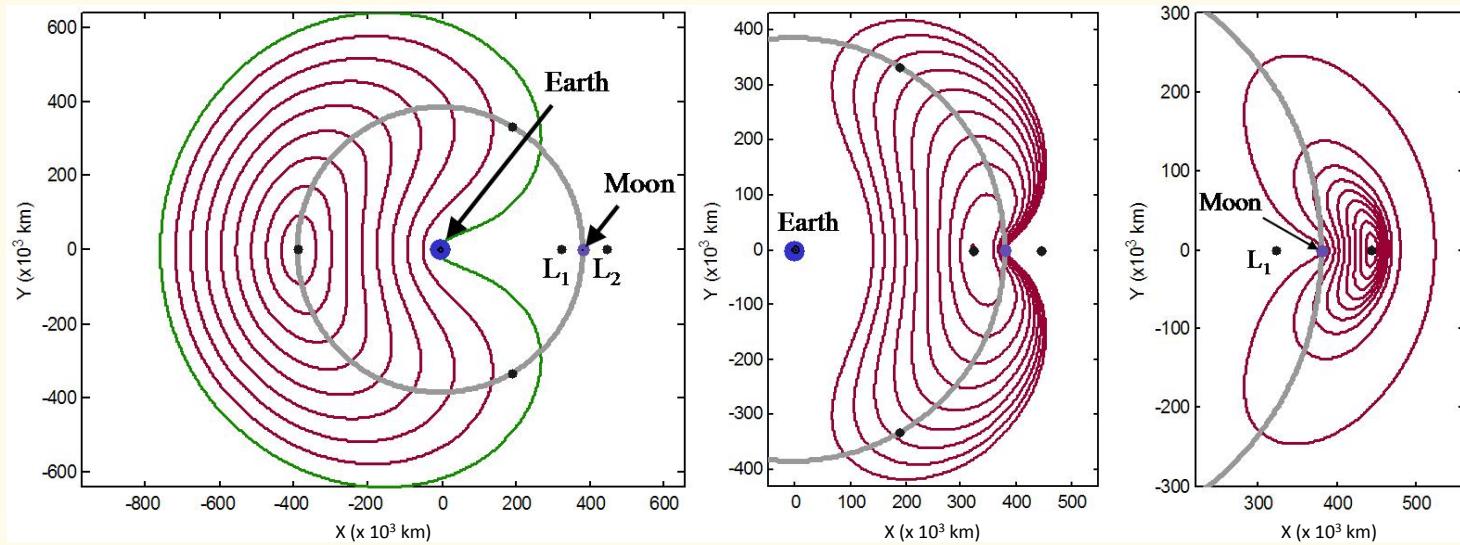
# Lunar Libration Orbits

- “Libration Orbits” are trajectories that revolve about the Lagrange points.
  - Lagrange points are *Fixed Point* solutions to the CRTBP
  - Libration orbits are *periodic* or *quasi-periodic* solutions to the CRTBP



# Lunar Libration Orbits

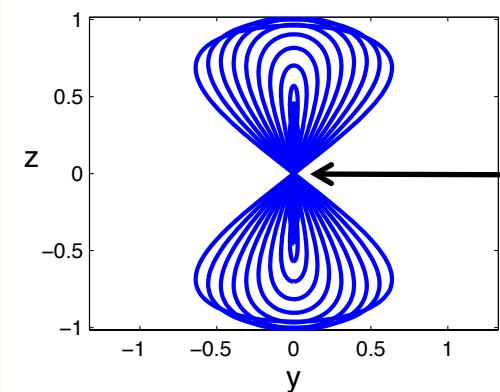
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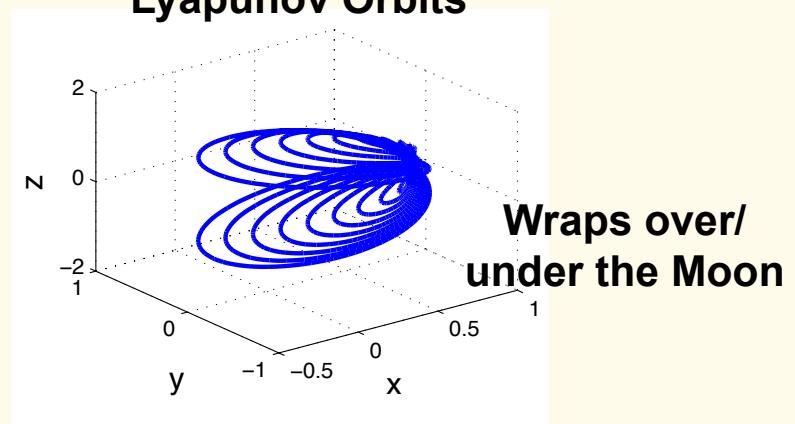
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**View from Earth or Moon toward Lagrange Point**



Lagrange  
Point

**Oblique view of Vertical Lyapunov Orbits**

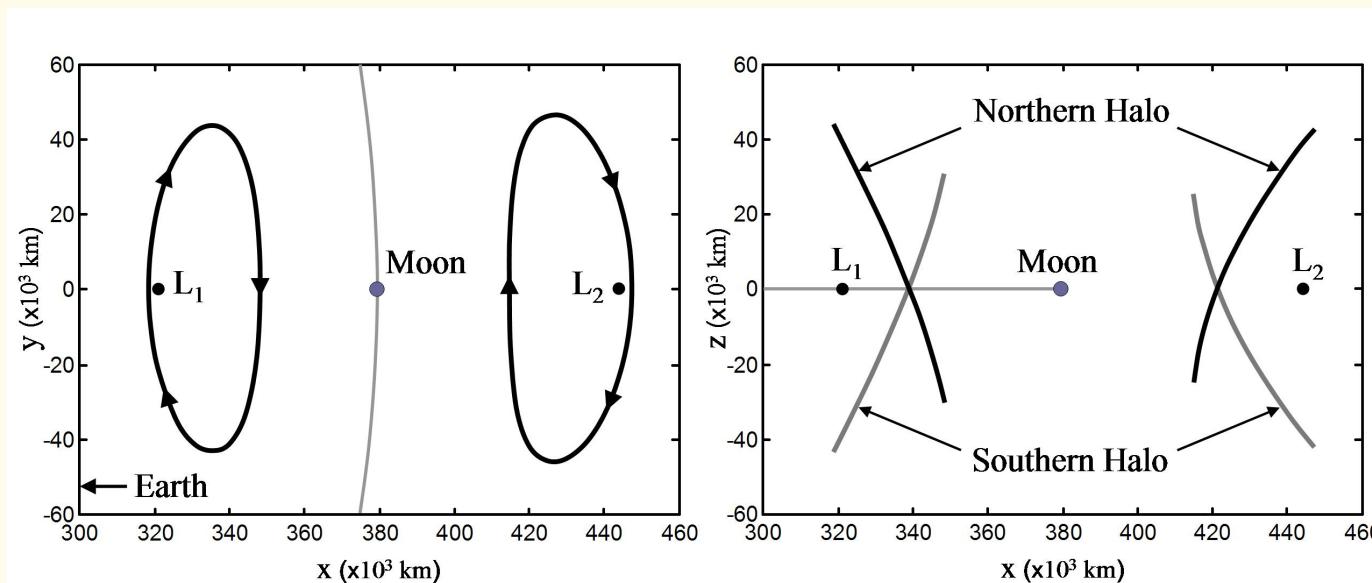


Wraps over/  
under the Moon



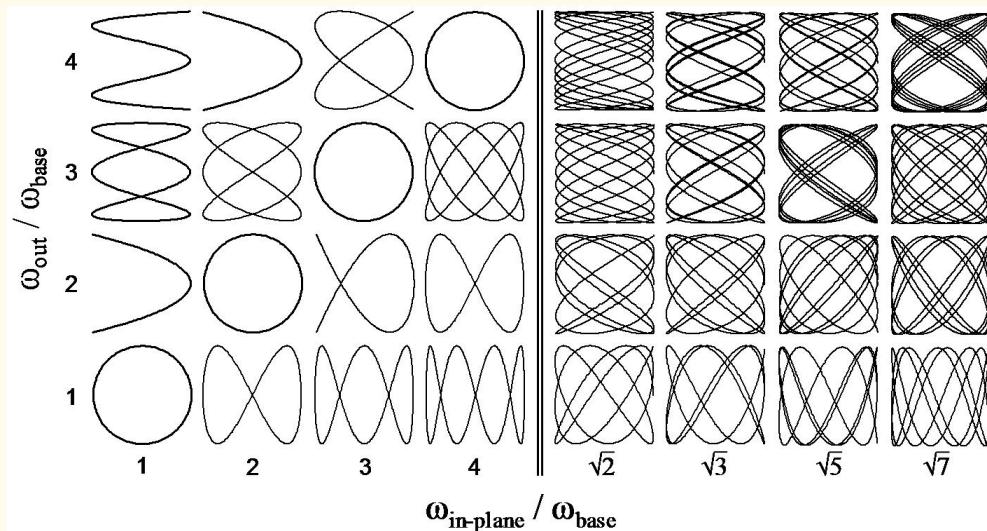
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  - Halo orbits about  $L_1$ ,  $L_2$ , and  $L_3$



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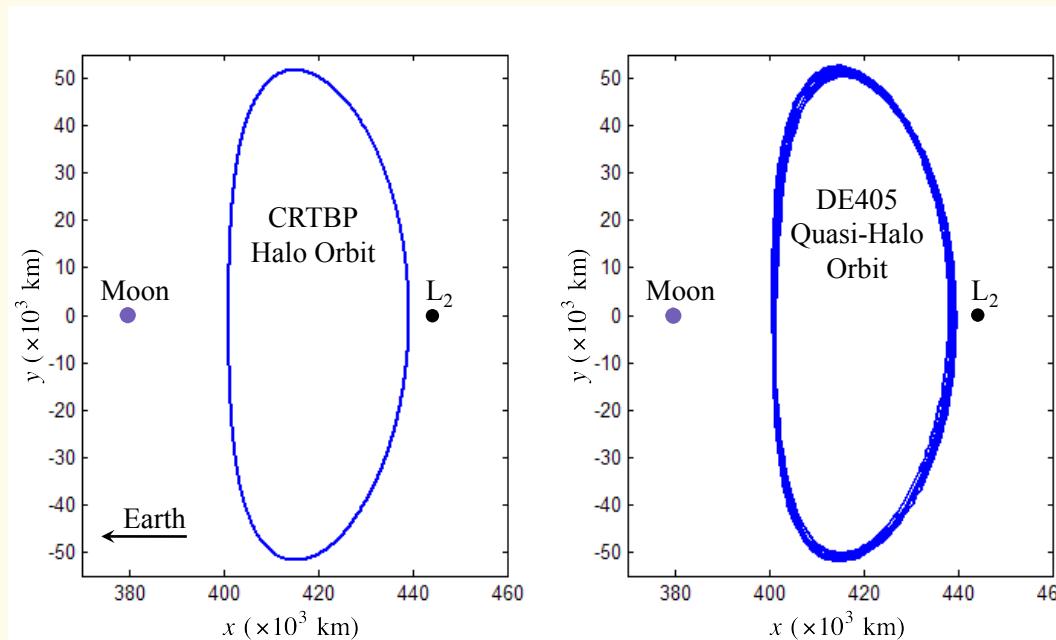
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  - Lissajous orbits about  $L_1$ ,  $L_2$ , and  $L_3$
- Numerous other orbit types exist in the CRTBP:
  - Distant Retrograde Orbits (DROs)
  - Distant Prograde Orbits (DPOs)
  - Resonant orbits
  - Orbit chains



# Realistic Lunar “Halo” Orbits

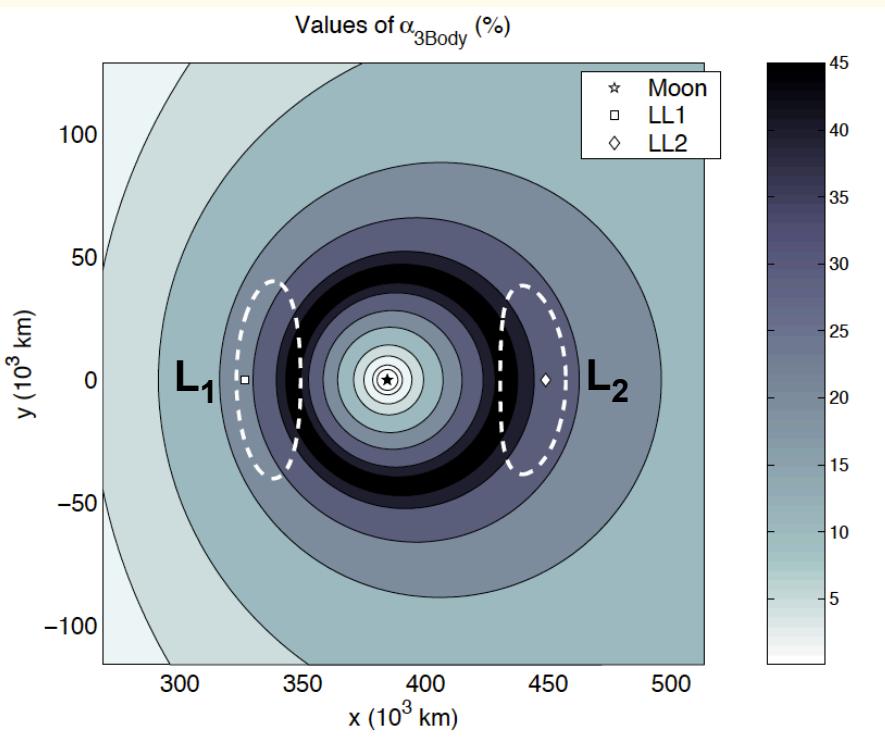
- We convert an approximate CRTBP halo orbit into the high-fidelity force model using a multiple-shooting differential corrector.
- High-fidelity:
  - Sun, Earth, Moon, and all planets modeled as point-masses
  - Planetary positions modeled from Jet Propulsion Laboratory’s Planetary and Lunar Ephemerides DE405
  - Solar radiation pressure



# Background

- Lunar LiAISON

- The Moon's gravity results in very large force field asymmetries

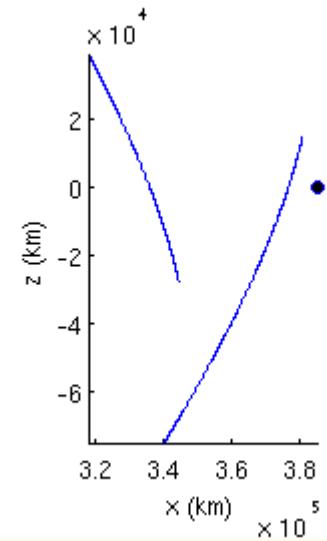
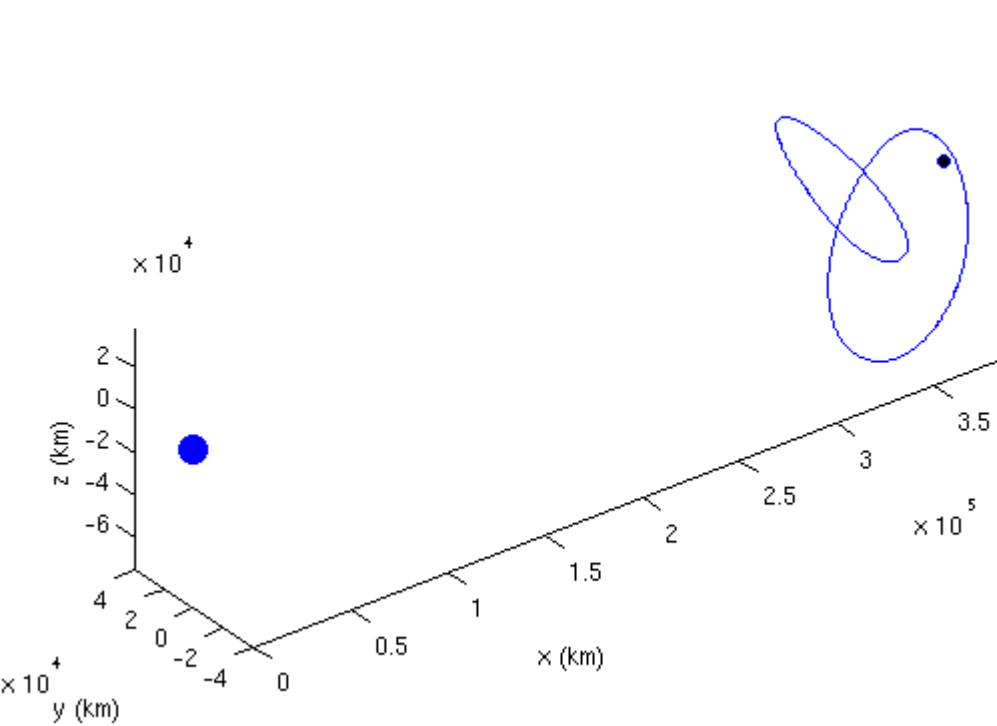


- Libration orbits about LL<sub>1</sub> and LL<sub>2</sub> traverse through very asymmetric regions in the Earth-Moon system.
- SST between an LL<sub>1</sub> or LL<sub>2</sub> orbiter and another satellite generate *unique* tracking signatures.
- Hill studied many lunar configurations:
  - LL<sub>1</sub> – LLO (Low Lunar Orbit)
  - LL<sub>2</sub> – LLO
  - LL<sub>1</sub> – LL<sub>2</sub>
  - LL<sub>2</sub> – LL<sub>2</sub>
  - LL<sub>2</sub> – LL<sub>2</sub> – LLO
  - etc

# LiAISON Research



# Lunar L<sub>1</sub> LiAISON



Two halo orbits at L1  
Periods of about 15 days

## Observations

Range, generated with 1 m white noise (every 375 seconds)

Process noise of  $10^{-13}$  km/s<sup>2</sup>

## Orbit Determination

Extended Kalman Filter

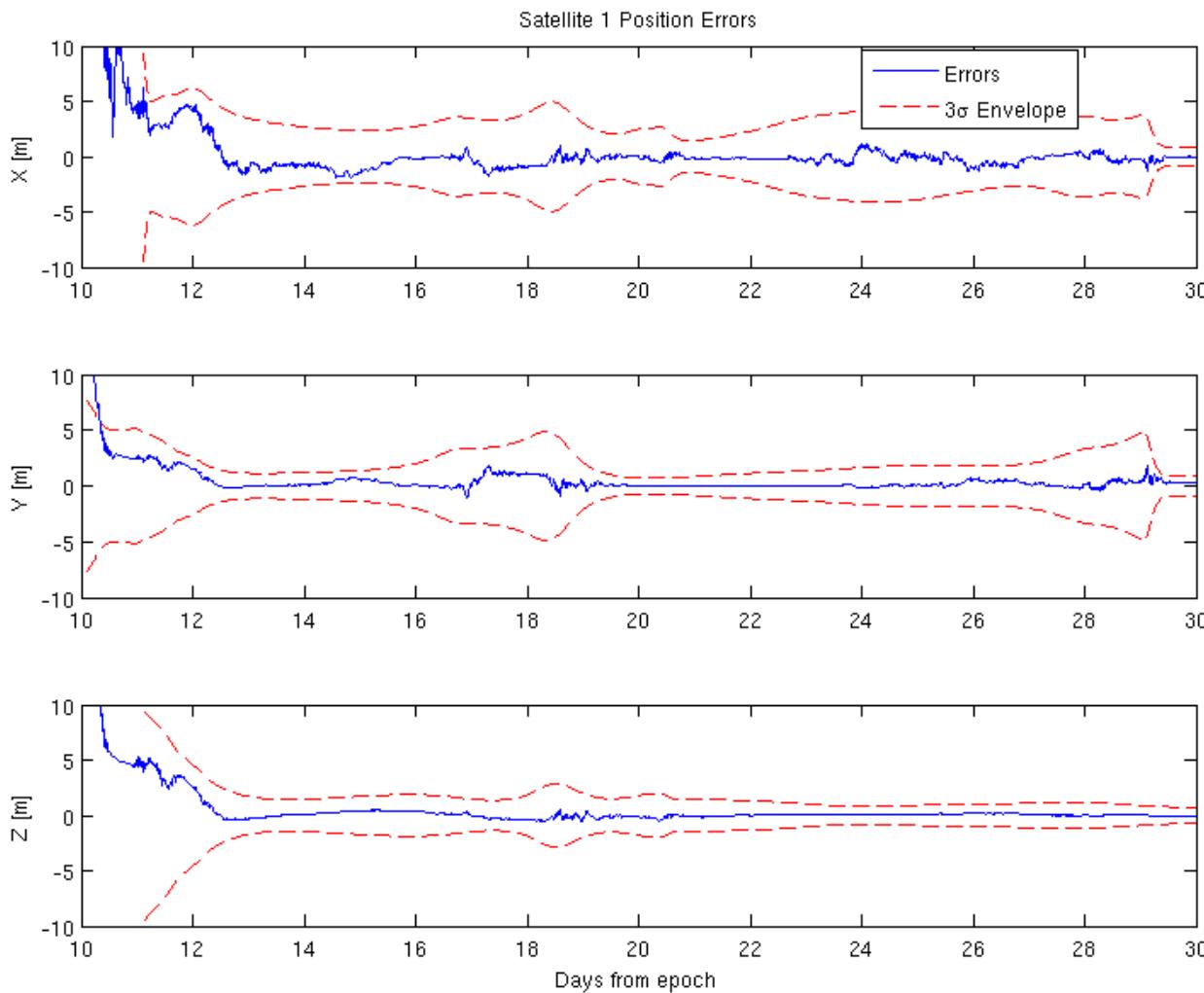
Perturbations in ICs: m-level pos, cm/s-level vel

A priori covariance: 1 km pos, 10 m/s vel

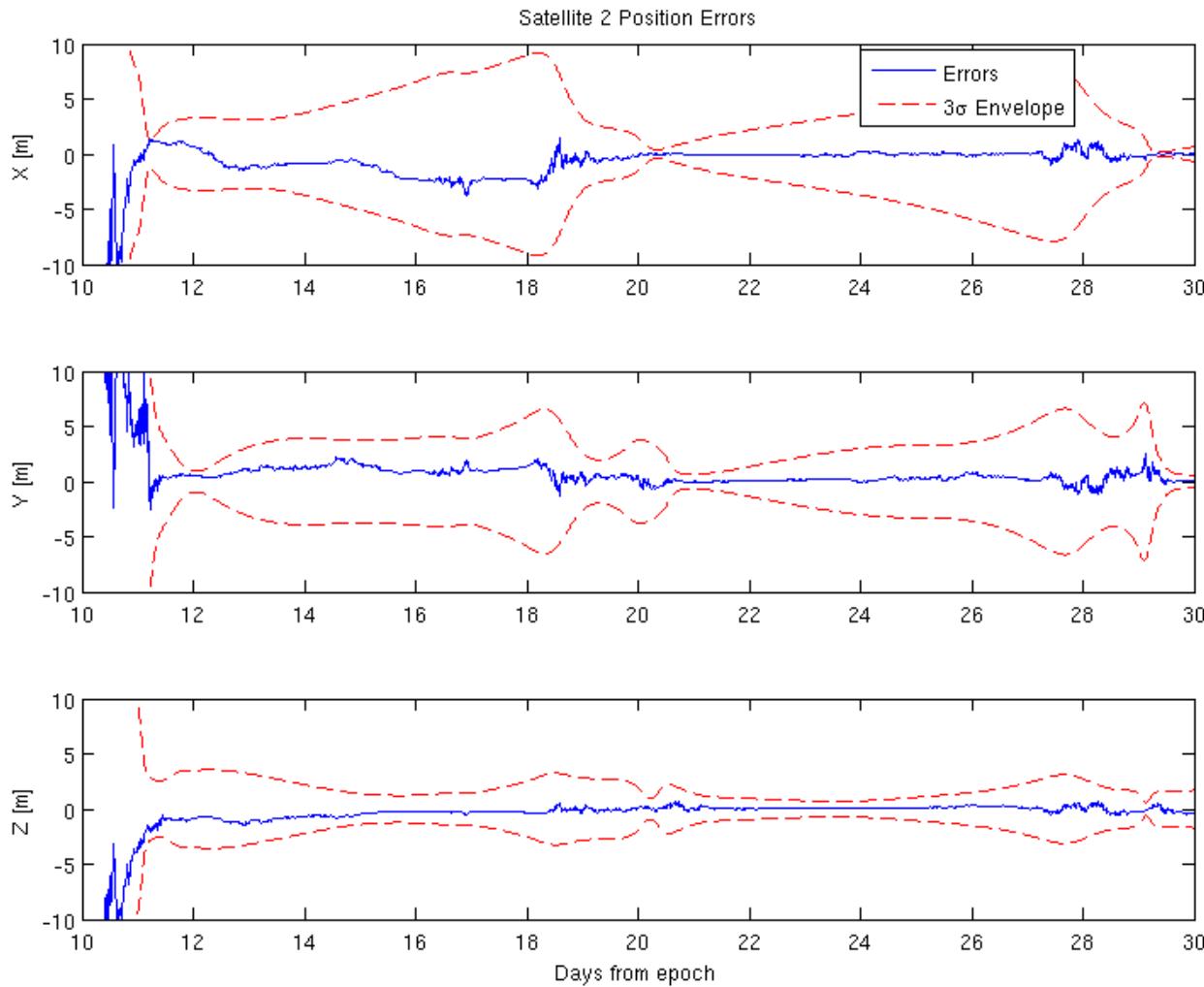
Fit span: 30 days



# EKF Results: Sat 1



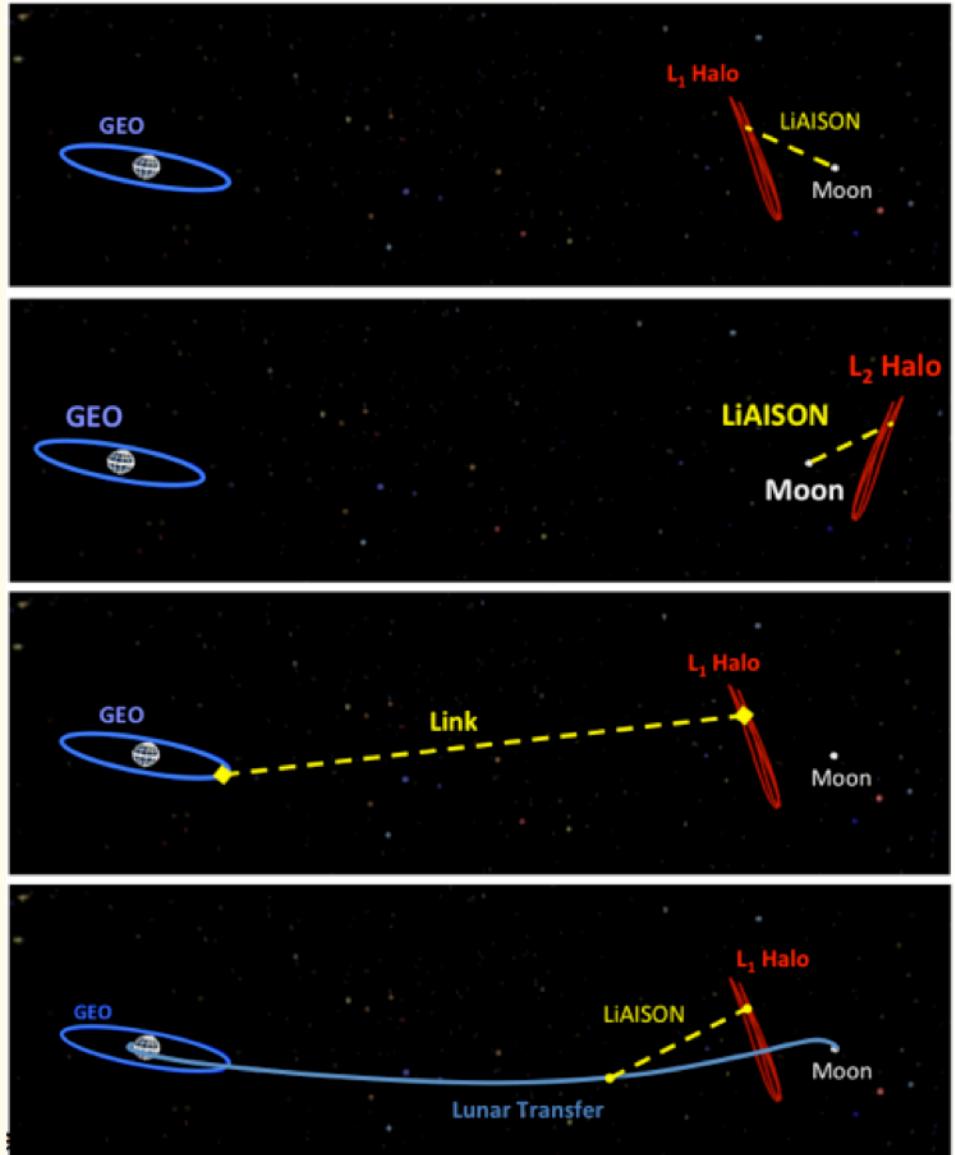
# EKF Results: Sat 2



# Other LiAISON Applications

## Lunar Missions from L1

< 10-meter navigation accuracy to orbit, surface  
VS. 50 – 250 meter accuracy now



## Lunar Missions from L2

Same performance  
Far-side tracking and communication

## GEO

~1 meter accuracy with a relatively small amount of LiAISON and ground tracking

## Crewed Lunar Missions

LiAISON supplements the DSN, reducing the number of stations required.

# GEO Navigation

- State of the art in GEO Navigation
  - Range measurements from several ground stations: nav accuracy on the order of ~30 meters
  - GPS signals may be used from the far side of the Earth: ~15 meters
  - Optical tracking using several ground stations: ~10 meters
  - Multiple tracking types including GPS and radiometric: ~10 meters
- Hypothesis: LiAISON will improve this accuracy and/or significantly reduce the number of ground tracks needed to achieve a given accuracy.
- LiAISON navigation may be available in any case; may as well take advantage of it!

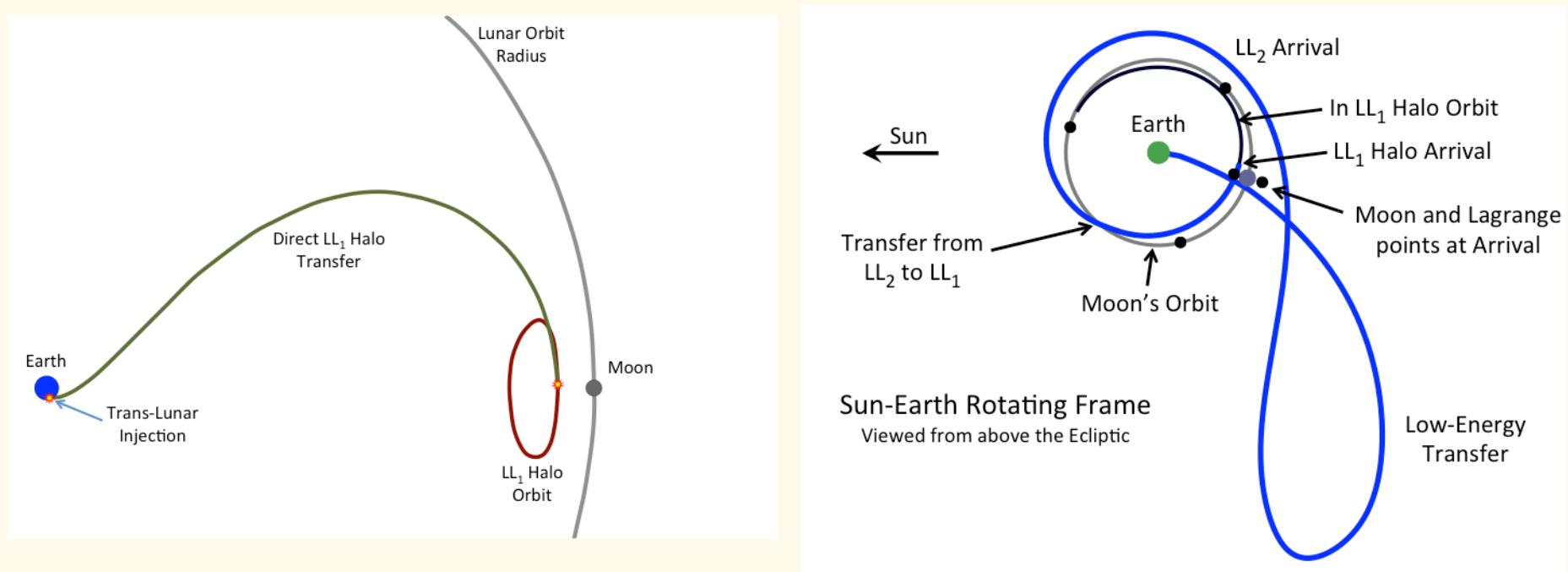


# Simulated Configuration

- This study used the following  $L_1$  halo orbit:

Parameter	Value	Comments
$A_z$	35,500 km	The z-axis amplitude
$\phi$	0°	The initial phase angle of the orbit
$t_{ref}$	1/1/2020 00:00:00 ET	The reference epoch, ephemeris time

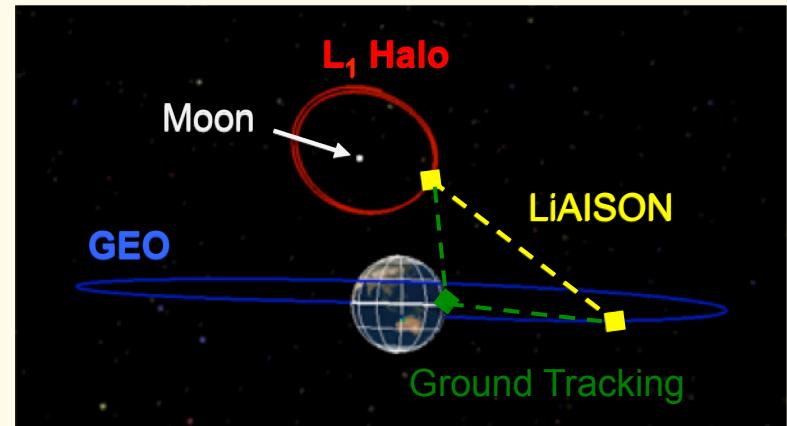
- Equatorial GEO orbit, set over a longitude of 0 deg.



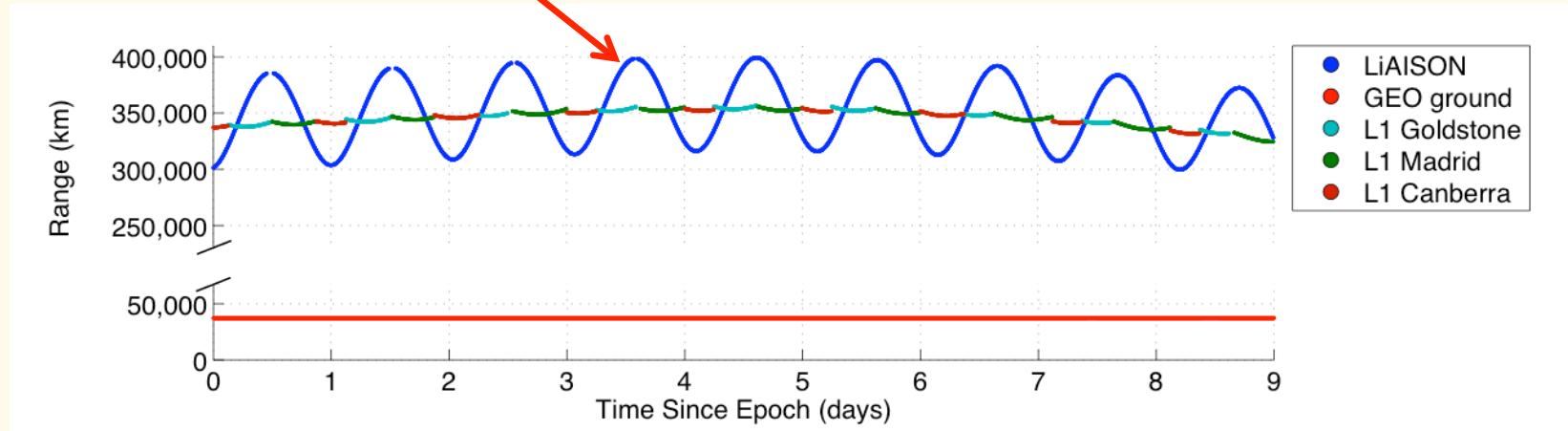
# LiAISON Observation Geometry

## The geometry

- Ground – GEO: Static observations
- Ground – L<sub>1</sub>: Relatively static observations
- L<sub>1</sub> – GEO: Dynamic observations
  - *Observable geometry*



Very clear signal



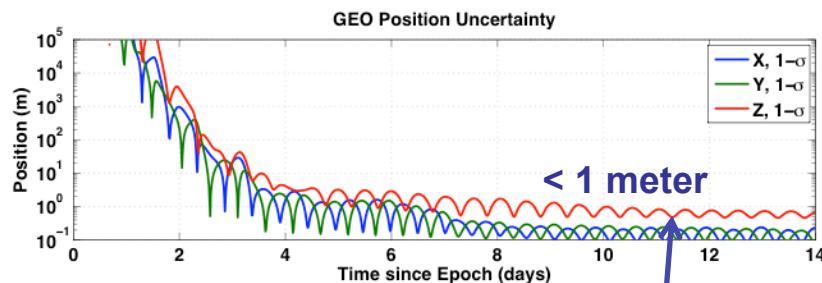
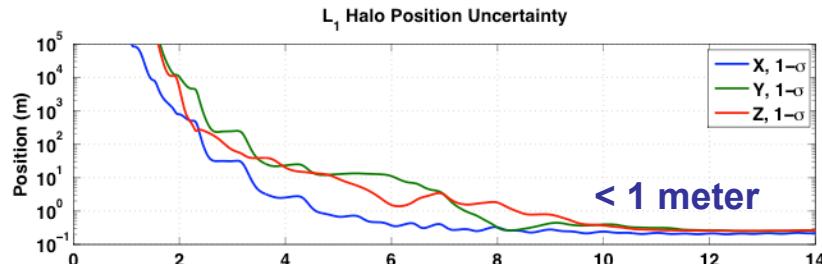
# Navigation Simulations

- Observations:
  - Instantaneous range with a constant bias and Gaussian noise
    - Bias  $\sim N(0,3)$  meters
    - Noise  $\sim N(0,1)$  meters
  - Instantaneous range rate with Gaussian noise
    - Noise  $\sim N(0,1)$  cm/s
  - Both observations at 0.01 Hz, though no observations when the Earth blocks the signal.
- Truth Dynamics
  - Sun, Moon, all planets
- Filter Dynamics
  - Sun, Earth, Moon
- Integrator: Runge-Kutta DOPRI8(7)13 with step tolerance of  $10^{-14}$
- State
  - Position and velocity of Libration orbiter
  - Position and velocity of GEO satellite
  - 12 variables in total

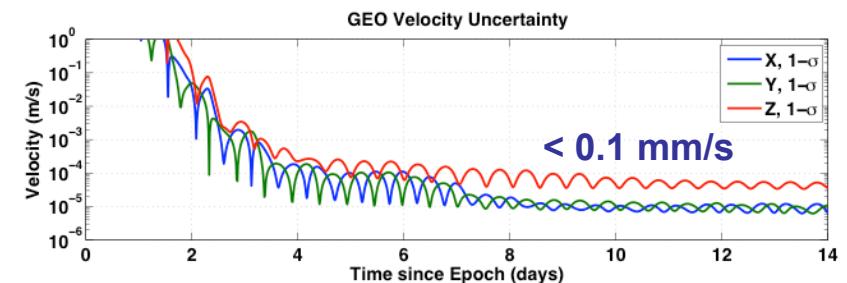
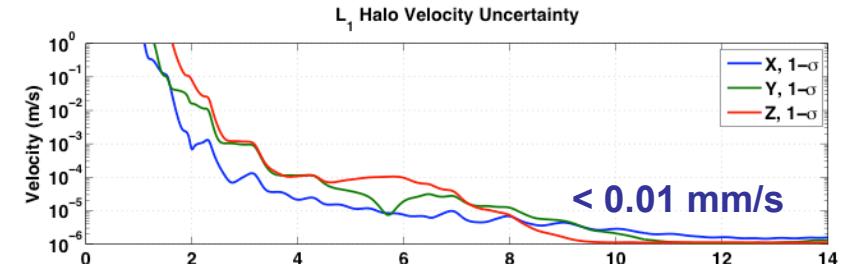


# CRTBP Simulation

- Cramér-Rao Lower Bound:
  - An estimate of the lower bound on the uncertainty that an unbiased estimator may achieve if it is optimal.
  - Essentially tracks the information matrix along the truth trajectory



z-axis uncertainty  $\sim 2.4$  times greater than planar: expected due to Earth's obliquity

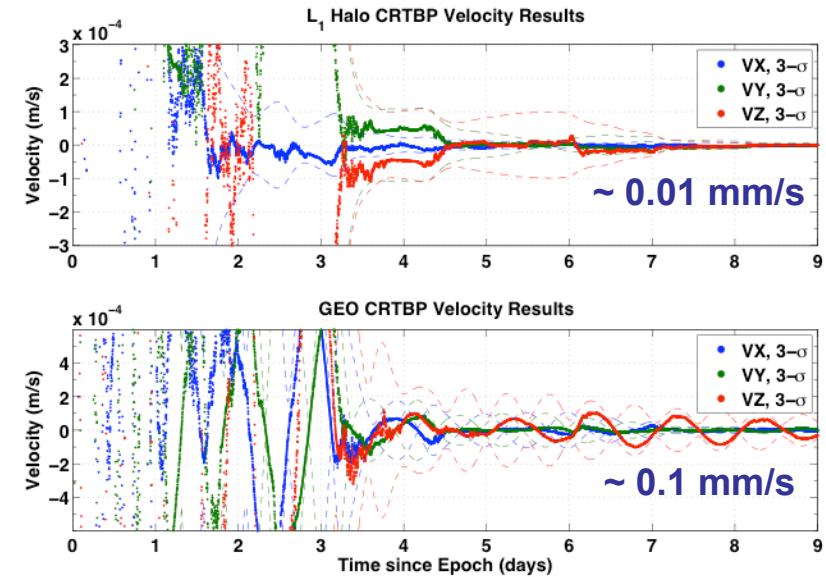
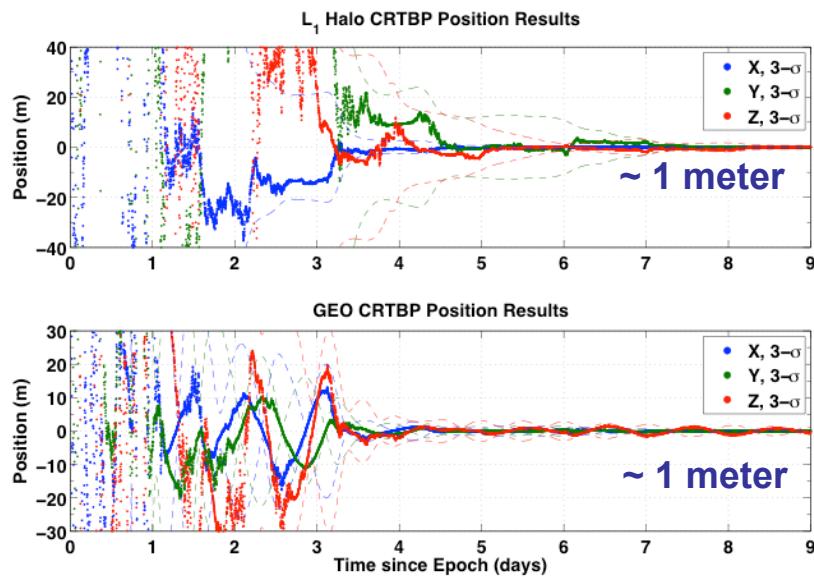


a priori uncertainty set to near infinite:  $\text{Diag}(10^{20})_{12 \times 12}$



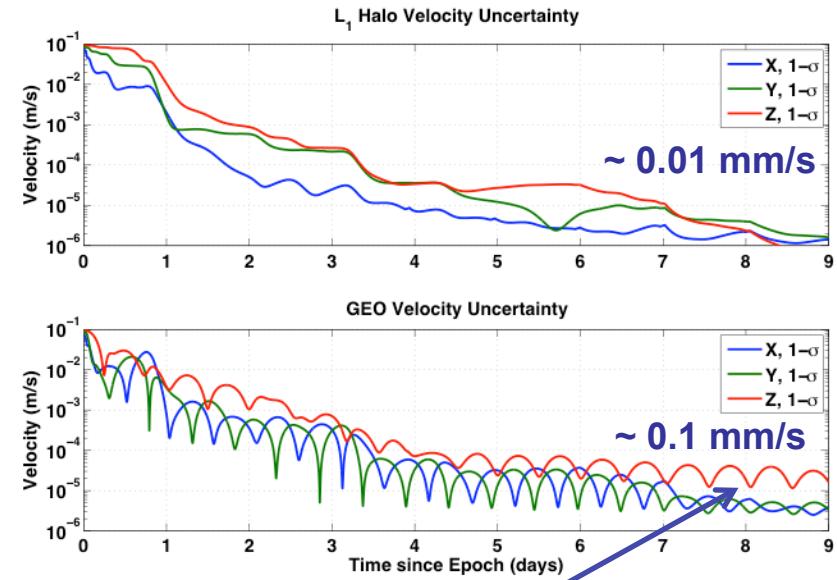
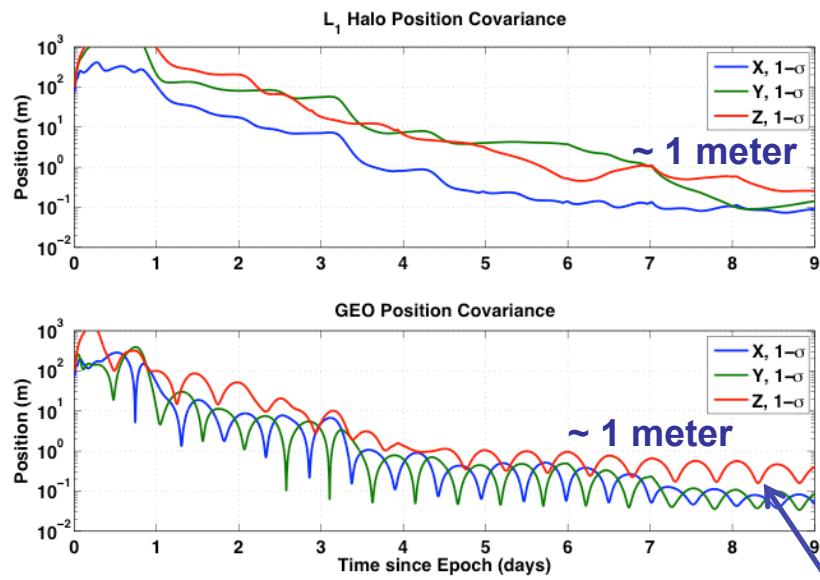
# CRTBP Simulation

- Initial state is perturbed by  $N(0,100)$  meters in position and  $N(0,1)$  cm/s in velocity.
- a priori* covariance:  $(100 \text{ meters})^2$  in position and  $(10 \text{ cm/s})^2$  in velocity for both satellites.
- State Noise Compensation:  $\sigma = 10^{-13} \text{ m/s}^2$  for halo and  $10^{-14} \text{ m/s}^2$  for GEO
- Extended Kalman Filter, starting with the first observation.



# CRTBP Simulation

- Covariance analysis during simulation

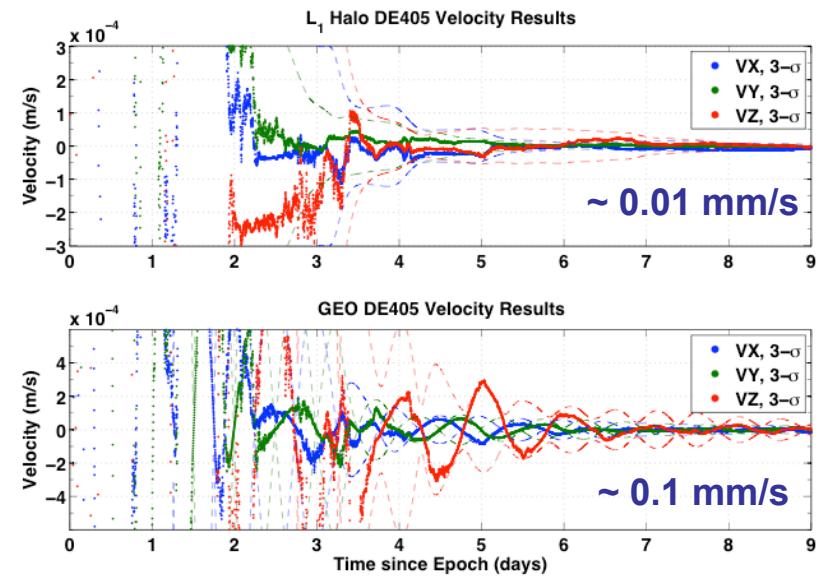
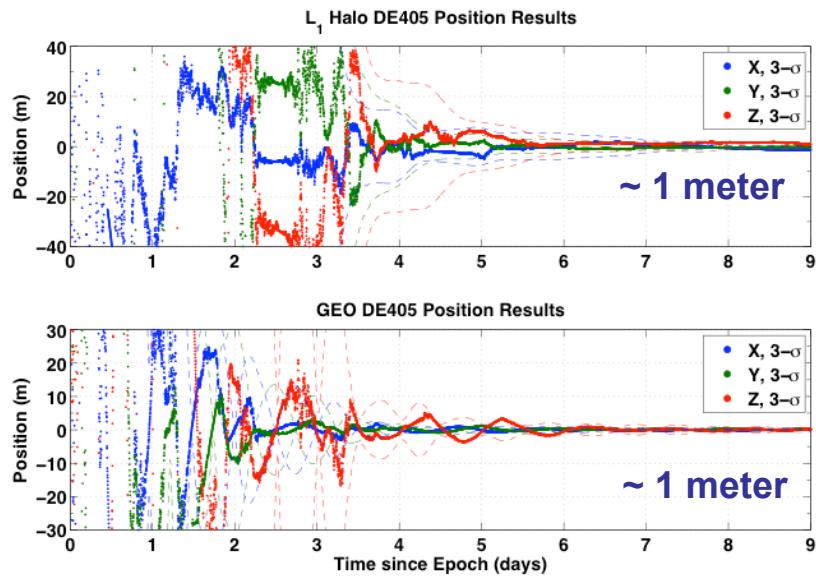


z-axis uncertainty ~2.4 times  
greater than planar: expected  
due to Earth's obliquity



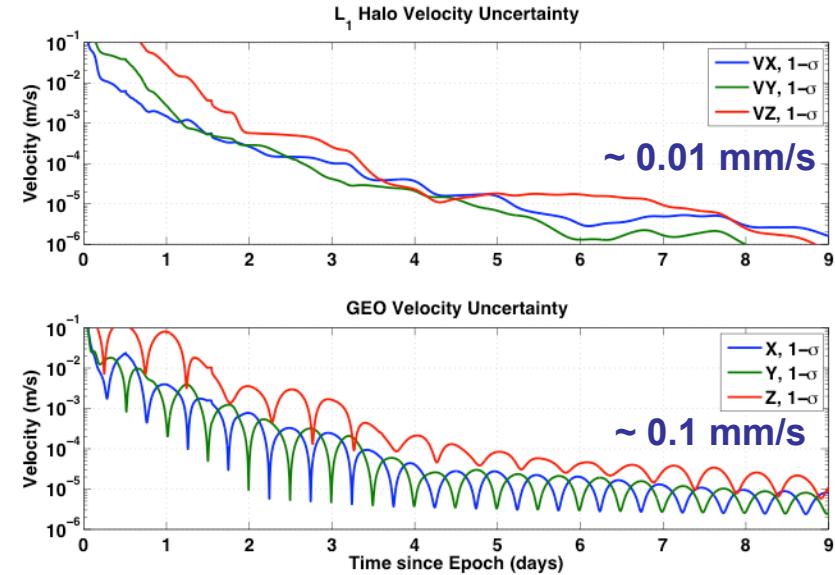
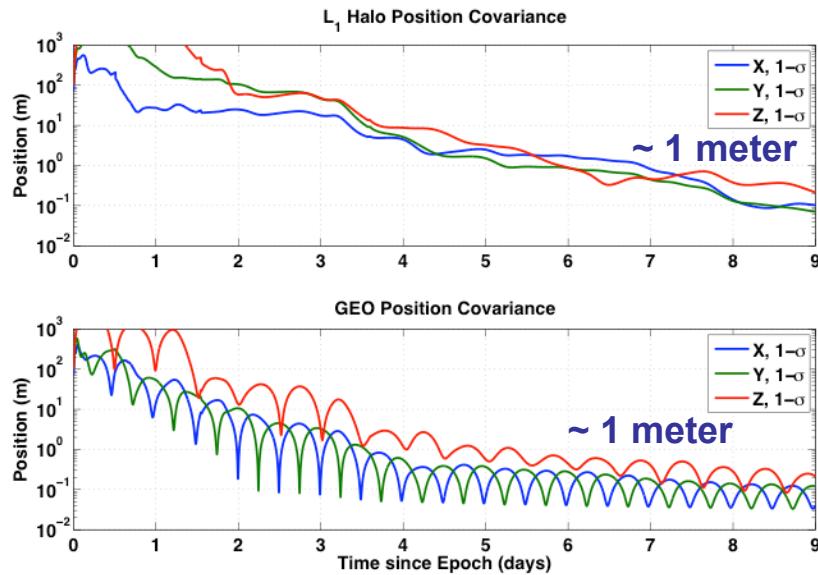
# High-Fidelity

- Repeated the simulation, but using the planetary ephemerides, realistic halo and GEO orbits, and more dynamical errors.



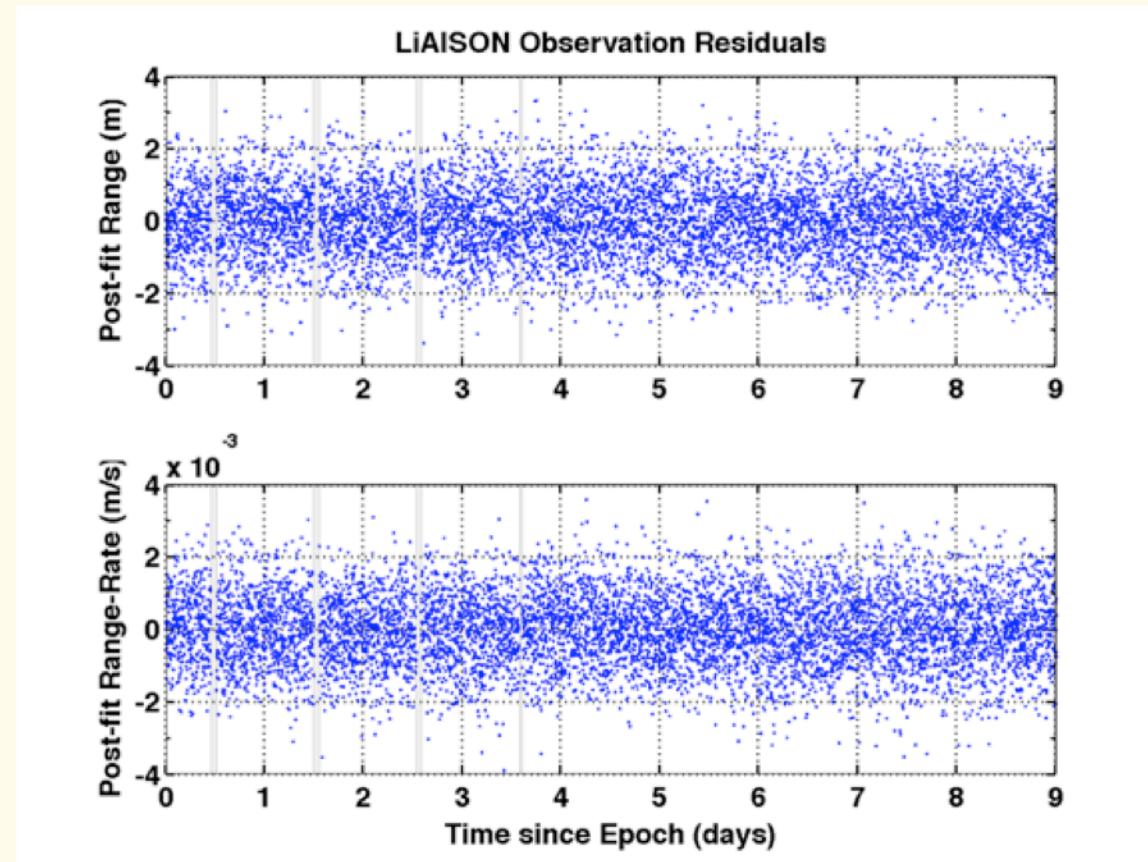
# High-Fidelity

- High-fidelity covariance matrix evolution is very similar to the CRTBP covariance matrix evolution.



# High-Fidelity

- Post-fit residuals from the high-fidelity simulation.
- RMS  $\sim$  1 meter, 1 mm/s



# Summary

- The results presented here have demonstrated the viability of generating good orbit estimates using only crosslink data between L1 and GEO, with large *a priori* uncertainties.
- The entire state – all 12 parameters – is observable.
- The orbit uncertainty requires ~1 week to converge, given poor *a priori* information.
- The orbit uncertainty falls to the level of observation noise once it has converged.
- The Extended Kalman Filter performs very near the expected limit, as predicted by the Cramér-Rao Lower Bound.

# LiAISON Navigation: Trade Study Overview

- **High fidelity trade study utilizing varying levels of LiAISON tracking and ground tracking. This will answer the questions:**
  - “How many ground tracks may we remove and still obtain the same level of accuracy for our mission?” – this quantifies the cost-savings by using LiAISON over ground-only tracking.
  - “How much improvement may we expect by adding LiAISON to our mission?” – this quantifies the improvement in satellite navigation accuracy by adding LiAISON.
  - “How does general observation scheduling influence the expected accuracy and uncertainty?” – this quantifies the necessity as to when observations should be obtained.
  - This research applies directly to GEO missions like TDRSS, but also easily applies to LEO missions, lunar missions, and any mission near the Earth or Moon.



# Dynamic Models

- State Vector

$$\mathbf{X} = [\mathbf{r}_1^T \quad \mathbf{v}_1^T \quad \mathbf{r}_2^T \quad \mathbf{v}_2^T \quad \delta C_{R,1} \quad \delta C_{R,2} \quad \mathbf{w}_1^T \quad \mathbf{w}_2^T \quad \boldsymbol{\rho}_{\text{bias}}^T]^T$$

- Reference Frame

- Geocentric Celestial Reference Frame (GCRF) with 1976 IAU Precession and 1980 IAU Nutation with no corrections.

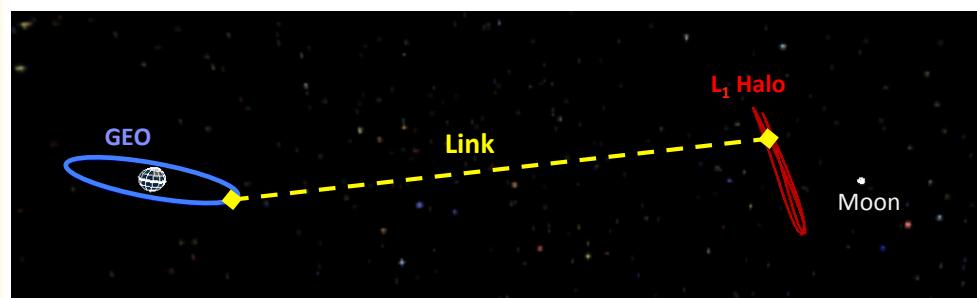
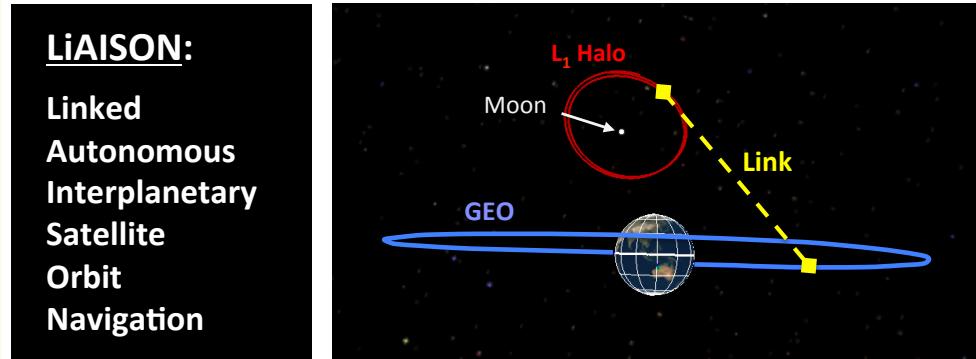
- Planetary Ephemeris

- DE405

- Force Models

- Two-Body
- Geopotential  
(20x20 GGM02C for GEO)
- N Body
  - JPL DE405
- Solar radiation pressure
  - $A/m = 0.01 \text{ m}^2/\text{kg}$

**LiAISON:**  
Linked  
Autonomous  
Interplanetary  
Satellite  
Orbit  
Navigation



$$\begin{bmatrix} \dot{\mathbf{r}}_i \\ \dot{\mathbf{v}}_i \end{bmatrix} = \begin{bmatrix} \mathbf{v}_i \\ \mathbf{a}_g(t, \mathbf{r}_i) + \mathbf{a}_{SRP}(t, \mathbf{r}_i) + \mathbf{a}_{n-body}(\mathbf{r}_i, \mathbf{r}_{\oplus 3}) + [\gamma]_{RTN}^T \mathbf{w}_i \end{bmatrix}$$

# Measurement Models

- Simplified measurement models for range and range-rate.
- No light time is assumed.
- Geometric range plus a constant bias and Gaussian noise.

$$\rho = \sqrt{(\mathbf{r}_1 - \mathbf{r}_2) \cdot (\mathbf{r}_1 - \mathbf{r}_2)} + \rho_{bias} + \rho_{noise}$$

- Idealized range-rate with Gaussian noise.

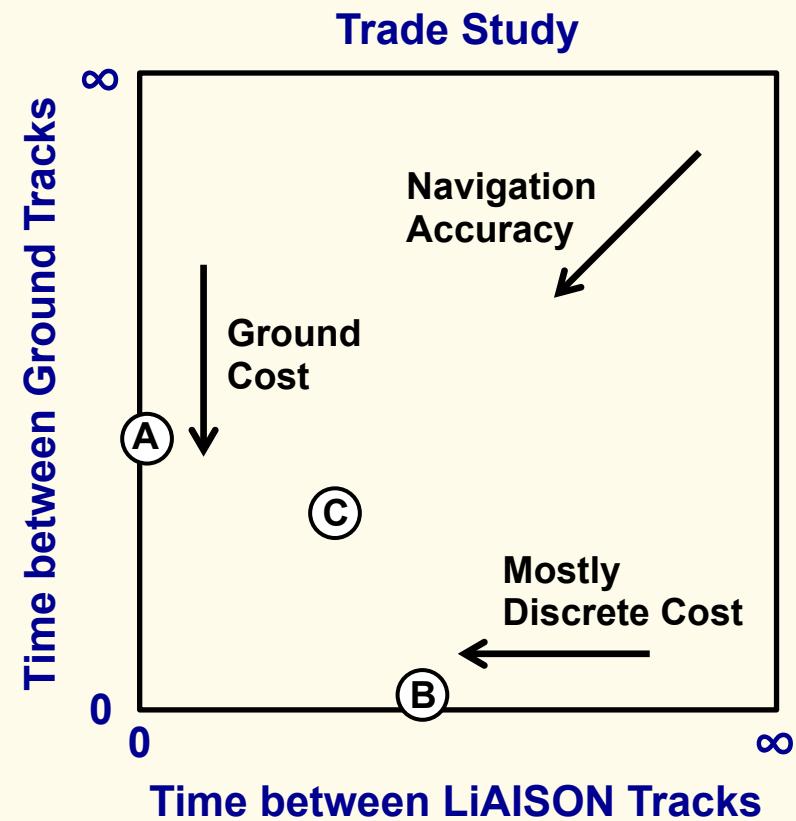
$$\dot{\rho} = \frac{\boldsymbol{\rho} \cdot \dot{\boldsymbol{\rho}}}{\rho} + \dot{\rho}_{noise}$$

- DSN stations used to track the L<sub>1</sub> orbiter
  - Goldstone, California
  - Madrid, Spain
  - Canberra, Australia
- Ground station tracking GEO
  - Sky Valley, California



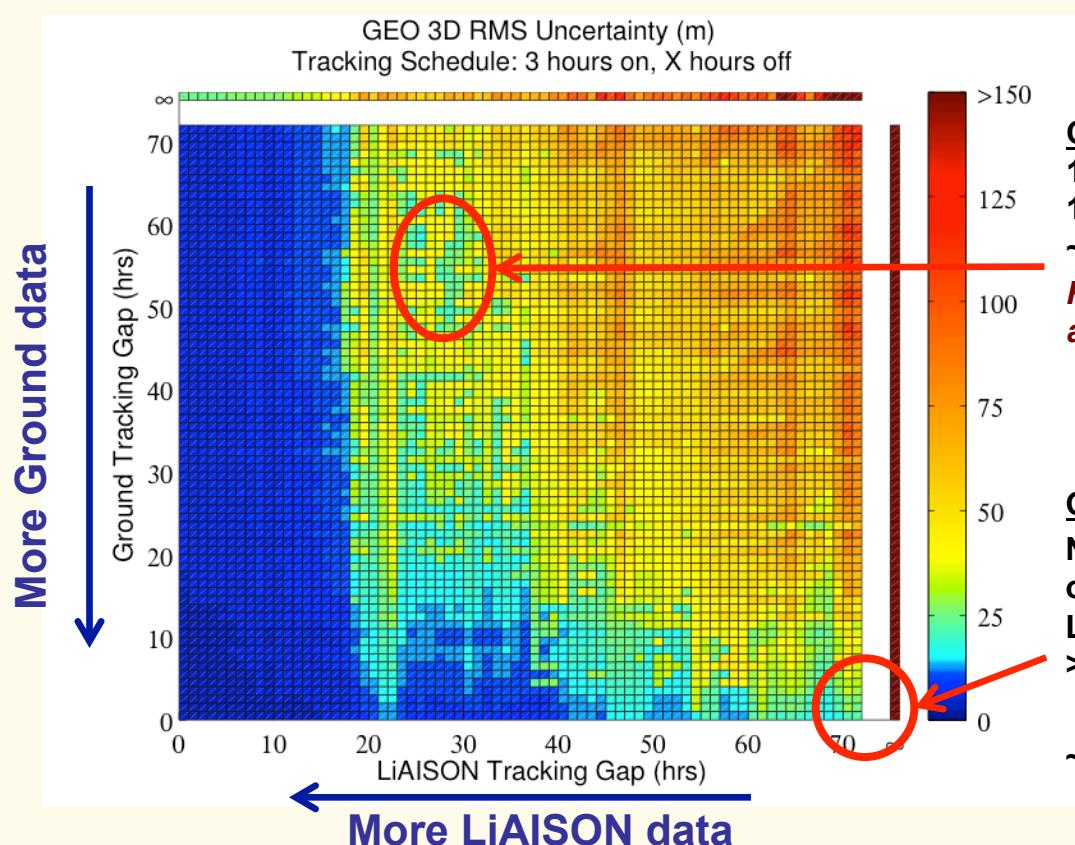
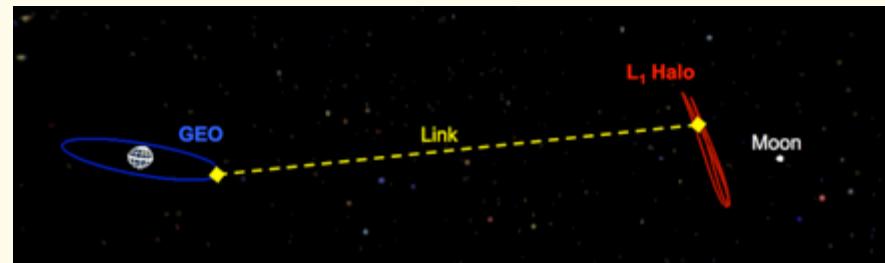
# LiAISON Trade Study

- Quantify the cost and accuracy of LiAISON compared to ground-only navigation.
  - We'll illustrate this objective using:**(A)** a continuous LiAISON with sparse Ground tracking solution, and  
**(B)** a continuous Ground with sparse LiAISON tracking solution
- Determine how many ground tracks may be removed and achieve the same navigation accuracy.
  - We'll illustrate this objective using:**(B)** a continuous Ground with sparse LiAISON tracking solution, and  
**(C)** a LiAISON-supplemented solution.
  - such that both result in similar tracking uncertainty.



# Trade Study Example Results

- Example results for tracking a GEO satellite using ground stations and LiAISON
- We've shown that you can reduce the number of ground tracks *tremendously* and achieve even better navigation accuracy by using LiAISON.

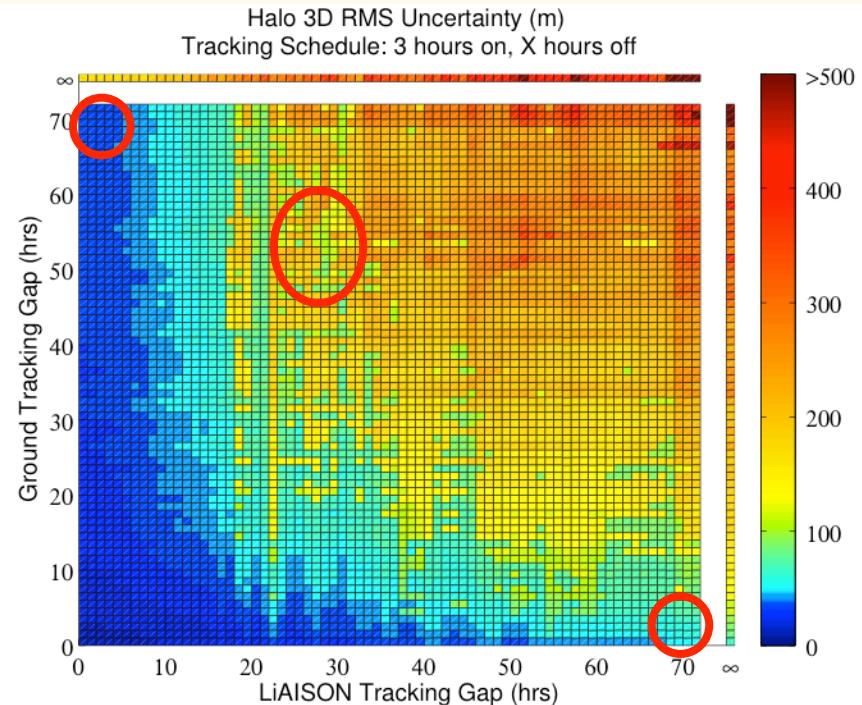
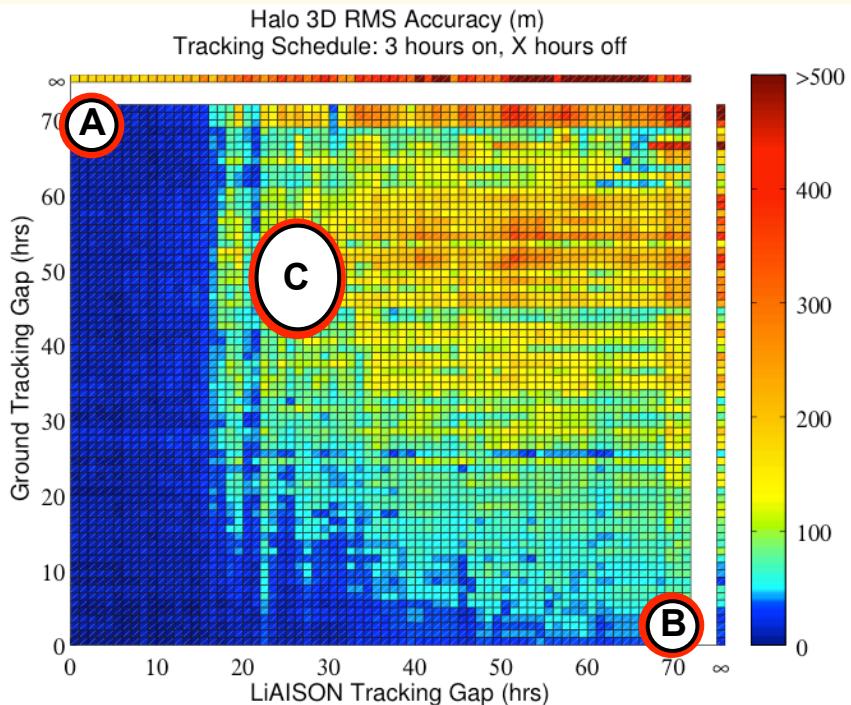


**Cheaper GEO nav:**  
1 ground track every 2-3 days,  
1 LiAISON track every 1-2 days:  
~30 meter uncertainty  
**Fewer ground tracks, better accuracy!**

**Ground-only GEO nav:**  
Near-continuous ground observations with little (or no) LiAISON:  
>150 meter uncertainty w/o LiAISON  
~25 meter uncertainty w/ LiAISON

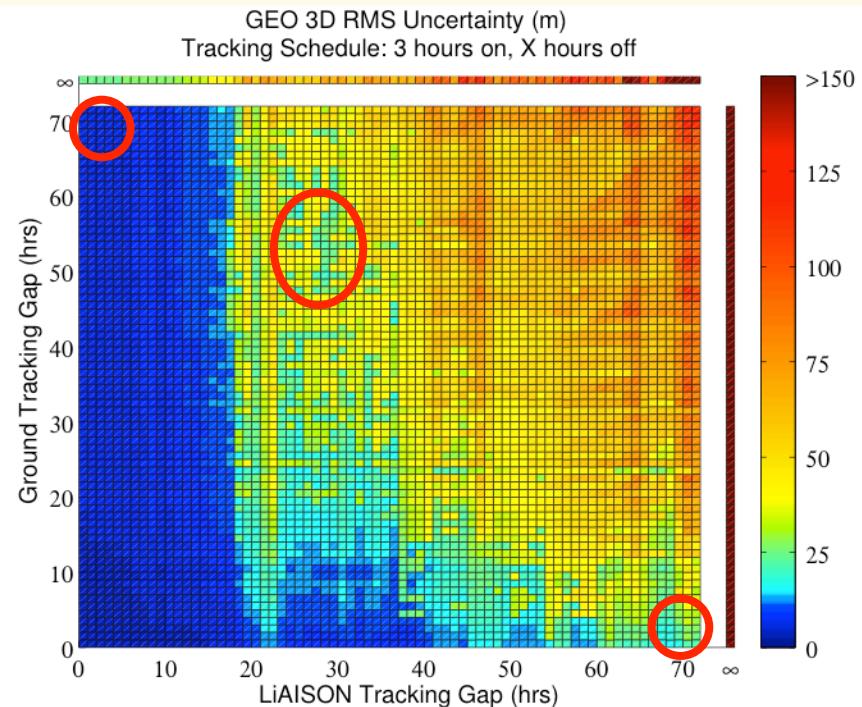
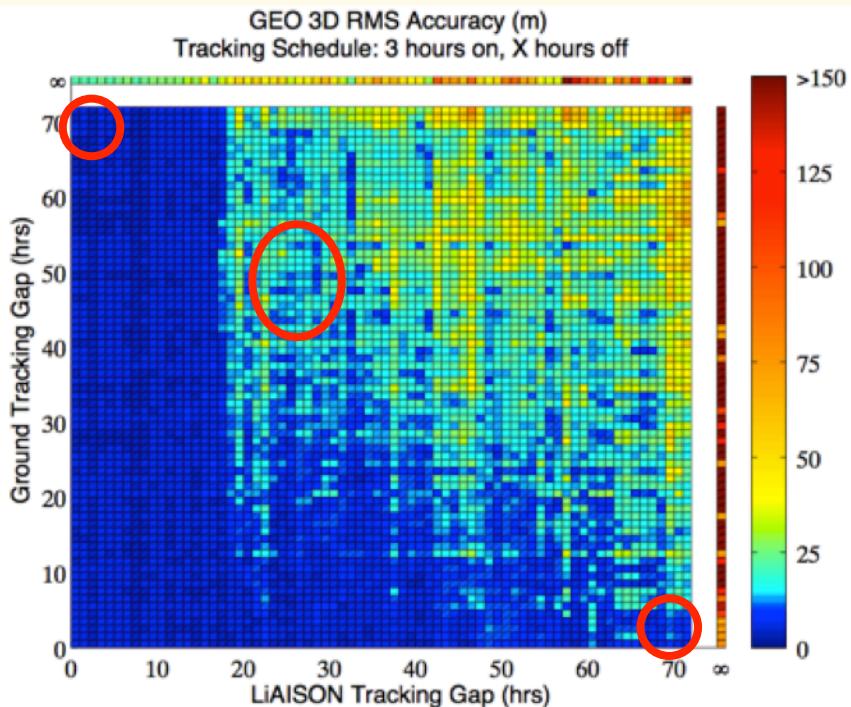
# $L_1$ Results

- **$L_1$  3D RMS position accuracies (left) and uncertainties (right).**
- Tracking schedule ranges from continuous, to 72 hour tracking gaps.
- **Infinity corresponds to LiAISON or ground tracking only (no mixed schedule).**
- **Continuous ground tracking only gives an estimate with an uncertainty of 70 meters.**
- **Continuous LiAISON tracking only gives an estimate with an uncertainty of 150 meters.**



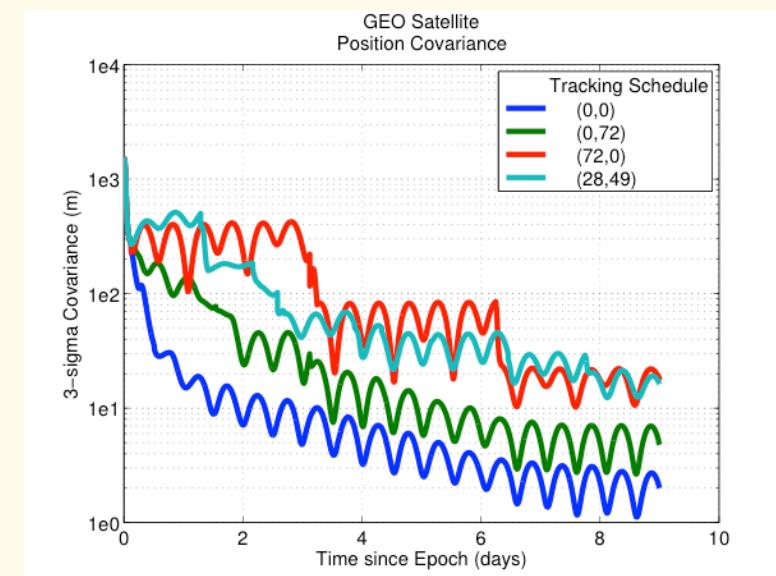
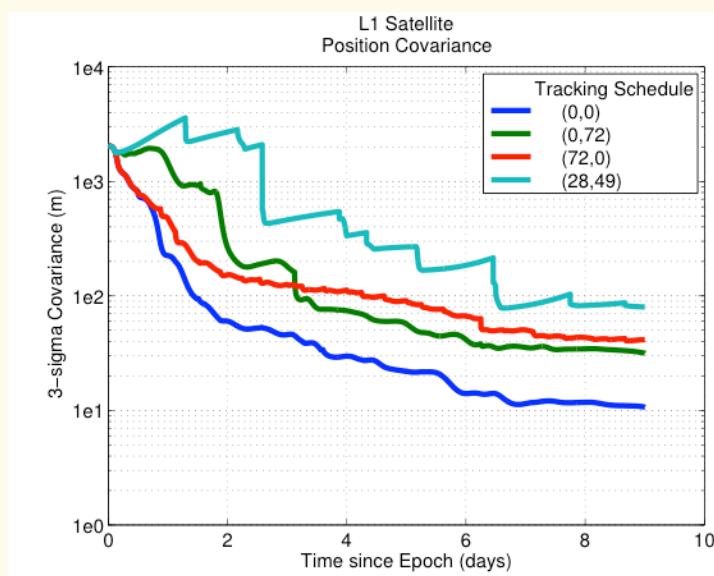
# GEO Results

- GEO 3D RMS position accuracies (left) and uncertainties (right).
- Tracking schedule ranges from continuous, to 72 hour tracking gaps.
- Infinity corresponds to LiAISON or ground tracking only (no mixed schedule).
- Continuous ground tracking only gives an estimate with an uncertainty greater than 150 meters.
- Continuous LiAISON tracking only gives an estimate with an uncertainty of 30 meters.



# Tracking Schedule Analysis

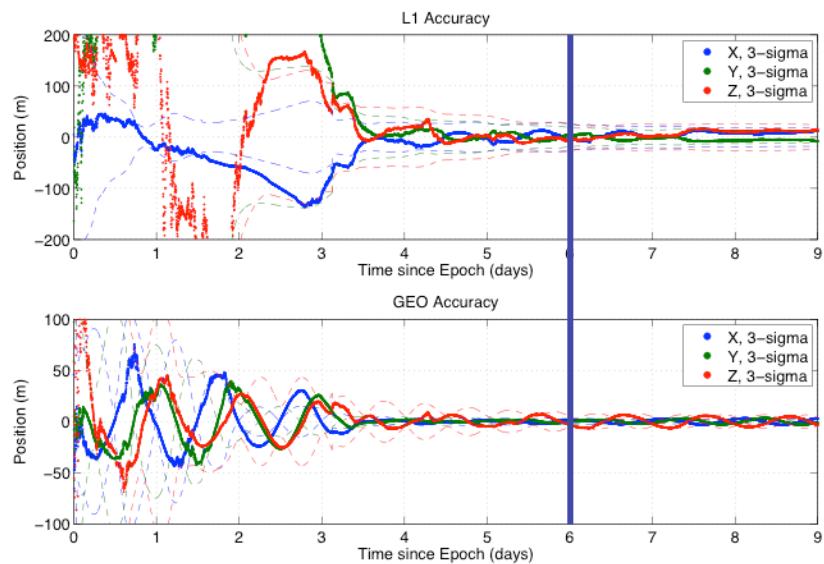
- Trade study was analyzed for four different tracking schedules.
  - Continuous (0,0)
  - Sparse LiASON (72,0)
  - Sparse ground (0,72)
  - Mixed Tracking (28,49)



- **Continuous tracking (0,0) of both data types is the best solution.**
- **Mixed schedule (28,49) gives about the same uncertainty after 6 days as continuous ground with sparse LiASON (72,0).**

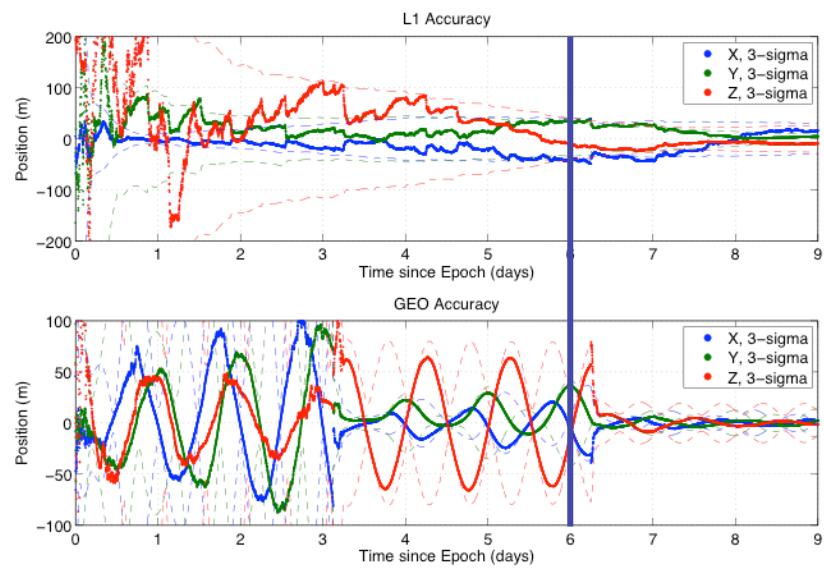
# (A) LiAISON vs. (B) Ground Trade

**(A) Continuous LiAISON schedule with some ground: 3 hours on, 72 hours off**



**L1 Satellite:**  $13.52 \text{ m} \pm 35.03 \text{ m}$  ( $3\sigma$ )  
**GEO Satellite:**  $4.96 \text{ m} \pm 5.65 \text{ m}$

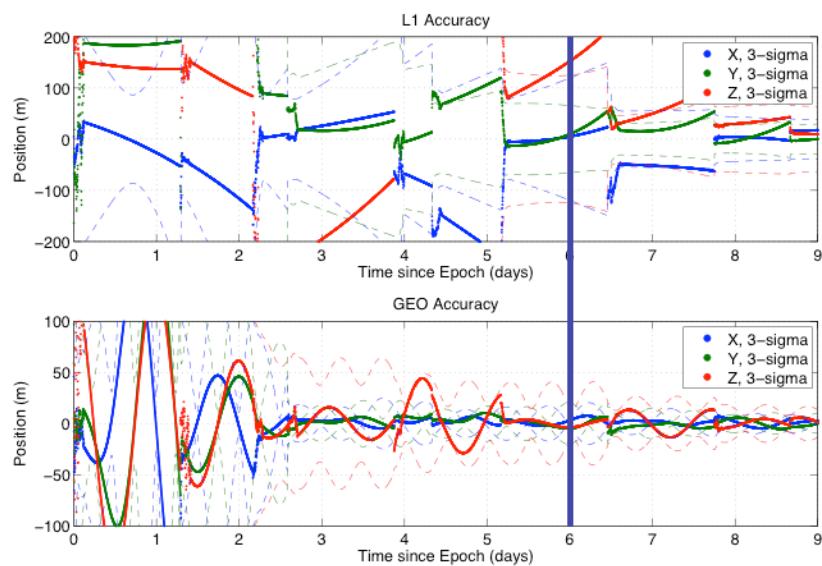
**(B) Continuous Ground schedule with some LiAISON: 3 hours on, 72 hours off**



**L1 Satellite:**  $35.01 \text{ m} \pm 47.17 \text{ m}$   
**GEO Satellite:**  $17.11 \text{ m} \pm 26.40 \text{ m}$

# (C) Mixed vs. (B) Ground Trade

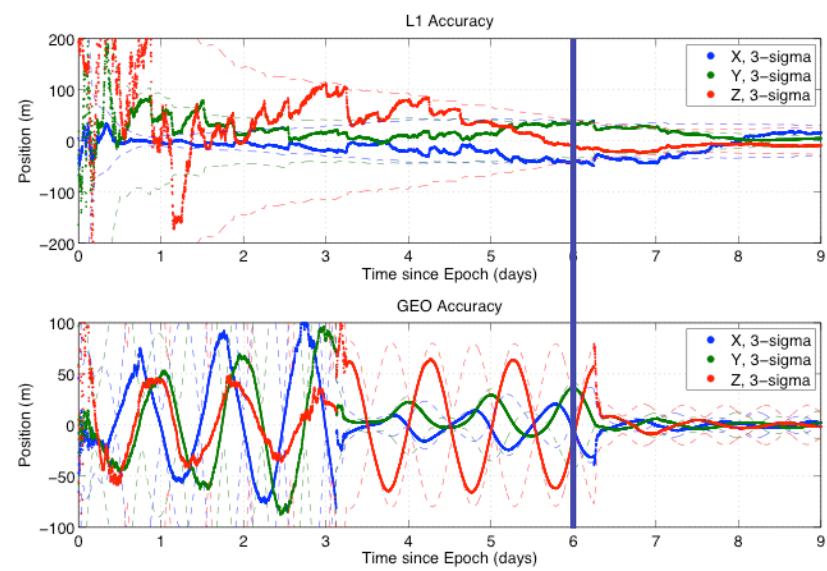
**(C) Mixed schedule. LiAISON: 3 hours on, 28 hours off. Ground: 3 hours on, 49 hours off.**



**L1 Satellite:**  $66.98 \text{ m} \pm 88.89 \text{ m}$

**GEO Satellite:**  $8.09 \text{ m} \pm 19.13 \text{ m}$

**(B) Continuous Ground schedule with some LiAISON: 3 hours on, 72 hours off**

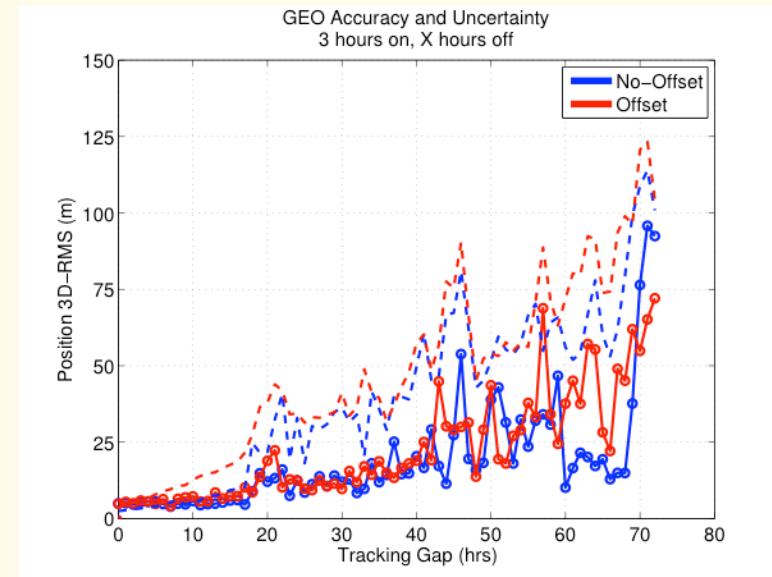
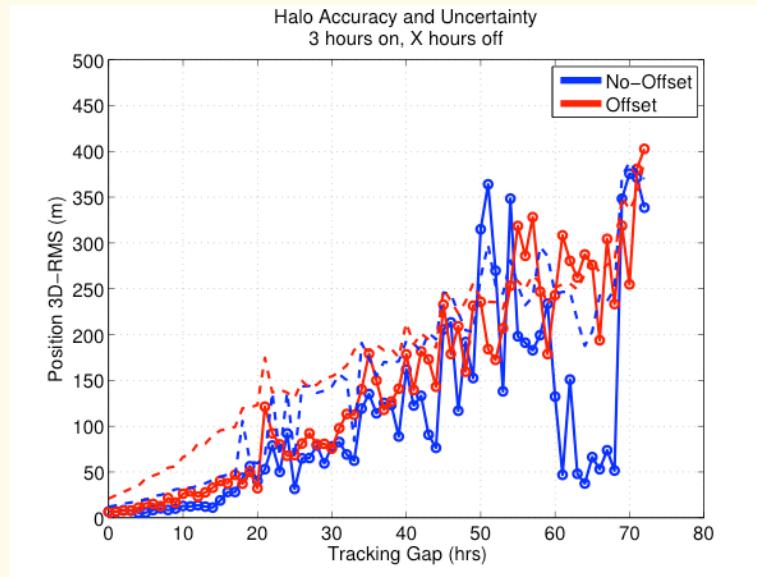


**L1 Satellite:**  $35.01 \text{ m} \pm 47.17 \text{ m}$

**GEO Satellite:**  $17.11 \text{ m} \pm 26.40 \text{ m}$

# Measurement Offset Analysis

- Investigating the diagonal of the Trade Study for measurement offset sensitivity.



- No-offset has less uncertainty when Tracking Gap < 22 hours**
- Resonance at 22 hours is seen in both GEO and Halo uncertainties due to observation geometry.**
- No-offset approaches Offset uncertainty for Tracking Gaps > 22 hours**
- Offset analysis for Tracking Gaps > 22 hours has little effect on the accuracy and uncertainty.**

# Trade Study Summary

- Relative and absolute positioning of the L<sub>1</sub> and GEO satellite is possible using only LiAISON.
- LiAISON is a valuable measurement type to improve radiometric measurements from DSN.
- High fidelity simulations and filter show that supplementing radiometric DSN with LiAISON can improve the solution greatly.
- There exists regions of mixed tracking that produces the same uncertainties as continuous tracking.
- We've shown that you can reduce the number of ground tracks *tremendously* and achieve even better navigation accuracy by using LiAISON.
- A simple measurement offset analysis showed that for large tracking gaps one could expect the same filter performance.
- However, for tracking gaps of less than a day, a no-offset in the measurement

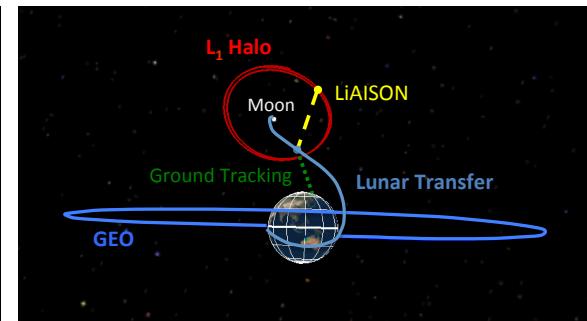
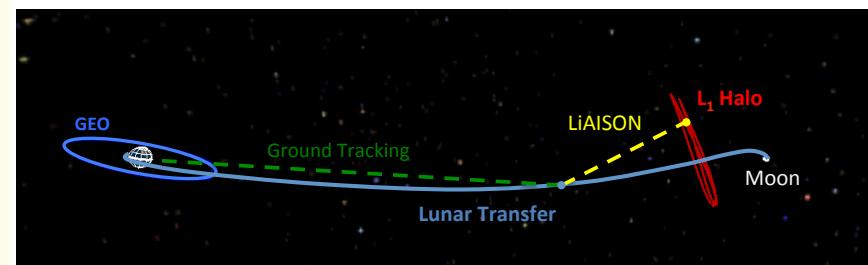


# LiAISON Support of Crewed Lunar Exploration

- Crewed vehicles such as Apollo, Orion, and Altair include significant effects of FLAK
- Unfortunate Lack of Acceleration Knowledge
- FLAK includes several components:
  - Wastewater dumps
  - Momentum desaturations
  - Attitude control burns
  - CO<sub>2</sub> venting
  - Thermal venting, water sublimation
- **FLAK is more significant during “Active” periods when the crew is awake.**
- **Thermal control via water sublimation may not be required except when docked to ISS or L<sub>2</sub> Habitat.**

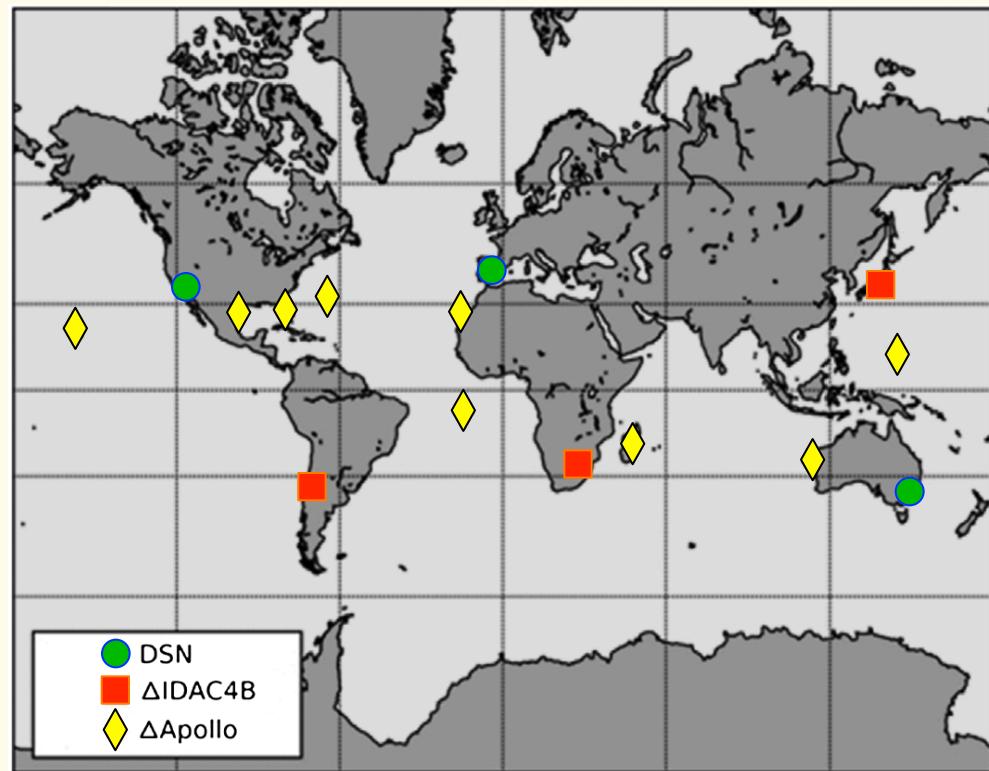
**LiAISON:**  
Linked  
Autonomous  
Interplanetary  
Satellite  
Orbit  
Navigation

LL1 – Lunar Transfer



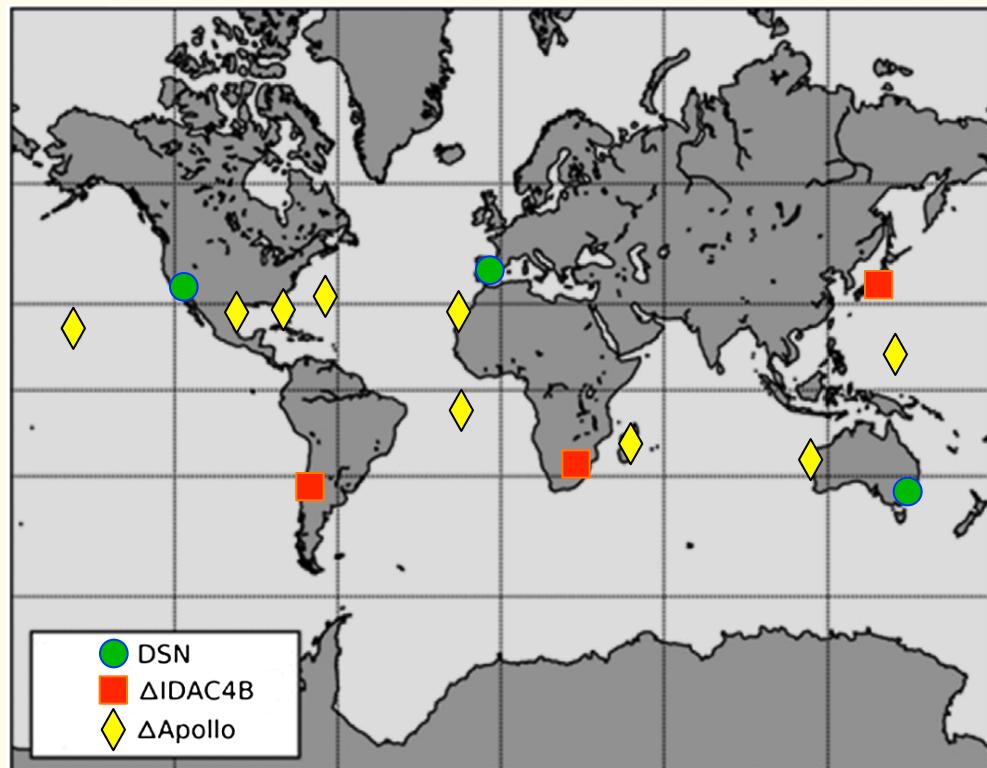
# Ground-based Tracking Networks

- The Deep Space Network includes 3 ground stations (●):
  - Goldstone, California
  - Madrid, Spain
  - Canberra, Australia
- Apollo's "Manned Space Flight Network" included 12 ground stations located on land and in the sea (● + ◆).
- A proposed "IDAC4B" network includes the 3 DSN sites plus 3 complementary sites (● + ■).
  - Notice the N-S symmetry



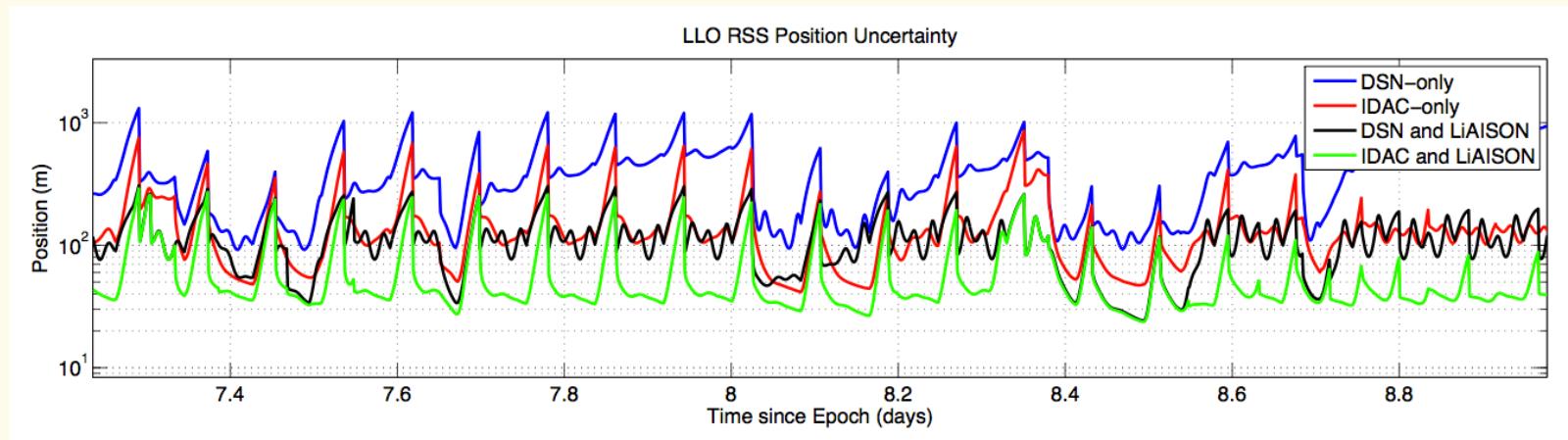
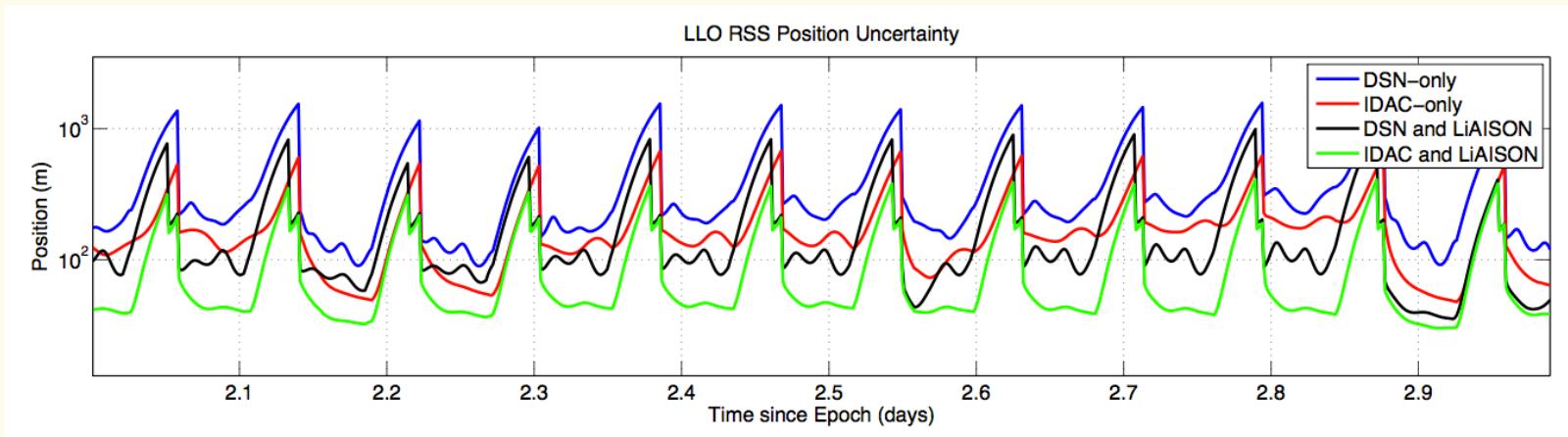
# LiAISON's Benefits

- LiAISON supplements ground-based tracking
- If Orion can be navigated with the (● + □) stations and nothing else, LiAISON may make it possible to just use the DSN (●) stations.
- Fewer ground stations reduces the cost.
- Completed Studies:
  - LiAISON-only
  - DSN + LiAISON
  - IDAC4B + LiAISON
  - Lunar Transfer, L<sub>2</sub> orbit, and Low Lunar Orbit



# LiAISON-supplemented nav

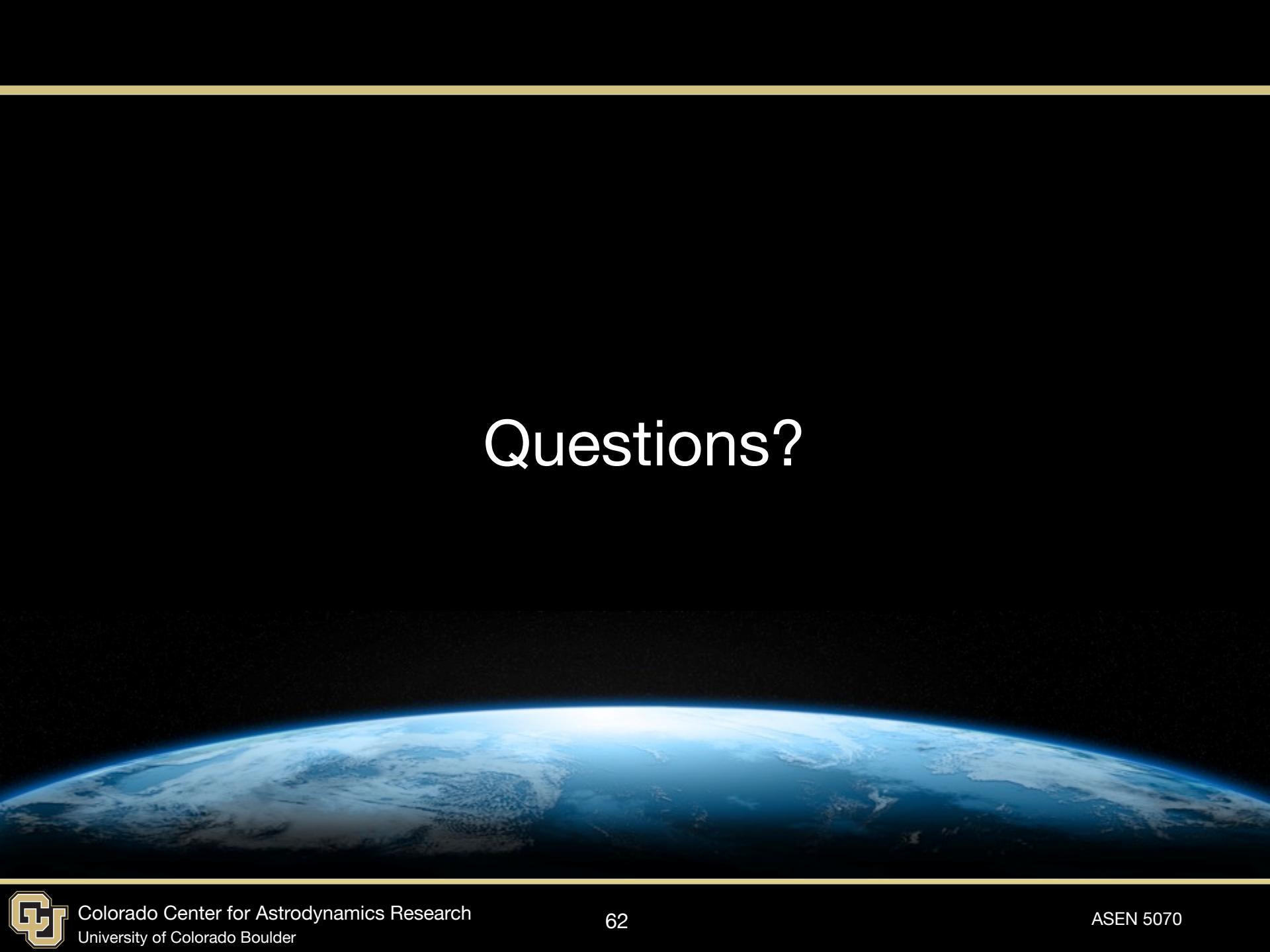
- Comparison of each configuration



# FLAK Study Summary

- The IDAC ground network achieves navigation uncertainty that peaks around 1000 meters.
  - Involves 6 ground stations, tracking non-stop
- LiAISON may be used to *replace 3 ground stations*.
  - LiAISON + 3 DSN sites performs the same as IDAC
- LiAISON + IDAC cuts the nav uncertainty in half or better.





# Questions?

