

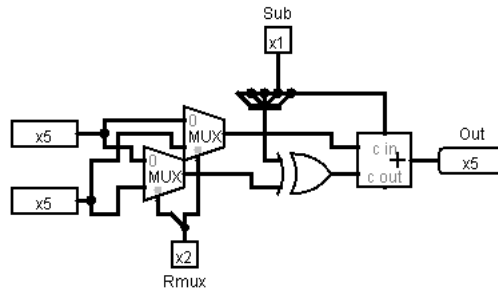
Assignment 4

Chapter 4 Exercises

- 1)
 $0110_{10} + 0011_{10} = 1001_{10}$
 $6 + 3 = 9$
- 2)
 $1110 + 0111 = (1)0101$
 $-2 + 7 = 5$
 This addition does not result in an overflow because 1110 and 0111 do not share the same sign.
- 3)
 Partly. The result on an overflowing output bus is the negation of the correct answer. When overflow occurs, the processor should send the result in a bigger memory space and put the correct sign bit in the right place.
- 4)
 $0xBA + 0x7F = 0x(1)39$
 $10111010 + 01111111 = (1)00111001$
 $-70 + 127 = 57$
 This addition also does not result in an overflow because the signs are not the same on either operand.
- 5)
 $1110 + 1001 = 10111$
 $-2 + -7 = -9$
 This addition does result in overflow. The sign bit gets pushed to the next largest bit (the 5th bit).
- 6)

A	B	Cin	Sum
x	y	Cin	if $-128 < x + y + Cin < 127$, $x + y$; else $(x + y + Cin) - 256$
- 7)
 If $Sa + Sb + Cout$ then $Ovfl$
 Other than that, Overflow may or may not happen with the given signals.

- 8)



- 10)

The *Inv.* block is just one XOR gate.

The *Neg.* block may consist of a NOT gate on each bit and minus one the number of bits of the signal one bit full adders. The one bit full adder I built consisted of 8 gates, so for an 8 bit signal, a *Neg.* block may consist of $8+8*7 = 64$ gates. Ill take the *Inv.* block, thank you.

- 11)

Because to fully negate signal *B*, it must add 1 to it, otherwise it would just be inverting it.

- 12)

The borrow signal returns 1 when *B* is trying to subtract from a number greater than itself if *B* is negative.

I actually don't know. I don't think this is right. I will ask this in class.