Empirical Economic Modeling Macro

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Lecture plan

Central research questions in macro:

- 1. Why are some countries poorer than others?
- ightharpoonup Why are there large GDP differences across countries? Total factor productivity (TFP)!
- 2. Why are some countries more productive than others?
- → Why are there large TFP differences across countries? Financial frictions?

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Midrigan, Virgiliu and Daniel Yi Xu (2014). Finance and Misallocation: Evidence from Plant-Level Data. *American Economic Review* 104(2), 422-458.









Research question: How much of TFP differences are due to financial frictions?

Financial frictions reduce TFP in two key ways:

1. Entry and technology adoption

2. Capital misallocation

Misallocation: the *social planner* could *feasibly* reallocate resources to increase the *welfare* of the *representative agent* (Klenow, 2020, <u>link to video</u>)

Research question: How much of TFP differences are due to financial frictions? Traditional vs. modern sectors, everyone starts in traditional

Traditional sector: with permanent productivity z and transitory productivity e_t ,

$$Y_t = \exp(z + e_t)^{1-\eta} L_t^{\eta}, \quad \eta < 1$$
 (DRS)

Producers maximize lifetime utility s.t. the budget constraint:

$$C_t = Y_t - wL_t - (1-r)D_t + D_{t+1}$$

 D_t : debt position; $D_{t+1} \le o$ (no borrowing)

Research question: How much of TFP differences are due to financial frictions? Entry to the modern sector requires paying an upfront cost

Entering the modern sector: need to finance initial capital

$$D_{t+1} \leq \frac{\theta}{(K_{t+1} + \exp(z)\kappa)}$$

 K_{t+1} : physical capital, $\exp(z)\kappa$: intangible capital $\theta \in [0,1]$: strength of financial frictions (degree of financial development)

Budget constraint:

$$C_t + K_{t+1} + \exp(z)\kappa = Y_t - wL_t - (1-r)D_t + D_{t+1} + \frac{\theta}{2}\chi$$
 (price of future profits)

 $\theta \chi \ (\chi \in [0,1])$: fraction of claims to future profits

Research question: How much of TFP differences are due to financial frictions?

Modern sector:

$$Y_t = \exp(z + e_t + \phi)^{1-\eta} (L_t^{\alpha} K_t^{1-\alpha})^{\eta}$$

$$\Pi_t = Y_t - wL_t - (r + \delta)K_t$$

 ϕ : relative productivity of modern sector

Budget constraint:

$$C_t + K_{t+1} - (1 - \delta)K_t = Y_t - wL_t - (1 - r)D_t + D_{t+1} - \frac{\theta}{2}\chi \Pi_t$$

Research question: How much of TFP differences are due to financial frictions?

Rescale by $\exp(z)$, markets clear, balanced growth path (γ) , ...

Total output in modern sector: given mass of producers M,

$$Y = \exp(\phi)^{1-\eta} \frac{\left(\int_{i \in M} \exp(e_i)(r+\delta+\mu_i)^{-\frac{(1-\alpha)\eta}{1-\eta}} di\right)^{1-\alpha\eta}}{\left(\int_{i \in M} \exp(e_i)(r+\delta+\mu_i)^{\frac{\alpha\eta-1}{1-\eta}} di\right)^{(1-\alpha)\eta}} (L^{\alpha}K^{1-\alpha})^{\eta}$$
TFP

Research question: How much of TFP differences are due to financial frictions?

Recall: 1. entry and technology adoption, 2. capital misallocation

Research question: How much of TFP differences are due to financial frictions? Recall: 1. entry and technology adoption. 2. capital misallocation

2. Total output in modern sector if we can reallocate capital but M is fixed:

$$\mathsf{Y}^{e2} = \underbrace{\exp(\phi)^{1-\eta} \left(\int_{i} \exp(e_{i}) \, di \right)^{1-\eta}}_{\mathsf{TFP}^{e2}} (\mathsf{L}^{\alpha} \mathsf{K}^{1-\alpha})^{\eta}$$

TFP loss² = TFP^{e2} – TFP With $(APK_i, e_i) \sim \log N$:

TFP loss² =
$$\frac{(1 - \alpha \eta)(1 - \alpha)\eta}{2(1 - \eta)}$$
 var(log(APK_i))

In words: the more dispersed APK is, the larger is TFP loss

Research question: How much of TFP differences are due to financial frictions?

Recall: 1. entry and technology adoption, 2. capital misallocation

1. Total output in both sectors if we can freely reallocate capital and labor:

$$\mathbf{Y^{e1}} = \arg\max_{\mathbf{K}, \mathbf{L}, \mathbf{n}_i^{\tau}, \mathbf{n}_i^{m}} \left(\sum_{i} \exp(e_i) \mathbf{n}_i^{\tau} \right)^{1-\eta} (1 - \mathbf{L})^{\eta} + \left(\sum_{i} \exp(e_i + \phi) \mathbf{n}_i^{m} \right)^{1-\eta} (\mathbf{L}^{\alpha} \mathbf{K}^{1-\alpha})^{\eta} \\ - \left(\delta + \frac{\gamma}{\beta} - 1 \right) \mathbf{K} - \frac{\sum_{i} \mathbf{n}_i^{m}}{\beta} (\gamma - 1) \kappa$$

 \Rightarrow TFP loss¹ \supseteq TFP loss²

Research question: How much of TFP differences are due to financial frictions?

Recall: 1. entry and technology adoption, 2. capital misallocation

How important is 1. vs. 2. quantitatively?

I.e., is TFP loss¹ much larger than TFP loss²?

Data: plant-level data on manufacturing firms in Korea, Colombia, China

• Korea: more developed + data from financial crisis

Findings form calibration: $\widehat{TFP \, loss}^1 \approx 40\%$, $\widehat{TFP \, loss}^2 \approx 5\%$

 \Rightarrow financial frictions yield large TFP differences but not due to misallocation

Frontiers of macro

Central research questions in macro:

- Why are some countries poorer/more productive than others?
- Midrigan and Xu (2014 AER): because financial frictions impede entry to modern sector
- Only one (albeit very influential) modern macro paper
- ...

Other central questions:

- How does a richer notion of heterogeneity impact aggregate outcomes?
- How does the financial sector impact the real economy?
- What is the role of fiscal/monetary policy?
- What is the role of behavior components?
- ...

Things we do not cover:

- Micro-to-macro (Adrien Couturier, Ben Moll and Rui Sousa's collection of papers)
- Asset pricing, optimal taxation (Nic Kozeniauskas and László Tétényi's syllabus)
- Uncertainty, information, polarization (Matthias Kehrig's syllabus)
- ...

"Modern macro is applied micro"

Fede Huneeus' X thread