## RESEARCH NOTES,

## 10/23

## MICROROBOTS MEETING NOTES

1) REVIEWED CURRENT STATUS OF EXPERIMENTATION

a) ARE RANDOMLY GENERATED BOARDS CONNECTED?

NO, 40% ARE NOT

b) ARE THE ACTUAL MICROROBOTS BOARDS CONNECTED

IN ALL PERMUTATIONS?

YES, BOTH SIDES

DISCUSSION THIS WILL MARK THE TRANSTION FROM COONS

1) WHEN RADDOMY GENERATING GRAPHS, HOW MANY OF THEM SHARE THE PROPERTY OF THE MICROROBOTS BOARDS SUCH THAT, IN ALL PERMUTATIONS THE GRAPH 15 CONNECTED?

a) WHAT ARE THE CHARACTERISTICS OF THOSE GRAPHS?

2) BASIC THEORY: GROUP THEORY ? ABSTRACT ALBEBRA

a) OF THE 6144 CONFIGURATIONS OF THE BOARD, ONLY 384 MRE UNIQUE. SPECIFICALLY,

LET R = THE SET OF UNIQUE GRAPHS

Z= THE SET OF NON-UNIQUE GRAPHS Y G; E R ] K C Z S.t. /K/=16 AND

YKIEK KI & Gi

THE PERMUTATIONS OF THE GRAPH WHICH RESULT IN AN ISOMORPHISM FORM A SYMMETRY AND THE "ACTION" OR BIJECTION WHICH RESULTS IN THE ISOMORPHISM IS AN AUTOMORPHISM,

EXPLOITING THE FACT WE ARE CONNECTED ON ROW & COLUMN, ONE SUCH ANTOMORPHISM WOULD BE THE TRANSPOSITION OF TWO ROWS OR COLUMNS OF THE MATRIX GENERATED BY THE FORMATION OF A BOARD.

BY ALL PERMUTATIONS OF COLORS/NUMBERS. CONNELT THOSE

ENTRIES WITH SAME COLOR OR NUMBER OR THAT ARE "NEXT TO"

ERCHOTHER TO CREATE QUOTIENT MAP. (NOTE: I NEED TO THINK

MORE ABOUT THIS)

ACTION ITEMS:

GENERATE THE EXAMPLES OF RANDOM GRAPHS THAT

REMAIN CONNECTED ACROSS ALL PERMUTATIONS,

TRY SWAPPING ROWS & COLUMNS IN ACTUAL MICROROBOTS
BOARD MATRICES. DOES THIS CHANGE CONNECTEDNESS?

ATTEMPT TO IDENTIFY PATTERNS IN THOSE GRAPHS WHICH CAN BE USED TO IDENTIFY THE ACTIONS!

LEVERAGE THOSE FINDINGS TO GENERALE A SET OF

ANTOMORPHISMS/FUNCTIONS WHICH ALLOW FOR THE CARAPHS TO ALWAYS BE CONNECTED.

RULES OR A FUNDAMENTAL THEOREM FOR THE COMPOSITION OF SUBGRAPHS (TILES) S.T. THEIR COMPOSITION INTO A BOARD RESULTS IN A CONNECTED GRAPH IN ALL PERMUTATIONS

START A WRITEUP/LATEX DOCUMENT AND BEGIN STRUCTURING MOTIVATION ! EXPLANATION OF PROBLEM SECTIONS.