





$$-\nabla^2 u = f \quad \text{an} \Omega$$

$$U = g_0 \quad \text{an} \partial_0 \Omega$$

$$\frac{\partial u}{\partial n} = g_N \quad \text{an} \partial_N \Omega$$

= Quen contrard normal · in terms of the model, if  $g_N < 0$  on  $\partial_N \mathcal{R}$ then heat is being applied along DNR

- · as before, go gives temperature along JoR
- · derive weak form:

$$-\nabla^2 u = f$$

$$\int -(r^2 w)v = \int_{\Omega} fv$$

$$V \in H_0'(\Omega)$$

V=0 along ~~~ 30 JI

 $\int -\nabla \cdot (\nabla u \cdot \nabla v) + \nabla u \cdot \nabla v = \int_{\mathcal{X}} f v$ divergine of
theorems  $\int_{\mathcal{X}} \nabla u \cdot \nabla v dv = \int_{\mathcal{X}} f v dv + \int_{\mathcal{X}} v \nabla u \cdot \hat{n} ds$ = Situdx + Sour gn V ds