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0.1 Axiom of pairing

For any pair of sets, x and y there is another set z which containing only x and y.

$\forall x \forall y \exists z \forall a [a \in z \leftrightarrow a = x \vee a = y]$

0.1.1 For each set, there exists a set containing only that set

Take the axiom, but replace all instance of y with x.

$\forall x \exists z \forall a [a \in z \leftrightarrow a = x \vee a = x]$

$\forall x \exists z \forall a [a \in z \leftrightarrow a = x]$

0.1.2 For any finite number of sets, there is a set containing only those sets

0.1.3 For any finite number of sets, there is a set containing the intersection of those sets