

Problem set 2

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Problem 1, Regular languages

- a) Convert the regular expression $a(b|c)d^*e$ to an NFA

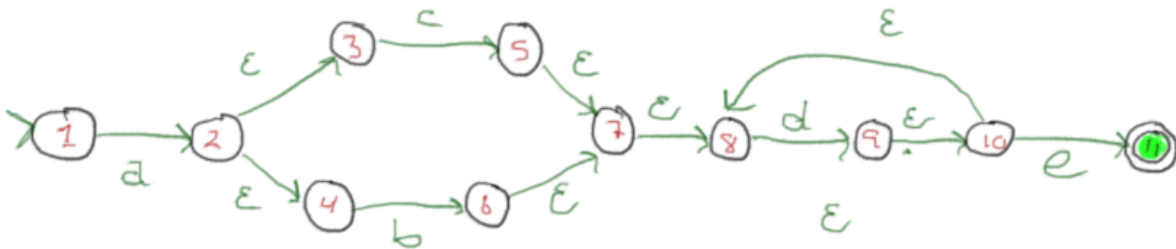


Figure 1: $a(b|c)d^*e$ as NFA

1. b) Convert the NFA in figure 1 to an equivalent DFA

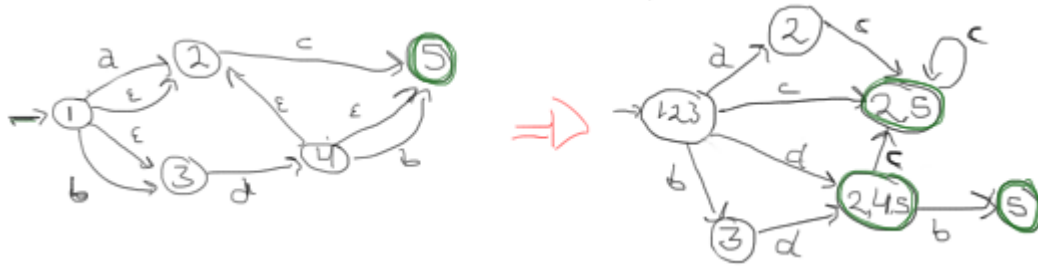


Figure 2: NFA from Fig.1 converted to DFA.

The following support tables were used during the “calculation”

	a	b	c	d	ϵ^*
-> 1	2	3	-	-	{1,2,3}
2	-	-	{2,5}	-	2
3	-	-	-	4	3
(5)	-	-	-	-	5
4	-	5	-	-	{2,4,5}

	$a\epsilon^*$	$b\epsilon^*$	$c\epsilon^*$	$d\epsilon^*$
-> {1,2,3}	2	3	{2,5}	{2,4,5}
2	-	-	{2,5}	-
3	-	-	-	{2,4,5}
(2,5)	-	-	{2,5}	-
(2,4,5)	-	5	{2,5}	-
(5)	-	-	-	-

1. c) Flex program>

The problem is with nested curly braces. The following code would give a match, but would terminate early:

```
while(something){  
    if(something){  
        //do stuff;  
    }  
}
```

This would remove everything up to the first closing brace, and leave the rest. To solve this we have to keep track of how many braces we have “opened”.

Problem 2, Grammars

2. a) What is an ambiguous grammar?

An ambiguous grammar is a grammar where there exists a string that has multiple leftmost derivations.

2. b)

Yes. The string mvmp can be derived in (at least) the following two ways:

First way:

```
S -> NvN  
NvN -> mvN  
mvN -> mvmp
```

Second way:

```
S -> Sp  
Sp -> NvNp  
NvNp -> mvNp  
mvNp -> mvmp
```

2. c)

A left recursive grammar is a grammar that contains a non-terminal N with either immediate or indirect productions that begins with N again. In other words: A grammar that contains a non-terminal that expands to itself (optionally through a chain of other non-terminals).

2. d)

Yes, because of the production $S \rightarrow Sp$.