



IFDS Framework

CMPUT 620 — Static Program Analysis
Karim Ali

September 26, 2017
GSB 8-59

Interprocedural Finite Distributive Subset Problems

Thomas Reps, Susan Horwitz, and Mooly Sagiv. Precise Interprocedural Dataflow Analysis via Graph Reachability. ACM SIGPLAN-SIGACT Symposium on Principles of Programming Languages (POPL '95), pages 49–61.

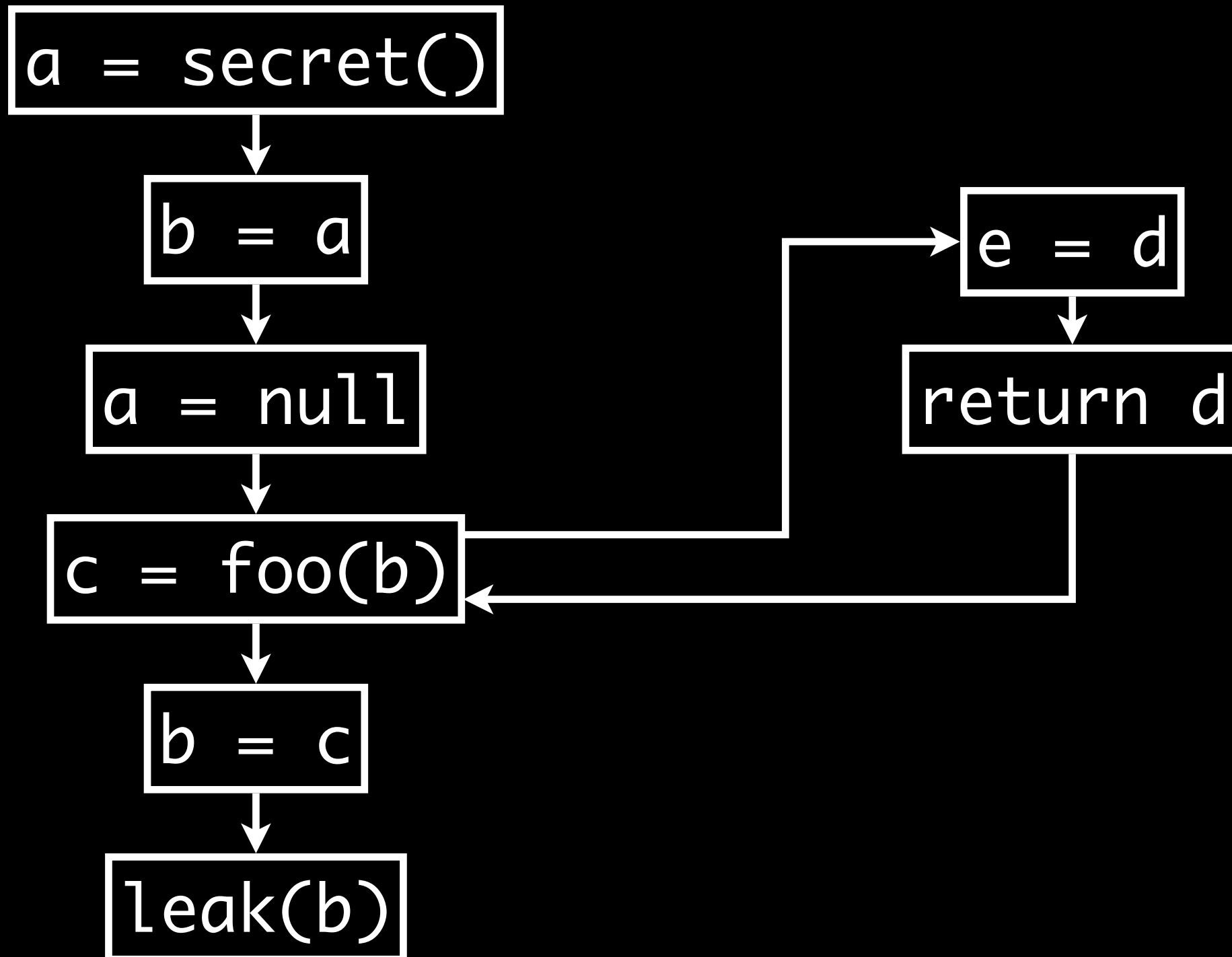
Interprocedural **F**inite **D**istributive **S**ubset Problems

Interprocedural

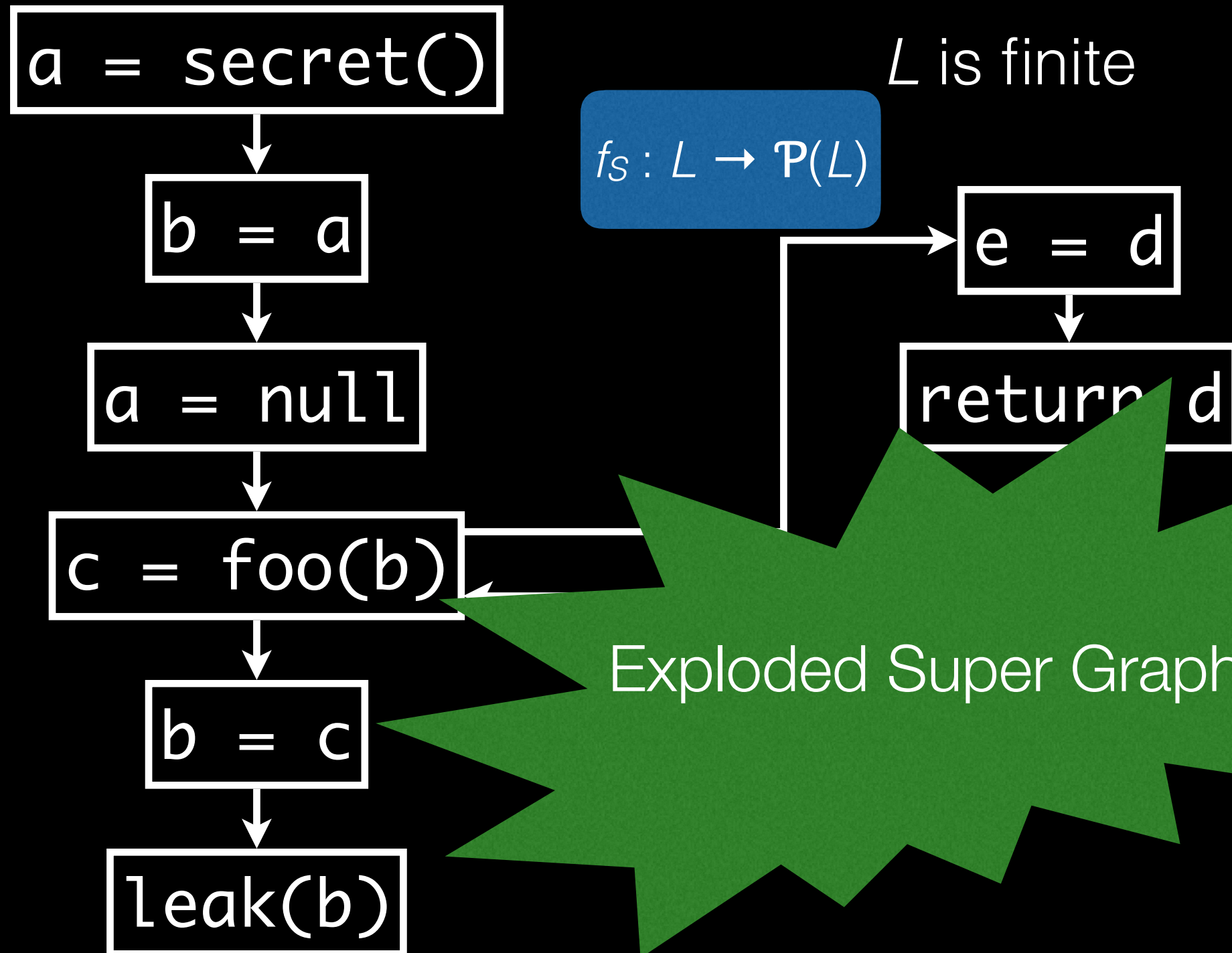
```
main() {  
    a = secret();  
    b = a;  
    a = null;  
    c = foo(b);  
    b = c;  
    leak(b);  
}
```

```
foo(d) {  
    e = d;  
    return d;  
}
```

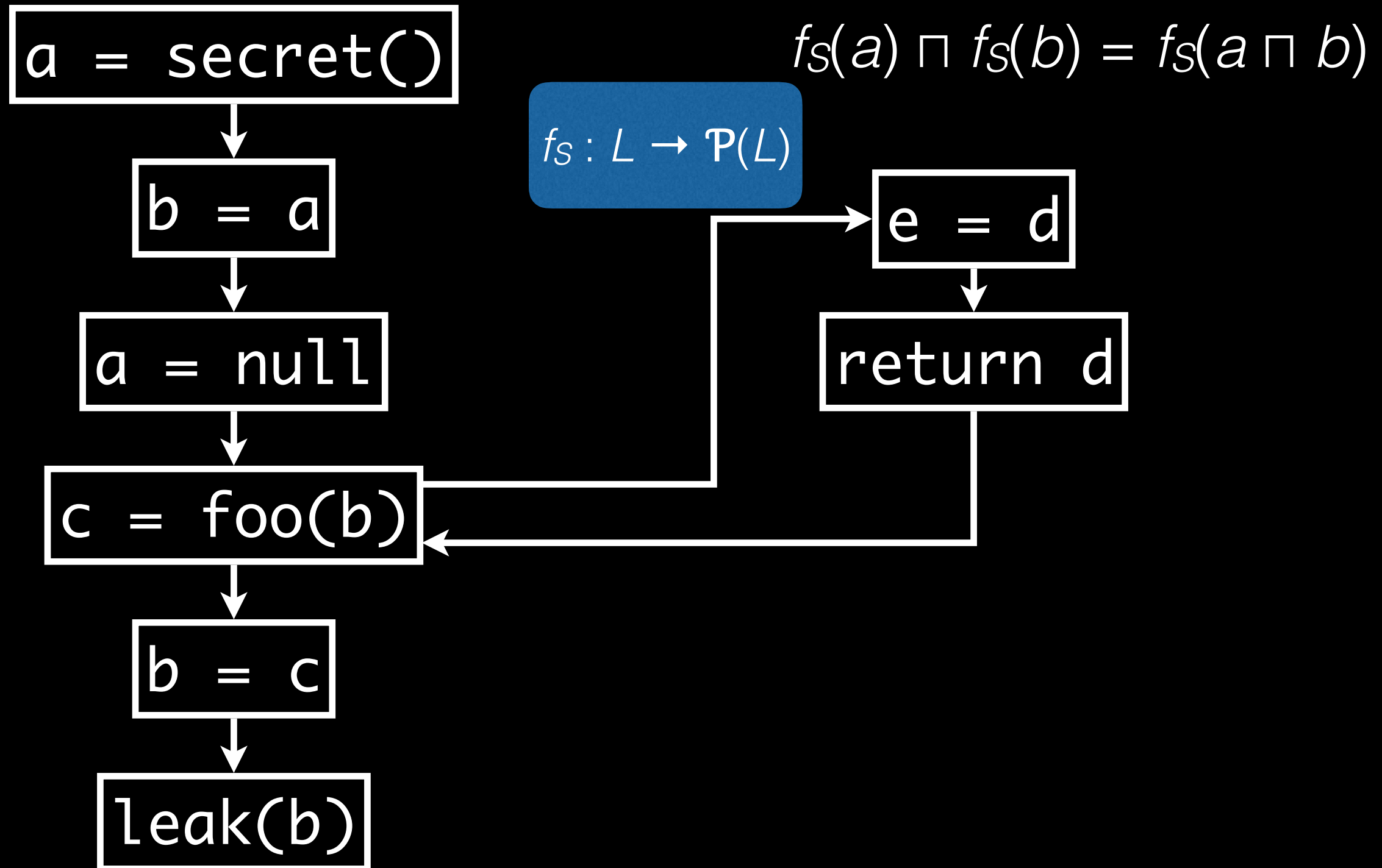
Interprocedural



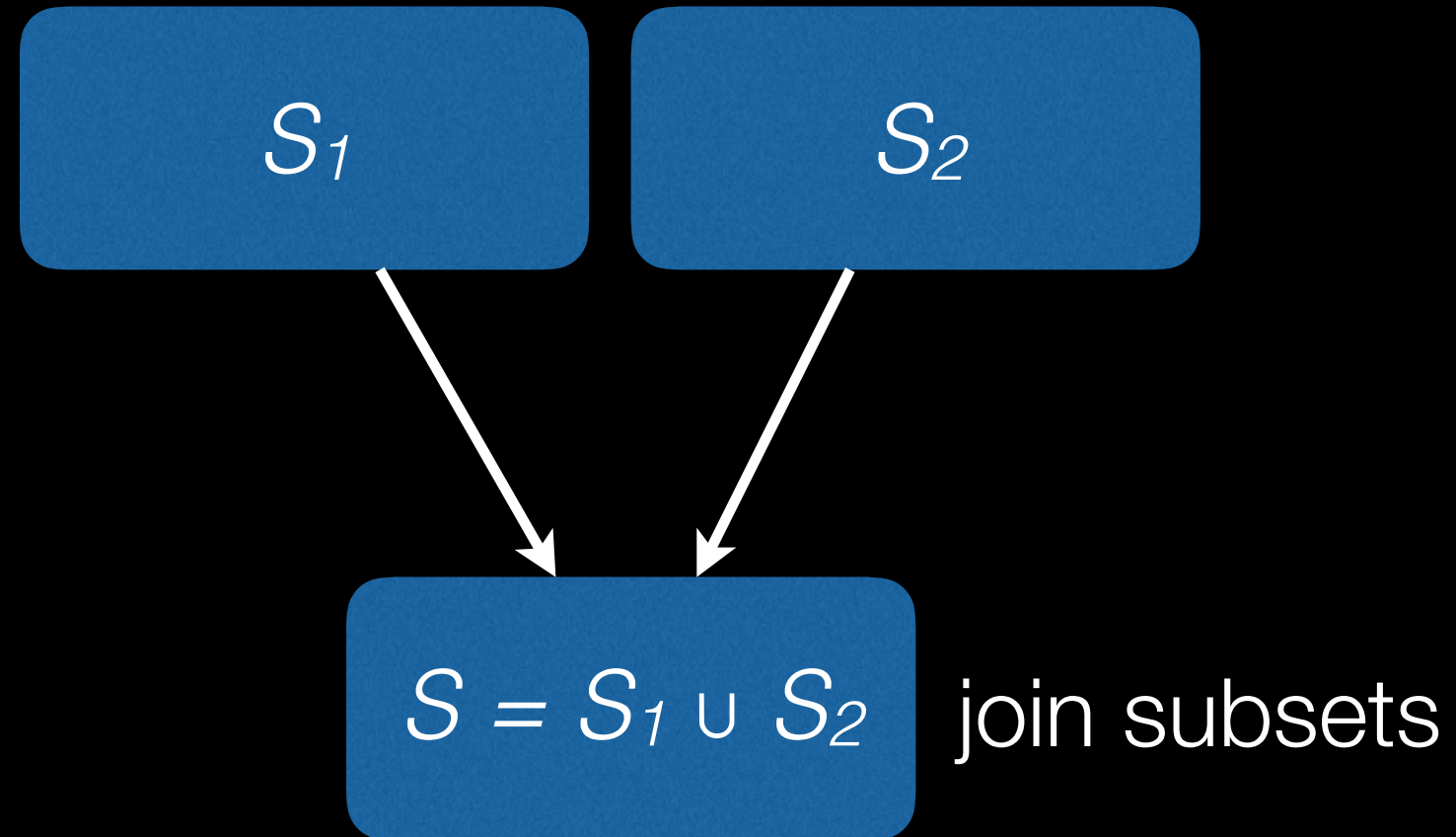
Finite



Distributive



Subset



alias

taint

typestate

IFDS

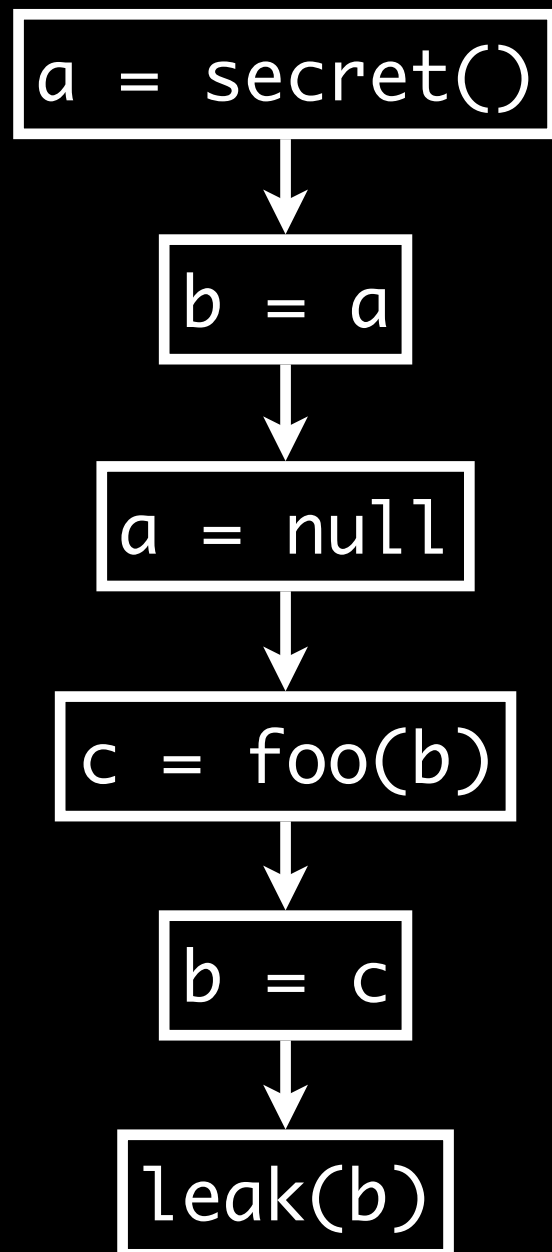
constant
propagation

reaching
definitions

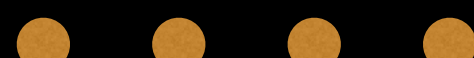
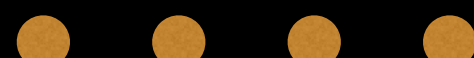
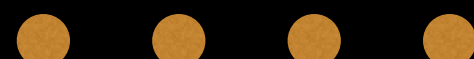
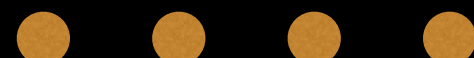
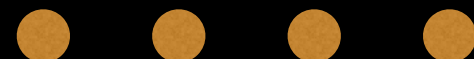
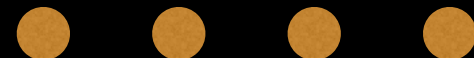
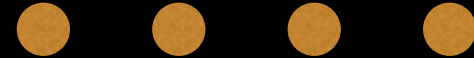
uninitialized
variables

Graph Reachability

Graph Reachability



0 a b c



0 d e



e = d

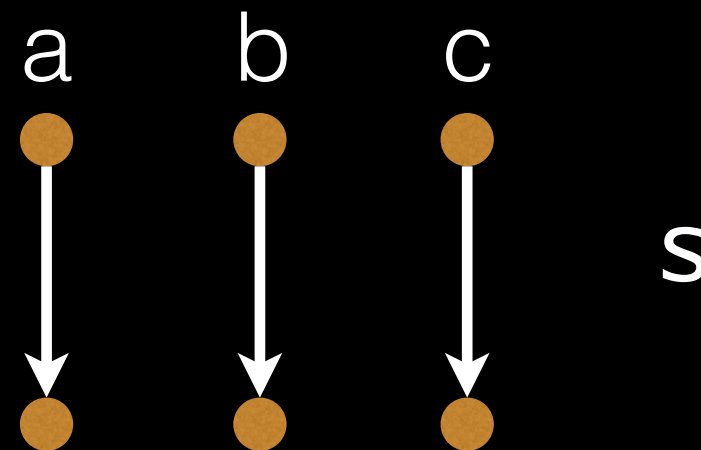
return d

- each node is a fact
- fact holds at a statement => node is reachable in ESG

Examples of Flow Functions

Identity Flow Functions

$\text{in}(s) = \text{facts before } s$

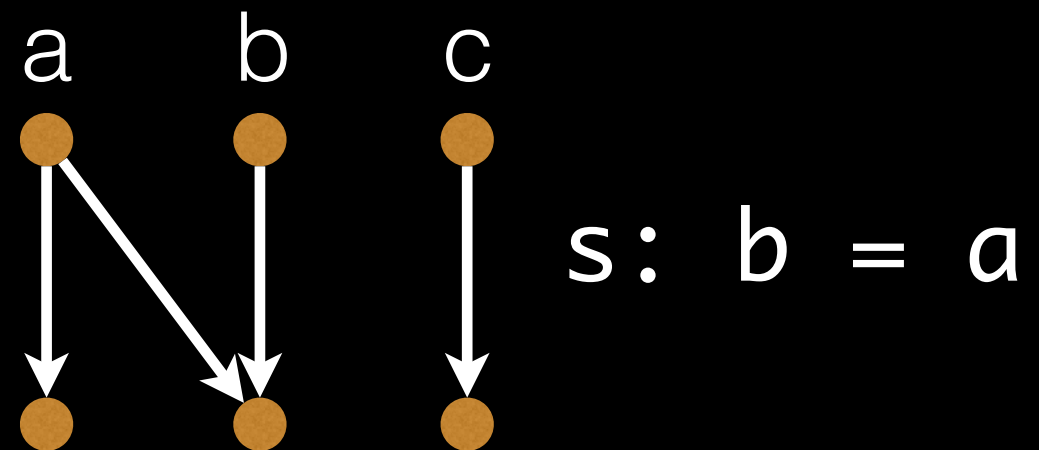


$\text{out}(s) = \text{facts after } s$

every fact is reachable iff it was previously reachable

Flow Functions

$$\text{out}(s) = \begin{cases} \text{in}(s) \cup \{b\} & \text{if } f \in \text{in}(s) \\ \text{in}(s), & \text{otherwise} \end{cases}$$

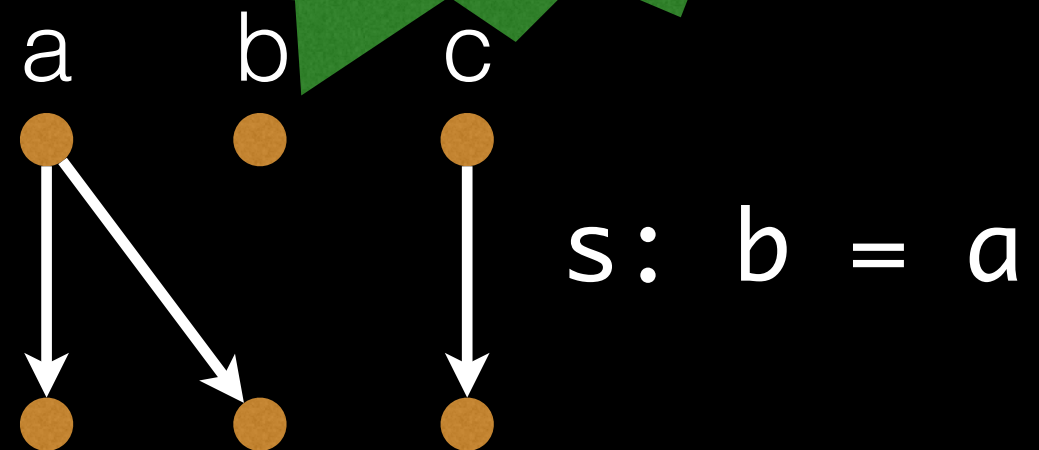


every fact is reachable iff it was previously reachable, and b is also reachable if a was reachable

Flow Functions

Taint Analysis

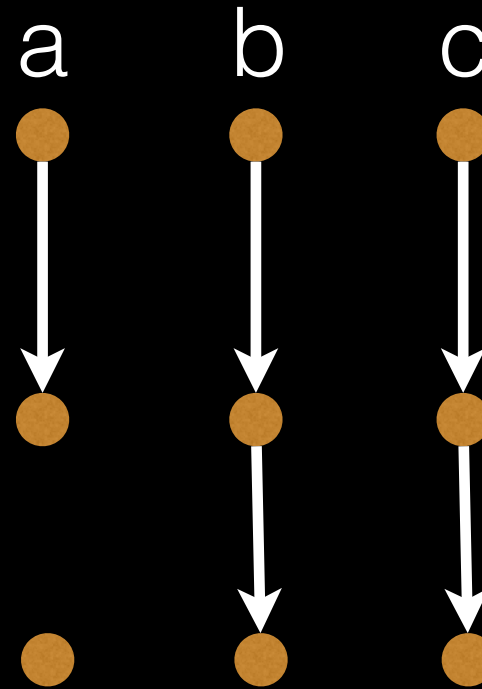
$$\text{out}(s) = \begin{cases} \text{in}(s) \cup \{b\} & \text{if } f \in \text{in}(s) \\ \text{in}(s) \setminus \{b\}, & \text{otherwise} \end{cases}$$



every fact except b is reachable iff it was previously reachable; b is reachable if a was reachable

“Killing” Facts

$\text{out}(s) = \text{in}(s) \setminus \{a\}$



$a = \text{secret}()$

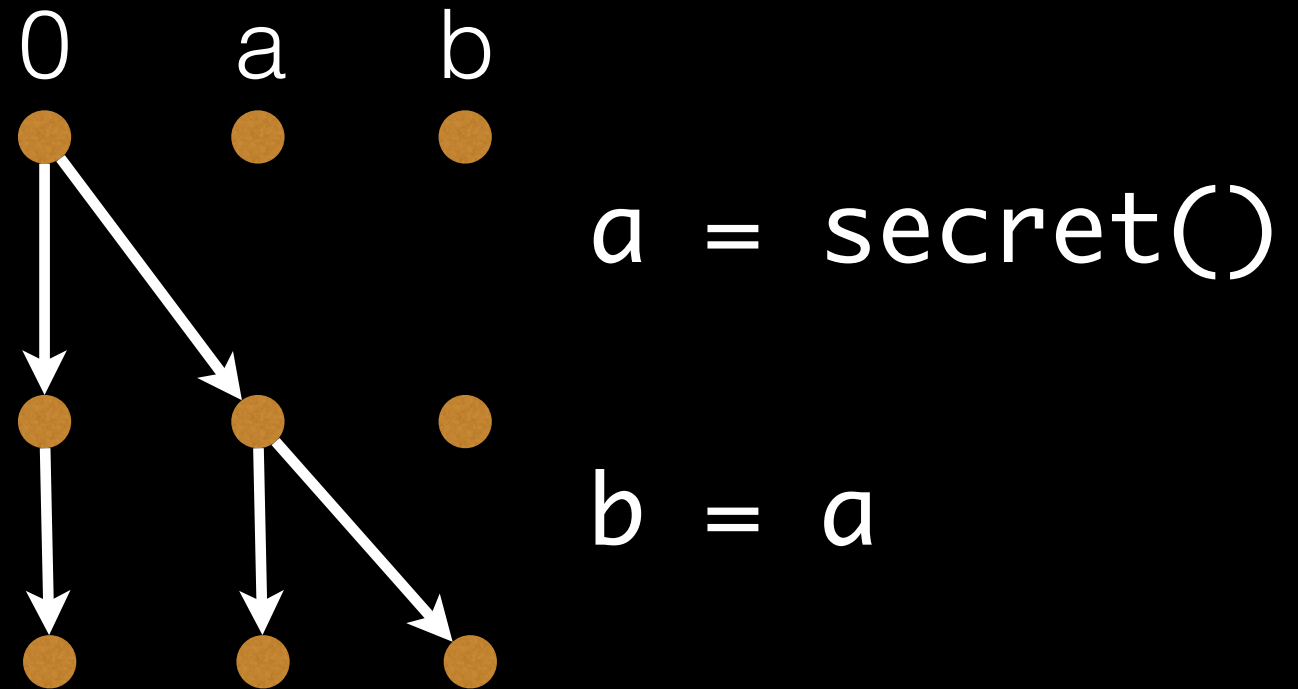
$s: a = \text{null}$

a is not reachable, even if it was before

Generating Facts

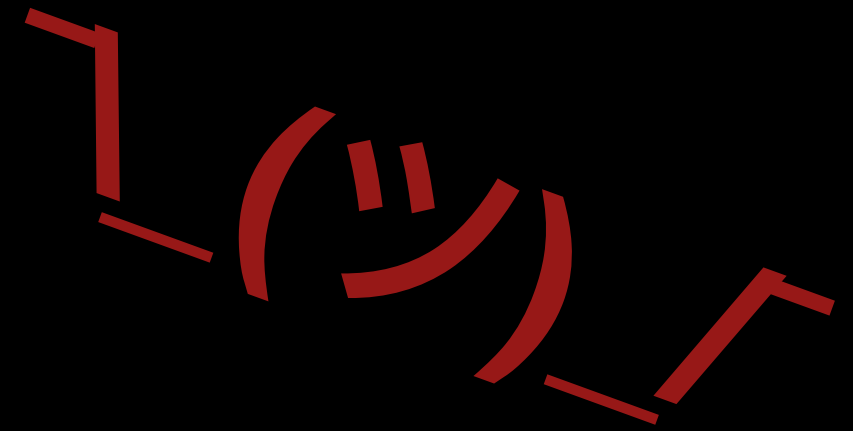
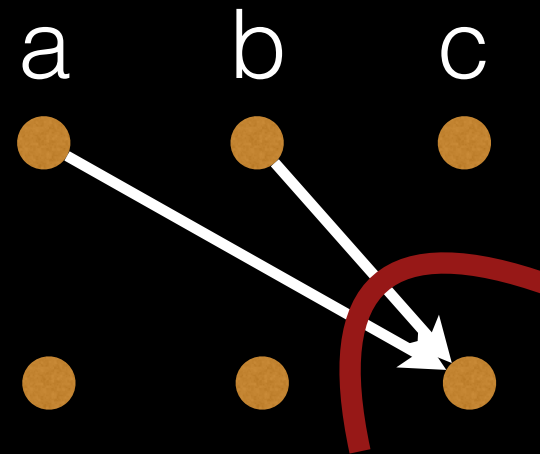
$\text{out}(s) = \text{in}(s) \cup \{a\}$

$\text{out}(s) = \text{in}(s) \cup \{b\}$



0 is the tautological fact \Rightarrow always reachable

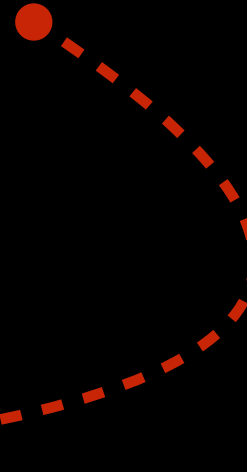
Non-Distributive Flow Functions



e.g., full constant propagation
 $c = a + b$

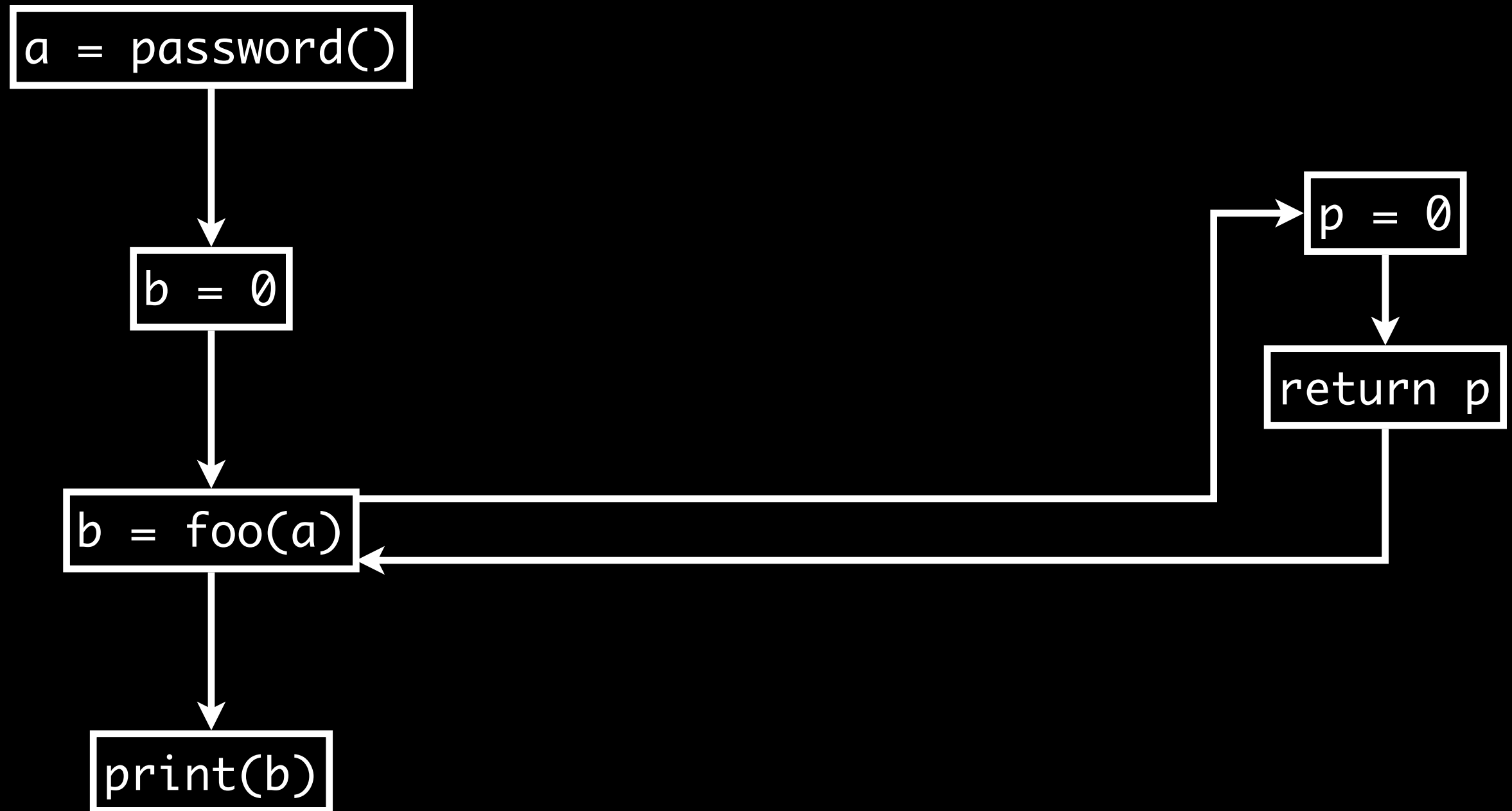
Taint Analysis Example

```
void main() {  
    int a = password();  
    int b = 0;  
  
    b = foo(a);  
    print(b);  
}
```

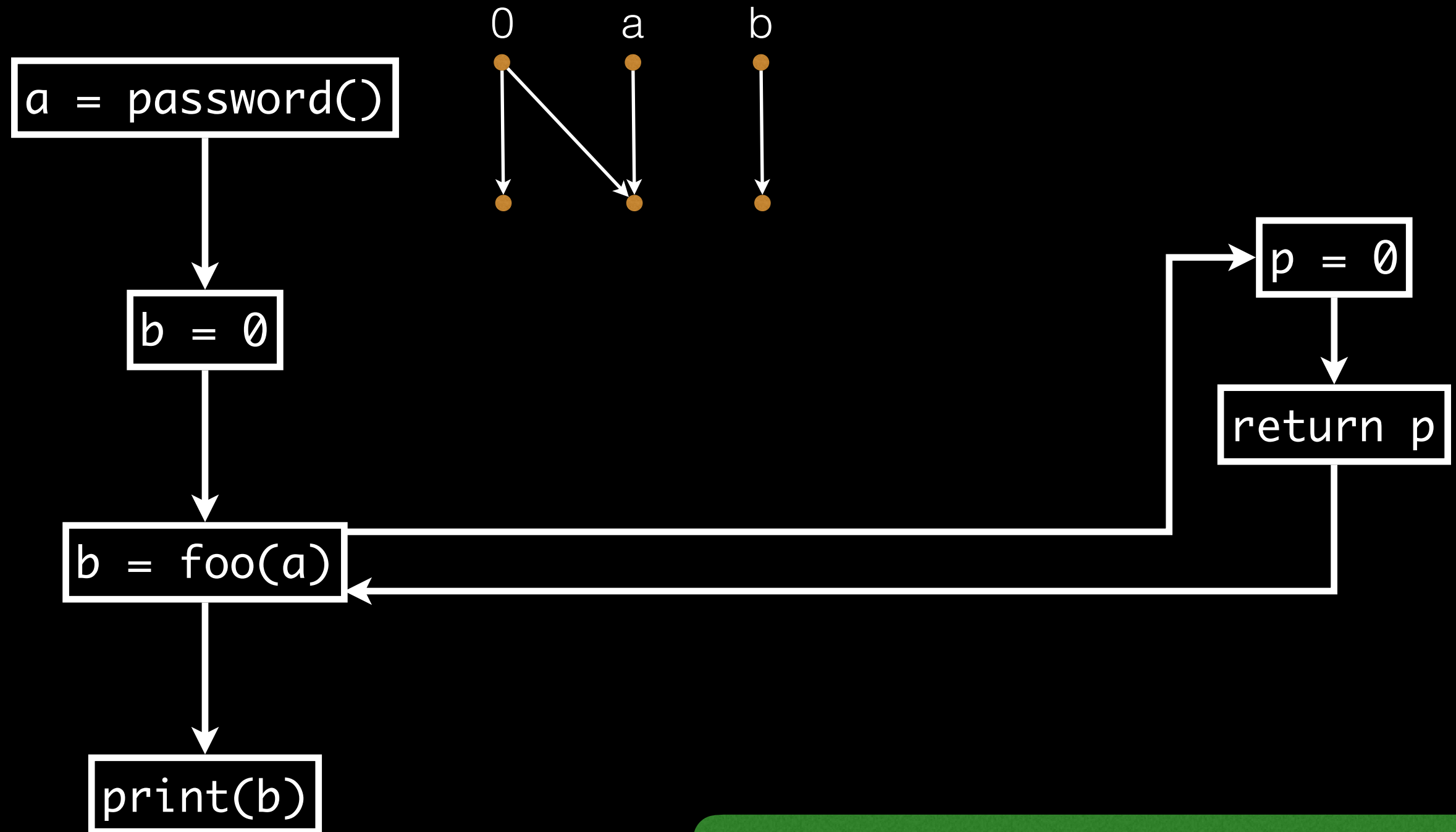


```
int foo(int p) {  
    p = 0;  
    return p;  
}
```

Taint Analysis Example

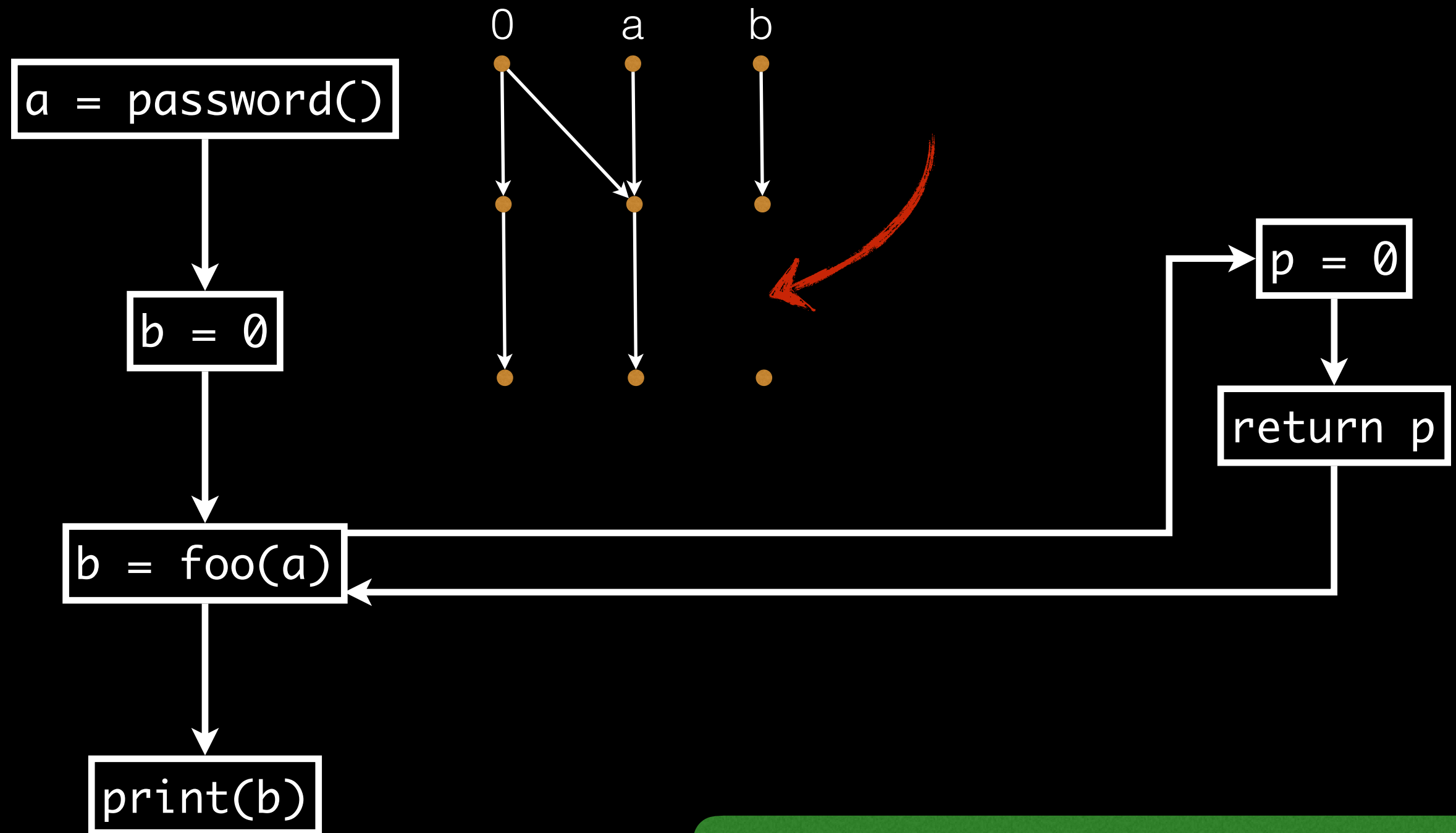


Taint Analysis Example



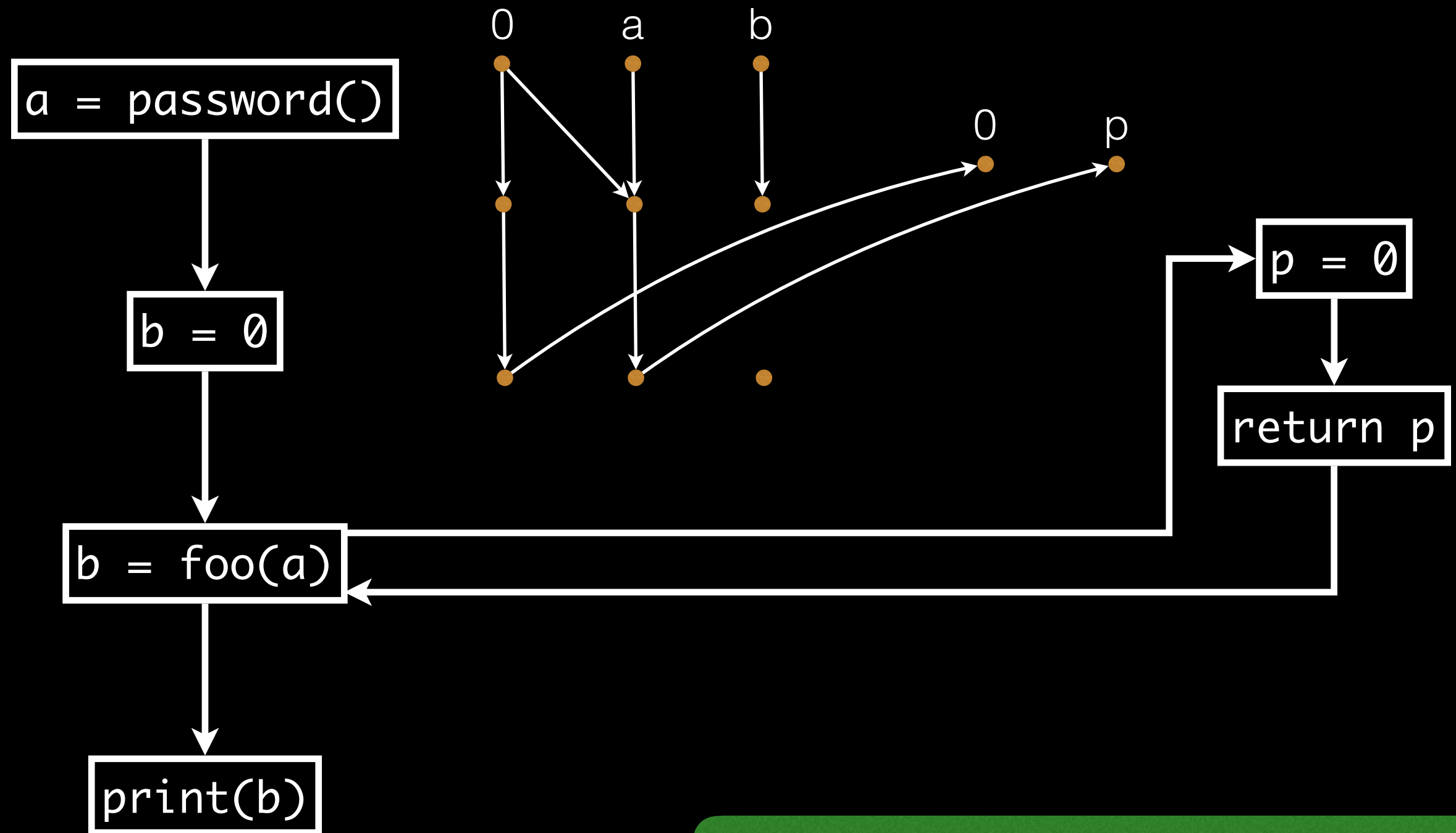
Normal-Flow Function

Taint Analysis Example



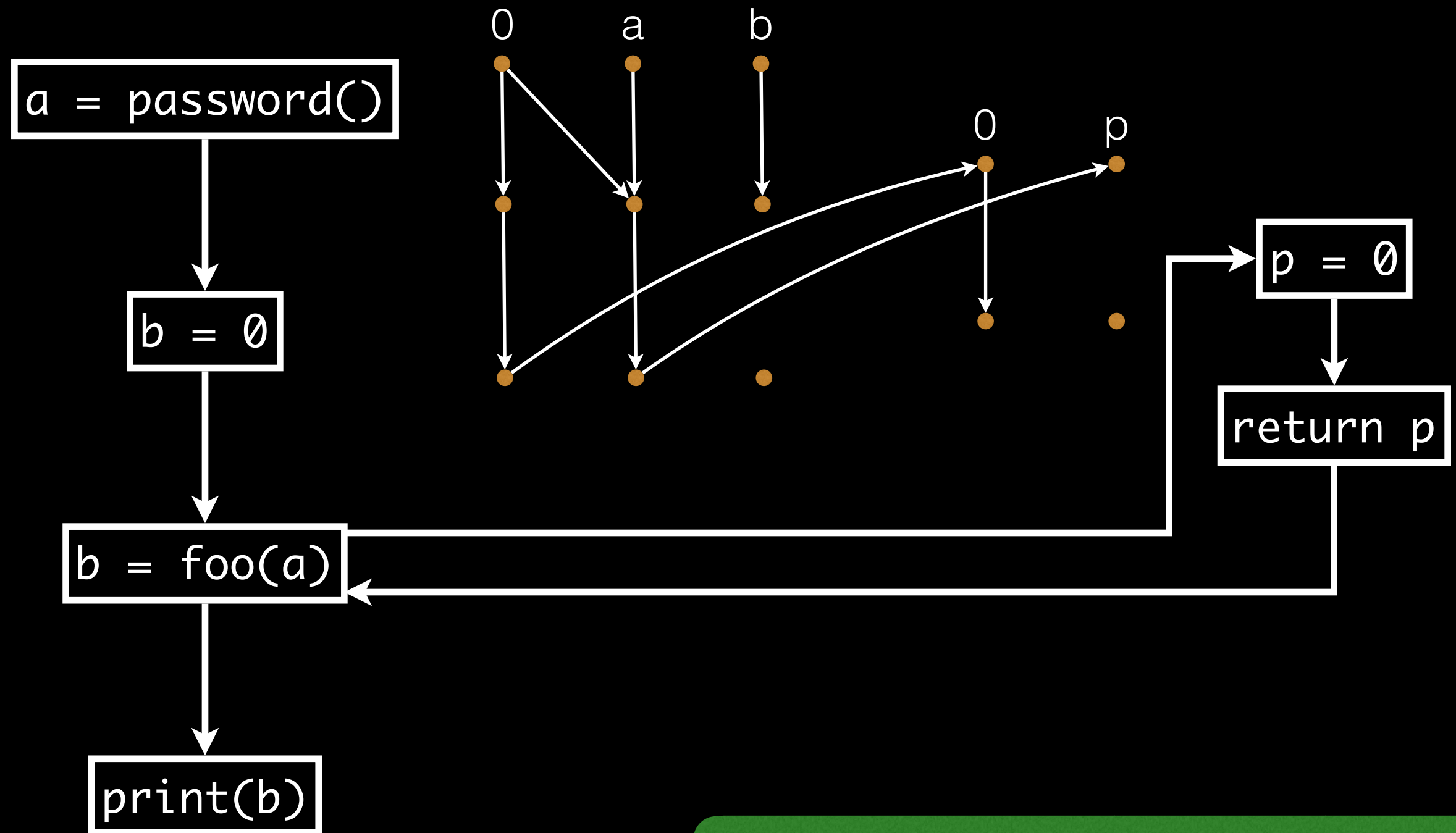
still Normal-Flow Function

Taint Analysis Example



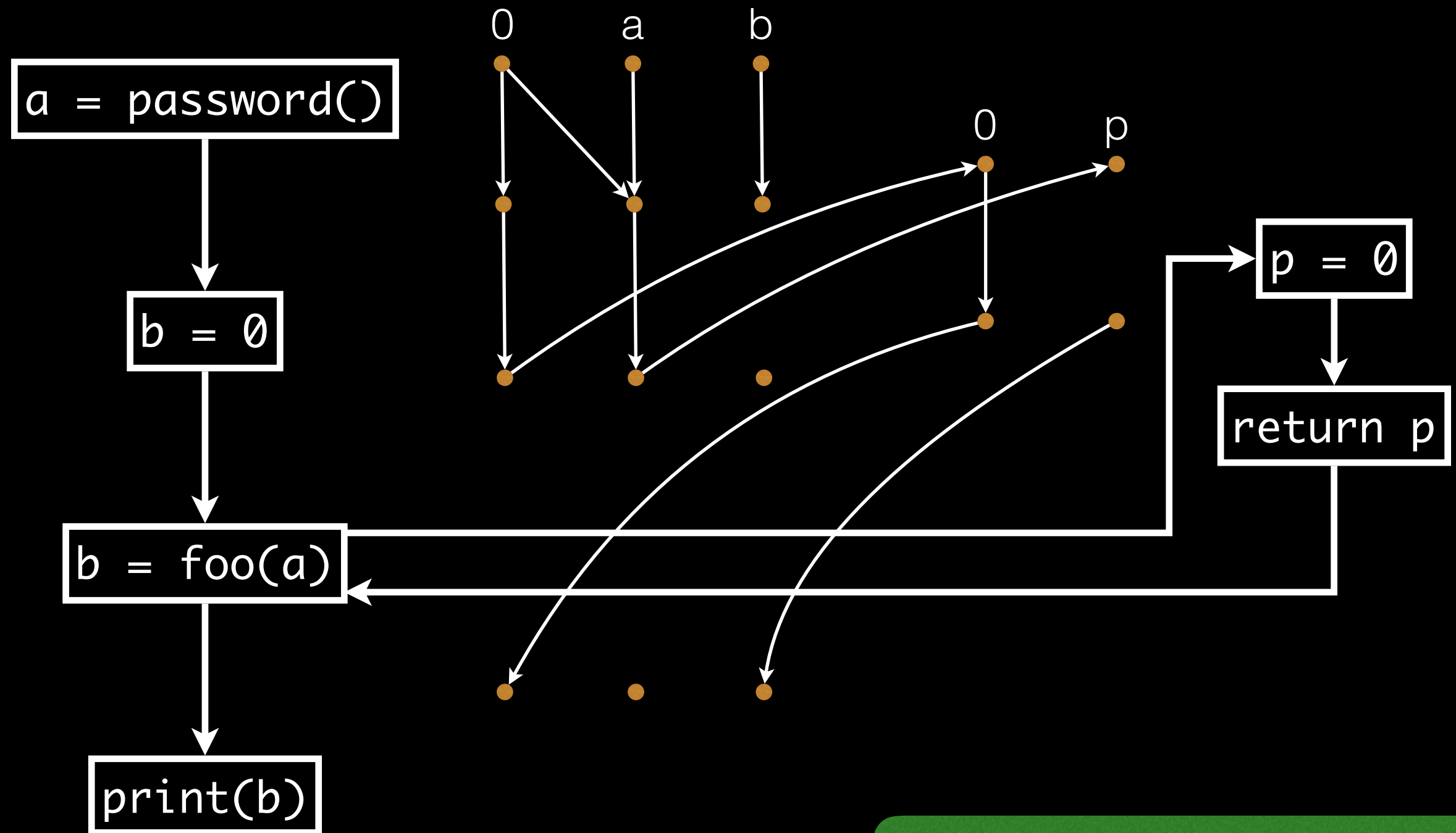
Call-Flow Function

Taint Analysis Example



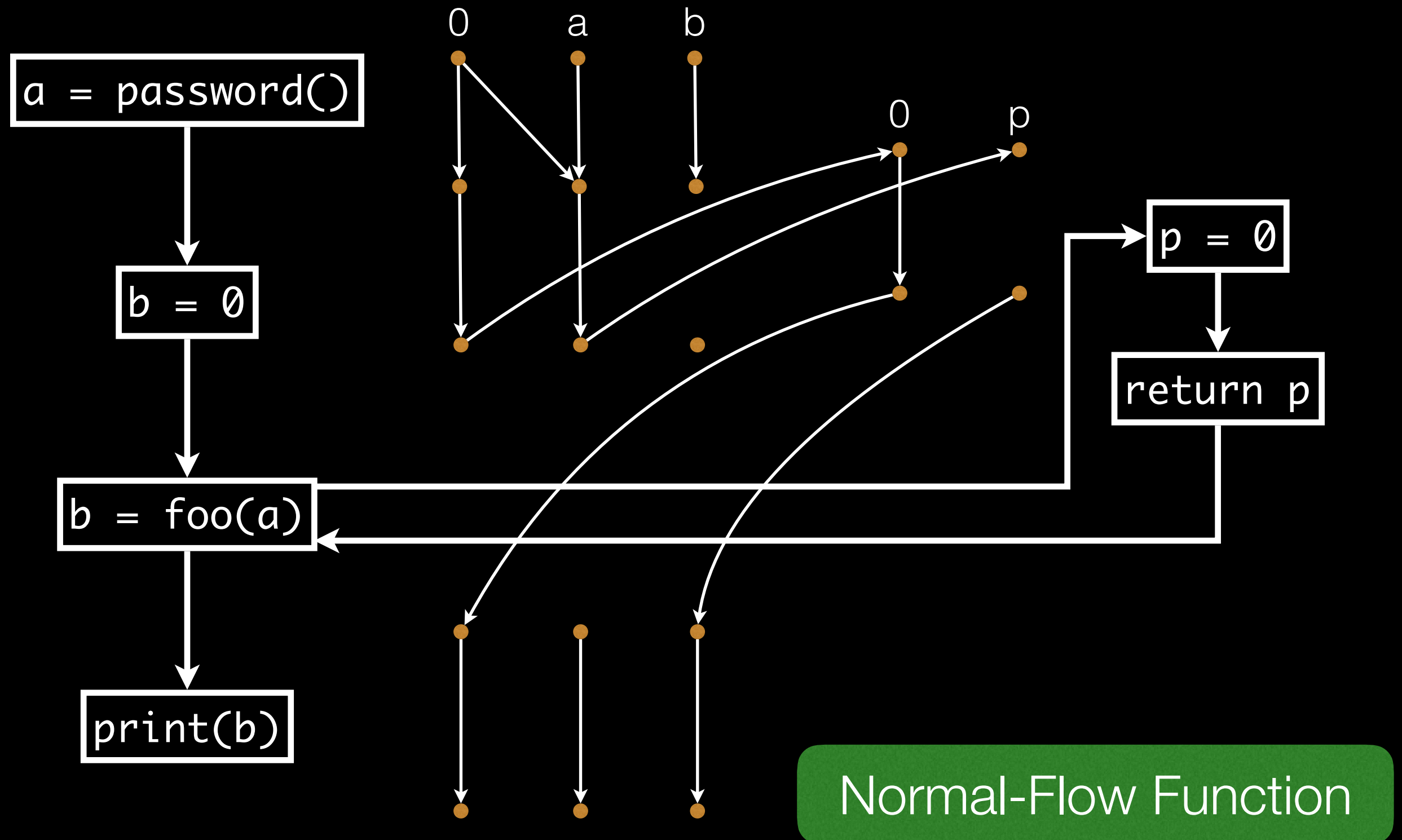
Normal-Flow Function

Taint Analysis Example

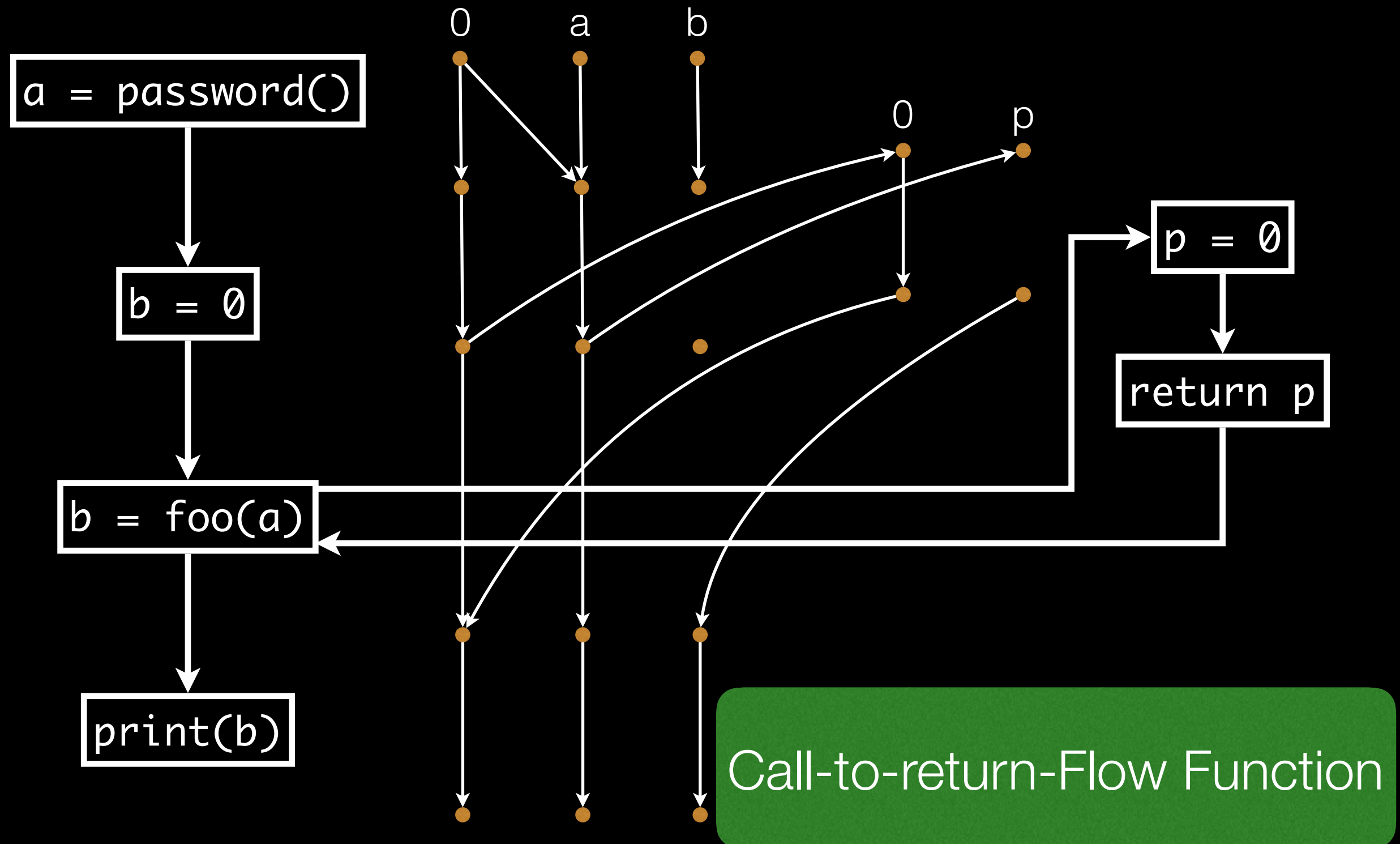


Return-Flow Function

Taint Analysis Example



Taint Analysis Example



Flow Functions

Call-Flow Function

Normal-Flow Function

Return-Flow Function

id

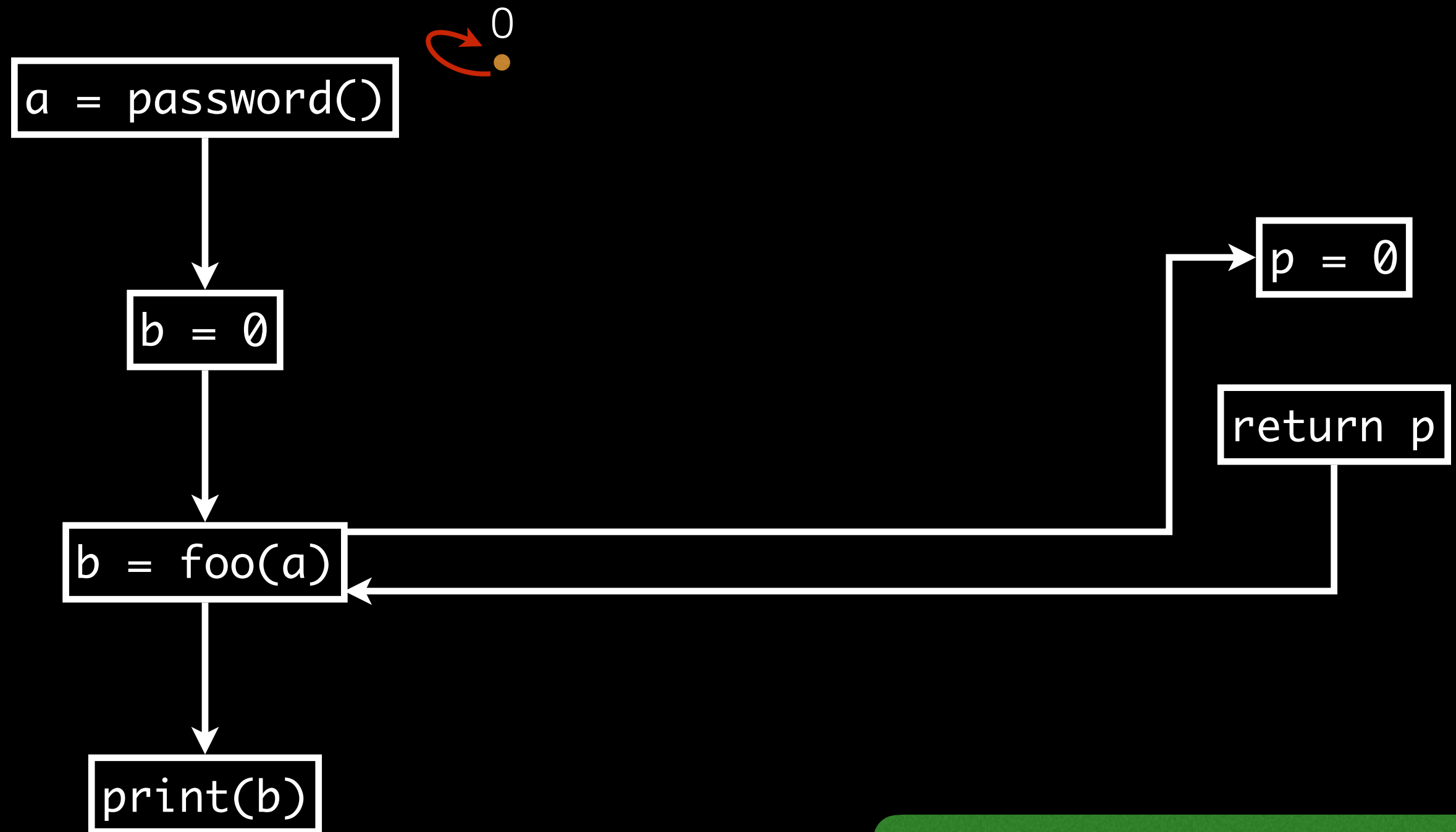


Call-to-return-Flow Function



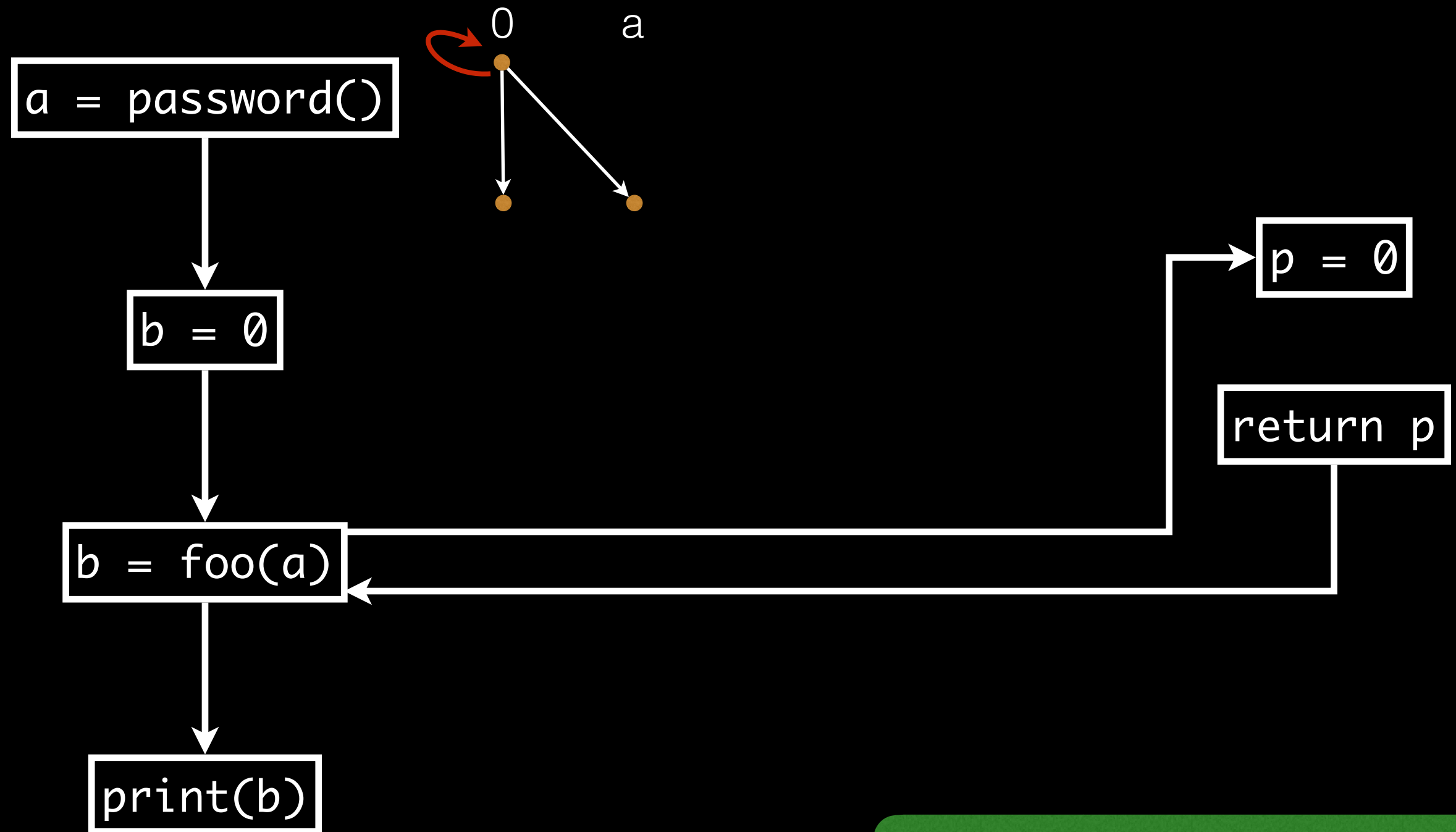
On-the-fly ESG

On-the-fly ESG



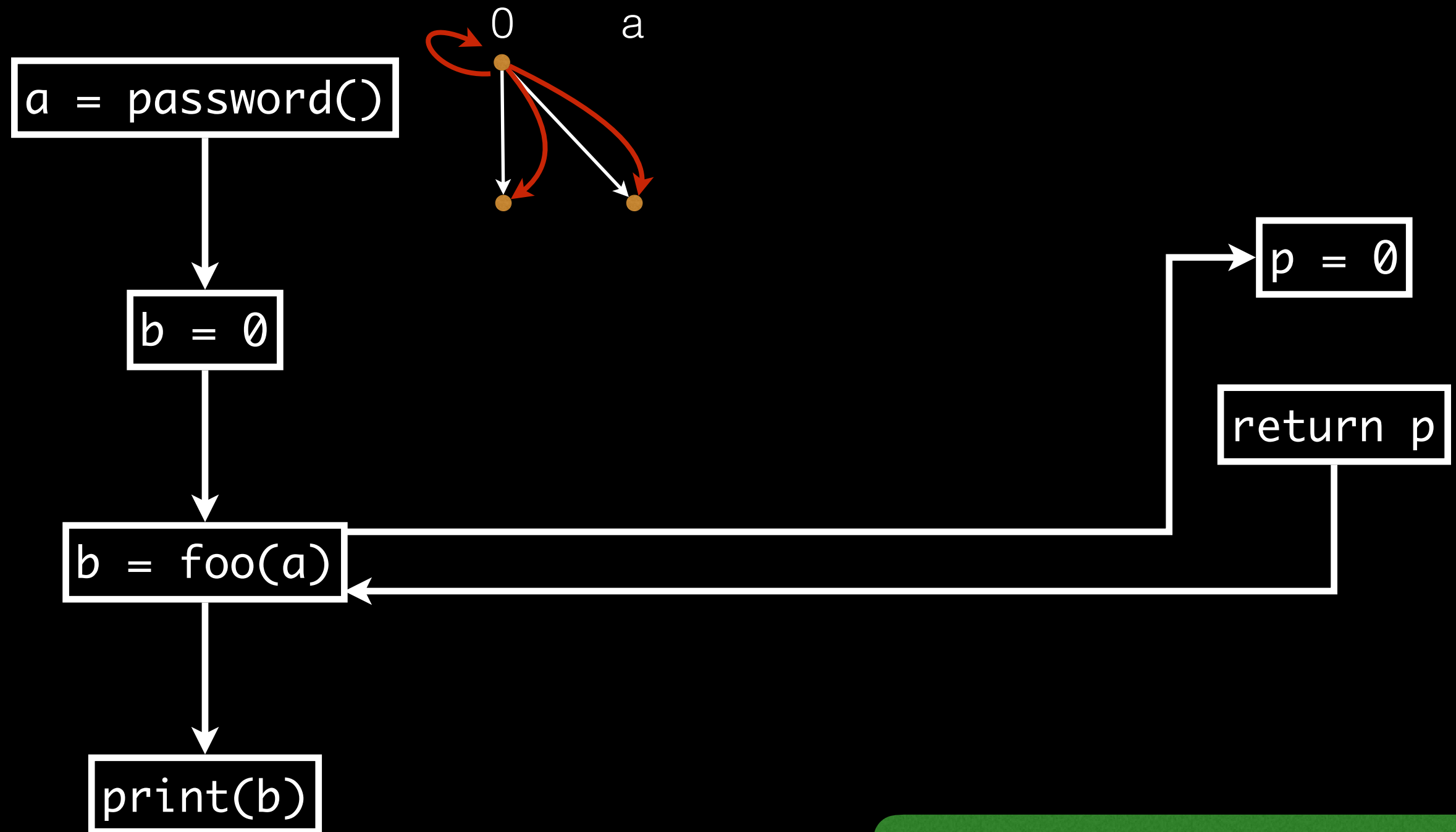
initial self-loop edge

On-the-fly ESG



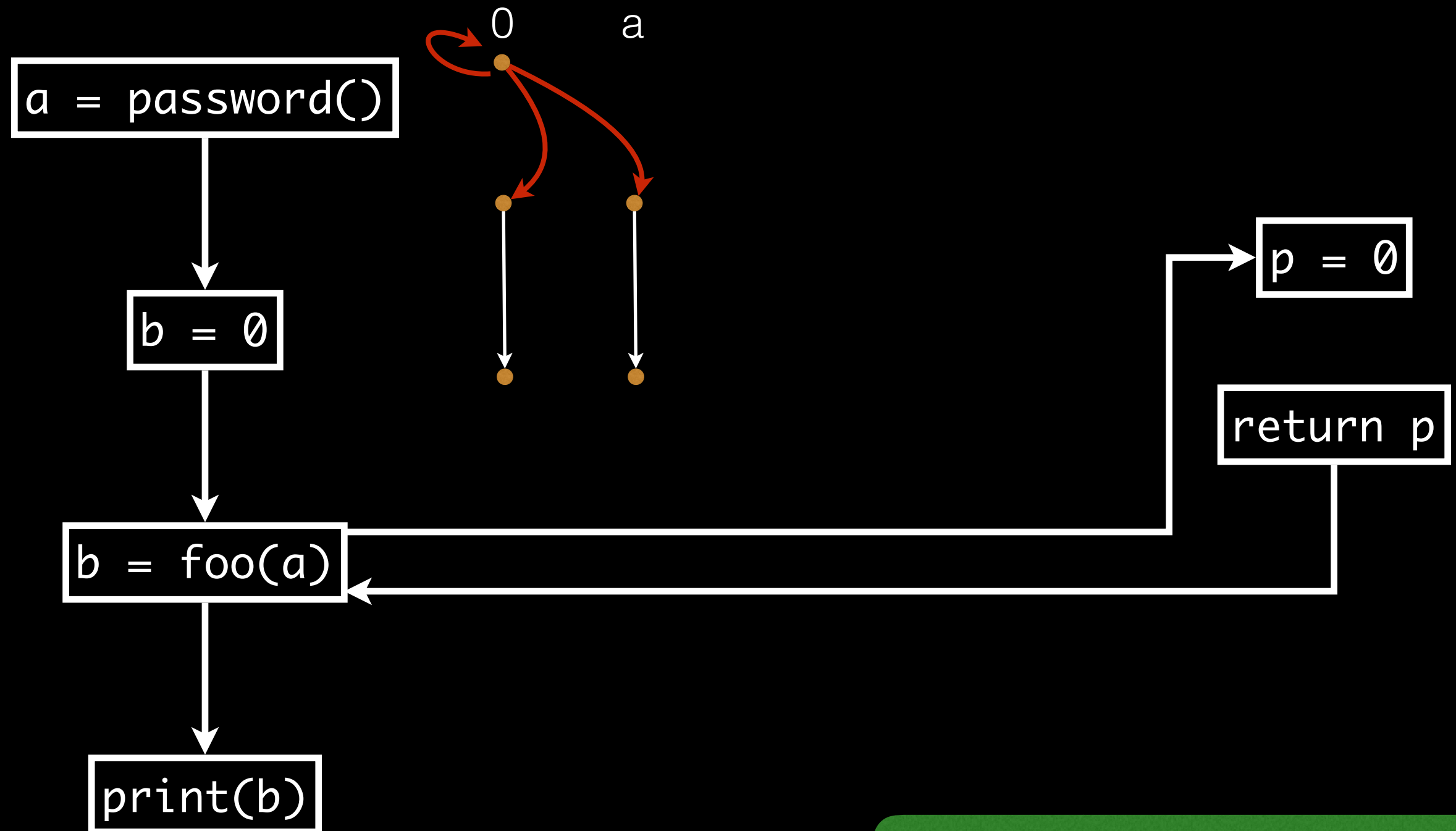
Normal-Flow

On-the-fly ESG



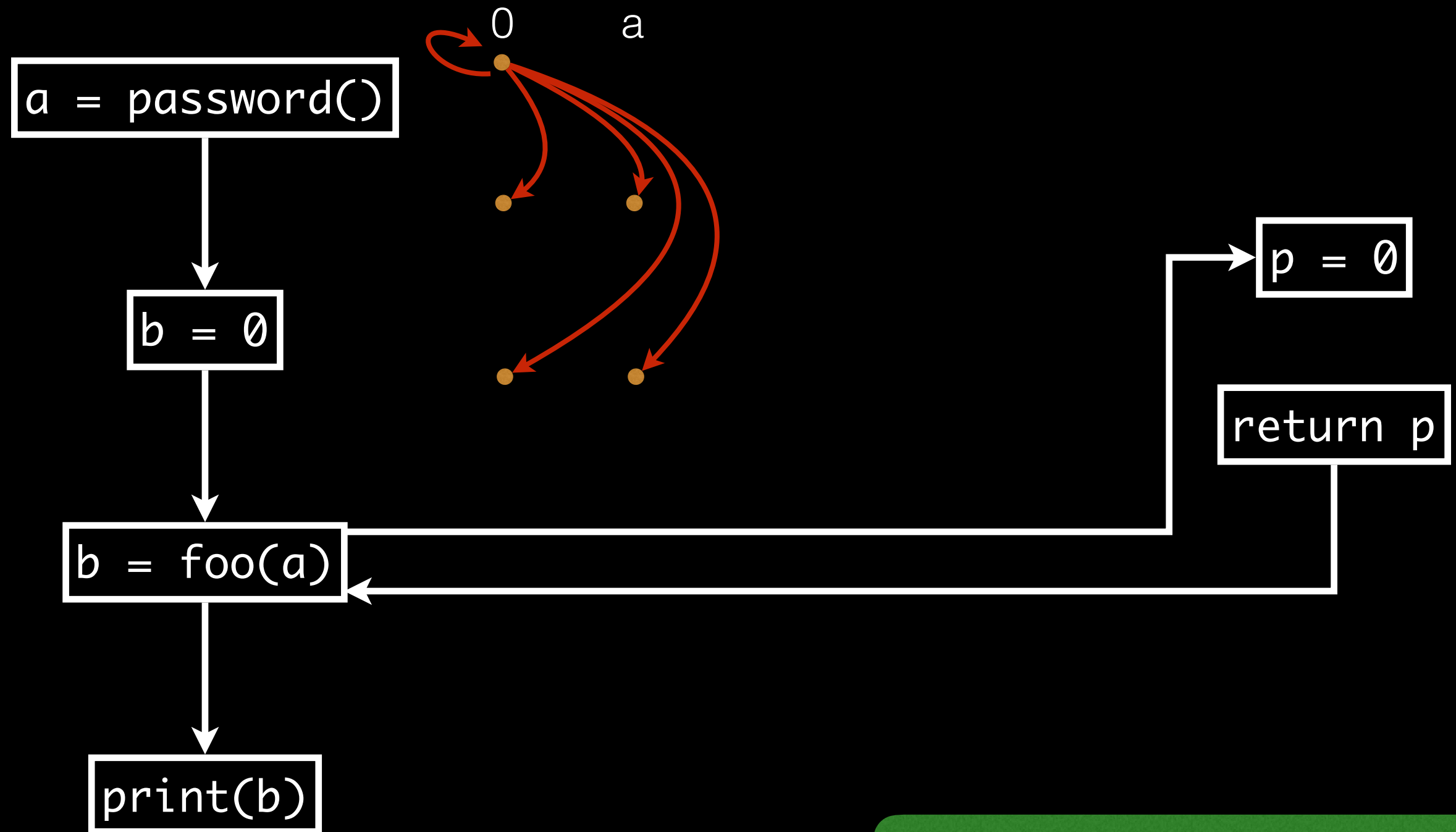
Path Edges

On-the-fly ESG



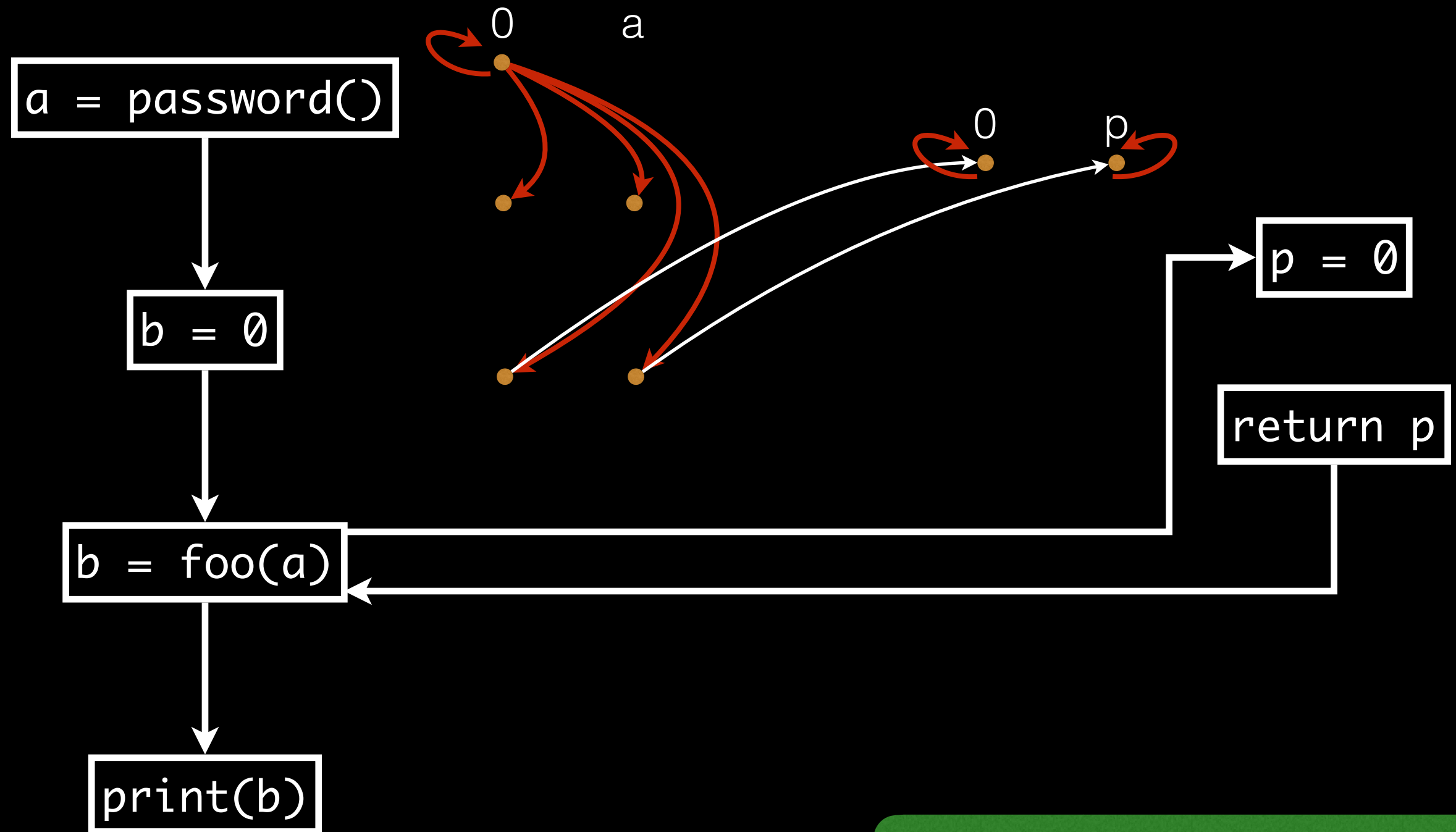
Normal-Flow

On-the-fly ESG



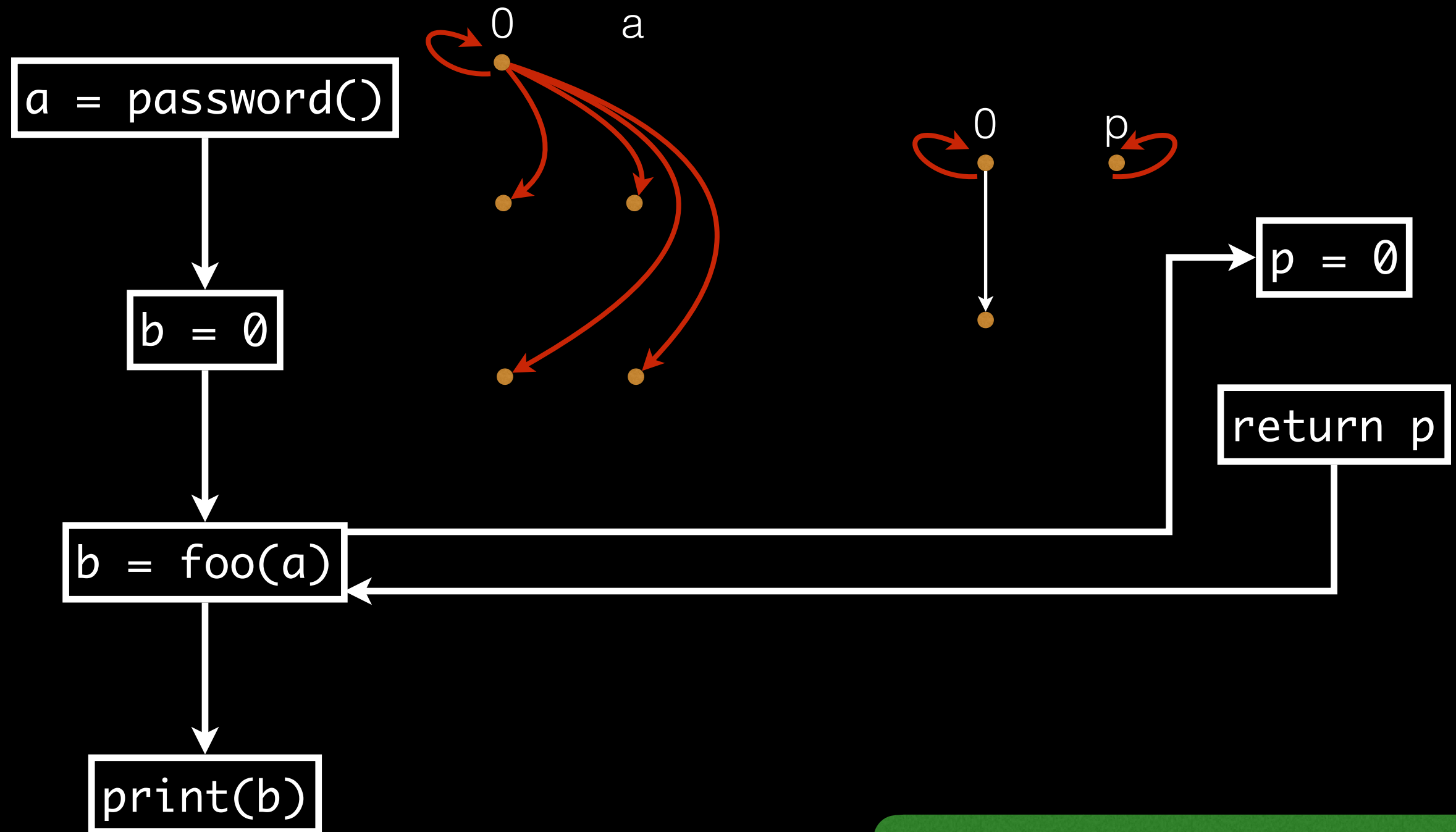
extend path edges

On-the-fly ESG



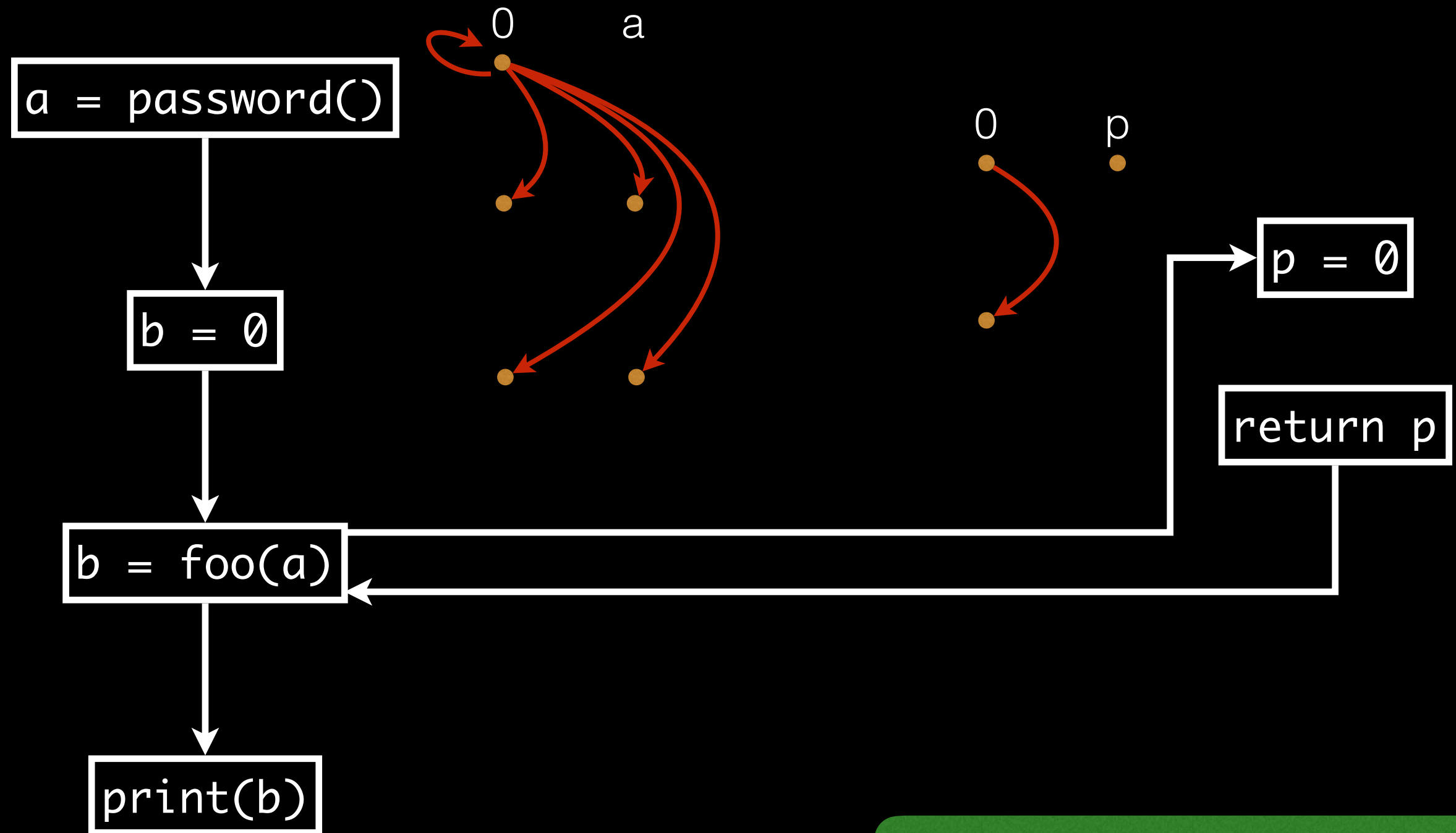
Call-Flow

On-the-fly ESG



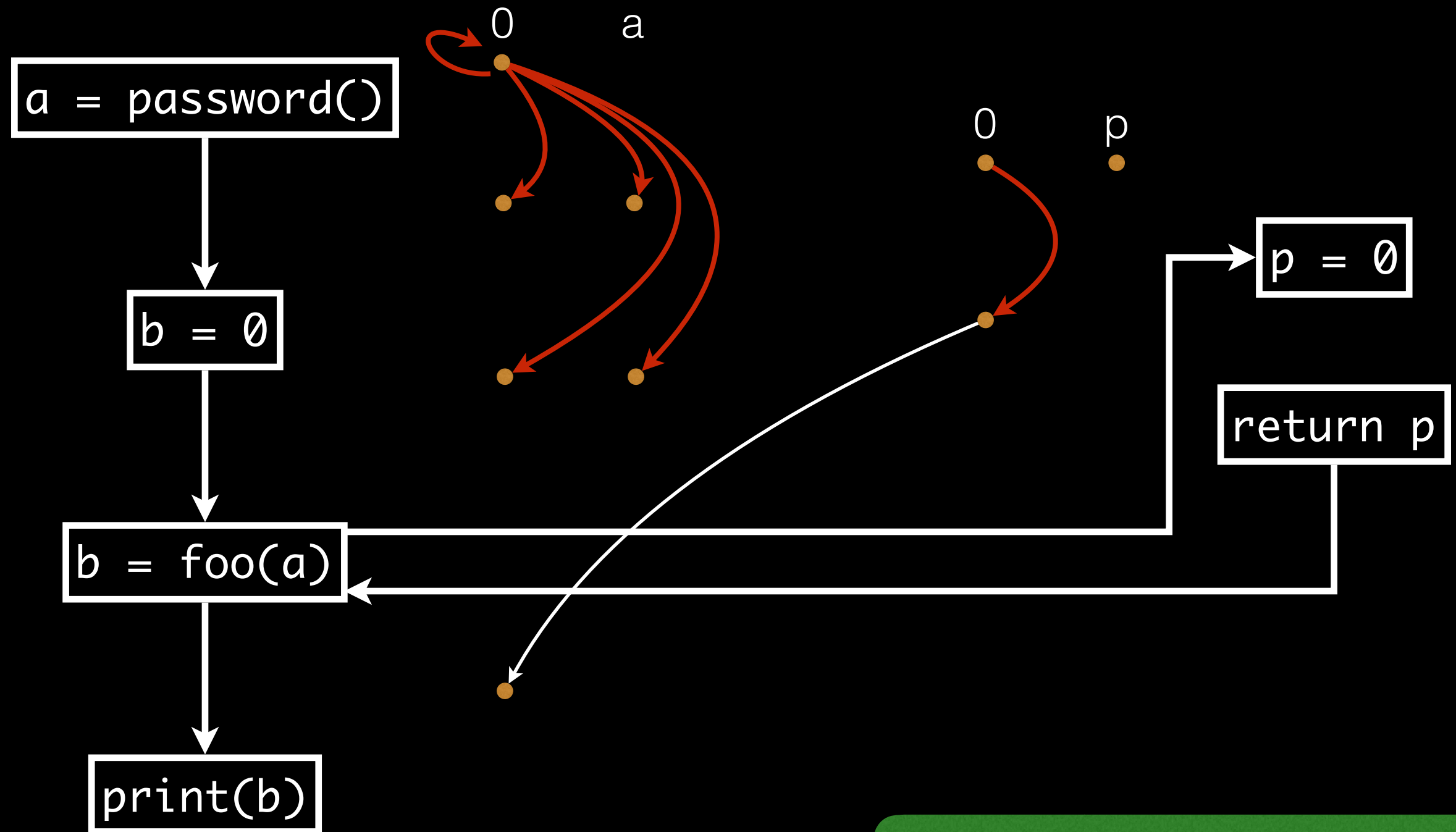
Normal-Flow

On-the-fly ESG



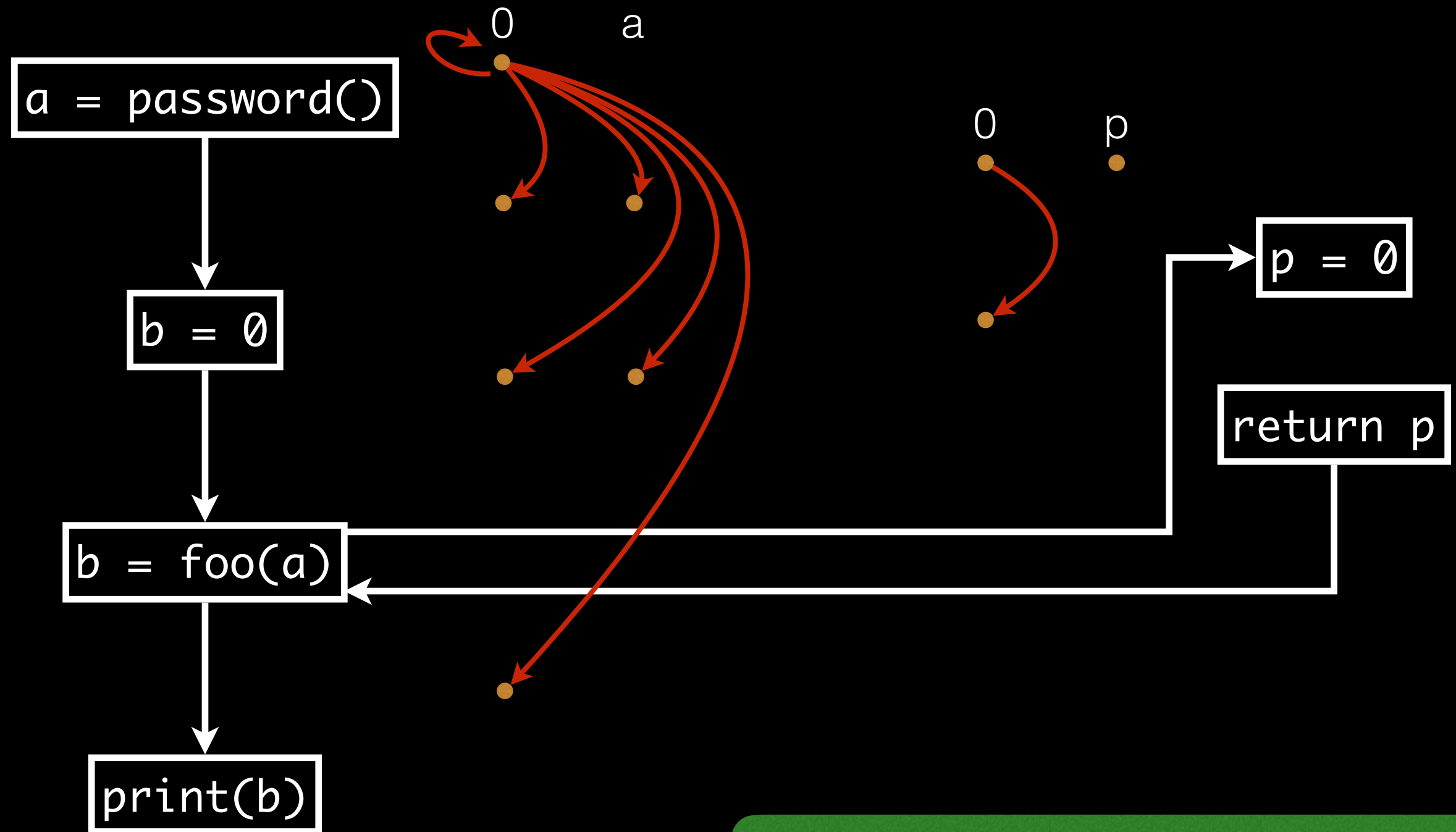
Method Summary

On-the-fly ESG



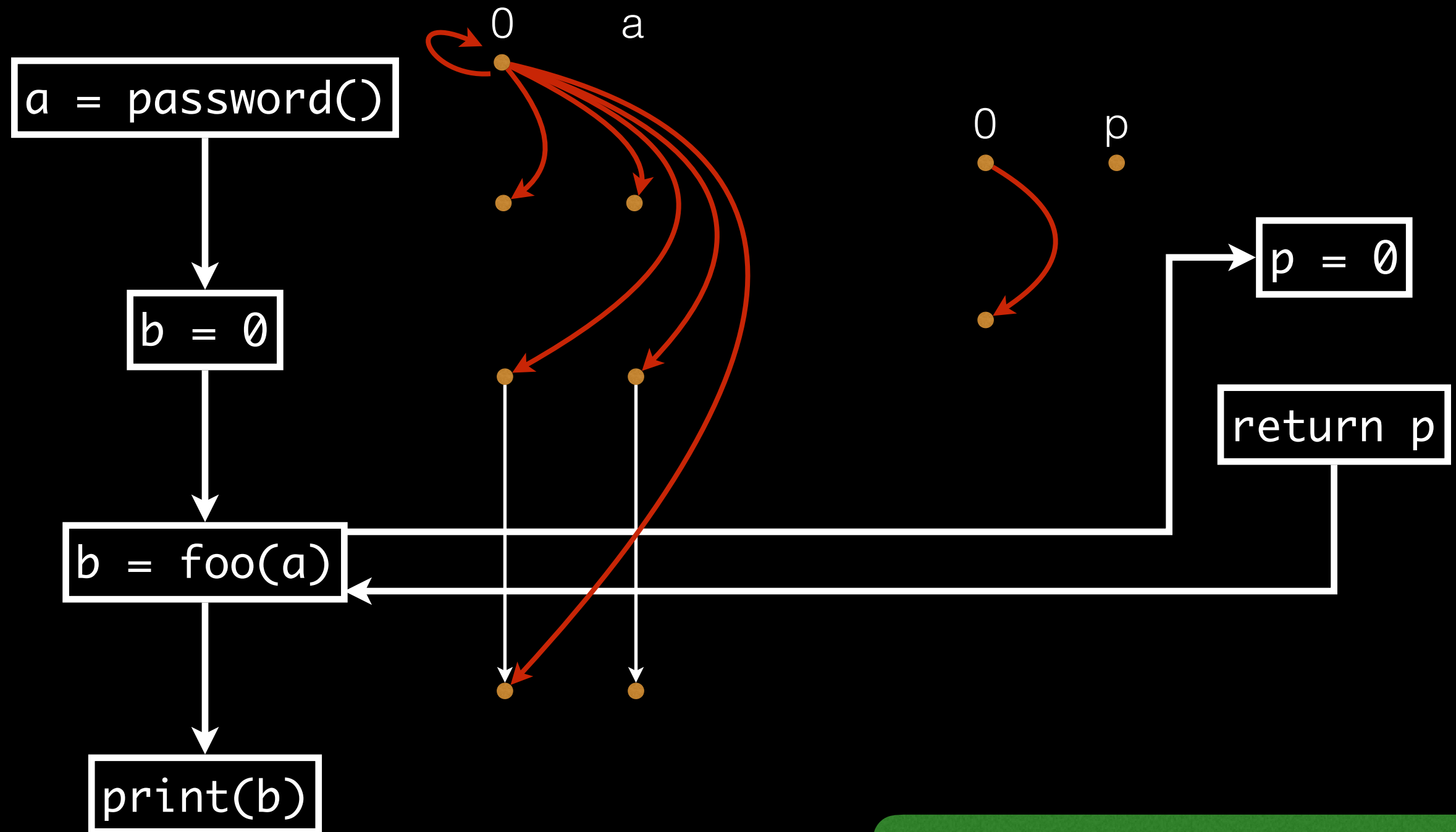
Return-Flow

On-the-fly ESG



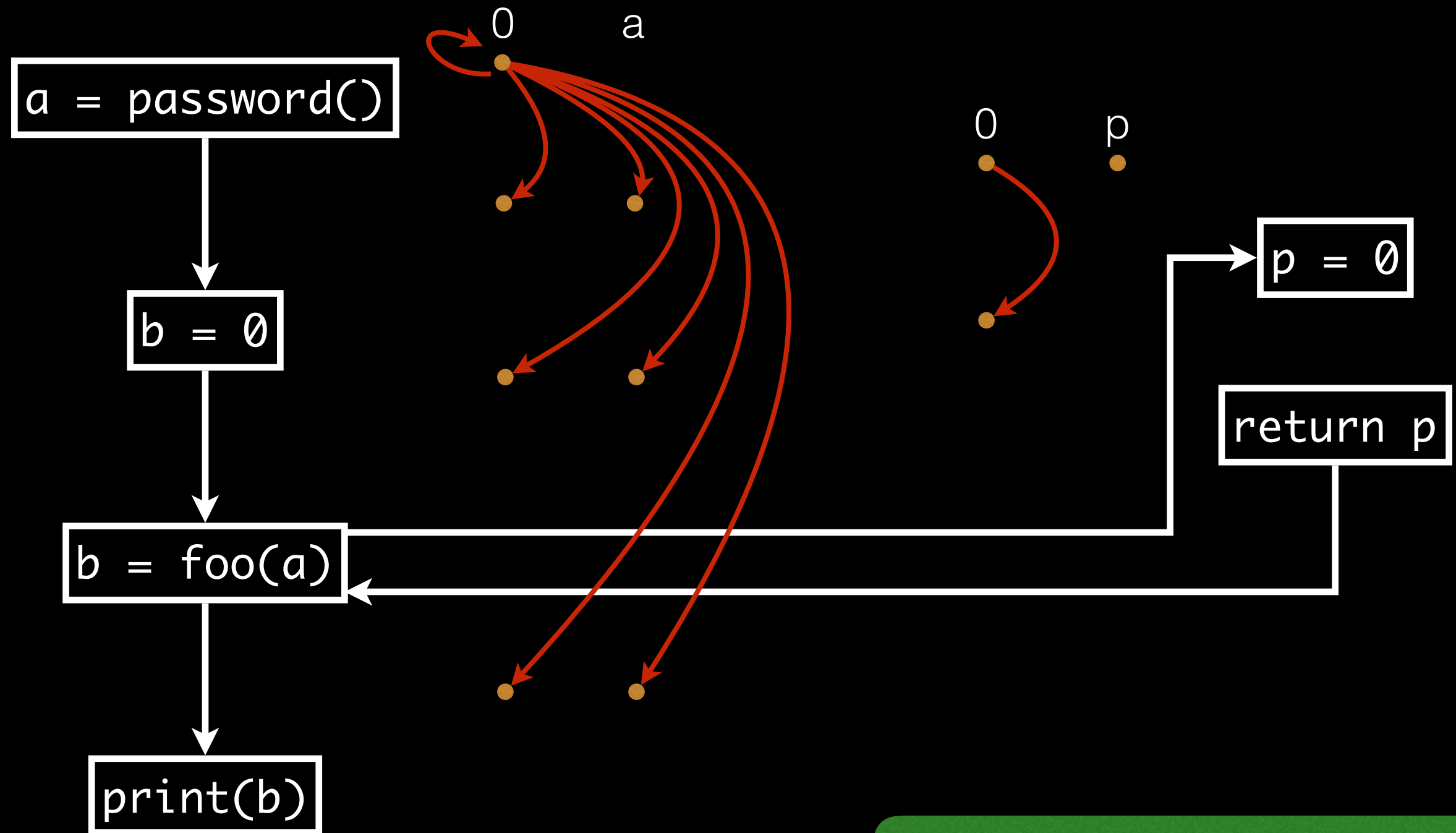
extend path edges in caller

On-the-fly ESG



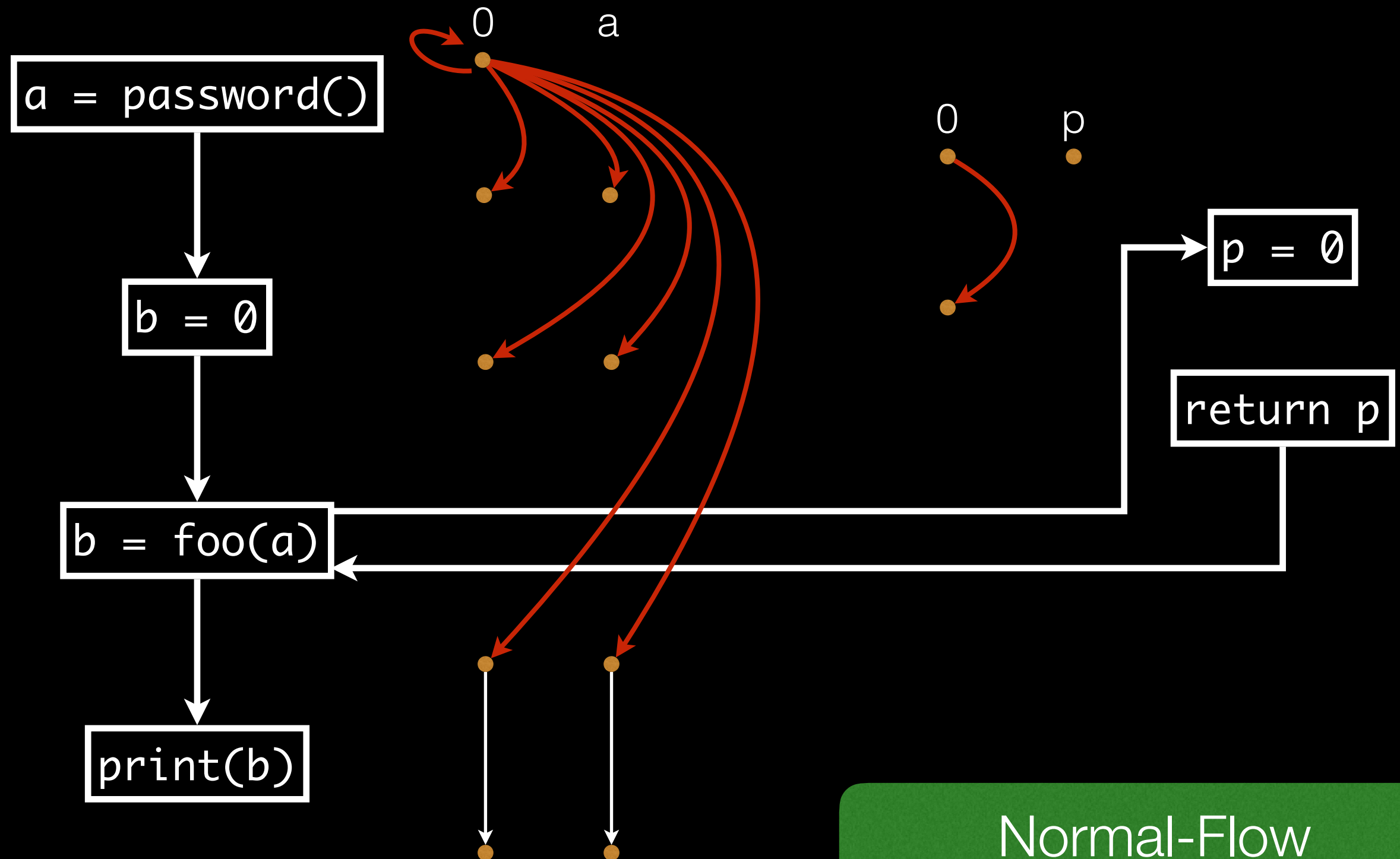
Call-to-return

On-the-fly ESG

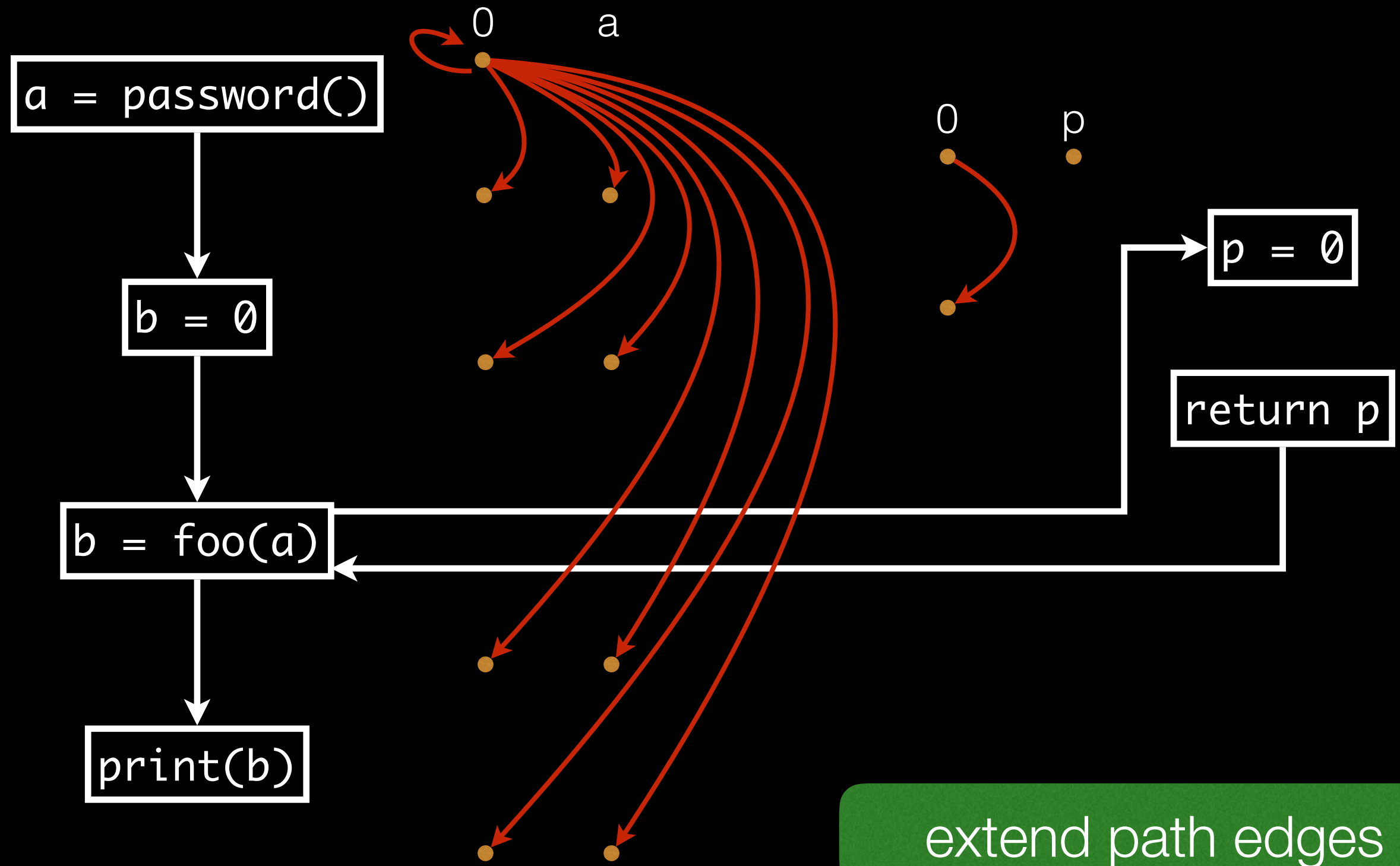


extend path edges

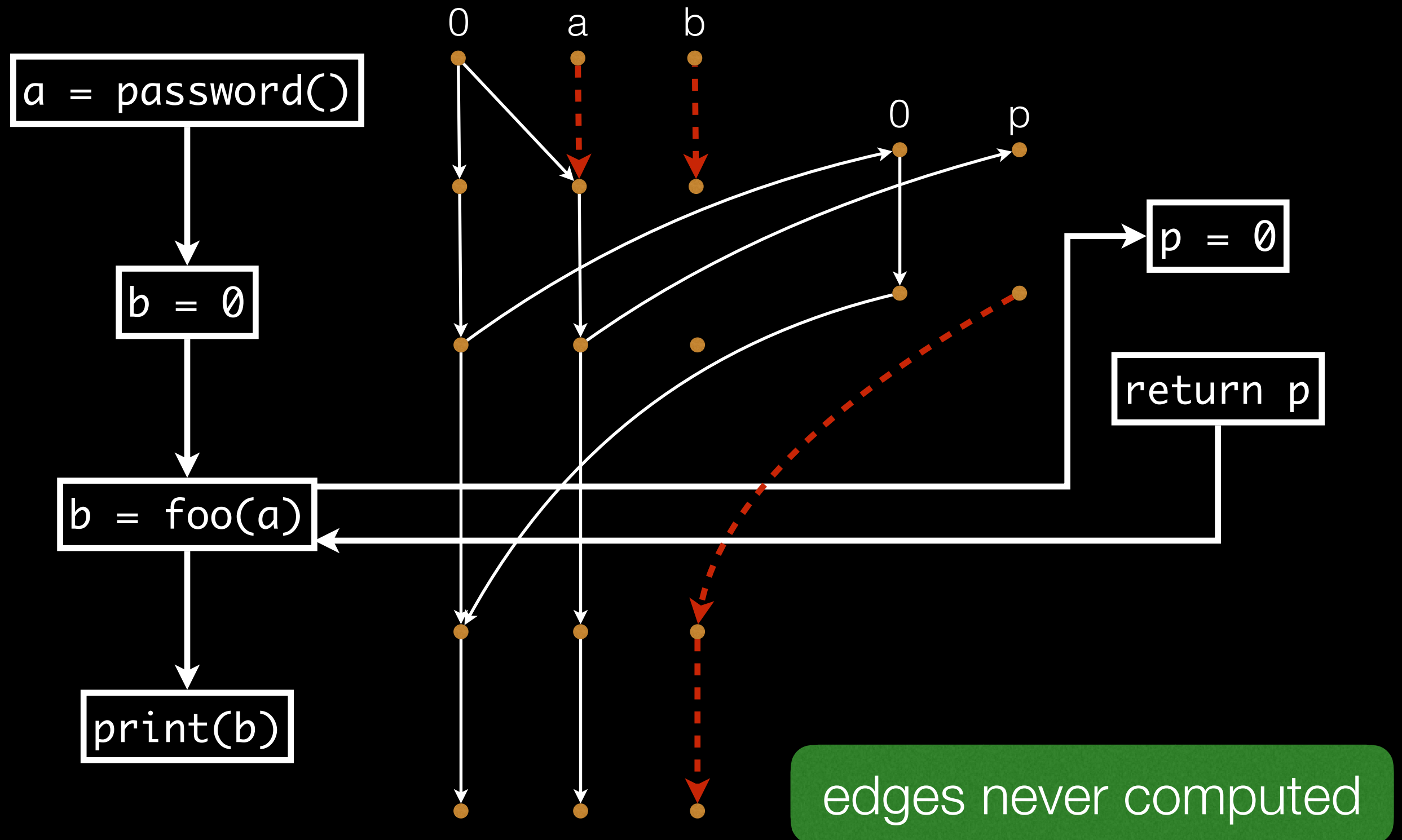
On-the-fly ESG



On-the-fly ESG



On-the-fly ESG



Tidbits!

Field-Sensitivity

$a.f$

Field-Sensitive

$a.*$

Field-Insensitive

$A.f$

Field-Based

Field-Based

A.f



```
a = source();
```

```
b = new DS();
```

```
c = new DS();
```

```
b.f = a;
```

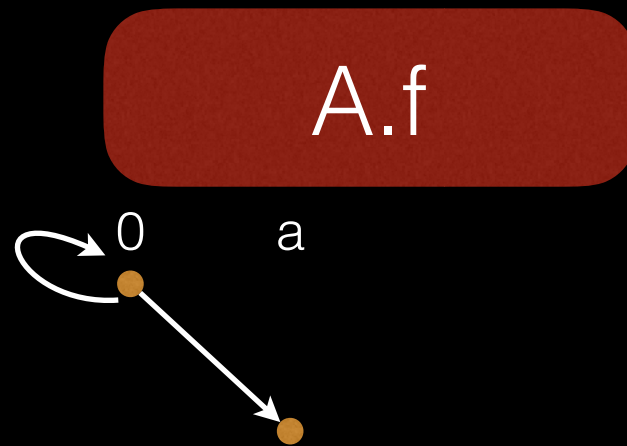
```
d = c.f
```

```
sink(d);
```

$D = \text{Locals} \cup \text{Fields}$

Field-Based

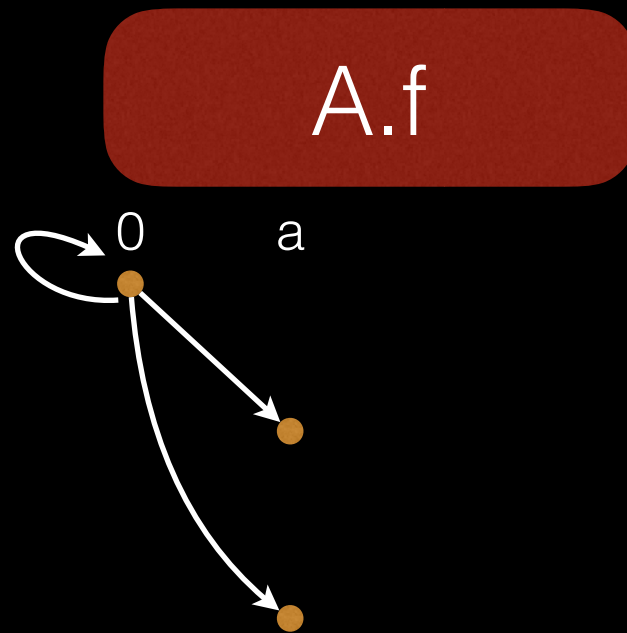
```
a = source();  
b = new DS();  
c = new DS();  
b.f = a;  
d = c.f  
sink(d);
```



$D = \text{Locals} \cup \text{Fields}$

Field-Based

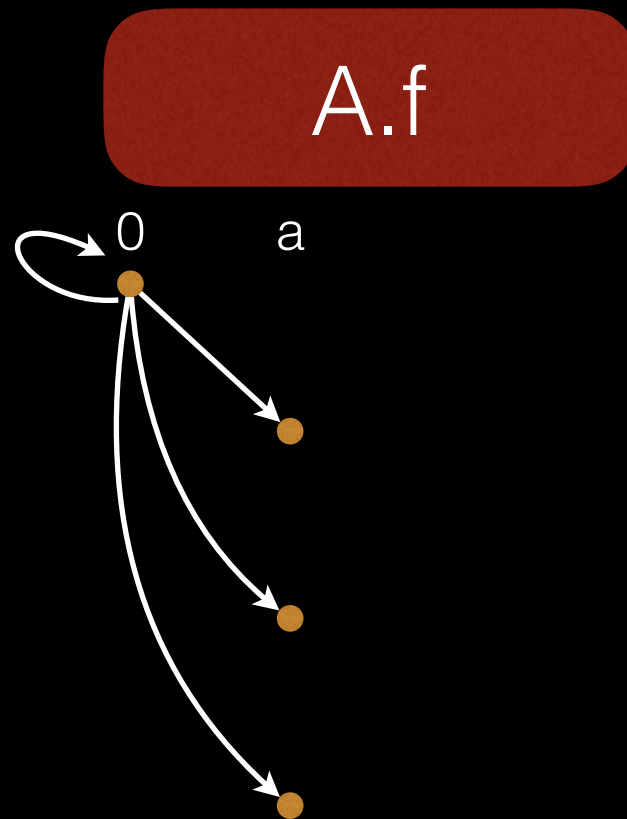
```
a = source();  
b = new DSC();  
c = new DSC();  
b.f = a;  
d = c.f  
sink(d);
```



$D = \text{Locals} \cup \text{Fields}$

Field-Based

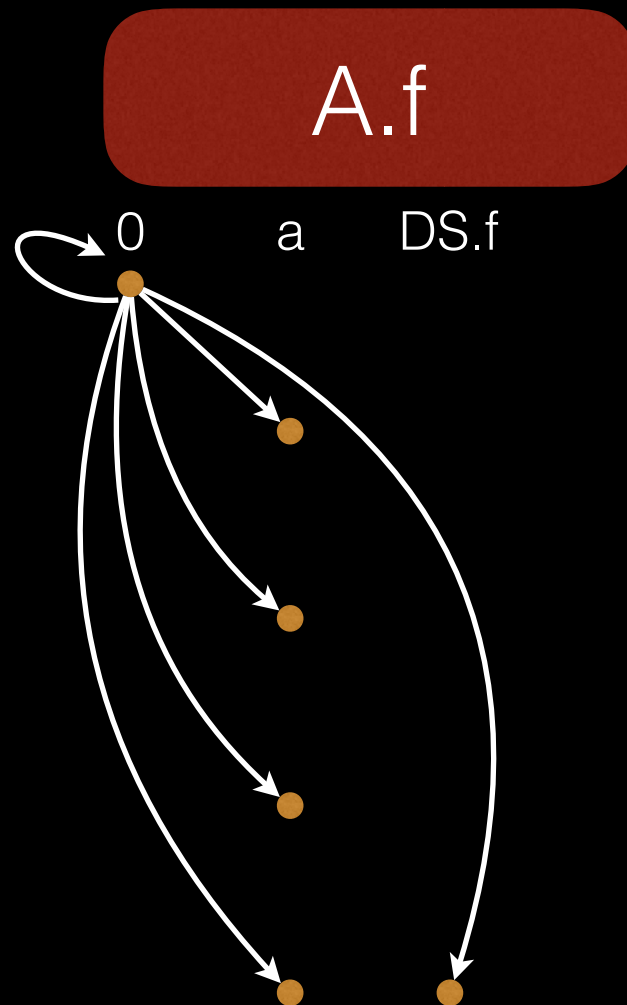
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Field-Based

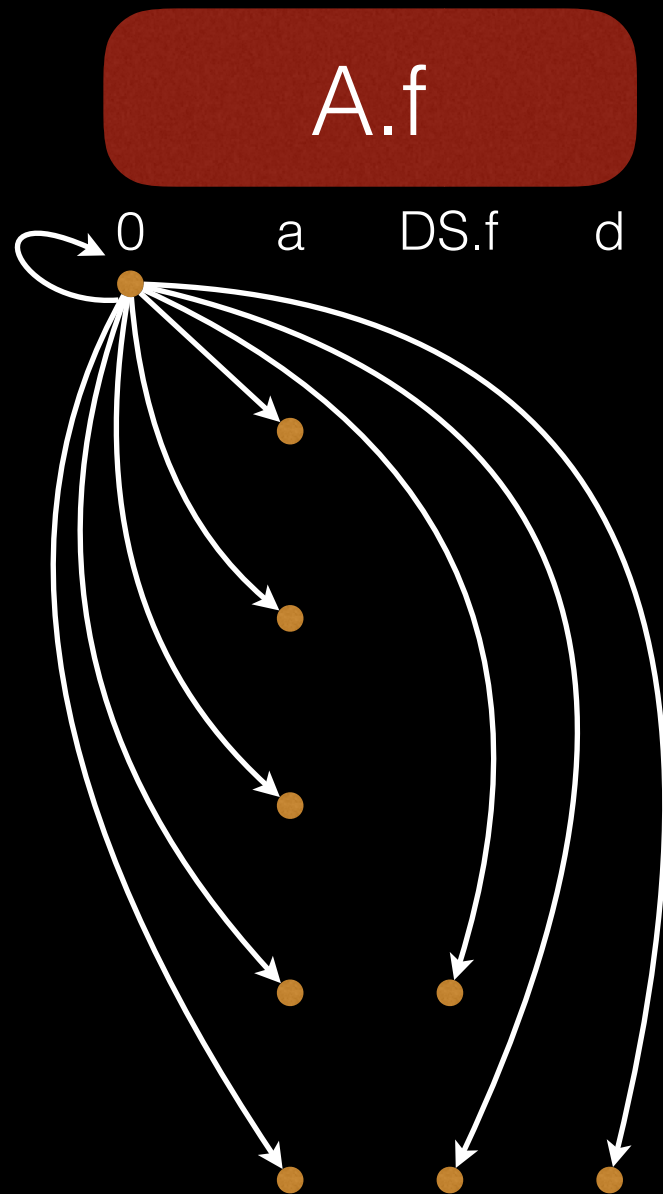
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$D = \text{Locals} \cup \text{Fields}$

Field-Based

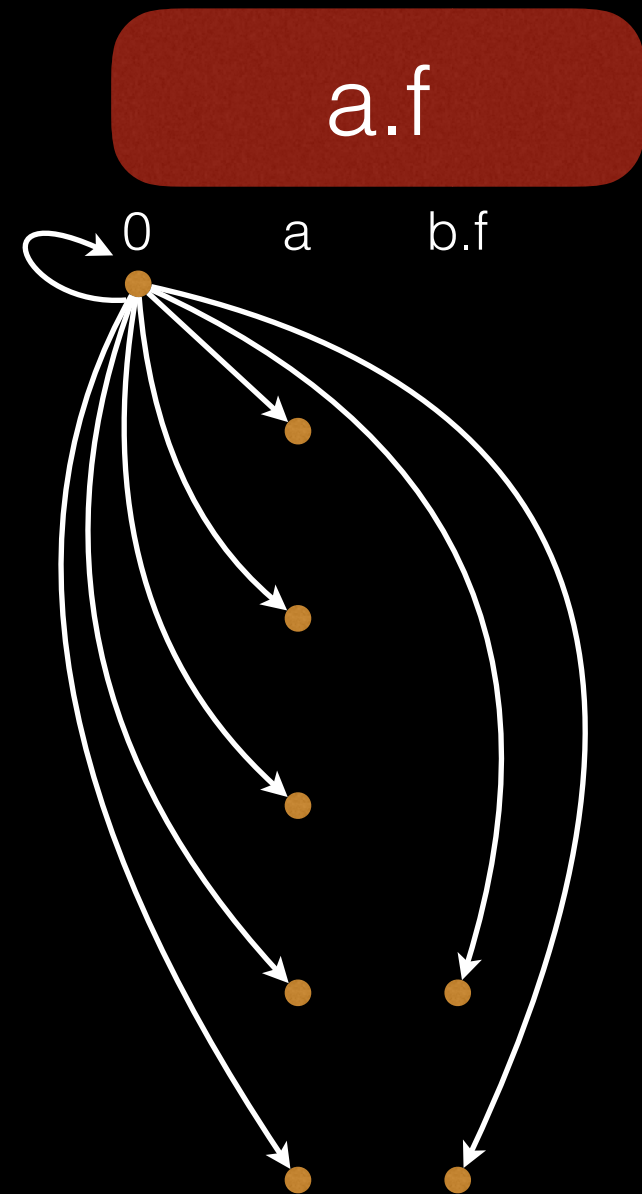
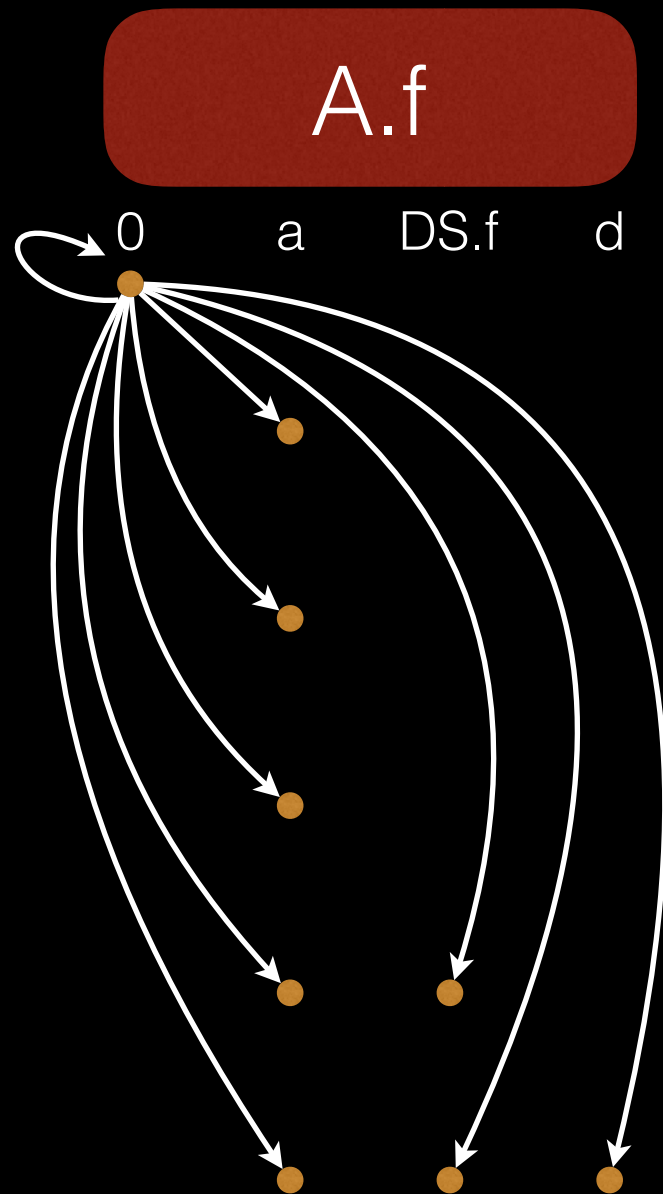
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b.f = a;  
d = c.f;  
sink(d);
```



$D = \text{Locals} \cup \text{Fields}$

Field-Sensitive

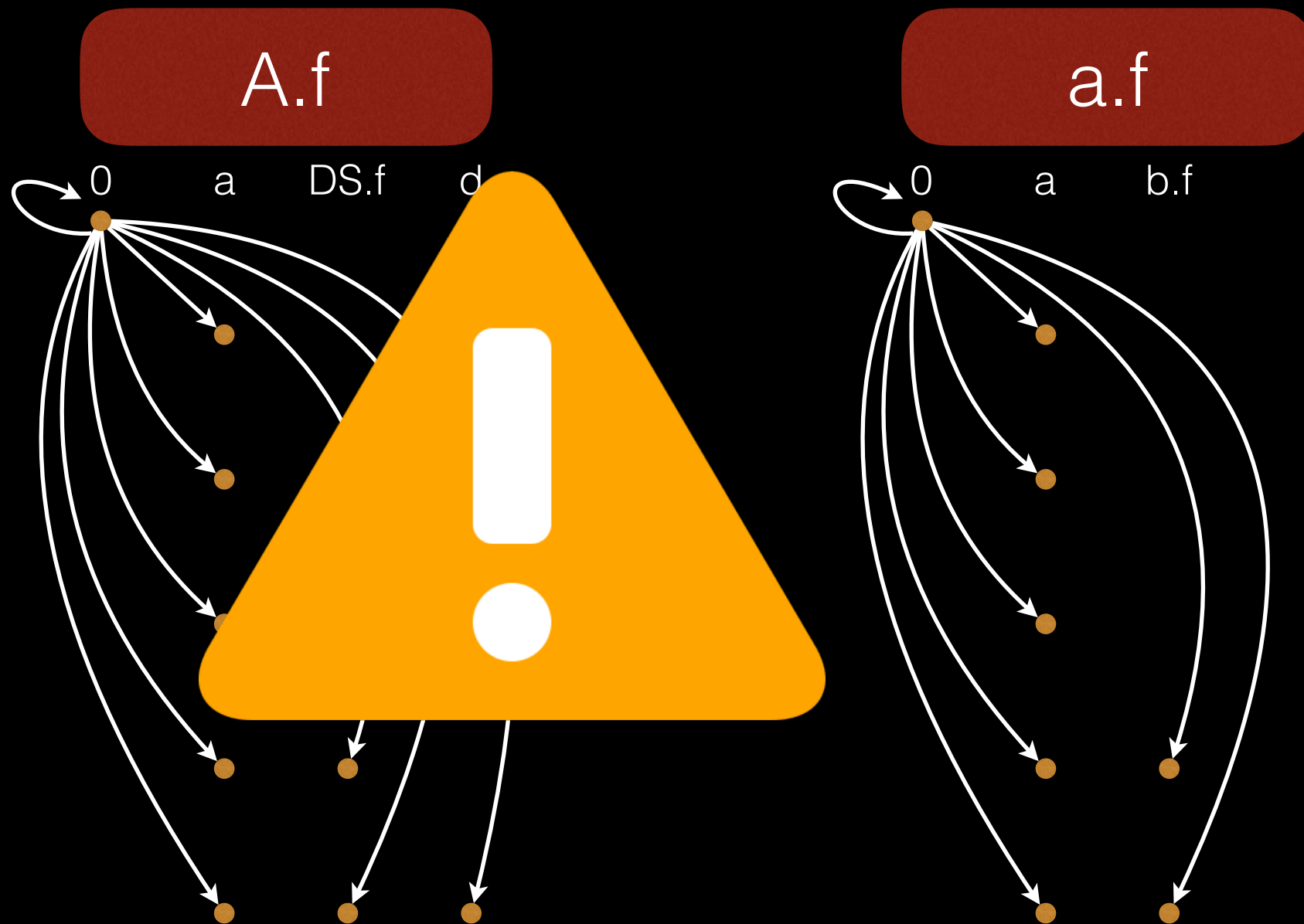
```
a = source();  
b = new DSC();  
c = new DSC();  
b.f = a;  
d = c.f;  
sink(d);
```



$D = \{l.f_1.f_2.f_3. \dots .f_n\}$
 $l \in \text{Locals}, f_i \in \text{fields}$
 $n \geq 0$

Field-Sensitive

```
a = source();  
b = new DSC();  
c = new DSC();  
b.f = a;  
d = c.f;  
sink(d);
```

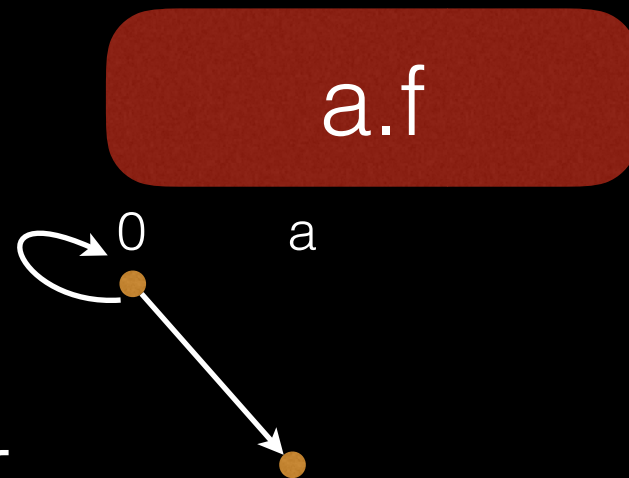


Infinite domain!!

$D = \{l.f_1.f_2.f_3. \dots .f_n\}$
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Field-Sensitive

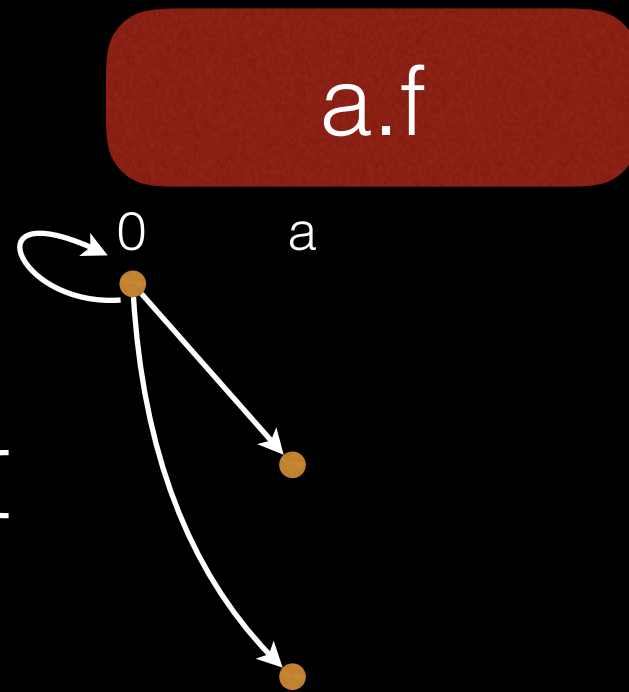
```
a = source();  
while(rand()) {  
    b = new DSC();  
    b.f = a;  
    a = b;  
}  
sink(d);
```



$D = \{l.f_1.f_2.f_3. \dots .f_n\}$
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Field-Sensitive

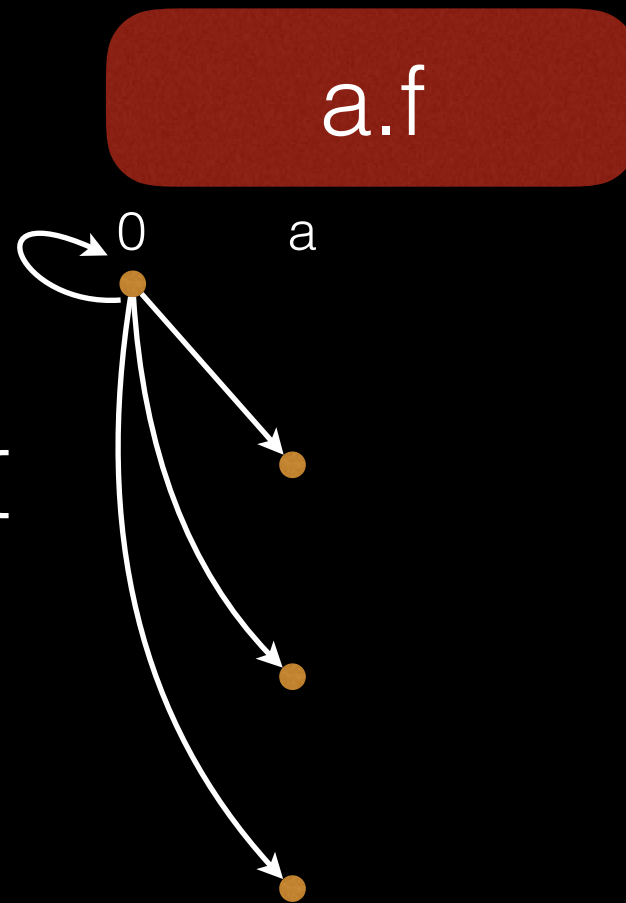
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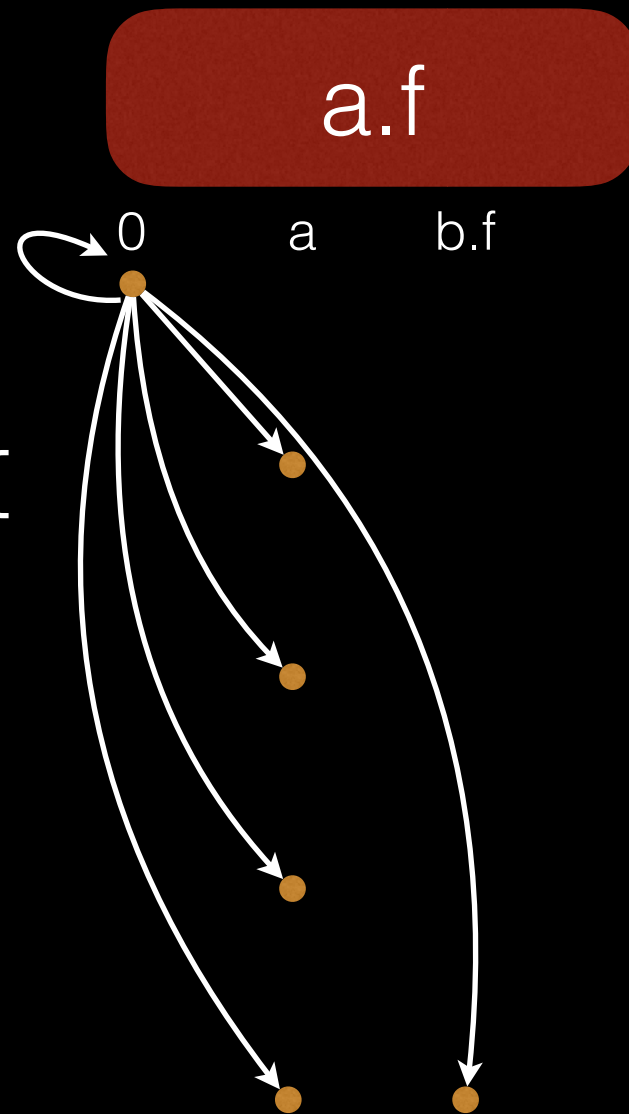
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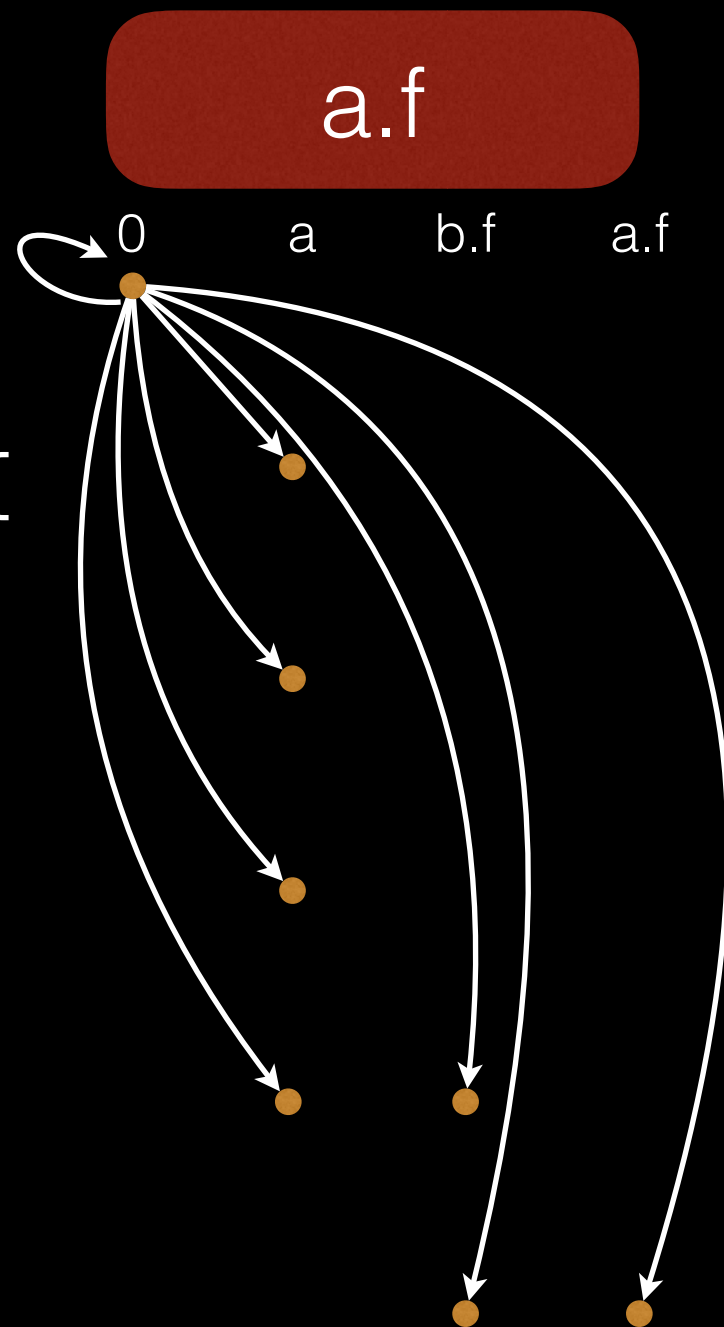
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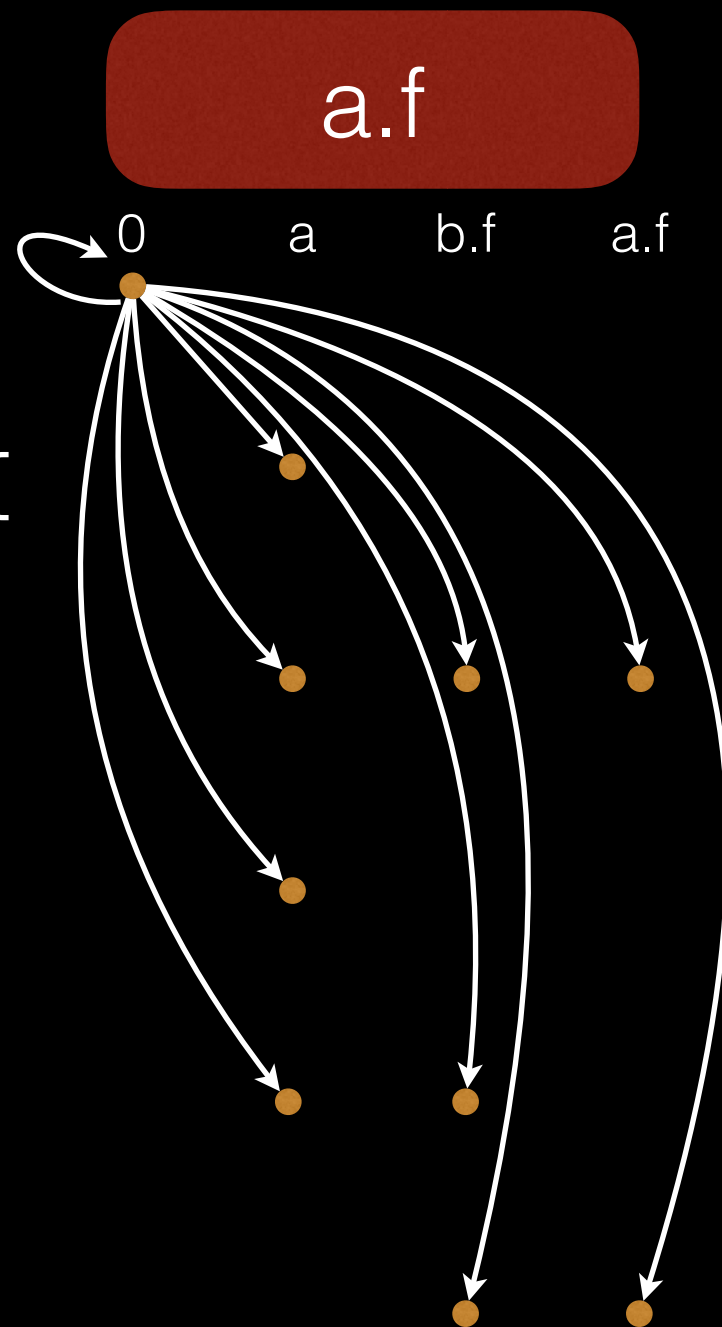
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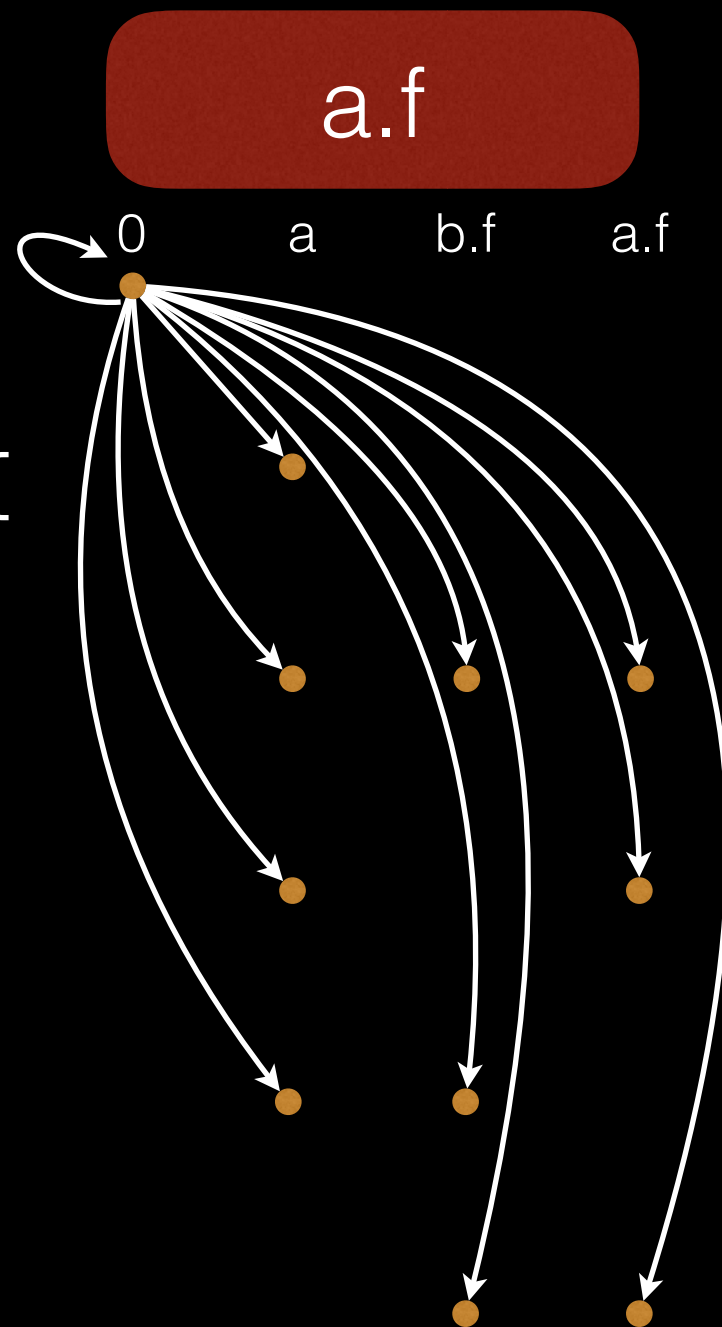
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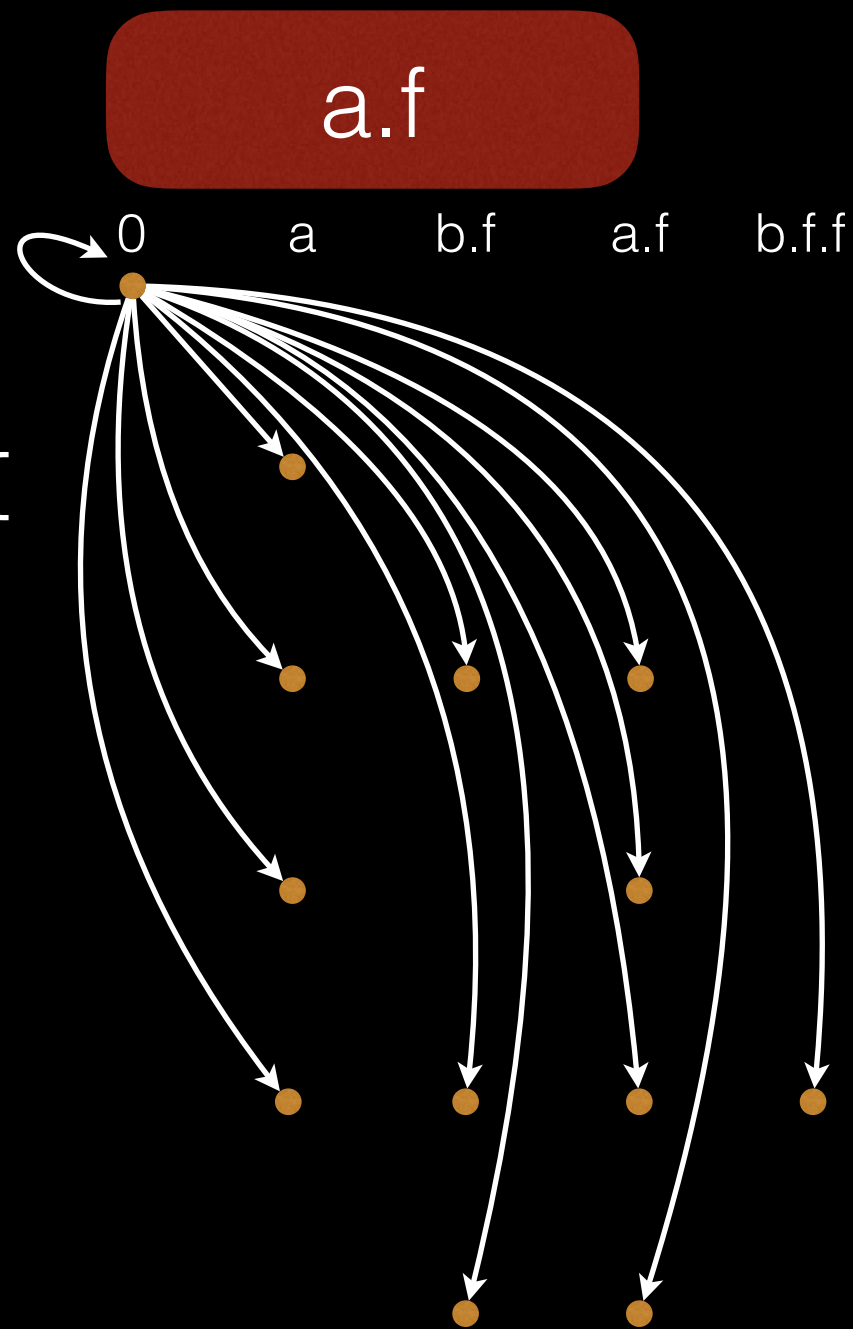
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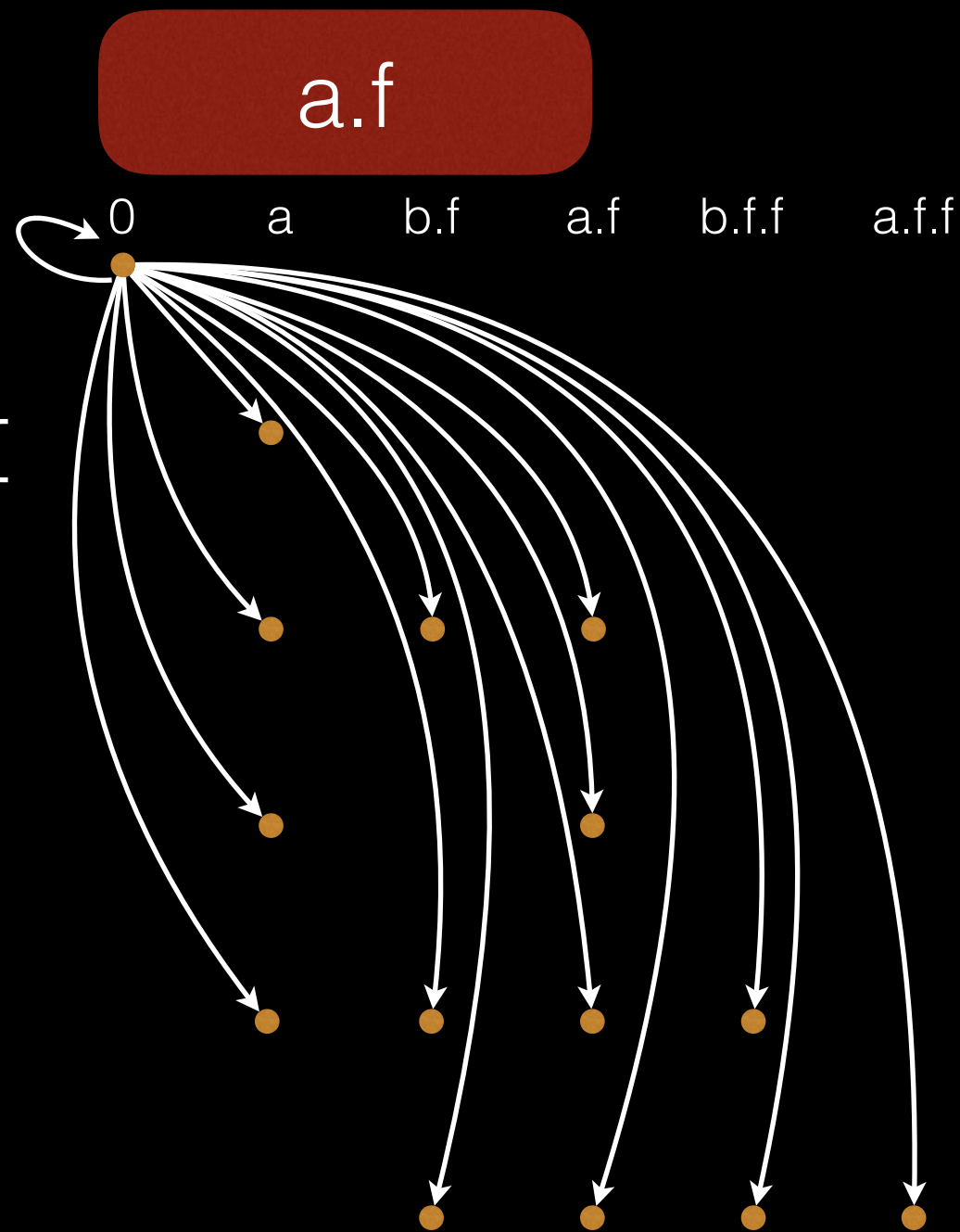
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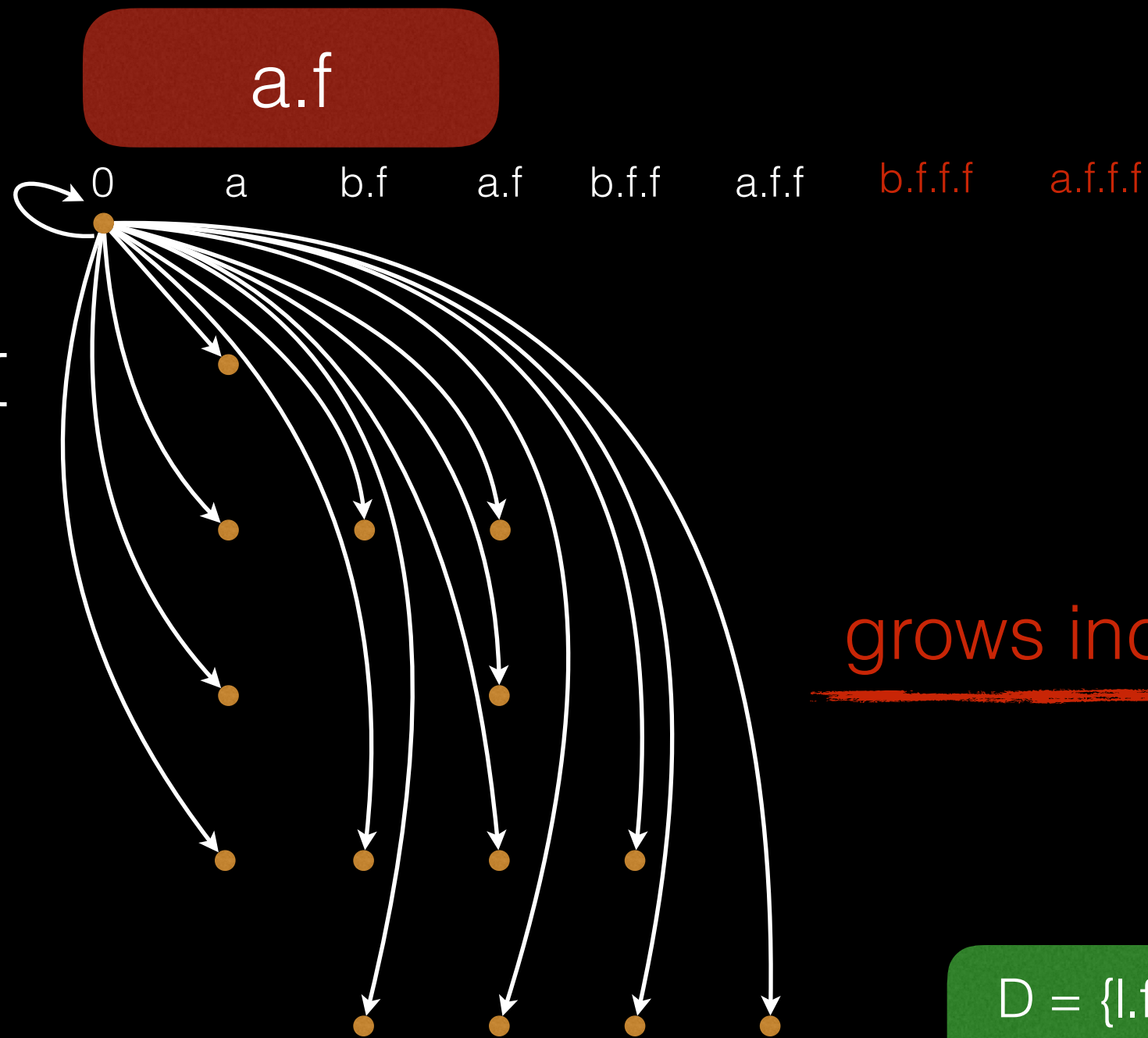
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$D = \{l.f_1.f_2.f_3. \dots .f_n\}$
 $l \in \text{Locals}, f_i \in \text{fields}$
 $n \geq 0$

Field-Sensitive

```
a = source();  
while(rand()) {  
    b = new DSC();  
    b.f = a;  
    a = b;  
}  
sink(d);
```

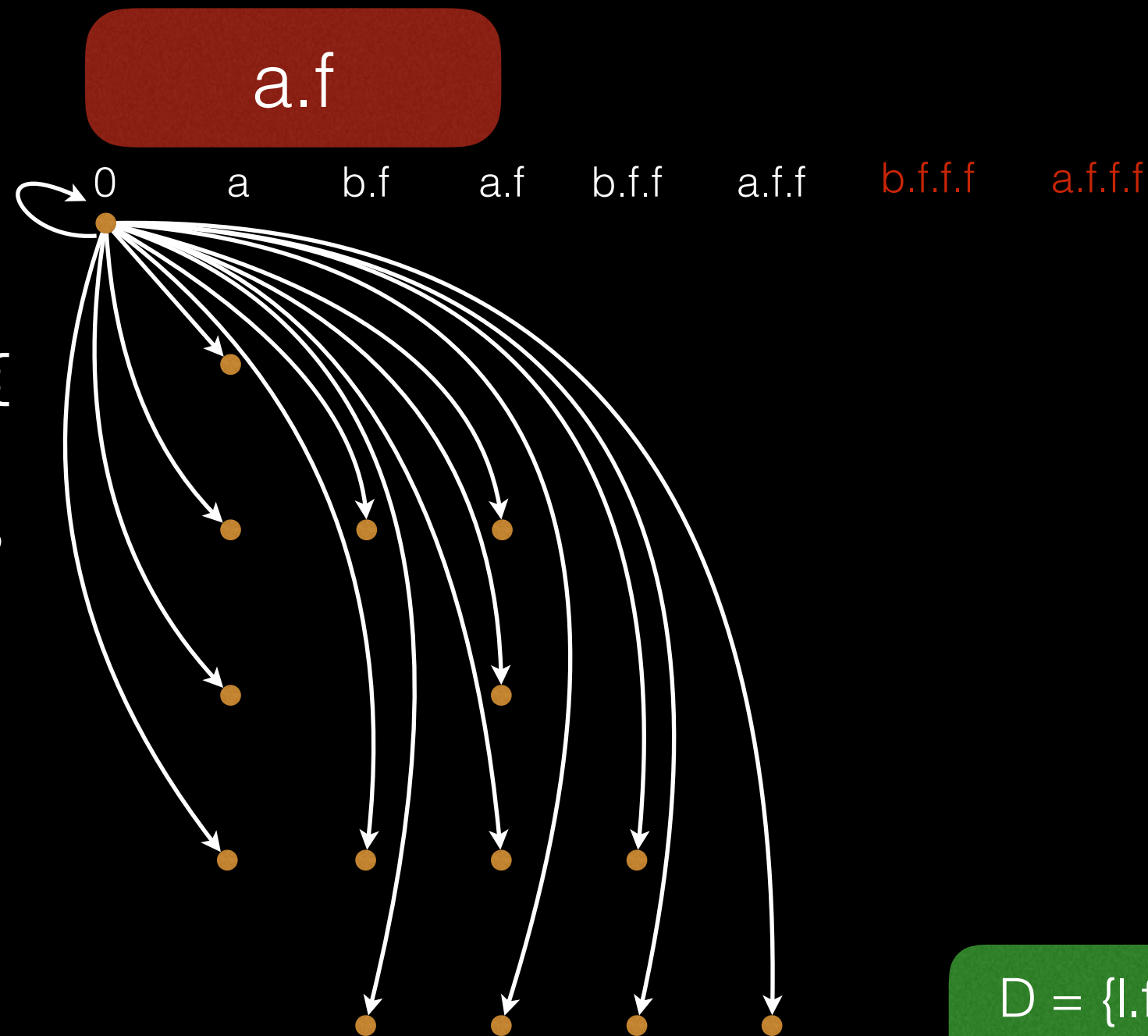


grows indefinitely →

$D = \{l.f_1.f_2.f_3. \dots .f_n\}$
 $l \in \text{Locals}, f_i \in \text{fields}$
 $n \geq 0$

k -Limiting

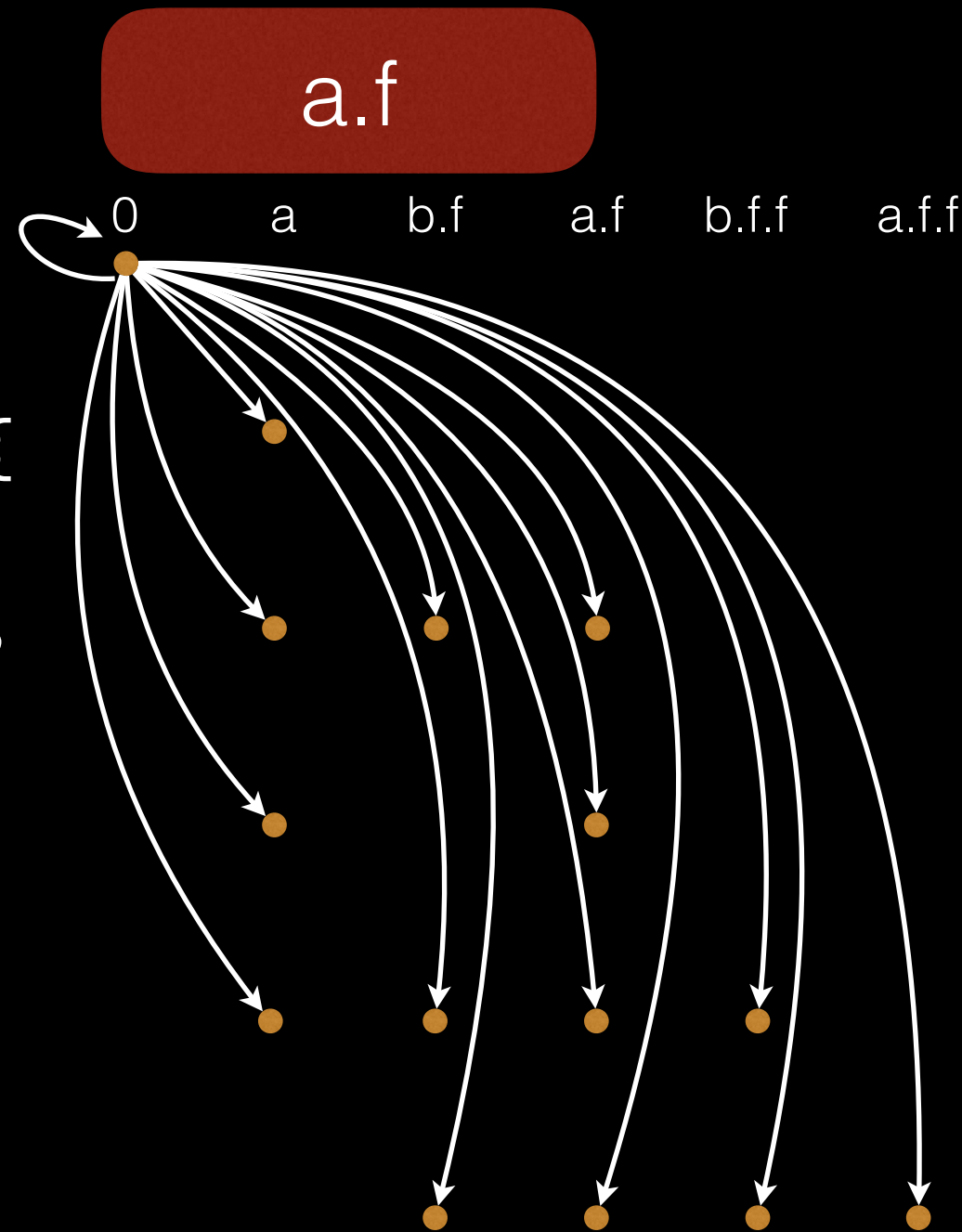
```
a = source();  
while(rand()) {  
    b = new DSC();  
    b.f = a;  
    a = b;  
}  
sink(d);
```



$D = \{l.f_1.f_2.f_3. \dots .f_n\}$
 $l \in \text{Locals}, f_i \in \text{fields}$
 $0 \leq n \leq k$

k-Limiting

```
a = source();  
while(rand()) {  
    b = new DSC();  
    b.f = a;  
    a = b;  
}  
sink(d);
```



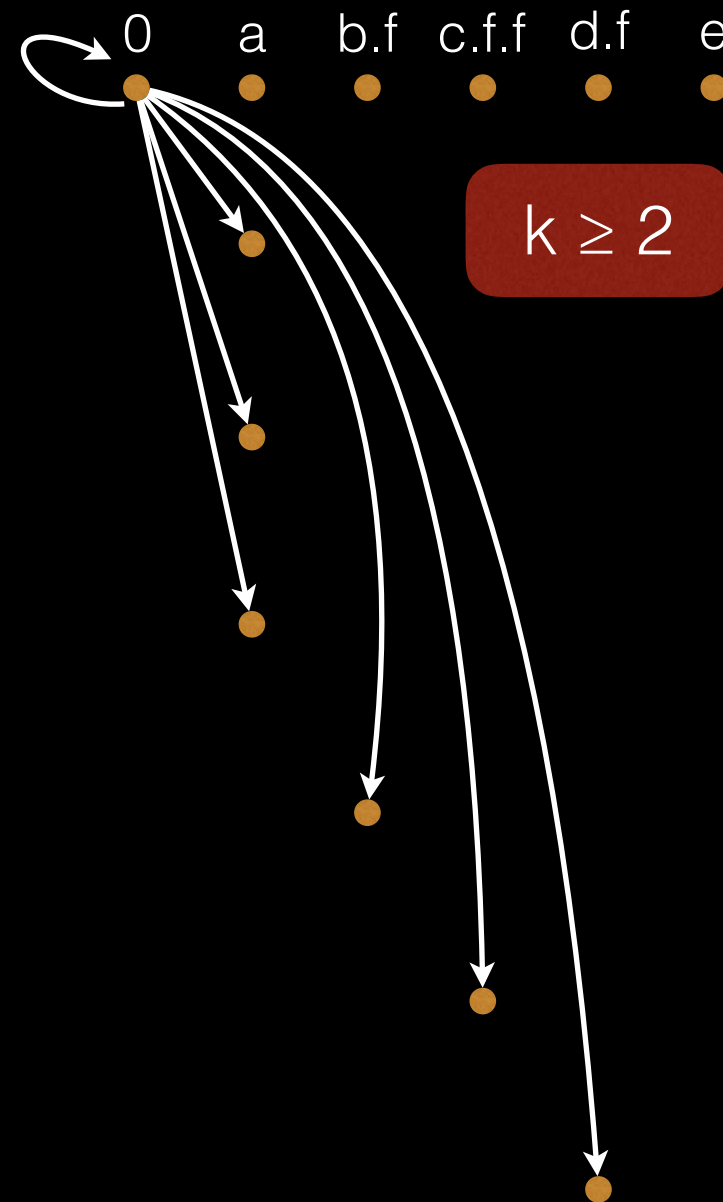
unsound domain
beyond $k \Rightarrow$ imprecise

$k = 2$

$D = \{l.f_1.f_2.f_3. \dots .f_n\}$
 $l \in \text{Locals}, f_i \in \text{fields}$
 $0 \leq n \leq k$

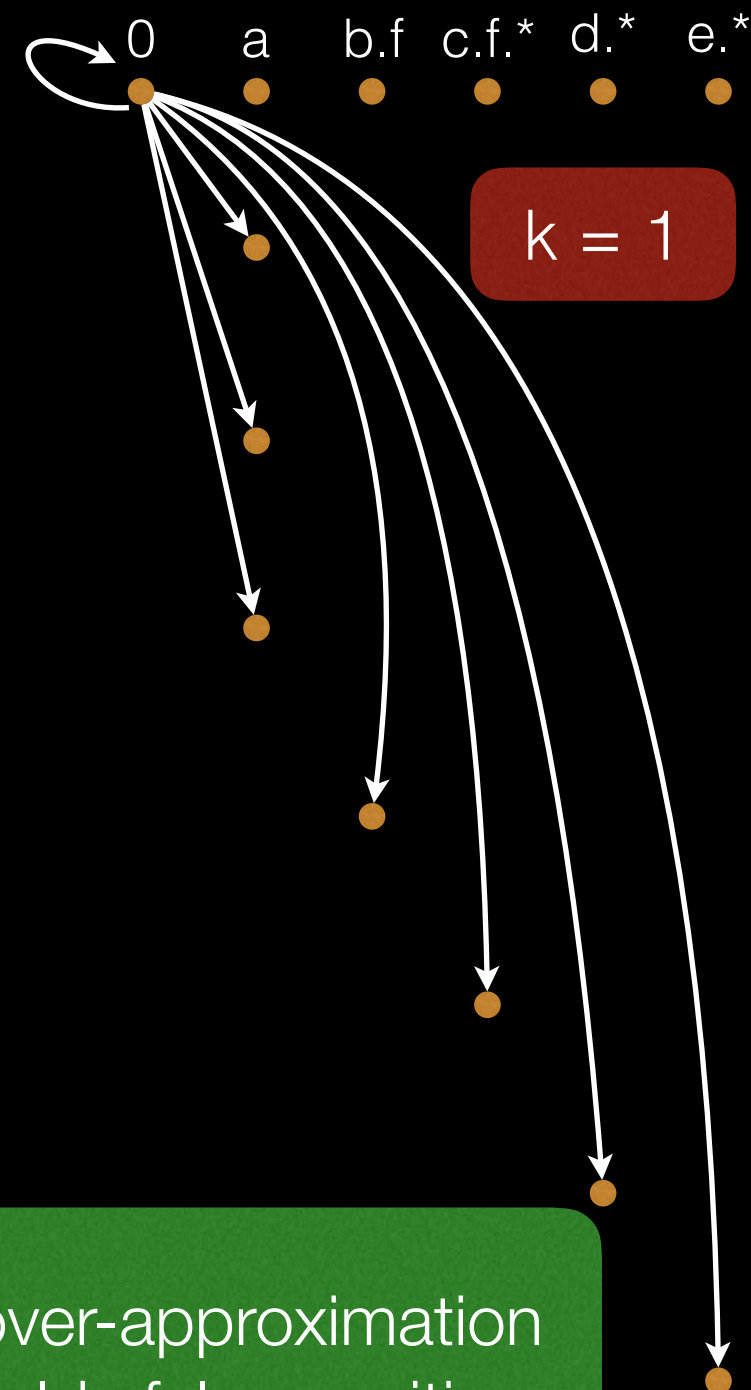
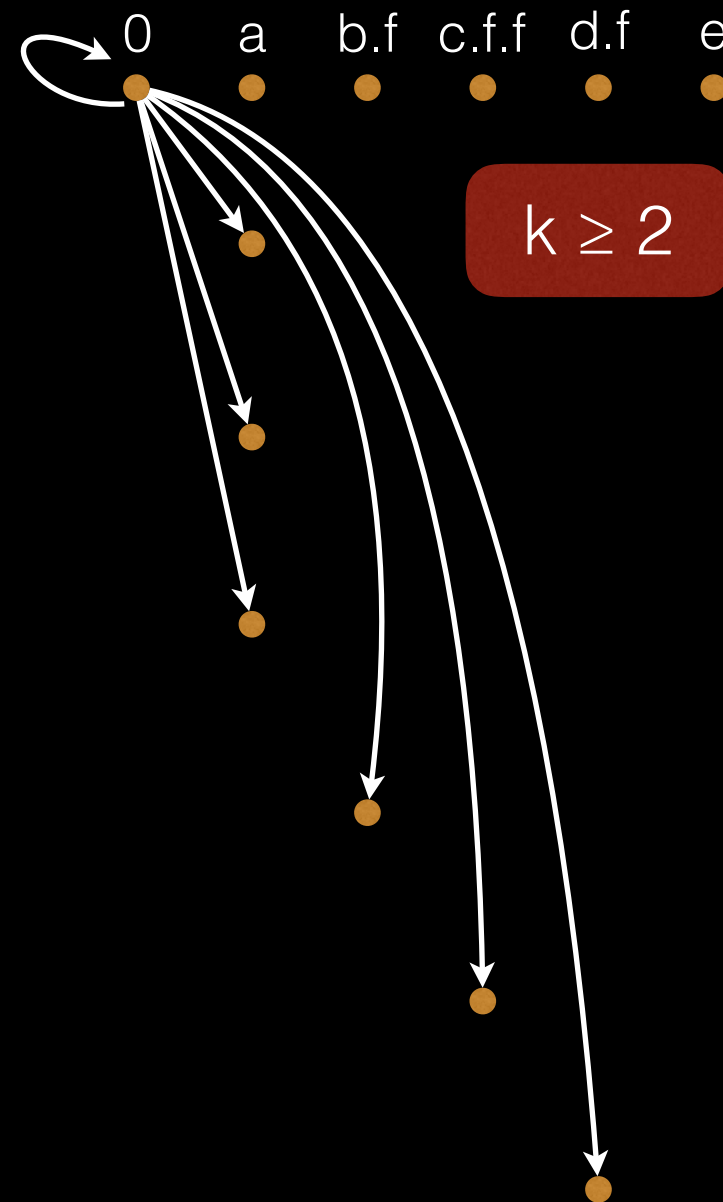
k -Limiting

```
a = source();  
b = new DSC();  
c = new DSC();  
b.f = a;  
c.f = b;  
d = c.f;  
e = d.g;  
  
sink(e);
```



k -Limiting

```
a = source();  
b = new DSC();  
c = new DSC();  
b.f = a;  
c.f = b;  
d = c.f;  
e = d.g;  
sink(e);
```



over-approximation
yields false positives

Tidbits

- Flow Sensitivity?
- Context Sensitivity?

Tidbits

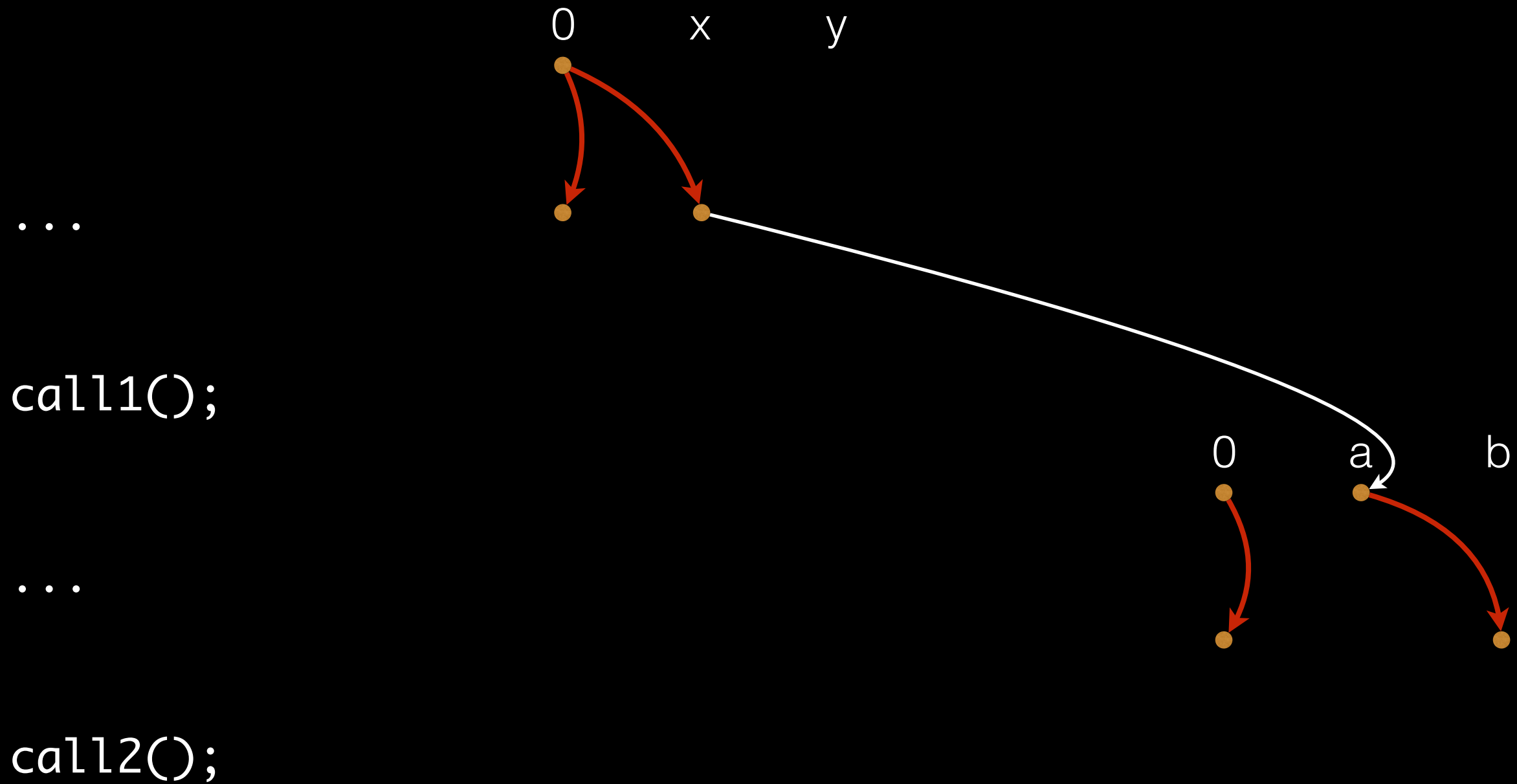
- Flow Sensitivity?

Method Summaries

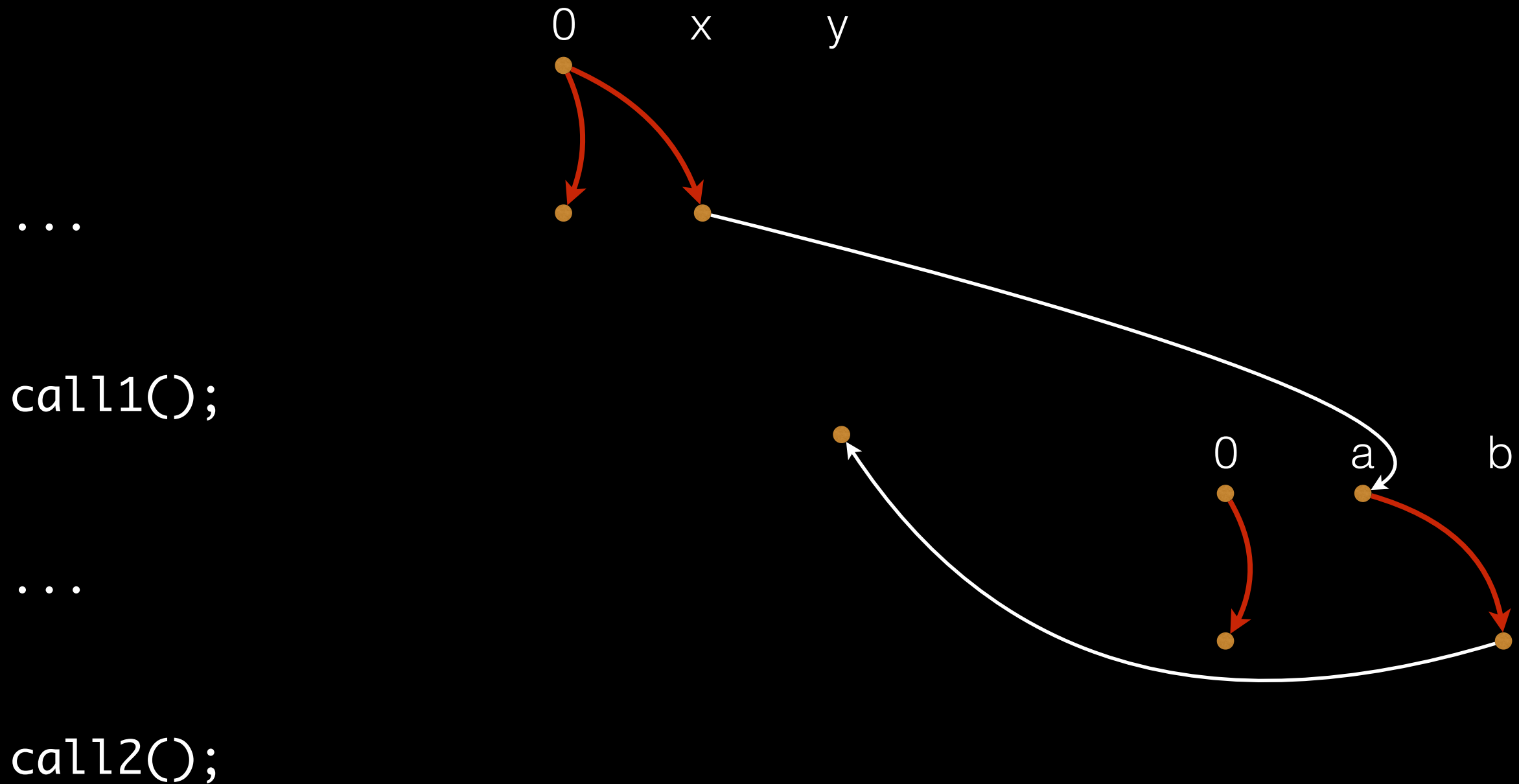
- Context Sensitivity?



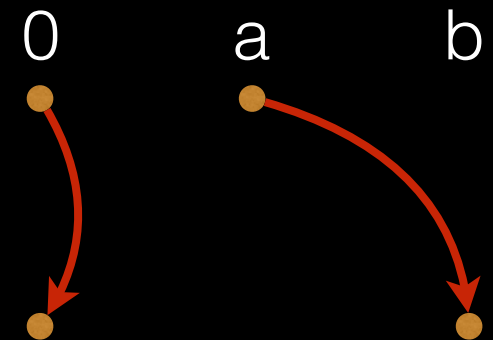
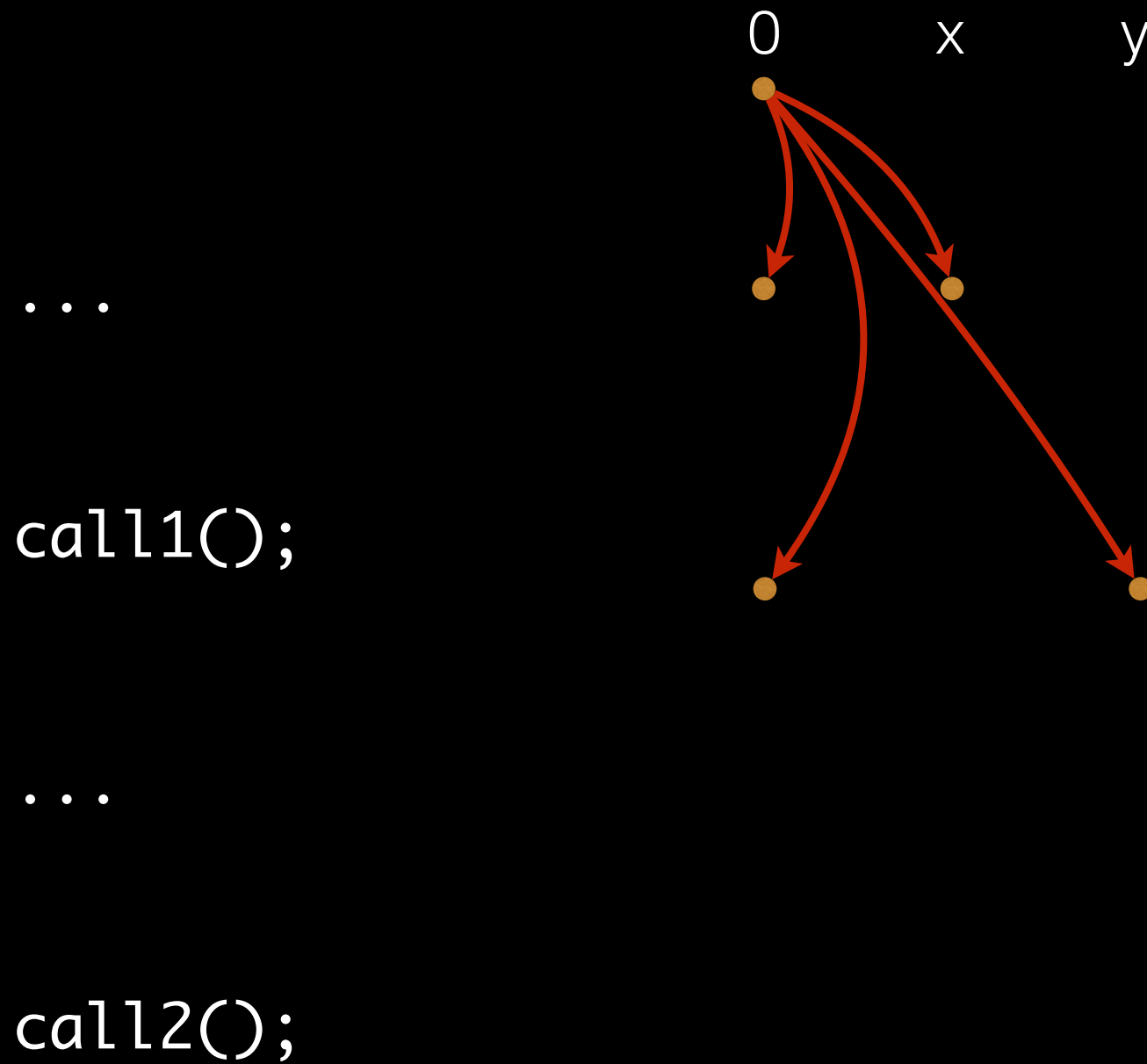
Context Sensitivity



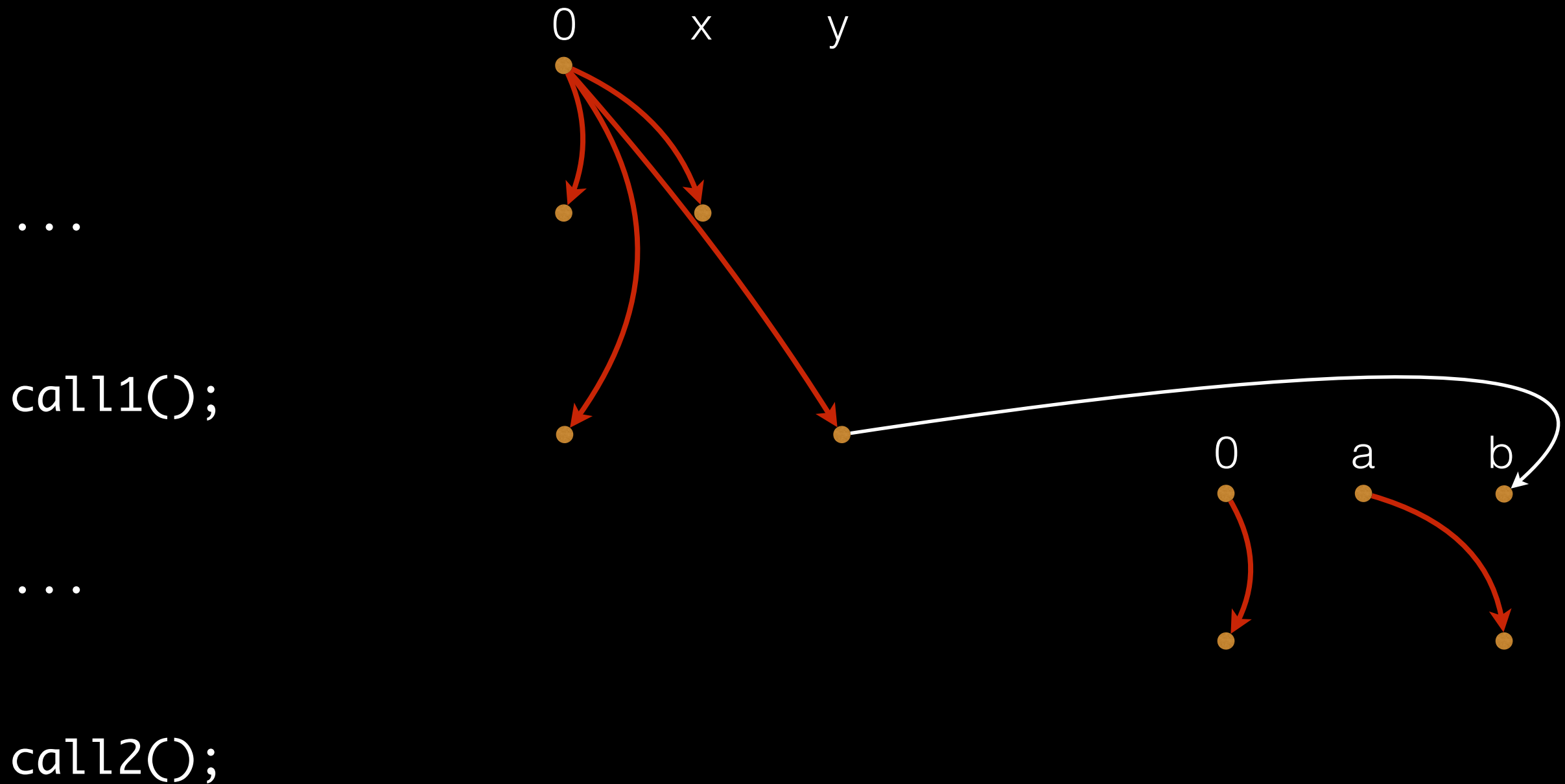
Context Sensitivity



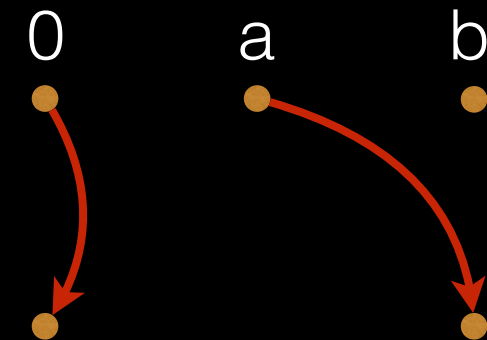
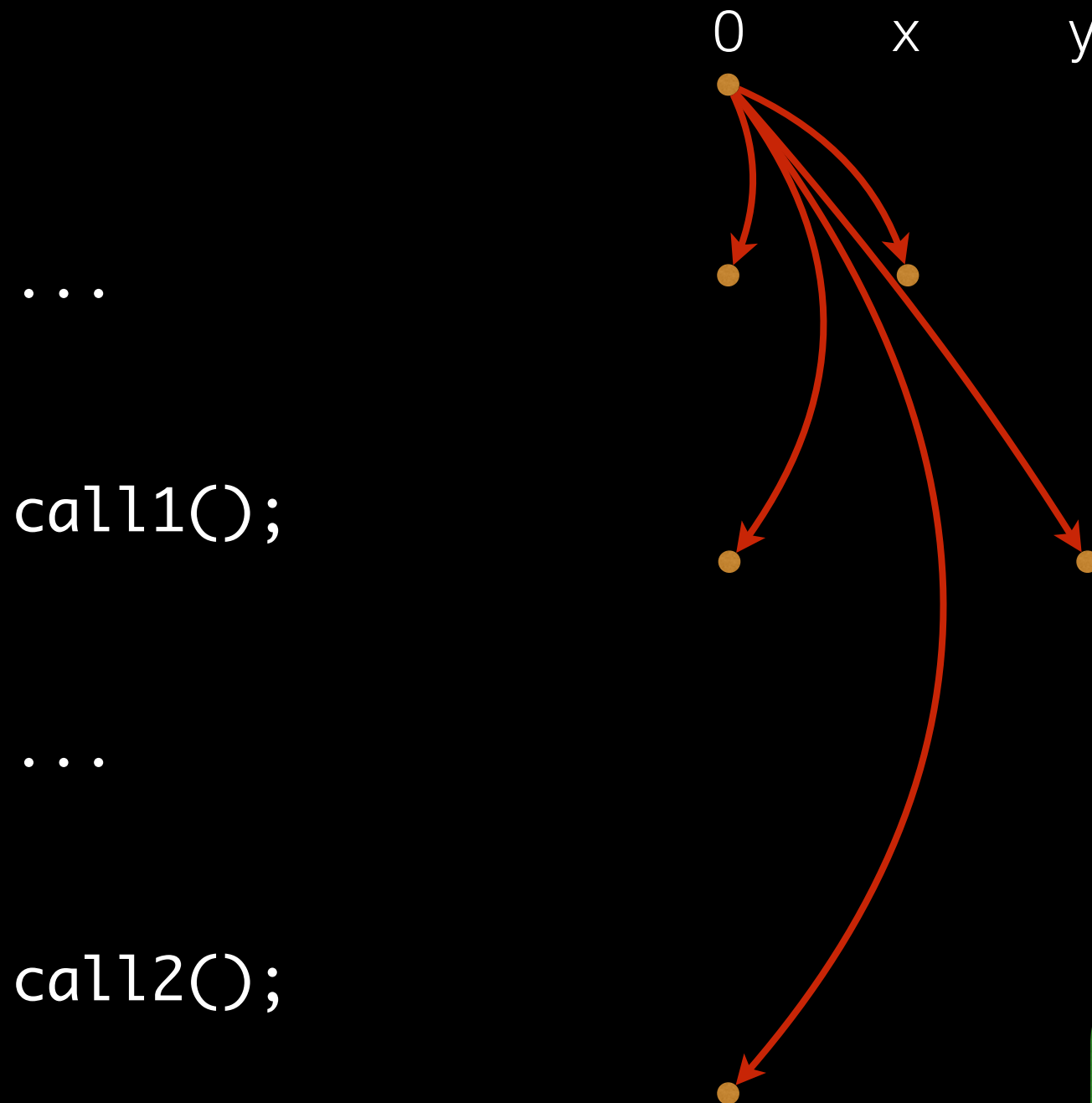
Context Sensitivity



Context Sensitivity



Context Sensitivity



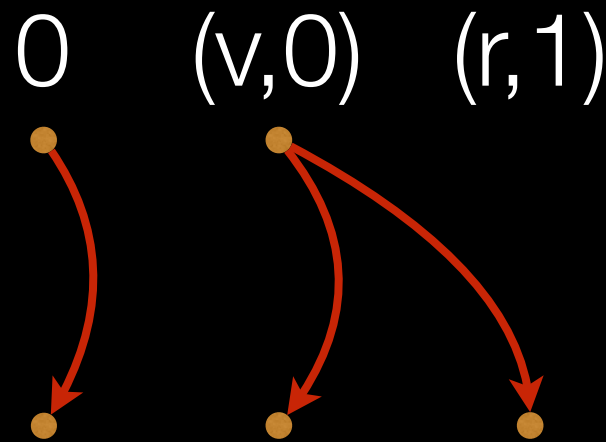
same summary
different contexts => different results

Tidbits

- Flow Sensitivity
- Context Sensitivity
- Large Domains => performance problems

Large Domains

$$r = v + 1$$

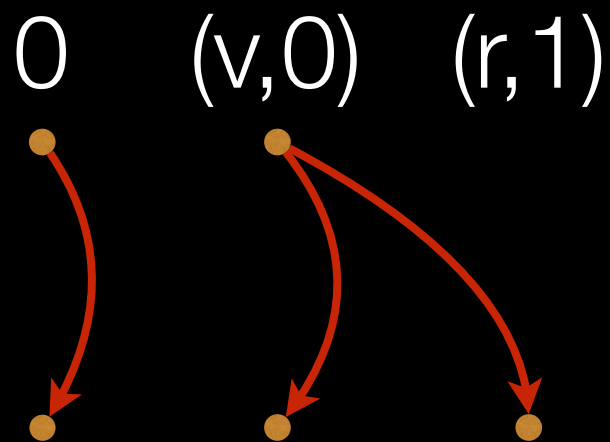


In any context, if v is 0 before the call, then it is true that r is 1 after the call

Large Domains

```
main() {  
  x = inc(1);  
  y = inc(x);  
  z = inc(y);  
  print(z);  
}
```

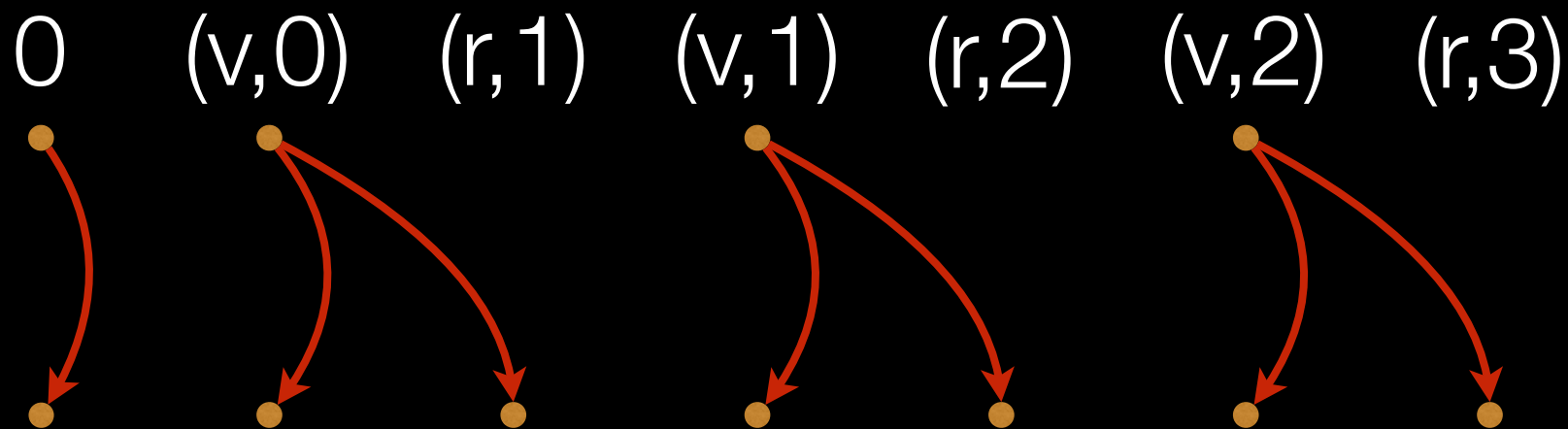
```
inc(v) {  
  r = v + 1;  
  return r;  
}
```



Large Domains

```
main() {  
  x = inc(1);  
  y = inc(x);  
  z = inc(y);  
  print(z);  
}
```

```
inc(v) {  
  r = v + 1;  
  return r;  
}
```

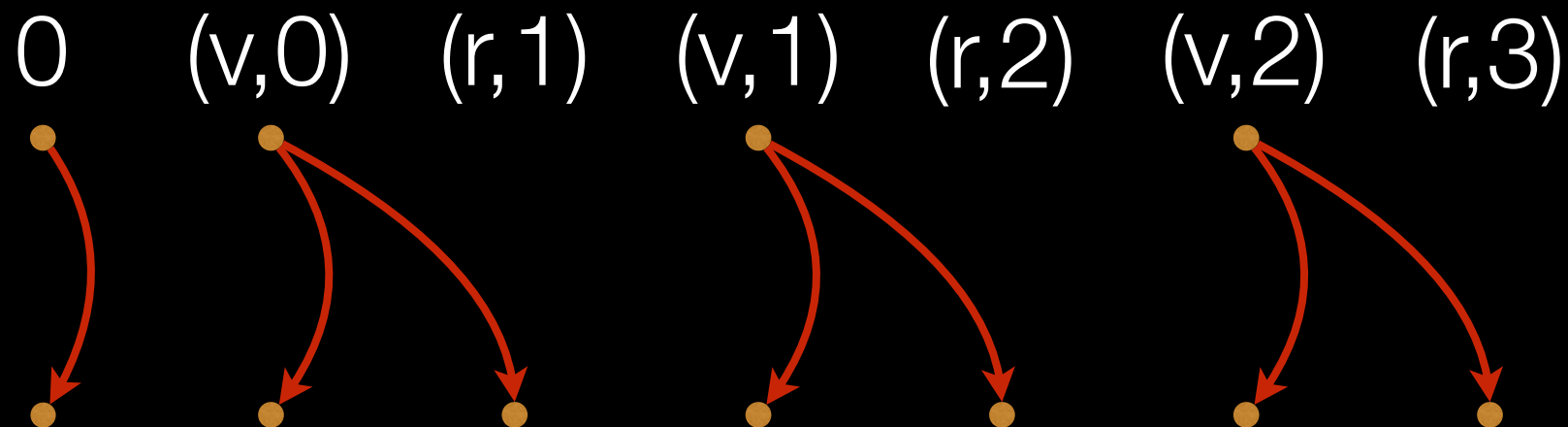


Large Domains

```
main() {  
  x = inc(1);  
  y = inc(x);  
}  
  
inc(v) {  
  r = v + 1;  
}
```

Solution: IDE instead of IFDS

}



Recap

- Interprocedural Finite Distributive Subset
- Flow Functions
- Taint Analysis Example
- On-the-fly ESG
- Tidbits: field-sensitivity, context-sensitivity, large domains

On Thursday

- Proposal presentations
- Solving Assignments 1 and 2 in class