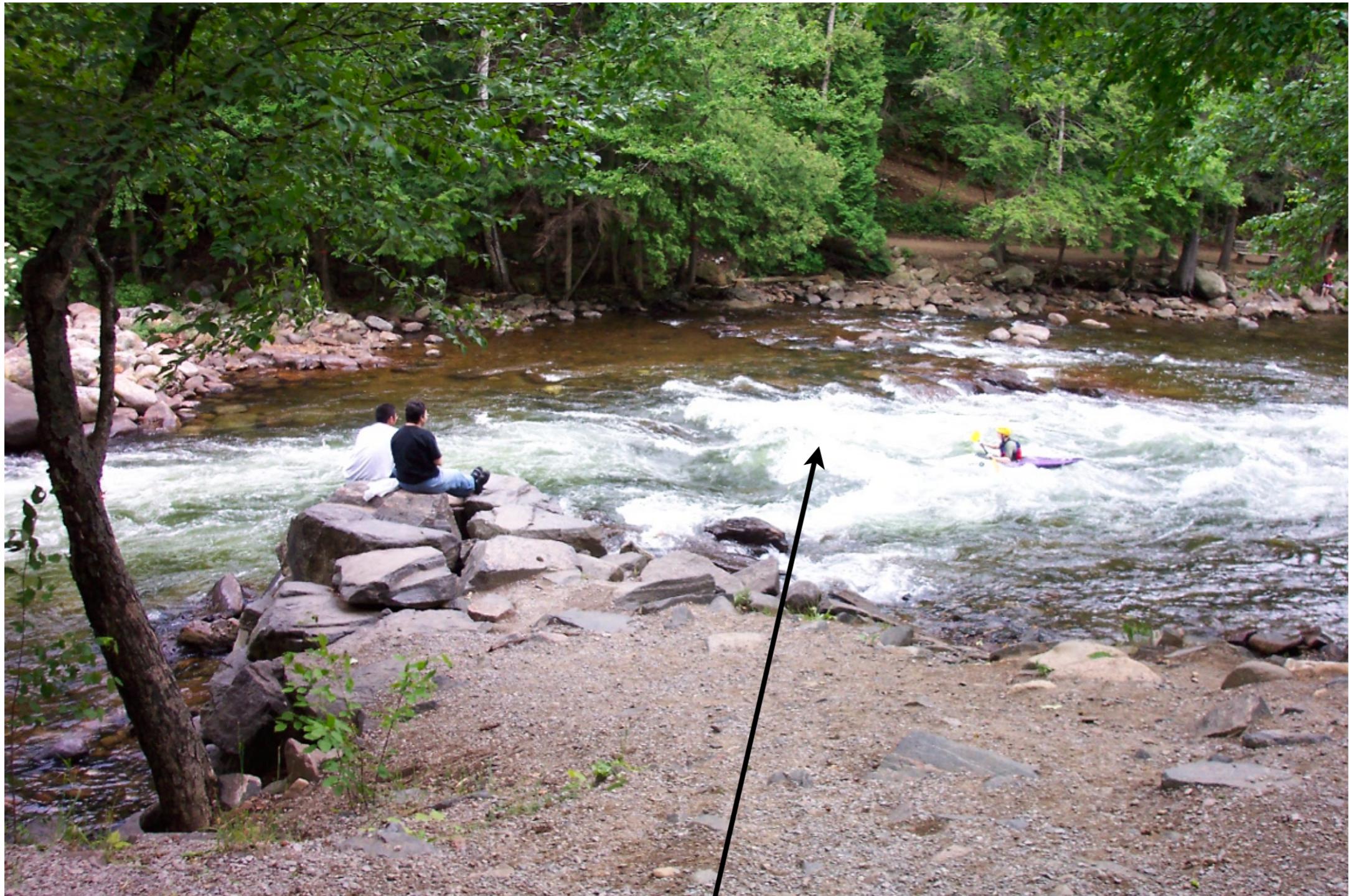


What is Computation?





$$\rho \left(\frac{\partial \mathbf{v}}{\partial t} + \mathbf{v} \cdot \nabla \mathbf{v} \right) = -\nabla p + \nabla \cdot \mathbf{T} + \mathbf{f},$$



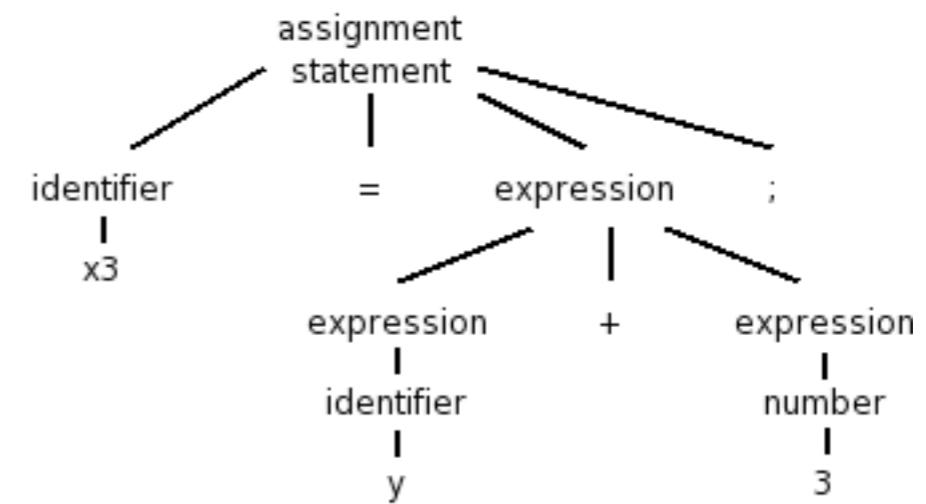
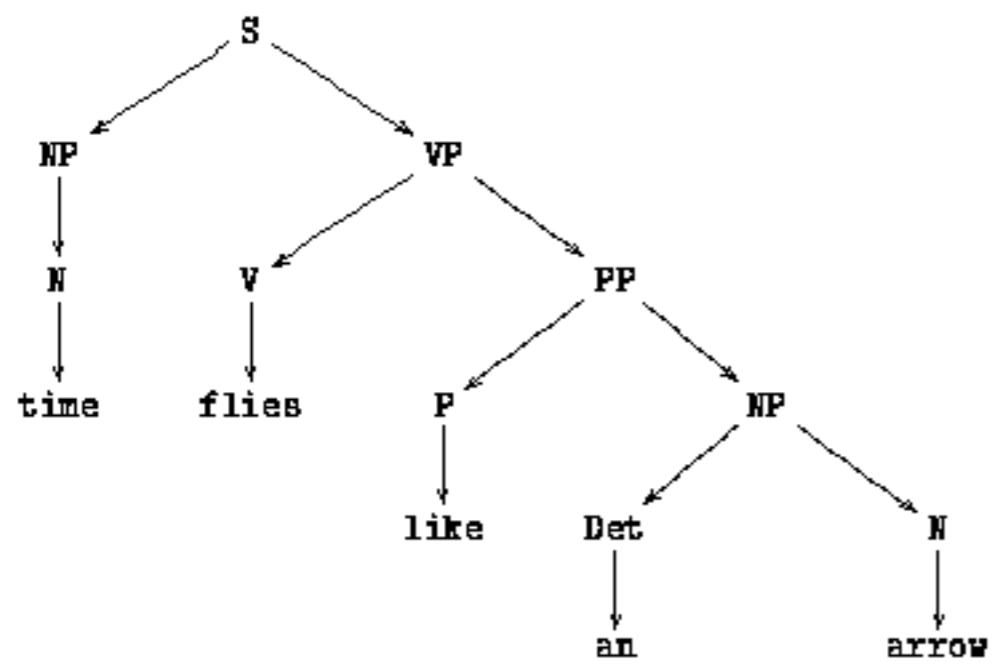
$n=7, \delta=20^\circ$
 X
 $X \rightarrow F [+X] F [-X] + X$
 $F \rightarrow FF$



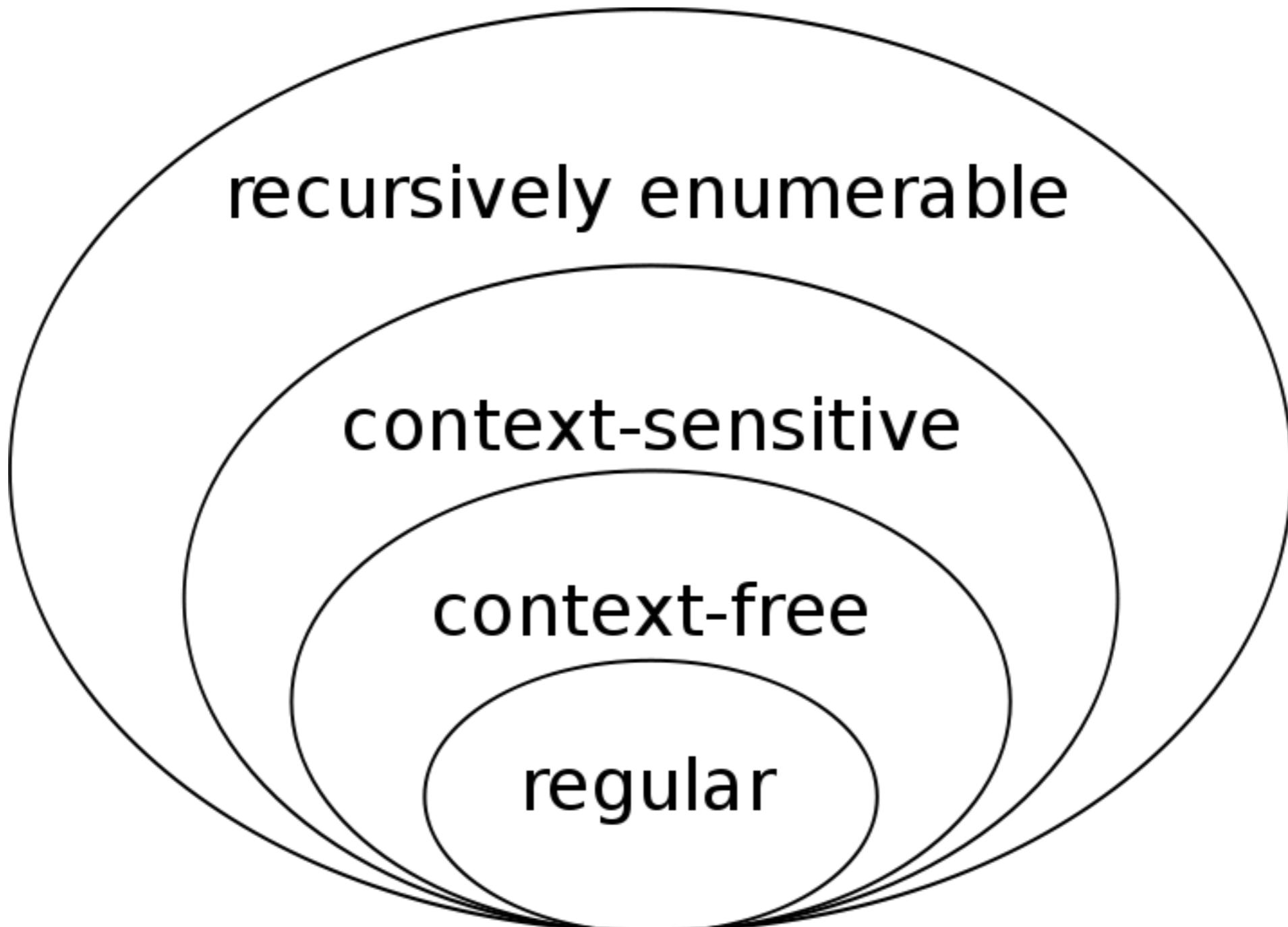
$$\tau_k \frac{\partial}{\partial t} h_k(\vec{x}, t) = h_k^r - h_k(\vec{x}, t) + \sum_{l=e,i} \Psi_{lk}[h_k(\vec{x}, t)] \cdot I_{lk}(\vec{x}, t)$$

or

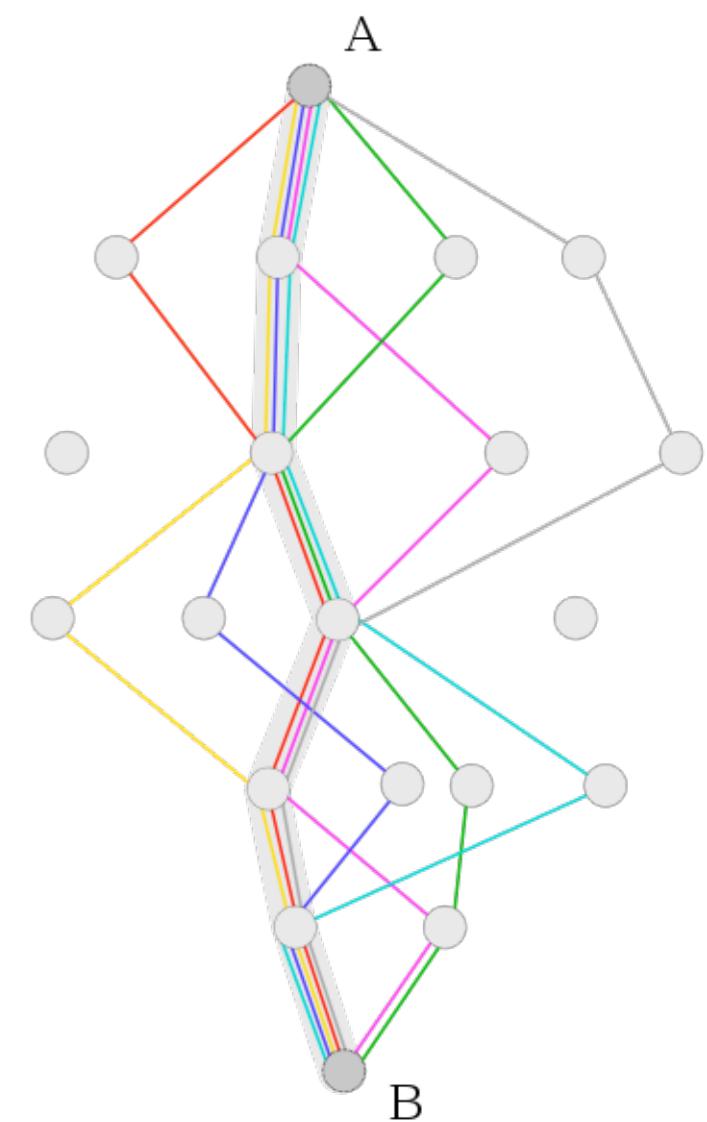
“What do I want for lunch?”



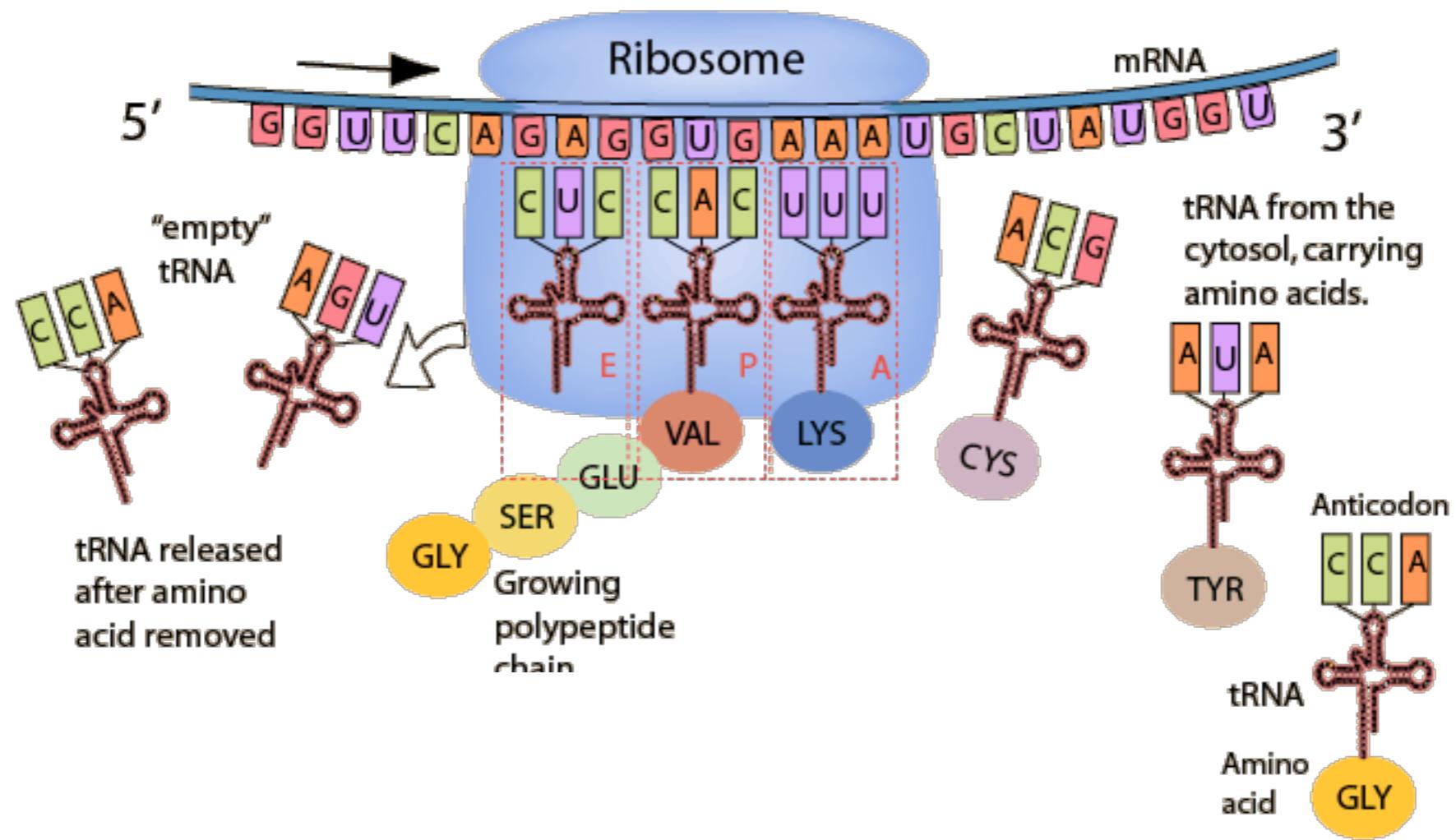
Languages are *all about* computation!



The Chomsky Hierarchy,
equally familiar to linguists and
theoretical computer scientists



$$\tau_{xy} \leftarrow (1 - \rho)\tau_{xy} + \sum_k \Delta\tau_{xy}^k \quad \Delta\tau_{xy}^k = \begin{cases} Q/L_k & \text{if ant } k \text{ uses curve } xy \text{ in its tour} \\ 0 & \text{otherwise} \end{cases}$$



Definition 0.1 A *frameshift machine* is a five-tuple $M = (\Sigma, \Gamma, \tau, E, \delta)$ where

- Σ is the finite input alphabet,
- Γ is the finite output alphabet,
- $\tau \in \mathbb{N}$ is the frame size,
- $E \subseteq \Sigma^\tau$ is the set of end frames,
- $\delta \subseteq \Sigma^* \times \Sigma^\tau \times \Sigma^* \times \Gamma \times \mathbb{Z}(\tau - 1)$,
- δ finite, is the transition relation.

So what?

If we model processes (like translation) as computations...

Proposition 0.1 *Let $x = ax'b, x \in \Gamma_{\text{AA}}^+$ with $a, b \in \Gamma$. Then*

$$(w, \lambda, 1) \vdash_{M_{\text{GEN}}^{\leftarrow}}^* (w, ax'b, k),$$
$$(v, \lambda, 1) \vdash_{M_{\text{GEN}}^{\leftarrow}}^* (v, ax'b, l),$$

implies $w(2) \cdots w(k + 1) = v(2) \cdots v(l + 1)$.

... then we can prove theorems about them.

Algorithm 1 Determine prefix and dual RNA regular expressions

input: $\alpha = (a_1, b_1) \cdots (a_n, b_n)$, $a_j, b_j \in \Gamma_{\text{AA}} \cup \{\lambda, \$\}$, $M_{\text{duo}} = (Q, \hat{\Gamma}_{\text{AA}}, F, q_0, \delta)$.
output: i , the longest prefix such that $(a_1, b_1) \cdots (a_i, b_i) \in L_{\text{duo}}$, regular expressions \bar{w}, \bar{v} for all possible w, v of minimal length corresponding to $(a_1, b_1) \cdots (a_i, b_i)$ in equations (1), (2), (3), (4) of Proposition 0.3.

```
i ← 1
inDuo ⇐ true //this will be true if the prefix of length i is in  $L_{\text{duo}}$ 
q ← 1 //start state of  $M_{\text{duo}}$ 
while  $i \leq n$  and inDuo = true
     $q \leftarrow \delta(q, (a_i, b_i))$ 
    if  $q$  is defined //true if  $(a_1, b_1) \cdots (a_i, b_i) \in L_{\text{duo}}$ 
        if  $(a_i, b_i) \leftarrow (\underline{r}, e)$  and  $(i = 1 \text{ or } i - 1 \in \{(\underline{s}, \underline{l}), (\underline{l}, \underline{s}), (\underline{h}, \underline{t}), (\underline{c}, \underline{v}), (\underline{y}, \underline{i}), (\underline{a}, \underline{r}), (\underline{r}, \underline{a}), (\underline{f}, \underline{l}), (\underline{p}, \underline{p}), (\underline{g}, \underline{g})\})$  then  $\bar{w}(3(i - 1) + 1) \leftarrow \{\text{A, C}\}$ .
            //as discussed above.
        else let  $\bar{w}(3(i - 1) + 1)$  be the unique first character of words in  $\rho(a_i, b_i)$ .
        if  $(a_i, b_i) = (e, \underline{r})$  and  $(i = 1 \text{ or } i - 1 \in \{(\underline{s}, \underline{l}), (\underline{l}, \underline{s}), (\underline{t}, \underline{h}), (\underline{v}, \underline{c}), (\underline{i}, \underline{y}), (\underline{a}, \underline{r}), (\underline{r}, \underline{a}), (\underline{l}, \underline{f}), (\underline{p}, \underline{p}), (\underline{g}, \underline{g})\})$  then  $\bar{v}(3(i - 1) + 1) \leftarrow \{\text{A, C}\}$ .
        else let  $\bar{v}(3(i - 1) + 1)$  be the unique first character of words in  $\rho(b_i, a_i)$ .
        let  $\bar{w}(3(i - 1) + 2)$  and  $\bar{w}(3(i - 1) + 3)$  be unique 2nd, 3rd chars of words in  $\rho(a_i, b_i)$ .
        let  $\bar{v}(3(i - 1) + 2)$  and  $\bar{v}(3(i - 1) + 3)$  be unique 2nd, 3rd chars of words in  $\rho(b_i, a_i)$ .
        i++
    else inDuo ⇐ false.
let  $\bar{w}(3(i - 1) + 4)$  be the set of all last ribonucleotides of strings in  $\rho(a_i, b_i)$ .
let  $\bar{v}(3(i - 1) + 4)$  be the set of all last ribonucleotides of strings in  $\rho(b_i, a_i)$ .
output  $i - 1, \bar{w}, \bar{v}$ 
```

... and develop new algorithms.

**What is Computer
Science?**

Every process is a computation.

*Computer Scientists study computation,
not necessarily computers.*

**“Computer Science is no more about computers than
astronomy is about telescopes”**



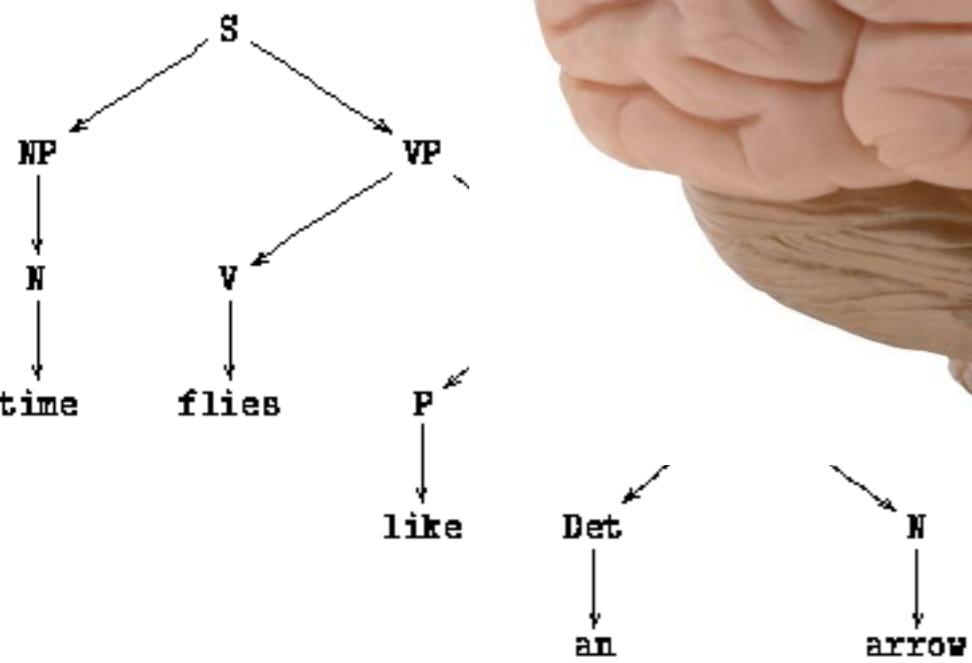
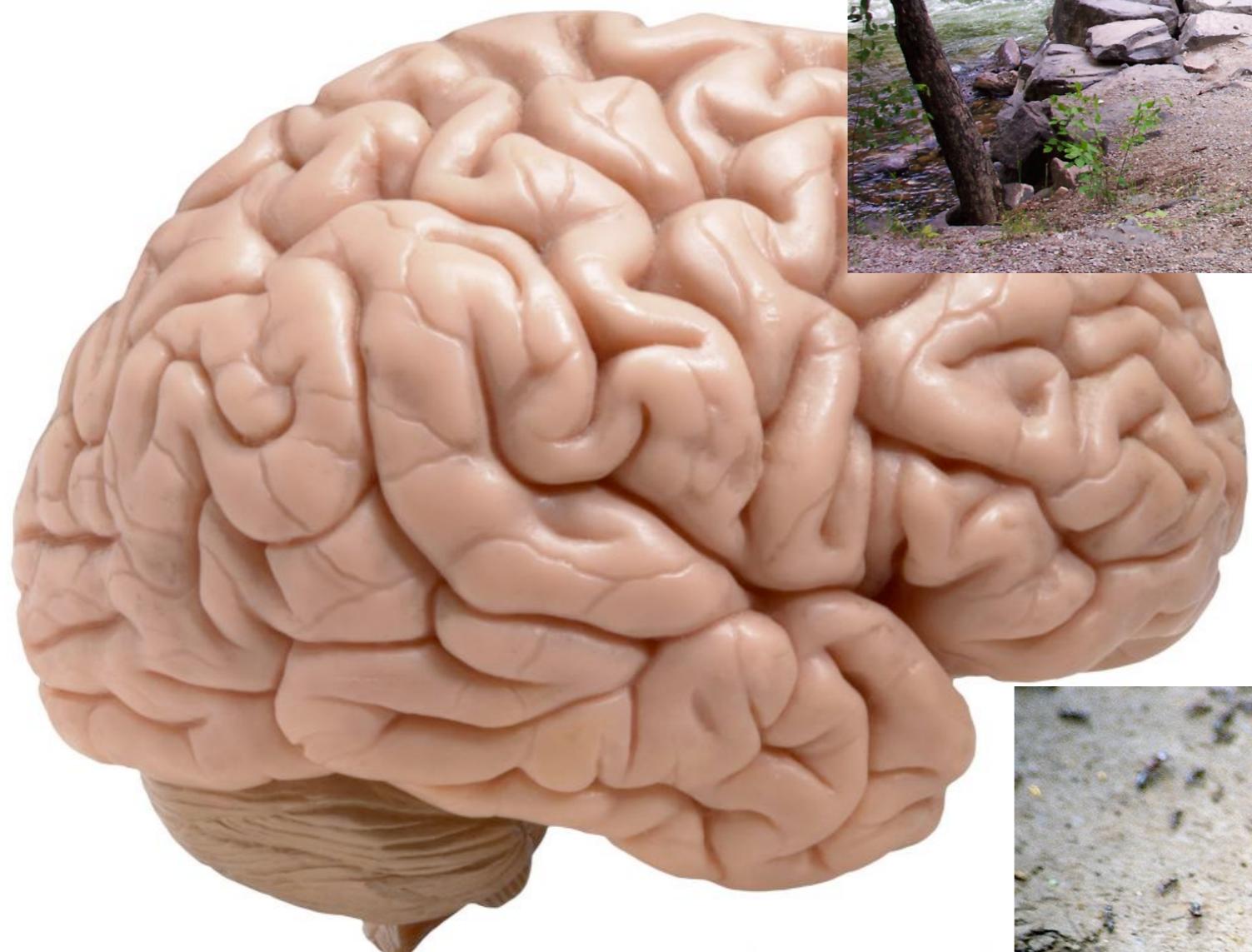
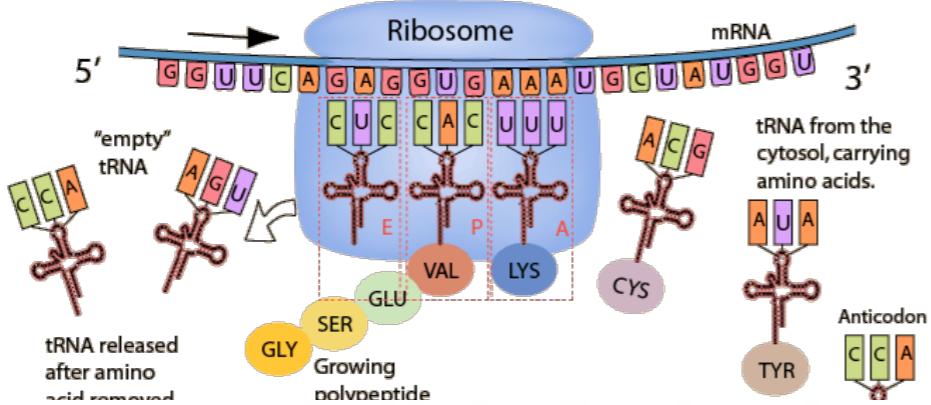
(attribution disputed)

I love that quote, because it's true for me.

But for all of CS? It's **complete bullshit**.

Some of us study *computation*, but some
of us really do study telescopes.
I mean “computers”.

What is a Computer?



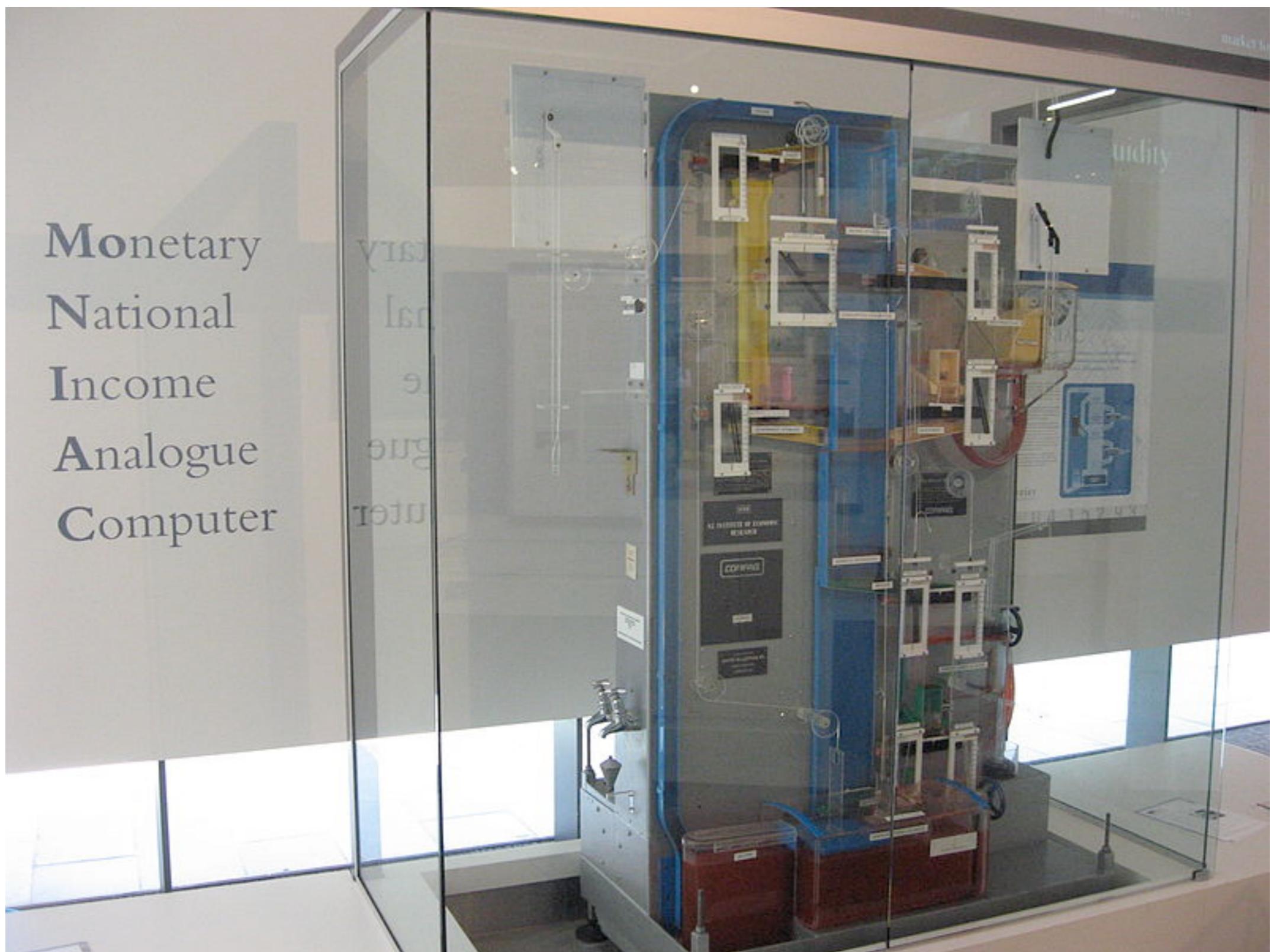
Even if we restrict ourselves to human-made, “artificial” computers, there’s more than you might think...

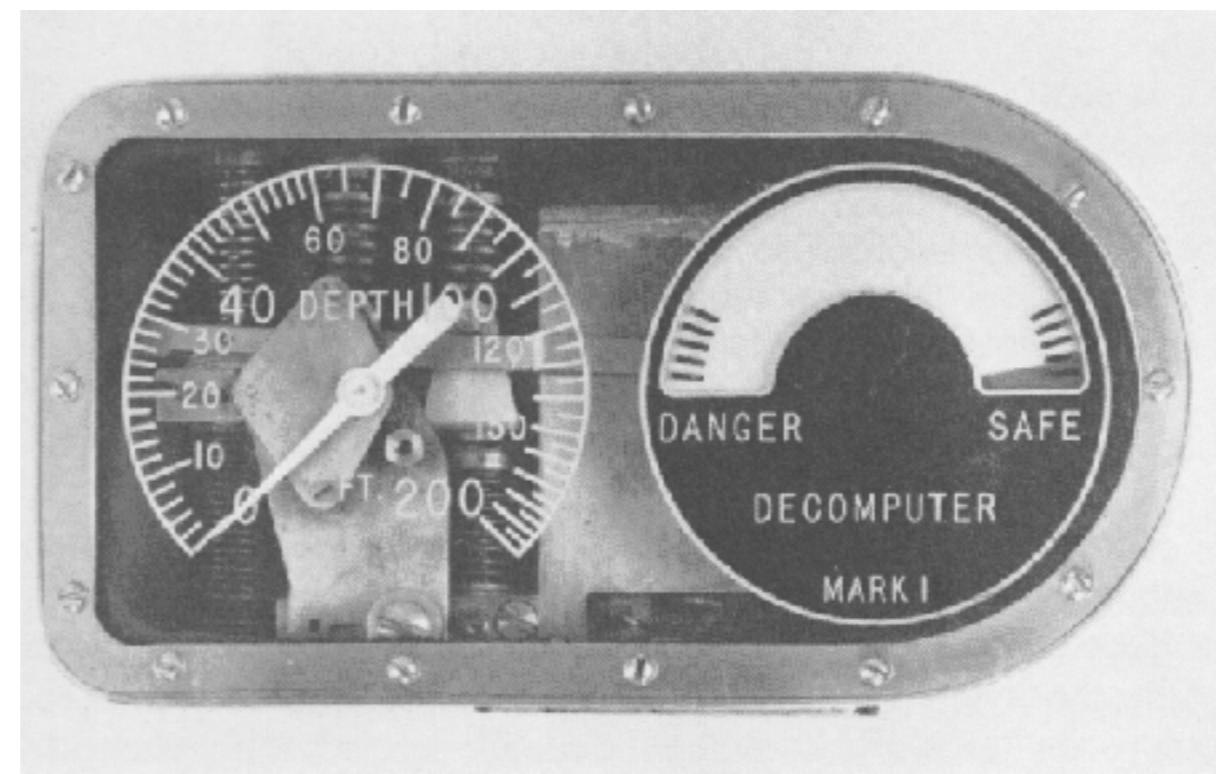


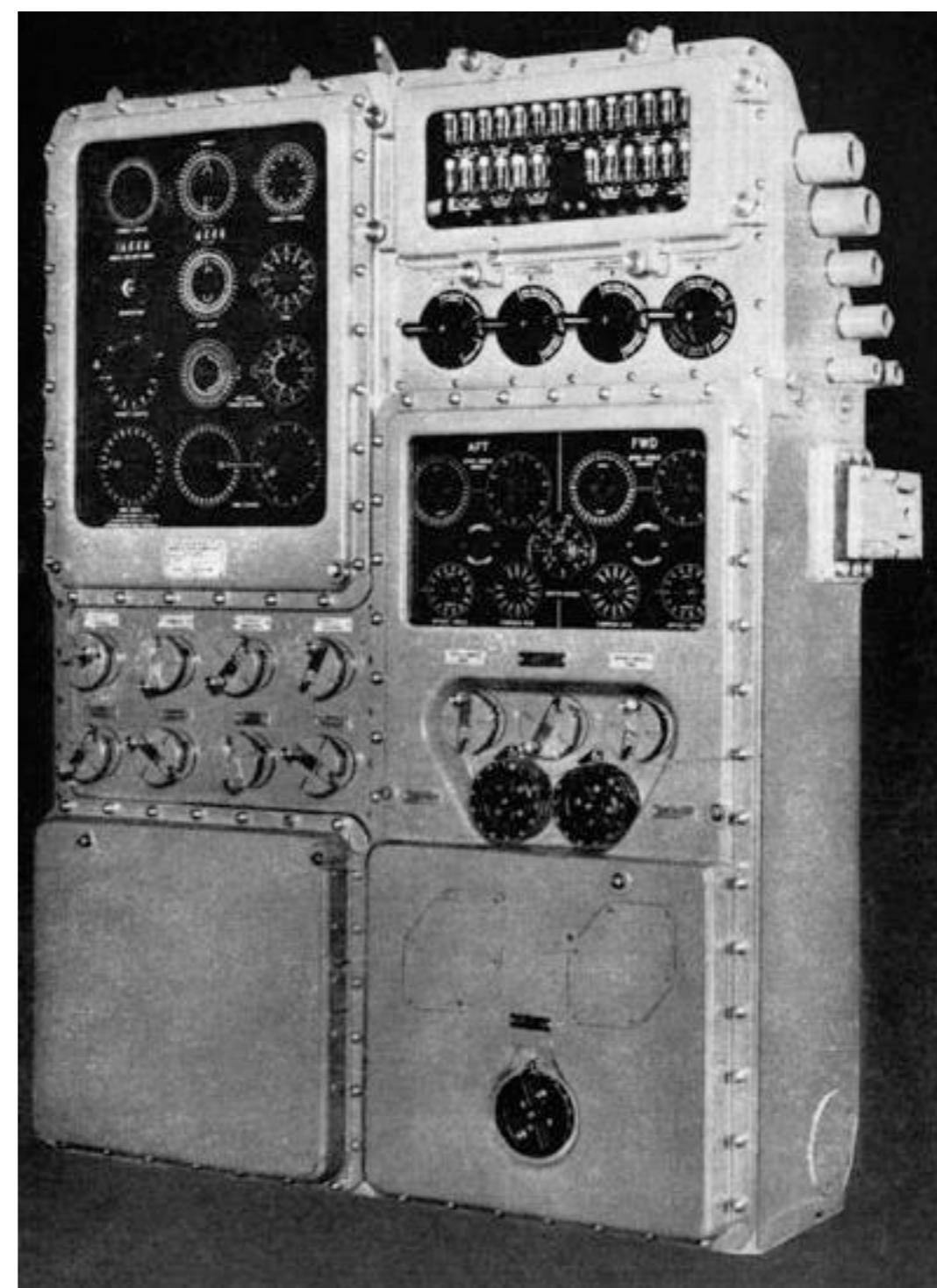




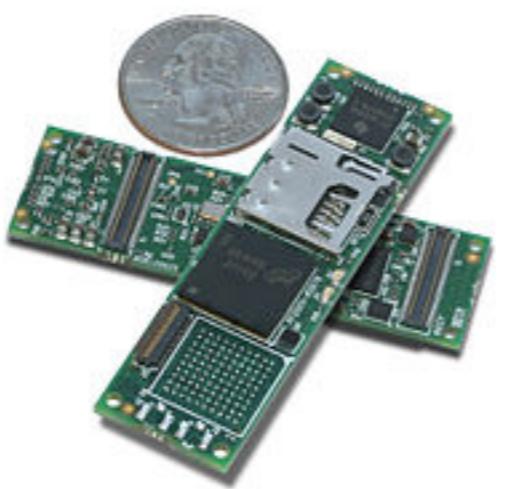
Monetary National Income Analogue Computer

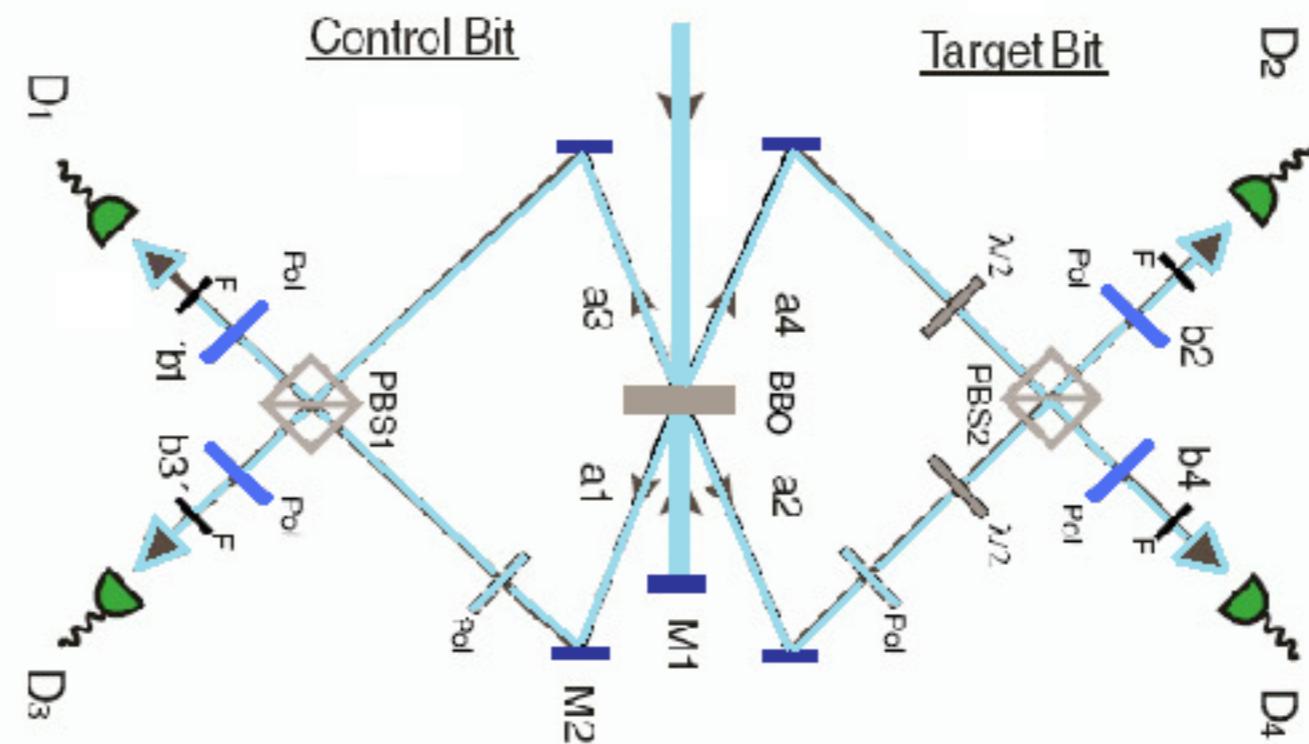




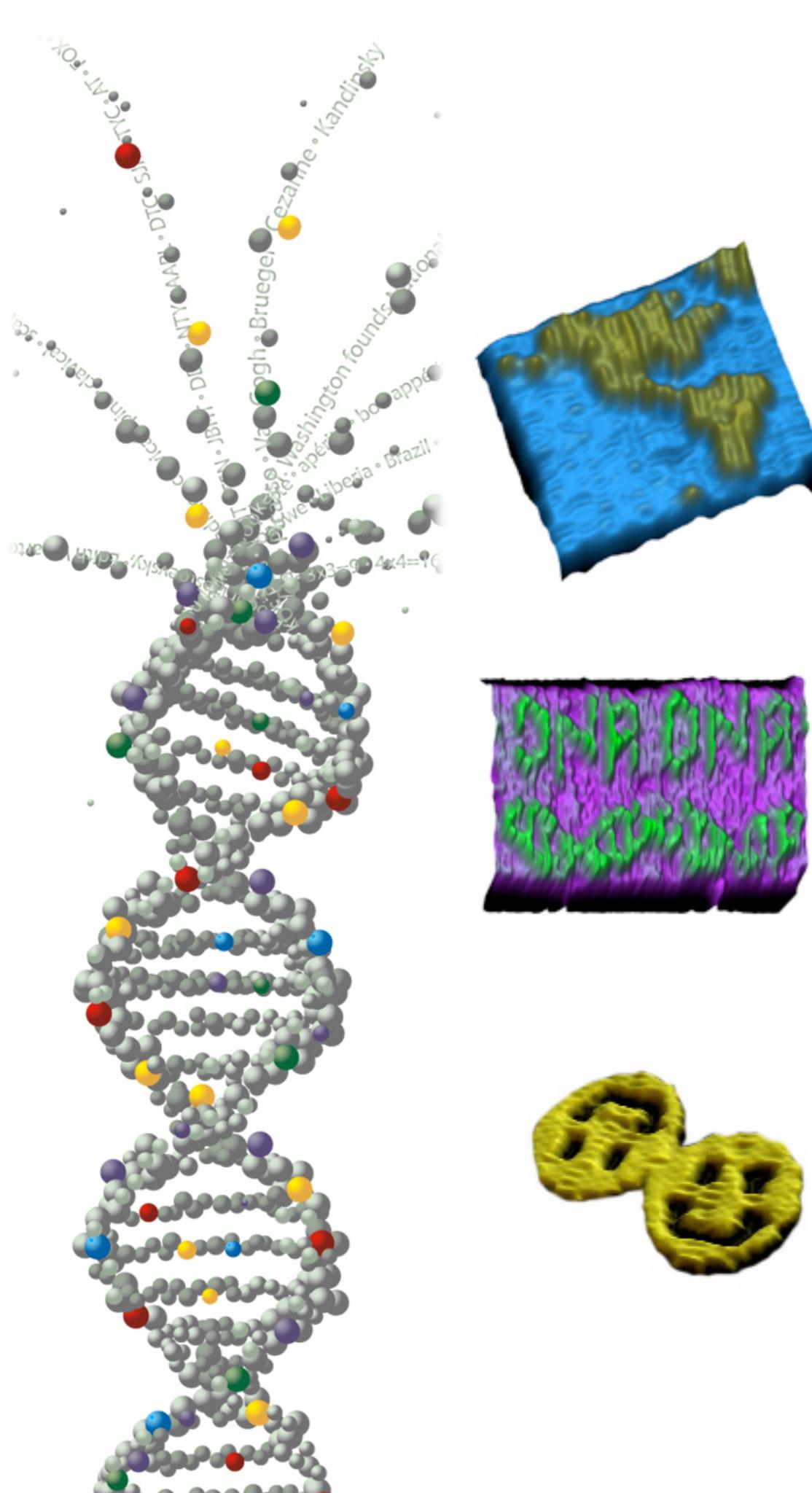








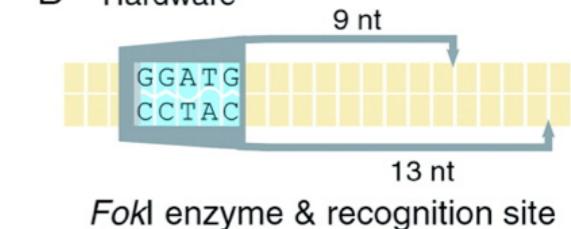
$$a|000\rangle + b|001\rangle + c|010\rangle + d|011\rangle + e|100\rangle + f|101\rangle + g|110\rangle + h|111\rangle$$



A Explanation of state and symbol encoding

Symbol	a	b	terminator (t)
$\langle S_1, a \rangle$	$\langle S_1, b \rangle$	$\langle S_1, t \rangle$	
$\langle S_0, a \rangle$	$\langle S_0, b \rangle$	$\langle S_0, t \rangle$	
encodings & sticky ends			
	TGGCT	GCAGG	GTCTGG

B Hardware



C Software



D Input



E Computation through symbol cleavage and scatter

