LAB 1 BISECTION METHOD

OBJECTIVE

To find the real root of xe^x-1

TOOLS

gcc (code::blocks)

ALGORITHM/FLOWCHART:

```
1. Read x1, x2, e
2. e is the absolute error
3. Compute: f1 = f(x1) and f2 = f(x2)
4. If (f1*f2) > 0, then display initial guesses are wrong and goto (11).
5. x = (x1 + x2)/2
6. If (|(x1-x2)/x| < e), then display x and goto (11).
7. Else, f = f(x)
8. If ((f*f1) > 0), then x1 = x and f1 = f.
9. Else, x^2 = x and f^2 = f. Bishal Sharma
10. Goto (5).
11. Stop
CODE:
#include<stdio.h>
#include<math.h>
float f(float x){
              return(x*exp(x)-1);
}
int main()
              float x1,x2,xm=0,flg,eps=0.0001,a,b,c;
              int count=0;
              do{
                     printf("Enter Initial guess");
                     scanf("%f %f", &x1,&x2);
                     if(f(x1)*f(x2)>0)
                     printf("\n Invalid Guess.... Type the guess again...");
              while(f(x1)*f(x2)>0);
              printf("\n ITR x1
                                      x2
                                                         F(x1)
                                                                    F(x2)
                                                                             F(xm)");
                                              xm
              do{
              flg=xm;
              xm=(x1+x2)/2.00;
              count++;
              a=f(x1);
              b=f(x2);
              c=f(xm);
              printf("\n %d
                               %f %f %f
                                               %f %f %f",count,x1,x2,xm,a,b,c);
              if(f(xm)*f(x1)<0)
                     x2=xm;
```

OBSERATION AND RESULT

```
Enter Initial guess0
                                                      F(x1)
-1,000000
 ITR
                                                                                      F(xm)
         \times 1
         0.000000
                                      0,500000
                                                                                      -0.175639
0.587750
                        1,000000
                                                                        1,718282
1
2
3
4
5
6
7
8
9
10
                        1,000000
                                                                       1,718282
                                      0.750000
         0.500000
                                                       -0.175639
                                      0.625000
         0.500000
                        0.750000
                                                                                      0.167654
                                                      -0,175639
                                                                       0.587750
         0.500000
0.562500
                        0.625000
0.625000
                                      0.562500
0.593750
                                                      -0.175639
-0.012782
                                                                       0.167654
                                                                                      -0.012782
                                                                       0,167654
                                                                                      0.075142
                                      0.578125
0.570312
                                                       -0,012782
         0.562500
                                                                       0.075142
                                                                                      0.030619
                        0.593750
         0.562500
0.562500
0.562500
0.566406
                        0.578125
                                                       -0.012782
                                                                       0.030619
                                                                                      0.008780
                                                      -0.012782
-0.002035
                                                                       0.008780
0.008780
                                      0.566406
                        0.570312
                                                                                      -0.002035
                                      0.568359
                                                                                      0.003364
                        0.570312
          0.566406
                         0.568359
                                        0.567383
                                                        -0.002035
                                                                         0.003364
                                                                                       0.000662
                                                                                       -0.00068
 11
                                                                         0,000662
          0.566406
                                        0.566895
                                                       -0,002035
                         0.567383
 12
          0.566895
                         0.567383
                                        0.567139
                                                       -0,000687
                                                                         0.000662
                                                                                       -0,00001
 13
                                                       -0,000013
                                                                                       0.000325
          0.567139
                         0.567383
                                        0.567261
                                                                         0,000662
          0.567139
 14
                         0.567261
                                        0.567200
                                                        -0.000013
                                                                         0.000325
                                                                                       0.000156
                   0.5672
 Result =
                             count=14
Process returned 0 (0x0)
                                execution time : 6.920 s
Press ENTER to continue.
```

CONCLUSION

hence we can use bisection method to find the real root of xe^x-1

LAB 2 FALSE POSITION METHOD

OBJECTIVE

To find the real root of x-cosx

TOOLS

gcc (code::blocks)

ALGORITHM/FLOWCHART:

```
1 Start
2 Read values of x0, x1 and e
3 Computer function values f(x0) and f(x1)
4 Check whether the product of f(x0) and f(x1) is negative or not.\
       If it is positive take another initial guesses.
       If it is negative then goto step 5.
5 Determine: x = [x0*f(x1) - x1*f(x0)] / (f(x1) - f(x0))
6 Check whether the product of f(x1) and f(x) is negative or not.
       If it is negative, then assign x0 = x;
       If it is positive, assign x1 = x;
7 Check whether the value of f(x) is greater than 0.00001 or not.
       If yes, goto step 5.
       If no, goto step 8.
       *Here the value 0.00001 is the desired degree of accuracy, and hence the
10 stopping criteria.*
8 Display the root as x.
9 Stop
CODE:
#include<stdio.h>
#include<math.h>
float f(float x) {
              return(x-cos(x));
}
int main()
{
              float x0,x1,xm=0,flg,eps=0.0001,a,b,c;
              int count=0;
               do{
                      printf("Enter Initial guess");
                      scanf("%f %f", &x0,&x1);
                      if(f(x0)*f(x1)>0)
                      printf("\n Invalid Guess.... Type the guess again...");
               while(f(x0)*f(x1)>0);
               printf("\n ITR x0
                                       x1
                                                            F(x0)
                                                                       F(x1)
                                                                                 F(xm)");
                                                 xm
               do{
```

xm=x0-(f(x0)*(x1-x0))/(f(x1)-f(x0));

count++;
flg=xm;

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```
a=f(x0);\\b=f(x1);\\c=f(xm);\\printf("\n %d %12.3f %f %f %f %f %f",count,x0,x1,xm,a,b,c);\\if(f(xm)*f(x0)<0)\\x1=xm;\\else\\x0=xm;\\\\\\\\while(fabs(flg-xm)>eps);\\printf("\n Result = %10.3f count=%d",xm,count);\\return 0;\\\}
```

OBSERATION AND RESULT

```
Enter Initial guess0

ITR x0 x1 xm F(x0) F(x1) F(xm)

1 0.000 1.000000 0.685073 -1.000000 0.459698 -0.089299

2 0.685 1.000000 0.736299 -0.089299 0.459698 -0.004660

3 0.736 1.000000 0.738945 -0.004660 0.459698 -0.000234

4 0.739 1.000000 0.739078 -0.000234 0.459698 -0.000012

5 0.739 1.000000 0.739085 -0.000012 0.459698 -0.000001

Result = 0.739 count=5

Process returned 0 (0x0) execution time : 3.979 s

Press ENTER to continue.
```

CONCLUSION

hence we can use false position method to find the real root of $x^3+x^2-3x-3=0$

LAB 3 FIXED POINT METHOD

OBJECTIVE

To find the real root of $\frac{(x^2+2)}{3}$

TOOLS

gcc (code::blocks)

ALGORITHM/FLOWCHART:

```
1 Start
2 Read values of x0 and e.
       *Here x0 is the initial approximation
                                                    e is the absolute error or the desired degree of
       accuracy, also the stopping criteria*
3 \text{ Calculate } x1 = g(x0)
4 If |x1 - x0| \le e, goto step 6.
5 Else, assign x0 = x1 and goto step 3.
6 Display x1 as the root.
7 Stop
CODE:
#include<stdio.h>
#include<math.h>
float f(float x){
       return ((pow(x,2)+2)/3);
}
int main()
{
       float x0,x1=0, flg, eps=0.0001;
       int count=0;
        printf("Enter initial guess: ");
        scanf("%f",&x0);
       do {
               flg=x1;
               x1=f(x0);
               count++;
               printf("\n%d\t%f",count,x1);
               x0=x1;
       }
       while(fabs(flg-x1)>eps);
       printf("\n\ Real root = %0.5f \n and the number of iteration is %d",x1,count);
  return 0;
```

OBSERATION AND RESULT

}

CONCLUSION

hence we can use fixed point method to find the real root of $\frac{(x^2+2)}{3}$

LAB 4 **NEWTON-RAPHSON METHOD**

OBJECTIVE

To find the real root of $3^x + \sin x - e^x$

TOOLS

gcc (code::blocks)

ALGORITHM/FLOWCHART:

```
1 Start
2 Read x, e, n, d
       *x is the initial guess e is the absolute error i.e the desired degree of accuracy n is for
       operating loop d is for checking slope*
3 Do for i = 1 to n in step of 2
4 f = f(x)
5 f1 = f'(x)
6 If (|f1| < d), then display too small slope and goto 11.
7 x1 = x - f/f1
8 If (|(x1-x)/x1| \le e), the display the root as x1 and goto 11.
9 x = x1 and end loop
10 Display method does not converge due to oscillation.
11 Stop
CODE:
#include<stdio.h>
#include<math.h>
float f(float x){
              return(3*x+sin(x)-exp(x));
float g(float y){
              return(3+cos(y)-exp(y));
}
int main()
       float x0,x1=0,eps=0.0000001,flg;
       count=0;
       printf("
                     NEWTONS METHOD");
       printf("\n\n\n\n\n\n
                                Enter guess ");
       scanf("%f",&x0);
       printf("\n Ite X");
       do{
               flg=x1;
               x1=x0-(f(x0)/g(x0));
               count++;
               printf("\n %d %f %f",count,x1,x0);
               x0=x1;
       while(fabs(flg-x1)>eps);
```

printf("\n\n\n The root up to 5 decimal place of the given function is%12.5f \n and the

```
\begin{array}{c} \text{number of iteration is \%d",x1,count);} \\ \text{return 0;} \end{array}
```

OBSERATION AND RESULT

```
NEWTONS METHOD

Enter guess 0

Ite X
1 0.3333333 0.0000000
2 0.360171 0.3333333
3 0.360422 0.360171
4 0.360422 0.360422

The root up to 5 dcimal place of the given function is 0.36042
and the number of iteration is 4

Process returned 0 (0x0) execution time : 6.461 s

Press ENTER to continue.
```

CONCLUSION

hence we can use newton-raphson method to find the real root of $3^x + sinx - e^x$

LAB 5 SECANT METHOD

OBJECTIVE

To find the real root of x^3+x^2+x+7

TOOLS

}

gcc (code::blocks)

ALGORITHM/FLOWCHART:

```
1 Start
2 Get values of x0, x1 and e
       *Here x0 and x1 are the two initial guesses e is the stopping criteria, absolute error or the
       desired degree of accuracy*
3 Compute f(x0) and f(x1)
4 Compute x2 = |x0*f(x1) - x1*f(x0)|/|f(x1) - f(x0)|
5 Test for accuracy of x2
       If |(x^2 - x^1)/x^2| > e, assign x^0 = x^1 and x^1 = x^2 goto step 4 Else, goto step 6
6 Display the required root as x2.
7 Stop
CODE:
#include<stdio.h>
#include<math.h>
float f(float x){
              return(3*x+sin(x)-exp(x));
float g(float y){
              return(3+cos(y)-exp(y));
}
int main()
{
       float x0,x1=0,eps=0.0000001,flg;
       count=0;
       printf("
                     NEWTONS METHOD");
       printf("\n\n\n\n\n
                                Enter guess ");
       scanf("%f",&x0);
       printf("\n Ite X");
       do{
               flg=x1;
               x1=x0-(f(x0)/g(x0));
               count++;
               printf("\n %d %f %f",count,x1,x0);
               x0=x1;
       }
       while(fabs(flg-x1)>eps);
       printf("\n\n\n The root up to 5 decimal place of the given function is%12.5f \n and the
       number of iteration is %d",x1,count);
       return 0;
```

OBSERATION AND RESULT

```
Enter guess 0

Ite X
1 0.333333 0.000000
2 0.360171 0.333333
3 0.360422 0.360171
4 0.360422 0.360422

The root up to 5 dcimal place of the given function is 0.36042
and the number of iteration is 4
Process returned 0 (0x0) execution time: 6.461 s
Press ENTER to continue.
```

CONCLUSION

hence we can use newton-raphson method to find the real root of $3^x + sinx - e^x$