Data Analysis of 8422[2f3] Material

This file extracts the $\Delta\epsilon$ value from the fitted model I use on my data. The inverse of this value is plotted against the temperature for each spectrum at that given temperature. From this, we fit a quadratic formula to determine the value of the susceptibility critical exponent, γ .

The cell below defines a function used to extract the data. It returns the parameter values determined by our model and scipy's "curve_fit" function, a weighted least-squares fit.

```
In [313]: | %pylab inline
          from mpl toolkits.mplot3d import Axes3D
         import scipy.optimize as spo
         def data_extract(filenames, guess, bool_to_guess, bool_to_print, bool_to_plot):
              files = [filenames[0]]
              w = np.loadtxt('Data04262013/weights.txt', dtype=float,delimiter='\t')
              w = w.T
            \# \ w = w[100:]
              test = np.loadtxt('Data04262013/'+files[0], dtype=float,delimiter='\t')
              m = test.T[0]
              f = test.T[1]
              a = test.T[4]
              """ Combine the data into a 3D array """
              magn = m
              freq = f
              angl = a
              """ Put data in terms of the dielectric constant """
              A = .01**2;
              eps0 = 8.854187e-12;
              d = 5e-6;
              omega = 2*np.pi*freq;
              G = \cos(\text{angl})/(\text{magn});
              C = -\sin(angl)/(magn);
              C0 = (A*eps0)/(d);
              """ e2 is the epsilon double primed or the imaginery part of the dielectric
```

```
data
        el is the epsilong primed or real part of the dielectric data """
    e2 = G/(omega*C0);
    e1 = C/(omega*C0);
    """ GUESSED VALUES for the fit of the primary peak in the dielectric data. """
    E_infinity = guess[0];
    Delta E = guess[1];
    Relaxation_frequency = guess[2];
    Beta = guess[3];
    G low_frequency = guess[4];
    """ Defining the data as x,y """
    x = freq;
    y = e2;
    """ Model Function to fit our data """
    def func(x, Einf,delE,relaxFreq,beta,g):
        z = (Einf + (delE/(1 + (1j*(x/relaxFreq))**(beta))) + g)
        return -(z.imag)
    dummy = func(x,E_infinity, Delta_E, Relaxation_frequency, Beta,
G low frequency)
    if bool_to_guess == True:
        plt.figure(1)
        semilogx(freq,dummy,'-r')
        semilogx(freq,e2,'.')
        xlabel('Frequency')
        ylabel('$\epsilon$')
        title('Dielectric Spectrum')
        grid()
    popt, pcov = spo.curve fit(func,x,y,p0=[E infinity, Delta E,
Relaxation_frequency, Beta, G_low_frequency], sigma=w)
    fittedmodel = func(x,popt[0],popt[1],popt[2],popt[3],popt[4])
    if bool_to_print == True:
        def fit_results(param, values):
            for i in range(0,5,1):
                print param[i] + str(values[i])
        """ Print out the values of the fit """
        params = ["\nRESULTS FOR PRIMARY PEAK: \n\nE infinity: ", "Delta E: ",
"Relaxation_frequency: ", "Beta: ", "G_low_frequency: "];
        fit_results(params,popt)
    if bool to plot == True:
        """ Plot the fitted model """
```

```
plt.figure(2)
semilogx(freq,e2,'.')
semilogx(freq,fittedmodel,'r')
xlabel('Frequency')
ylabel('$\epsilon$')
title('Dielectric Spectrum')
#ylim((0,1))
grid()

return popt, fittedmodel
```

Welcome to pylab, a matplotlib-based Python environment [backend: module://IPython.kernel.zmq.pylab.backend_inline].
For more information, type 'help(pylab)'.

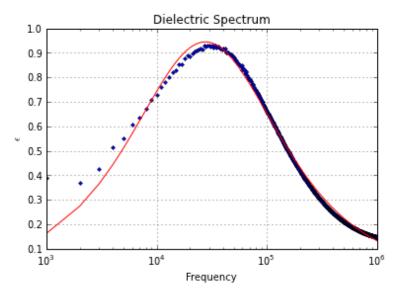
Call the function above on each spectrum and return the fit values.

```
In [314]:
    """ GUESSED VALUES for the fit of the primary peak in the dielectric data. """
    E_infinity = 0;
    Delta_E = 1;
    Relaxation_frequency = 1*10**4.5;
    Beta = .2;
    G_low_frequency = 0;

    guess = [E_infinity, Delta_E, Relaxation_frequency, Beta, G_low_frequency]
    popt1, fittedmodel1 = data_extract(['test25'], guess, False, True, True)
```

RESULTS FOR PRIMARY PEAK:

```
E_infinity: 0.0
Delta_E: 2.58441980306
Relaxation_frequency: 27717.1947545
Beta: 0.803753072946
G_low_frequency: 0.0
```



```
In [315]: popt2, fittedmodel2 = data_extract(['test02'], guess, False, True, True)
```

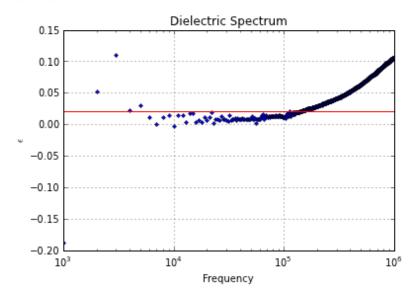
DECLITURG EOD DOTMADO DEAV.

E_infinity: 0.0

Delta_E: 118.998295987

Relaxation_frequency: 46.9818041045

Beta: 0.000443506948068 G_low_frequency: 0.0



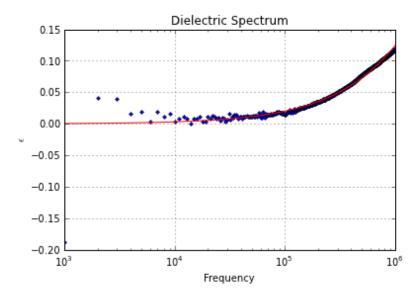
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 1.31195187701

Relaxation_frequency: 15773513.5511

Beta: 0.813380336756 G_low_frequency: 0.0



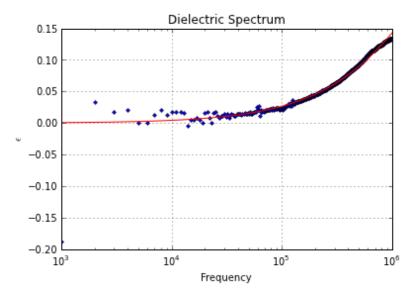
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 0.730048608396

Relaxation_frequency: 5635316.59632

Beta: 0.80281311
G_low_frequency: 0.0



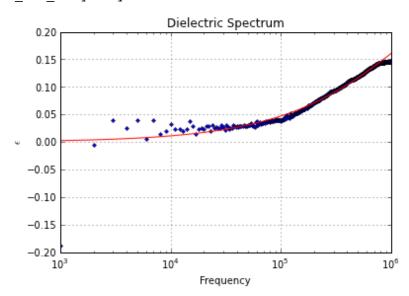
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 0.873121630824

Relaxation_frequency: 6227005.35118

Beta: 0.649344824043 G_low_frequency: 0.0



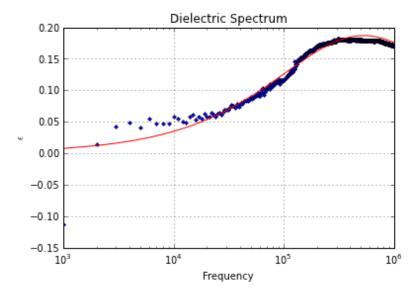
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 0.632729189059

Relaxation_frequency: 530954.625369

Beta: 0.679510773013
G_low_frequency: 0.0



In [320]: popt7, fittedmodel7 = data_extract(['test07'], guess, False, True, True)

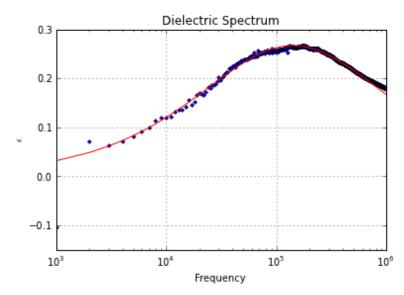
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 0.957961341696

Relaxation_frequency: 141030.038655

Beta: 0.647194272047 G_low_frequency: 0.0



In [321]: popt8, fittedmodel8 = data_extract(['test08'], guess, False, True, True)

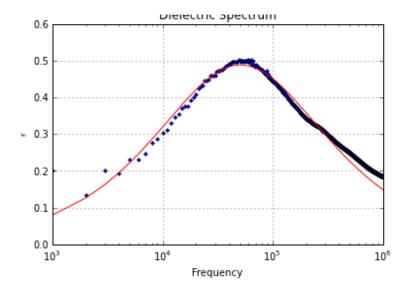
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 1.55022063362

Relaxation_frequency: 50916.7508087

Beta: 0.715710277668
G_low_frequency: 0.0

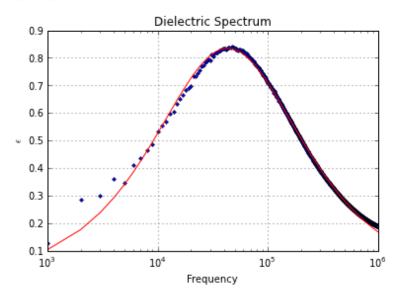


E_infinity: 0.0

Delta_E: 2.30235861059

Relaxation_frequency: 43386.87195

Beta: 0.798974165756
G_low_frequency: 0.0



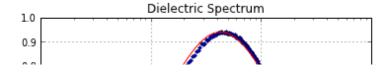
RESULTS FOR PRIMARY PEAK:

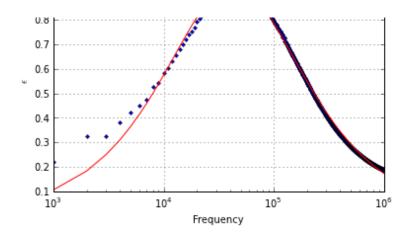
E_infinity: 0.0

Delta_E: 2.49590947114

Relaxation_frequency: 43119.6797734

Beta: 0.822190463857 G_low_frequency: 0.0



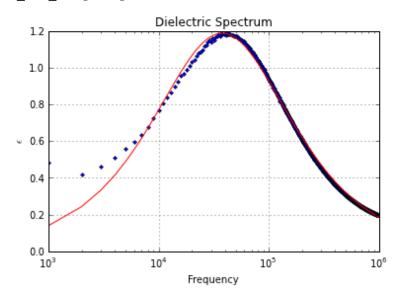


E_infinity: 0.0

Delta_E: 3.07963435544

Relaxation_frequency: 37701.9062584

Beta: 0.836152309831 G_low_frequency: 0.0



In [325]: popt12, fittedmodel12 = data_extract(['test12'], guess, False, True, True)

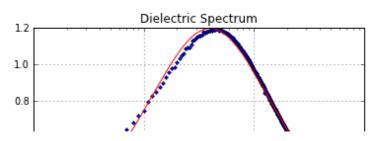
RESULTS FOR PRIMARY PEAK:

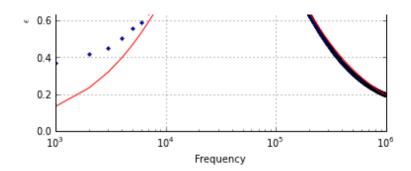
E_infinity: 0.0

Delta_E: 3.0883271675

Relaxation frequency: 39969.5393543

Beta: 0.838111524492
G_low_frequency: 0.0



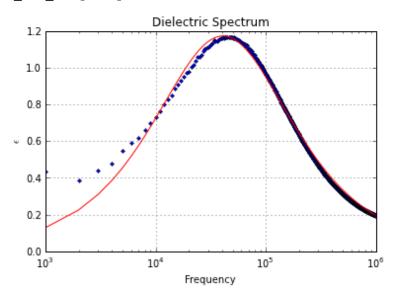


E_infinity: 0.0

Delta_E: 3.03728312763

Relaxation_frequency: 40805.9221535

Beta: 0.836971142844 G low frequency: 0.0



In [327]: popt14, fittedmodel14 = data_extract(['test14'], guess, False, True, True)

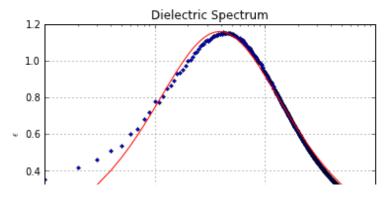
RESULTS FOR PRIMARY PEAK:

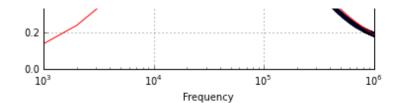
E_infinity: 0.0

Delta_E: 3.02688569403

Relaxation_frequency: 38808.9967403

Beta: 0.83131101337 G_low_frequency: 0.0



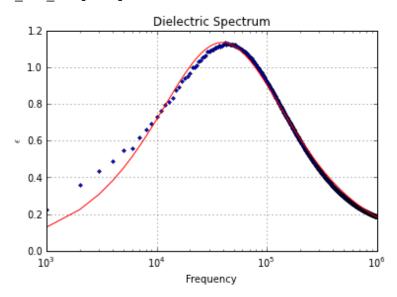


E_infinity: 0.0

Delta_E: 2.94107477538

Relaxation_frequency: 39452.0305128

Beta: 0.836327682136
G_low_frequency: 0.0



In [329]: popt16, fittedmodel16 = data_extract(['test16'], guess, False, True, True)

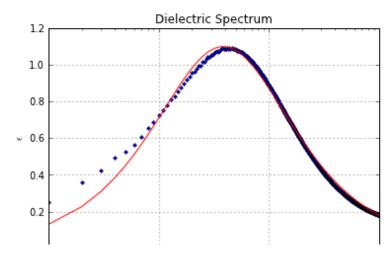
RESULTS FOR PRIMARY PEAK:

E infinity: 0.0

Delta_E: 2.8790302444

Relaxation_frequency: 38606.8371397

Beta: 0.82951751516 G_low_frequency: 0.0



In [330]: popt17, fittedmodel17 = data_extract(['test17'], guess, False, True, True)

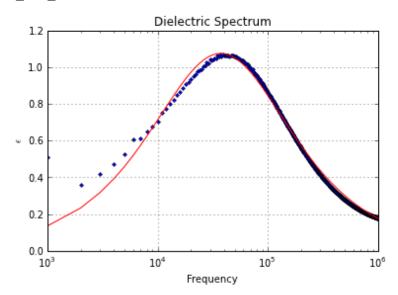
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 2.85049641429

Relaxation_frequency: 37419.2982883

Beta: 0.822363632645
G_low_frequency: 0.0



In [331]: popt18, fittedmodel18 = data_extract(['test18'], guess, False, True, True)

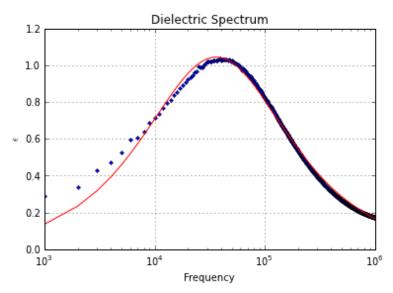
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta E: 2.77644304289

Relaxation_frequency: 36095.2876941

Beta: 0.820978897872 G_low_frequency: 0.0



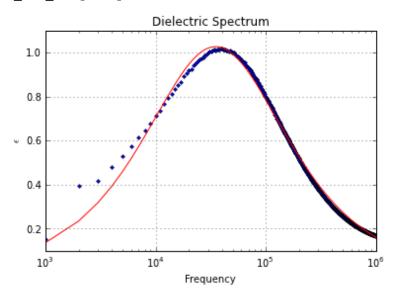
```
In [332]: popt19, fittedmodel19 = data_extract(['test19'], guess, False, True, True)
```

E_infinity: 0.0

Delta_E: 2.72838975027

Relaxation_frequency: 35120.8270513

Beta: 0.821059486263
G_low_frequency: 0.0



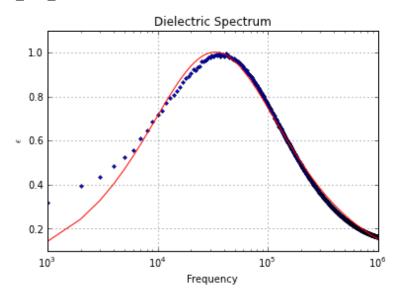
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 2.68612833537

Relaxation_frequency: 33276.7804138

Beta: 0.815503859188 G_low_frequency: 0.0



In [334]: popt21, fittedmodel21 = data_extract(['test21'], guess, False, True, True)

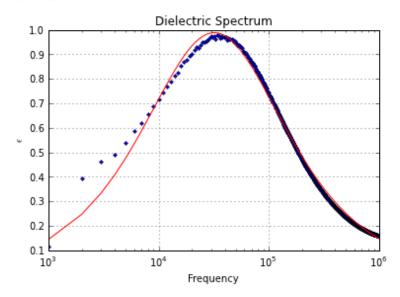
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta E: 2.64880270719

Relaxation_frequency: 32055.3324892

Beta: 0.816308640105 G low frequency: 0.0



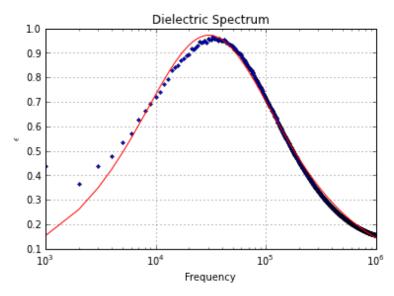
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 2.64442411481

Relaxation_frequency: 30452.0441881

Beta: 0.807145351461
G_low_frequency: 0.0



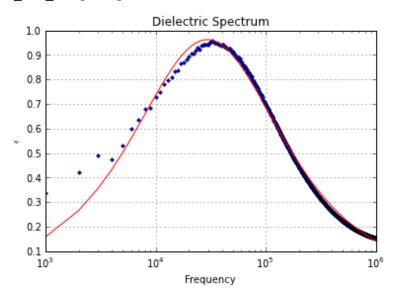
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 2.63093306154

Relaxation_frequency: 29490.1770938

Beta: 0.804183920622 G_low_frequency: 0.0



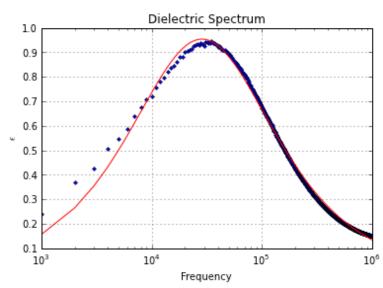
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 2.58637551532

Relaxation_frequency: 28665.0039269

Beta: 0.8092442889 G_low_frequency: 0.0



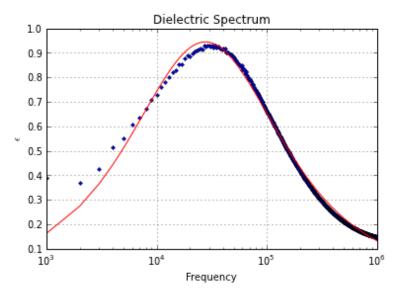
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 2.58441980306

Relaxation_frequency: 27717.1947545

Beta: 0.803753072946 G_low_frequency: 0.0



In [339]: popt26, fittedmodel26 = data_extract(['test26'], guess, False, True, True)

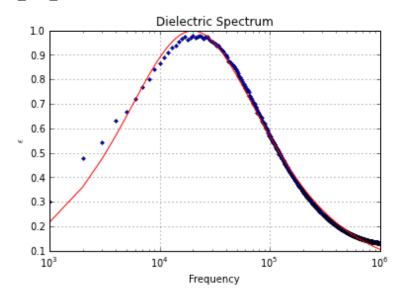
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 2.70559435333

Relaxation_frequency: 19942.3162844

Beta: 0.809259522622
G_low_frequency: 0.0



In [340]: popt27, fittedmodel27 = data_extract(['test27'], guess, False, True, True)

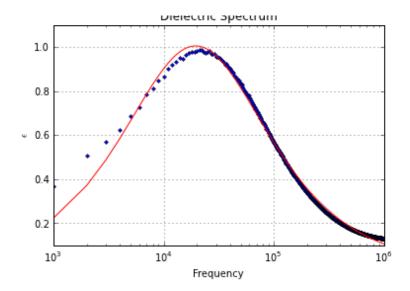
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 2.73452338911

Relaxation_frequency: 19507.3717494

Beta: 0.806585263929
G_low_frequency: 0.0



In [341]: popt28, fittedmodel28 = data_extract(['test28'], guess, False, True, True)

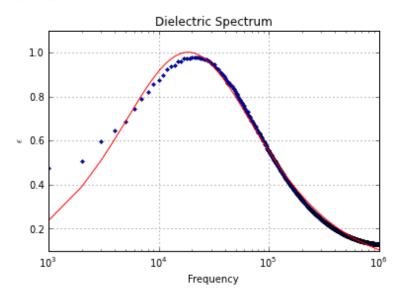
RESULTS FOR PRIMARY PEAK:

E_infinity: 0.0

Delta_E: 2.75321645729

Relaxation_frequency: 18513.3274851

Beta: 0.800223072693 G_low_frequency: 0.0



In [342]: popt29, fittedmodel29 = data_extract(['test29'], guess, False, True, True)

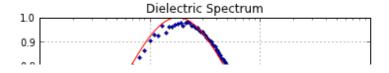
RESULTS FOR PRIMARY PEAK:

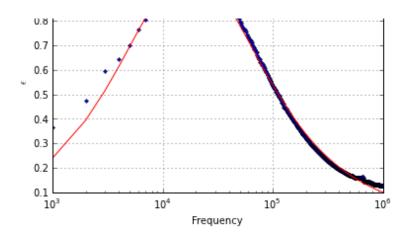
E_infinity: 0.0

Delta_E: 2.73203474441

Relaxation_frequency: 17924.3305289

Beta: 0.804260598216 G_low_frequency: 0.0



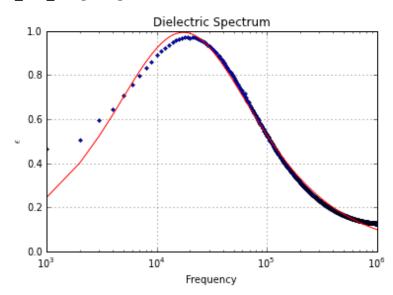


E_infinity: 0.0

Delta_E: 2.72273975919

Relaxation_frequency: 17486.5629194

Beta: 0.802354031285 G_low_frequency: 0.0



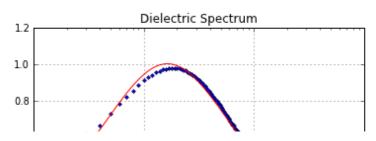
RESULTS FOR PRIMARY PEAK:

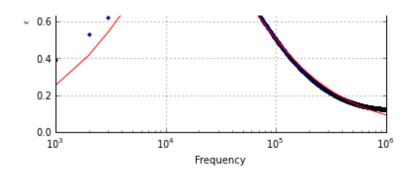
E_infinity: 0.0

Delta_E: 2.72215514045

Relaxation frequency: 16428.8027229

Beta: 0.807773340741 G_low_frequency: 0.0





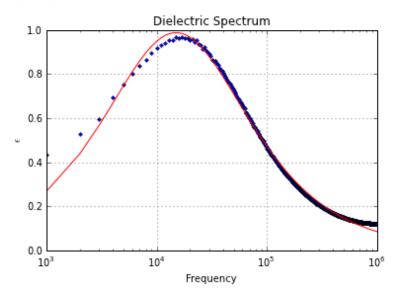
```
In [345]: popt32, fittedmodel32 = data_extract(['test32'], guess, False, True, True)
```

E_infinity: 0.0

Delta_E: 2.68860937209

Relaxation_frequency: 15007.0627274

Beta: 0.80646496647 G_low_frequency: 0.0



```
In [366]: #epsilon =
          [popt1[1],popt2[1],popt3[1],popt4[1],popt5[1],popt6[1],popt7[1],popt8[1],
         popt9[1], popt10[1],
         epsilon = [popt13[1],popt14[1],popt15[1],popt16[1],popt17[1],popt18[1],
                     popt19[1],popt20[1],popt21[1],popt22[1],popt23[1]]
         #,popt24[1],popt25[1]]
         #,popt26[1],popt27[1],popt28[1],
                       popt29[1],popt30[1],popt31[1],popt32[1]]
         #reson = [popt1[2],popt2[2],popt3[2],popt4[2],popt5[2],popt6[2],popt7[2],popt8[2],
         popt9[2], popt10[2],
         reson = [popt13[2],popt14[2],popt15[2],popt16[2],popt17[2],popt18[2],
                     popt19[2],popt20[2],popt21[2],popt22[2],popt23[2]]
         #,popt24[2],popt25[2]]
         #,popt26[2],popt27[2],popt28[2],
                      popt29[2],popt30[2],popt31[2],popt32[2]]
          #temperature = [100.1, 98.9, 97.9, 96.9, 96, 94.6, 93.5, 92.4, 91, 90.1,
```

Determining the susceptibility critical exponent of the liquid crystal by fitting to the power law equation:

```
(\Delta \epsilon)^{-1} = At^{\gamma} + B
```

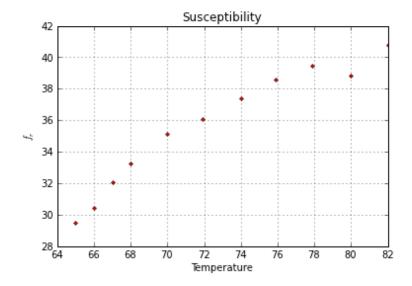
```
In [369]: def susc_func(x,A,B,gamma):
             s = A*np.power(x,gamma) + B
             return s
         susc2, 12 = spo.curve fit(susc func, temperature, epsilon, p0=[-.0033,.58,1],
         maxfev=10000)
         print "The value of B is: " + str(susc2[1])
         print "The value of m is: " + str(susc2[0])
         print "The value of gamma is: " + str(susc2[2])
         fittedmodel = susc func(temperature, susc2[0],susc2[1],susc2[2])
         #,susc2[2])
         \#guess = susc\_func(T, -.0033, .58, 1)
         plt.figure(2)
         plot(T,epsilon,'r.')
         #plot(T, guess, 'b')
         plot(T,fittedmodel,'b')
         xlabel('T (Celsius)')
         ylabel('1/($\epsilon$)')
         title('Susceptibility (8422[2F3])')
         grid()
```

The value of B is: 0.603348063493
The value of m is: -0.00413386084396
The value of gamma is: 0.953729413215



```
0.32 64 66 68 70 72 74 76 78 80 82
T (Celsius)
```

```
In [370]: plt.figure(1)
    plot(T,reson,'r.')
    xlabel('Temperature')
    ylabel('$f_{r}$')
    title('Susceptibility')
    grid()
```



```
In [368]: eps0 = 8.854187e-12
mP = 185*10**-9/.01**2
m = -1*susc2[0]
alpha = (m*mP**2)/eps0/1000
print alpha
```

1.59790376445

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