

PS7: Op-Amps

Wednesday, April 7, 2021 9:59 PM



PS7-OpAmp
s

PSet: Foundational Op-Amp Circuits

Goals: Learn how op-amps can be used to perform math operations on their inputs.

Learning objectives

- Apply the operational principles of op-amps to a feedback circuit;
- Derive mathematical relationships between V_{out} and V_{in} for simple op-amp feedback circuits;
- Formulate a name for the op-amp circuit blocks, based on your derived equations;
- Investigate the difference in V_{out} when tying the op-amp input reference to 2.5V v. 0V;
- Critique the benefit of using 2.5V v. 0V as an op-amp input reference.

 **Turn in these pages when you're done.**

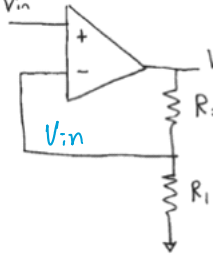
The following op-amp circuits function. We invite you to determine how each circuit functions and formulate a name for the function.

As an example, an *integrator* would produce a mathematical function that integrates the input:

$$\frac{-1}{RC} \int_0^T V_{in} \cdot dt = V_{out}$$

Your goal is to derive an equation that relates the inputs to the output. To get started, apply the rules for op-amps in feedback and use Ohm's law to figure out the current flow through each resistor.

- Inputs to the op-amp have zero current.
- $V_+ = V_-$ when we have negative feedback.



$$V_{in} = V_{out} \frac{R_2}{R_2 + R_1}$$

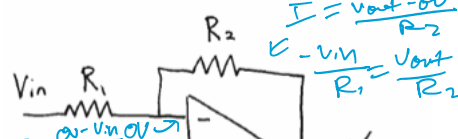
$$(R_2 + R_1) V_{in} = V_{out} R_2$$

$$\frac{(R_2 + R_1)}{R_2} V_{in} = V_{out}$$

$$V_{out} = V_{in} \frac{R_2 + R_1}{R_2}$$

Name: *Scalar*

$$I = \frac{\Delta V}{R}$$

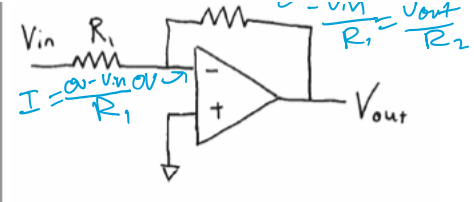
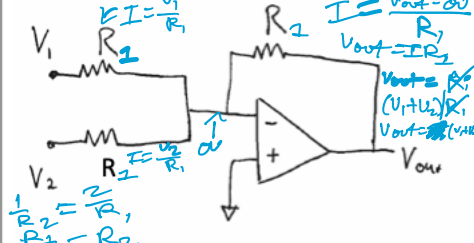
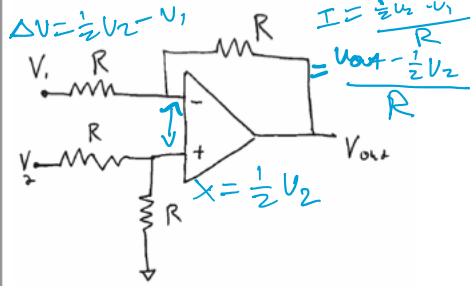
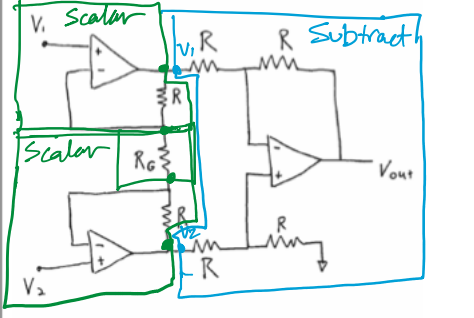


$$I = \frac{V_{out} - 0V}{R_2} = \frac{V_{out}}{R_2}$$

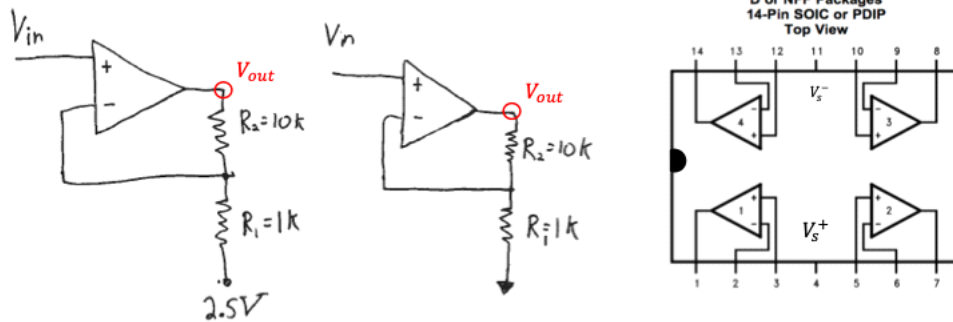
$$I = \frac{0V - V_{in}}{R_1} = \frac{-V_{in}}{R_1}$$

$$\frac{V_{out}}{R_2} = \frac{-V_{in}}{R_1}$$

$$V_{out} = -\frac{R_2}{R_1} V_{in}$$

	$V_{out} = -\frac{R_2}{R_1} V_{in}$ Name: <i>Scalar - Inverter</i>
	$V_{out} = -V_1 - V_2$ Name: <i>Adder</i>
	$V_{out} = V_2 - V_1$ $\frac{\frac{1}{2}V_2 - V_1}{R} = \frac{V_{out} - \frac{1}{2}V_2}{R}$ $\frac{1}{2}V_2 + \frac{1}{2}V_2 - V_1 = V_{out}$ Name: <i>Subtractor</i>
	<p>This is the challenge circuit</p> $V_{out} = \left(\frac{R+R_4}{R} \right) (V_2 - V_1)$ Name: Instrumentation amplifier

Now we ask you to **evaluate** two different op-amp configurations as shown in the figure below through measurements. You'll need a LMC6484 chip and an O-scope. Build both circuits.



Set up the **Scope** to monitor V_{in} with Channel 1 and V_{out} with Channel 2.



Make sure you have configured your circuit and hardware so that your computer, your breadboard and the Analog Discovery share a 0V reference.

For the **input**, we suggest you use **Wavegen** to produce a $\sim 100mV$ sinusoidal voltage of 1kHz, offset by a) 2.5V and then b) offset by 0V.

Work to understand how the reference point (2.5V or ground) changes the V_{out} response to the a) or b) input.



Explain any advantage of using 2.5V over 0V for these circuit configurations. There is no need to provide plots, just your thoughts.

Centering @ 2.5V ensures the wave @ 0V isn't w/ off @ 0V