



UNIVERSITÀ DEGLI STUDI  
DI TRENTO

ICT  
Doctoral School

CiMeC  
Center for Mind/Brain Sciences

FONDAZIONE  
BRUNO KESSLER

# Machine learning for tract segmentation in dMRI data

Bao Nguyen

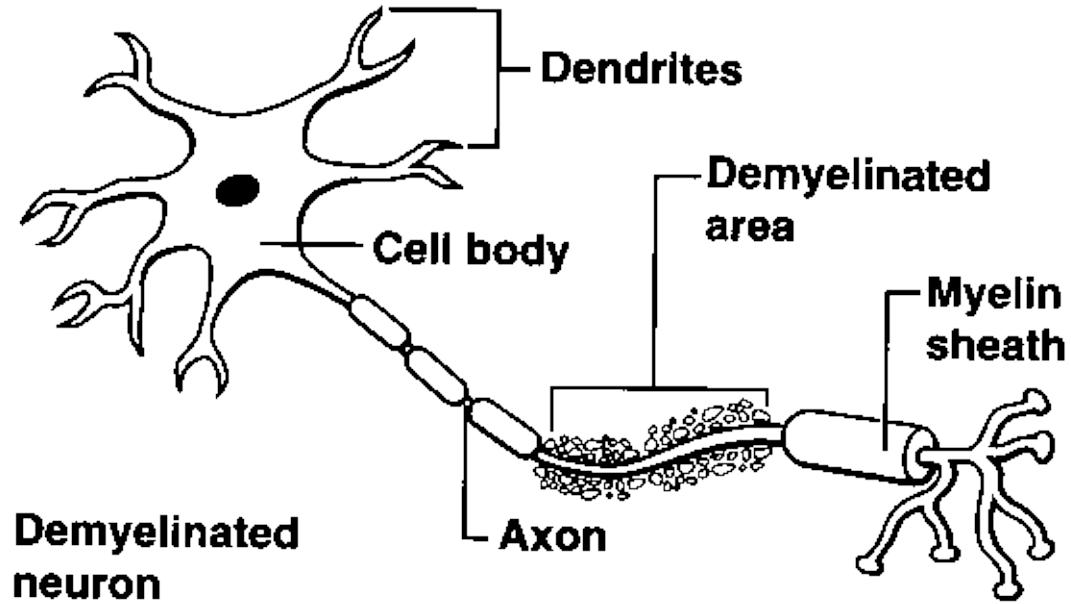
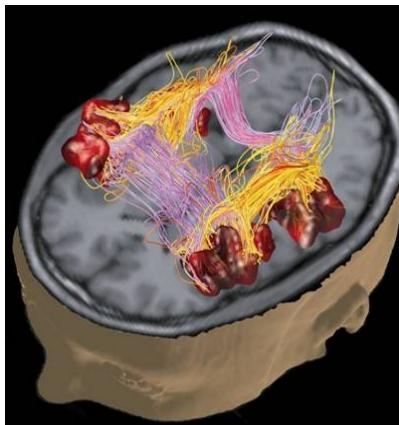
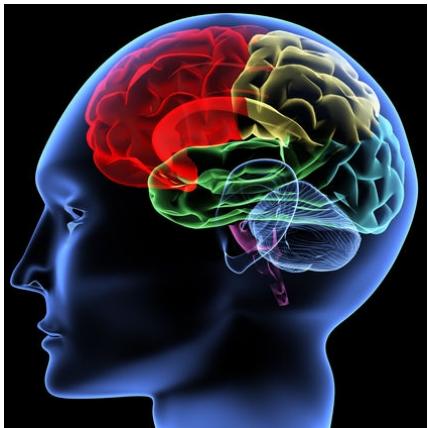
NeuroInformatics Laboratory (NILab)

*Trento, January 2013*

# Contents

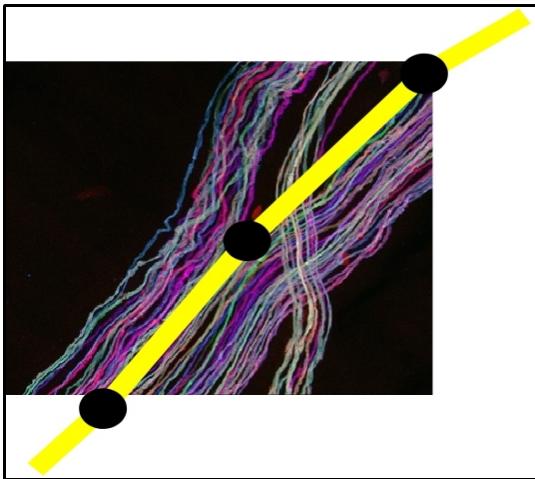
- Introduction
- State of the art (SoA)
- Problem statement
- Proposed solution
- Preliminary results
- Conclusion and Future works

# Axons

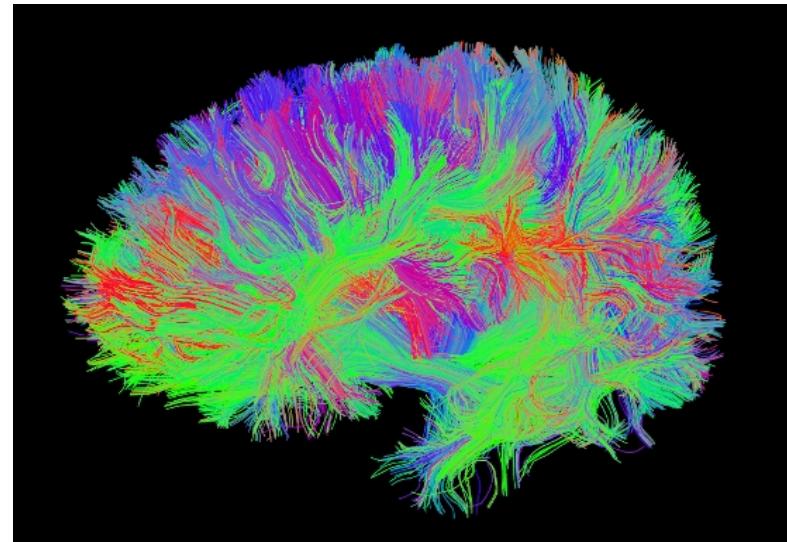


- Number:  $\sim 10^{12}$  axons
- Size:  $\sim 2\text{-}20\mu\text{m}$

# Streamline & Tractography

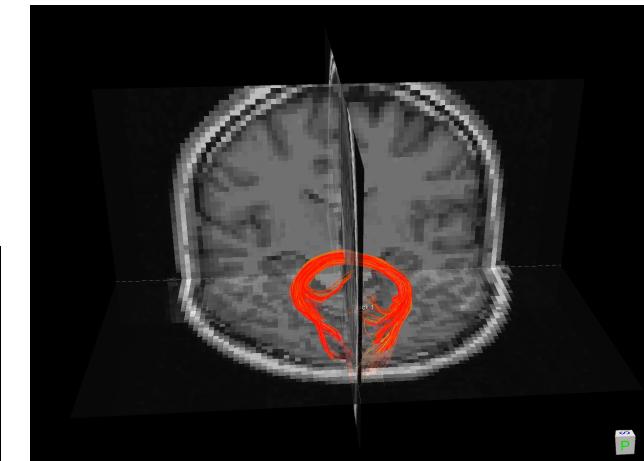


**Tractography:**  
presentation of  
**whole brain** by  
streamlines.



**Streamline:** a polyline representing thousands of axons. (**fiber, track**)

**Bundle:** a group of '*close*' streamlines

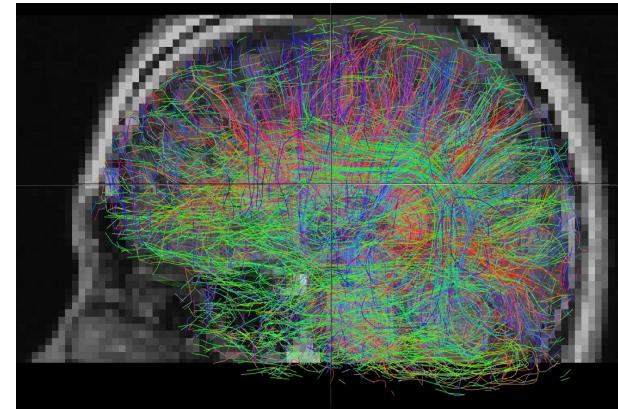


**Tract:** the **real**  
anatomical  
group of axons.

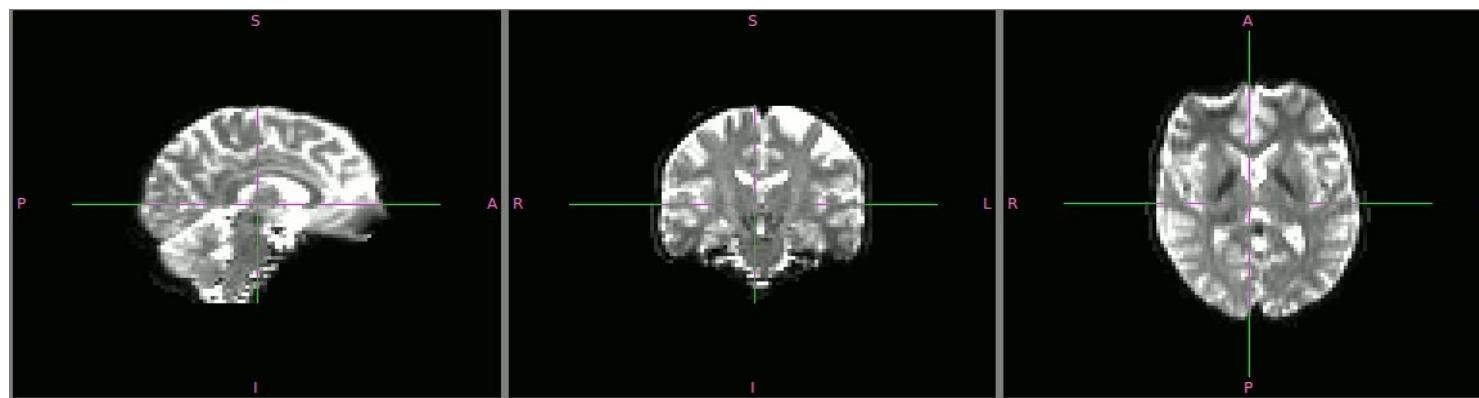


## dMRI technique

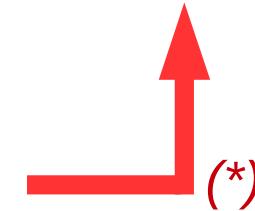
(diffusion Magnetic Resonance Imaging)  
in vivo (not invasive)  
*Denis Le Bihan, 1984*



## Tractography in 3D

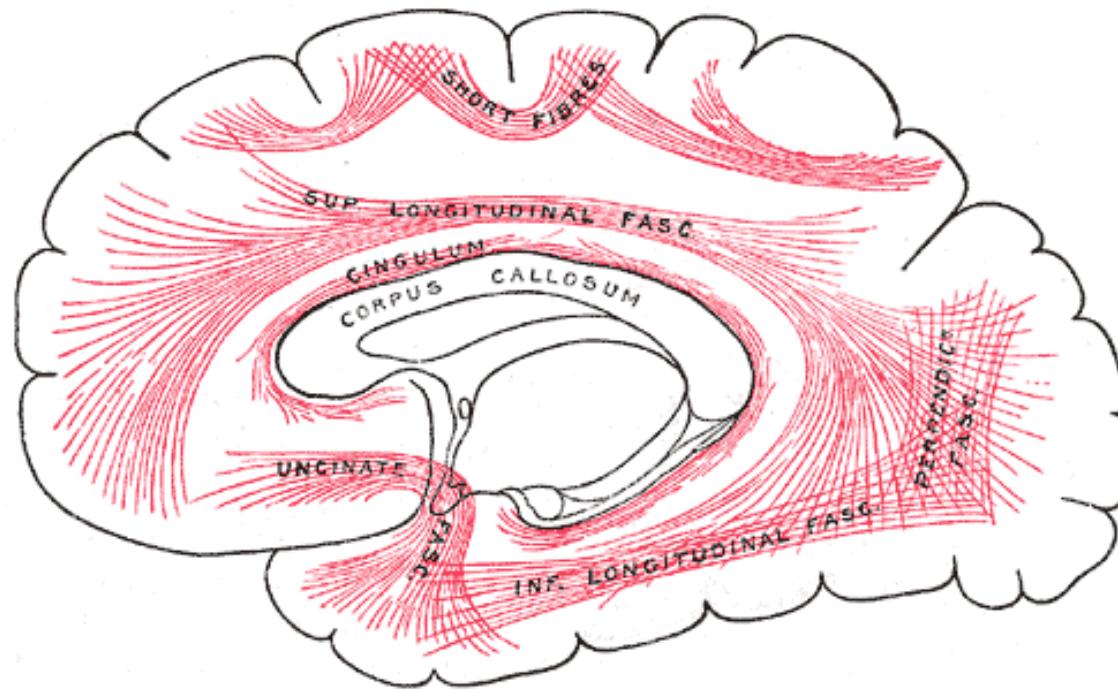


## MRI images in 3D

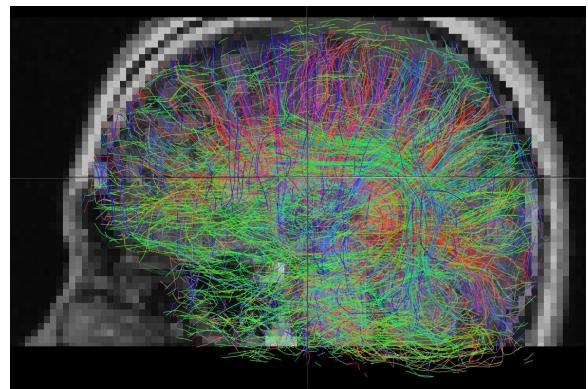


*Garyfallidis et.  
al. 2012  
(Towards an  
accurate brain  
tractography)*

# Tractography Segmentation

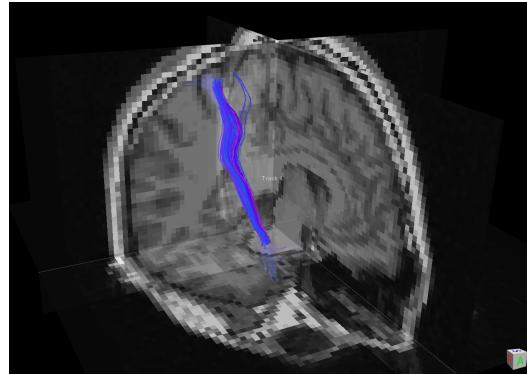


To group streamlines belonging to a common anatomical area into one segmentation

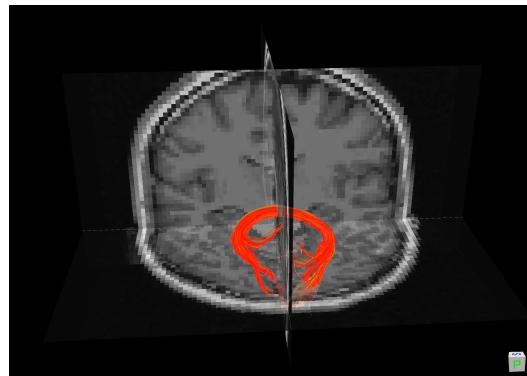


Tractography

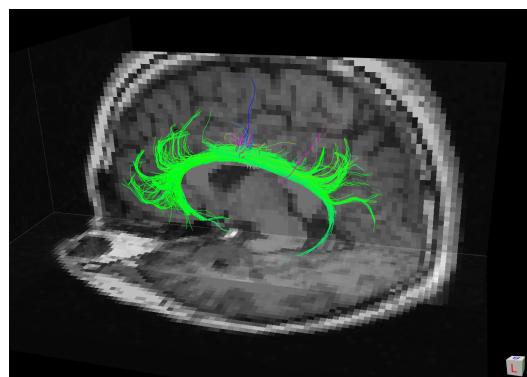
Example of  
tractography segmentation



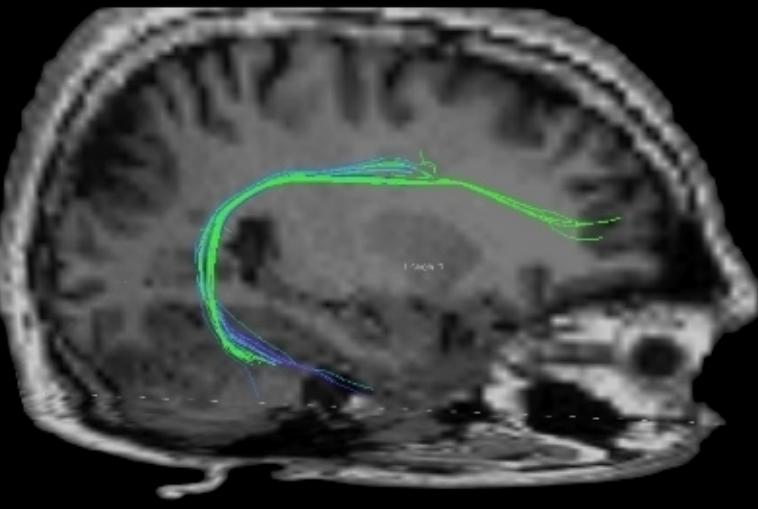
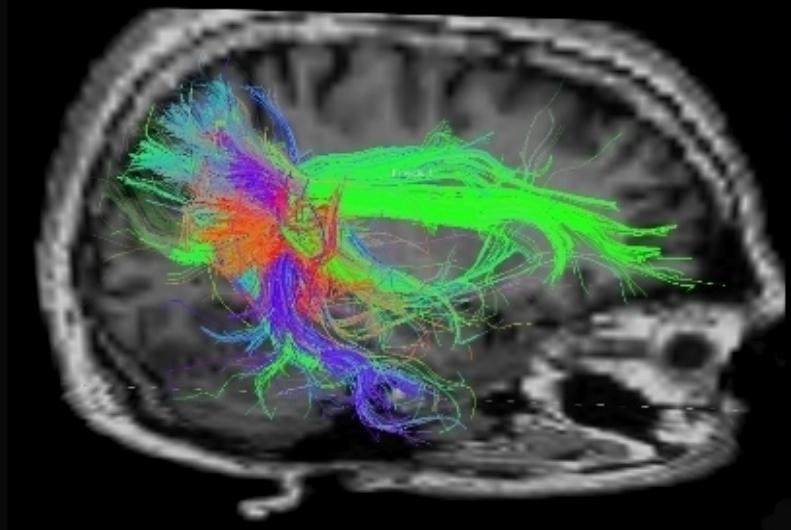
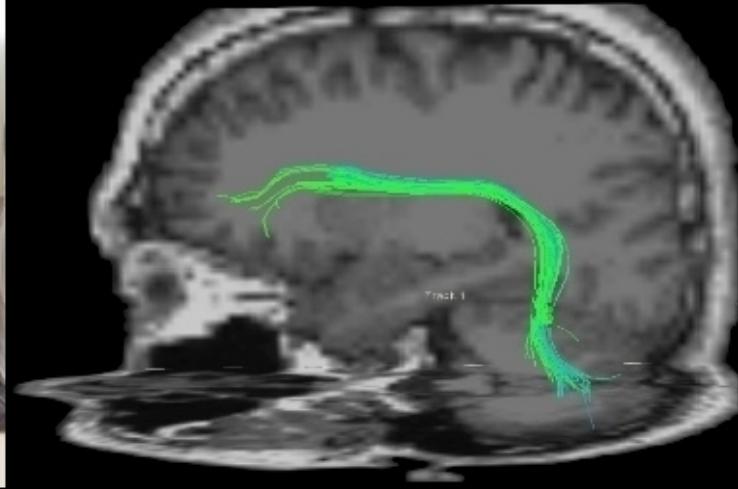
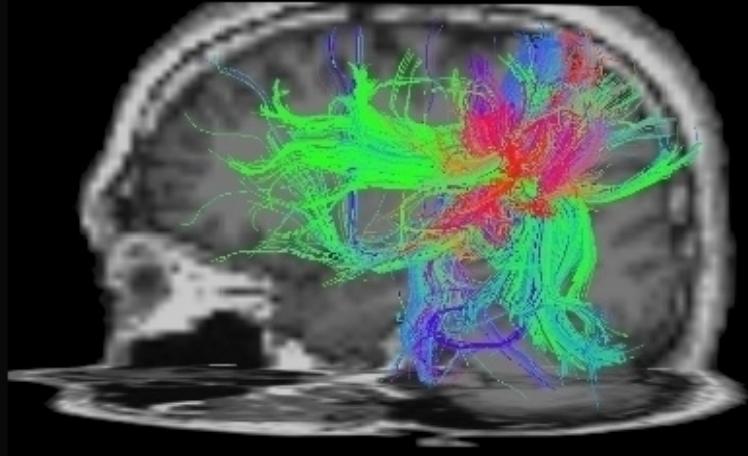
Corticospinal Tract (CST)



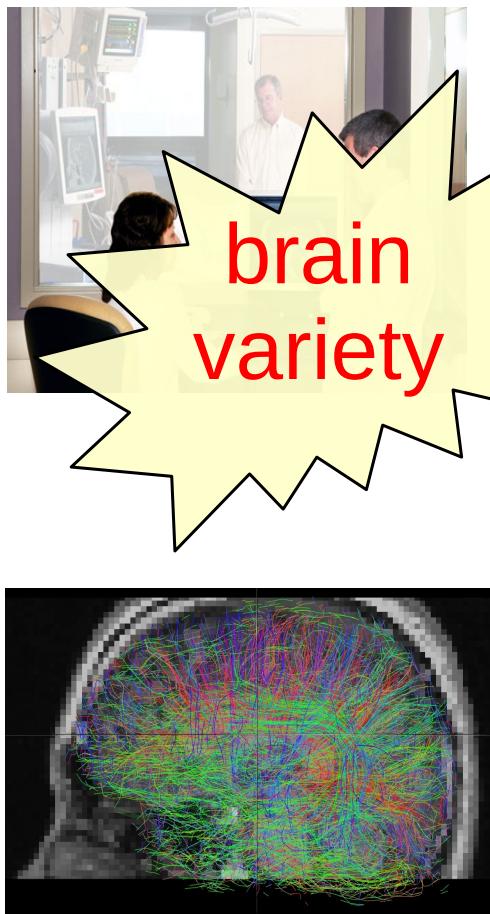
Forceps Major Tract (FMT)



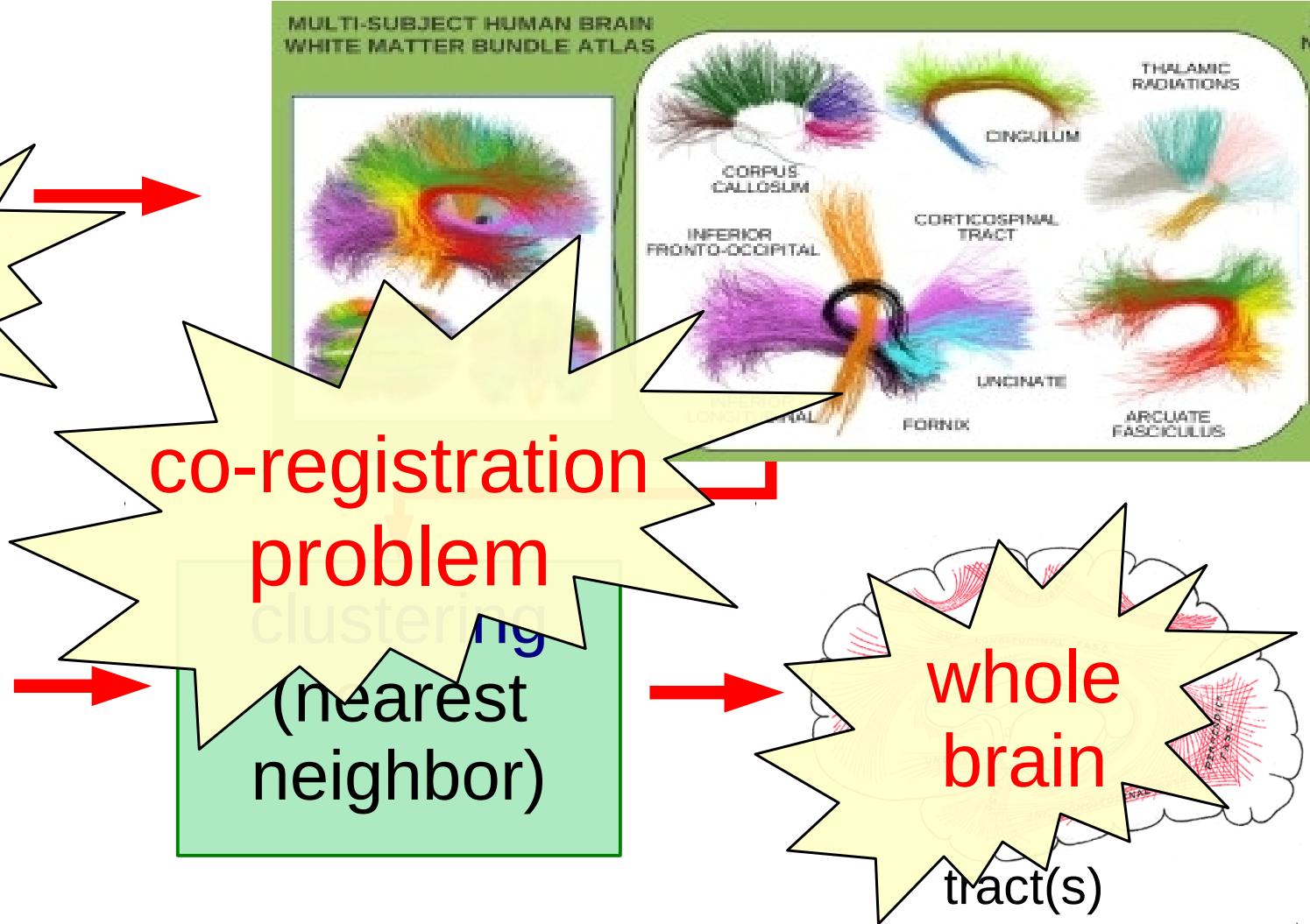
Cingulum Tract (CGT)



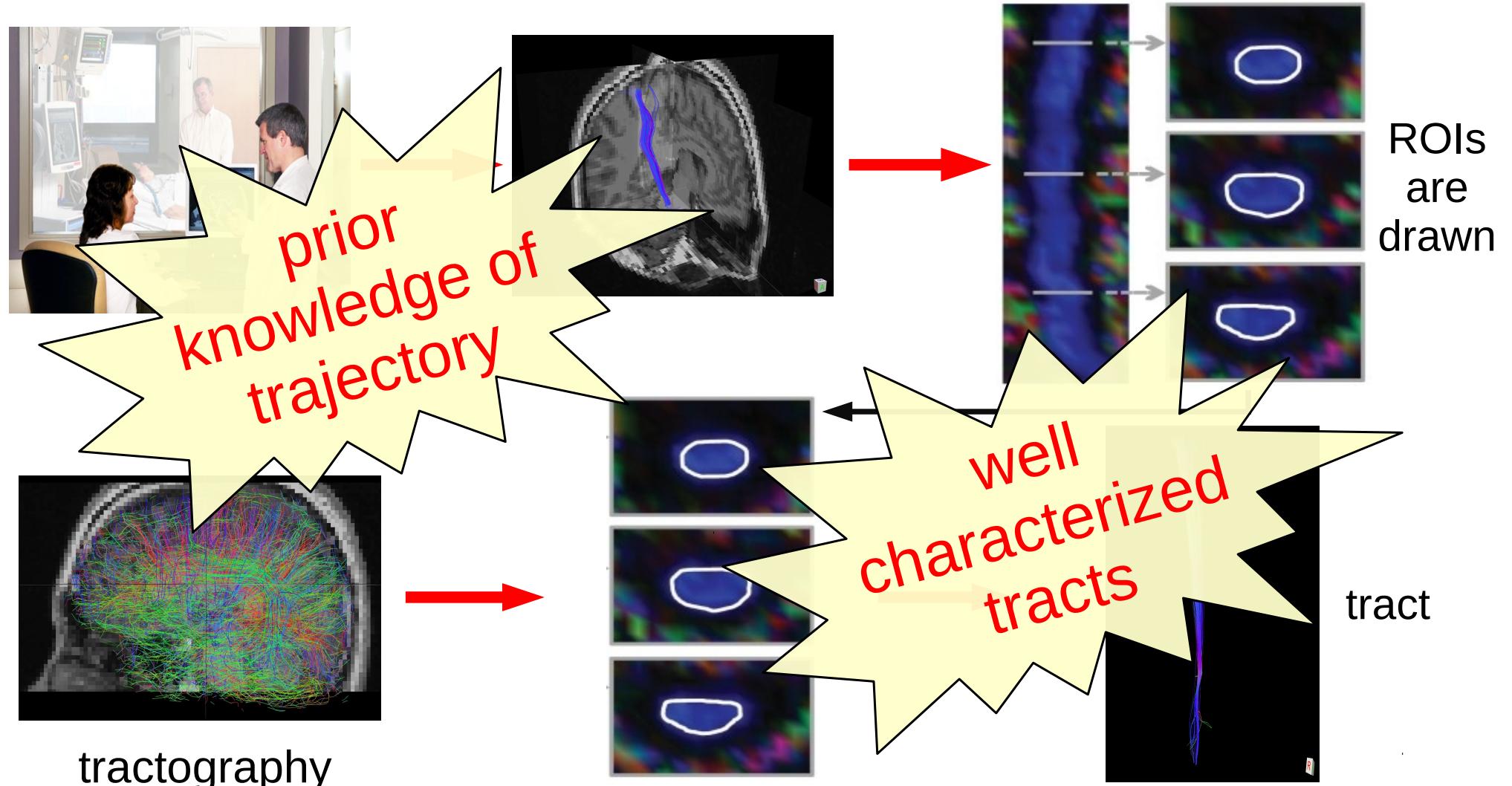
# Atlas based Tract Segmentation



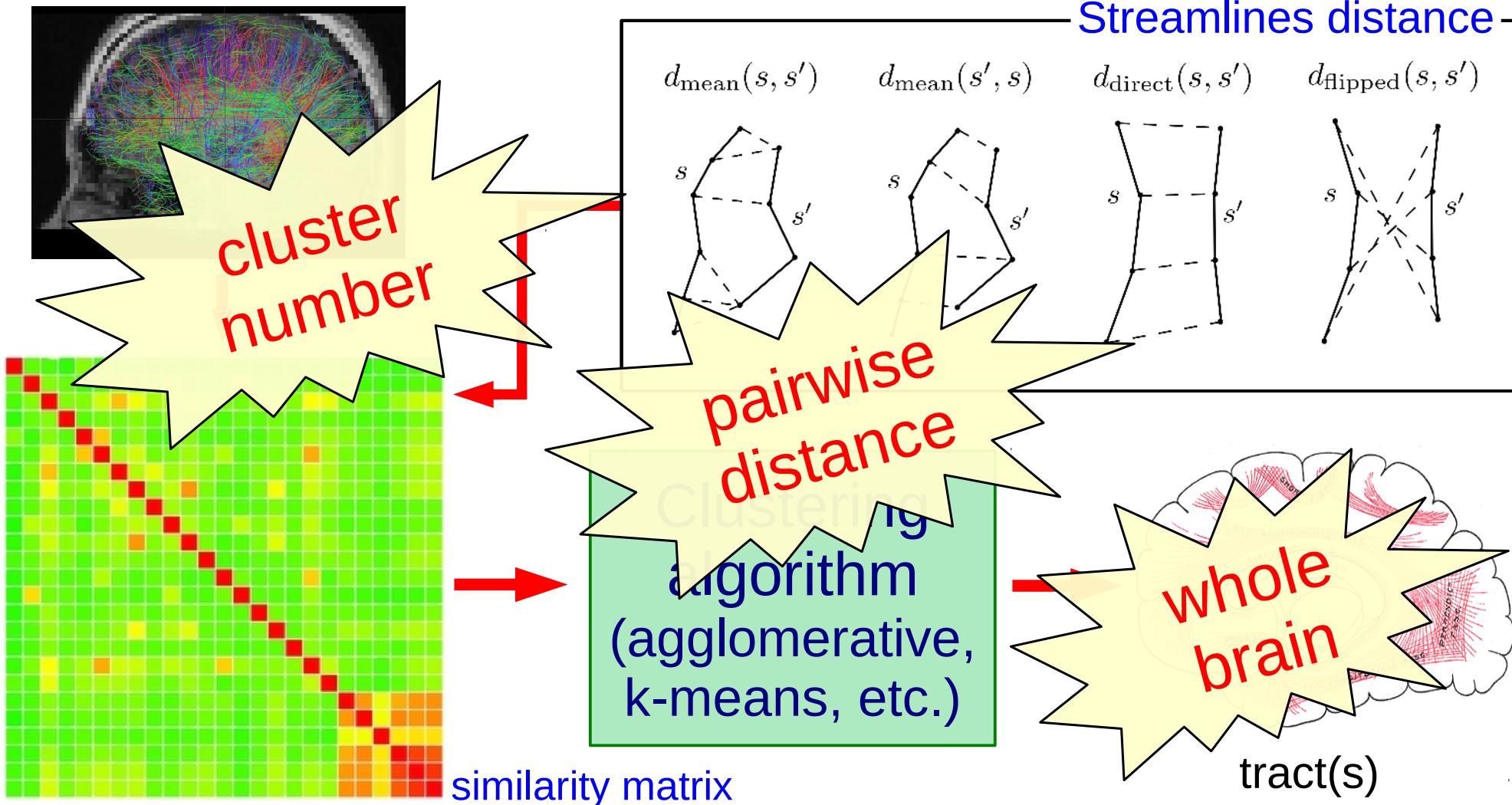
tractography



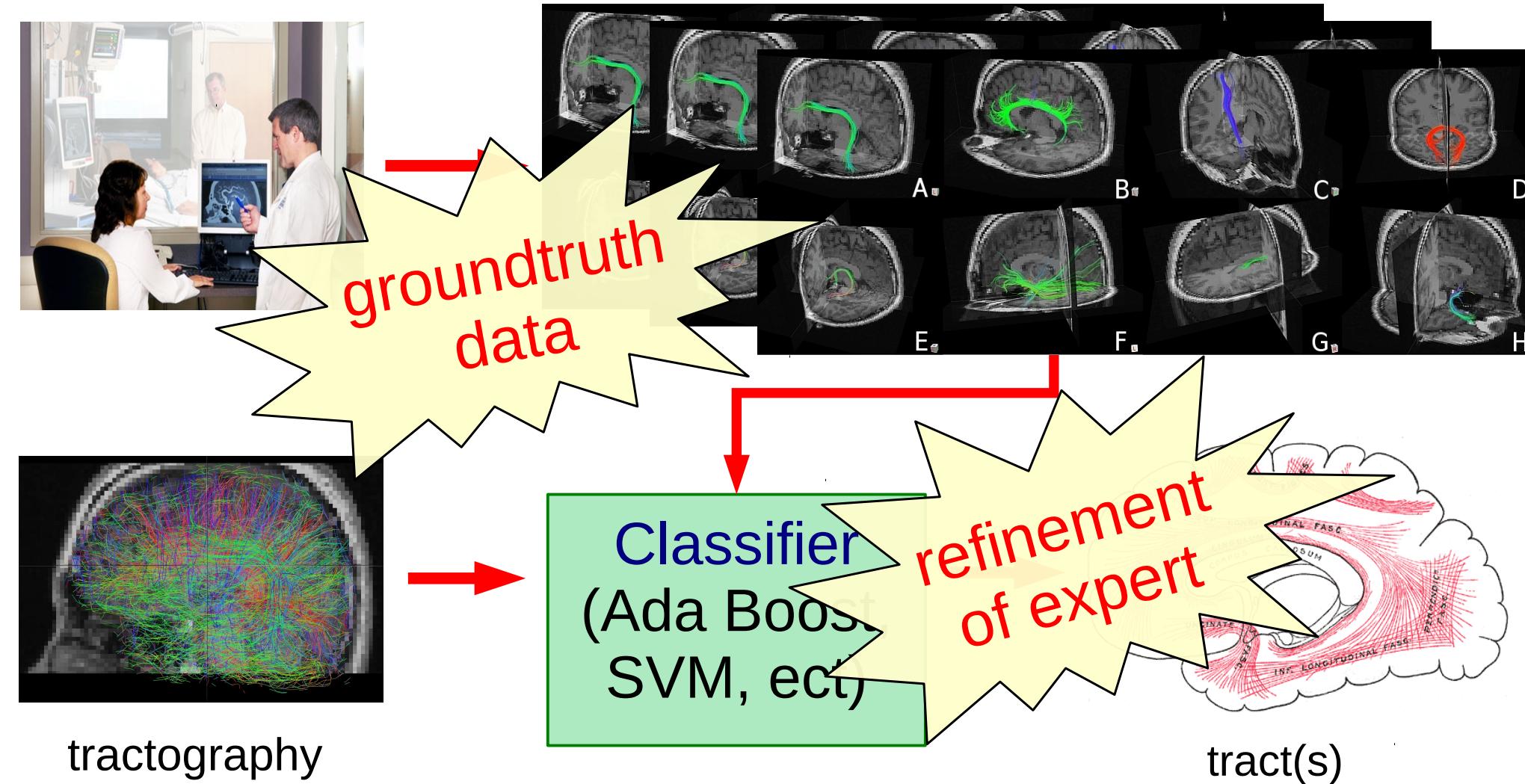
# ROI based *Tract Segmentation*



# Unsupervised Tract Segmentation



# *Supervised* Tract Segmentation



# Survey of tractography segmentation methods

Approach	Target tract / Whole brain	Related anatomy	Co-registration	Pairwise distance	Visualization /Interaction
Atlas	WB	Yes	Yes	No	No
ROI	TT (indirect)	Yes (indirect)	Yes	No	No
Unsupervised	WB	No	No	Yes (costly)	No
Supervised	TT	Yes (indirect)	Yes	No	No

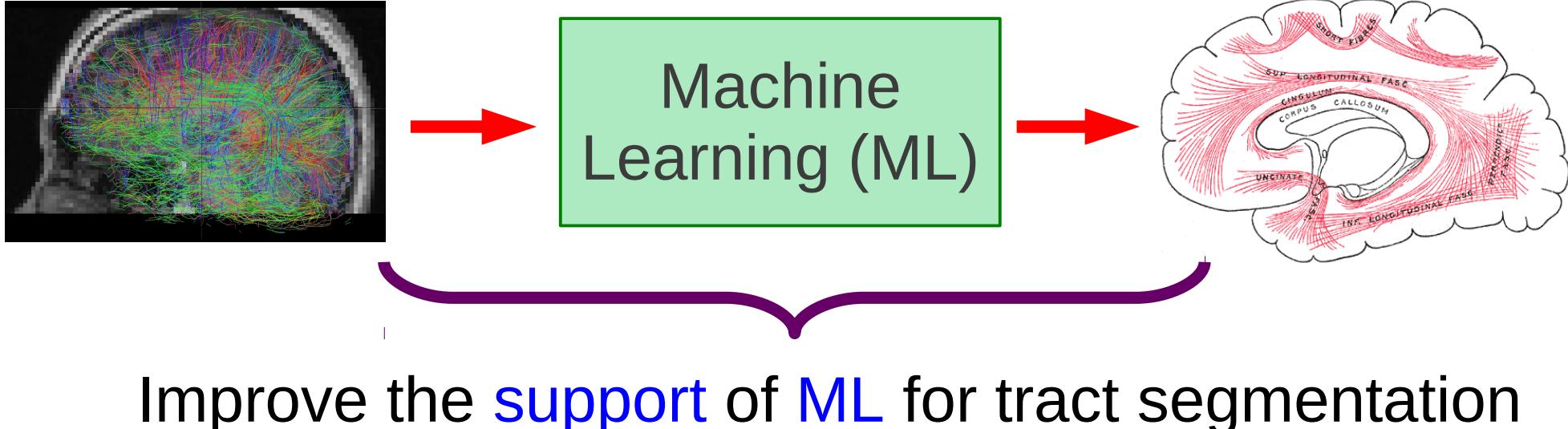


pros



con

# Goals



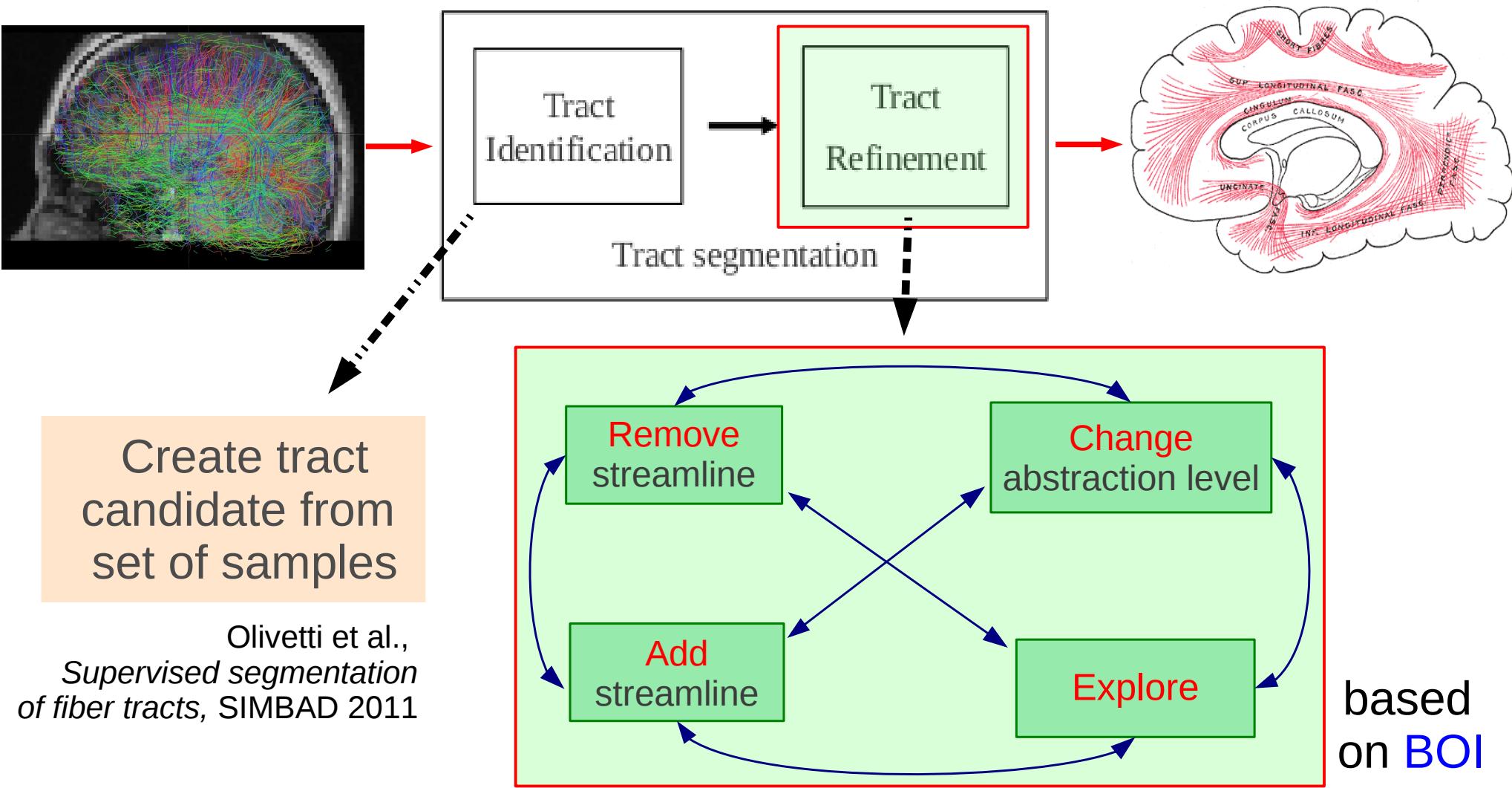
# Challenges

- design an **effective method** for tract segmentation
- **overcome** disadvantages of Atlas, ROI
- **combine** both un-supervised and supervised

# Comparison

Approach	Target tract / Whole brain	Related anatomy	Co-registration	Pairwise distance	Visualization /Interaction
Atlas	WB	Yes	Yes	No	No
ROI	TT (indirect)	Yes (indirect)	Yes	No	No
Unsupervised	WB	No	No	Yes (costly)	No
Supervised	TT	Yes (indirect)	Yes	No	No
Ours	TT	Yes	Yes(*)	No	Yes

# Process design: *interactive segmentation*

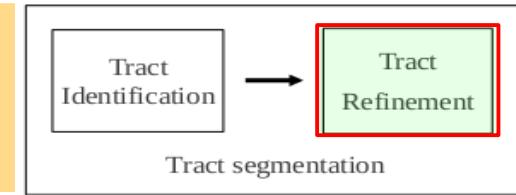


# BOI - buble of interest

- Focus **dirrectly** on which bundle (cluster of streamlines) that user wants to **work** on
- Related to **anatomy**
- Easy to **visualize** and to **interact**

Approach	ROI	BOI
Anatomy related	Yes (indirect)	Yes
Visualization	No	Yes
Interaction	No	Yes
Prior knowledge of trajectory	Yes	No

# Interactive tract refinement



## Demo of Spaghetti

# Problem statement

- Given a set of  $N$  objects  $\mathcal{X} = \{x_1, \dots, x_N\}$
- Traditional clustering: find **one partition** of  $\mathcal{X}$

$$C = \{C_1, \dots, C_K\} \text{ with } K \leq N$$

with  $C_i$  is a cluster of  $\mathcal{X}$ :  $C_i = \{x_1^i, \dots, x_j^i\}, j \leq N$

i  $C_i \neq \emptyset, i = 1, \dots, K$

ii  $\bigcup_{i=1}^K C_i = \mathcal{X}$

# Interactive clustering

- Our approach: find **a set m partitions** of  $\mathcal{X}$

$$\mathcal{P} = \{ P_1, \dots, P_m \}$$

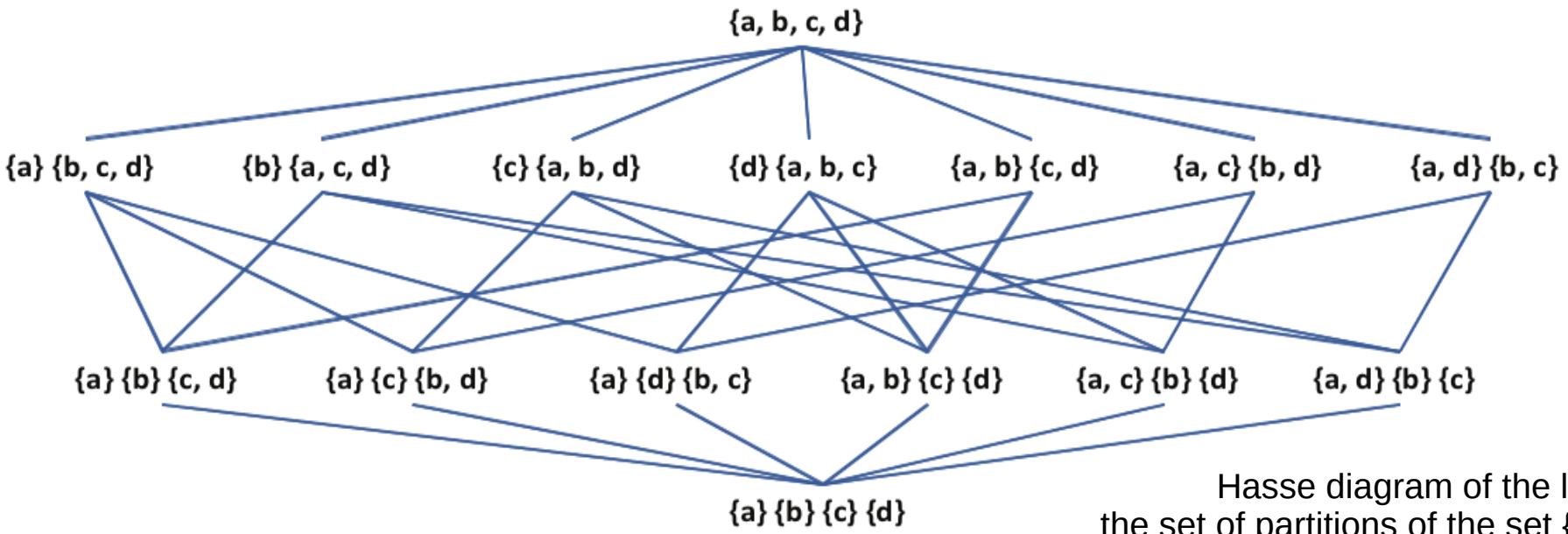
where  $P_i$  is one partition of  $\mathcal{X}$  :  $P_i = \{C_1^i, \dots, C_{d_i}^i\}$

- i  $P_i$  represents the *i<sup>th</sup> abstraction level* of  $\mathcal{X}$
- ii constraint  $\gamma$ :  $\forall i \in [1, m-1], P_i \preceq P_{i+1}$  ("nested in")
- Denoted as a triple  $\langle \mathcal{P}, \mathcal{X}, \gamma \rangle$

# Interactive clustering: partial order relation

- $\mathcal{P}_\chi$ : set of all possible partitions of  $\chi$
- Over  $\mathcal{P}_\chi$ , a partial order relation  $\preceq$  ("nested in")

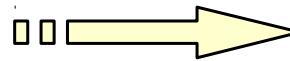
$$\forall P_a, P_b \in \mathcal{P}_\chi, P_a \preceq P_b \leftrightarrow \forall C_i^b \in P_b, \exists C_{i_1}^a, \dots, C_{i_k}^a \in P_a: C_i^b = \bigcup_{t=1}^k C_{i_t}^a$$



# Interactive clustering: update partitions

- Remove an old object  $x_{r.m} \in \mathcal{X}$

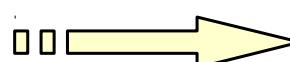
$$\mathcal{X} = \{x_1, \dots, x_N\}$$



$$\mathcal{X}' = \mathcal{X} \setminus \{x_{r.m}\}$$

- Add a new object  $x_{add}$

$$\mathcal{X} = \{x_1, \dots, x_N\}$$



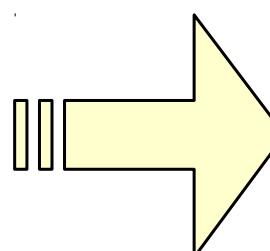
$$\mathcal{X}' = \mathcal{X} \cup \{x_{add}\}$$

$$\mathcal{P} = \{P_1, \dots, P_m\}$$

$$\langle \mathcal{P}, \mathcal{X}, \gamma \rangle, \gamma: P_i \preceq P_{i+1}$$

$i \in [1, m-1]$

current partitions



$$\mathcal{P}' = \{P'_1, \dots, P'_m\}$$

$$\langle \mathcal{P}', \mathcal{X}', \gamma' \rangle, \gamma': P'_i \preceq P'_{i+1}$$

$i \in [1, m-1]$

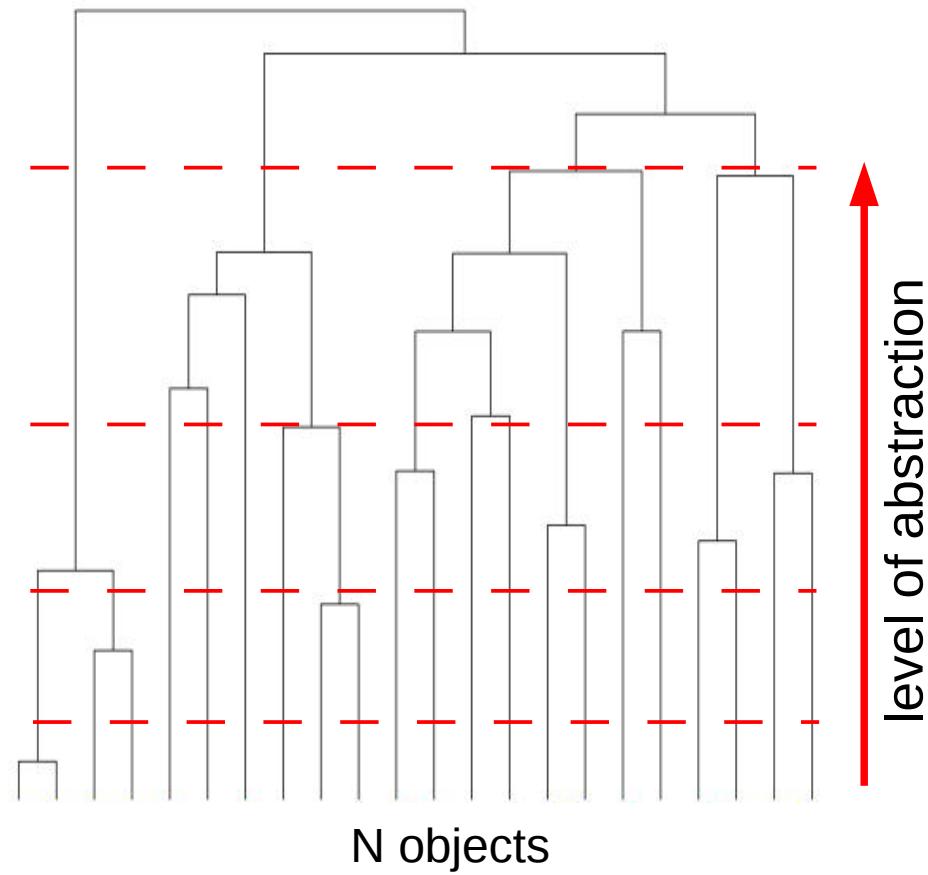
updating partitions

# Hierarchical clustering

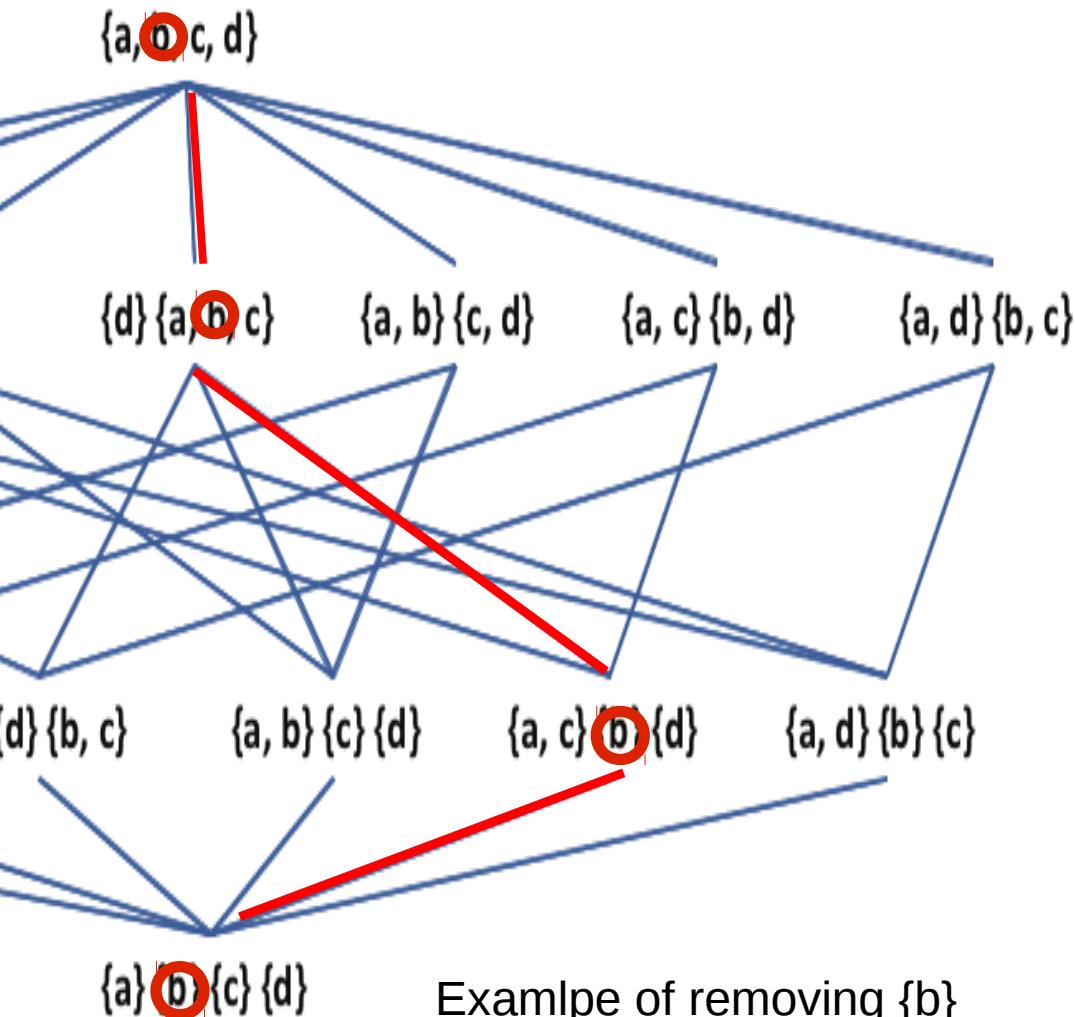
Find  $m$  partitions of  $\mathcal{X}$ :  $\mathcal{P} = \{P_1, \dots, P_m\}$ ,  $P_i \prec P_{i+1}$ ,  $i \in [1, m-1]$

## Algorithm

1. Assign each  $s_i$  to one cluster
2. Merge two closest clusters
3. Compute distances
4. Repeat until all in one cluster



# Interactive clustering: *remove object*



Removing object  $x_{r.m}$  from all partitions

$\forall P_i, i \in [1, \dots, m],$

$\forall j \in [1, \dots, d_i]:$

if  $x_{r.m} \in C_j^i$  then

$C_j^i = C_j^i \setminus \{x_{r.m}\},$

if  $C_j^i = \emptyset, P_i = P_i \setminus \{C_j^i\}$

# Interactive clustering: *add object*

Denote  $\delta_{\max}$  as the maximum distance in cluster  $C_i$

$$\delta_{\max}(C_i) = \max \{d(x, x')\}, \forall x, x' \in C_i, x \neq x'$$

1. Find the closet cluster of  $x_{\text{add}}$  in  $P_1$ :  $C_{\text{close}}(x_{\text{add}}, P_1)$

2. Start from the direct parent of  $C_{\text{close}}(x_{\text{add}}, P_1)$ :

$$C_{\text{crt}} = C_{\text{close}}(x_{\text{add}}, P_1).\text{parent}$$

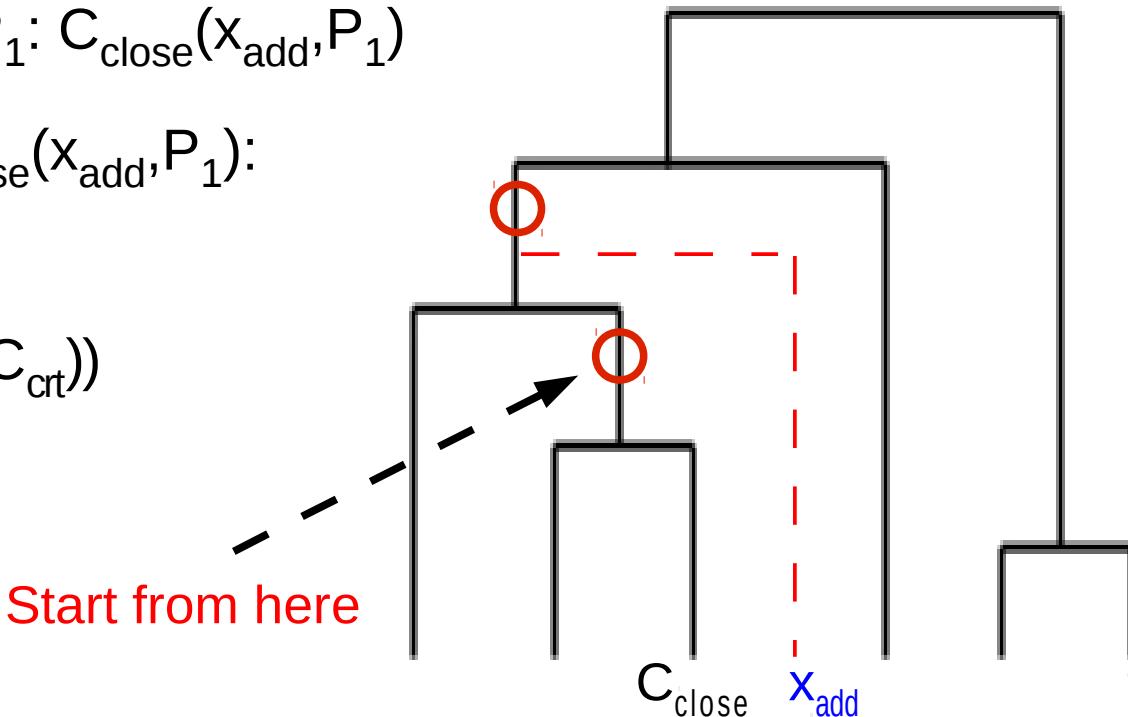
3. If  $(C_{\text{crt}} = \emptyset) \vee (d(x_{\text{add}}, C_{\text{crt}}) < \delta_{\max}(C_{\text{crt}}))$

3.1. Merge:  $C_{\text{crt}} = C_{\text{crt}} \cup \{s_a\}$

3.2. Stop

Start from here

4.  $C_{\text{crt}} = C_{\text{crt}}.\text{parent}$



# Preliminary Results

- (method) Dissimilarity representation

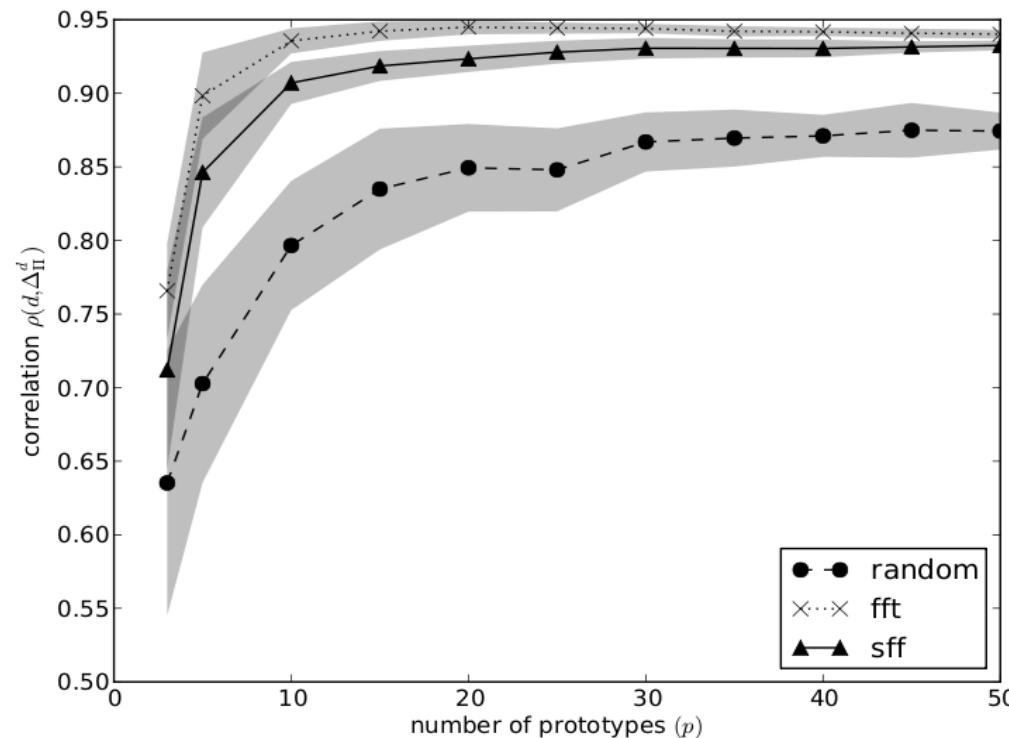
E. Olivetti, **T. B. Nguyen**, E. Garyfallidis, *The Approximation of the Dissimilarity Projection*, Pattern Recognition in NeuroImaging, PRNI 2012.

- (software/tool) Spaghetti: an interactive visualization tool for segmentation tractography

E. Garyfallidis, S. Gerhard, P. Avesani, **T. B. Nguyen**, V. Tsiaras, I. N. Smith, and E. Olivetti, *A software application for real-time, clustering-based exploration of tractographies*, OHBM 2012.

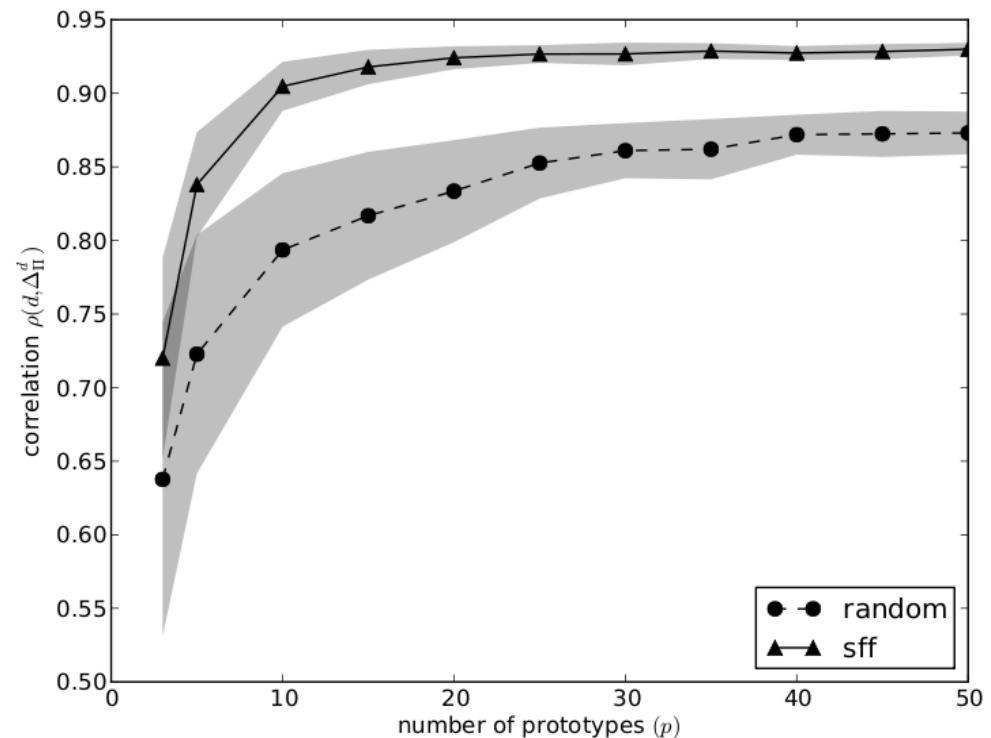
- (case study) ALS (amyotrophy lateral sclerosis) disease

# (dis)Similarity approximation for tractography



FFT: < 1secs, SFF: 2 secs (one iteration)

Tractography of  $10^3$  streamlines

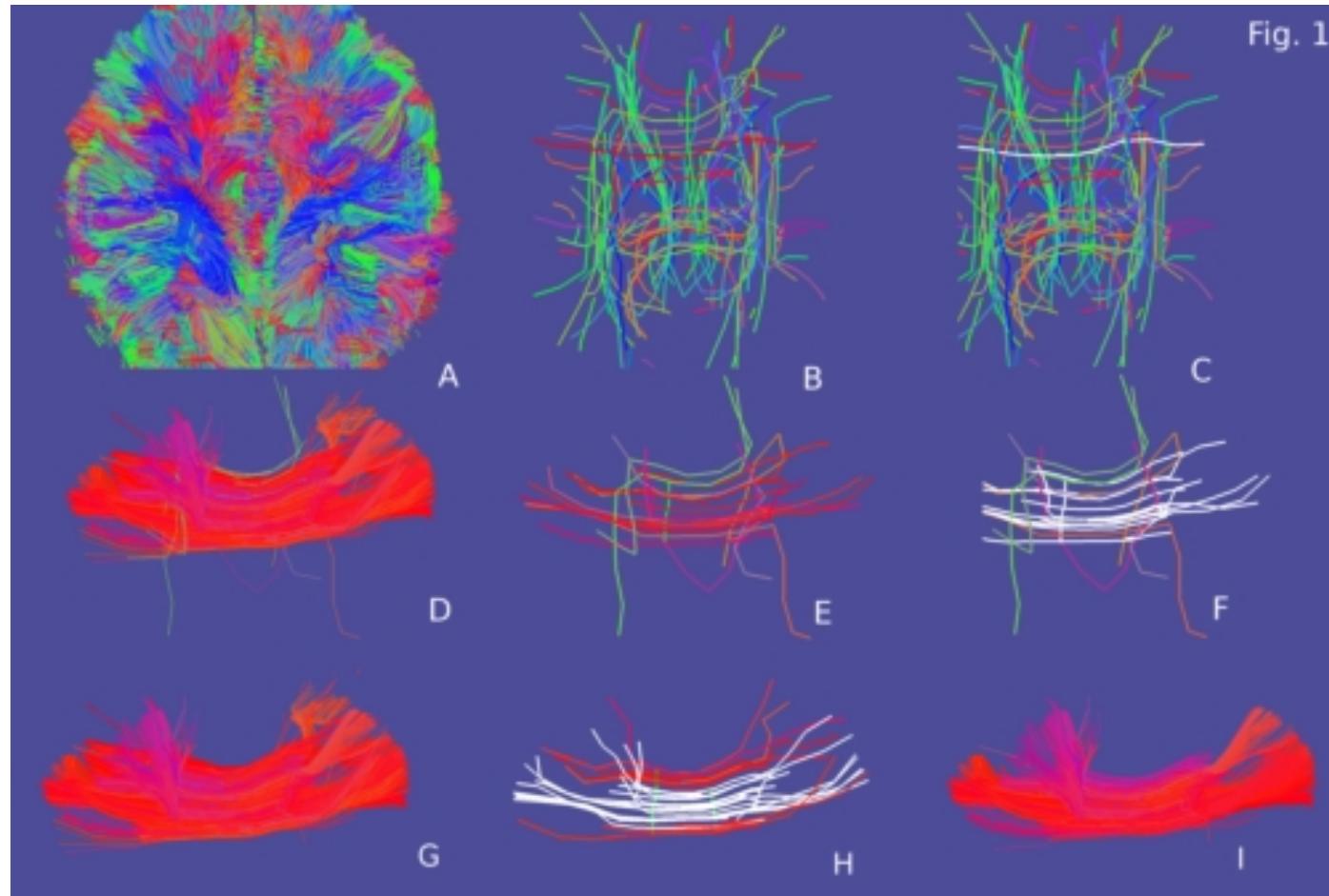


FFT: 15mins, SFF: 2 secs (one iteration)

Tractography of  $3 \times 10^5$  streamlines

# Spaghetti

- Refinement, not support the tract candidate step
- "cluster" – recluster, not change partition



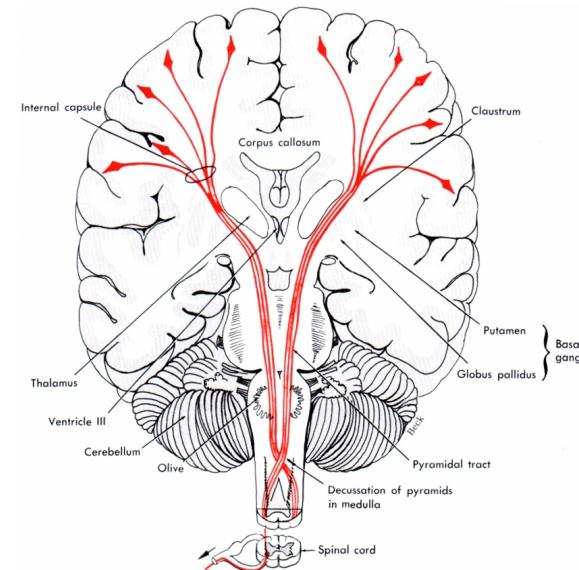
E. Garyfallidis, S. Gerhard, P. Avesani, **T. B. Nguyen**, V. Tsiaras, I. N. Smith, and E. Olivetti, *A software application for real-time, clustering-based exploration of tractographies*, OHBM 2012.

# Case study: ALS disease

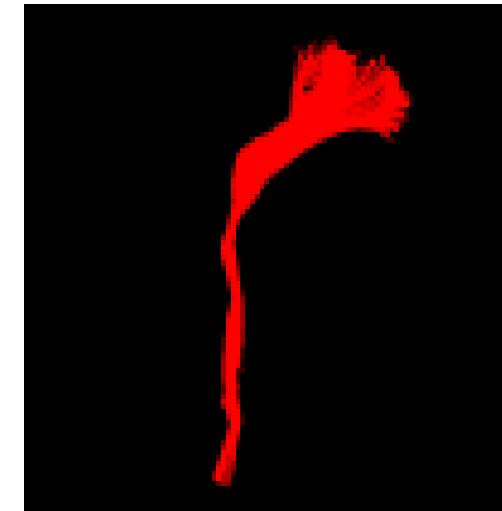
- Aim: the difference of CST between healthy and ALS (Amyotrophy Lateral Smytrophic) diseased brains
- Based on tractography approach



ALS disease



Cortical spinal tract  
(CST)



CST segmentation  
using Sphagetti

# Conclusion

- An effective method for tract segmentation:  
tract candidate (supervised) and tract refinement (clustering)
- An interactive visualization tool for tract segmentation
- ALS case study

## Future works

- Implement the modified HAC for tractography
- Revise the solution for 'adding object' to partitions
- Integrate tract candidate (supervised) into Spaghetti

# Credits

- **Nivedita Agarwal**, *S.Chiara Trento Hospital, Italy;  
University of Utah, USA*
- **Eleftherios Garyfallidis**, *University of Cambridge, UK;  
University of Sherbrooke, Canada*
- **Emanuele Olivetti**, *Fondazione Bruno Kessler, Italy*
- **Paolo Avesani**, *Fondazione Bruno Kessler, Italy*
- **Luigi Cattaneo**, *CiMeC, University of Trento, Italy*
- **Francesca Maule**, *CiMeC, University of Trento, Italy*

Thank you!