LIME and anchors

Local interpretable model-agnostic explanations



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LIME Local Interpretable Model-Agnostic Explanations





LIME

Local Interpretable Model-Agnostic Explanations



(a) Original Image

Explaining an image classication prediction made by Google's Inception neural network.

The top 3 classes predicted are:

- Electric Guitar (p = 0.32),
- Acoustic guitar (p = 0.24),
- Labrador (p = 0.21).



Source: M. T. Ribeiro, S. Singh, C. Guestrin. 2016. "Why Should I Trust You?": Explaining the Predictions of Any Classifier.

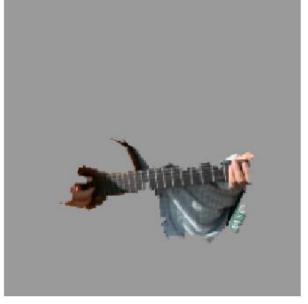


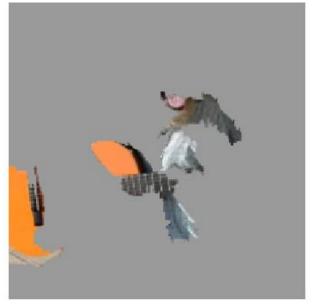
LIME

Local Interpretable Model-Agnostic Explanations



(a) Original Image





(b) Explaining Electric guitar (c) Explaining Acoustic guitar



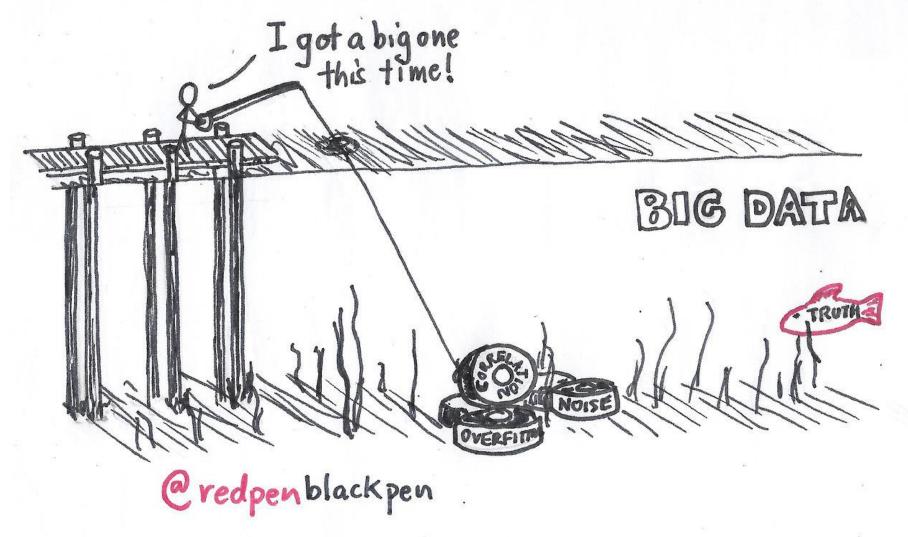
(d) Explaining Labrador



Source: M. T. Ribeiro, S. Singh, C. Guestrin. 2016. "Why Should I Trust You?": Explaining the Predictions of Any Classifier.



Can you build your trust based on accuracy?



Can you build your trust based on accuracy?







Predicted: wolf
True: wolf

Predicted: husky
True: husky

Predicted: wolf
True: wolf







Predicted: husky
True: husky



Predicted: wolf
True: wolf





Yes, if you want to build a great snow detector!



Predicted: wolf
True: wolf



Predicted: husky True: husky



Predicted: wolf
True: wolf



Predicted: wolf True: husky



Predicted: husky True: husky



Predicted: wolf
True: wolf





 $x \in \mathbb{R}^d$ - original representation of the instance being explained

 $x' \in 0, 1^{d'}$ - a binary vector with interpretable representation of x

 $f: \mathbb{R}^d \to \mathbb{R}$ - model being explained

 $g \in G$ - explaination model where G is a class of potentially interpretable

 $\pi_x(z)$ - proximity measure between an instance z to x

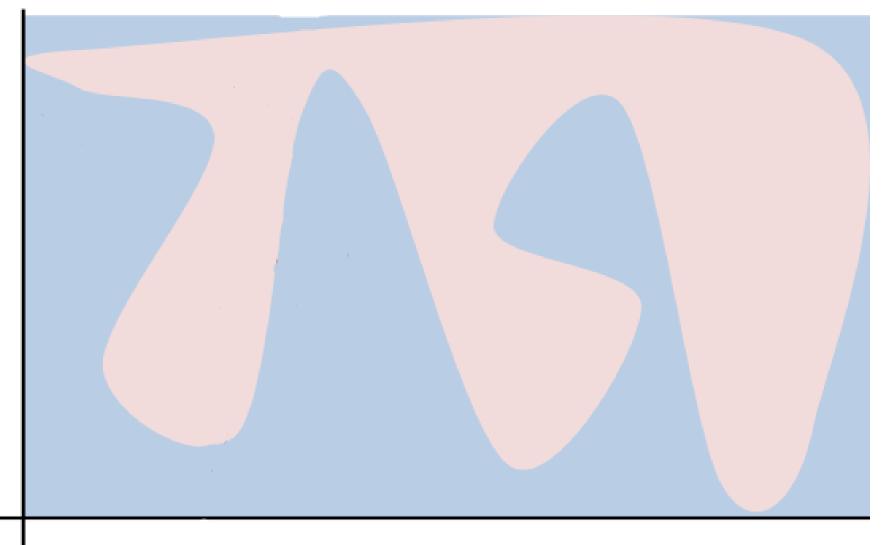
 $\Omega(g)$ - measure of complexity

 $\mathcal{L}(f,g,\pi_x)$ - a measure of how unfaithful g is in approximating f in the locality defined by $\pi_x(z)$

$$\xi(x) = \operatorname*{argmin}_{g \in G} \mathcal{L}(f, g, \pi_x) + \Omega(g)$$

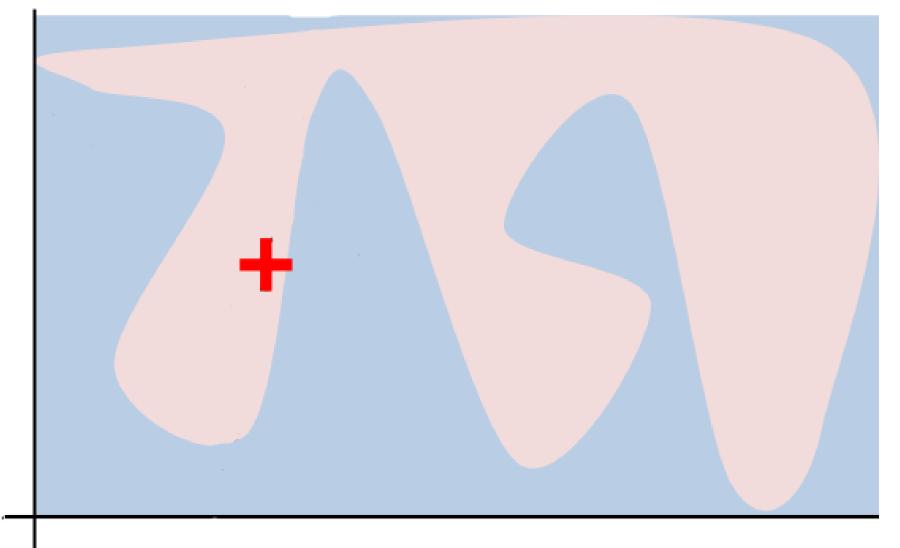






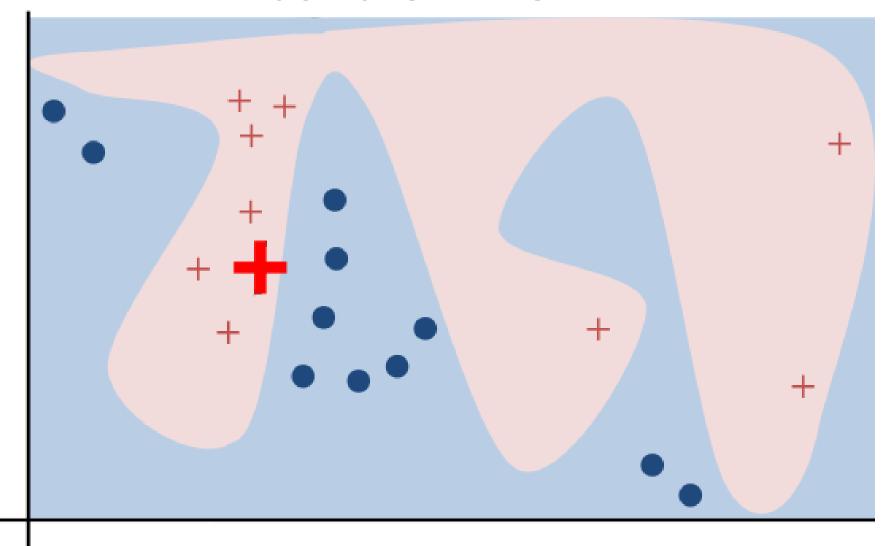






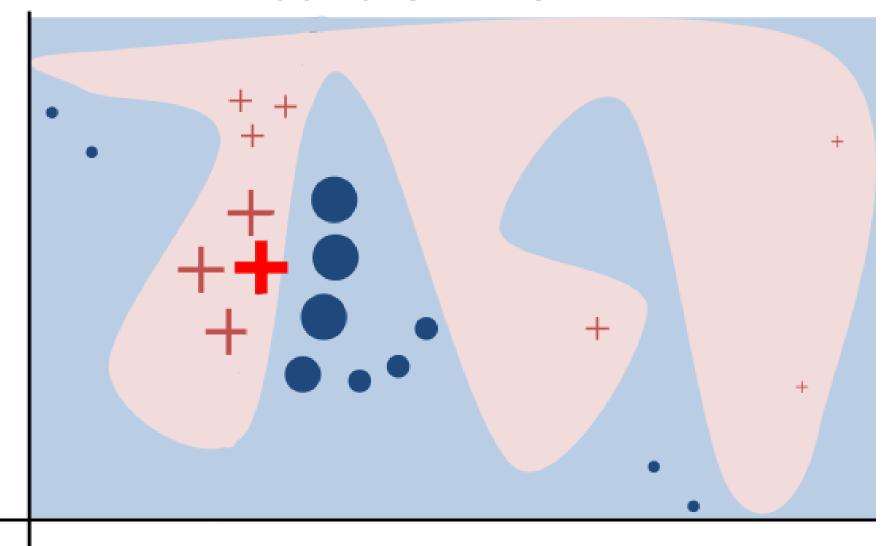






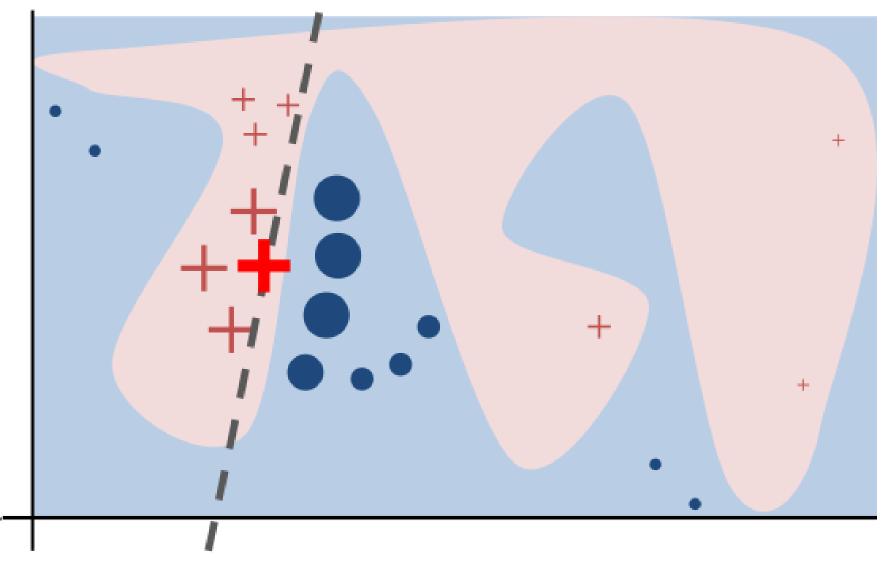












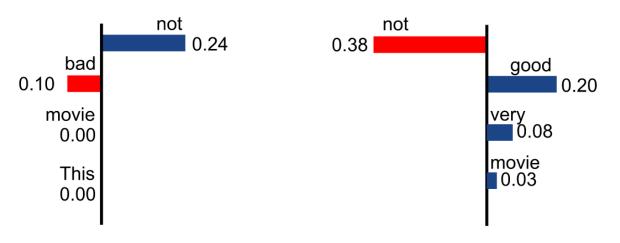




LIME for text analysis

- This movie is not bad. This movie is not very good.

LIME explanations







Anchors High-Precision Model-Agnostic Explanations



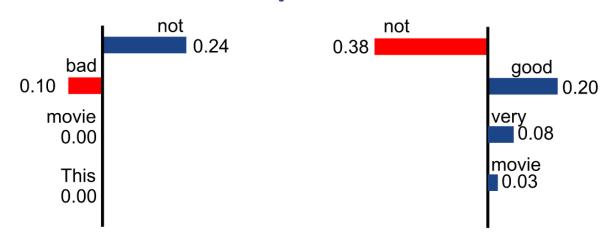


Anchors for text analysis



This movie is not bad. — This movie is not very good.

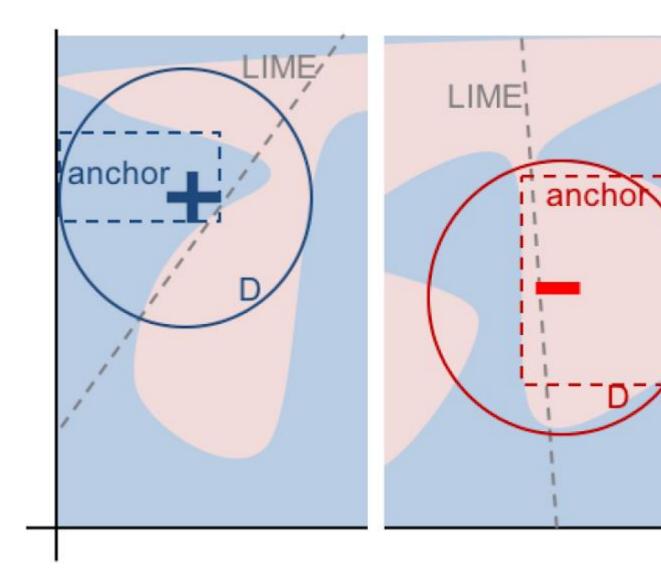
LIME explanations



Anchor explanations













This movie is not bad.

 $f: X \to Y$ - black box model

 $x \in X$ - an instance to be explained

 \mathcal{D}_x - perturbation distribution

A - a rule (set of predicates)

 $\mathcal{D}_x(\cdot|A)$ - conditional distribution when the rule A applies.

This director is always bad.
This movie is not nice.
This stuff is rather honest.
This star is not bad.



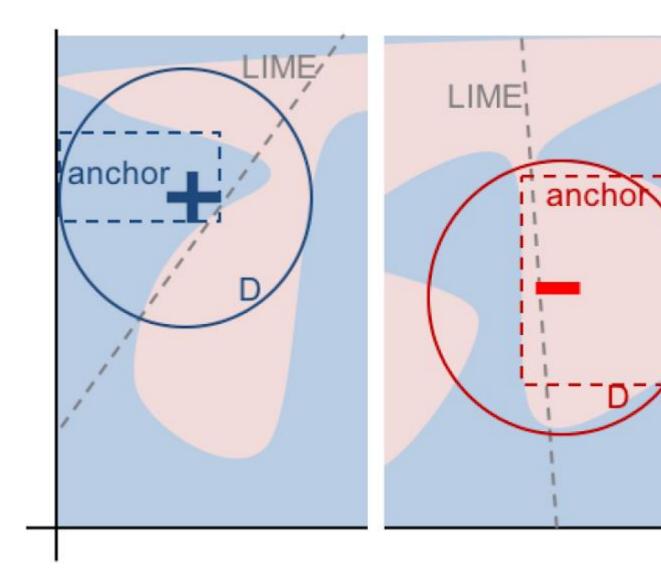
This audio is **not bad**.
This novel is **not bad**.
This footage is **not bad**.

A is an anchor if:

$$\mathbb{E}_{\mathcal{D}(z|A)}[\mathbb{1}_{f(x)=f(z)}] \ge \tau, A(x) = 1.$$











An anchor
$$A$$
 is a set of feature predicates that achieves $prec(A) \ge \tau$, where $prec(A) = \mathbb{E}_{\mathcal{D}(z|A)} \left[\mathbb{1}_{f(x)=f(z)} \right]$

Coverage of an anchor:

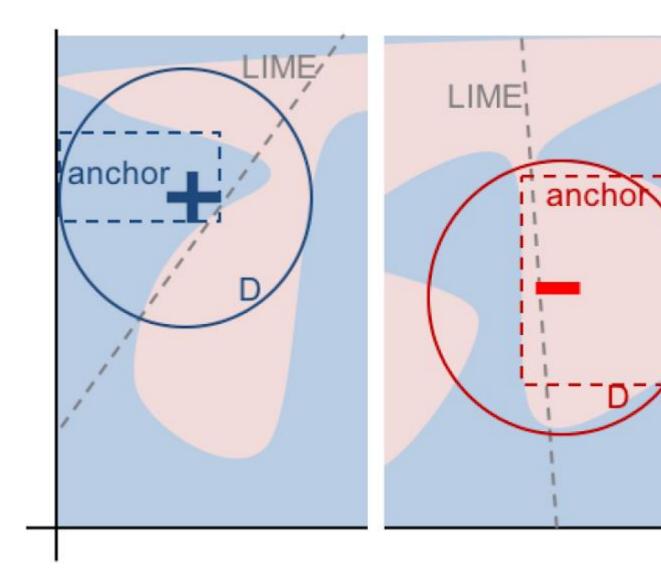
$$cov(A) = \mathbb{E}_{\mathcal{D}(z)}[A(z)]$$

Search for an anchor is the following combinatorial optimization problem:

$$\max_{A \text{ s.t. } prec(A) \geqslant \tau} \operatorname{cov}(A)$$











References

M. T. Ribeiro, S. Singh, C. Guestrin. 2016. "Why Should I Trust You?": Explaining the Predictions of Any Classifier In, 1135-44. ACM Press.

M. T. Ribeiro, S. Singh, C. Guestrin. 2018. Anchors: High-Precision Model-Agnostic Explanations.

M. T. Ribeiro, S. Singh, C. Guestrin. 2016. Nothing Else Matters: Model-Agnostic Explanations By Identifying Prediction Invariance, arXiv:1611.05817.

K. Kulma, Interpretable Machine Learning Using LIME Framework.

