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### 0.1 Implications of axiom schema of specification

#### 0.1.1 All finite subsets exist

Finite subsets. Don't know about infinite subsets

If we can define a subset, by the axiom of specification it exists.

For example if set  $\{a, b, c\}$  exists, we can define a preterite to select any subset of this.

For example we can use define a  $P(x)$  as  $x = a \vee x = b$  to extract the subset  $\{a, b\}$ .

If a subset is infinitely large,

#### 0.1.2 Intersections of finite sets exist

Can prove exists from this axiom

#### 0.1.3 If any set exists, the empty set exists

$$\forall x \forall a \exists s [(P(x) \wedge x \in a) \leftrightarrow (x \in s)]$$