# **Project 1 - Regression Model Stock Predictor**

## **Objective**

Stock investiment is probably one of the hardest investment to master because of the unpredictable natural of stock market. Experts have studied the market and derived several technical analysis for predicting stuck market. Unfortunately, most of the technical analysis are quite complex and not many people know how to use them. Even people with good understanding of the technical analysis would need to spend a considerable amount of time analyzing the data before reaching a reasonable confident conclusion. The objective of this project is to train a regression model based on the available historical stuck price. Once the model is trained, the user should be able to provide the current stock price and get the prediction of the price for the next 30 days using the model.

#### Goals

The goal of this project is to analysis the available historical stock price data and use the data to train a regression model for predicting the stock price of the next 30 days.

## **Project Outline**

The project has 3 steps:

- 1. Explore and analyze the dataset
- 2. Modify and prepare the dataset for training
- 3. Evaluate various regression model and compare their performance

#### 1. Explore and analyze the dataset

Download the dataset from Quandl if it is not available in local disk. Note: For this project, AAPL stock price is used since it is one of the few stock price that QuandI provide for free

```
In [1]: import os
        import quandl
        import pandas as pd
        quandl.ApiConfig.api_key = "nVD4QZoCjEQijoM1Pvzz"
        # download data from quandl and save it in a csv file if the file does n
        ot exist
        if not os.path.exists('data/AAPL.csv'):
            data = quandl.get_table("WIKI/PRICES", qopts={'columns': ['ticker',
        'date', 'adj_close', 'adj_volume']},
                                     ticker=AAPL, paginate=True)
            if data.shape[0] > 1:
                data.to_csv('data/AAPL.csv', '\t')
        # read the data from csv file
        df = pd.read csv('data/AAPL.csv', usecols=['date', 'adj close'], delimit
        er='\t', header=0,
                         index_col='date', parse_dates=True)
        df.head()
```

Out[1]:

	adj_close
date	
2018-03-27	168.340
2018-03-26	172.770
2018-03-23	164.940
2018-03-22	168.845
2018-03-21	171.270

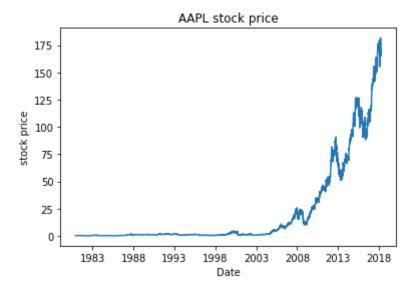
In [2]: # check dataset's shape and info to see if cleaning is required df.shape

Out[2]: (9400, 1)

In [3]: df.info()

```
<class 'pandas.core.frame.DataFrame'>
DatetimeIndex: 9400 entries, 2018-03-27 to 1980-12-12
Data columns (total 1 columns):
adj close
             9400 non-null float64
dtypes: float64(1)
memory usage: 146.9 KB
```

```
# above info shows that there is no null value and the dataset is clean
# The line plot of the dataset is created which shows the tread of the d
ataset
import matplotlib.pyplot as plt
df.sort_index(inplace=True)
plt.plot(df)
plt.title('AAPL stock price')
plt.xlabel('Date')
plt.ylabel('stock price')
plt.show()
```



In [5]: df.describe()

Out[5]:

	adj_close
count	9400.000000
mean	21.567664
std	39.271266
min	0.161731
25%	0.922730
50%	1.437445
75%	20.294924
max	181.720000

### 2. Modify and prepare the dataset for training

As shown in the plot above, the data has an increasing trend. To make a better prediction, we can remove the tread by differencing

```
In [6]: from pandas import Series
        def difference(dataset, interval=1):
            diff = list()
            for i in range(interval, len(dataset)):
                value = dataset[i] - dataset[i - interval]
                diff.append(value)
            return Series(diff)
        raw_values = df.values
        diff_series = difference(raw_values, 1)
        diff_values = diff_series.values
        diff_values = diff_values.reshape(len(diff_values), 1)
        print(diff_values[:5])
        print(diff_values[-5:])
        [[array([-0.02205422])]
         [array([-0.02940563])]
         [array([ 0.00911574])]
         [array([ 0.01117414])]
         [array([ 0.02381856])]]
        [[array([-3.97])]
         [array([-2.425])]
         [array([-3.905])]
         [array([ 7.83])]
         [array([-4.43])]]
```

As shown in the output above, the diff\_values still has a large range. This can degrade the predictive performance of many machine learning algorighms. Unscaled data can also slow down or even prevent the convergence of many gradient-based estimators. Many estimators are designed with the assumption that each feature takes values close to zero. There are many differenct scalers. For this project, MinMaxScaler that rescale values to -1, 1 is used

```
In [7]: from sklearn.preprocessing import MinMaxScaler
        # rescale values to -1, 1
        scaler = MinMaxScaler(feature_range=(-1, 1))
        scaled_values = scaler.fit_transform(diff_values)
        scaled values = scaled values.reshape(len(scaled values), 1)
        print(scaled values[:5])
        print(scaled_values[-5:])
```

```
[[ 0.02246711]
[ 0.02155191]
[ 0.02634758]
[ 0.02660384]
[ 0.02817799]]
[[-0.46902807]
[-0.27668499]
[-0.46093597]
[-0.52629527]
```

/Users/allenliu/anaconda3/lib/python3.6/site-packages/sklearn/utils/val idation.py:475: DataConversionWarning: Data with input dtype object was converted to float64 by MinMaxScaler.

warnings.warn(msg, DataConversionWarning)

The stock prediction is a multi-step forecast problem. For a given time step, the model is required to make the next 30 day prediction. That is given t-1, forecast t, t+1, t+2... t+30. A key function to help transform time series data into multi-step forecast problem is the shift() function. By shifting the input (X) by -1 for 30 times, we can mimic the 30 days forecast.

i.e.

```
Х
    y1 y2 y3 .... y30
    t+1 t+2 t+3 .... t+30
```

```
In [8]: from pandas import DataFrame
        from pandas import concat
        # convert time series into multi-step problem
        def series_to_supervised(data, n_in=1, n_out=1, dropnan=True):
            n vars = 1 if type(data) is list else data.shape[1]
            df = DataFrame(data)
            cols, names = list(), list()
            # input sequence (t-n, ... t-1)
            for i in range(n_in, 0, -1):
                cols.append(df.shift(i))
                 names += [('var%d(t-%d)' % (j + 1, i)) for j in range(n_vars)]
             # forecast sequence (t, t+1, ... t+n)
            for i in range(0, n out):
                cols.append(df.shift(-i))
                 if i == 0:
                     names += [('var*d(t)' * (j + 1))  for j in range(n_vars)]
                 else:
                     names += [('var%d(t+%d)' % (j + 1, i))  for j  in range(n_vars
        ) ]
            # put it all together
            agg = concat(cols, axis=1)
            agg.columns = names
            # drop rows with NaN values
            if dropnan:
                 agg.dropna(inplace=True)
            return agg
        supervised = series to supervised(scaled values, 1, 30)
        supervised values = supervised.values
        print(supervised values.shape)
        print(supervised values)
        (9369, 31)
        [[ 0.02246711  0.02155191  0.02634758 ...,  0.02429752  0.02475512
           0.023382321
         [ 0.02155191 \quad 0.02634758 \quad 0.02660384 \quad \dots, \quad 0.02475512 \quad 0.02338232 
           0.023144361
         0.022247461
         . . . ,
         [-0.50015155 \quad 0.10613377 \quad 0.86430164 \dots, -0.46902807 \quad -0.27668499]
          -0.46093597]
         [ 0.10613377 \ 0.86430164 \ 0.22813779 \ \dots, \ -0.27668499 \ -0.46093597 \ 1.
         \begin{bmatrix} 0.86430164 & 0.22813779 & 0.40242926 & \dots, & -0.46093597 & 1. & -0.5 \end{bmatrix}
        2629527]]
```

Next, we can split the data into training and test sets. Set n\_test = 3700

```
In [9]: n_{\text{test}} = 3700
         train, test = supervised values[0:-n test], supervised values[-n test:]
```

```
In [10]: | #reshape training into X,y
         X, y = train[:, 0:1], train[:, 1:]
         print(X[0])
         print(y[0])
         [ 0.02246711]
         [0.02155191 \quad 0.02634758 \quad 0.02660384 \quad 0.02817799 \quad 0.02773869]
                                                                         0.0275007
           0.02817799 0.03070396 0.02612793 0.02360197 0.02340062
                                                                         0.0258899
           0.02383992 0.02246711 0.02270506 0.02405957 0.0281963
                                                                         0.0247368
           0.02316267 0.02545068 0.02634758 0.02475512
                                                            0.0286356
                                                                         0.0234006
         2
           0.02634758 0.02588998 0.02499308 0.02429752 0.02475512
                                                                         0.0233823
         2 ]
```

#### 3. Evaluate various regression model and compare their performance

#### 1. SVR Model

First, train the SVR model and evaulate it's performance. To determine the best parameter for the SVR, GridSearchCV is used. Since this is a multi-step forcast problem, MultiOutputRegressor is used as a wrapper to extend SVR that does not natively support multi-target regression.

```
In [11]: from sklearn.model selection import GridSearchCV
         from sklearn.svm import SVR
         from sklearn.multioutput import MultiOutputRegressor
         Cs = [0.001, 0.01, 0.1, 1, 10]
         gammas = [0.001, 0.01, 0.1, 1]
         kernels = ['linear','poly','rbf','sigmoid']
         param grid = {'estimator C': Cs, 'estimator gamma': gammas, 'estimator
          kernel': kernels }
         regr = MultiOutputRegressor(SVR())
         grid search = GridSearchCV(regr, param grid)
         grid search.fit(X, y)
         print(grid search.best params )
         {'estimator C': 10, 'estimator gamma': 1, 'estimator kernel': 'rbf'}
In [12]: model = MultiOutputRegressor(SVR(C=10, gamma=1)).fit(X,y)
```

Using the trained model, we can make prediction using the test data

```
def make_forecasts(model, test):
    forecasts = list()
    for i in range(len(test)):
        X, y = test[i, 0:1], test[i, 1:]
        # make forecast
        forecast = forecast_svr(model, X)
        # store the forecast
        forecasts.append(forecast)
    return forecasts
def forecast svr(model, X):
    X = X.reshape(1, len(X))
    forecast = model.predict(X)
    # convert to array
    return [x for x in forecast[0, :]]
forecasts = make forecasts(model, test)
print(forecasts[0])
```

0.01779804067192628, -0.016355577546203461, -0.016765930048189, -0.016668930048189, -0.01668930048189, -0.01668930048189, -0.01668930048189, -0.01668930048189, -0.01668930048189, -0.01689004892034368589714, -0.019853215052171649, -0.023605966456182566, -0.0158334 93557284851, -0.02213598322073182, -0.017267404154887062, -0.0175698583 56476536, -0.016163867990052899, -0.014115489282952934, -0.017677271316 784121, -0.020336958922423924, -0.018699210066458485, -0.01251698096353 7719, -0.018448041424192346, -0.019653691169197379, -0.0190609343402392 41, -0.017770560727786502, -0.017797989111241669, -0.02077933593805526 8, -0.019028017164611791, -0.019002138089551757, -0.022170121115243982,-0.016213327368827905, -0.015130754293692511]

After the forecasts have been made, we need to invert the transforms to return the values back into the original scale. This is needed so that we can calculate error scores and plots that are comparable with the actual test output.

```
In [14]: from numpy import array
         def inverse_transform(series, forecasts, scaler, n_test):
             inverted = list()
             for i in range(len(forecasts)):
                 # create array from forecast
                 forecast = array(forecasts[i])
                 forecast = forecast.reshape(1, len(forecast))
                 # invert scaling
                 inv_scale = scaler.inverse_transform(forecast)
                 inv scale = inv scale[0, :]
                 # invert differencing
                 index = len(series) - n_test + i - 1
                 last ob = series.values[index]
                 inv_diff = inverse_difference(last_ob, inv_scale)
                 # store
                 inverted.append(inv diff)
             return inverted
         # invert differenced forecast
         def inverse difference(last ob, forecast):
             # invert first forecast
             inverted = list()
             inverted.append(forecast[0] + last_ob)
             # propagate difference forecast using inverted first value
             for i in range(1, len(forecast)):
                 inverted.append(forecast[i] + inverted[i - 1])
             return inverted
         forecasts = inverse transform(df, forecasts, scaler, n test + 2)
         print(forecasts[0])
```

```
[array([ 0.99817699]), array([ 0.65313024]), array([ 0.29598473]), arra
y([-0.04950019]), array([-0.38339851]), array([-0.72059298]), array([-
1.05661804]), array([-1.4186112]), array([-1.81074842]), array([-2.1404
5308]), array([-2.52078262]), array([-2.8620052]), array([-3.2056572
5]), array([-3.53801565]), array([-3.8539204]), array([-4.19843525]), a
rray([-4.56431409]), array([-4.91703769]), array([-5.22010239]), array
([-5.57080846]), array([-5.93119894]), array([-6.28682809]), array([-6.
63209229]), array([-6.9775768]), array([-7.34700905]), array([-7.702373
79]), array([-8.05753066]), array([-8.43813442]), array([-8.7708901]),
array([-9.09494999])]
```

Get the actual test target and transform the data to their original scale

```
In [15]: | actual = [row[1:] for row in test]
         actual = inverse transform(df, actual, scaler, n test + 2)
```

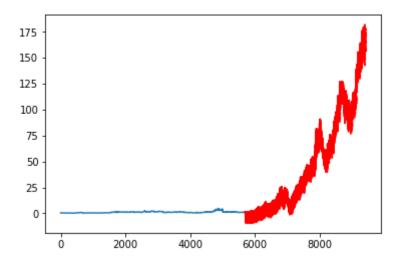
Evaluate the RMSE for each forecast time step

```
In [16]: from math import sqrt
         from sklearn.metrics import mean squared error
         def evaluate_forecasts(test, forecasts, n_lag, n_seq):
             for i in range(n_seq):
                 actual = [row[i] for row in test]
                 predicted = [forecast[i] for forecast in forecasts]
                 rmse = sqrt(mean squared error(actual, predicted))
                 print('t+%d RMSE: %f' % ((i + 1), rmse))
         evaluate forecasts(actual, forecasts, 1, 30)
```

```
t+1 RMSE: 1.213634
t+2 RMSE: 1.647081
t+3 RMSE: 2.128069
t+4 RMSE: 2.626768
t+5 RMSE: 2.991953
t+6 RMSE: 3.371821
t+7 RMSE: 3.812751
t+8 RMSE: 4.222598
t+9 RMSE: 4.781010
t+10 RMSE: 5.132431
t+11 RMSE: 5.510405
t+12 RMSE: 5.948555
t+13 RMSE: 6.316946
t+14 RMSE: 6.722795
t+15 RMSE: 7.058245
t+16 RMSE: 7.463258
t+17 RMSE: 7.826017
t+18 RMSE: 8.209595
t+19 RMSE: 8.592708
t+20 RMSE: 9.047438
t+21 RMSE: 9.449130
t+22 RMSE: 9.877070
t+23 RMSE: 10.298055
t+24 RMSE: 10.730791
t+25 RMSE: 11.114181
t+26 RMSE: 11.577285
t+27 RMSE: 12.035677
t+28 RMSE: 12.392909
t+29 RMSE: 12.724031
t+30 RMSE: 13.123339
```

Plot the forecast aginst the original dataset

```
In [17]: def plot_forecasts(series, forecasts, n_test):
             # plot the entire dataset in blue
             plt.plot(series.values)
             # plot the forecasts in red
             for i in range(len(forecasts)):
                 off_s = len(series) - n_test + i - 1
                 off_e = off_s + len(forecasts[i]) + 1
                 xaxis = [x for x in range(off s, off e)]
                 yaxis = [series.values[off_s]] + forecasts[i]
                 plt.plot(xaxis, yaxis, color='red')
             # show the plot
             plt.show()
         plot forecasts(df, forecasts, n test + 2)
```



As shown in the graph above, there is large fluctuation in the forecast data compare with the actual data. However, the model is generally good as it can predict the correct trend of the stock price

#### 2. DecisionTreeRegressor Model

Second, let's train a DecisionTreeRegressor and see how it performes

```
In [18]: from sklearn.tree import DecisionTreeRegressor
         modelDTR = MultiOutputRegressor(DecisionTreeRegressor(random state=0)).f
         it(X,y)
```

forecastsDTR = make\_forecasts(modelDTR, test) print(forecastsDTR[0])

> 7576245486498598, 0.023918246144613187, 0.023256460975407824, 0.0231001 05138725593, 0.025754518180052251, 0.024598212225062741, 0.024078238163 543739, 0.026263583694828684, 0.023703711391957573, 0.02527454212326771 6, 0.025307267763498651, 0.025656341259345763, 0.02764533294921704, 0.0 25678158352837058, 0.025267269758768581, 0.023460087181317223, 0.027845 322972879016, 0.027078088518467033, 0.025176365202558625, 0.02445276493 5128532, 0.026699925564635272, 0.023278278068894816, 0.0252236355717894 02, 0.028067130090029892, 0.027398072556327681, 0.023798252130415861, 0.0275653369397546591

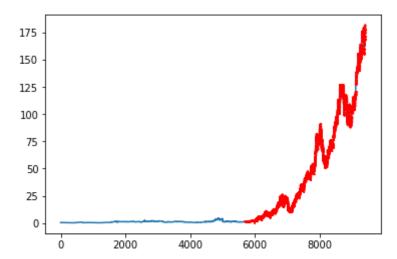
In [20]: forecastsDTR = inverse\_transform(df, forecastsDTR, scaler, n\_test + 2) print(forecastsDTR[0])

> [array([ 1.25502622]), array([ 1.26457715]), array([ 1.26808207]), arra y([ 1.28706709]), array([ 1.27666914]), array([ 1.26095539]), array([ 1.24398571]), array([ 1.24833766]), array([ 1.24340155]), array([ 1.234 28875]), array([ 1.24272978]), array([ 1.23060858]), array([ 1.2311051 1]), array([ 1.23186451]), array([ 1.23542785]), array([ 1.25496781]), array([ 1.2587064]), array([ 1.25914451]), array([ 1.24506639]), array ([ 1.26621278]), array([ 1.28119634]), array([ 1.28090426]), array([ 1. 27479985]), array([ 1.2867458]), array([ 1.2712073]), array([ 1.2712949 2]), array([ 1.29422298]), array([ 1.31177681]), array([ 1.30041501]), array([ 1.3193124])]

#### evaluate\_forecasts(actual, forecastsDTR, 1, 30)

```
t+1 RMSE: 1.059251
t+2 RMSE: 1.498298
t+3 RMSE: 1.824373
t+4 RMSE: 2.108605
t+5 RMSE: 2.375138
t+6 RMSE: 2.601160
t+7 RMSE: 2.798409
t+8 RMSE: 3.011196
t+9 RMSE: 3.228060
t+10 RMSE: 3.406364
t+11 RMSE: 3.572429
t+12 RMSE: 3.723011
t+13 RMSE: 3.868358
t+14 RMSE: 3.999081
t+15 RMSE: 4.143604
t+16 RMSE: 4.284882
t+17 RMSE: 4.421200
t+18 RMSE: 4.557767
t+19 RMSE: 4.699522
t+20 RMSE: 4.835123
t+21 RMSE: 4.990988
t+22 RMSE: 5.107230
t+23 RMSE: 5.230035
t+24 RMSE: 5.348993
t+25 RMSE: 5.456401
t+26 RMSE: 5.570900
t+27 RMSE: 5.660230
t+28 RMSE: 5.782262
t+29 RMSE: 5.896631
t+30 RMSE: 6.028059
```

#### plot forecasts(df, forecastsDTR, n test + 2) In [22]:



#### **Conclusion:**

Both SVR and DecisionTreeRegressor model can predict the trend of the stock price. However, DecisionTreeRegressor seems to perform better than SVR by comparing both the RMSE and the plot.