



FIGURE 2.8. The action of a linear transformation on the feature space will convert an arbitrary normal distribution into another normal distribution. One transformation, \mathbf{A} , takes the source distribution into distribution $N(\mathbf{A}^T \mu, \mathbf{A}^T \Sigma \mathbf{A})$. Another linear transformation—a projection \mathbf{P} onto a line defined by vector \mathbf{a} —leads to $N(\mu, \sigma^2)$ measured along that line. While the transforms yield distributions in a different space, we show them superimposed on the original $x_1 x_2$ -space. A whitening transform, \mathbf{A}_w , leads to a circularly symmetric Gaussian, here shown displaced. From: Richard O. Duda, Peter E. Hart, and David G. Stork, *Pattern Classification*. Copyright © 2001 by John Wiley & Sons, Inc.