# Data Science Use Case Seminars

Applications in Advertising Technology, Etc.

Alex Trickey May 8, 2024

### Part I: Intro

- → My Path in Data Science
- → Ad Tech Background
- → Time Series Modeling

#### Part II: Demo

- → Data Exploration
- → Modeling
- → Optimization
- → A/B Test

## Academics & Teaching



Dual BS Math, Psych [2009]

Undergrad Thesis used ANN to model EEG responses to painful stimuli.



PhD in Quantitative Psychology [2015]

Research: Heuristic Optimization and Structural Equation Models

Teaching: Statistics, Psychology/Neuroscience



Data and Analytics Consultant [2015-2017]

### Example Projects:

- Data(base) modeling for data migration
- Dashboard to find bottlenecks in video editing/delivery system
- Map film titles across distinct sources

#### **IBM AS/400**



IBM AS/400e model 730

Also known as AS/400e, eServer iSeries, eServer i5, System i

Manufacturer IBM

Type Midrange computer

Release date June 1988 (Announced)



# Ad Tech Data Scientist [2019-2023]

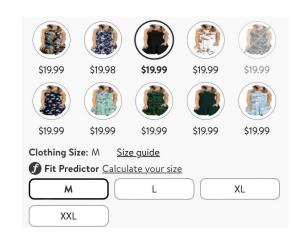
- Modeled clickstream/revenue data
- Optimized which ads are shown
- Used bandits to manage the explore-exploit dilemma
- Reported on performance

Developing, Deploying, and Debugging Algorithms for Website Optimization O'REILLY® John Myles White



# Senior Data Scientist in Fashion Tech [2019-2023]

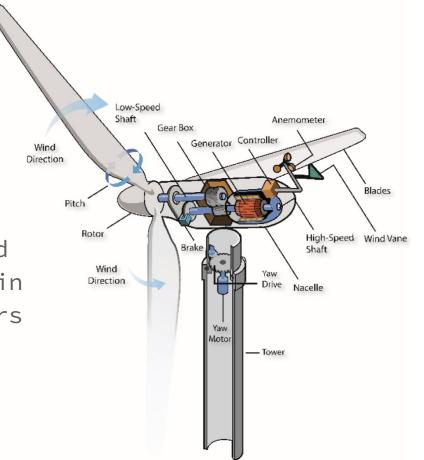
- Developed fit prediction algorithms and their production modeling jobs
- Example Projects: model improvements,
   multi-person profile handling,
   codebase migration, backtesting
   framework, analytics advising, bug
   investigations



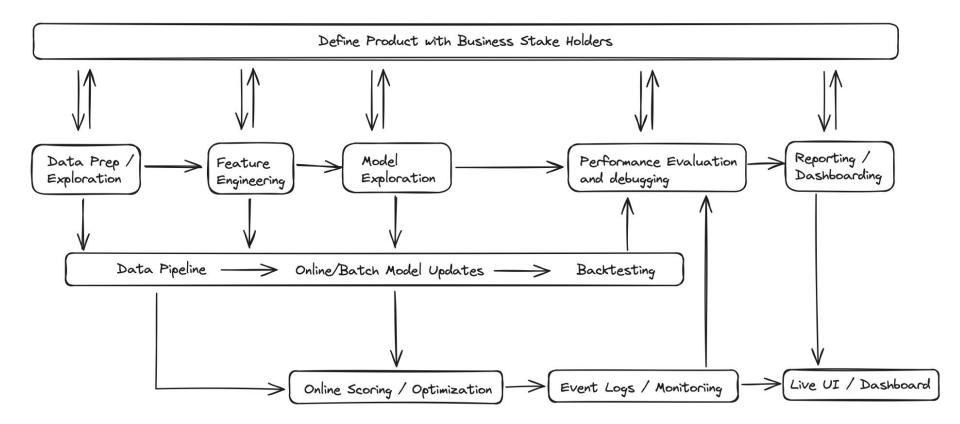


Squad Lead

Led team in development of alerting systems to detect and forecast mechanical failures in wind turbines to enable repairs and avoid costly component replacements and extended downtime

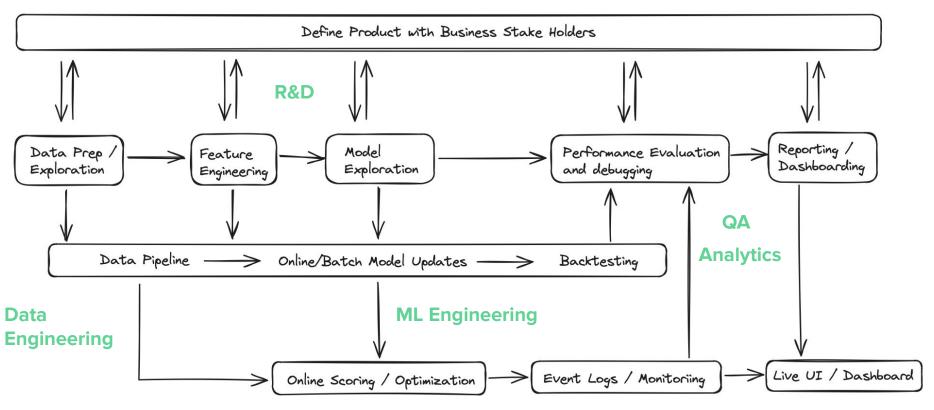


### What even is Data Science?



### Specializations / Related Roles

#### **Product Owner**



**Software Engineering** 

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### What Is Ad Tech?

Advertising technology

The set of tools, analyses, algorithms, strategies, etc used to target and serve ads on the internet

What kinds of companies are in the "Ad Tech" space?

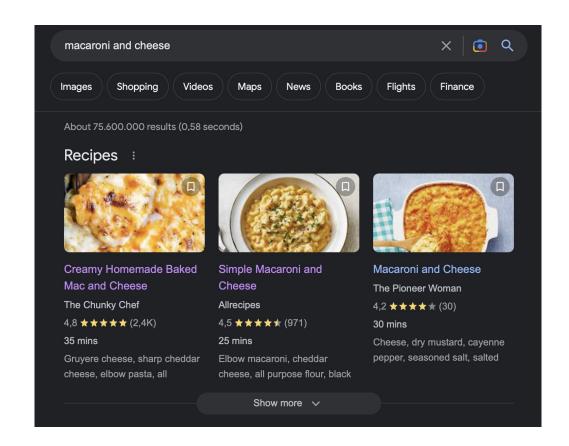
Search Engines: Google, Yahoo, Bing

**Media and Merchandising:** Facebook, Amazon, BuzzFeed, websites that monetize via ads, etc.

**Ad Trading, Tools and Optimization:** Critio, MediaMath, AdRoll, The Trade Desk, Rubicon, etc.

## Example

Anyone cook with online recipes?

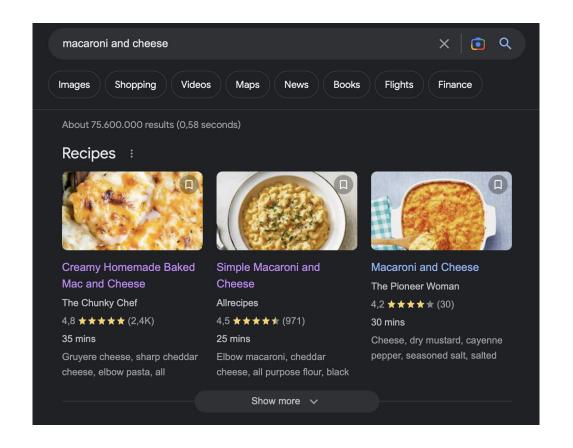


### Example

Anyone cook with online recipes?

### Strategies to Increase Revenue:

- → place higher valued ads
- → place "clickier" ads
- → modify engagement
- → increase traffic



### **Useful Metrics**

Impression = An object of interest (e.g. an ad) was displayed
Click = An object of interest was clicked

Click-Through-Rate (CTR) = Clicks / Impressions
Revenue Per Click (RPC) = Revenue / Clicks
Revenue Per Impression (RPI) = Revenue / Impressions

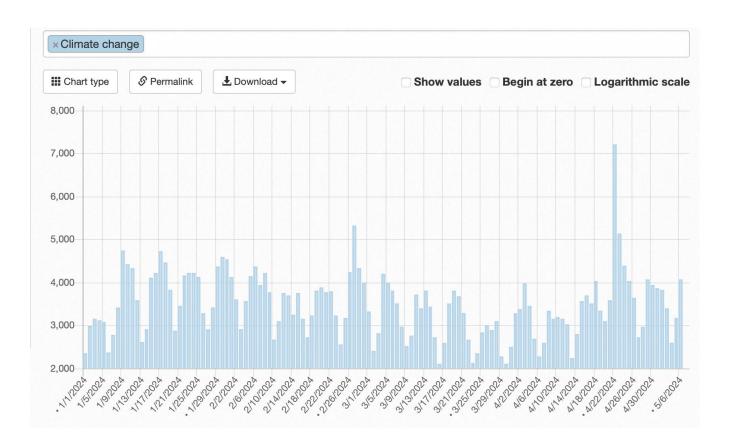
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  - **♦** Intro
  - ARIMA
  - Exponential Smoothing

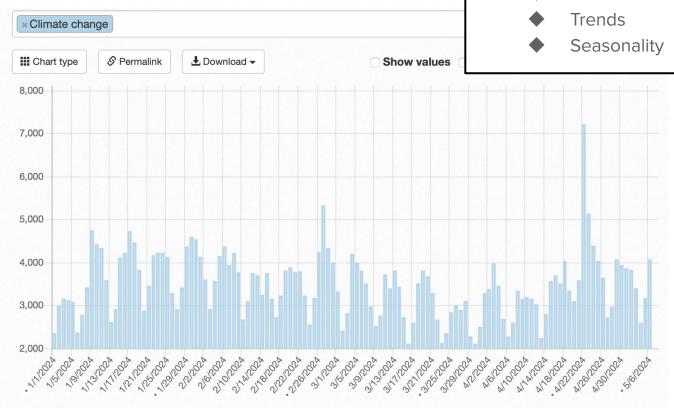
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### Time Series



### Time Series



What is special about time-series?

- Order matters
- Autocorrelation

### How Can Time Series Be Modeled?

#### There are many strategies:

- Classical Time Series Models
- Fourier / Spectral Analysis
- Signal Processing
- Neural Networks / Deep Learning
- Structural / Hierarchical Models
- And many more: <a href="https://en.wikipedia.org/wiki/Time\_series#Tools">https://en.wikipedia.org/wiki/Time\_series#Tools</a>

We should choose based on the problem we are trying to solve.

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Stationary vs Non-stationary Time Series

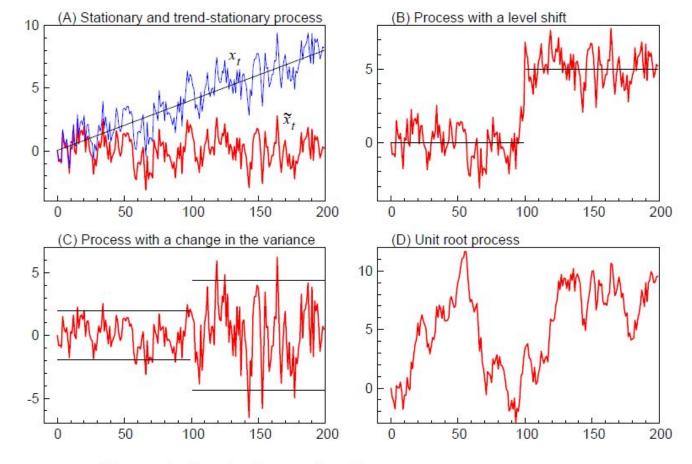


Figure 1: Simulated examples of non-stationary time series.

## Stationary vs Non-stationary Time Series

The mean, variance and autocorrelation of stationary data do not change over time.

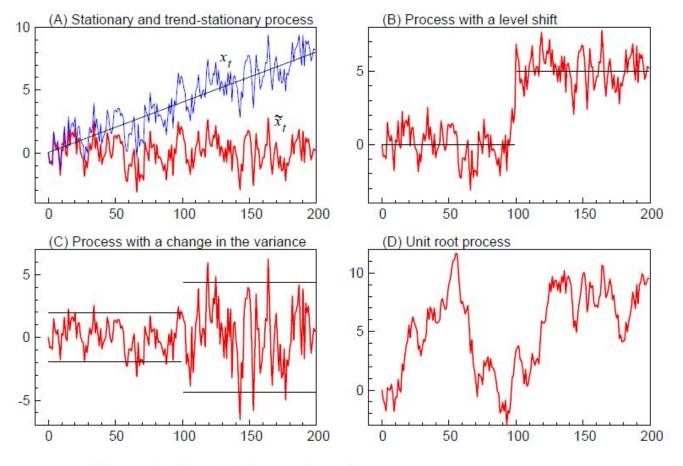


Figure 1: Simulated examples of non-stationary time series.

## Models of Stationary Data

### Autoregressive Models (AR)

- Current value depends on preceding values
- E.g. Temperature

$$X_t = c + \sum_{i=1}^p arphi_i X_{t-i} + arepsilon_t$$

### Moving Average Model (MA)

- Current value depends on previous errors
- E.g. Demand for a product

$$X_t = \mu + arepsilon_t + \sum_{i=1}^q heta_i arepsilon_{t-i}$$

## Models of Stationary Data

#### Autoregressive Models (AR)

- Current value depends on preceding values
- E.g. Temperature

$$X_t = c + \sum_{i=1}^p arphi_i X_{t-i} + arepsilon_t$$

AR + MA = ARMA: 
$$X_t = c + arepsilon_t + \sum_{i=1}^p arphi_i X_{t-i} + \sum_{i=1}^q heta_i arepsilon_{t-i}$$

Moving Average Model (MA)

- Current value depends on previous errors
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$$X_t = \mu + arepsilon_t + \sum_{i=1}^q heta_i arepsilon_{t-i}$$

## Modeling Non-Stationary Data

#### **ARIMA**

- → ARMA with "differencing" transformations to make it stationary.
- → Differencing:
  - ◆ Literally subtracting the previous value from the next one:

$$y_t' = y_t - y_{t-1}$$

• Can also be used to account for seasonality:

$$y_t' = y_t - y_{t-m}$$

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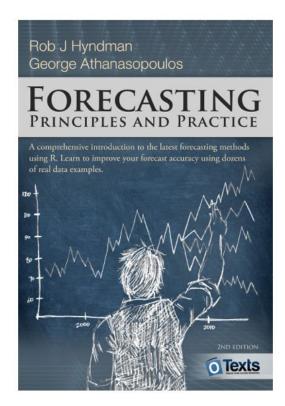
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## Simple Exponential Smoothing

The forecast is simply a weighted average of past observations:

$$\hat{y}_{T+1|T} = \alpha y_T + \alpha (1-\alpha) y_{T-1} + \alpha (1-\alpha)^2 y_{T-2} + \cdots,$$

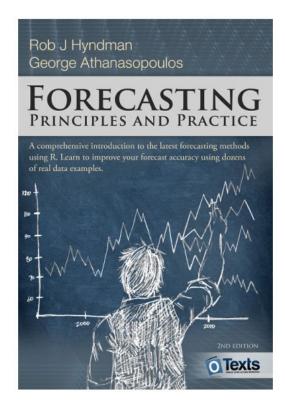


## Simple Exponential Smoothing

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Since alpha is between 0 and 1, the weights decay exponentially as time points get older.



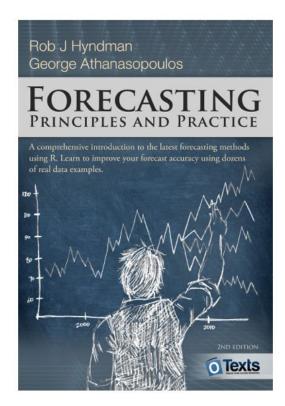
## Simple Exponential Smoothing

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$$\hat{y}_{T+1|T} = \alpha y_T + \alpha (1-\alpha) y_{T-1} + \alpha (1-\alpha)^2 y_{T-2} + \cdots,$$

This can also be written in component form:

$$\hat{y}_{t+h|t} = \ell_t$$
  
$$\ell_t = \alpha y_t + (1 - \alpha)\ell_{t-1},$$

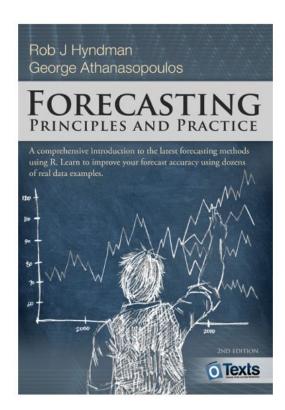


## Adding a Trend

Simple exponential smoothing doesn't model trend or seasonality.

We can add a slope component to model trend:

$${\hat y}_{t+h|t} = \ell_t + h b_t$$

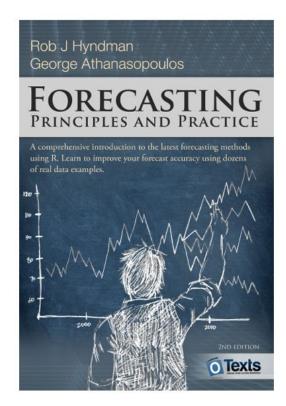


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$$egin{aligned} {\hat y}_{t+h|t} &= \ell_t + h b_t \ \ell_t &= lpha y_t + (1-lpha)(\ell_{t-1} + b_{t-1}) \end{aligned}$$

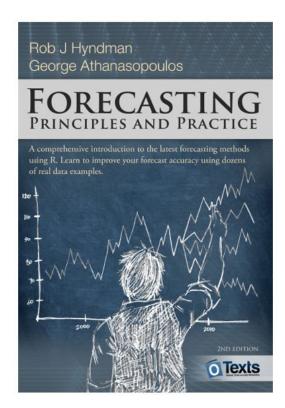


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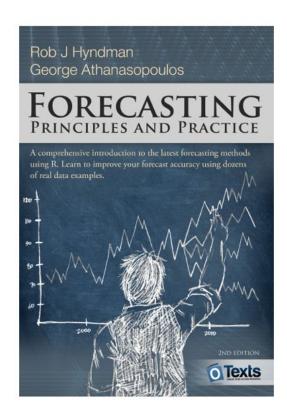
## Adding Seasonality

Seasonality can be added similarly:

$$\begin{split} \hat{y}_{t+h|t} &= \ell_t + hb_t + s_{t+h-m(k+1)} \\ \ell_t &= \alpha(y_t - s_{t-m}) + (1 - \alpha)(\ell_{t-1} + b_{t-1}) \\ b_t &= \beta^*(\ell_t - \ell_{t-1}) + (1 - \beta^*)b_{t-1} \\ s_t &= \gamma(y_t - \ell_{t-1} - b_{t-1}) + (1 - \gamma)s_{t-m}, \end{split}$$

The  $s_t$  component is estimated using what's left after removing the overall level and trend.

This is the Holt-Winters Additive Model.



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### **Demo - Introduction**

We want to decide what type of ad to place on this gem of a website.

We have click and revenue data for three different options. We can use time series models to inform our selection.



HowStuffWorks / Animals / Pets / Other Pets

## Getting a Pet Rabbit? 4 Things to Know First

By: Jesslyn Shields





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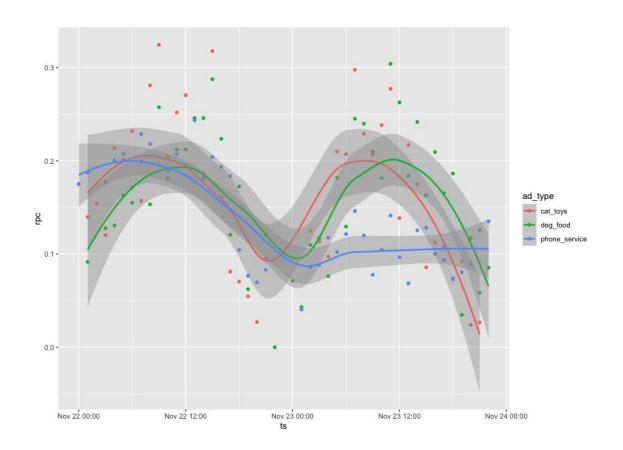
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### **Optimization Considerations**

Which ad might we want to show when?

How often might we want to update the model?

What will the training data look like next time we run the forecast?



## Goodhart's Law

When a measure becomes a target it ceases to be a good measure.

The new optimization/feature will shape the data.

When you exploit one option, you will lose information about the alternatives. [Explore-Exploit Dilemma]

Related Topics: Reinforcement Learning, Bandit Algorithms

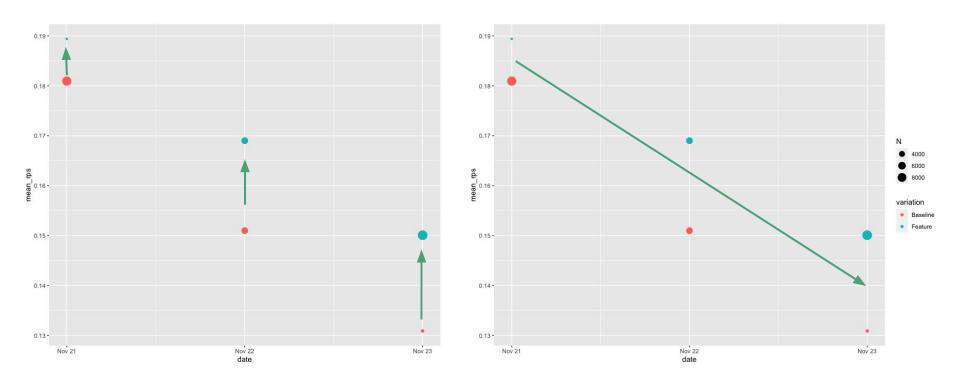
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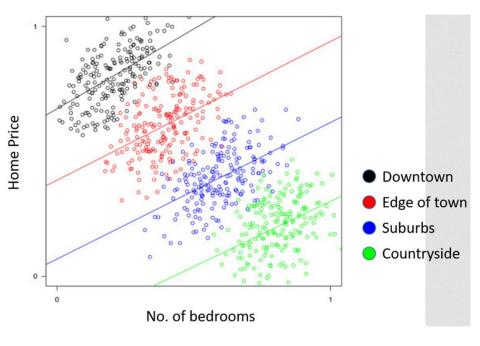
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## There are two opposite trends...



What is the effect of sending sending more traffic to the new feature?

## Simpson's Paradox





## Thank You!