How to predict house prices?

Assignment 2 for Data Analysis 2

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Introduction

This is the Assignment 2 for `Data Analysis 2` and `Coding` course. The aim of this project is to predict house price based on its area and other variables. House price prediction can help the sellers of a house to determine the selling price of a house and can help the customer to arrange the right time to purchase a house.

Data collection

Data set was obtained from Kaggle. It contains information from the Ames Assessor's Office used in computing assessed values for individual residential properties sold in Ames, Iowa (IA) from 2006 to 2010. This data was collected by Ames Assessor's Office, one of the cities of Iowa. This data is representative only for this state. Since this is administrative data that was collected by government office, we assume that there was no (or few) mistakes in entering data. Also, we have almost all necessary variables that matters for the house sale price (such as area, quality, rooms, etc).

Data descriptives

Variables capture the house price and other conditions such as area of a house and garage, number of rooms, availability of fireplace, pool and others. I want to use these variables to predict house price given the certain house condition (area, rooms, fireplaces). The data has 2930 observations. It consists of 82 columns which include 23 nominal, 23 ordinal, 14 discrete, and 20 continuous variables (and 2 additional observation identifiers, Order and Parcel ID). These variables describe the sales price of a house and its condition, such as area, quality, rooms, etc. As an outcome variable, we have chosen **SalePrice** (in US dollars) variable. The main parameter of interest (explanatory variable) is **Above Ground Area** (in square feet) of a house. Full summary statistics and distributions of explanatory variables are given in Appendix.

The histogram below shows the house sale prices. We can see that on average, most of the houses are priced from 100,000 to 200,000 dollars. It's skewed to the right, meaning that only few houses were priced extremely high.
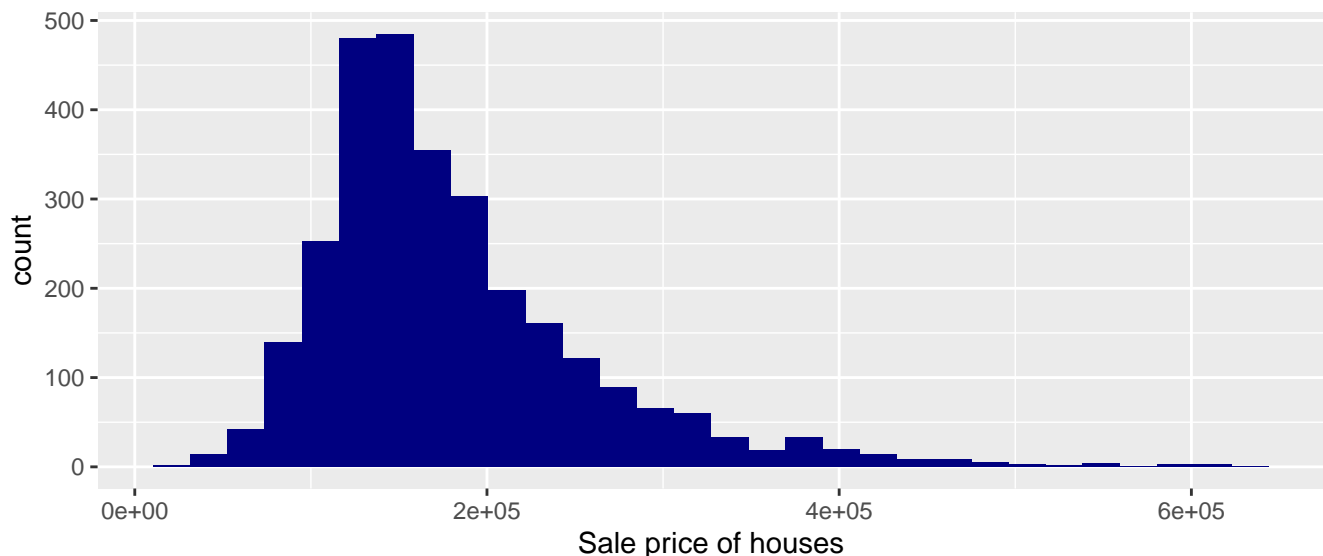

Figure 1: Histogram of house sale prices

Data Cleaning

Outliers

When outcome variable SALE PRICE and parameter of interest GR LIV AREA (above ground living area square feet) were plotted, there were 5 observations with extreme values. When inspected, it was clear that two of these outliers have more than 5000 square feet area (which is extremely high) but nevertheless priced relatively appropriately. Also, three of them had Partial Sales that likely don't represent actual market values. Therefore, I removed all houses with more than 4000 square feet from the data set to avoid these five unusual observations (Appendix, Figure 7).

Therefore, re-iterated research question is the following: **Does a house with higher above ground living area (considering it's less than 4000 square feet) have higher price from 2006 - 2010 in Ames (Iowa) ?**

Data Type for variables

An appropriate format was given to categorical (numeric and ordinal) variables (see Appendix).

Missing values

Missing values in qualitative variables As it was described in original data description, in some categorical variables, NA didn't mean missing value. Therefore, corresponding name was assigned to the observations with such values (such as "No garage" or "No garage").

I decided to drop columns "Alley", "Misc.Feature", "Fence", "Pool.Qu" and "Fireplace.Qu" because more than 90% (48% of Fireplace.Qu) of their values were missing. Observations with NAs in all the garage related columns, were completed with the value "No garage" in case of nominal attribute. I have not to used Street variable (Type of road access to property) as there are only 12 houses with Gravel and 2913 of them are Paved

Pattern of association

With the help of scatter-plots and LOESS method, we want to check the pattern of association between y and each potential x variables.

First, we see the plot of Sale Price and Above Ground Area since it's our main parameter of interest. The plot below shows that there is a strong linear relationship between these two variables.
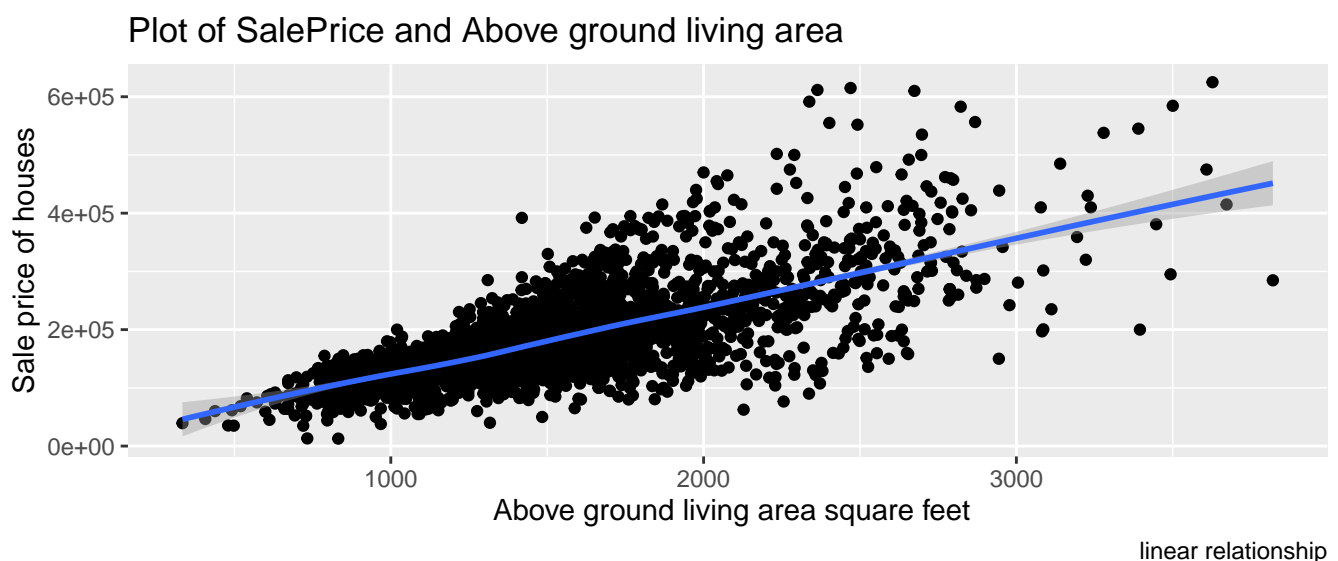

Figure 2: Plot of Above Ground Area of houses

The scatterplots that shows the pattern of association between *y variable* (Sale Price) and other explanatory variables are given in Appendix.

After we saw which kind of relationship the variables have, now we have an idea on how build a regression model and what variables to include into our model.

Table 1: Correlation table

	SalePrice	TotalArea	Lot.Area	HasFireplace	Garage.Area	Total.Bsmt.SF	Gr.Liv.Area	Bsmt.Qual	MS.Zoning	Overall.Qual	BsmtFin.Type.1	Year.Built	Year.Remod.Add	Garage.Yr.Blt	Garage.Cars	TotRms.AbvGrd
SalePrice	1.00	0.83	0.26	0.47	0.64	0.66	0.73	0.62	-0.15	0.80	0.32	0.56	0.54	0.53	0.65	0.52
TotalArea	0.83	1.00	0.28	0.46	0.59	0.81	0.86	0.54	-0.08	0.66	0.22	0.38	0.37	0.37	0.59	0.65
Lot.Area	0.26	0.28	1.00	0.17	0.19	0.21	0.25	0.04	0.00	0.07	0.02	0.00	0.00	-0.02	0.16	0.20
HasFireplace	0.47	0.46	0.17	1.00	0.26	0.30	0.45	0.28	-0.01	0.42	0.15	0.22	0.19	0.17	0.31	0.32
Garage.Area	0.64	0.59	0.19	0.26	1.00	0.49	0.50	0.41	-0.16	0.53	0.20	0.46	0.38	0.55	0.85	0.36
Total.Bsmt.SF	0.66	0.81	0.21	0.30	0.49	1.00	0.39	0.58	-0.07	0.54	0.34	0.41	0.29	0.35	0.45	0.24
Gr.Liv.Area	0.73	0.86	0.25	0.45	0.50	0.39	1.00	0.34	-0.06	0.56	0.05	0.25	0.32	0.27	0.52	0.81
Bsmt.Qual	0.62	0.54	0.04	0.28	0.41	0.58	0.34	1.00	-0.16	0.64	0.40	0.63	0.53	0.59	0.47	0.18
MS.Zoning	-0.15	-0.08	0.00	-0.01	-0.16	-0.07	-0.06	-0.16	1.00	-0.17	-0.08	-0.31	-0.20	-0.26	-0.14	0.02
Overall.Qual	0.80	0.66	0.07	0.42	0.53	0.54	0.56	0.64	-0.17	1.00	0.26	0.60	0.57	0.57	0.58	0.38
BsmtFin.Type.1	0.32	0.22	0.02	0.15	0.20	0.34	0.05	0.40	-0.08	0.26	1.00	0.36	0.24	0.29	0.18	-0.06
Year.Built	0.56	0.38	0.00	0.22	0.46	0.41	0.25	0.63	-0.31	0.60	0.36	1.00	0.63	0.83	0.53	0.13
Year.Remod.Add	0.54	0.37	0.00	0.19	0.38	0.29	0.32	0.53	-0.20	0.57	0.24	0.63	1.00	0.65	0.45	0.20
Garage.Yr.Blt	0.53	0.37	-0.02	0.17	0.55	0.35	0.27	0.59	-0.26	0.57	0.29	0.83	0.65	1.00	0.59	0.16
Garage.Cars	0.65	0.59	0.16	0.31	0.85	0.45	0.52	0.47	-0.14	0.58	0.18	0.53	0.45	0.59	1.00	0.41
TotRms.AbvGrd	0.52	0.65	0.20	0.32	0.36	0.24	0.81	0.18	0.02	0.38	-0.06	0.13	0.20	0.16	0.41	1.00

Table 2: Variables with high correlation

Var1	Var2	corr_val
TotalArea	SalePrice	0.83
Overall.Qual	SalePrice	0.80
SalePrice	TotalArea	0.83
Total.Bsmt.SF	TotalArea	0.81
Gr.Liv.Area	TotalArea	0.86
Garage.Cars	Garage.Area	0.85
TotalArea	Total.Bsmt.SF	0.81
TotalArea	Gr.Liv.Area	0.86
TotRms.AbvGrd	Gr.Liv.Area	0.81
SalePrice	Overall.Qual	0.80
Garage.Yr.Blt	Year.Built	0.83
Year.Built	Garage.Yr.Blt	0.83
Garage.Area	Garage.Cars	0.85
Gr.Liv.Area	TotRms.AbvGrd	0.81

Comparing explanatory variables

We selected x variables that has shown strong association with y variables. Total Area, Above Ground Area, Garage Area are among them. Now we explore how these x-s are related to each other.

Table 1 shows the selected x variables and shows correlation between them.

From the correlation table, we retained the variables that has correlation less than 0.8 and removed others. The reason for this is that highly correlated variables may be confounders that leads us to multicollinearity issue (high Standard Error). Table 2 shows highly correlated variables.

The following variables showed correlation less than 0.8, therefore I decided to retain them for further analysis and include in regression model:

SalePrice: Lot.Area, HasFireplace, Garage.Area, Total.Bsmt.SF, Gr.Liv.Area, Bsmt.Qual, MS.Zoning, BsmtFin.Type.1, Year.Built, Year.Remod.Add, Garage.Yr.Blt, Garage.Cars, TotRms.AbvGrd

I also decided to include HasFireplace variable (as a dummy variable, 1 if house has one or more fireplaces, 0 otherwise). I want to interact HasFireplace variable with Gr.Liv.Area variable (Above ground area). The reason for controlling for such interaction is that building a fireplace in the house requires additional expenditure from the owners. Therefore, owners may tend to increase house price because of the fireplace.

Model choice

I decided to build several regression models in order to see how they perform and pick up the best one later.

Table 3: Comparing model statistics

	(1) First Model	(2) Second Model	(3) Third Model	(4) Fourth Model
(Intercept)	6773.48	-36647.54 ***	57113.38 ***	14070.74 **
	(3917.34)	(3942.30)	(4141.03)	(4280.13)
Gr.Liv.Area	116.23 ***	87.63 ***	66.19 ***	43.91 ***
	(3.00)	(2.41)	(3.57)	(3.40)
Total.Bsmt.SF		82.30 ***		78.33 ***
		(2.98)		(2.84)
HasFireplace			-46162.58 ***	-57566.96 ***
			(7731.68)	(6713.80)
Gr.Liv.Area:HasFireplace			54.92 ***	55.15 ***
			(5.58)	(4.88)
nobs	2925	2924	2925	2924
r.squared	0.52	0.68	0.57	0.72
adj.r.squared	0.52	0.68	0.57	0.72
statistic	1497.66	1218.66	860.63	1009.73
p.value	0.00	0.00	0.00	0.00
df.residual	2923.00	2921.00	2921.00	2919.00
nobs.1	2925.00	2924.00	2925.00	2924.00
se_type	HC2.00	HC2.00	HC2.00	HC2.00

*** $p < 0.001$; ** $p < 0.01$; * $p < 0.05$.

First regression model is:

SalePrice = Beta0 + Beta1 * **Above Ground Area**

$R^2 = 51$

Earlier, we have seen strong linear relationship between these variables. Even though the model fits the data pretty well, it has low R^2.

Second model is:

SalePrice = Beta0 + Beta1 * **Basement Area** + Beta2 * **Above Ground Area**

$R^2 = 0.68$

Third model is the interaction of HasFireplace dummy variable with Above Ground Area:

Regression 3.1

SalePrice = Beta0 + Beta1 * **Above Ground Area** + Beta2 * **HasFireplace** + Beta3 * **Above Ground Area** * **HasFireplace** R2 = 57

Fourth model is:

Regression 3.2

SalePrice = Beta0 + Beta1 * **Total Basement Area** + Beta2 * **Above Ground Area** + Beta3 * **HasFireplace** + Beta3 * **Above Ground Area** * **HasFireplace**

R2 = 0.71

I tried to build regression model with other variables as well. These models were placed in Appendix and were not used because of low fitness (low R^2) and/or less (or not) meaningful interpretation.

Among all the models, second model was chosen for prediction of house price because it fits better than other models (high R^2, 0.68), p value of variables is significant ($p < 0.05$) and has meaningful interpretation.

SalePrice = Beta0 + Beta1 * **Basement Area** + Beta2 * **Above Ground Area**

From the model summary statistics table we can see the coefficients for this model.

Intercept (Beta0): -36647. Does not have meaningful interpretation

Total.Bsmt.SF (Beta1): 82.30. On average, *SalePrice* is 82.30 dollars higher in the data for houses with one square feet larger *Total Basement Area* but with the same *Above Ground Living Area.*

Gr.Liv.Area (Beta2): 87.63. On average, *SalePrice* is 87.63 dollars higher in the data for houses with one square feet larger *Above Ground Living Area* but with the same *Total Basement Area.*

Prediction

Using the regression model that was selected in previous section, I tried to predict the house price. Figure 3 shows *Predicted sale prices* in x axis and *Actual sale prices* in y axis.
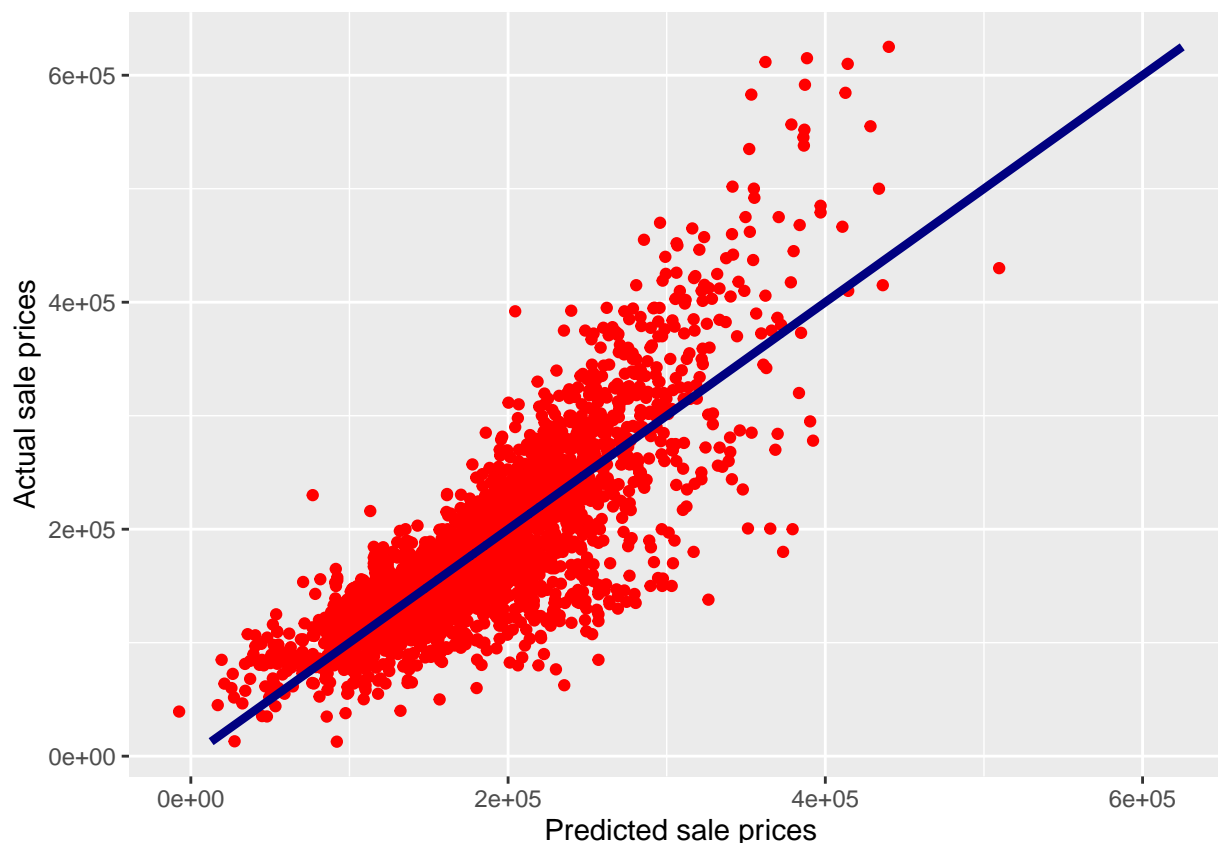
Figure 3: Actual and predicted house prices

Earlier, we have seen this regression model:

Regression 3.1

SalePrice = Beta0 + Beta1 * **Above Ground Area** + Beta2 * **HasFireplace** + Beta3 * **Above Ground Area** * **HasFireplace**

To understand whether fireplace interaction increases the prediction, I compared two models: model with *Above Ground Area* variable (reg23_lm) and the model where *Above Ground Area* (reg31_lm) is interacted with *HasFireplace* variable.

To compare the prediction results of two models, I used BIC (Bayesian information criterion) and AIC (Akaike information criterion). A lower BIC means that a model is considered to be more likely to be the true model. Model with a lower AIC score will be the better-fit model.

In Table 4, regression model without interaction (reg23_lm) has shown lower BIC and AIC. Therefore, we decided to choose this model.

Table 4: Checking model fit with BIC
and AIC

df	BIC	df.1	AIC
4	5.49e+04	4	5.49e+04
5	5.57e+04	5	5.57e+04

Residual Analysis

In previous section, we predicted house prices with regression model. However, it was clear that model contained some errors - points that are either above or below the fitted line. In this section, I calculated the errors of the model and found houses with largest negative and positive errors.

Table 5: Top 5 houses with largest negative errors

PID	SalePrice	y_hat	reg23_res
534427010	84900	2.57e+05	-1.72e+05
903430070	62500	2.35e+05	-1.73e+05
909176080	200000	3.79e+05	-1.79e+05
534477030	137900	3.26e+05	-1.88e+05
535353180	180000	3.73e+05	-1.93e+05

Table 5 shows Actual house price (SalePrice), Predicted house price (y_hat), and the difference between them (reg23_res). For these 5 houses the model overestimated the house price, as the actual house price is cheaper than the predicted value; in another word, these houses have lower price than average. This can be explained by the Neighborhood effect (in some Neighborhoods houses may have lower price than in others), year built (older houses may have lower price even though they have high Above Ground Area) or Overall Quality of house (has lower quality rating because of bad Utilities or bad Exterior quality).

Table 6: Top 5 houses with largest positive errors

PID	SalePrice	y_hat	reg23_res
528150070	611657	3.62e+05	2.49e+05
528110020	610000	4.14e+05	1.96e+05
528110090	582933	3.53e+05	2.3e+05
528164060	615000	3.88e+05	2.27e+05
527216080	591587	3.87e+05	2.04e+05

Table 6 shows Actual house price (SalePrice), Predicted house price (y_hat), and the difference between them (reg23_res). For these 5 houses the model underestimated the house price, as the actual house price is more expensive than the predicted value;

in another word, these houses have higher price than average. The reasons mentioned above can be the case for this phenomenon as well.

Overall, in Figure 3, we checked the y (Actual House Price) and y_hat (Predicted House Price) plot to examine the model fit. We can see that most scatters fall to the regression line, indicating a good fit of the model.

Robustness check

The burden for our models are external validity. The data is limited to Ames city, state Iowa from 2006 to 2010, and our prediction model was conducted using sampple data from Ames, Iowa. Applying these models to other regions, like Washington (or other US state), to commercial markets, or to time periods before 2006 or after 2010 may give the idea whether our model estimates are true in population or in generall pattern represented by the data. Additionally, the financial crisis of 2008 may had its effect to our models that made them specific to this time period and location.

The further work may compare Ames, Iowa to other housing markets or develop a model based off housing data from a larger coverage or at a different country. This difficulty in developing these datasets is consistency in variables across regions. For example, in some countries people may prefer bigger (or smaller) houses, or houses with (or without) fireplaces.

Appendix

Variables

Variables describe house area, garage area, availability of fireplace, pool and other conditions. To see a full list of explanation of variables, go to Data Documentation

Data descriptives

Table 7: Summary Statistics of Variables

Name	n	Min	1st IQR	Median	3rd IQR	Max	Mean	Std.	Skew
Sale Price	2925	1.28e+04	1.3e+05	1.6e+05	2.14e+05	6.25e+05	1.8e+05	7.86e+04	1.59
Above Ground Living Area	2925	334	1.13e+03	1.44e+03	1.74e+03	3.82e+03	1.49e+03	486	0.88
Basement Area	2924		793		1.3e+03				
Fireplaces	2925	0	0	1	1	1	0.51	0.5	-0.06
Lot Area	2925	1.3e+03	7.44e+03	9.43e+03	1.15e+04	2.15e+05	1.01e+04	7.78e+03	13.2
Garage Area	2924		320		576				

Data Cleaning

clean_data.R script contains all the steps for data cleaning. Exact number of missing values in certain variables are also given as a comment

Data Type for variables

An appropriate format was given to categorical (numeric and ordinal) variables. In order to make it easier for further use, categorical variables were converted from character (or numeric) vector into nominal and ordinal variables (using factor and ordered factor) in clean_data.R script
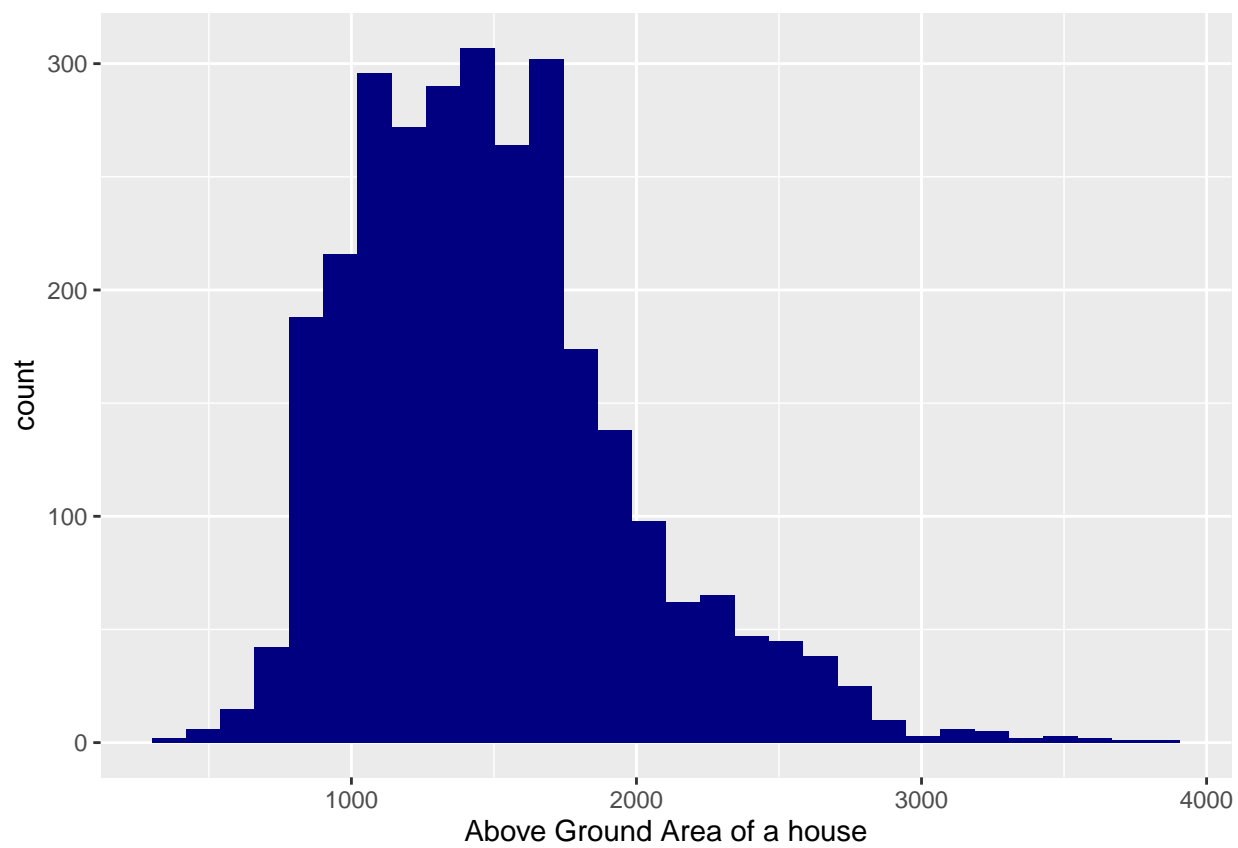
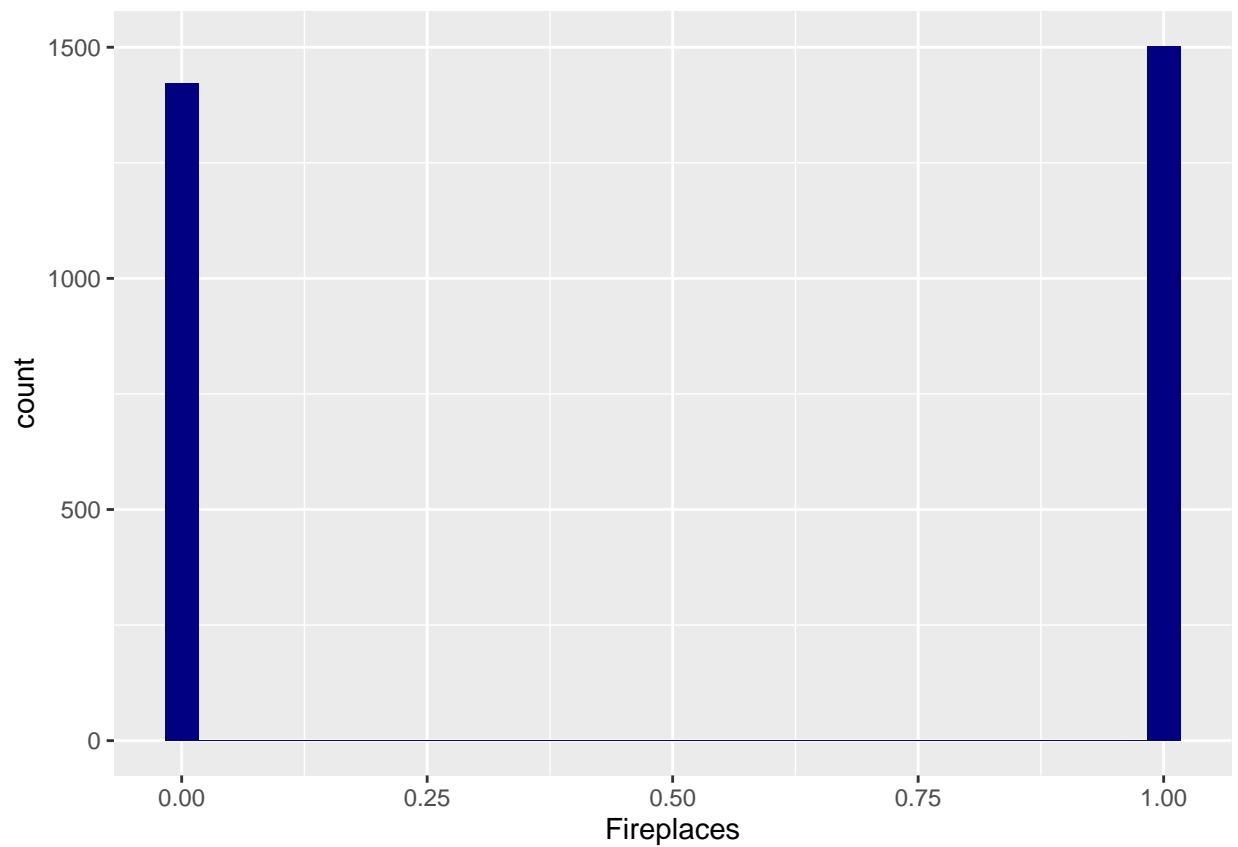Figure 4: Histogram of Above Ground Area of a house

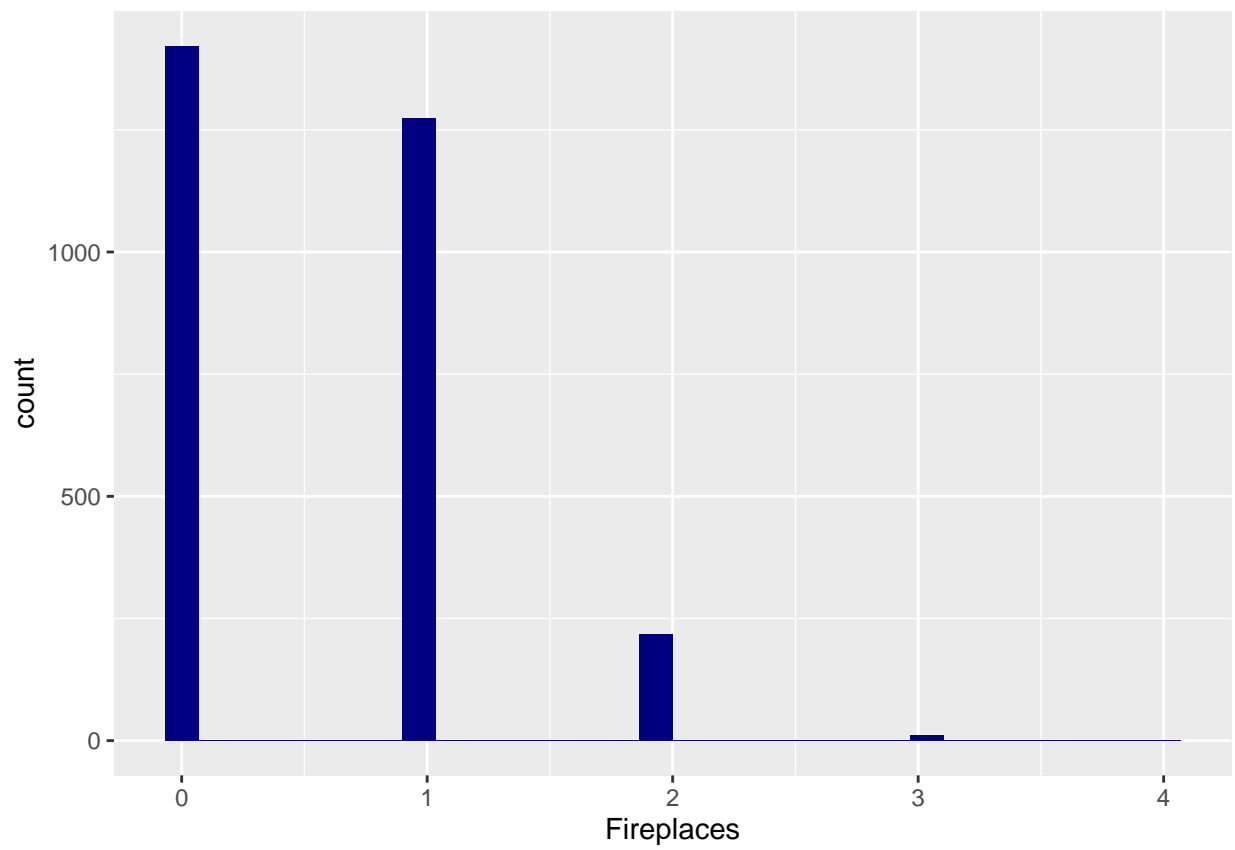Figure 5: Histogram of houses with and without fireplace

Figure 6: Histogram of houses with 0, 1, 2, 3 and 4 fireplaces
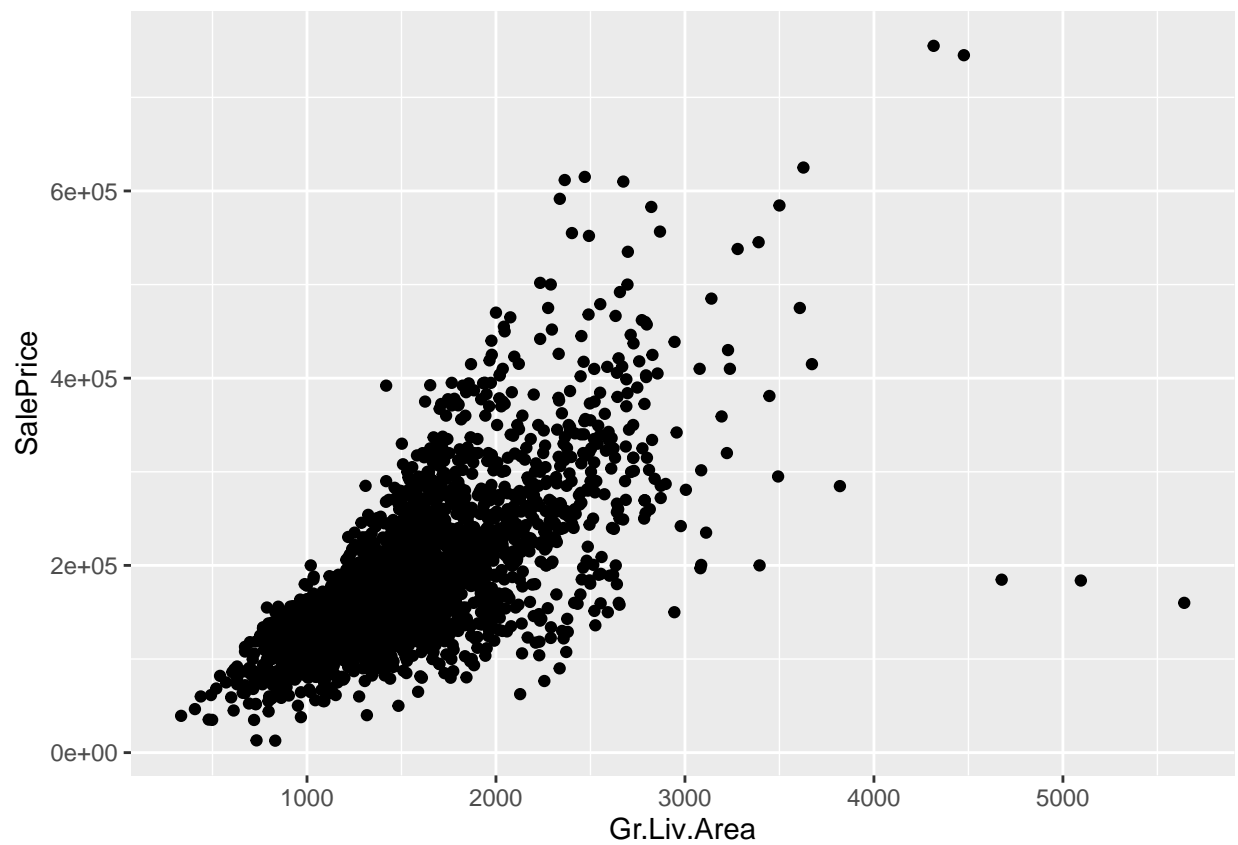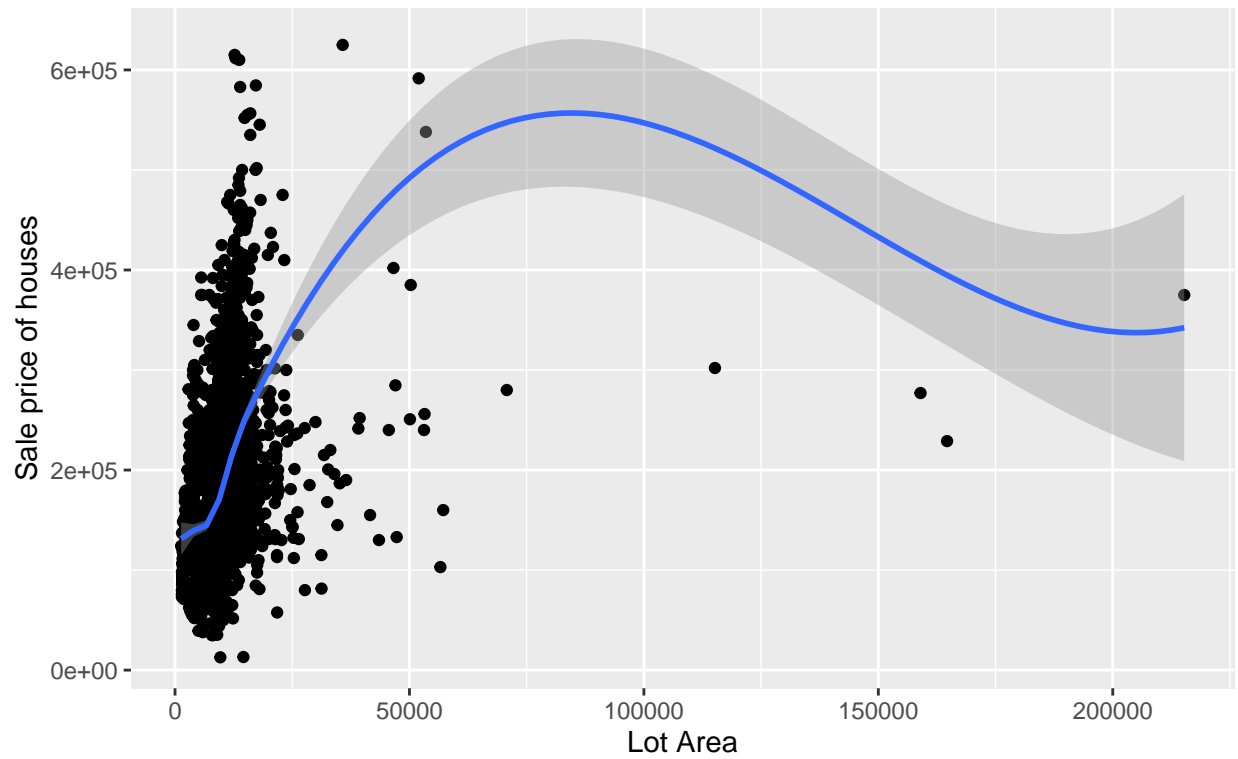

Figure 7: Plot of houses more than 4000 square feet Above Ground Area

Plot shows bunch of dots near 0. Probably the Sale Price and Lot Area variables are not correlated.
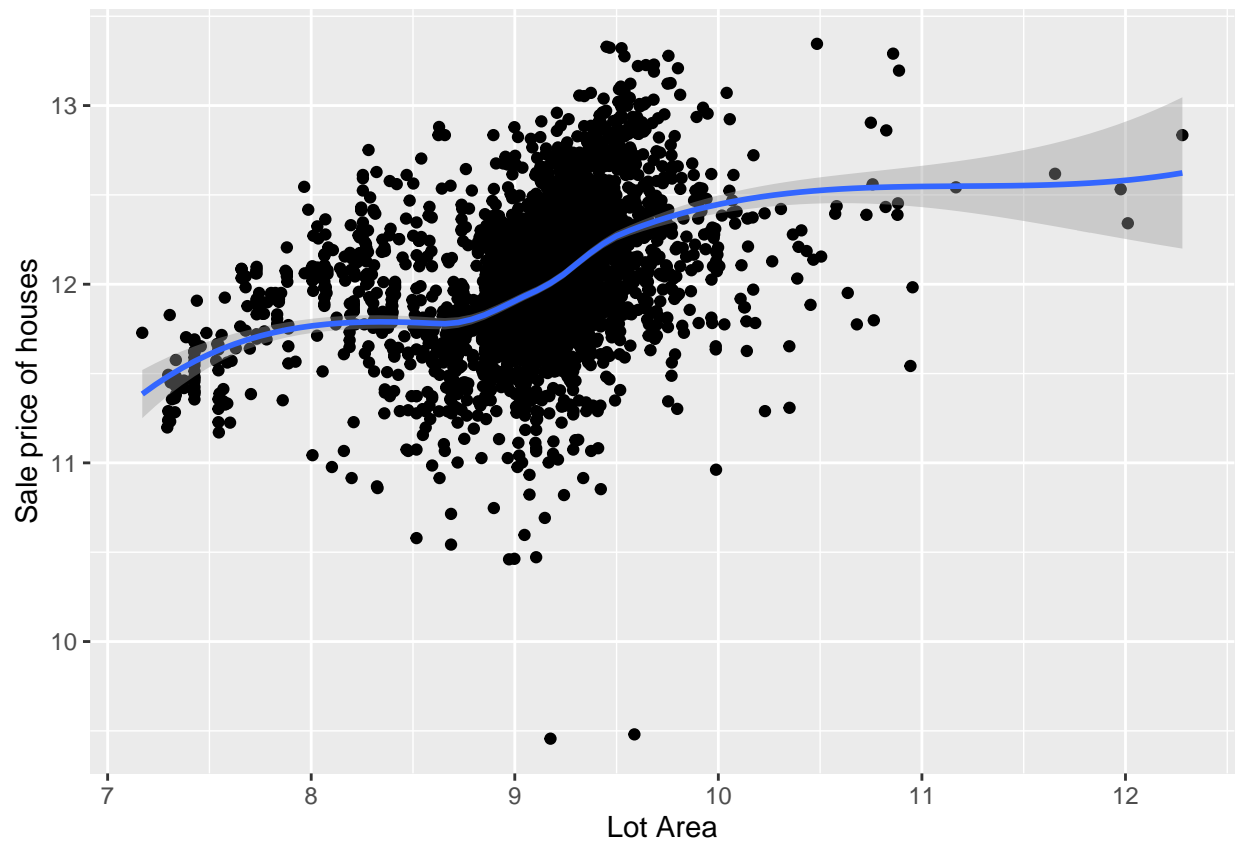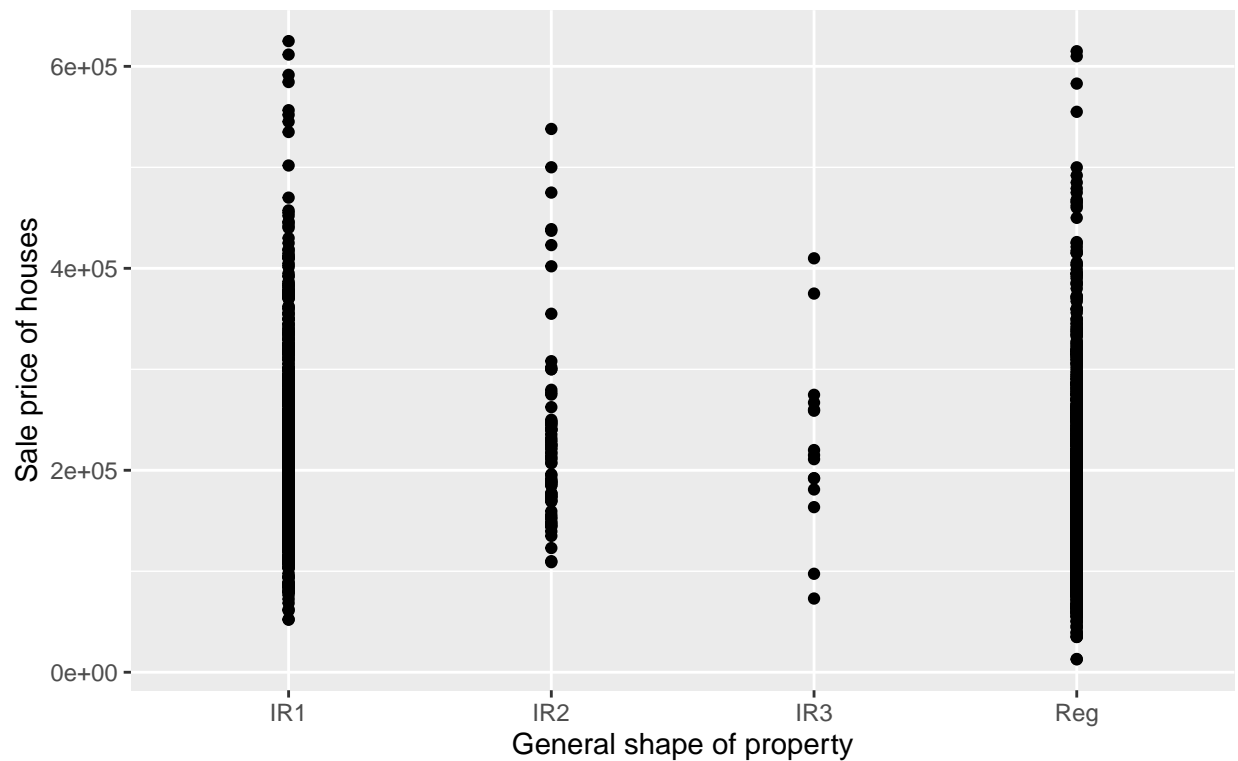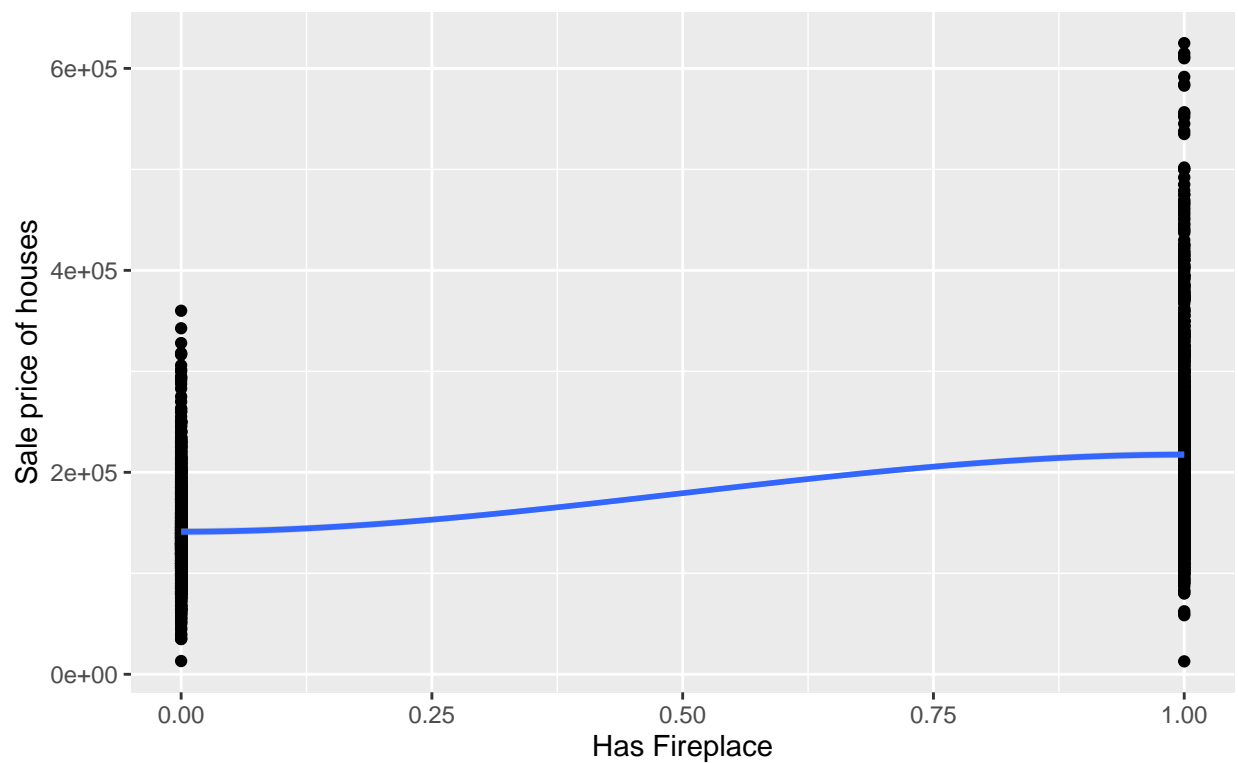
Figure 8: Plot of Sale Price and Lot Area

Figure 9: Plot of Ln(Sale Price) - Ln(Lot Area).

The more regular shape house has, the higher price. But some Irregular houses has same price as Regular houses

Figure 10: Plot of Sale Price - Lot Shape

Houses with 1 or more fireplaces have higher price

Figure 11: Plot of Sale Price - Fireplace
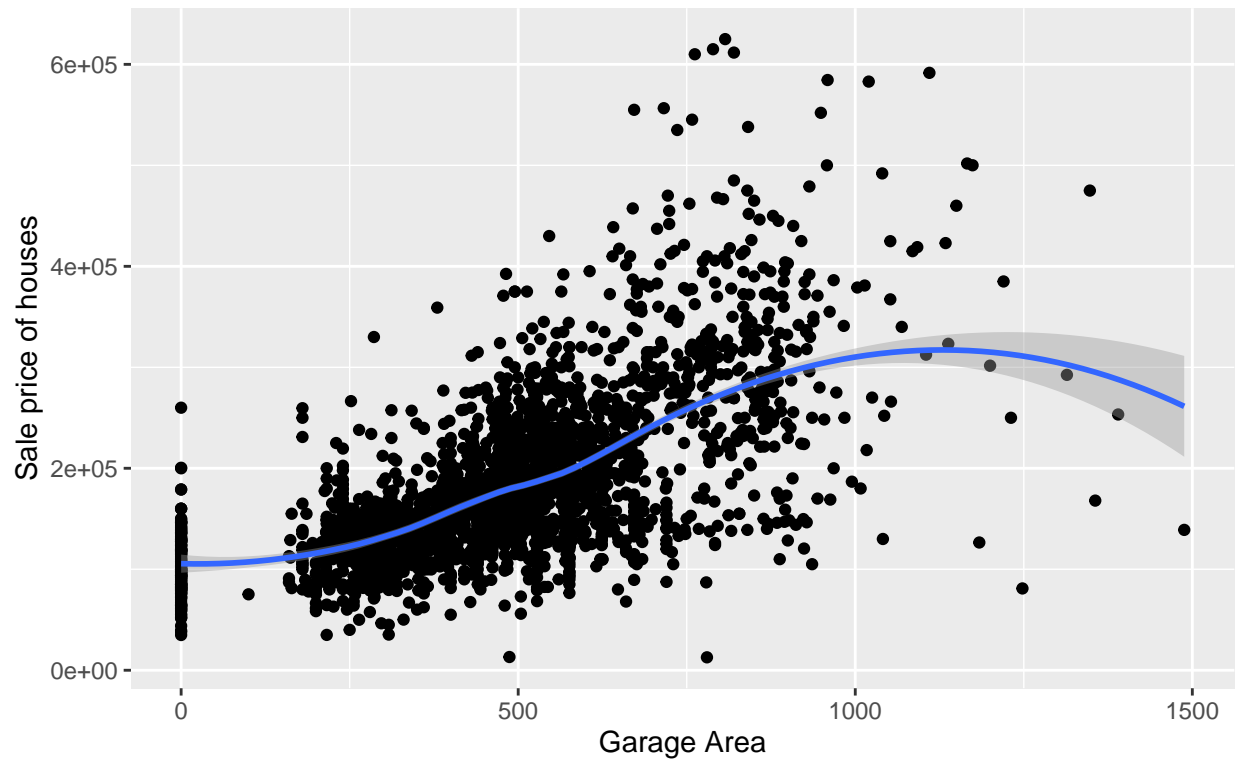
Almost positive linear, some outliers at the end causing the line to curve. Seems Garage Area variable is important

Figure 12: Plot of Sale Price - Garage Area
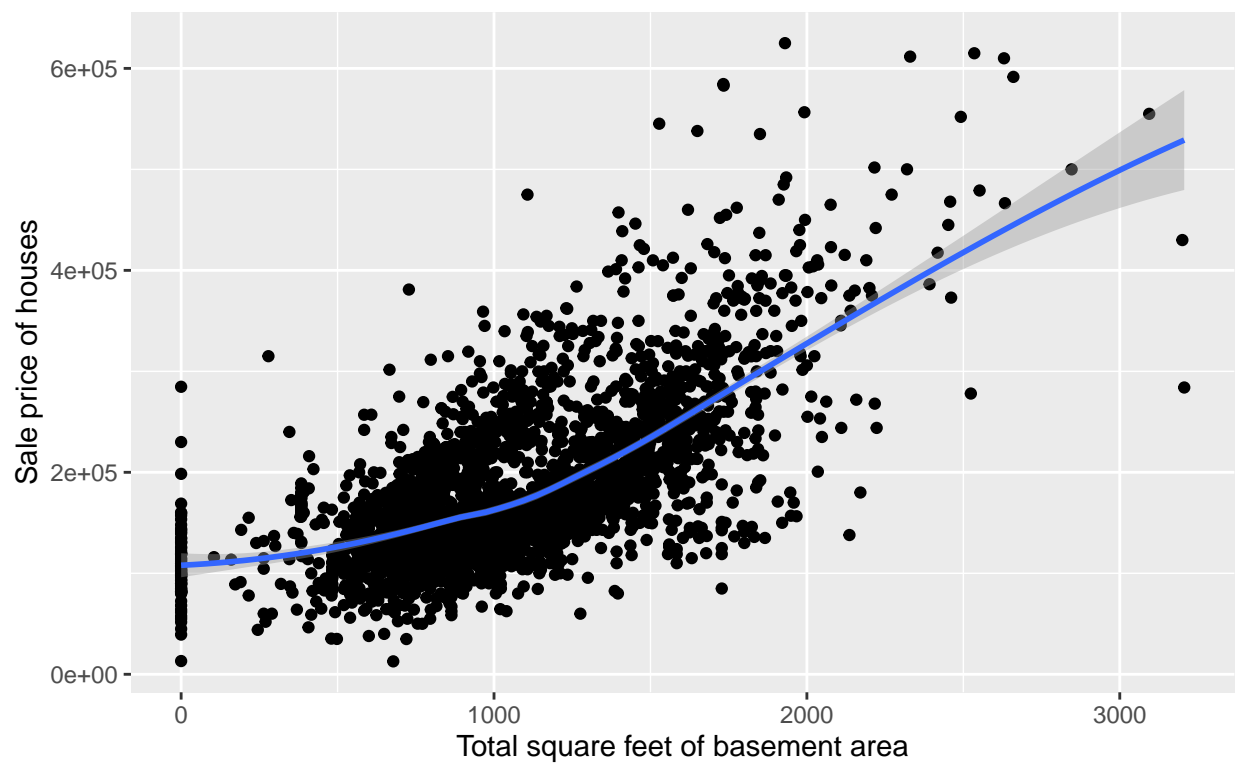
There is a linear relationship between Sale Price and Total square feet of basement area

Figure 13: Plot of Sale Price - Basement area

On average, houses with more garage cars have higher price
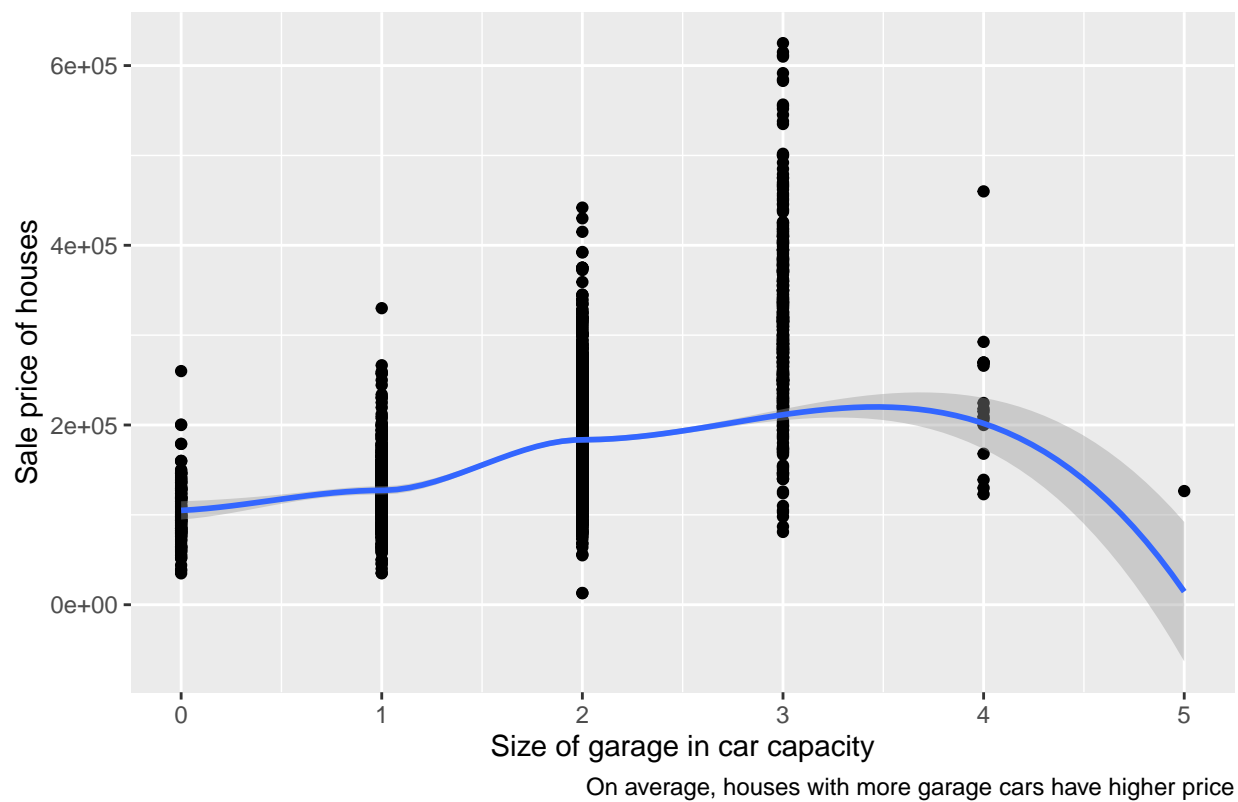
Figure 14: Plot of Sale Price - Garage.Cars

Near Flat/Level and Hillside houses have higher prices.
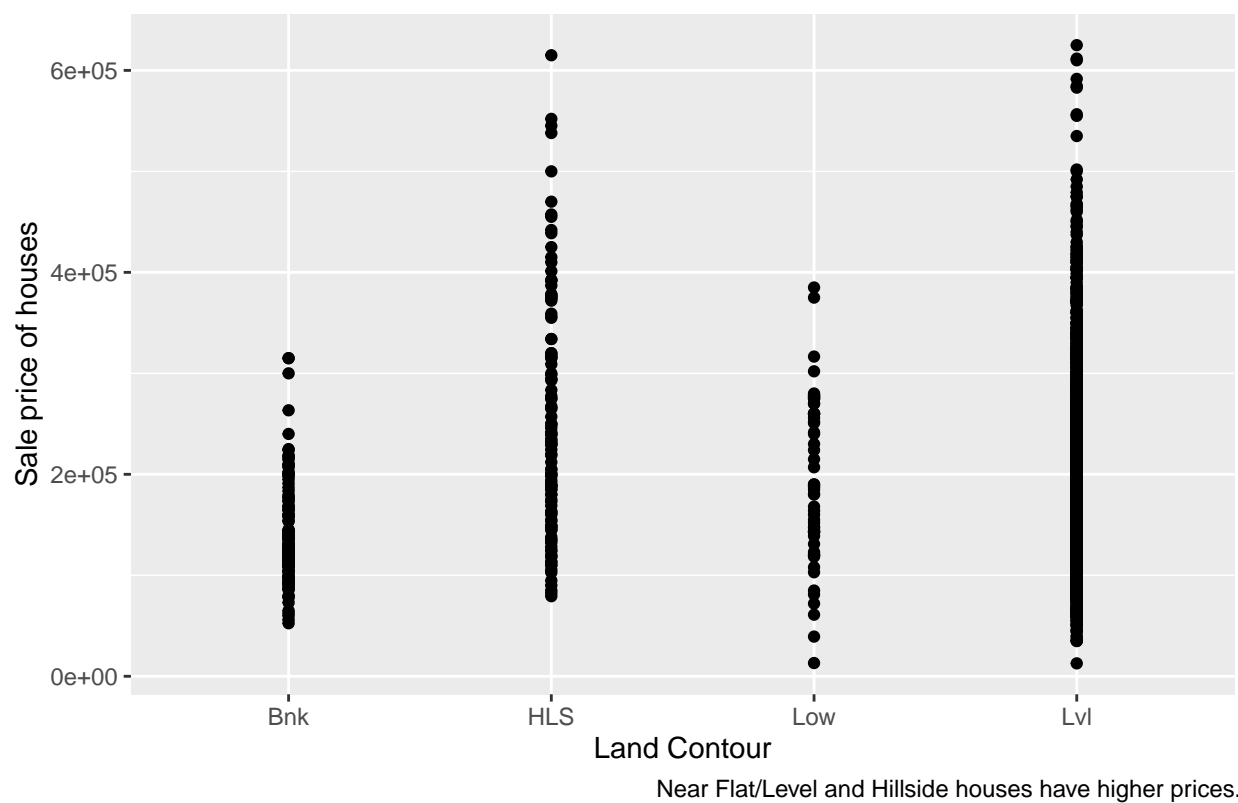
Figure 15: Plot of Sale Price - Land.Contour

Pattern of association

Ln(Sale Price) - Ln(Lot Area). Probably linear spline, with knots at 8 and 10

There are 2922 houses with All Public *Utilities*. Since we don't have much observations with different utilities, it was decided not to check the pattern of association and not to include this variable in the model.
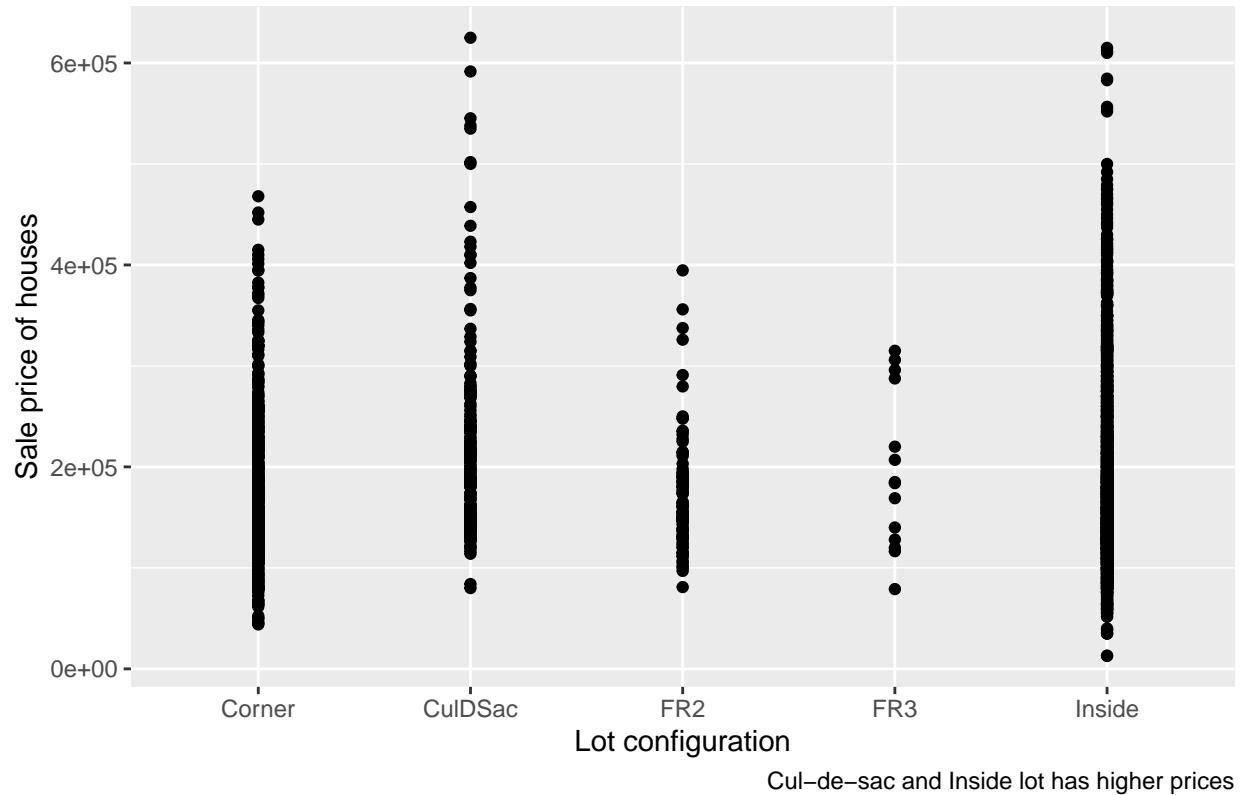
Figure 16: Plot of Sale Price - Land Configuration

Most of the houses are One story and Two story. One story and Two story houses have relatively high prices

Model choice

Regression 1.1:

SalePrice = Beta0 + Beta1 * Lot Area + Beta2 * HasFireplace

R2 = 0.27

Regression 1.2: SalePrice = Beta0 + Beta1 * Total Area

R2 = 68. Even though this model fits the data very well, we dont take this model as TotalArea is higly correlated to SalePrice - multicollinearity issue.

Regression 1.3: SalePrice = Beta0 + Beta1 * Garage Area

R2 = 42

Regression 1.4: SalePrice = Beta0 + Beta1 * Total square feet of basement area
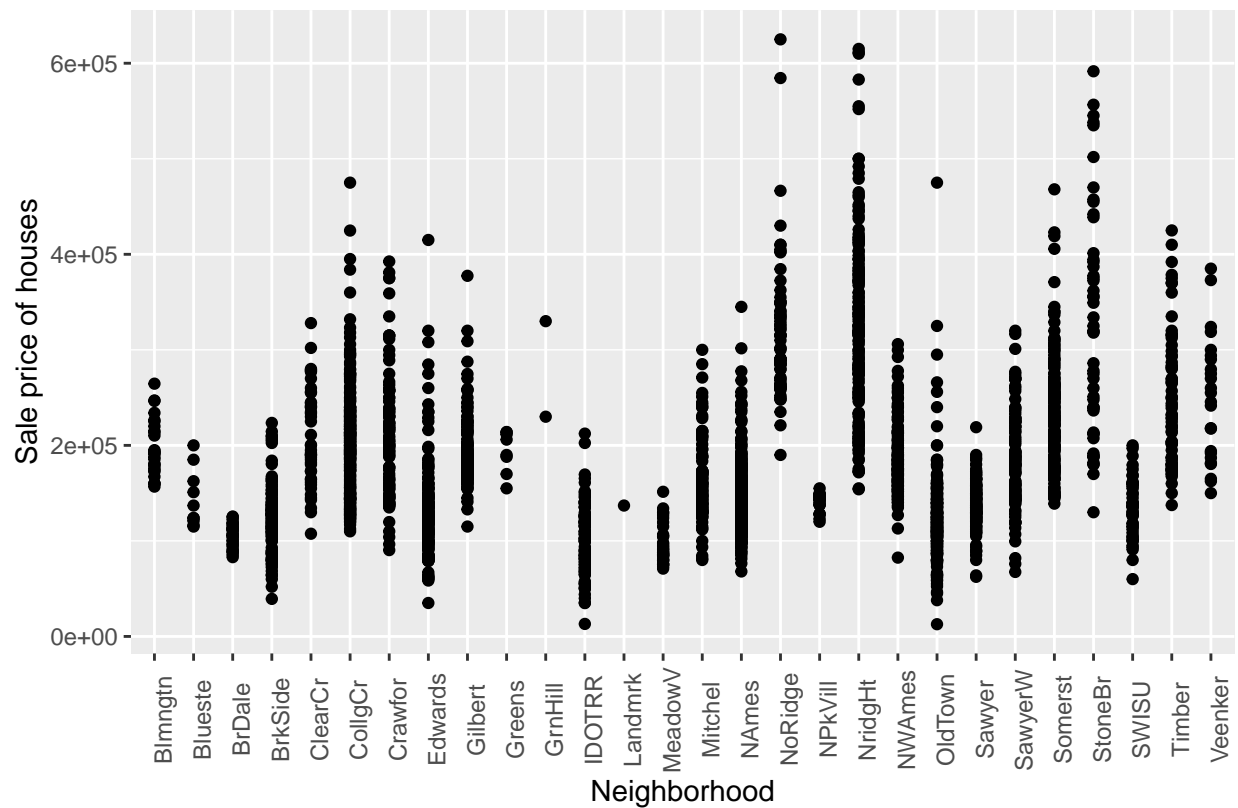
R2 = 43

Regression 1.5 SalePrice = Beta0 + Beta1 * Basement quality

R2 = 37

Regression 1.6 SalePrice = Beta0 + Beta1 * MS.Zoning

R2 = 0.01
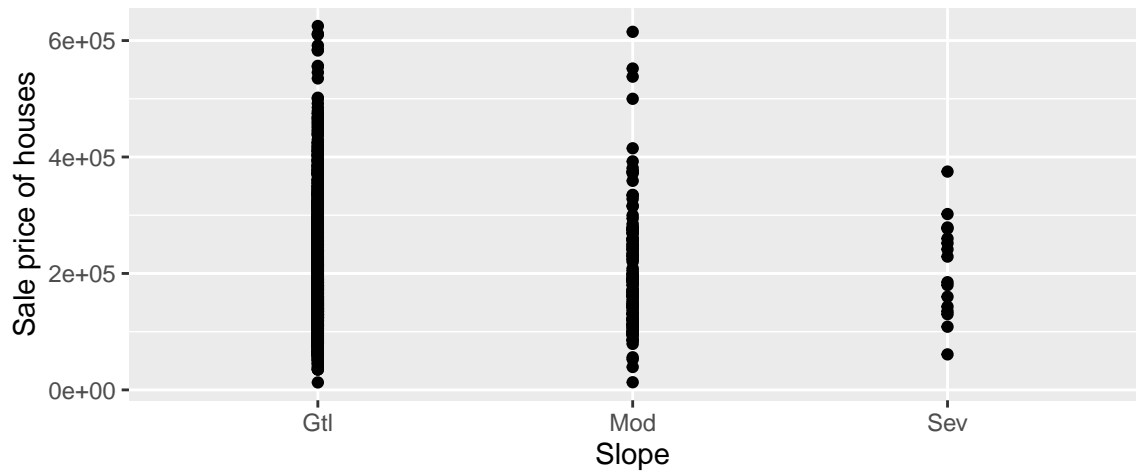
Houses with Gentle slope and Moderate Slope have higher prices

Figure 17: Plot of Sale Price - Land Slope

Houses from Northridge, Northridge Heights, and Stone Brook neighborhoods have relatively high prices
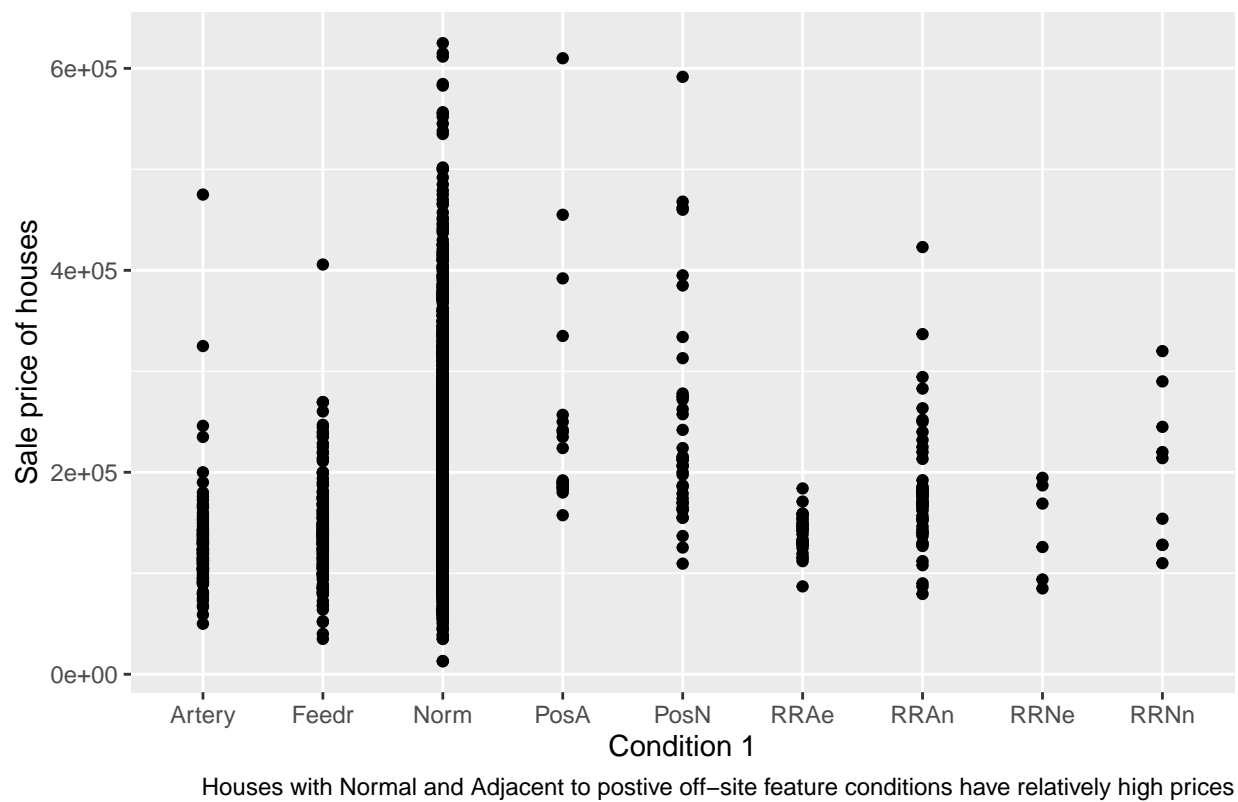
Figure 18: Plot of Sale Price - Neighborhood

Houses with Normal and Adjacent to postive off–site feature conditions have relatively high prices

Figure 19: Plot of Sale Price - House Condition

Single–family Detached and Townhouse End Unit houses have relatively high prices
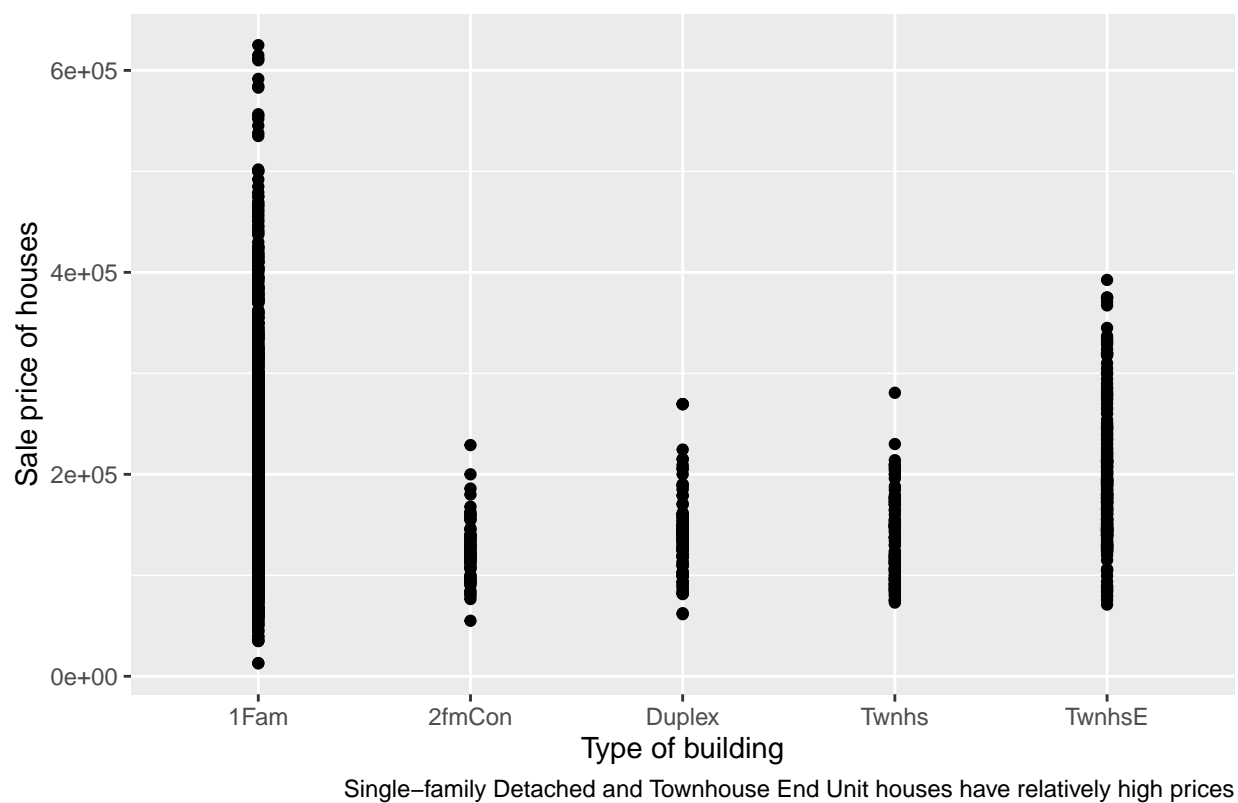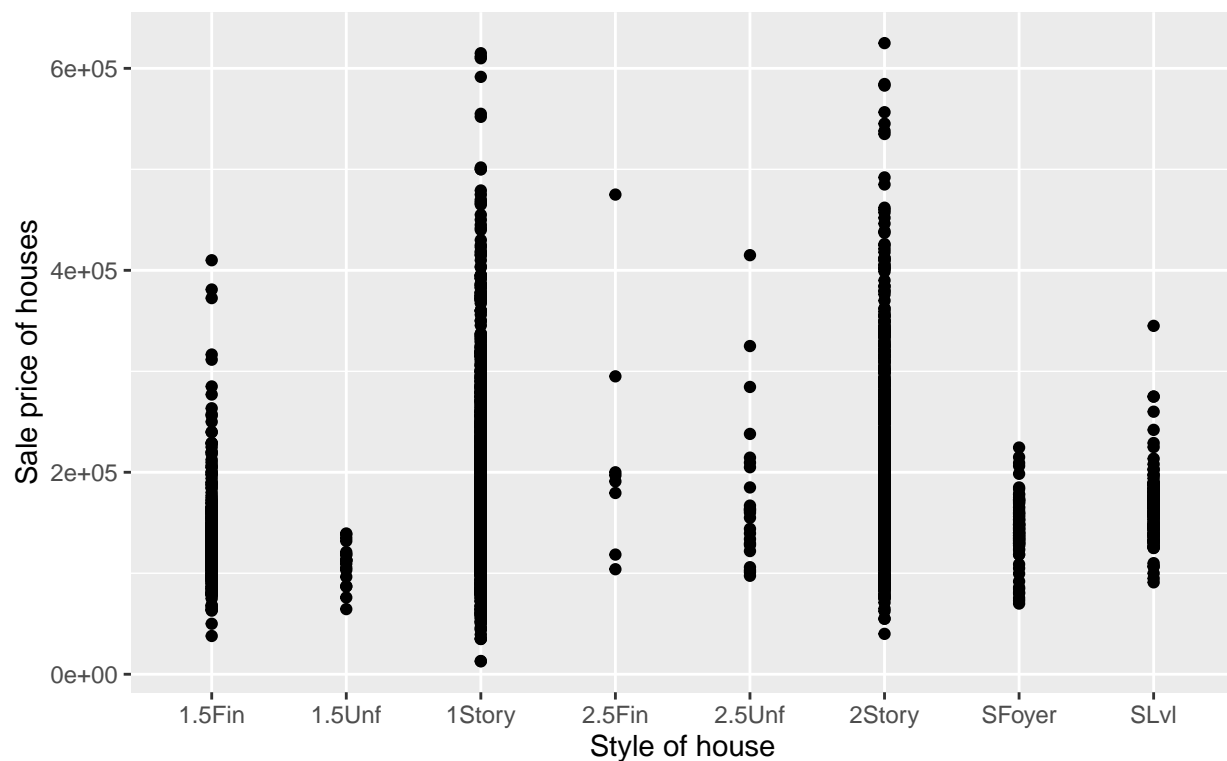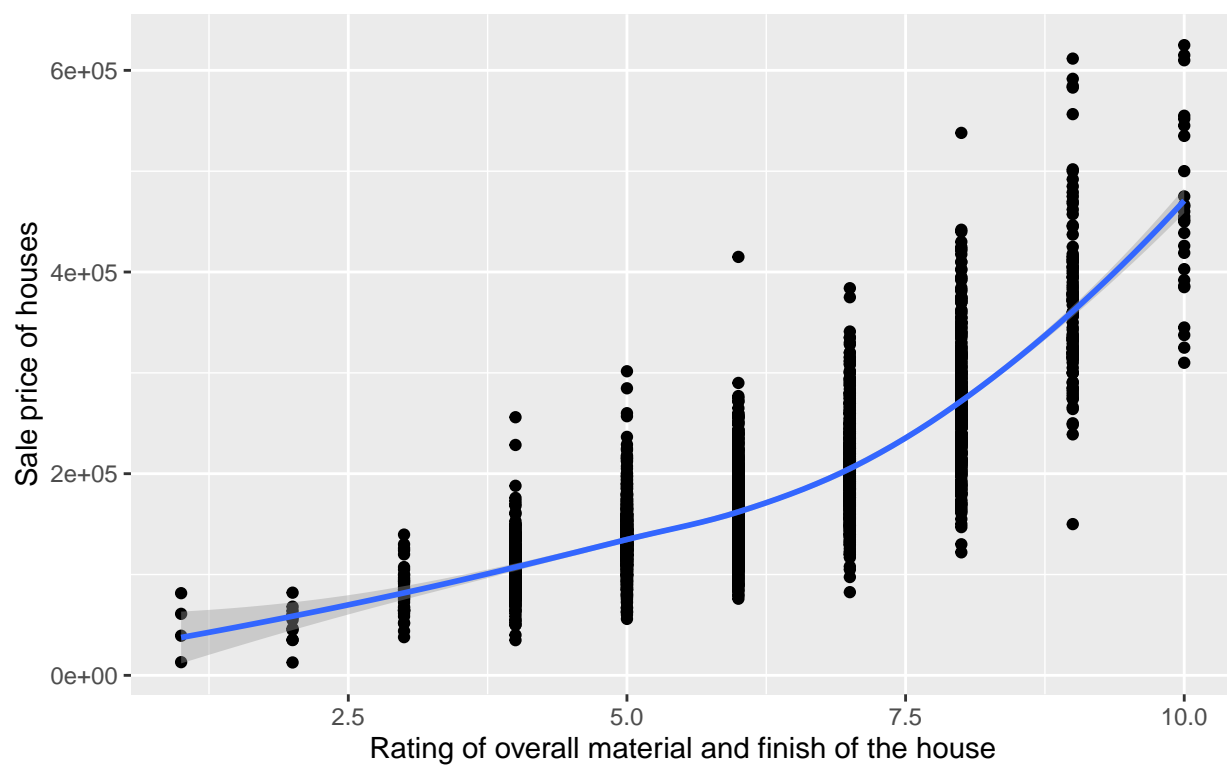
Figure 20: Plot of Sale Price - Type of building

Single−family Detached and Townhouse End Unit houses have relatively high prices

Figure 21: Plot of Sale Price - Style of house

Higher rating – higher sale price. But some houses has quality 6 but has same price as quality 2

Figure 22: Plot of Sale Price - House rating

Most of the houses have Average (5) condition. Average conditioned houses have relatively high prices
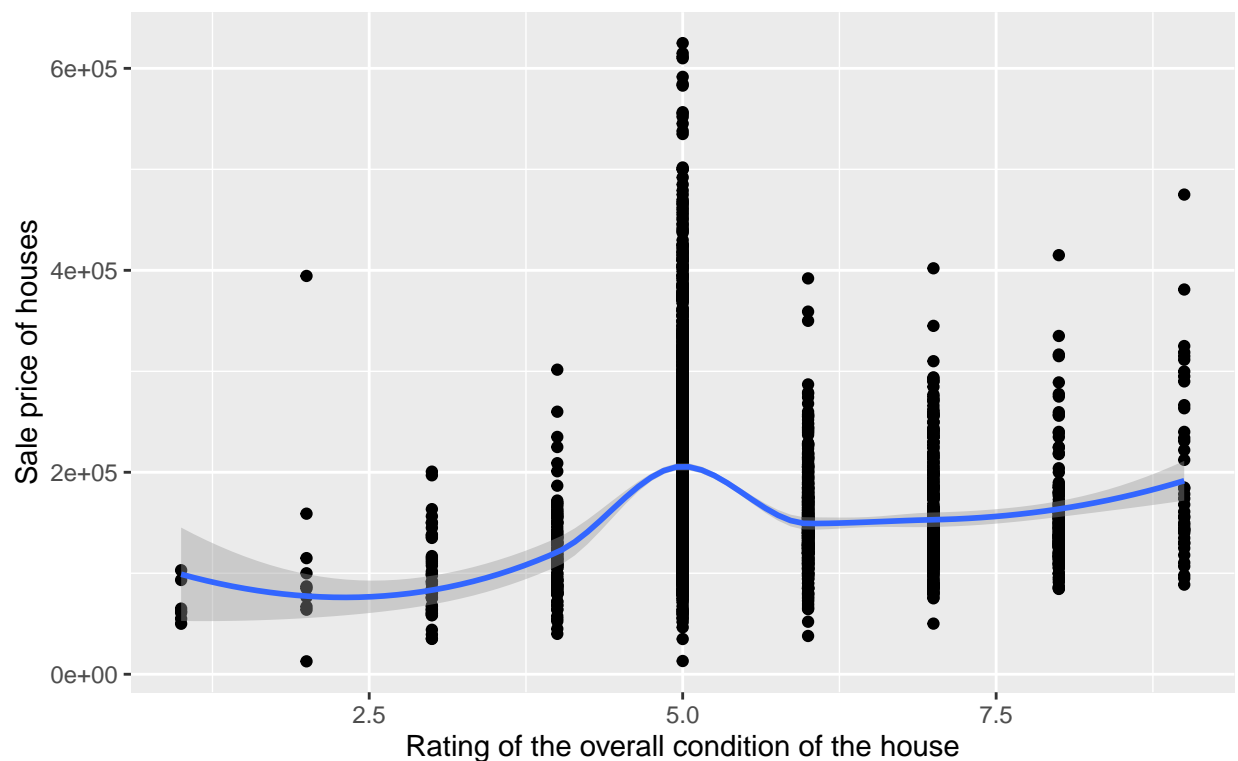
Figure 23: Plot of Sale Price - House condition

The newer the house – the higher the price. But some houses that are built before 1900 were priced realtively high
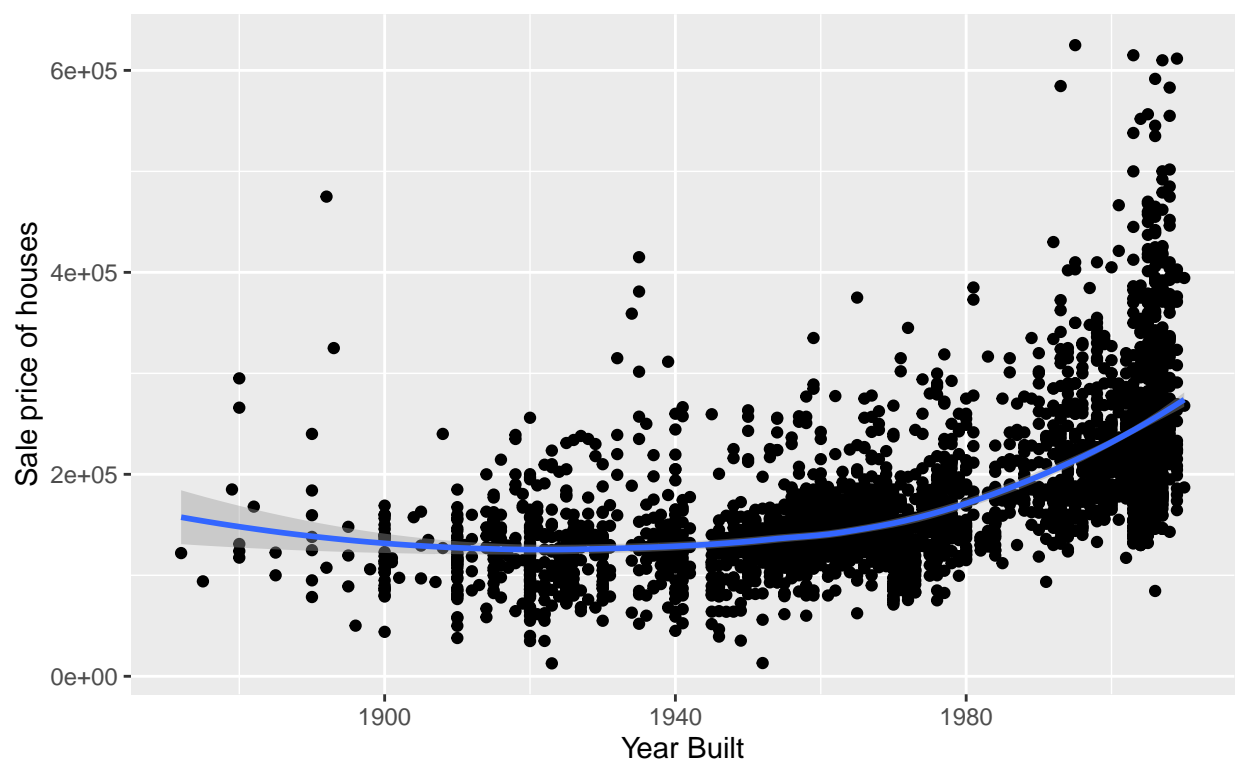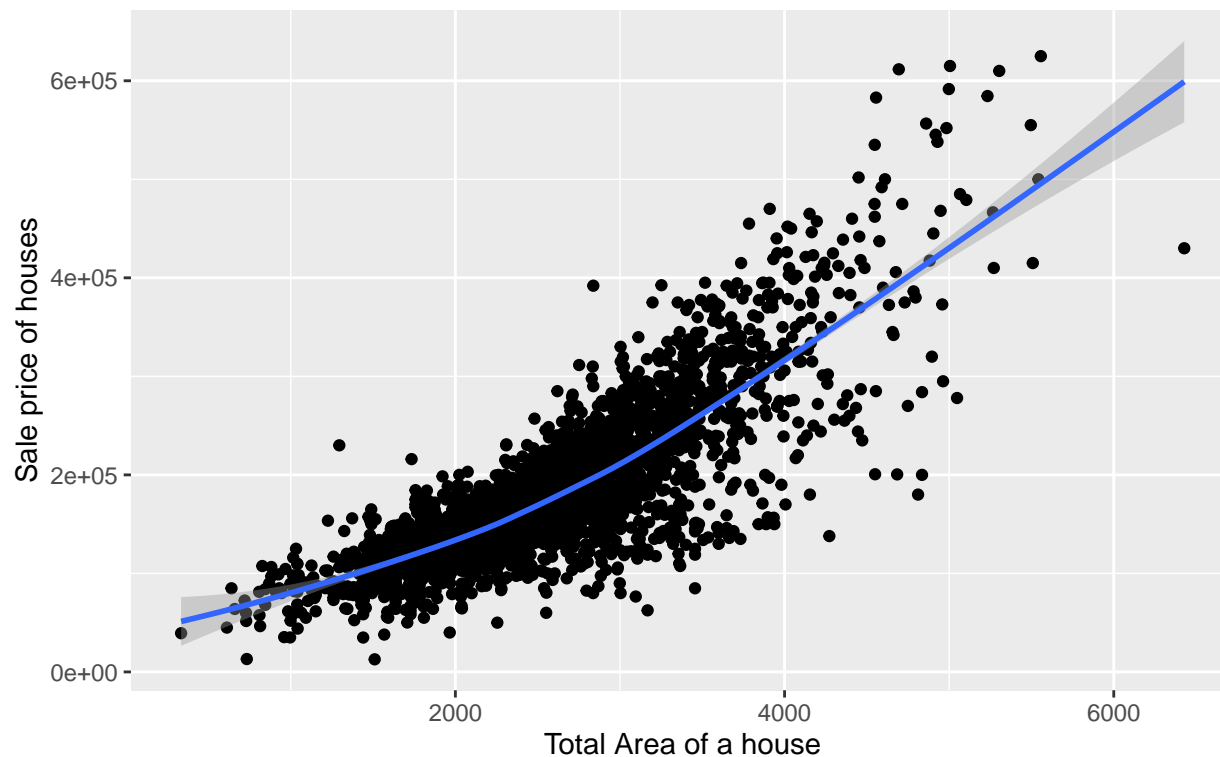
Figure 24: Plot of Sale Price - Year Built

TotalArea = Total Basement Area + Above Ground Area

This plot indicates some possible curvature (convex) which could be better interpreted with quadratic variables.
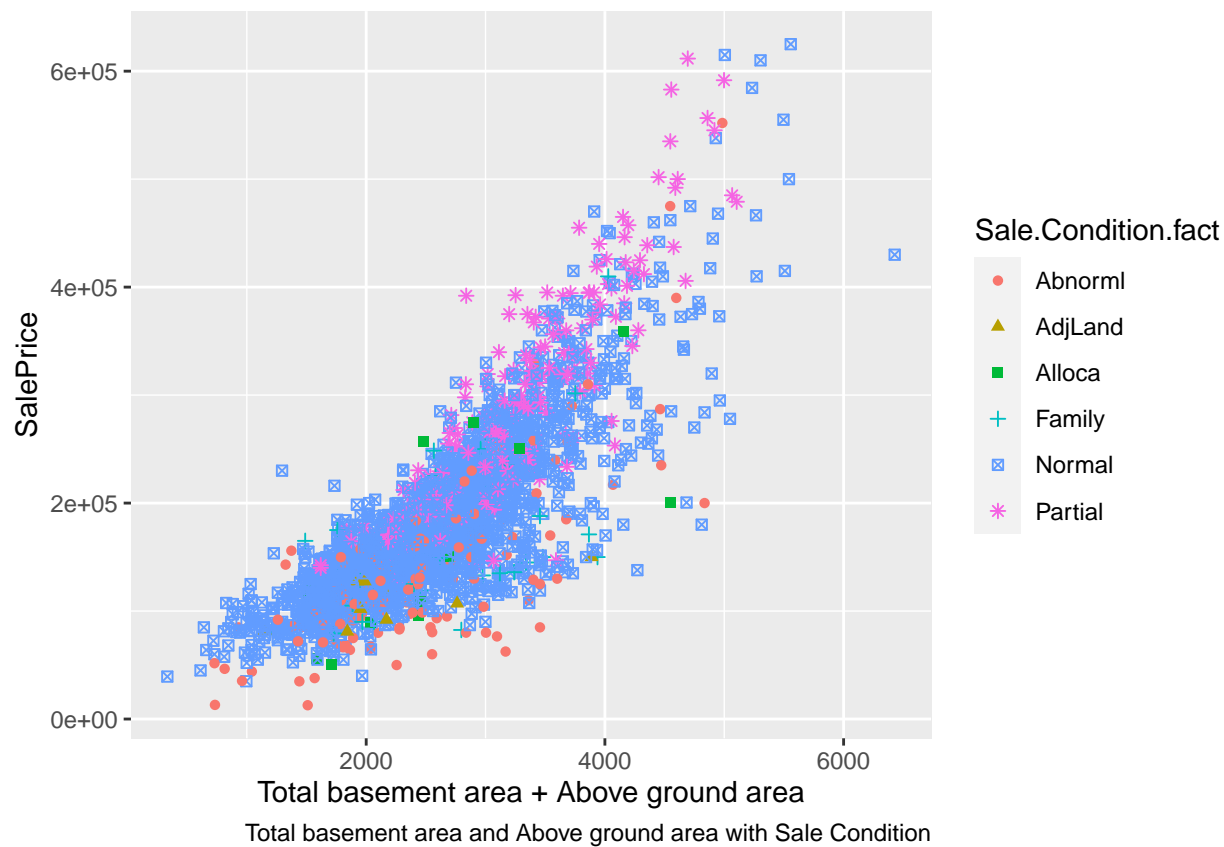
Figure 25: Plot of Sale Price - Total Area

Total basement area and Above ground area with Sale Condition

Figure 26: Plot of Sale Price - Total Area with Sale Condition

Regression 1.7 SalePrice = Beta0 + Beta1 * BsmtFin.Type.1

R2 = 0.11

Regression 1.8 SalePrice = Beta0 + Beta1 * Year.Built

R2 = 0.31

Regression 1.9 SalePrice = Beta0 + Beta1 * Year.Remod.Add

R2 = 0.29

Regression 2.0 SalePrice = Beta0 + Beta1 * Garage.Yr.Blt

R2 = 0.28

Regresssion 2.1 SalePrice = Beta0 + Beta1 * Garage.Cars

R2 = 0.42

Regression 2.2 SalePrice = Beta0 + Beta1 * TotRms.AbvGrd

R2 = 0.24

Since SalePrice - TotalArea plot had a curvature, I tried to make quadratic model as well.

Regression 2.4

SalePrice = Beta0 + Beta1 * TotalArea + Beta2 * TotalArea^2

R2 = 0.68 - same as Regression 2.3

log - log: ln(Price) - ln(Lot Area) piecewise linear spline

Regression 2.5

log(SalePrice) = Alpha1 + Beta1 * log(Lot.Area)[if log(Lot.Area) < 8] + (Alpha2 + Beta2 * log(Lot.Area)) * [if 8 <= log(Lot.Area) <= 10]

R2 = 0.14

Model: Weighted linear regression, using rooms as weights.

Regression 2

SalePrice = Above Ground Area (weights = Total Rooms Above Ground)

R2 = 0.49

Regression 3

SalePrice = Beta0 + Beta1 * Above Ground Area + Beta2 * HasFireplace

R2 = 55

Regression 4

SalePrice = Beta0 + Lot.Area + Beta1 * Total Basement Area + Beta2 * Above Ground Area + Beta3 * Garage Cars + Beta4 * HasFireplace

R2 = 74

	(1) Regression 1.1	(2) Regression 1.2	(3) Regression 1.8	(4) Regression 2.1	(4) Regression 2.2
(Intercept)	124597.47 ***	-36147.77 ***	-2713214.78 ***	61328.87 ***	18686.95 **
	(4428.37)	(3967.50)	(89612.76)	(2976.85)	(6940.71)
Lot.Area	1.91 ***				
	(0.50)				
HasFireplace	71009.76 ***				
	(2594.67)				
TotalArea		85.24 ***			
		(1.74)			
Year.Built			1467.88 ***		
			(45.64)		
Garage.Cars				67472.84 ***	
				(1939.55)	
TotRms.AbvGrd					25135.20 ***
					(1158.60)
nobs	2925	2924	2925	2924	2925
r.squared	0.27	0.68	0.32	0.43	0.25
adj.r.squared	0.27	0.68	0.32	0.43	0.25
statistic	487.43	2404.64	1034.49	1210.20	470.65
p.value	0.00	0.00	0.00	0.00	0.00
df.residual	2922.00	2922.00	2923.00	2922.00	2923.00
nobs.1	2925.00	2924.00	2925.00	2924.00	2925.00
se_type	HC2.00	HC2.00	HC2.00	HC2.00	HC2.00

*** p < 0.001; ** p < 0.01; * p < 0.05.

	(1) Regression 2.4	(2) Regression 2.5	(3) Regression 2	(4) Regression 3	(5) Regression 4
(Intercept)	-36147.77 ***	10.80 ***	5536.80	12350.04 **	-41975.51 ***
	(3967.50)	(0.51)	(5124.24)	(3925.43)	(3931.52)
TotalArea	85.24 ***				
	(1.74)				
lspline(log(Lot.Area), c(8, 10))1		0.11			
		(0.07)			
lspline(log(Lot.Area), c(8, 10))2		0.34 ***			
		(0.02)			
lspline(log(Lot.Area), c(8, 10))3		0.07			
		(0.07)			
Gr.Liv.Area			116.00 ***	101.43 ***	64.90 ***
			(3.73)	(3.21)	(2.57)
HasFireplace				32173.07 ***	15526.05 ***
				(2063.99)	(1630.98)
Lot.Area					0.27 *
					(0.12)
Total.Bsmt.SF					64.33 ***
					(2.85)
Garage.Cars					26830.53 ***
					(1278.32)
nobs	2924	2925	2925	2925	2923
r.squared	0.68	0.14	0.50	0.55	0.74
adj.r.squared	0.68	0.14	0.50	0.55	0.74
statistic	2404.64	193.46	966.20	1028.33	788.89
p.value	0.00	0.00	0.00	0.00	0.00
df.residual	2922.00	2921.00	2923.00	2922.00	2917.00
nobs.1	2924.00	2925.00	2925.00	2925.00	2923.00
se_type	HC2.00	HC2.00	HC2.00	HC2.00	HC2.00

*** $p < 0.001$; ** $p < 0.01$; * $p < 0.05$.