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function [Ui] = inputcontrol_Algorithm2(ALG_NUM, num_nodes, nodes, Nei_agent, n
    , epsilon, r, d, qt1, pt1, p_nodes);
%{
This function is to find alpha and beta neighbors
Created by Anthony Bugatto

Inputs: positions of nodes (nodes),
        indices of alpha neighbors (Nei_agent)
        (n)
        (epsilon)
        active range for alpha agents (r)
        (d)
        (k_scale)
        (p_nodes)

Outputs: controlled acceleration (Ui)

%}
%+++++Constants+++++

c_a1 = 30;
c_a2 = 2*sqrt(c_a1);
c_mt1 = 5.1;
c_mt2 = 2*sqrt(c_mt1);
a = 5;
b = 5;
c = abs(a - b) / sqrt(4*a*b);
r_sig = sigma_norm(r);
d_sig = sigma_norm(d);

%+++++BUILDING THE ADJACENCY MATRICES+++++

n_ij = zeros(num_nodes,num_nodes,n); %gradient matrix 1x2
for i = 1:num_nodes
    for j = 1:num_nodes
        q = norm(nodes(j,:) - nodes(i,:));
        sig_grad = (nodes(j,:) - nodes(i,:)) / (1 + epsilon * sigma_norm
            (nodes(j,:) - nodes(i,:)));

        if q < r && q ~= 0 %is zero otherwise
            n_ij(i,j,:) = sig_grad;
        end
    end
end

%+++++BUILDING CONTROL ACCELERATION Ui+++++

U = zeros(num_nodes, n); %100x3 matrix for accelerations
Ug = zeros(num_nodes,n); % gamma agent control

consensus = 0;
a_ij = zeros(num_nodes,num_nodes); %spatial adjacency matrix
for i = 1:num_nodes %loop through all i in Ui matrix
    gradient = 0;
    for j = 1:size(Nei_agent{i}) % loop through all neighbors in neighbor
        matrix for each i

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    Nei_val = Nei_agent{i}(j);
    if(i ~= Nei_val)
        %phi is the time differential of the smooth pairwise
        % attractive/repulsive potential
        z = sigma_norm(nodes(Nei_val,:) - nodes(i,:)); %parameter for
        phi_alpha
        z_phi = z - d_sig; %parameter for phi
        phi_bump = bump(z / r_sig);
        sigmoid = (z_phi + c) / sqrt(1 + (z_phi + c)^2);
        phi = .5 * ((a + b) * sigmoid + (a - b));

        phi_alpha = phi_bump * phi;

        a_ij(i,Nei_val) = phi_bump;
        %implement the algorithm for the fragmenting control law:
        %
        %  $U_i = c_{a1} \cdot \text{SUM}[\phi_{\alpha} * n_{ij}] + c_{a2} \cdot \text{SUM}[a_{ij} * (p_j -$ 
        %  $p_i)] + U_g$ 
        %
        gradient = phi_alpha * [n_ij(i,Nei_val,1) n_ij(i,Nei_val,2)];
        consensus = a_ij(i,Nei_val) * (p_nodes(Nei_val,:) - p_nodes(i
            ,:));
    end
end

p = 0;
if ALG_NUM ~= 2
    p = -c_mt2 * (p_nodes(i,:) - pt1);
end

fg = -c_mt1 * (nodes(i,:) - qt1) + p;
fa = (c_a1 * gradient) + (c_a2 * consensus);

U(i,:) = fa + fg;
end

Ui = U;
end

```