

Abstract

COMMERCIAL hearing aid (HA) algorithms contain about 140 tuning parameters (say, 15 frequency bands times 7 parameters shared by the AGC and spectral subtraction modules, plus 35 filter taps shared between the feedback cancelation and beamforming filters). If we assume that each parameter can take on 5 interesting values (very low, low, medium, high, very high), then the total number of potentially interesting algorithm configurations is 5^{140} . This is far more than 5^{115} , the number of electrons in the universe. Hence, at face value, finding the optimal parameter values for a specific patient (i.e. the fitting task) appears to be at least as complex as finding a specific electron in the universe. How can we deal with this complexity? In this presentation we report on a new fitting-engineering approach where patient measurements (audiogram, listening tests etc) are transferred without loss of information to a preference distribution for HA parameter values.

Approach

- Note that patient measurements (audiogram, listening tests etc.) say something about that patient, rather than about a HA algorithm.
- ⇒ We use all patient measurements to train a ‘patient satisfaction model’ (called: utility model U), see Figure 1.
- The utility model can be updated incrementally after each single listening event, e.g. one pairwise comparison, therefore no loss of information.
- Perception involves *inference*, hence there are inherent uncertainties (e.g. finite number of subjects in trial) and inconsistencies (e.g. conflicting results from listening tests).
- ⇒ We use a completely probabilistic (Bayesian) modeling approach to properly account for all uncertainties and inconsistencies, see Figure 2, (Heskes and De Vries, 2005).
- An important result in our framework is the probability distribution (pdf) that describes a patient’s preferences for each candidate HA parameter value *relative to every other candidate value*, based on *all* observed data (auditory profiles (a) and results from listening tests (D)); this pdf is called *evidence-based* (EB) tuning distribution $p(\theta|D, a)$, which is given by

$$p(\theta|D, a) \propto \exp\left(\sqrt{\frac{K}{\sigma_u^2}} \text{EU}\right), \quad (1)$$

where $\text{EU} = (1/K) \sum_k p(x_k) U(x_k, \theta)$ is the *expected utility*, x_k the k th sample from a data base of K relevant sound samples and σ_u^2 the estimated variance of the utility noise (measures patient inconsistency).

- **(fitting):** At any time, optimal HA parameters can be selected through $\hat{\theta} = \arg \max_{\theta} p(\theta|D, a)$. If desired, this (optimization) procedure can be executed cheaply (eg for online time-varying fitting). We put the ‘complexity’ in estimating a proper utility model, which leads to ‘easy’ fitting.

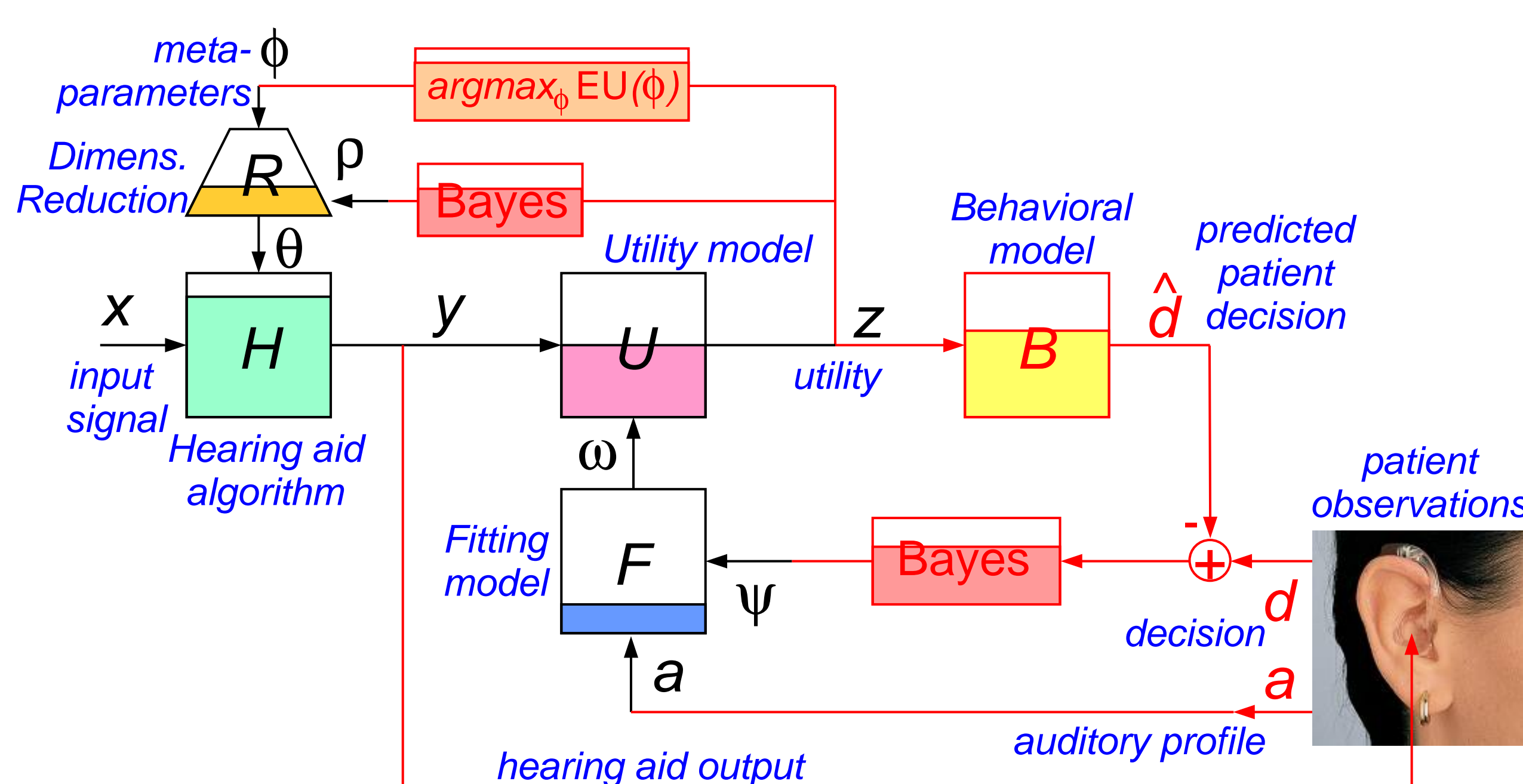


Figure 1: Flow diagram for incremental utility elicitation.

Properties and Benefits

- All data from patients (auditory profile, listening tests etc.) lead to updates of the patient satisfaction model U . This is in contrast to conventional fitting where direct maps from patient data to HA parameters are used (e.g. audiogram-to-compression-ratio fitting rules). Some advantages of our approach:
 - A trained utility model can be used to tune many (and future) HA algorithms.
 - Multiple HA parameters can be optimized at the same time.
 - Never lose information (e.g. vs. genetic algorithm tuning which ‘optimizes’ well but does not really ‘learn’ a generative model.)
 - Bayesian approach allows to pick at any time *the* most informative next listening experiment.

$$\begin{aligned}
 & p(y|x, D, a) \text{ evidence-based (EB) hearing aid (HA) algorithm} \\
 &= \sum_m p(c_m|x) \sum_j p(y|x, \theta_j) p(\theta_j|c_m, D, a) \\
 & \quad \text{environmental classifier} \quad \text{HA algorithm} \quad \text{HA prescription (EB tuning)} \\
 & \quad \int_{\Omega} p(\theta_j|\omega, c_m) p(\omega|D, a) d\omega \\
 & \quad \quad \text{tuning distribution} \quad \text{fitting distribution} \\
 & \quad \frac{\exp(\lambda r_j(\omega, c))}{\sum_i \exp(\lambda r_i(\omega, c))} \int_{\Psi} p(\omega|\psi, D_i, a_i) p(\psi|D_c, a_c) d\psi \\
 & \quad \quad \text{personal fitting} \quad \text{communal fitting}
 \end{aligned}$$

Figure 2: System architecture for Evidence-based HA algorithm.

- Because of inherent uncertainties and inconsistencies, the observed data will never point to one value as the single best HA parameter value. Only relative preferences can be determined.
- The prescription $p(\theta|D, a)$ becomes more peaked (i.e. more confidence for the mostly preferred values) if the data base size K increases and/or if σ_u^2 decreases, i.e. if listening test measurements are more consistent. This behavior is correct from an information-theoretic viewpoint.
- There is no loss of information: One pairwise comparison event delivers 1 bit of information; this 1 bit is absorbed by the preference distribution $p(\theta|D, a)$, which represents everything we know (and we can possibly know) about the HA tuning parameters.

Validation Experiment

We computed $p(G_{min}|U = Q3)$ for a noise suppression algorithm, with utility model CSII-Q3 (Kates and Arehart, 2004) on TIMIT speech database, dialect DR1, 8 speakers, 10 sentences/spk, plus (white, babble or factory) noise from NOISEX92, over the range $SNR = [-6, 20]$ dB.

- All candidate values for the G_{min} parameter have > 0 preference probability.
- Observe that confidence about optimal minimal gain increases when the calculation is based on more sound samples.
- SNR seems to be an interesting candidate for steering the G_{min} parameter.

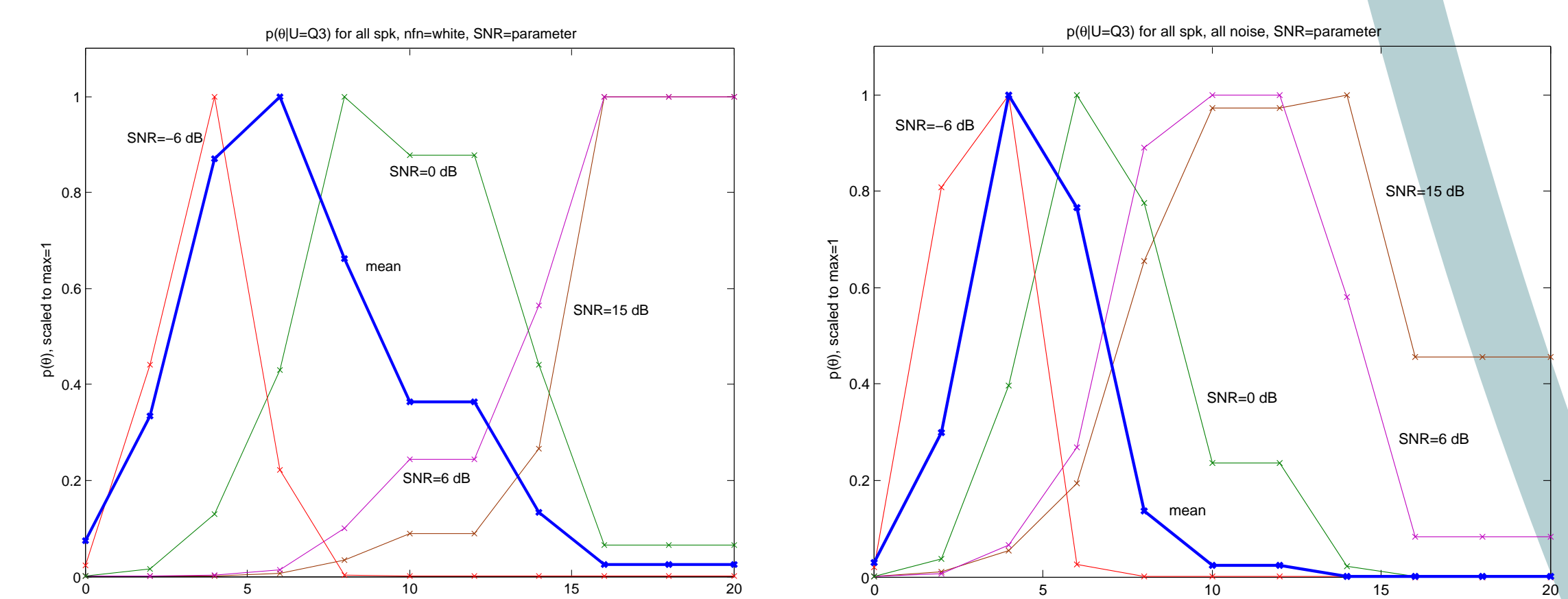


Figure 3: $p(G_{min}|U = Q3)$ for a noise suppression algo, with θ is minimal gain parameter, and CSII-Q3 utility model, TIMIT plus NOISEX-92 database. (a) for white noise, (b) average over three noise sources.

References

- Tom Heskes and Bert de Vries, Incremental Utility Elicitation for Adaptive Personalization, *BNAIC*, Brussels, 2005-10.
- James M. Kates and Kathryn H. Arehart, A metric for evaluating speech intelligibility and quality in hearing aids, *JASA*, 2004-10, pp. 2536-2537.