

# Tracking People using Multiple Kinects: Literature Review

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## 1 PROJECT

The current project proposes an algorithm for tracking people using multiple Kinects. The proposed algorithm would reliably track targets' appearance, position, and movement in realtime. [Tracking people using other technologies]. The algorithm would be suited to applications that require people tracking, including gesture recognition, motion prediction, medical monitoring, and surveillance.

### 1.1 CONTRIBUTIONS

#### 1.1.1 PROBLEM OF OCCLUSION

Real world environments are dynamic. Occlusion occurs when the tracked target is hidden by other objects in the field of view of one or more cameras. There are two types of occlusions. Static occlusion refers to stationary objects, and it can be accounted by placing cameras at locations that encapsulate the entire world view. Dynamic occlusion arises from the interactions of targets in the environment, such as two person walking past each other. The project aims to resolve both types of occlusion using multiple Kinects.

The problem of occlusion is illustrated in Figure 1.1.

## 1.2 KINECT

## 2 INFRARED

## 3 RGB

### 3.1 NORMALIZATION

### 3.2 COLOR HISTOGRAM

### 3.3 HISTOGRAM OF GRADIENTS (HOG)

### 3.4 SCALE-INVARIANT FEATURE TRANSFORM (SIFT)

## 4 DEPTH

## 5 MULTIPLE KINECTS

### 5.1 CALIBRATION

### 5.2 MERGING THE FOVS

## 6 THE PLAN

## 7 HEADING ON LEVEL 1 (SECTION)

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$$\begin{aligned}(x+y)^3 &= (x+y)^2(x+y) \\ &= (x^2+2xy+y^2)(x+y) \\ &= (x^3+2x^2y+xy^2) + (x^2y+2xy^2+y^3) \\ &= x^3+3x^2y+3xy^2+y^3\end{aligned}\tag{7.1}$$

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### 7.1 HEADING ON LEVEL 2 (SUBSECTION)

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$$A = \begin{bmatrix} A_{11} & A_{21} \\ A_{21} & A_{22} \end{bmatrix}\tag{7.2}$$

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#### 7.1.1 HEADING ON LEVEL 3 (SUBSUBSECTION)

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HEADING ON LEVEL 4 (PARAGRAPH) Lorem ipsum dolor sit amet, consectetur adipiscing elit. Aenean commodo ligula eget dolor. Aenean massa. Cum sociis natoque penatibus et magnis dis parturient montes, nascetur ridiculus mus. Donec quam felis, ultricies nec, pellentesque eu, pretium quis, sem. Nulla consequat massa quis enim.

## 8 LISTS

### 8.1 EXAMPLE FOR LIST (3\*ITEMIZE)

- First item in a list
  - First item in a list
    - \* First item in a list
    - \* Second item in a list
  - Second item in a list
- Second item in a list

### 8.2 EXAMPLE FOR LIST (ENUMERATE)

1. First item in a list
2. Second item in a list
3. Third item in a list

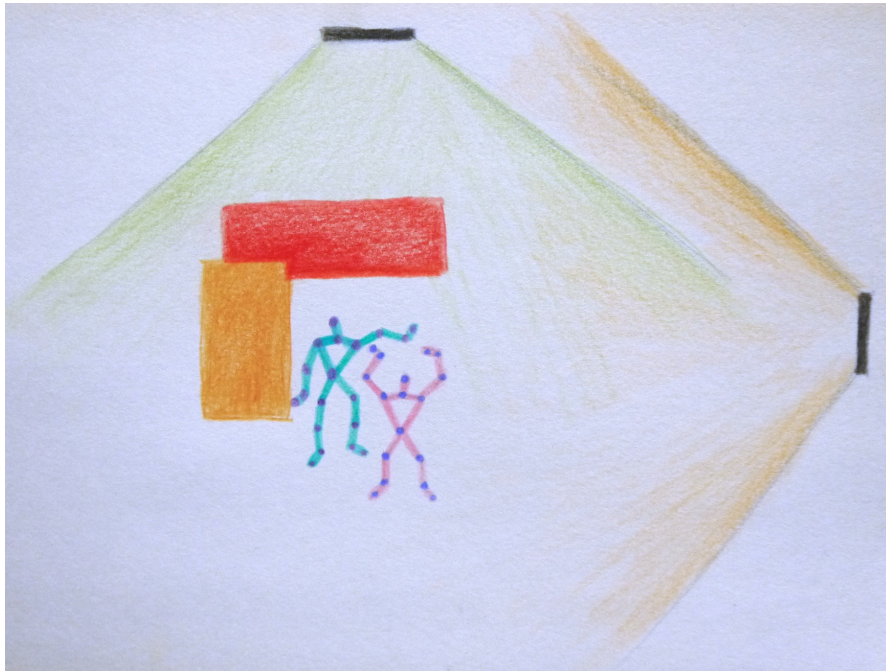


Figure 1.1: The problem of occlusion