Operations Research

- approach to decision maxing which seeks to determine how best to design and operate a system, under conditions occaring the allocation of scarce resources.
- e provides a set of algorithms that act as tools for effective problem solving and decision making.
- · Entensive application in engineering, business and public systems.
- · Used extensively by manufacturing and service industries in decision making.
 - the British military asked scientists to analyze military problems.
 - The cipplication of mathematics and scientific methods to military and scientific methods to military applications was called operations opplications was called operations research. Today it is also called managements.
 - It is a scientific approach to de cision making that seeks to de cision making that seeks to operate determine how best to operate determine how best to operate a system under conditions of a system under conditions of allocating scarce resources.

Classification:

- Linear Programming (Optimization)
- · Nonlinear Programming (Optimization)
- Queung theory
- Reliability theory
- Grame theory
- · Network analysis
- Inventory.

Operation research has this following Subarea of study. The first one is also called the linear optimization problems, the second one is non linear optimization problems. Queing theory is that branch of oporation research which studies the queues. Eq. When you go to bank to withdraw your money, you have to follow a quene. Similarly when you are putting up some Jobs, on a computer, then a queue is lined up, so this que wing the ony studies the behaviour of quene Reliability theory is also one of major overas of operations recearch which studies the reliability of a system whether it is a mechanical system, whether it is a brilding - and so on.

Grame theory is another very interesting area of operations research which talks about the decision making process when a game is played between two or more than two components. The network analysis is that study which talks about the study of networks, for example, when we have to design a notwork e.g. internet service providers or some other kind of network, then it is the study of network analysis. Inventory control is an important aspect when business has to dealt with, ie when a commodity has to be stored. in some warehouse and the decision has to be made as the how much quantity of the commodity should be there in Fut inventory so that customers are not lost. At the same time, the cost of. Storing that commodity is minimized.

Optimization is the key area of operations research since we encounter the optimization problem everywhere.

Let us define the mathematical definition of an Optimization problem.

Minimize (Maximize) f(x) where f: RM -> R, X= (x1, x2, -. xn) Subject to XeSCRY, where Sis defined by g (x) ≥0, K=1,2,--m. $h_j(x) = 0, \quad j = 1, 2, - - 2$ ai ≤ xi ≤ bi, 121,2,-n.

Here f is called as the objective function which is a real valued function defined on prespace, i.e. n dimensional Euclidean space. This is the function which has to be either manimized or minimized depending upon the problem in hand.

X= (x1, x2, -- xn) is the decision variable this is the variable which has to be determined and these X values should belongs to the set S where SSRh is defined by the following conditions, 9/(x). 210, x=1,2,-m. hj (x) = 0, j=1,2,-12 ai & ni & bi, 1=1,2,-ni

These gi, gz. gr are called inequality Constraints hi, hz -- he are called equality constraints. ai, bi are

called lower and upper bounds of the decision variable xi's, which has to be determined under the constraint set S.

components of optimization model

Decision Objective Constraints

Variable function. Constraints

Decision variables La Objective function are those has to be determined has to be minimized which for a given problem or maximized. the decision variables should satisfy:

Classification of Optimization problems;

- · Linear programming problems (LPP)
 - · Nonlinear programming problems (NLPP)
 - . Un constrained Optimization problems
 - · Constrained Optimization problems.

the first one is the linear programming problem, a special case of oftimization problems, in which all the functions involved ie f, g, hj all we linear. Involved in is the nonlinear the second one is the nonlinear programming problem it any one of programming problem it any one of f, g, hj is nonlinear.

There may be possible that the problem does not have any constraint In such a situation, the problem is called as a unconstrained Optimization problem. If even a single constraint is imposed on the decision variables, thait is called constraint optimization 718 11 s 1 motori Tille for y I relation y might The bit I formately and and as of the A. Elminett M. Walcet . All L. 19-11-110 to the to the Fritter for Not not 112021 the I comed be made all de out to 2. Read from well from the south will be har marine specific . Jerein mileir salling madeline the middle for the little of the 2000 - 1 20 - ch sich soll 21 2 15 de 11 . 13 . afre waig a comment of the desired end of the standard with the standard James San and Maria of the Company o Contract to the state of the st A W. Mariday January A. 5 . 4. 1. 10 . 5 . 10 . 3 6 . 1