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### 0.1 Inequalities

#### 0.1.1 Less than or equal

Orderings define relations between elements in a set, where one element can precede the other.

Orderings are antisymmetric. That is, the only case where the relation is satisfied in both directions is if the elements are equal.

$$(a \leq b) \wedge (b \leq a) \rightarrow (a = b)$$

Orderings are transitive. That is:

$$(a \leq b) \wedge (b \leq c) \rightarrow (a \leq c)$$

#### 0.1.2 Greater than or equal

#### 0.1.3 Less than and greater than

The relation  $\leq$  is referred to as non-strict.

There is a similar strict relation relation,  $<$ :

$$(a \leq b) \wedge \neg(b \leq a) \rightarrow (a < b)$$