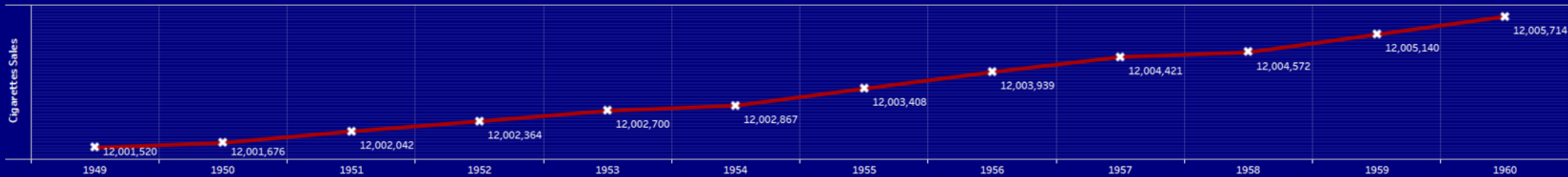


Advanced Time series - Cowboy Cigarettes Sales: Seasonality per Quarter per Month powered by Tableau.

Cowboy Cigarettes Sales per Year



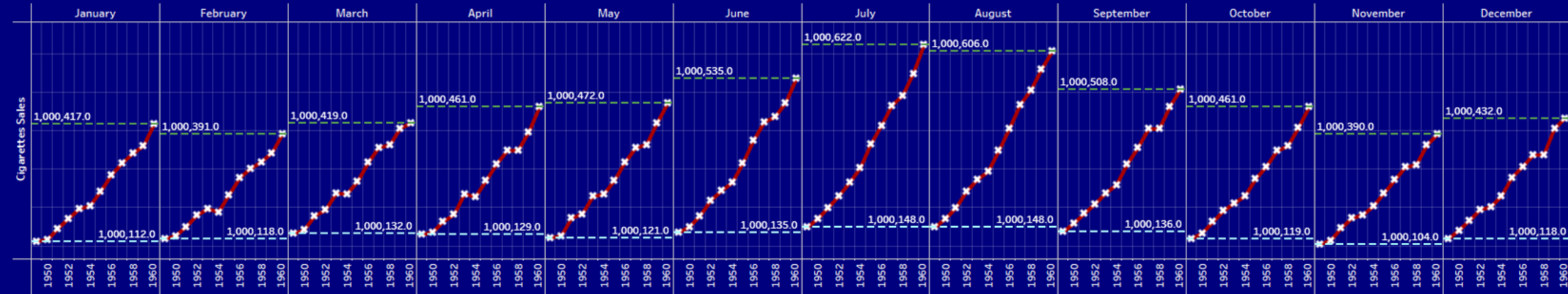
We can see that, generally, there is a trend upwards in cigarette sales from Cowboy Cigarettes.

Cowboy Cigarettes Sales per Year per Quarter (Seasonality)



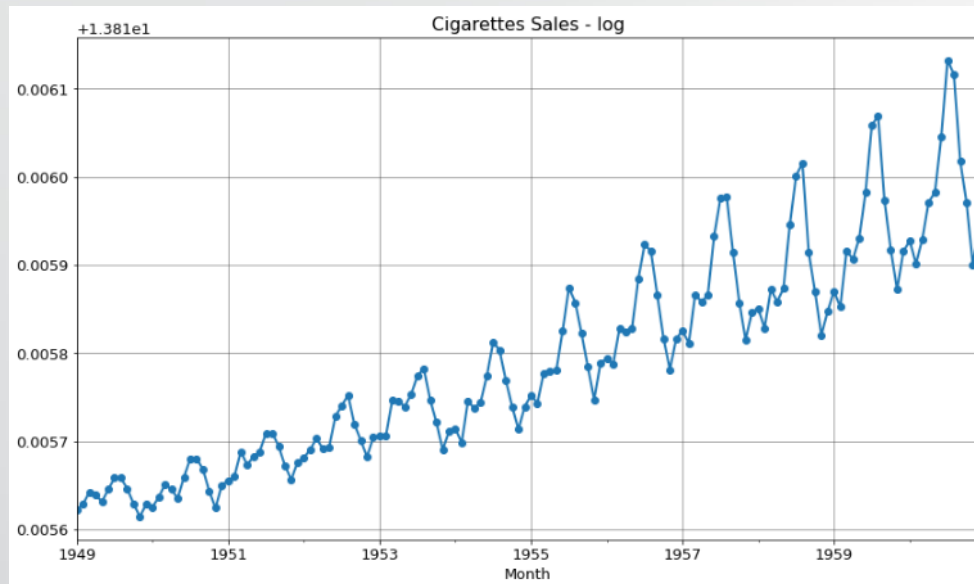
Cigarette sales are always higher in Q3 of every year compared to other quarters between 1949-1960.

Cowboy Cigarettes Sales per Year per Month (Seasonality)



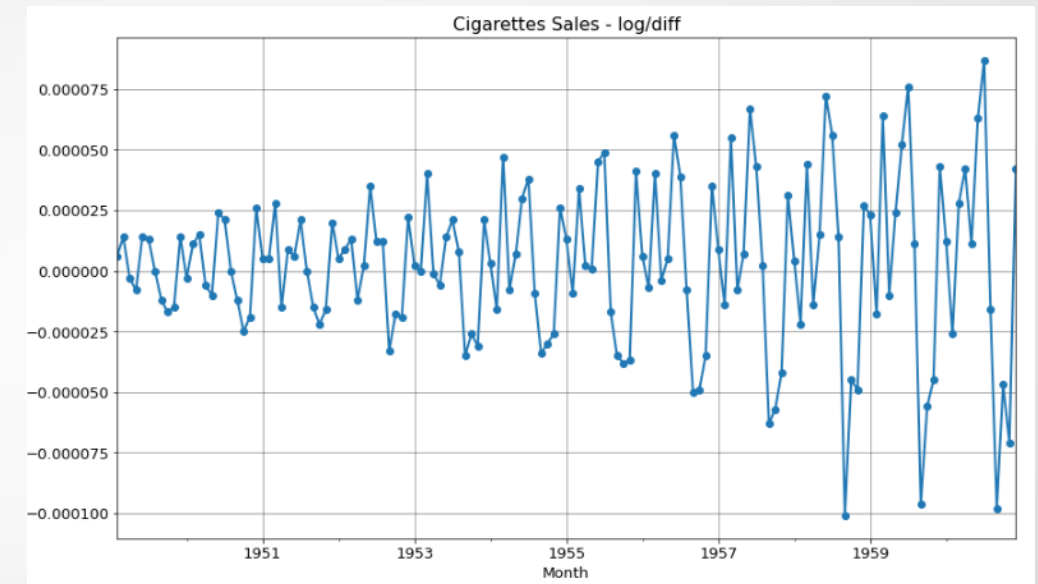
Cigarette sales are always higher in the Months of July and August of every year compared to other Months between 1949-1960.

Identification – Making Time Series Stationary



```
*****Results of kpss Test*****
Test Statistic      1.052175
p-value             0.010000
Lags Used           14.000000
Critical Value (10%) 0.347000
Critical Value (5%)  0.463000
Critical Value (2.5%) 0.574000
Critical Value (1%)  0.739000
dtype: float64
*****
```

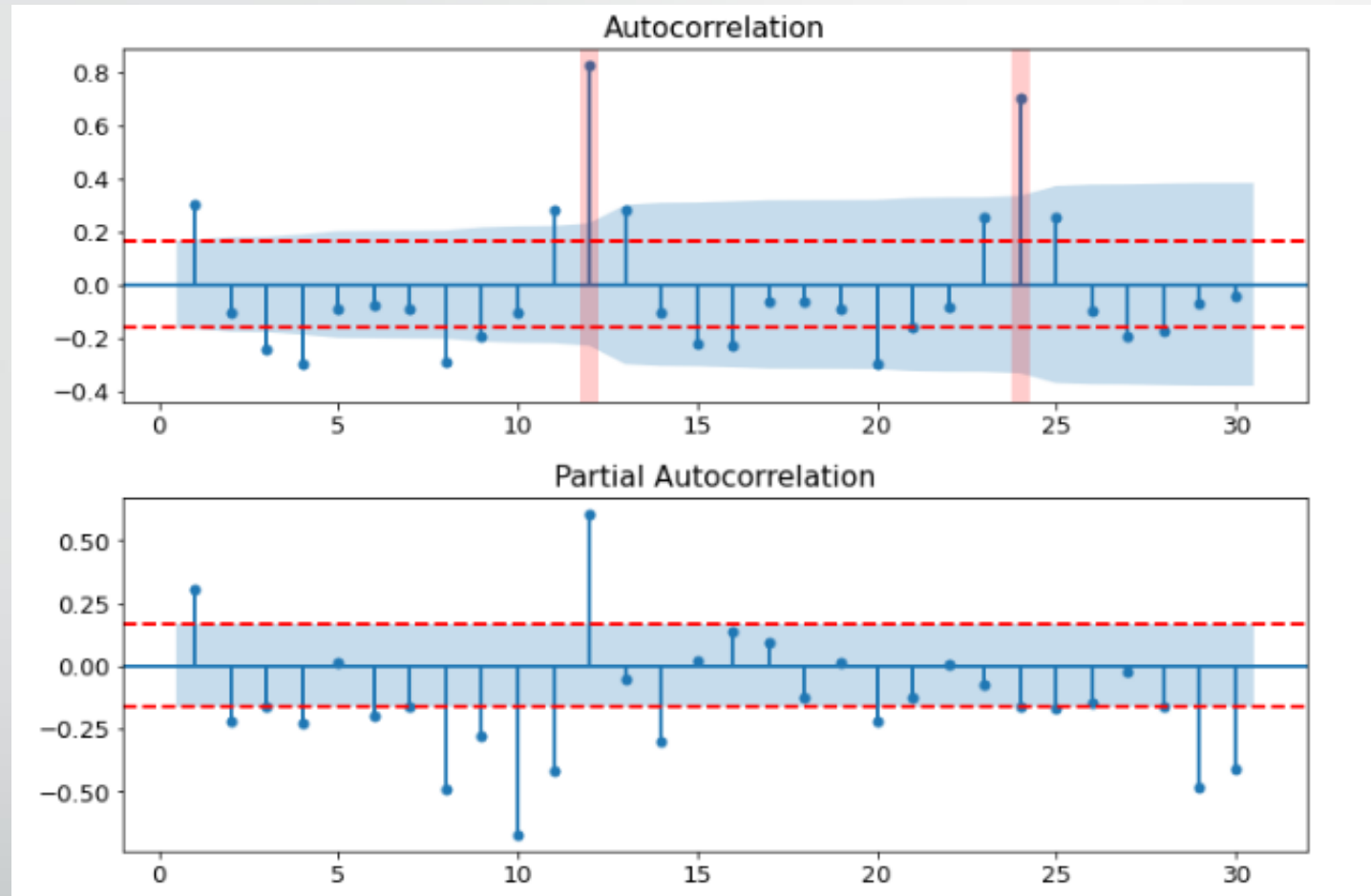
Since our p-value is less than 0.05,
we *should reject the Null hypothesis*
and deduce the non-stationarity of
our data.



```
*****Results of kpss Test*****
Test Statistic      0.053011
p-value             0.100000
Lags Used           14.000000
Critical Value (10%) 0.347000
Critical Value (5%)  0.463000
Critical Value (2.5%) 0.574000
Critical Value (1%)  0.739000
dtype: float64
*****
```

Our p-value is now greater than 0.05,
so we can *accept the null hypothesis*
that our data is stationary.

Identification – *check what values of (p,d,q) (P,D,Q)s are most promising?*



In this plot, the two red dotted lines on either sides of 0 are representing the confidence intervals. These can be used to determine the 'p' and 'q' values as:

- (1) q – The lag value where the ACF chart crosses the upper confidence interval for the first time. If you notice closely, in this case $q=1$.
- (2) p – The lag value where the PACF chart crosses the upper confidence interval for the first time. If you notice closely, in this case $p=1$ or 2.
- (3) S - in SARIMA is 12 as shown from ACF plot

Identification – *Parameters Selection for the SARIMA Model (Grid Search using AIC & BIC)*

Top 10 performance based in AIC

	param	param_seasonal	aic	bic
57	(2, 1, 1)	(1, 1, 1, 12)	1022.26	1039.51
56	(2, 1, 1)	(1, 1, 0, 12)	1023.24	1037.62
60	(2, 1, 1)	(2, 1, 0, 12)	1024.84	1042.09
16	(1, 1, 0)	(1, 1, 0, 12)	1025.29	1033.92
61	(2, 1, 1)	(2, 1, 1, 12)	1025.65	1045.78
20	(1, 1, 0)	(2, 1, 0, 12)	1026.8	1038.3
17	(1, 1, 0)	(1, 1, 1, 12)	1026.98	1038.48
21	(1, 1, 0)	(2, 1, 1, 12)	1027.23	1041.61
24	(1, 1, 1)	(1, 1, 0, 12)	1027.28	1038.78
48	(2, 1, 0)	(1, 1, 0, 12)	1027.29	1038.79

The output of our code suggests that SARIMAX(2, 1, 1)x(1, 1, 1, 12) yields the lowest AIC value of 1022.26 (This confirmed what we predicted from the ACF and PACF. We should therefore consider this to be optimal option out of all the models we have considered.

(1) Summary Statistics:

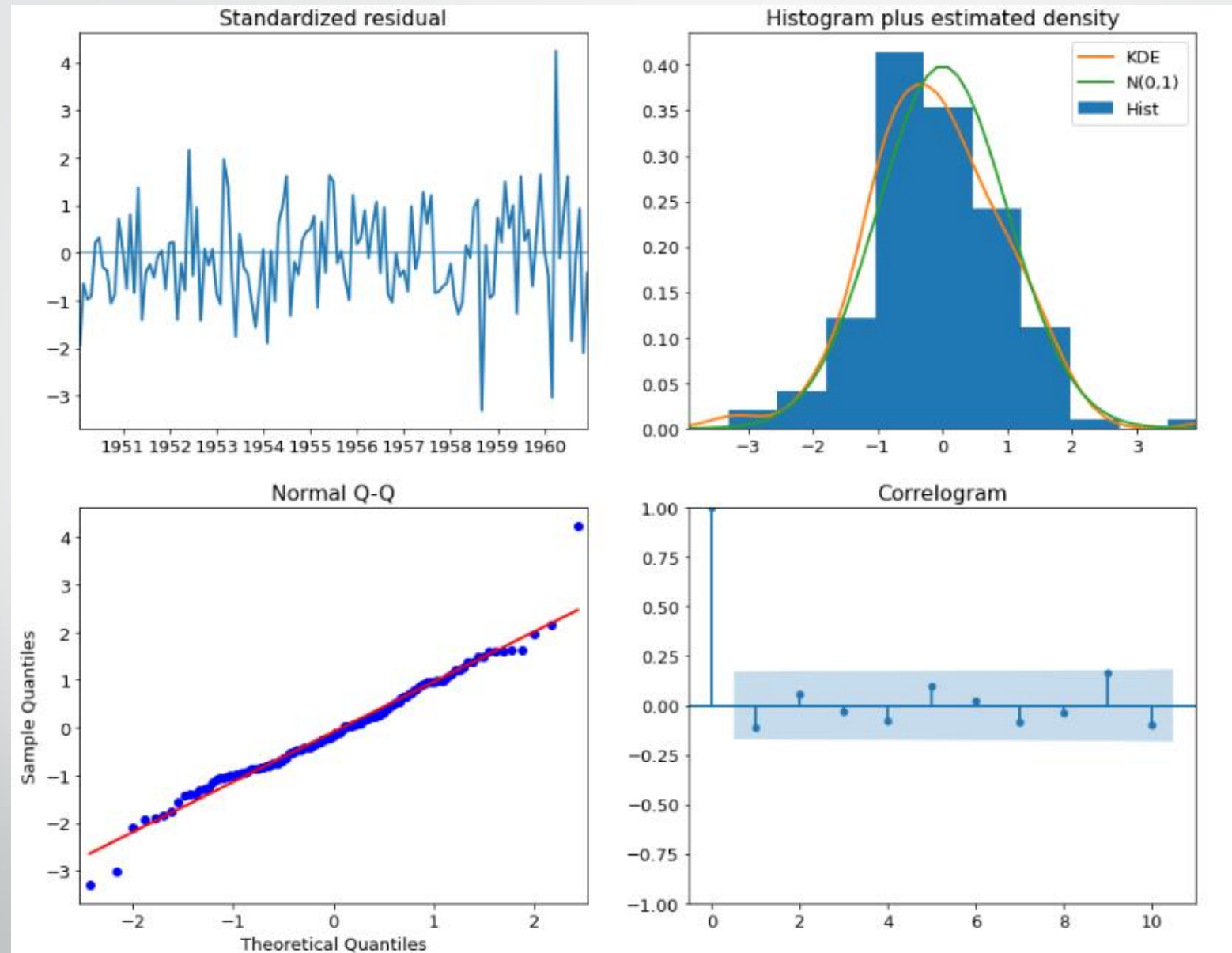
- Prob(Q):** p-value for null hypothesis that residuals are uncorrelated. Reject the null hypothesis and the residuals are correlated.

```

=====
SARIMAX Results
=====
Dep. Variable:          CigSales      No. Observations:      144
Model:                 SARIMAX(2, 1, 1)x(1, 1, 1, 12)    Log Likelihood        -505.099
Date:                 Sun, 07 Mar 2021    AIC                  1024.198
Time:                 04:24:51          BIC                  1044.325
Sample:              01-01-1949        HQIC                 1032.377
                   - 12-01-1960
Covariance Type:      opg
=====
              coef      std err          z      P>|z|      [0.025      0.975]
-----
drift          0.0003      0.001      0.352      0.725      -0.001      0.002
ar.L1          0.7000      0.065     10.753      0.000      0.572      0.828
ar.L2          0.1185      0.062      1.910      0.056      -0.003      0.240
ma.L1         -0.9953      0.167     -5.958      0.000     -1.323     -0.668
ar.S.L12       -0.9973      0.287     -3.471      0.001     -1.561     -0.434
ma.S.L12        0.9835      0.913      1.077      0.281     -0.806      2.773
sigma2        111.5275     65.648      1.699      0.089     -17.139     240.194
=====
Ljung-Box (Q):          45.31    Jarque-Bera (JB):          17.81
Prob(Q):                0.26    Prob(JB):                0.00
Heteroskedasticity (H):  2.02    Skew:                    0.29
Prob(H) (two-sided):    0.02    Kurtosis:                4.71
=====

```

Model Diagnostics – *Plot diagnostics*



Application - Forecasting

