

## Sensors and transmitters.

The transfer function of the **sensor/transmitter** combination relates its output signal to its input, which is the process variable; this is shown in Fig. 5-1.1. The simplest form of the transfer function is a first-order lag:

$K_T$  transmitter gain

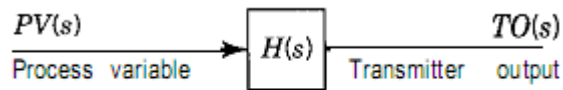
$\tau_T$  transmitter time constant

When the relationship between the **transmitter output (TO)** and the **process variable (PV)** is linear, the transmitter gain is simple to obtain once the span is known.

Consider an electronic pressure transmitter with a range of 0 to 200 psig.

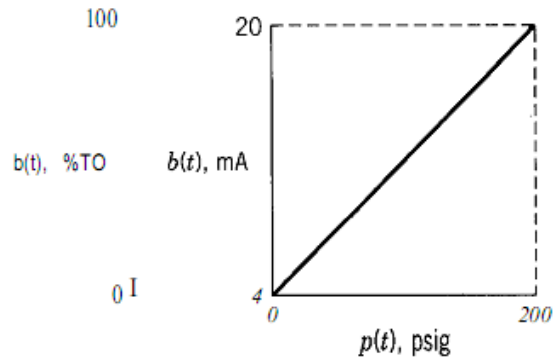
Figure 5-1.2 shows the output versus the process variable (input). From the definition of gain in Chapter 3, the gain of a linear transmitter can be obtained by considering the entire change in output over the entire change in input, which is the span of the transmitter.

Thus the gain of a sensor/transmitter is the ratio of the span of the output signal to the span of the measured variable.



**Figure 5-1.1** Block diagram of a sensor/transmitter combination.

$$H(s) = \frac{K_T}{\tau_T s + 1}$$



**Figure 5-1.2** Linear electronic pressure transmitter.

$$K_T = \frac{(20 - 4) [mA]}{(200 - 0) [psig]} = \frac{16 [mA]}{200 [psig]} = 0.08 \left[ \frac{mA}{psig} \right]$$

The preceding example assumed that the gain of the **sensor/transmitter** is **constant** over the complete operating range. For most sensor/transmitters this is the case, but there are some instances, such as a differential pressure sensor used to measure flow, when this is not so.

A differential pressure sensor measures the differential pressure,  $h$ , across an orifice. Ideally, this differential pressure is proportional to the square of the volumetric flow rate,  $J$ . That is,