

Data Structures

- Combination of 4 bits \Rightarrow nipple
- 2^n different things can be given unique binary code using ' n ' bits

2's complement notation

unsigned int works on this funda.

$$\begin{array}{r} 9 \rightarrow 00001001 \\ \Rightarrow -9 \quad \text{take complement of all} \\ \quad \quad \quad + \text{ add } 1 \end{array}$$

$$\begin{array}{r} 1111 \quad 0110 \\ +1 \\ \hline 1111 \quad 0111 \end{array} \rightarrow \text{This is } -9 \text{ in } 2\text{'s complement notation.}$$

So for -0 ?

$$\begin{array}{r} 0000 \quad 0000 \\ \text{destroyed } 1111 \quad +1 \\ \textcircled{0} \quad 1111 \quad 1111 \\ +1 \\ \hline 0000 \quad 0000 \end{array}$$

Most significant bit is 0 \rightarrow +ve number
1 \rightarrow -ve number.

Range of 8 bit
signed number.
 -2^7 to $2^7 - 1$

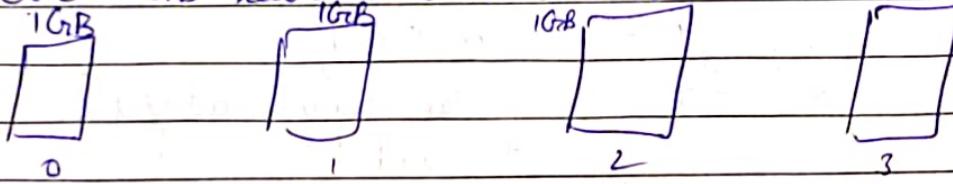
$$0111\ 1111 \rightarrow 127$$

$$1000\ 0000 \rightarrow -128$$

see it from 2's complement notation

Q. why Padding is used? (32 bit)

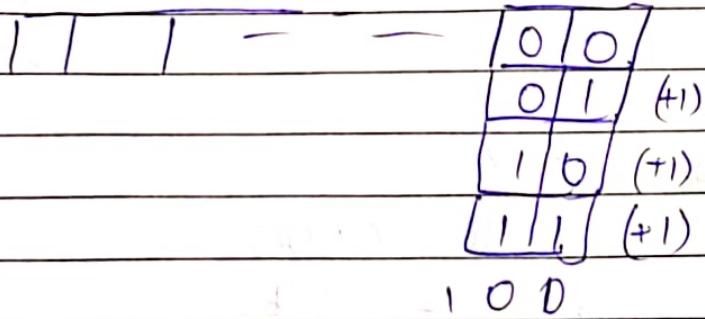
Our 40 kB ram is divided into 4 banks 1GB.



Now when address starts with 00 it takes

30 bits from 0

80 bits →



If we start from bank 1, on 4th byte, address changes so we need to manually change that.
This causes delay. That's why padding is needed.

Q.

Initial intel processors, 8080, 8085, etc are ISA.

— / — / —
1310

Local variables → stack memory.
Global variable → heap memory.

```
int x;  
int *xptr;  
x = 10;  
xptr = &x;  
int **aptr = &xptr;
```

2004	0000	01010
2005	0000	00000
2006	0000	00000
2007	0000	00000
2008	2004	
2009	2004	
2010	2004	
2011	2004	
2012	2004	
2013	2004	

Little Endian

Lowest byte is stored at lower address.

eg for n - (32bit)

$10 = 00\text{---}000\ 1010$

A diagram illustrating a 32-bit memory location. The address bus is shown above the memory cell, with the value "110" written next to it. The data bus is shown below the memory cell, with the value "123" written next to it. The memory cell itself contains the binary value "10100011001000110010001100100011". Below the address bus, the text "highest byte" is written, and below the data bus, the text "lowest byte" is written.

\Rightarrow 2004 gets 0000 1010

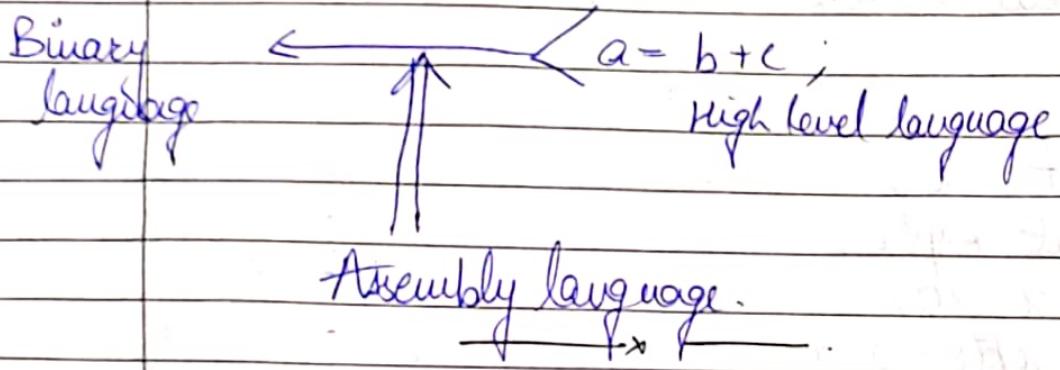
Big Endian

Higher order byte is stored at lower address.
Internet follows this.

Why do we use pointers?

Pointers helps in indirect addressing. (Dynamic memory allocation).

Extra



Self referential structure

A structure which has a pointer to same structure as a data type i.e. a structure which points to itself
eg

```
struct cde
{
    int data;
    struct cde * pte;
};
```

```
struct cde mystuct; // mystuct.data = 10;
struct cde * sptc; // sptc → data = 10;
```

* Memory Allocation

⇒ Static memory allocation

Memory allocated during compilation.

⇒ Dynamic memory allocation

Memory allocated during the time of execution.

Default value of global variable = 0.
Default value of local variable \Rightarrow garbage.

C++ \rightarrow using 'new' & 'delete' keywords.

C \rightarrow malloc()

NOTE: default return type of malloc() is
(void *)

~~= malloc (10 * sizeof(int));~~

This statement requests

int * xptr;

$\gg xptr = \text{typecast.}$ (int *) malloc (sizeof (int))

malloc basically returns a pointer which can access memory of sizeof(int)

Q. What is a data structure?

It is the way to organize the data in the memory of computers so that we can access it in an efficient manner.

Types : i) Linear
~~eg queue, stack.~~ ii) Non-linear
~~eg tree~~

* Queue.

Operations that can be performed.

i. Enqueue : Adding a new element

ii. Dequeue : Removing an element.

Queue works on First in First out system. (FIFO)

$$\rightarrow \text{Logical AND} (x \& y) \quad \left| \begin{array}{l} \text{anything} \\ \geq 0 \text{ (excluding 0)} \end{array} \right. \quad \left| \begin{array}{l} \text{is true} \\ \text{This gives true.} \end{array} \right.$$

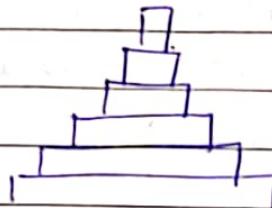
~~Logical AND ($x \& y$)~~

Bitwise AND (~~$x \& y$~~)

$$\begin{array}{r} 0000 \\ 000 \\ \hline 000 \end{array} + \begin{array}{r} 0001 \\ 0010 \\ \hline 0000 \end{array} \rightarrow 0 \rightarrow \text{false}$$

*

Stacks



Stack works on Last in first out (LIFO) Principle.

#

i. Operations that can be performed.

- i) Push: adding in a element.
- ii) Pop: removing an element.

⇒

Ways of implementation

Static memory Allocation

Array

Dynamically growing.

by allocating memory at runtime

e.g. linked list

Q. What is the disadvantage of dynamic memory allocation?

i) Complex

ii) Allocated memory is non-contiguous.

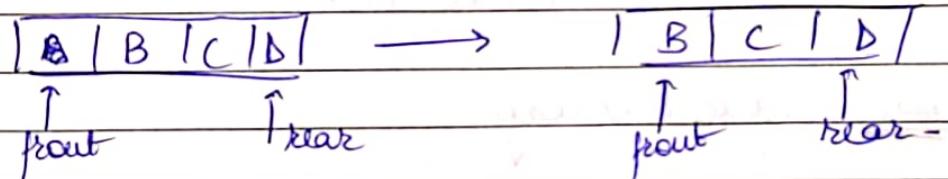
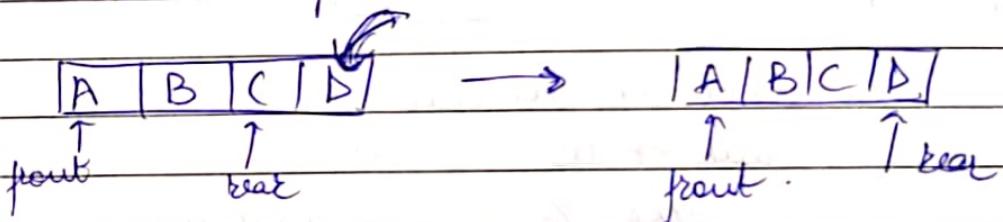
So the new elements have to be linked with already present elements of structure.

* Static Size Implementation

Queue

Create 2 variables: front
rear.

- 'front' is updated when element is deleted.
- 'rear' is updated when new element is added.



⇒ We need the following things to be addressed:-

- 1) 'Max' element?
- 2) We can't delete an element from empty queue.
- 3) We can't insert element in full queue.

◦ if

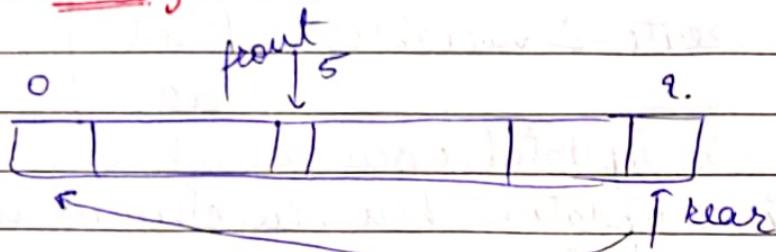
~~if~~ front = 0] empty queue.
rear = -1] empty queue.

⇒ Exceptions

- i) At time of declaration: front = -1
rear = -1

ii) On removing an element when length = 1
for deletion we can't update front.

* Circular Queues.



so when we do rear++;

rear → 10.

Take '%' → size of queue.

i.e. $10 \% (10)$

→ Code: Static Memory

```
# include < stdio.h >
```

```
# define MAX = 10
```

```
int q[MAX];
```

```
int front = -1, rear = -1;
```

```
int isFull()
```

```
{
```

```
if ((front == rear + 1) || (front == 0 & rear == MAX - 1))
```

```
return 1;
```

```
else
```

```
return 0;
```

```
}
```

```
int isEmpty()
```

```
{  
    if (front == -1)  
        return 1  
    return 0;  
}
```

~~```
void enqueue(int ele)
```~~

```
{
 if (isfull())
 printf("Queue is full\n");
 else
 {
 if (front == -1)
 front++;
 rear++; rear = rear % MAX;
 q[rear] = ele;
 printf("Element added -> %d \n", ele);
 }
}
```

```
int dequeue()
```

```
{
 int ele;
 if (isEmpty())
 {
 printf("Queue is empty");
 return (-1);
 }
```

On Linux OS, every successful execution of a process must return 0 to shell process.  
when we do `return 0;` in int main() is returned to shell.

```
else
{
 ele = q[front];
 if (front == rear)
 front = rear = -1
 else
 {
 front = (front + 1) % MAX;
 printf ("Removed element %d \n", ele);
 return (elm);
 }
}
```

```
void display()
{
 int i;
 if (rear >= front)
 for (i = front; i <= rear; i++)
 printf ("%d \n", q[i]);
 else
 {
 for (i = front; i < MAX; i++)
 printf ("%d \n", q[i]);
 for (i = 0; i <= rear; i++)
 printf ("%d \n", q[i]);
 }
}
```

\* OR -

```
if (isEmpty())
 printf("Empty Queue");
else
{
```

*look at condition  
2 increment*

```
printf("Front = %d\n", front)
for (i=front; i != rear; i=(i+1)%MAX)
{
 printf("%d\t", q[i]);
 printf("%d\t", q[rear]);
}
```

### \* stack.

Only 1 logical operator maintained i.e. top.

⇒ Push().

- check if  $top == MAX-1$
- if not,  $top++$ ;  
 $stack[top] = element$ .

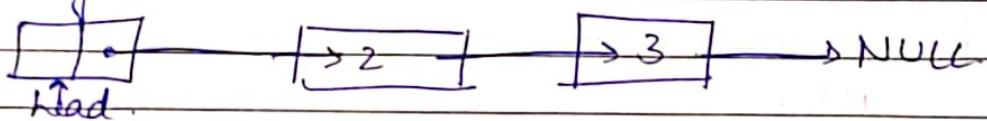
⇒ Pop()

- Check if ( $top == -1$ ) i.e. stack is empty.
- else otherwise  $\rightarrow eleDel = stack[top]$ ;  
 $top--$ ;
- return(eleDel)

## \* Linked List

It is a collection of objects linked together by references from one object to another. By convention we call these nodes.

- Each node contains one or more data fields and a reference to the next node. The last node in the list points to NULL reference to indicate the end of list.

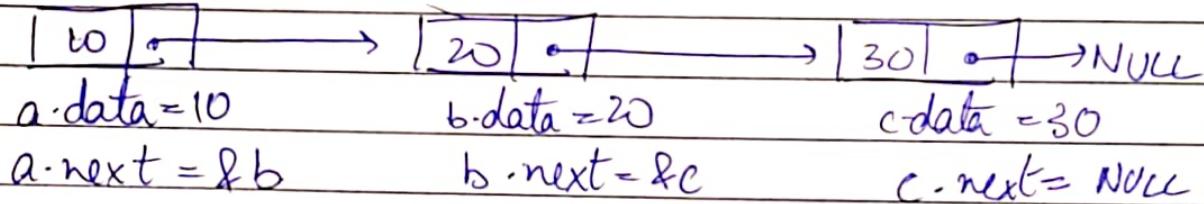


Q. why is a node called self referential?

Node is called a self referential as it contains a pointer referring to itself.

## # Code..

```
struct node
{ int data;
 struct node *next;
};
struct node a, b, c;
```



`malloc( n * sizeof(int) )`  $\_/_/_$   
realise.

OR

alternate : Dynamic Allocation :

`struct node * ap, * bp, * cp;`  
`# /* 4 bytes allocated for each pointer */`

`ap = (struct node *) malloc ( sizeof(struct node) );`  
`bp = " ;`  
`cp = " ;`

OR

`ap → data = 10;                  ap → next = bp;`  
`* ap · data = 10;`  
`bp → data = 20;                  bp → next = cp;`  
`cp → data = 30;                  cp → next = NULL;`

$\Rightarrow$  In a linked list, we have a variable 'head' pointing at beginning of linked list.

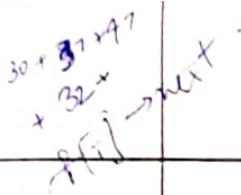
`struct node * head = ap;`

## # Operations

### o Printing

`void print ( struct node * head )`  
{

`struct · node * current;`  
`current = head;`  
`while ( current != NULL )`  
    {



printf("value is %d", current->data)  
 current = current->next;

j.

j.

- Q. Count the number of nodes using given function prototype.

int count (struct node \* head)

{ struct node \* p;

int ctr=0;

do p = head;

while (p != NULL)

{ p++;

p = p->next;

return (p);

j.

## # Adding elements into linked list

- Q. Add elements (n) read from keyboard & make linked list.

# include < stdio.h >

struct node

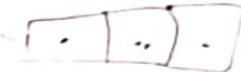
{

int data;

struct node \* next;

j:

Q.



\_\_\_\_\_ / / \_\_\_\_\_

int main()

3.

int n, i, val;

struct node \*head = NULL, \*newnode, \*current;

printf ("Enter value of n");

scanf ("%d", &n);

for (i=0; i<n; i++)

3.

newnode = (struct node \*) malloc (sizeof(struct

printf ("Enter value to be inserted\n");

scanf ("%d", &val);

newnode → data = val;

newnode → next = NULL;

if (head == NULL)

3. head = newnode;

current → newnode;

current → next = newnode;

current = head;

3.

~~else current~~

else

3. current → next = newnode;

current = newnode;

3.

return 0;

}

Write insert function for:-

- inserting element at end

- 1 / 1
- 4)
- 2) insert data in sorted order.
  - 3) insert data in sorted order.
  - 4) insert at some index (first node = 0).

1) void insert ( struct node \* head )

{ struct node \* curr, \* newnode;

int val;

printf ("Enter value \n");

scanf ("%d", &val);

curr = head;

while (curr->next != null)

while (curr->next != null)

{

curr->next = curr->next;

.

newnode->data = val;

curr->next = newnode;

newnode->next = NULL;

1.

2) void insertbeg ( struct node \* head )

{

struct node \* newnode;

int val;

printf ("Enter value ");

scanf ("%d", &val);

newnode->data = val;

newnode->next = head;

head = newnode;

1.

\*

void insertind (struct node \* head)

```

1. struct node * cur, ptr, *newnode;
 int val, in; int i=0;
 printf("Enter index");
 scanf("%d", &i);
 printf("Enter value");
 scanf("%d", &val);
 cur = head;
 for (i=0; i<(in-1); i++)
 {
 cur = cur->next;
 }

```

```

ptr = cur->next;
cur->next = newnode;
newnode->data = val;
newnode->next = ptr;
}

```

## Deleting in a linked list.

struct node \* delete (struct node \* head, int val)

```

2. struct node * current, * prev;
 current = head;
 prev = current;
 while (current != NULL)
 {

```

```

if (current->data == val)
} if (current == head)
 head = head->next;
else
 1. prev->next = current->next;
 prev->next->prev = current;
 current->next = NULL; // not required
 free(current);
 return head;
}
else
{
 prev = current;
 current = current->next;
}
return head;
}

```

## # Cons of linked list.

### 1) Time complexity

- for searching an element:-
- i) Best case (at  $i=0$ )  $O(1)$
  - ii) Worst case (at  $i=N$ )  $O(N)$
  - iii) Average case  $O(N/2)$
- 'Big O' notation

$$\begin{array}{c} N-2 \\ N+2 \\ 2N \\ N/2 \end{array} \rightarrow O(N)$$

Do in linked list (Avg case)

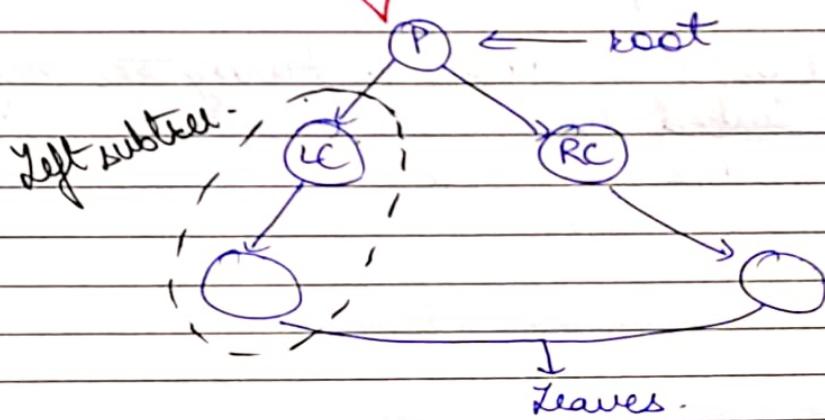
- a) Inserting element at end =  $O(N)$  operation
- b) Deletion of element  $\rightarrow O(N)$  operation.
- c) Searching of element =  $O(N)$  operation.

Hence this does not have efficient ~~method~~  
data arrangement.

So we study tree.

### Tree

If a node can have only 2 (max) child node,  
it is called **Binary Tree**.



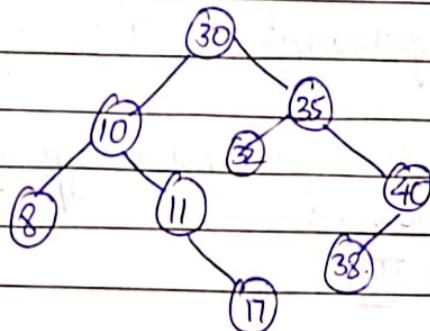
# **Binary Search Tree**.

follows the property :-

- a) data value in the left child will be less than parent.
- b) data value in the right child will be more than parent.
- c) Equal values maybe taken in left child.

Q Make a binary tree of

38, 10, 11, 8, 35, 17, 40, 38, 32



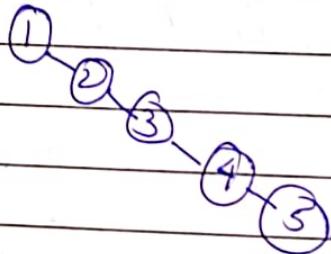
step  $\alpha$  levels.

for insertion operation =  $O(\log_2 N)$

for search operation =  $O(\log_2 N)$

NOTE: Based on data, a binary tree might form linked list.

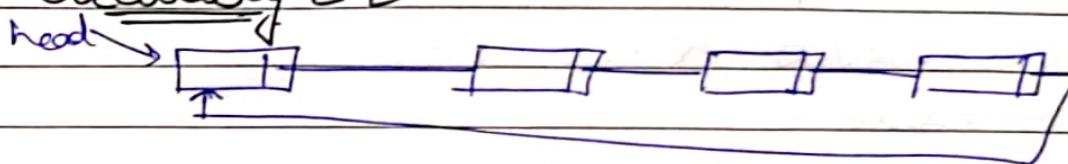
1, 2, 3, 4, 5



## Linked List Variants

Singly linked list - Circularly linked list  
doubly linked list

### Circularly L.L.



### Doubly linked list.

struct node

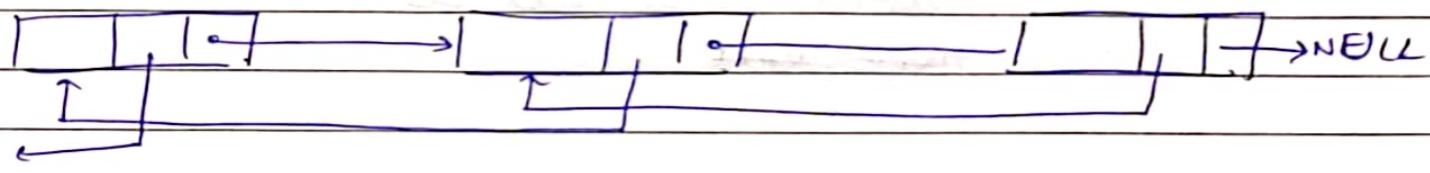
{

int data;

struct node \* next;

struct node \* prev;

}.



### NOTE:

for insertion using all by reference.

void insertend (struct node \*\* headref, int val)

struct node \* newnode, \* current;  
current = (\* headref);

char \*str = "Hello";  
int \*a;  
\*a = 2;

→ By this we don't have to return newhead.

→ Call this function as:

insertend(&head, 10);

#include <stdio.h>

struct node

{

int data;

struct node \*next;

};

int main()

{

struct node \*head = NULL;

insertfront(head, 10);

insertfront(head, 20);

~~insertfront~~

void insertfront\_a (struct node \*\*headref, int val);

{

struct node \*newnode;

newnode = (struct node \*) malloc (sizeof(struct));

newnode → data = val;

newnode → next = (\* headref);

\* headref = newnode;

}

void \* struct node \* insert\_b (struct node \* headf, int val)

?.

```
struct node * newnode;
newnode = (struct node *) malloc (sizeof (struct node));
newnode->data = val;
if (headf == NULL)
 ?.
 newnode->next = NULL;
 headf = newnode;
 return headf;
?.
```

?.

## Doubly Linked List.

```
struct node
? int data;
 struct node * pprev, * next;
?.
```

## insert at end Insertion at end.

void insertatend (struct node \*\* headf, int val)

?.

```
struct node * newnode * current;
newnode = (struct node *) malloc (sizeof (struct node));
newnode->data = val;
newnode->next = NULL;
```

NULL;  
node;

next != NULL)

current → next;

= current.

→ void  
?.

11

insert ( struct queue \* pq, int x)

```
struct node * newnode;
newnode = (struct node*) malloc (sizeof (struct node));
newnode->info = x;
newnode->next = null;
if (empty (pq))
 pq->rear = newnode;
 pq->front = newnode;
```

```

 ? printf("Queue is empty");
else exit(1); // not (0) as (0) means
 ? program terminated
else
 ? normally.
 ? convention.

 ? if
temp = pg->front;
pg->front = temp->next;
x = temp->info;
if (pg->next == NULL)
 pg->rear = NULL;
free(temp);
return(x);

```

priority  
will be sorted

void display (struct queue \*pq)

```

? if (empty(pq))
 printf("Queue is empty");
else
 ? struct node *temp;
 temp = pg->front;
 while (temp->next != NULL)
 ?
 printf("%d\t", temp->info);
 temp = temp->next;
 ?

```

## Priority Queue

Assign a priority (key) to each data element.  
which can be implemented using sorted sequence or  
unsorted sequence

eg  
Unsorted →  $\boxed{10, 2, 5, 7}$

Sorted → Asc →  $10 \rightarrow 2, 10 \rightarrow 2, 5, 10 \rightarrow 2, 5, 7, 10$   
Desc →  $10 \rightarrow 2, 10 \rightarrow 10, 5, 2 \rightarrow 10, 7, 5, 2$

### Main Operations

- a) Insert
- b) Search
- c) Remove

In unsorted Queue,

Insert →  $O(1)$

Search →  $O(n)$

Remove →  $O(1)$

In priority Queue,

(c) Remove: Elements are removed which have highest priority.

less value of key, higher priority.

Priority need not be unique.

Since we will have to traverse to find smallest key,

$O(m)$  - (unsorted)

- a) Insert

Ascending: key

$\rightarrow R$

We insert & elements like unsorted but priorities are sorted.

Unsorted

Search

$O(n)$

Sorted

$O(n)$

Insert

$O(1)$

Remove

always front  
 $O(n)$

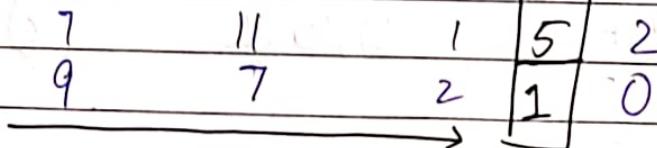
$O(n)^*$

depends on priority of new element  
 $O(1)$ .

find highest priority

highest priority

key -



insert 5 [key=1].

A better Data structure than this is Heap.

$\Rightarrow$  Heap.

• A binary tree (not a binary search tree)

• Types:

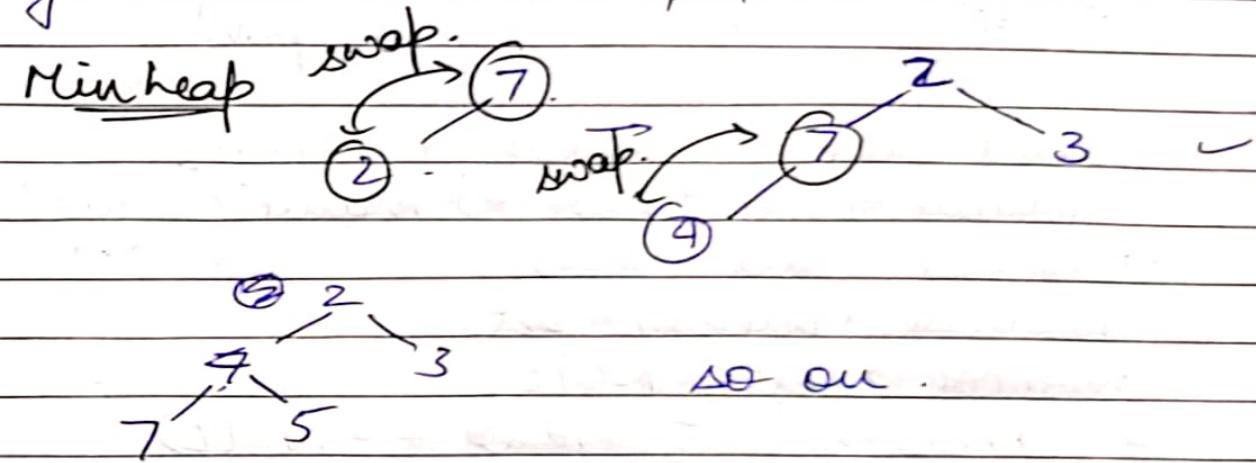
1) Min Heap

value (or key if exists) of parent node is less than both left & right child node.

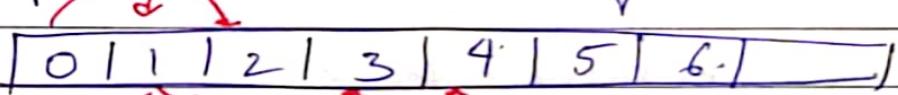
2) Max heap

• Heap is always complete binary tree.

eg. 7, 2, 3, 4, 5, 11, 10, 9.



Implemented in array.



element at index k has 2 child  $2k+1$  &  $2k+2$ .

Time Complexity

Insert  $\rightarrow O(\log n)$

Usage of priority Queues in Data Structures.

Implementation of priority Queues using Linked List.

# include < stdio.h >

(sorted)

# include < stdlib.h >

?

int data;

int priority;

struct node \* frontnext

we don't need

};

Ascending: key

$\rightarrow R$

We insert & elements like unsorted but priorities are sorted.

Unsorted

Sorted

Search

$O(n)$

$O(n)$

Insert

$O(1)$

always front

$O(n)^*$

depends on priority of new element

Remove

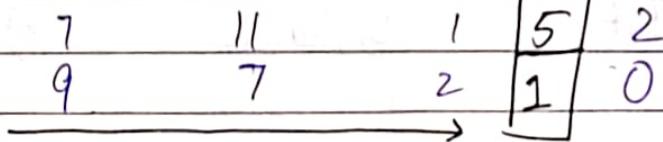
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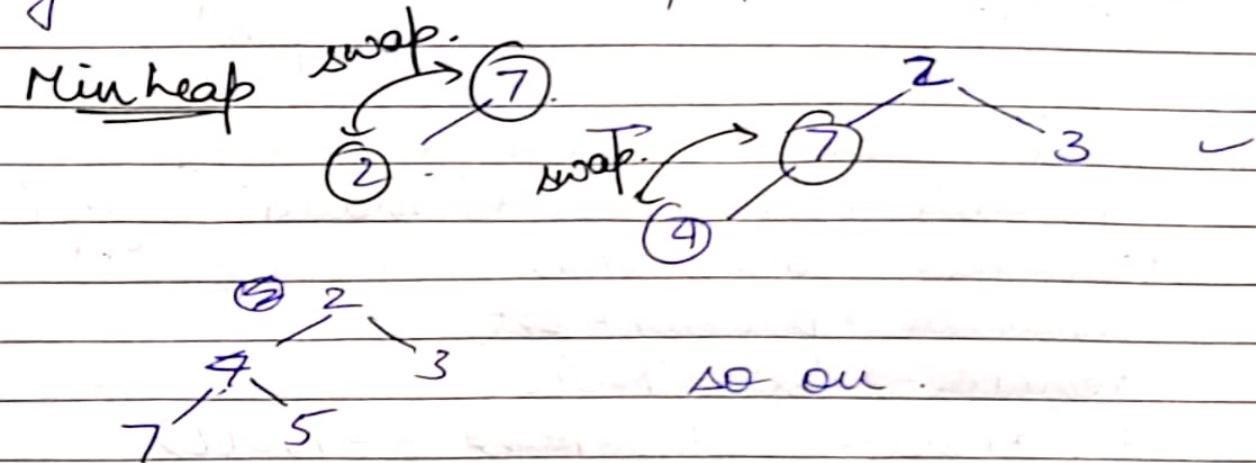
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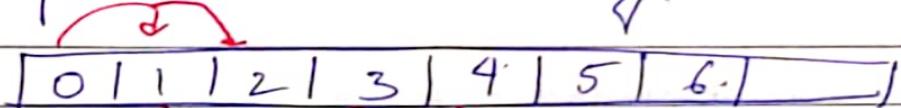
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$\rightarrow R$

We insert & elements like unsorted but priorities are sorted.

Unsorted

Sorted

Search

$O(n)$

$O(n)$

Insert

$O(1)$

always front

$O(n)^*$

Remove

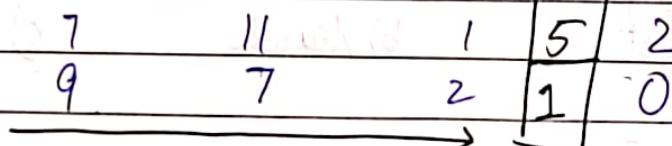
$O(n)$

depends on priority of new element  
 $O(1)$ .

find highest priority

highest priority

key -



A better Data structure than this is Heap.

$\Rightarrow$  Heap.

• A binary tree (not a binary search tree)

• Types:

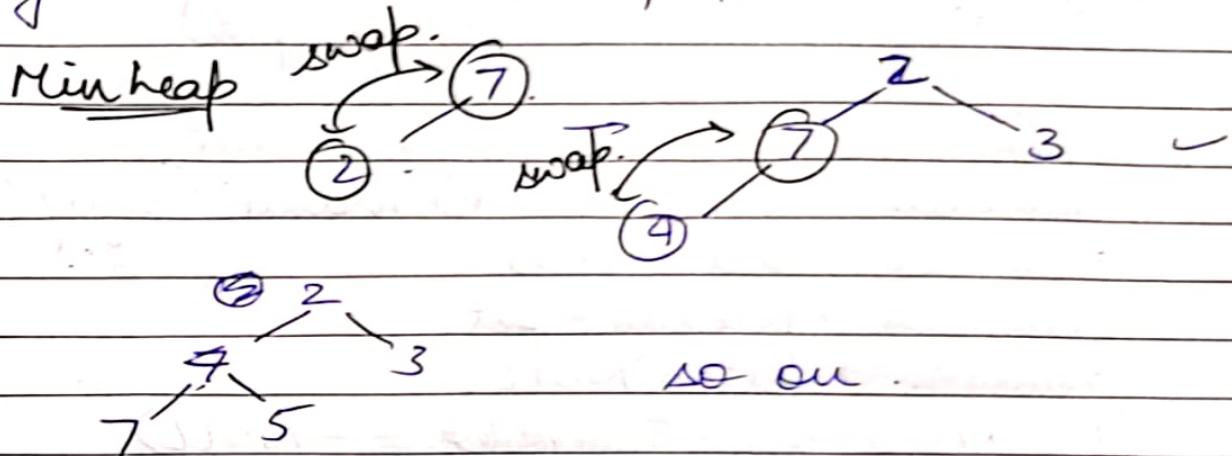
1) Min Heap

value (or key if exists) of parent node is less than both left & right child node.

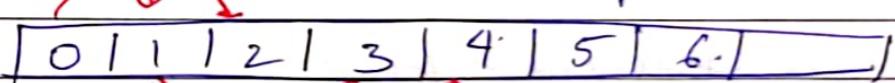
2) Max heap

• Heap is always complete binary tree.

eg. 7, 2, 3, 4, 5, 11, 10, 9.



Implemented in array.



element at index  $k$  has 2 child  $2k+1$  &  $2k+2$ .

Time Complexity

Insert  $\rightarrow O(\log n)$

Usage of priority Queues in Data Structures.

Implementation of priority Queues using Linked List.

# include < stdio.h >

(sorted)

# include < stdlib.h >

?

int data;

int priority;

struct node \* frontnext

~~we don't need~~

}

struct node \* insertitem (struct node \*\* head, int val, int pri)

struct node \* newnode, \* current;

newnode = (struct node \*) malloc (sizeof (struct node));

newnode → data = val;

newnode → priority = pri;

newnode → next = NULL;

if (\*head → priority >= pri) == NULL)

newnode → next = \*head; NULL;

\*head = newnode;

if (\*head → priority > pri)

newnode → next = \*head;

\*head = newnode;

else

current = \*head;

while (current → next == NULL) && current → next → priority < pri)

current = current → next;

newnode → next = current → next;

current → next = newnode;

## \* Applications of Linked List in solving problem.

### Q. Josephus Problem

There is a army surrounded by → require additional  
enemy army support

To request one man must go  
↓

Only 1 horse.

Problem: Which one cargo?

Constraints:

- There will be a number  $n$
- There is a person, from which  $n$  number of person will be counted.
- The place where this  $n$  ends, that person will be eliminated from set on which same policy will be applied. Starting from next person.
- At end 1 person will remain. He would go.

# include < stdio.h >

# include < stdlib.h >

# include < string.h >

void insert ( struct node \* & cq, char \* sn );

2. void display ( struct node \* & cq );

void removeAfter ( struct node \* & cq, char \* sn );

int main ()

1.

```
char name[40];
const char * end = "end";
int i, n;
struct node * list = NULL;
printf("Enter n \n");
scanf("%d", &n);
printf("Enter name (end to stop)");
scanf("%s", name);
while(strcmp(name, end) != 0)
```

```
? insert(&list, name);
printf("Enter name (end to stop)\n");
scanf("%s", name);
}
```

display(&list);

printf("The order in which soldiers are removed : \n").

```
while(list != list->next)
```

```
? for(i=1, i<n, i++)
? }
```

```
? list = list->next;
? }
```

removeafter(&list, name);

printf("Removed soldier is %s \n", name);

printf("The soldier who goes is %s \n",

list->surname);

free(list);

return(0);

}

void insert(struct node \*\*& cq, char \*sn)

{  
 struct node \* newnode;  
 newnode = (struct node \*) malloc(sizeof(struct node));  
 strcpy(newnode->sname, sn);  
 if (\*cq == NULL)

\*cq = newnode;

}  
else

newnode->next = (\*cq)->next;  
 (\*cq)->next = newnode;  
 (\*cq) = newnode;

}  
return;

void display(struct node \*\*& cq, char \*sn)

{  
 struct node \* current;  
 if ((\*cq) == NULL)

printf("Empty Queue");

}  
return;

```

current = *cq;
do
{
 printf(" Name is : %s \n", current
 → solution);
 current = current->next;
} while (*current != (*cq));
return;
}

```

void removeafter (struct node \*\*cq, char \*sq) \*  
#

/\* This function removes a node after the node  
whose address is passed to this function in cq,  
and the value of node getting removed is filled in  
sq \*/.

~~\*cq = (\*cq)->next; solution~~

```

struct node *temp;
temp = *cq->next;
*cq->next = temp->next;
strcpy (*sq, temp->solution);
free (temp);
}

```

alternate (more professional approach).

if ((\*cq == NULL) || (\*cq != \*cq->next)) ⇒

```

printf (" Deletion void \n");
return;
}

```

char \*sq is call by reference for string &  
so we use strcpy.

else

i. struct node \* temp;

temp = \* cq → next;

strcpy (\* sq, \* temp → s); ( \* sq =, temp → s);

\* cq → next = temp → next;

free (temp);

j.

## Addition of Integers of arbitrary length.

Addition of Long integers using doubly linked list.

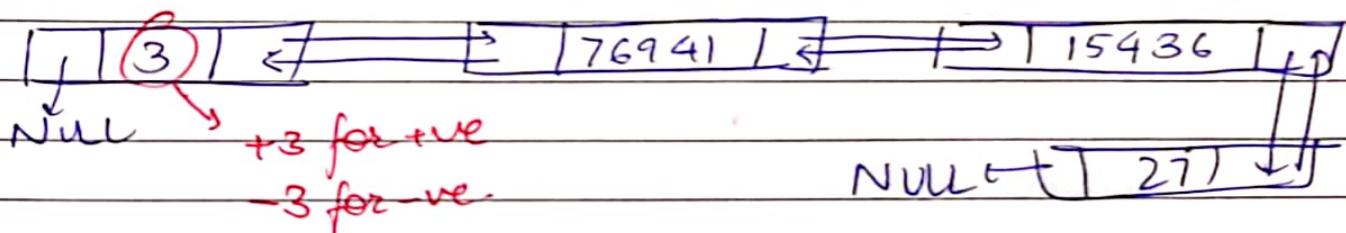
→ max 5 digits per node (Circularly).

→ There will be a special node header which info serves 2 purpose.

→ sign of info (+ve or -ve) | left | right | right

→ magnitude of info tells the number of nodes representing the long int.

27 154 367 694,



## Code.

compars → compares absolute value of 2 integers  
return 1 if argument 1 > argument 2.

int compar (struct node \* p, struct node \* q)

}

if ( $\text{abs}(p \rightarrow \text{info}) > \text{abs}(q \rightarrow \text{info})$ )  
return(1);

if ( $\text{abs}(p \rightarrow \text{info}) < \text{abs}(q \rightarrow \text{info})$ )  
return(-1).

664

struct node \*r, \*s;

// If counts are equal.

r = p  $\rightarrow$  left;

s = q  $\rightarrow$  left;

while ( $r \neq p$ )

if ( $(r \rightarrow \text{info}) > (s \rightarrow \text{info})$ )  
return(1);

if ( $(r \rightarrow \text{info}) < (s \rightarrow \text{info})$ )  
return(-1);

s  $\rightarrow$  s  $\rightarrow$  left;

r = r  $\rightarrow$  left

3.

return(0);

4.

adddiff  $\Rightarrow$  adding numbers of different signs  
addsame  $\Rightarrow$  " " " " same

7 9 3 4 1

2 3 5 7 1

~~1~~  
~~2~~  
~~3~~

1 1

- Absolutely Absolute value of first is not less than second
- Returns & pointer to a list representing the sum of integers
- We must be careful to terminate the leading 0's from the sum.

struct node \* adddiff ( struct node \* p, ~~struct node \* q~~)  
{

    int count;  
    struct node \* pptr, \* qptr, \* r, \* s, \* zeropt;  
    long int hunthou = 100000 1;

    long int borrow, diff;

    int zeroflag;  
    count = 0;  
    borrow = 0;  
    zeroflag = FALSE;

// Ensures it to allocate  
memory as long.

(it won't if it can be  
stored in int)

// generate head node for sum.

    r = (struct node \*) malloc sizeof (struct node);

    r → left = r → right = k;

    pptr = p → right;

    qptr = q → right;

    while ( qptr != q )

}

    diff = (pptr → info) - borrow - (qptr → info);

    if (diff >= 0)

        borrow = 0;

    else

        diff = diff + hunthou;

        borrow = 1;

// this hunthou  
is for the

.

4\*

unsigned int a, b, x, y;

x = 3;

y = 4;

a = ~~x~~ x - y;

b = y - x;

y (a > 0)

printf (" \* ");

else

in unsigned int .  
OUTPUT  
\*\*

printf (" # ");

-1 → (Max limit) - 1

if (b > 0)

printf (" \* ");

-2 → (Max limit) - 2 .  
i.e. +ve.

else

printf (" # ");

}

\*/.

/\*

Subbasenumber is 34 - borrow - 54

in computer 2' complement system

$$\Rightarrow 34 + (-54)$$

0010 0010

1100 1010

1110 1100

34

54

-20

34 + 12

54 - 1

Now. Let's add 100 in binary.

1110 1100

0110 0100

10101 00001 → 80 .

234

154

80.

hundred signifies borrow

~~The BLD is full~~

— / —

\*.

// writing loop again.  
while ( $\text{q}_l \text{ptr} \rightarrow l_1 = q_1$ )  
{

    diff = ( $\text{p}_l \text{ptr} \rightarrow \text{info}$ ) - borrow - ( $\text{q}_l \text{ptr} \rightarrow \text{info}$ );  
    if (diff >= 0)  
        borrow = 0;

    else  
    {

        diff = diff + borrow;  
        borrow += 1;

    }

// generate a new node & insert it to left of header.

    insertleft(& e, diff);  
    count += 1;

// test for zero node

    if (diff == 0)  
    {

        if (zeroflag == FALSE)

            zeroptr = e  $\rightarrow$  left;

            zero flag = TRUE;

    }

    else

        zeroflag = FALSE;

    }

    p<sub>l</sub>ptr = p<sub>l</sub>ptr  $\rightarrow$  right;

    q<sub>l</sub>ptr = q<sub>l</sub>ptr  $\rightarrow$  right;

} // end while .

// traverse the remaining p.

while ( $ppt \neq p$ )

{

diff = ( $ppt \rightarrow info$ ) - borrow;

if (diff >= 0)

borrow = 0;

else

{

diff = diff + hun thou

borrow = 1;

}

insert left (& s, diff);

count = count + 1;

if (diff == 0)

if (zeroflag == FALSE)

zeropte = k → left;

zero flag = TRUE;

else

zeroflag = FALSE

pptr = pptr → right;

{

// deleting leading zeros .

if ( zeroflag == TRUE )

while ( zeropte != e )

{

s = zeropte;

zeropte = zeropte -> right;

delete ( s, & diff );

count = count - 1;

}

{

// insert count & sign

// into the header.

if ( p->info > 0 )

n->info = count;

else

n->info = -count;

return ( e );

}; // end add diff.

} // end while

// traverse the remaining p.

; while (pptr != p)

    diff = (pptr - info) - borrow;

    if (diff >= 0)

        borrow = 0;

    else

    {

        diff = diff + num thou

        borrow = 1;

    }

    insert left (&x, diff);

    count = count + 1;

    if (diff == 0)

        if (zeroflag == FALSE)

            zeroptr = k -> left;

            zeroflag = TRUE;

    }

    else

    {

        zeroflag = FALSE

    pptr = pptr -> right;

}

// deleting leading zeros.

if ( zeroflag == TRUE )

    while ( zeropte != r )

    {

        s = zeropte;

        zeropte = zeropte -> right;

        delete ( s, & diff );

        count = count - 1;

    }

}

// invert count & sign

// into the header.

if ( p->info > 0 )

    r->info = count;

else

    r->info = -count;

return ( r );

}; // end add diff.