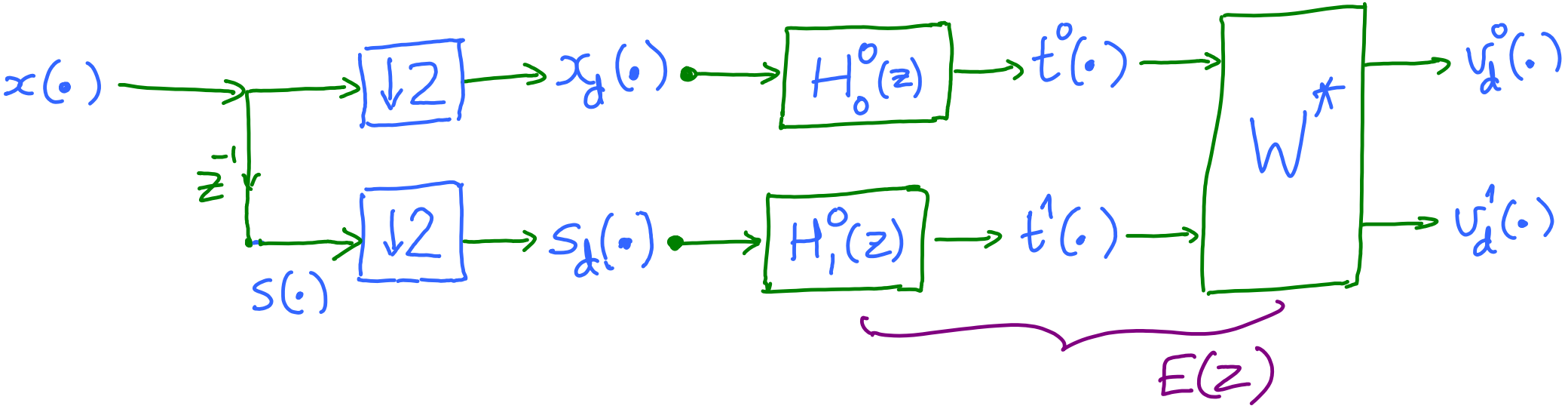
EE6133 Experiment-2

Note Title 05-11-2020

In this experiment, you will implement a 2-channel DFT-FB in polyphase form. The analysis FB has the structure



Note that $W^* = W = \begin{bmatrix} 1 & 1 \\ 1 & -1 \end{bmatrix}$.

$H_0^0(z)$ and $H_1^0(z)$ are the 2-polyphase components of the prototype $H^0(z)$.

$H^0(z)$ should be designed as an equiripple Type-2 Linear-Phase LPF, with $\omega_p = 0.45\pi$ and $\omega_s = 0.55\pi$. It is causal with support $[0, N]$.

After designing $H^0(z)$, identify $H_0^0(z)$ and $H_1^0(z)$ for use in the analysis and synthesis FBs.

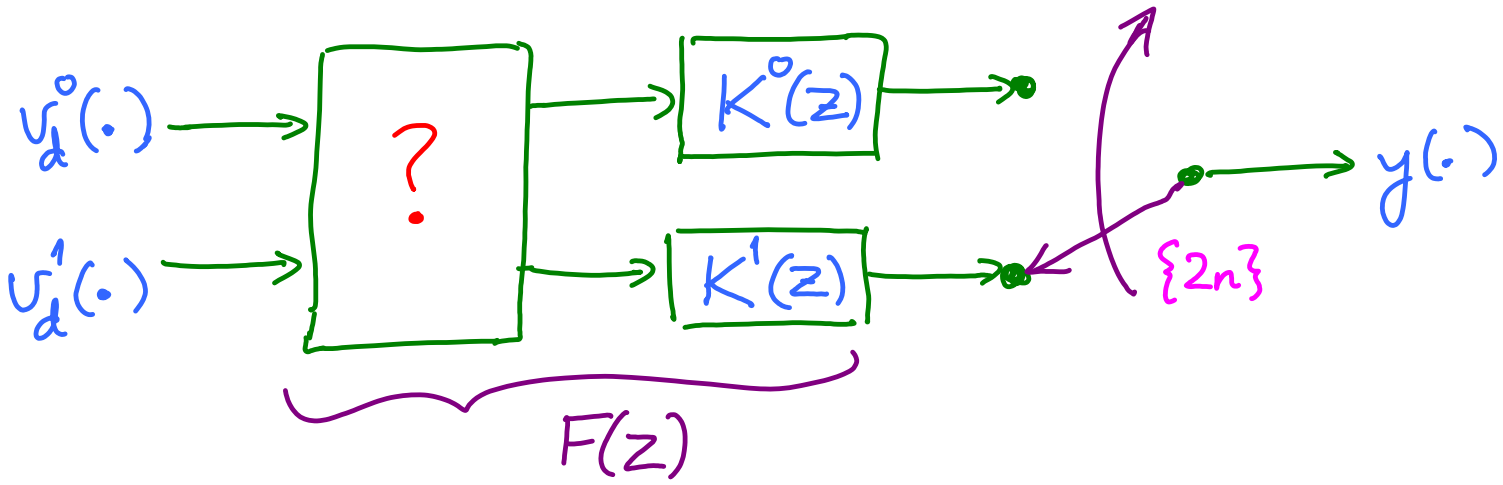
Assume that the input $x(\cdot)$ starts with $x(-1)$.

$s(0) = x(-1)$

$\Rightarrow$ The starting samples of $s(\cdot)$ and $s_d(\cdot)$ are $s(0)$ and $s_d(0)$.

$\Rightarrow$ All downstream signals $t^0(\cdot)$, $t^1(\cdot)$, $v_d^0(\cdot)$, $v_d^1(\cdot)$ start with index=0.

The synthesis FB has the structure discussed in Lecture-18:



Connect the outputs of the analysis FB to the inputs of the synthesis FB.

Let $K^0(z)$ and $K^1(z)$ be causal filters whose support starts at 0.

Then $V_d^0(\cdot)$, $V_d^1(\cdot)$ start with index 0 $\Rightarrow$ output $y(\cdot)$ also starts at 0.

You should position the synthesis commutator accordingly at the start of synthesis.

Implement the following choices for $K_0^0(z)$ and $K_0^1(z)$:

① $K_0^0(z) = H_1^0(z)$ and $K_0^1(z) = H_0^0(z)$ ($\Rightarrow$ No aliasing, but not PR)

Plot the resulting $T_{zp}(\omega)$ (as derived in Lecture-19) on a linear scale for $0 \leq \omega \leq \pi$.

② $K_0^0(z) = H_0^0(z)$ and $K_0^1(z) = H_1^0(z)$

This is an intentionally bad choice, which results in aliasing.

Determine the FB output for each of these 2 choices, for each of the 2 given input clips. Compare (informally) the outputs for each input clip.

[End]