

Administrative Issues

CS5242 mirror site:

<https://web.bii.a-star.edu.sg/~leehk/cs5424.html>

Assignments ($10\% * 4 = 40\%$)

- For each assignment
 - It has multiple sub-tasks, including coding tasks
 - You need to submit the answers, code and execution results

Assignments (10% * 4 = 40%)
Quiz (20%)
Final Project (40%)

Final Projects (40%)

- Projects will be held on Kaggle-in-class
 - Register using your nus email (<https://inclass.kaggle.com/>)
 - The project webpages will be announced once groups are finalized
 - No data disclosure
 - No additional data
 - Each group <=2 students
- Each group will be randomly assigned to
 - A computer vision project
 - A natural language processing project
- Assessment is based on the report (15%) and ranking (25%)
 - Top ranked groups of each project will be invited to do presentation at week 13.

Will announce in IVLE once Kaggle is ready

Final Project (40%)

- Report template (15%)
 - Problem definition
 - Highlights (new algorithms, insights from the experiments)
 - Dataset pre-processing description
 - Training and testing procedure
 - Experimental study
 - (clarity, model understanding, and highlights are important for the assessment)
- Ranking -> score (25%)
 - Rank top 10%, score ~25 (max score)
 - Rank top 20%, score ~21
 - Rank top 40%, score ~17
 - Rank top 70%, score ~14
 - Rank others, score ~13
 - Prediction scores less than 10% better than random guess, score ~5

Final rank to grade distribution may be adjusted depending on overall class performance

Final projects timeline summary

| Date | Event |
|-------------------|--|
| 27 August 18:00 | Register your project group @ IVLE 2 or less students per group |
| 04 November 18:00 | Results submission deadline |
| 05 November 18:00 | Selection and notification of selected projects for presentation |
| 11 November 18:00 | Report deadline |
| 12 November 18:00 | Selected project group send slides to cs5242@comp.nus.edu.sg |
| 12 November 18:00 | Make appointment to meet Hwee Kuan to do presentation rehearsal ⁶ |
| 16 November 18:30 | Project presentations by students |

GPU Machine/Cluster

- NSCC (National Super-Computing Center)
 - Free for NUS students
 - 128 GPU nodes, each with a NVIDIA Tesla K40 (12 GB)
 - Follow the manual and test program on IVLE workbin/misc/gpu to get yourself familiar with it.
- Google Cloud Platform
 - 300 USD credit for new register
 - NVIDIA Tesla K80 (2x12GB) is available for Region Taiwan
- Amazon EC2 (g2.8xlarge)
 - 100 USD credit for students
 - NVIDIA Grid GPU, 1536 CUDA cores, 4GB memory
 - Available for Singapore region
- Tips:
 - STOP/TERMINATE the instance immediately after your program terminates
 - Check the usage status frequently to avoid high outstanding bills
 - Use Amazon or Google cloud platform for debugging and use NSCC for actual training and tuning

Lecture 1: Introduction

Lecture 2: Neural Network Basics

Lecture 3: Training the Neural Network

Lecture 4: Convolutional Neural Network

Lecture 5: Convolutional Neural Network

Lecture 6: Convolutional Neural Network

Lecture 7: Recurrent Neural Network

Lecture 8: Recurrent Neural Network

Lecture 9: Recurrent Neural Network

Lecture 10: Advanced Topic: Generative Adversarial Network

Lecture 11: Advanced Topic: One-shot learning

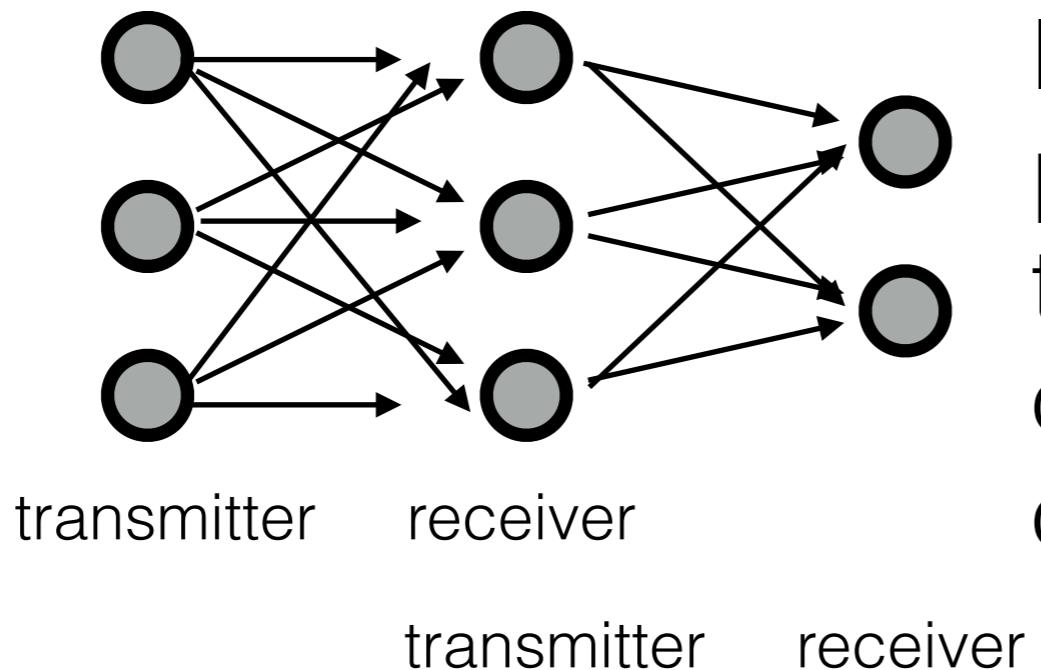
Lecture 12: Advanced Topic: Distributed training

Lecture 13: Project demonstrations

Forward Propagation

The network and information flow

feed in
data
into
first
layer



final
layer
presents
the
output
of network

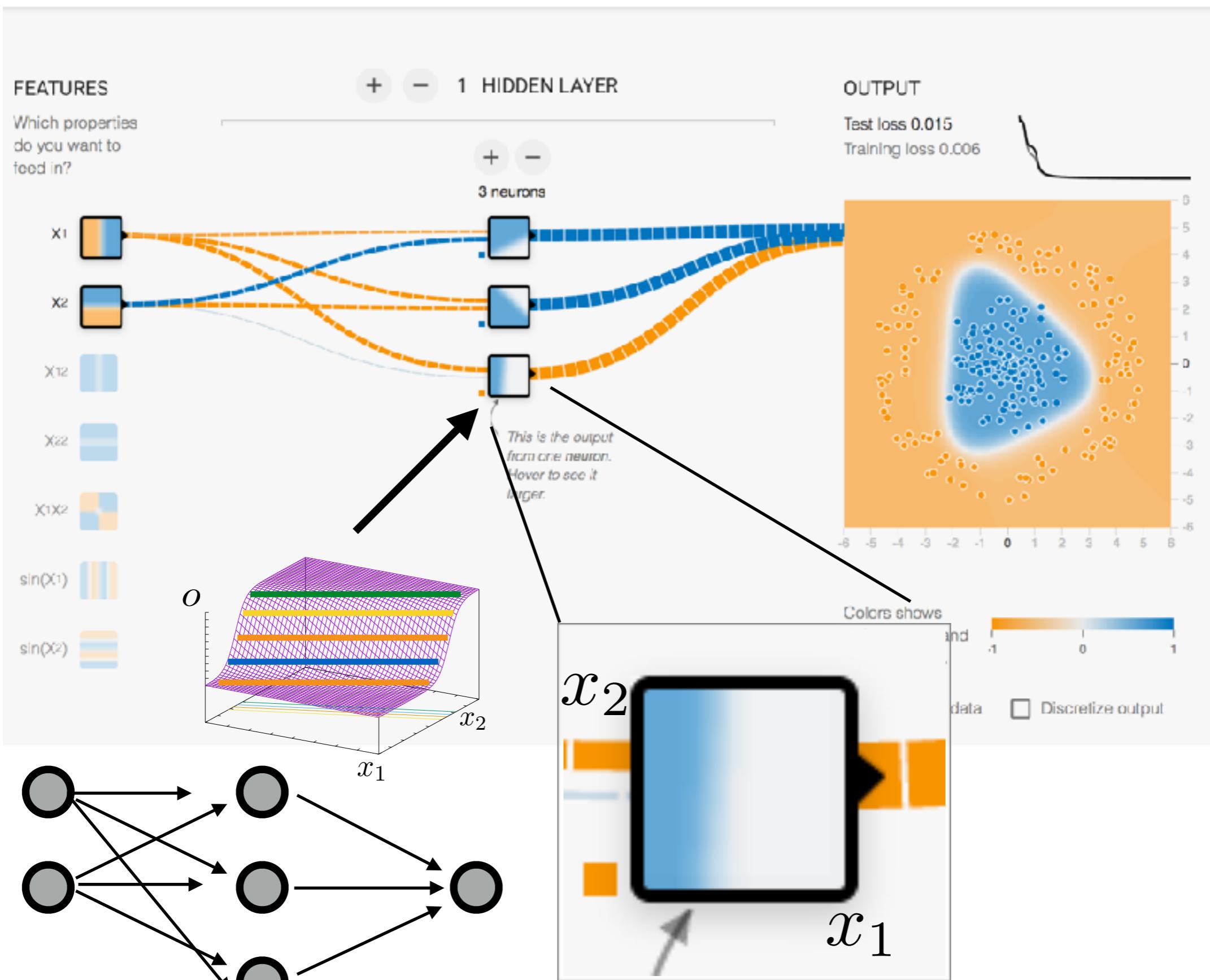
Notation

Let $x \in \mathbb{R}^d$ be the input space

Let $y \in \mathbb{R}$ or $y \in \mathbb{N}$ be the label

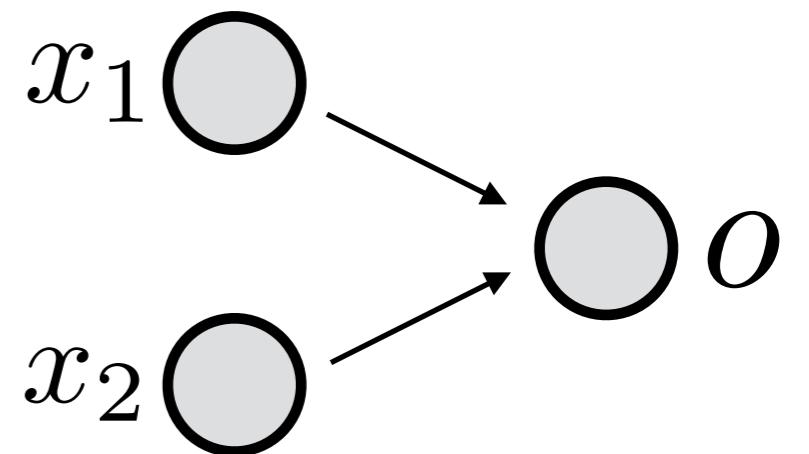
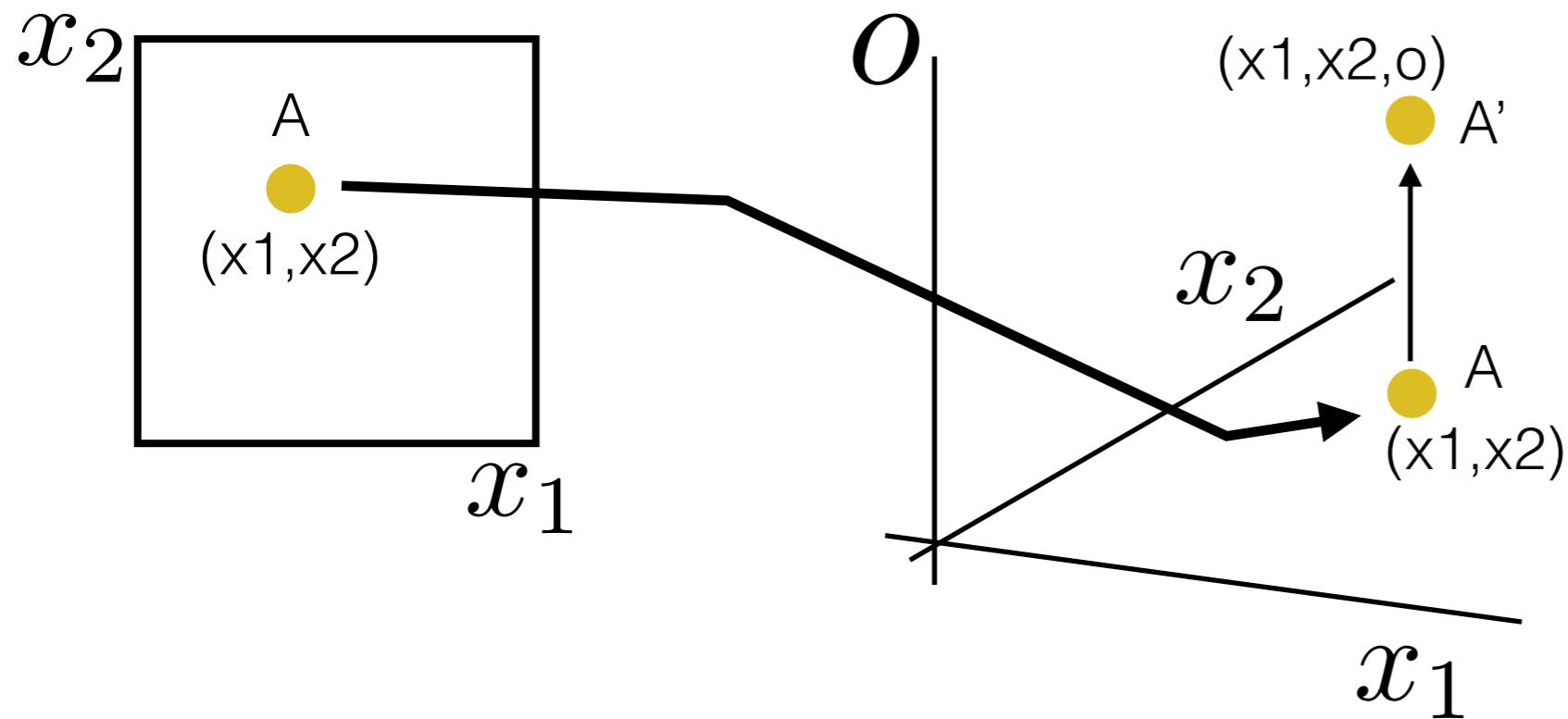
Let $o \in \mathbb{R}$ be the output of the neural network

| Epoch | Learning rate | Activation | Regularization | Regularization rate | Problem type |
|---------|---------------|------------|----------------|---------------------|----------------|
| 000,238 | 0.3 | Sigmoid | None | 0 | Classification |



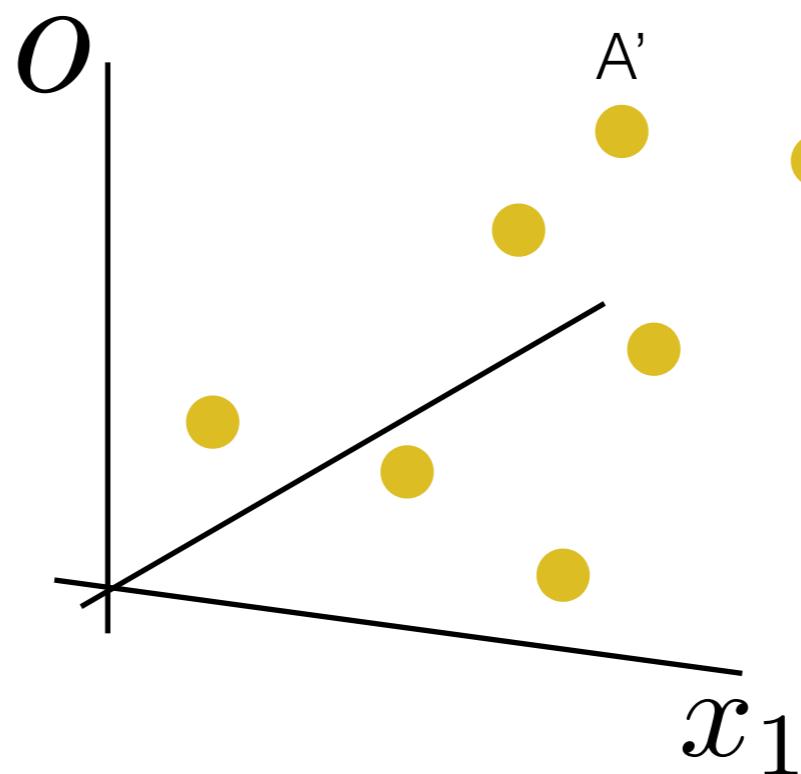
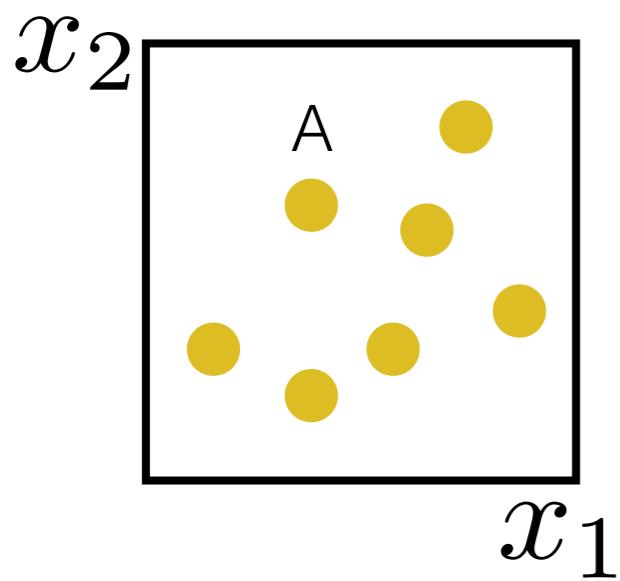
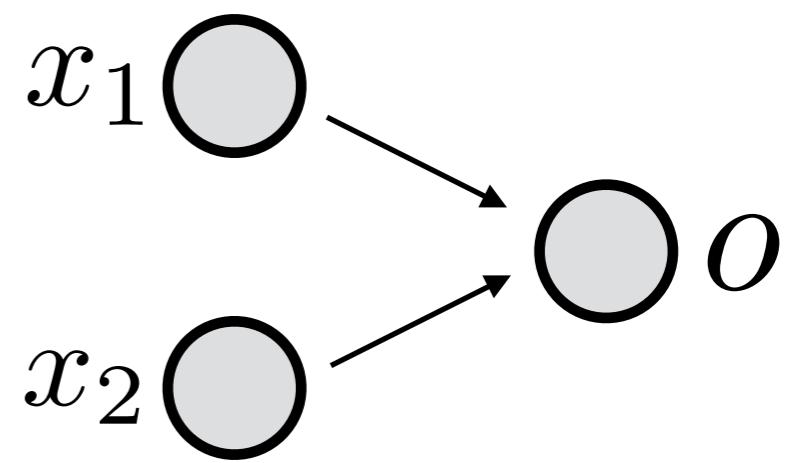
$$x = (x_1, x_2) \in \mathbb{R}^2$$

$$o = \sigma(w_1 x_1 + w_2 x_2 + b)$$



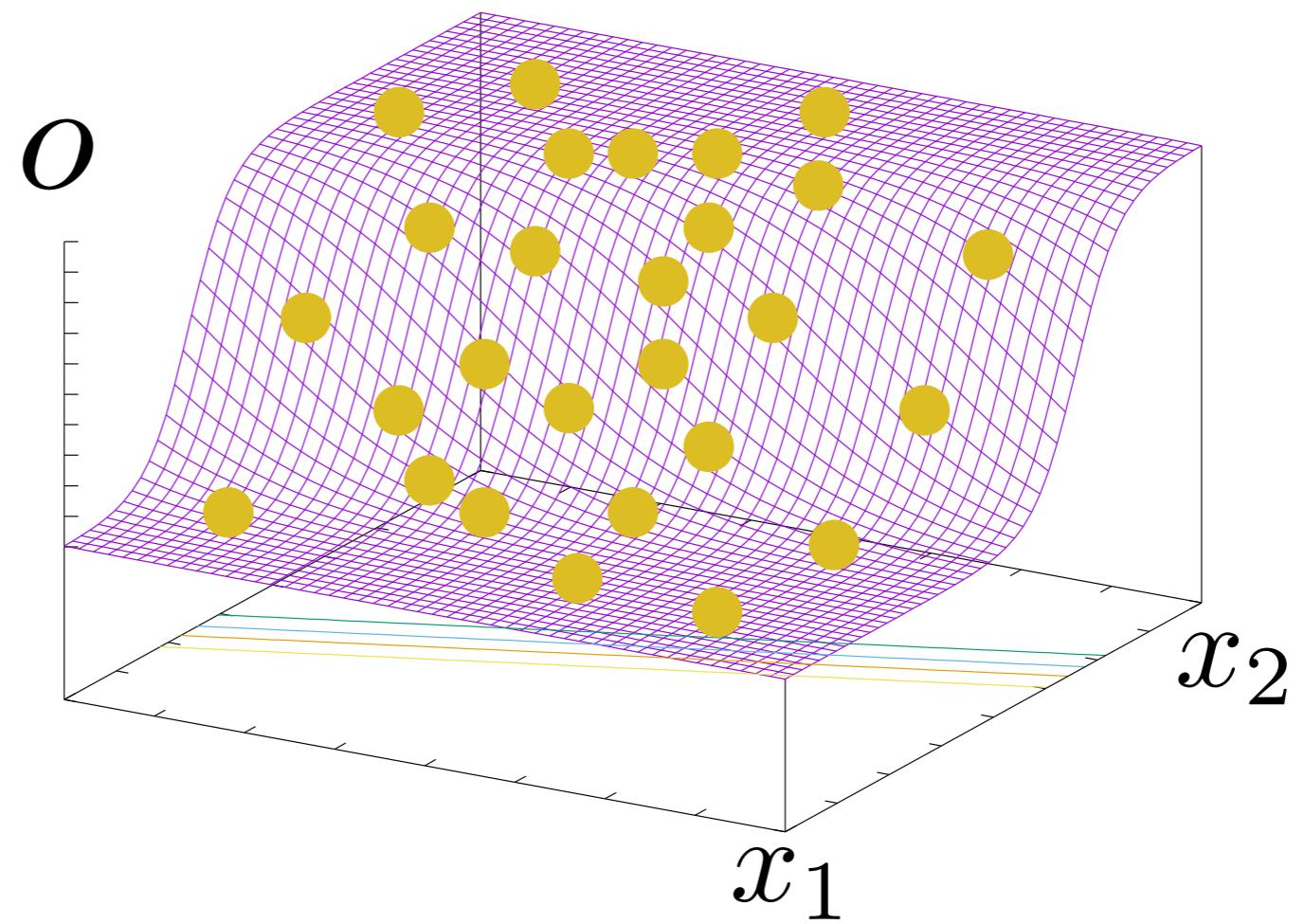
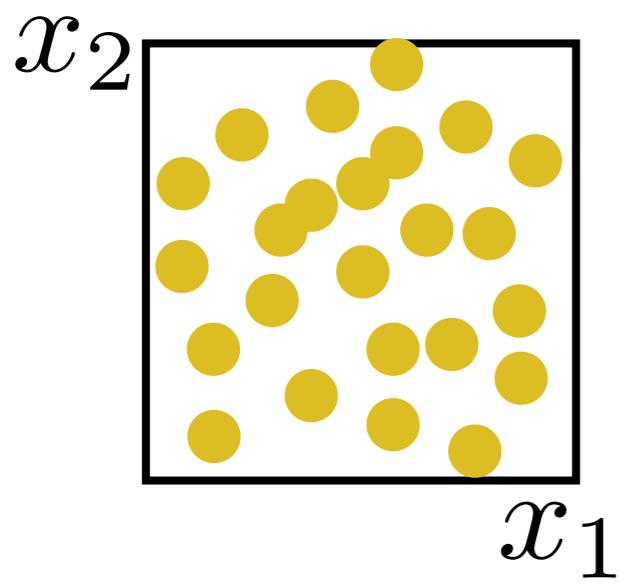
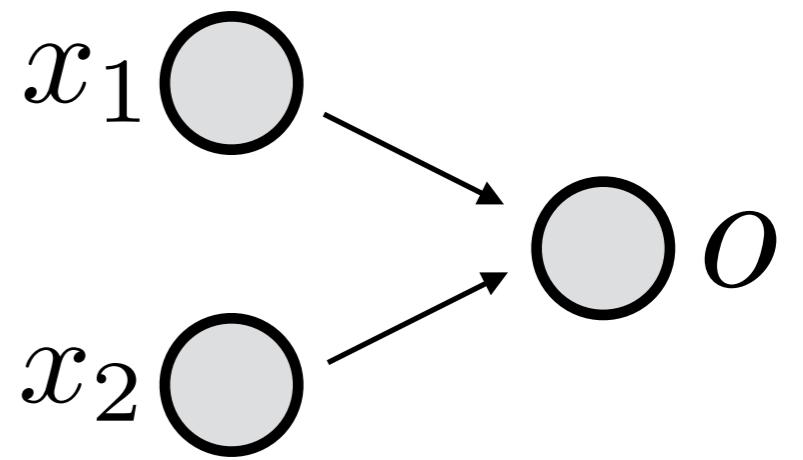
$$x = (x_1, x_2) \in \mathbb{R}^2$$

$$o = \sigma(w_1 x_1 + w_2 x_2 + b)$$

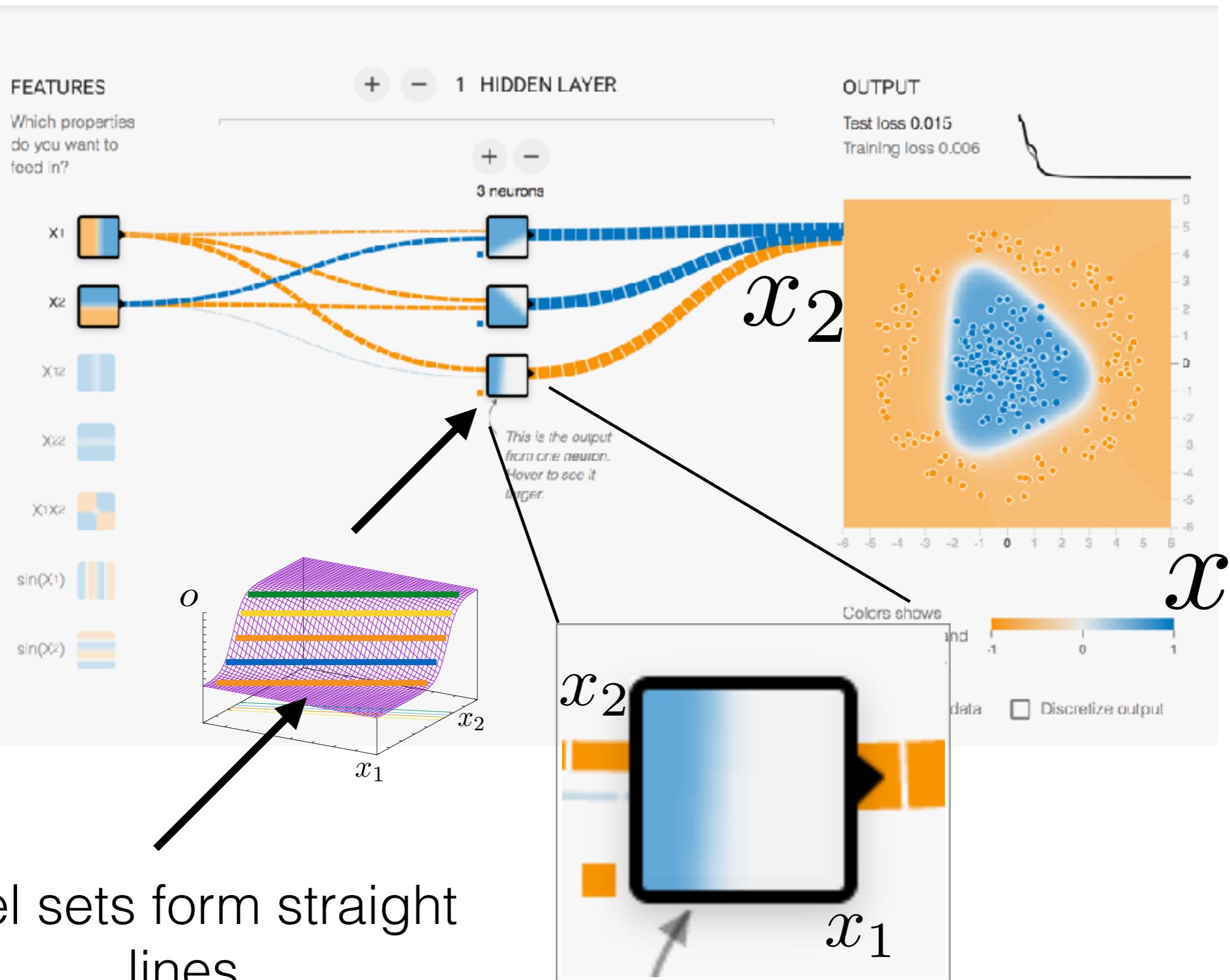


$$x = (x_1, x_2) \in \mathbb{R}^2$$

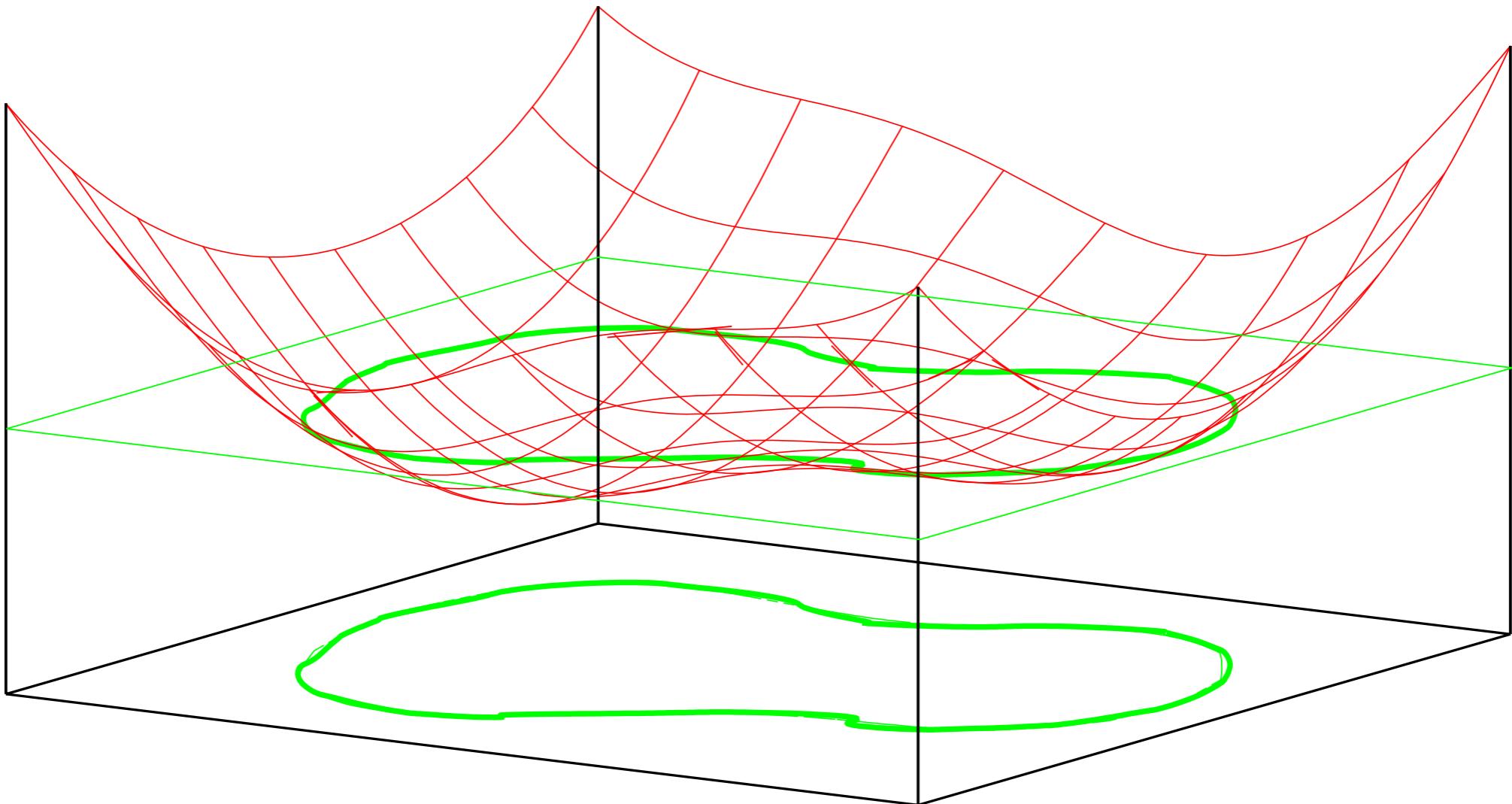
$$o = \sigma(w_1 x_1 + w_2 x_2 + b)$$



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Concept of level sets



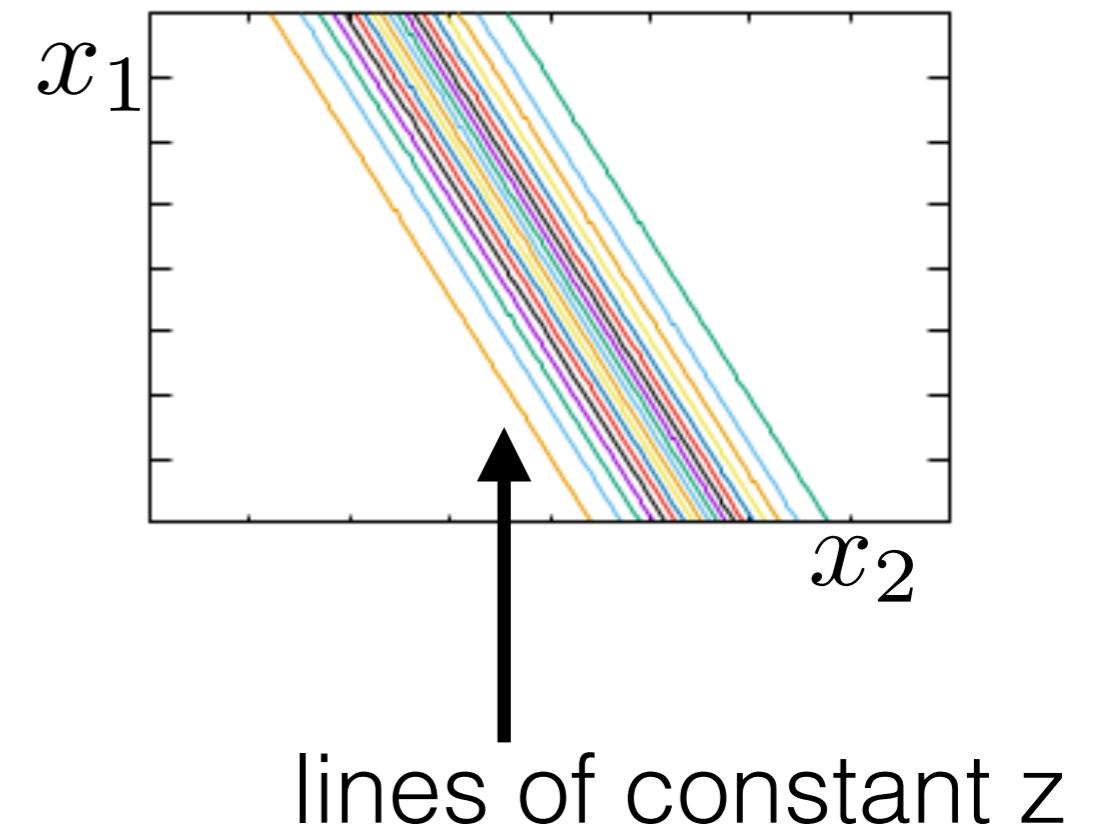
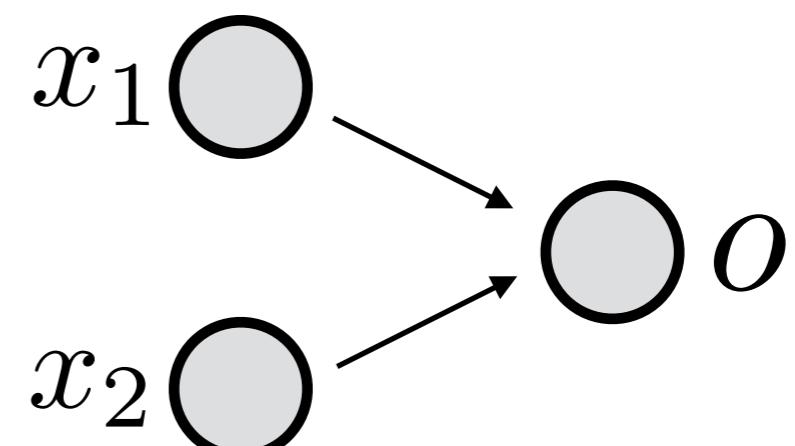
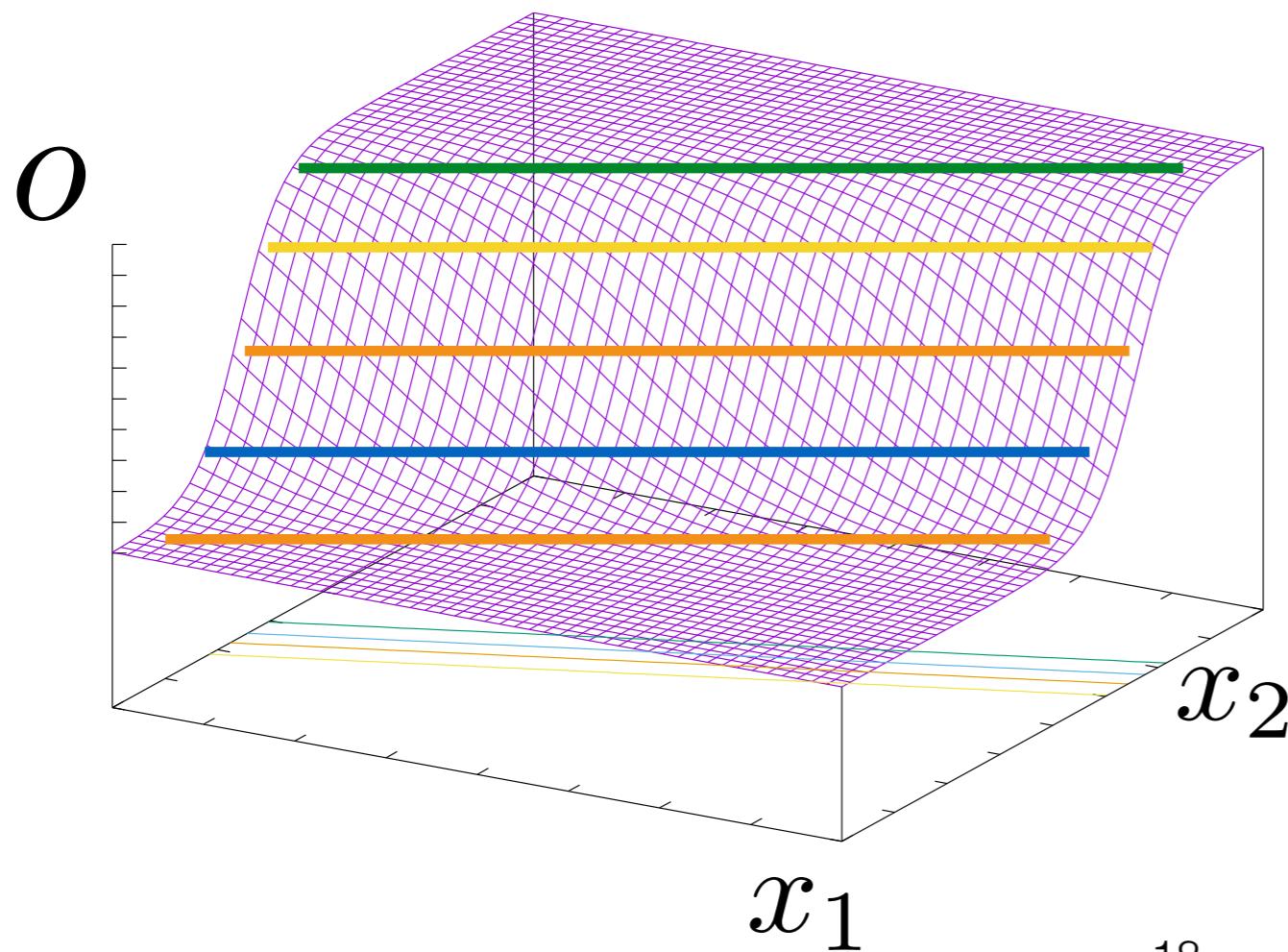
Next to simplest

$$x = (x_1, x_2) \in \mathbb{R}^2$$

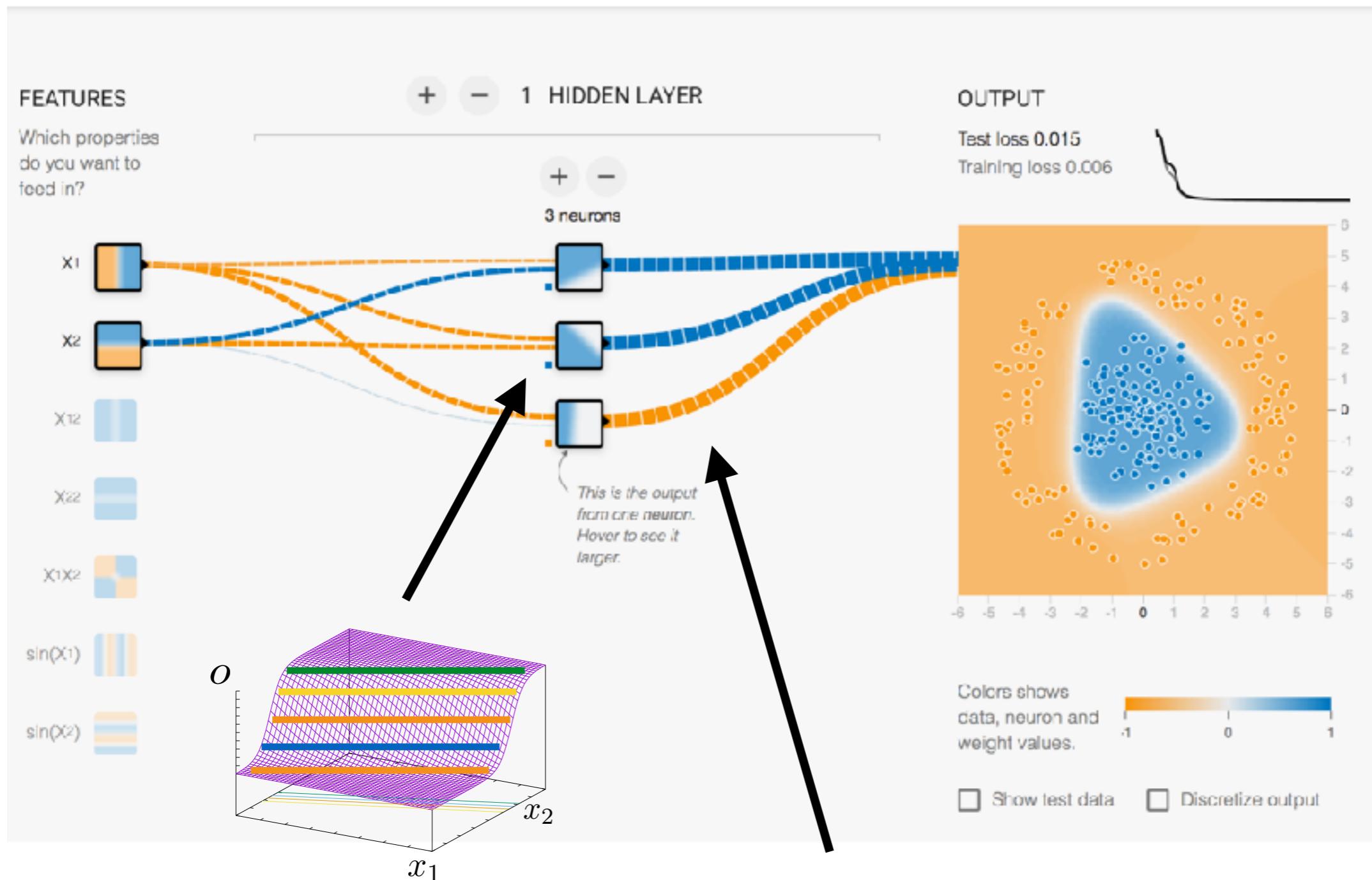
$$z = w_1 x_1 + w_2 x_2 + b$$

$$o = \sigma(w_1 x_1 + w_2 x_2 + b)$$

$$= \sigma(z)$$

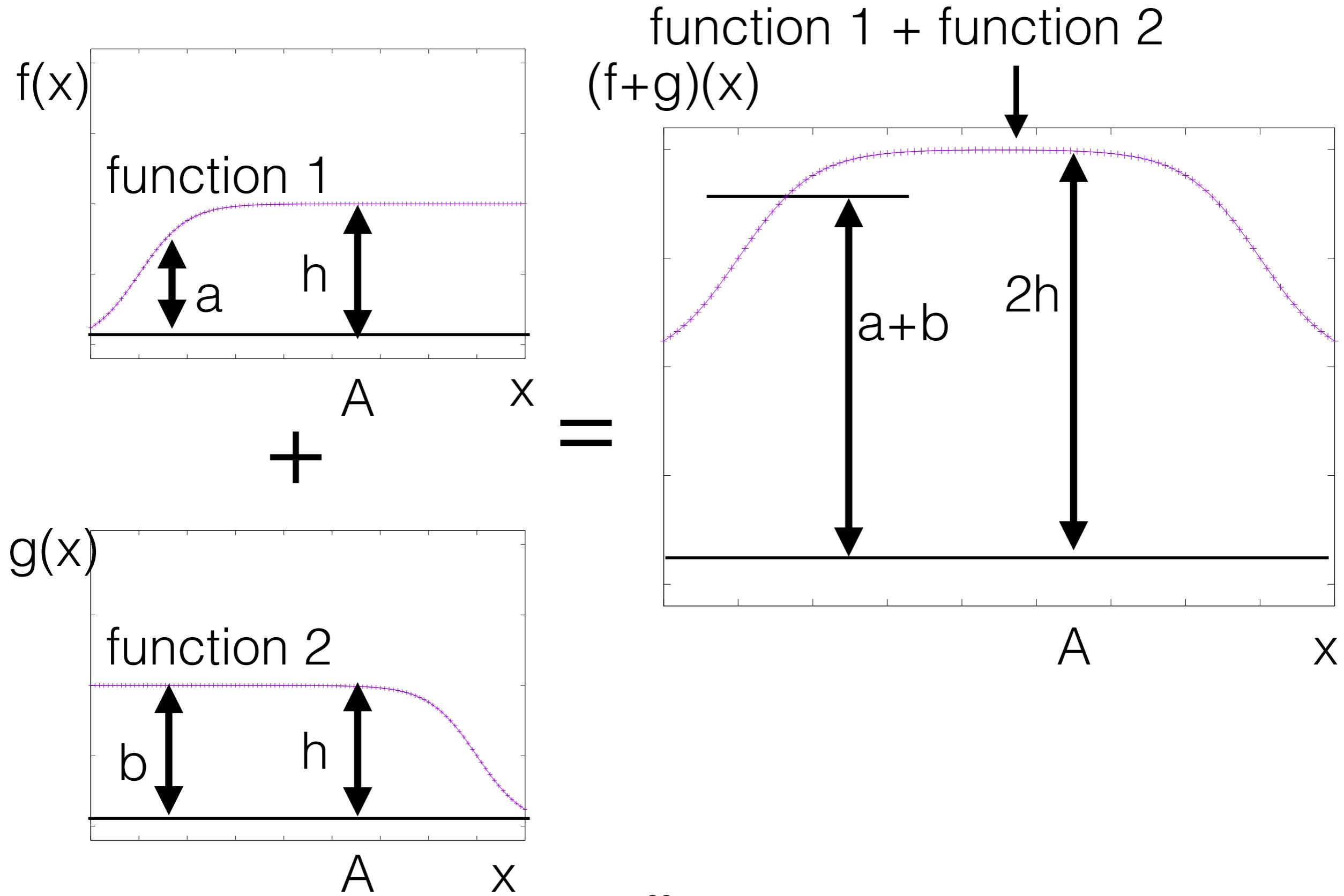


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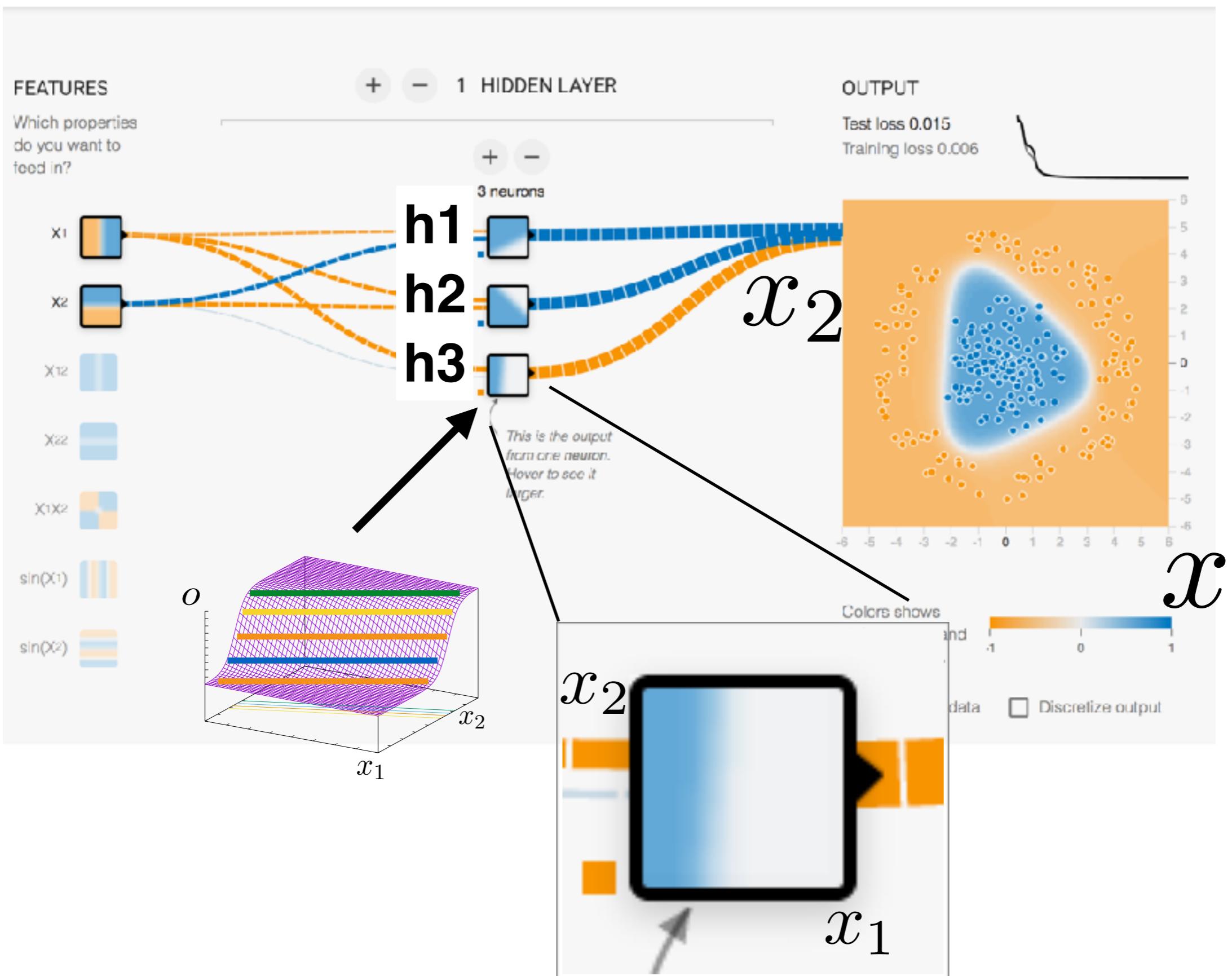


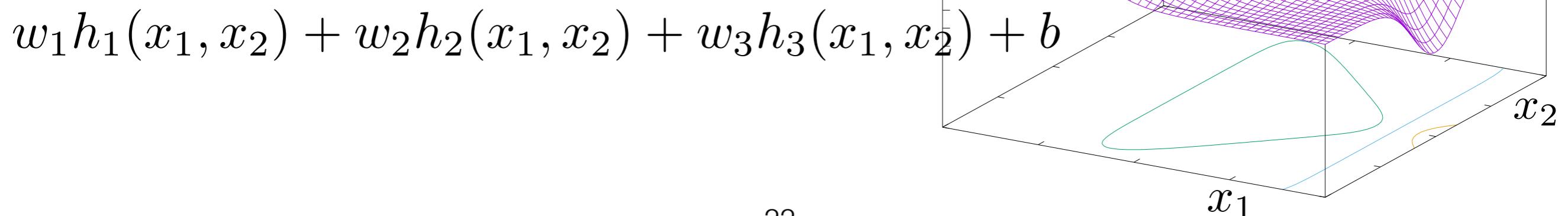
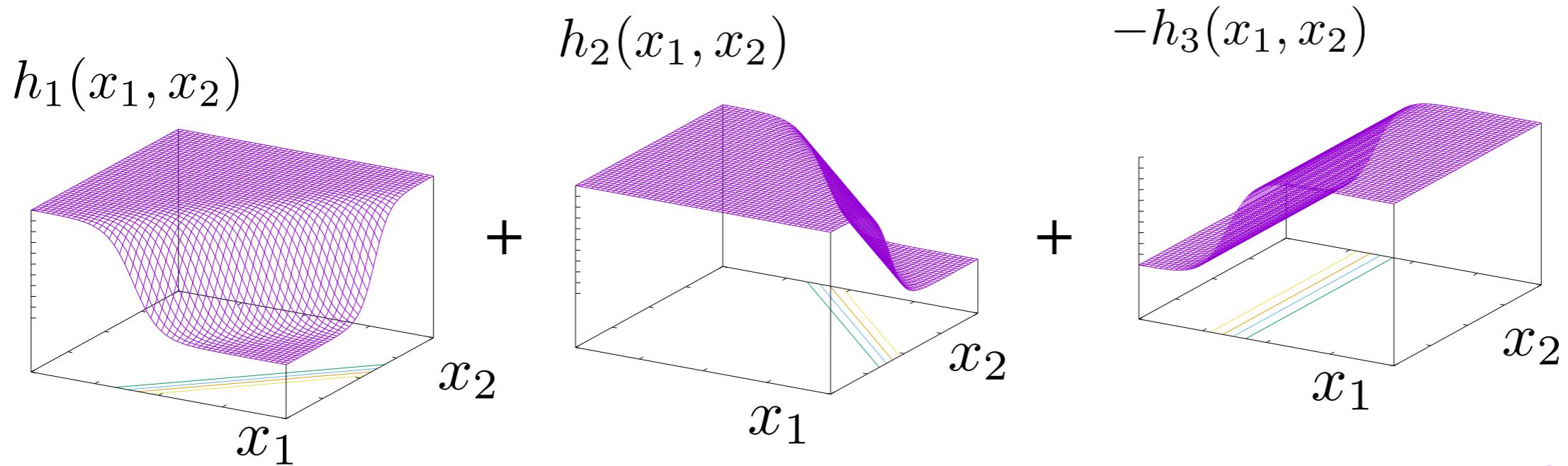
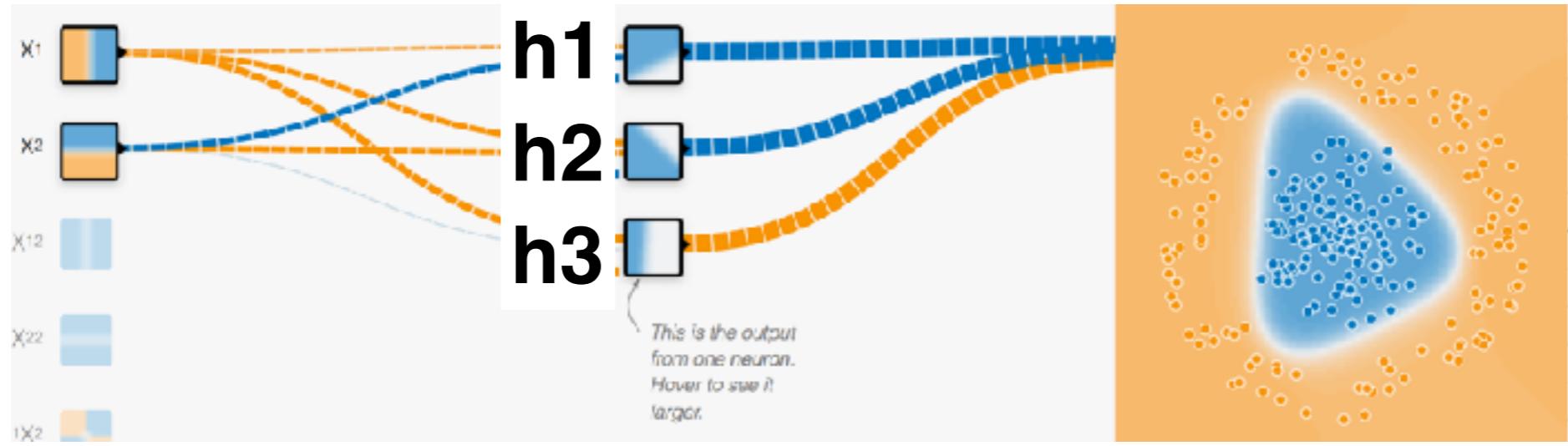
These three surfaces add to form a triangular decision boundary!

Adding functions

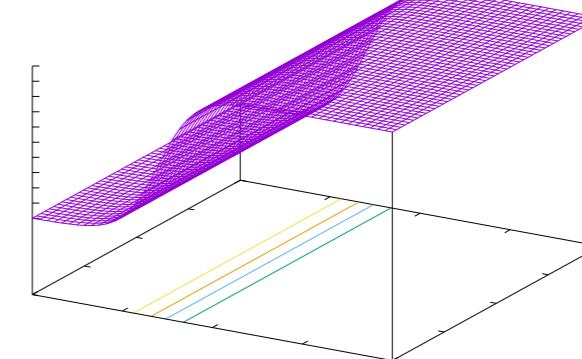
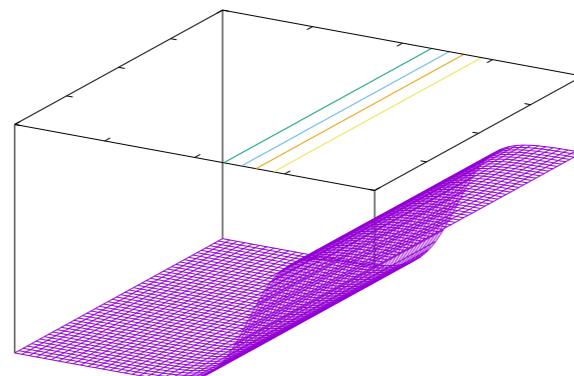
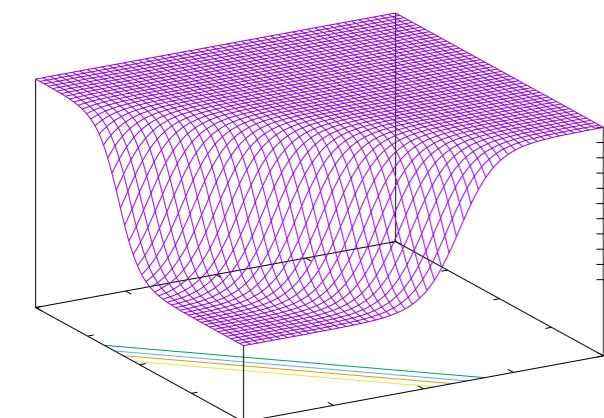
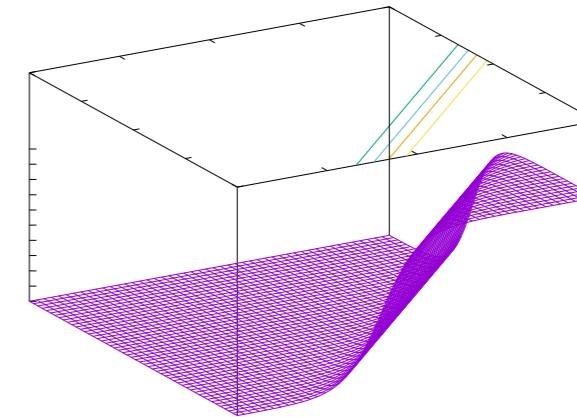
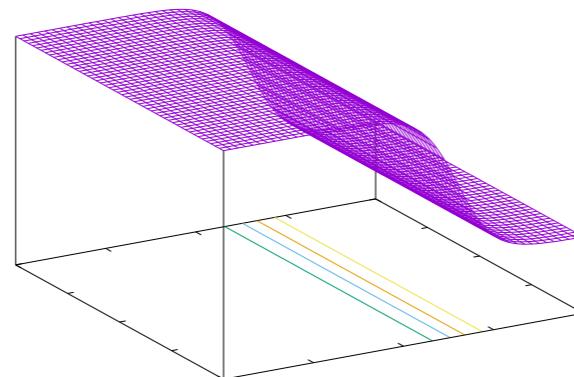
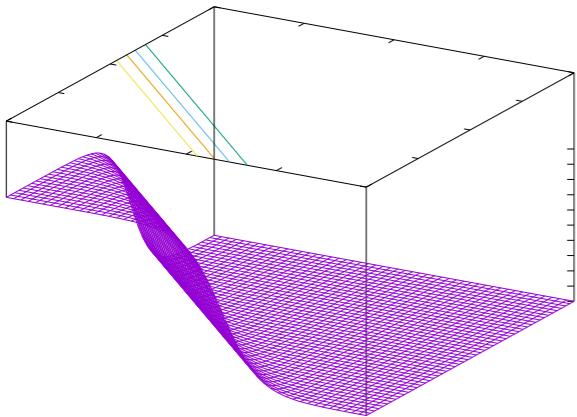
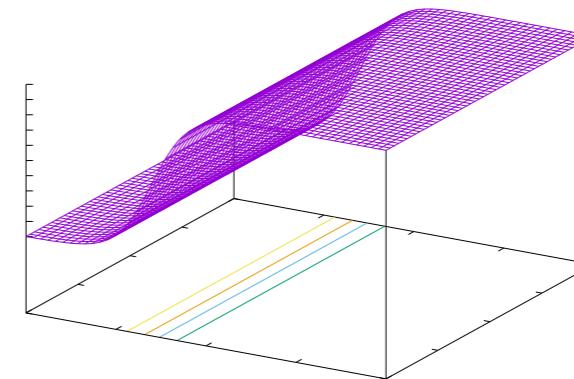
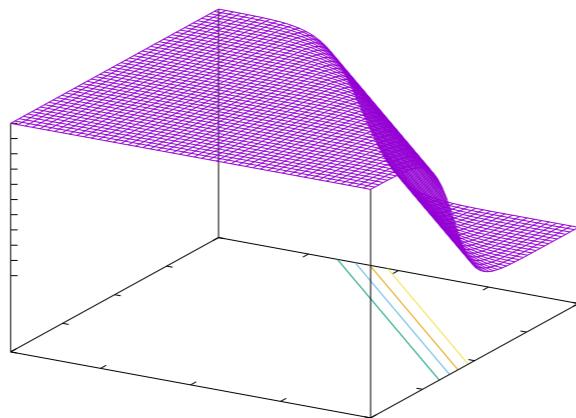
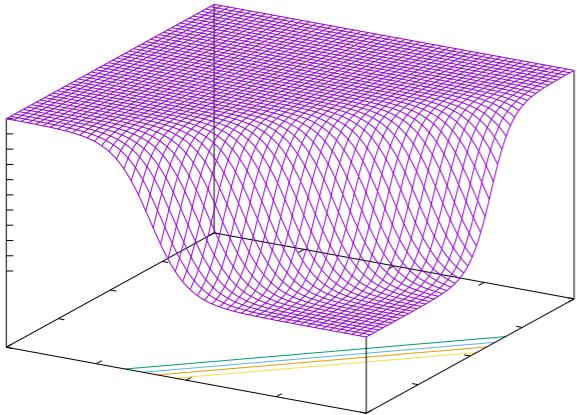


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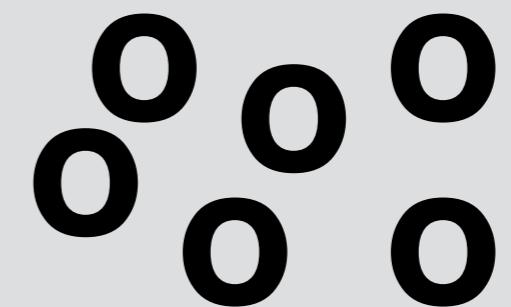
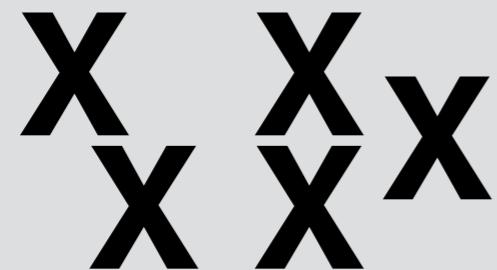
If you add up enough “step” surfaces,
are you able to form any functions?



neural network fingers activities

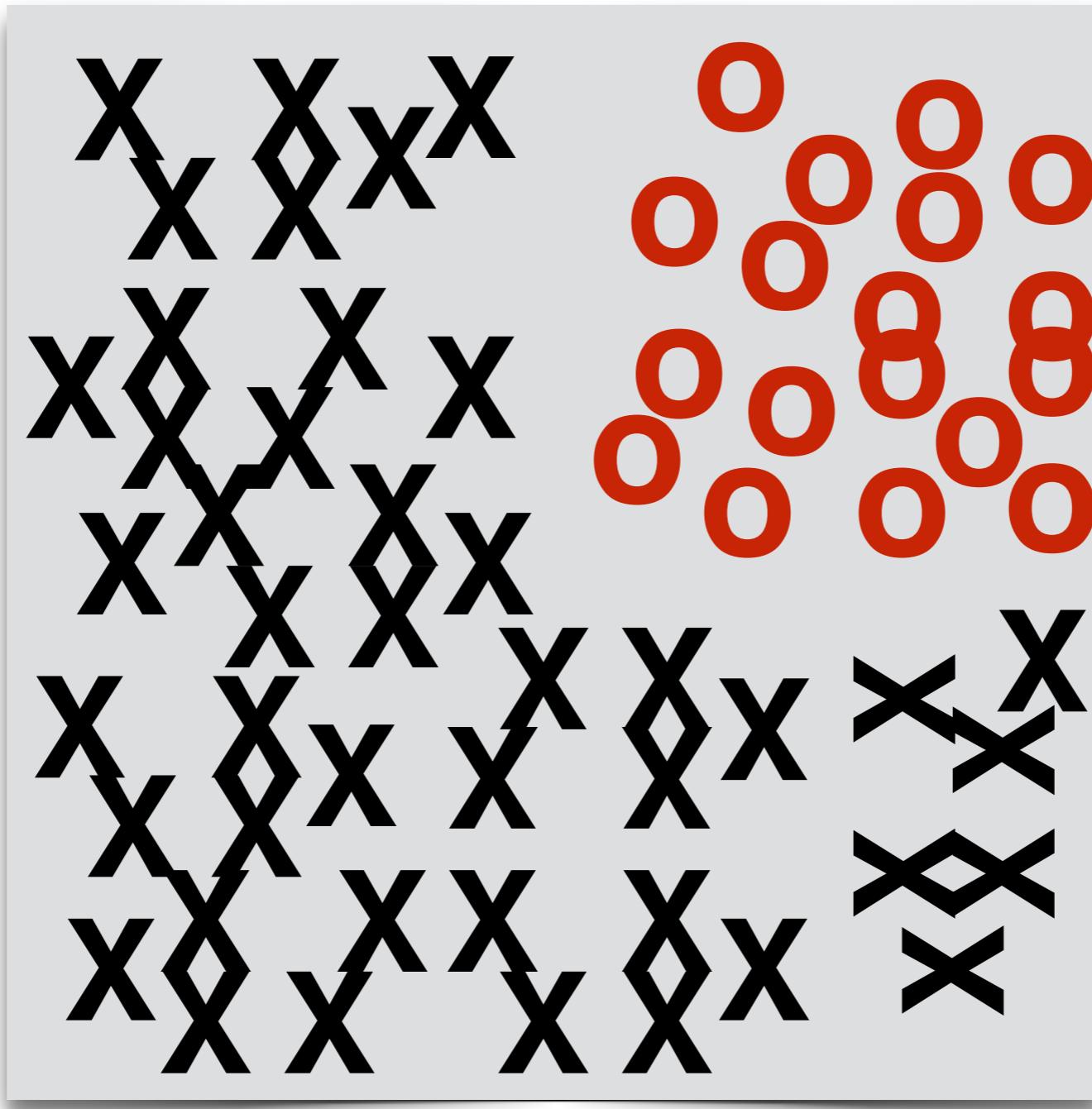
Activity one

Take out a piece of paper, draw patterns as shown



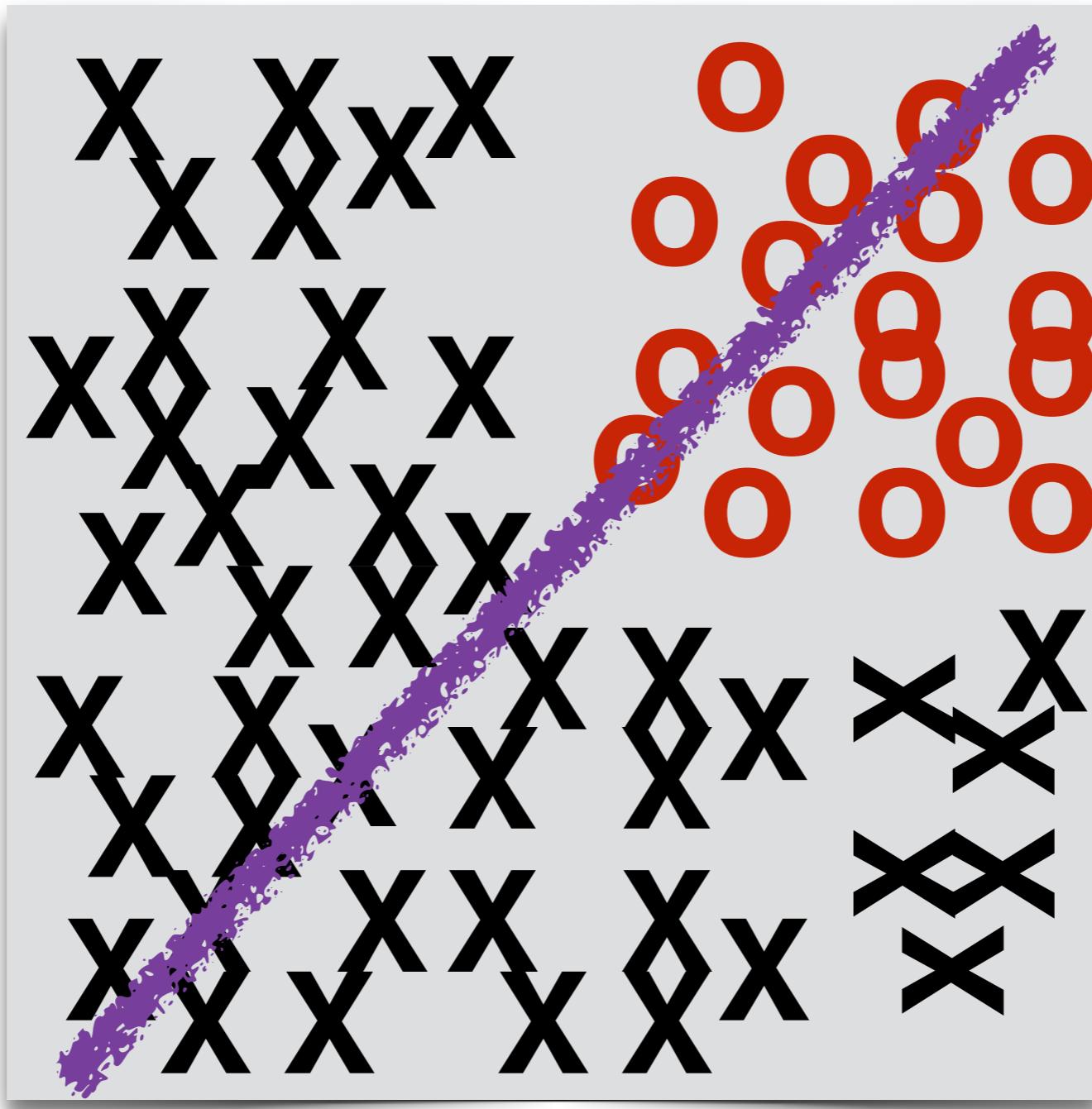
Task: Cut (tear) with one **straight line** to completely separate the “X” and “O”

Activity two



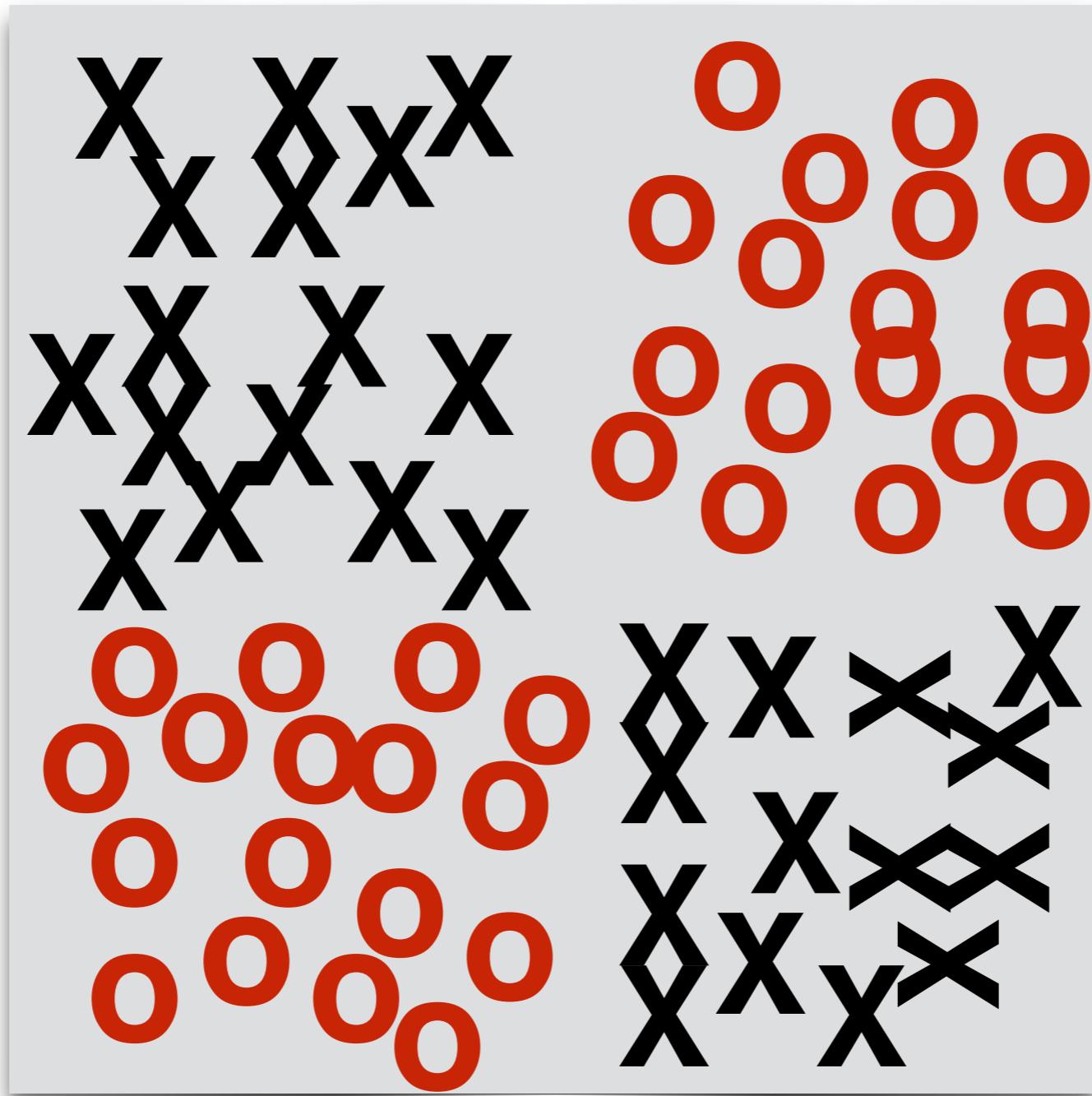
Cut (tear) with **one** straight line!

Activity two



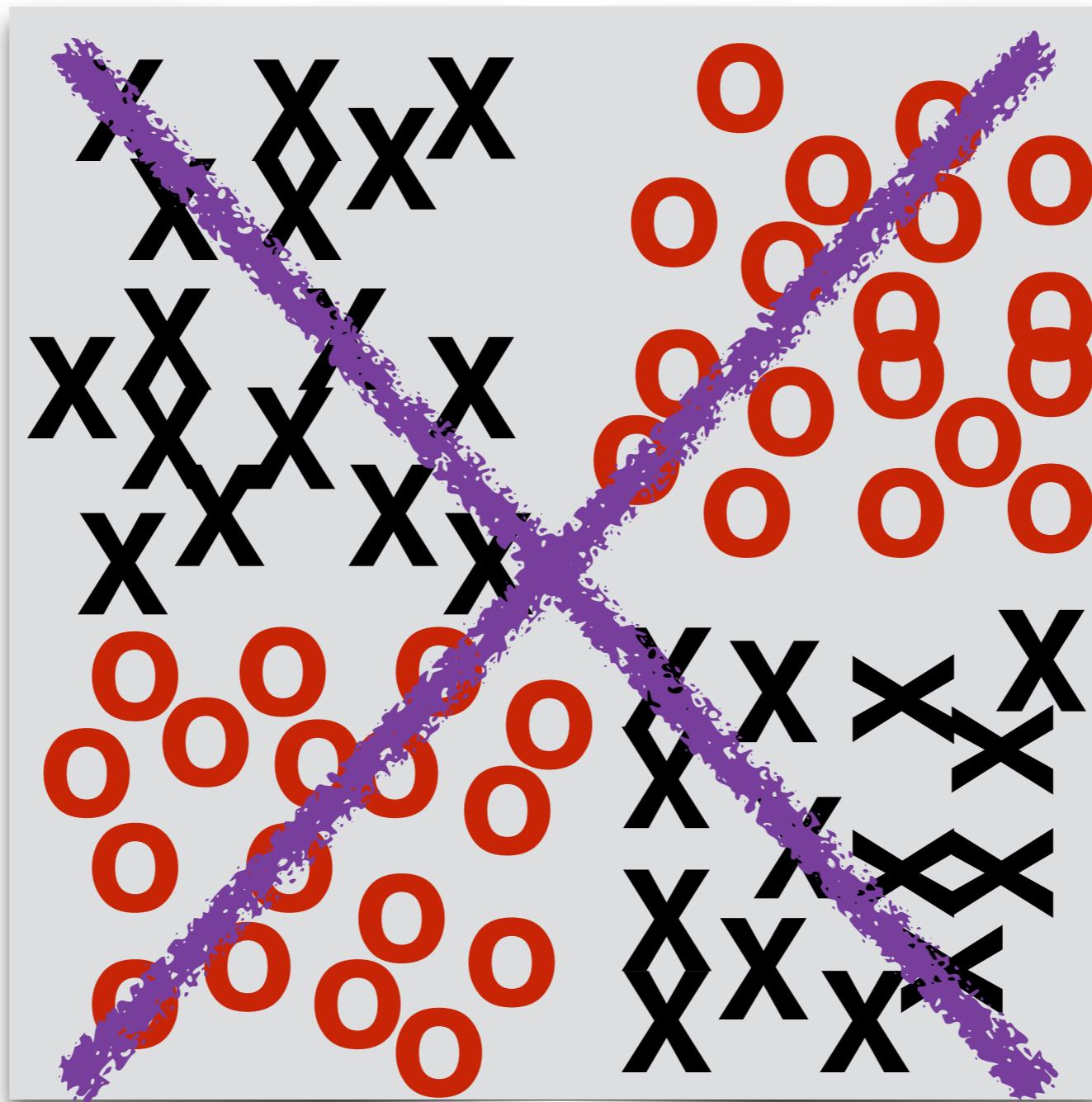
Cut (tear) with **one** straight line!

Activity three



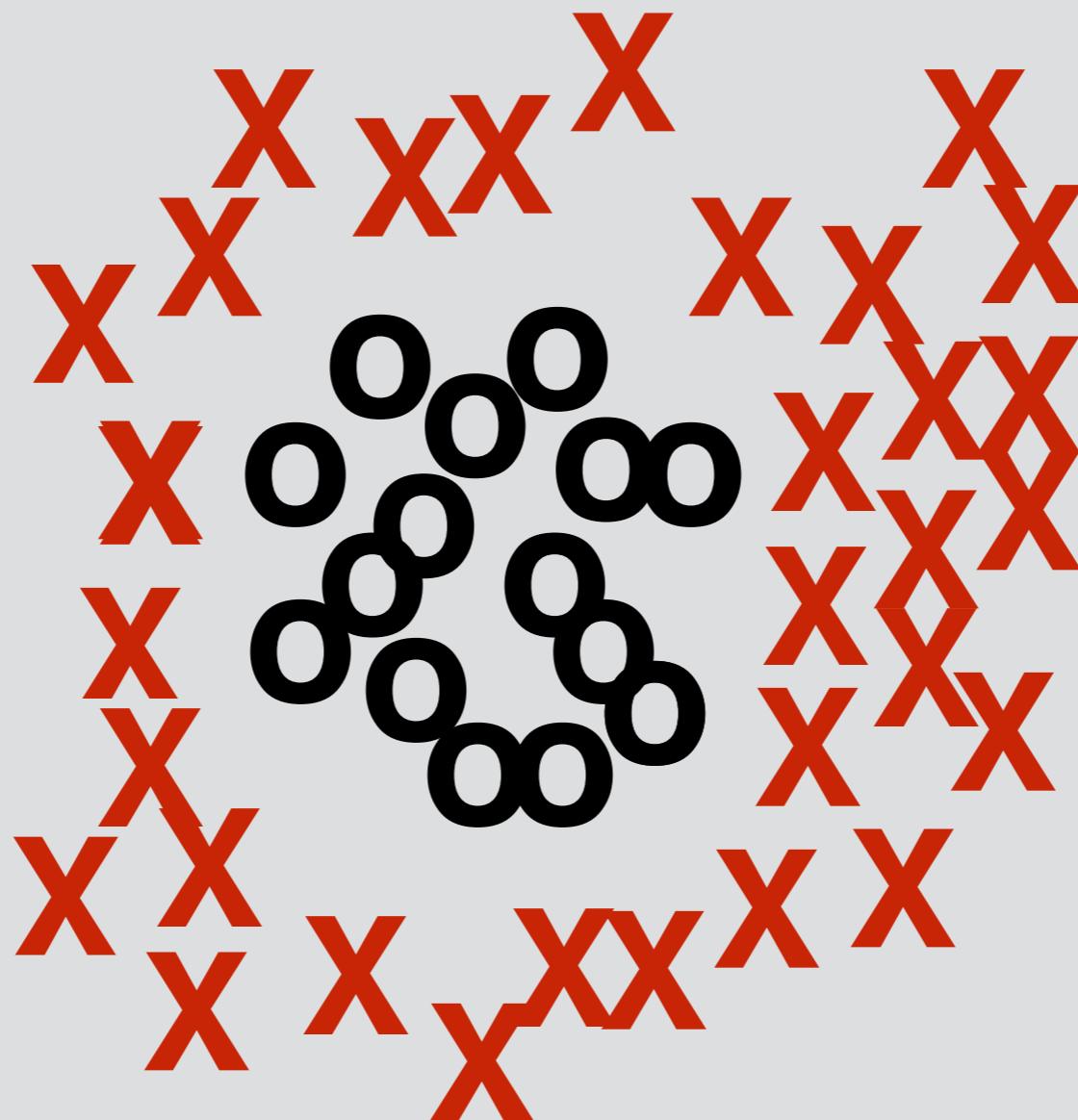
Cut (tear) with **one** straight line!

Activity three



Cut (tear) with **one** straight line!

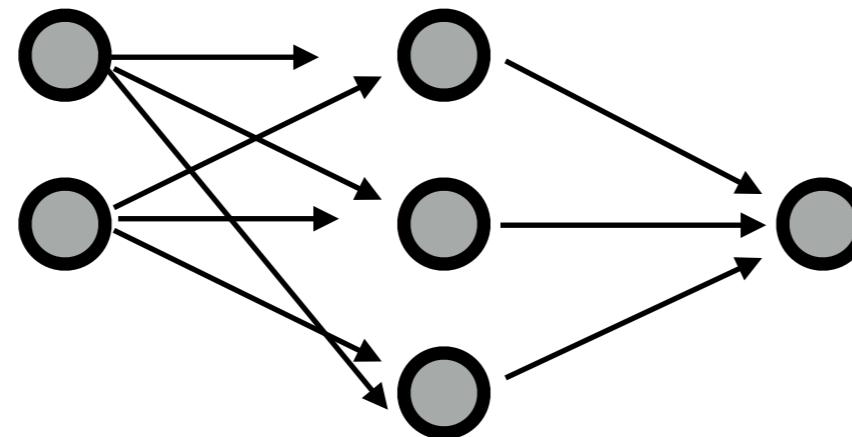
Activity four



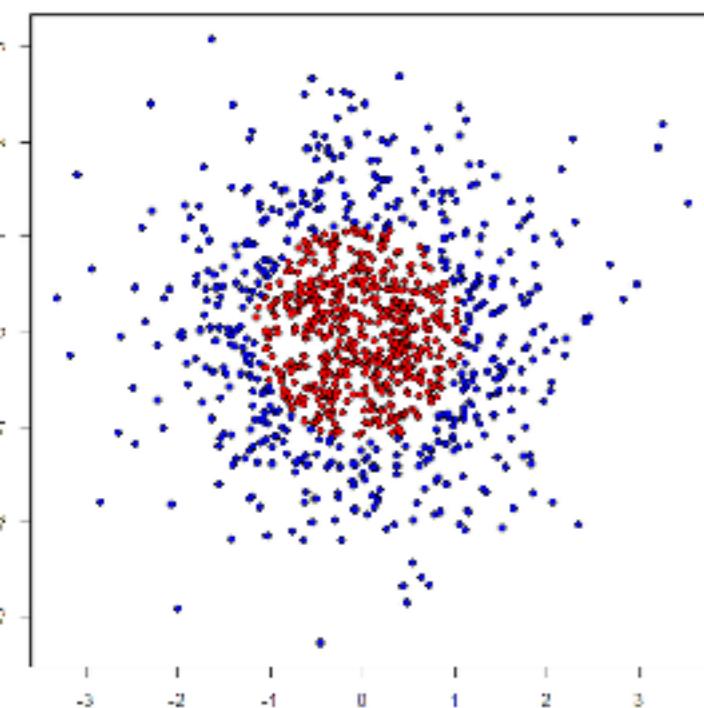
Cut (tear) with **one** straight line!

Manifold view of neural network

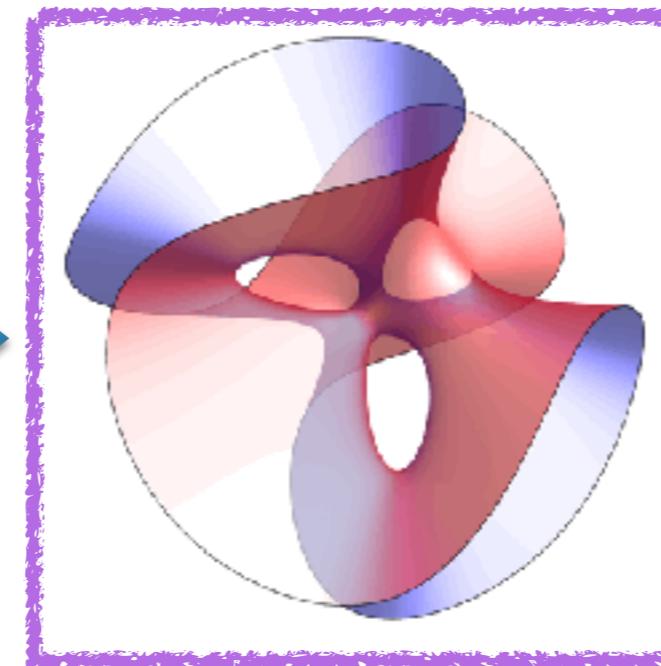
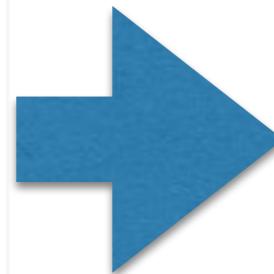
feed in
data
into
first
layer



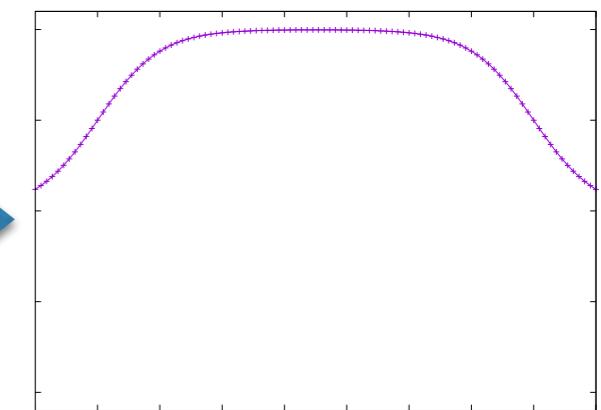
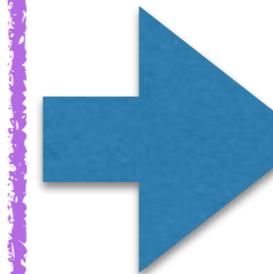
final
layer
presents
the
output
of network



data

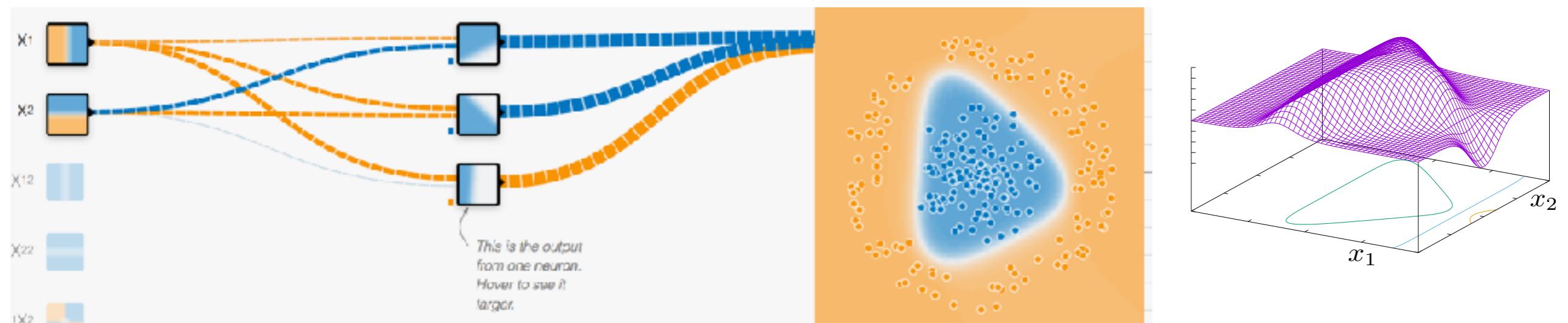
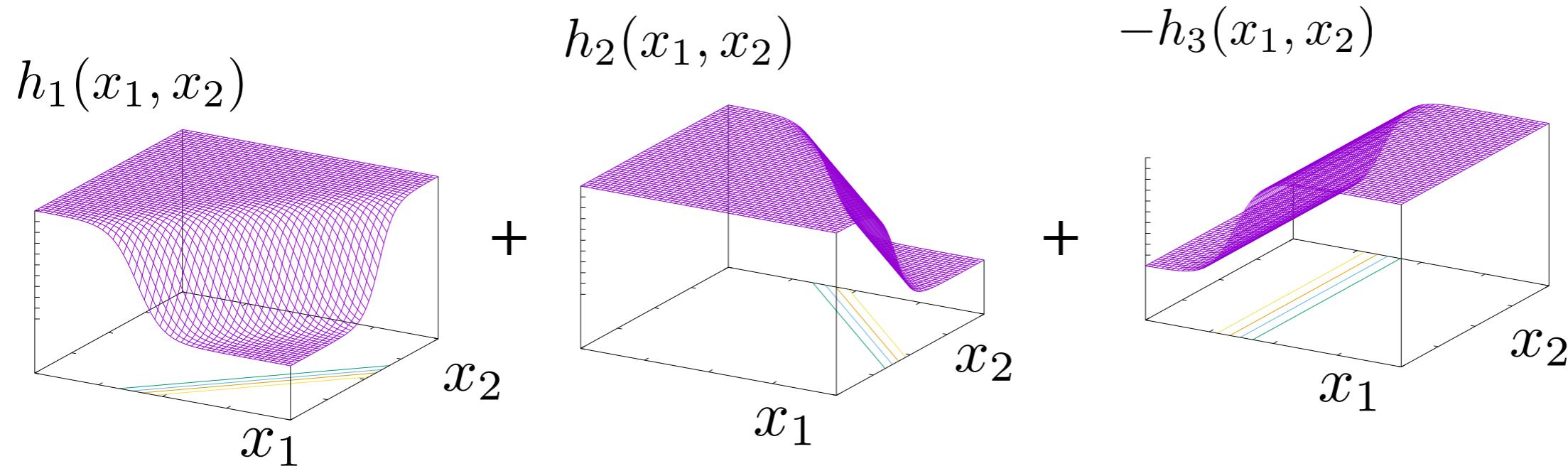


hidden layer

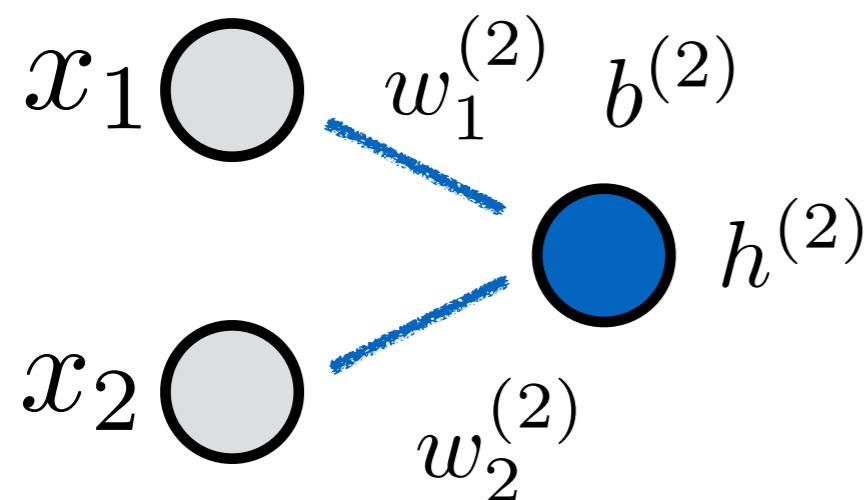
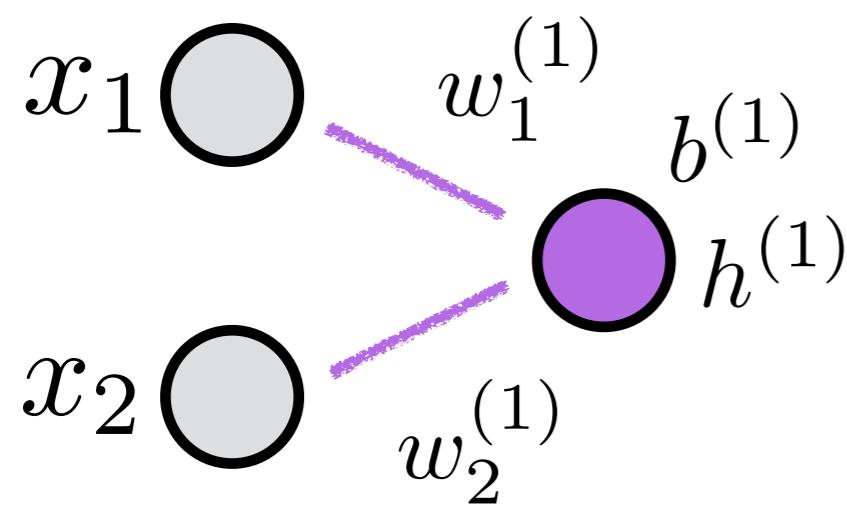


output

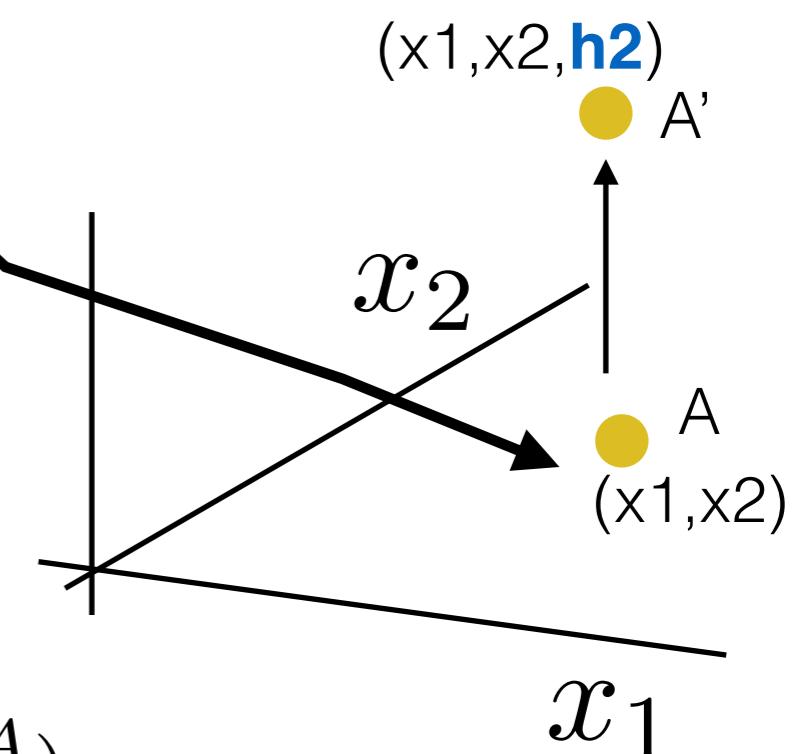
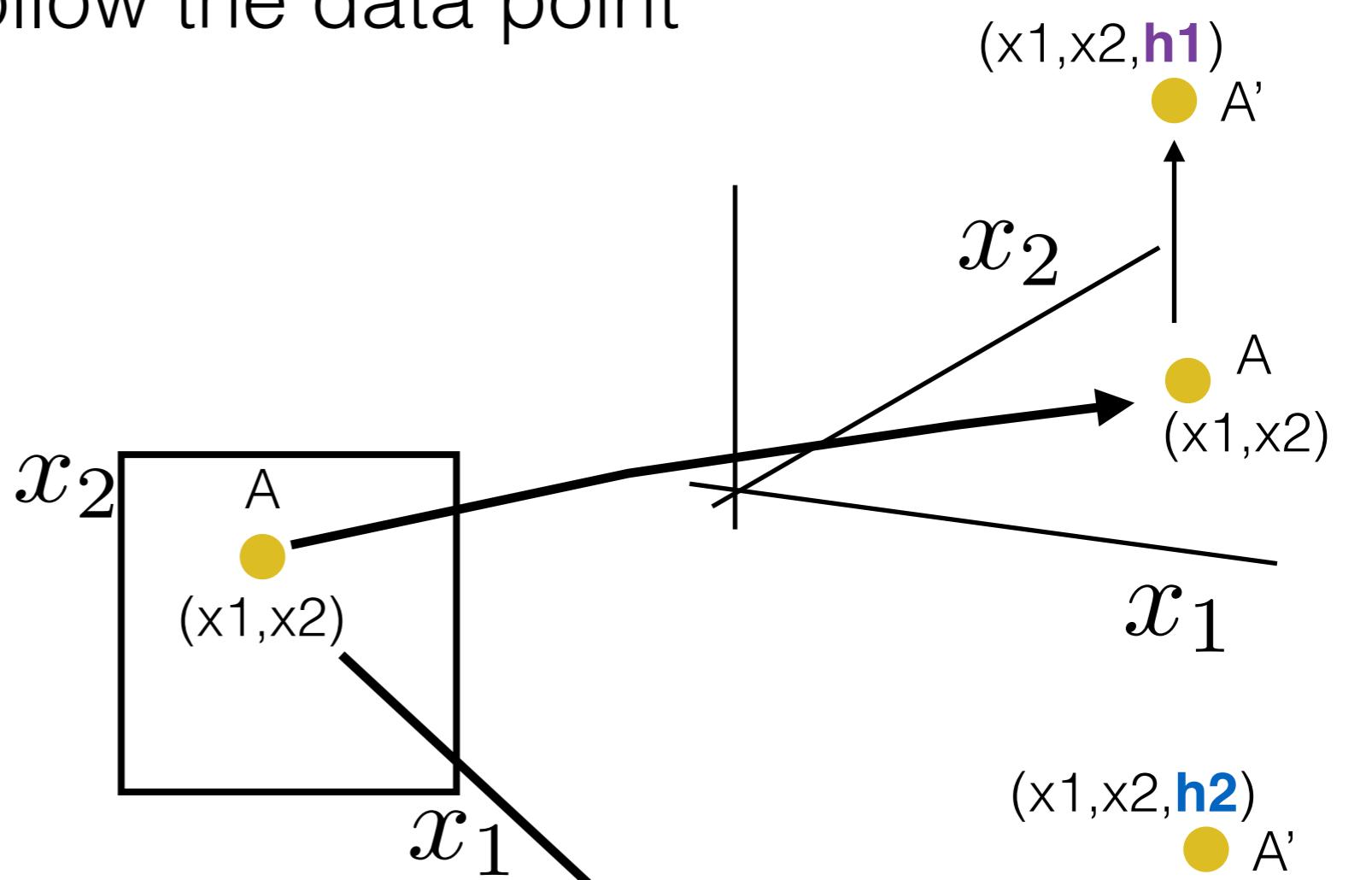
Function view of neural network

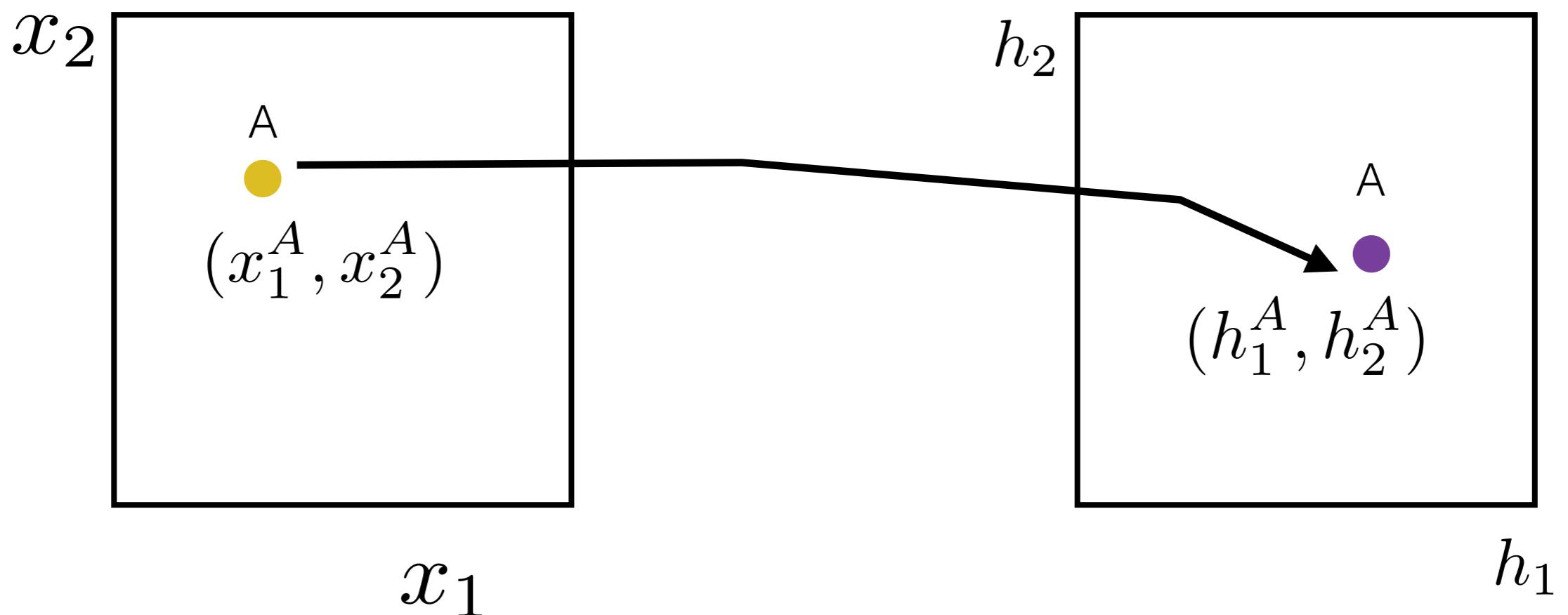
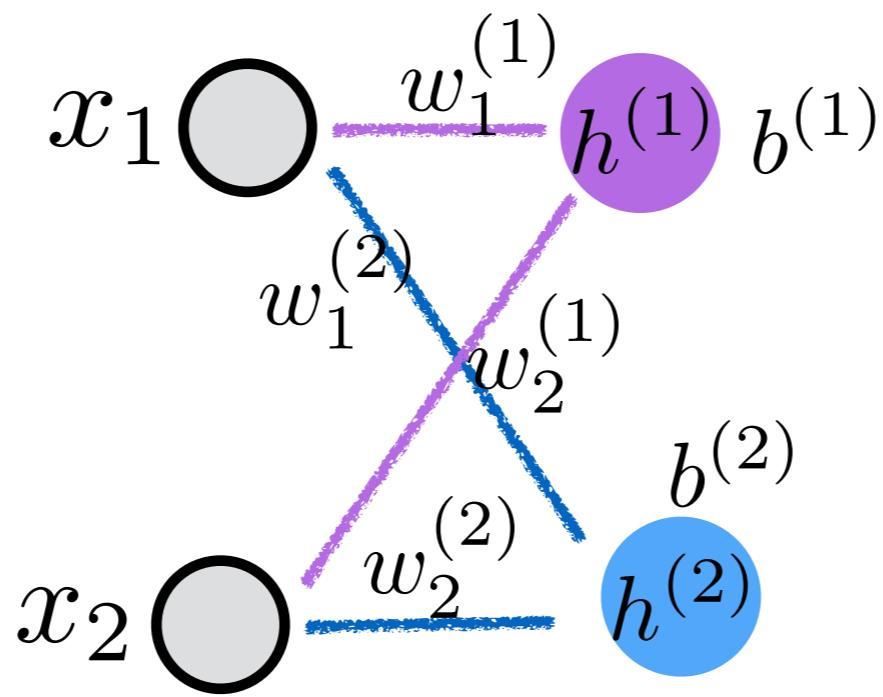


Follow the data point

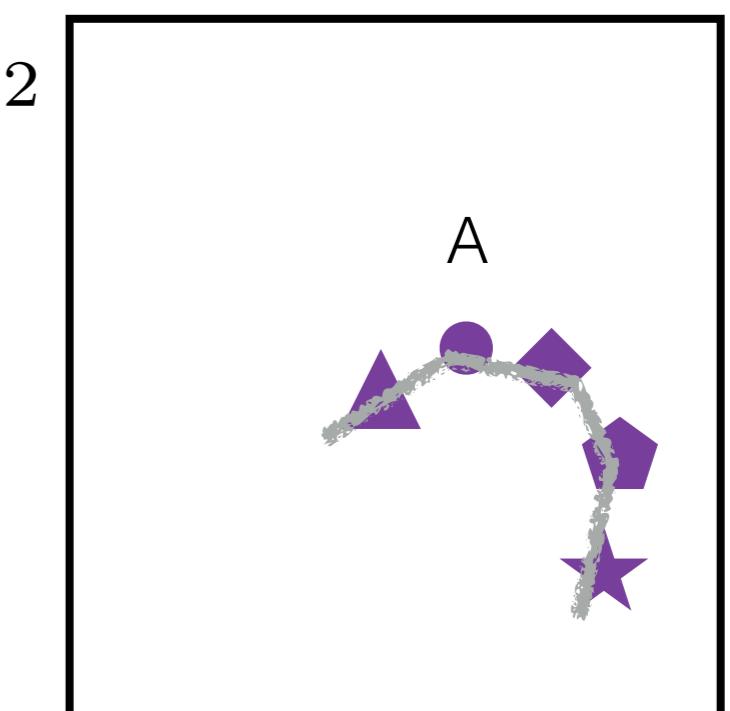
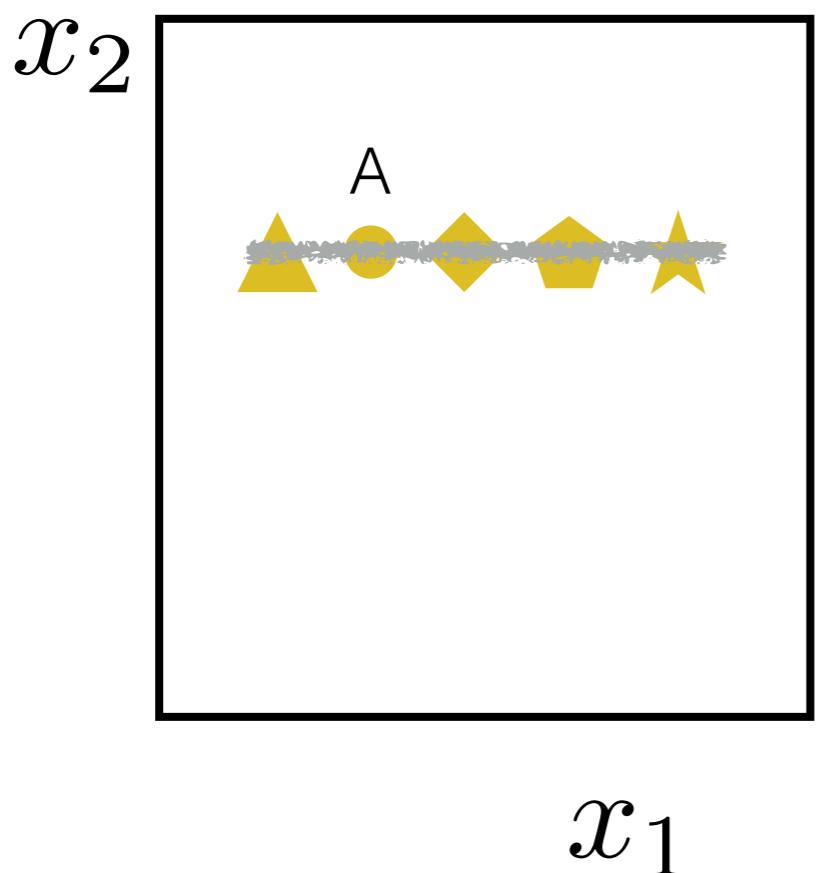
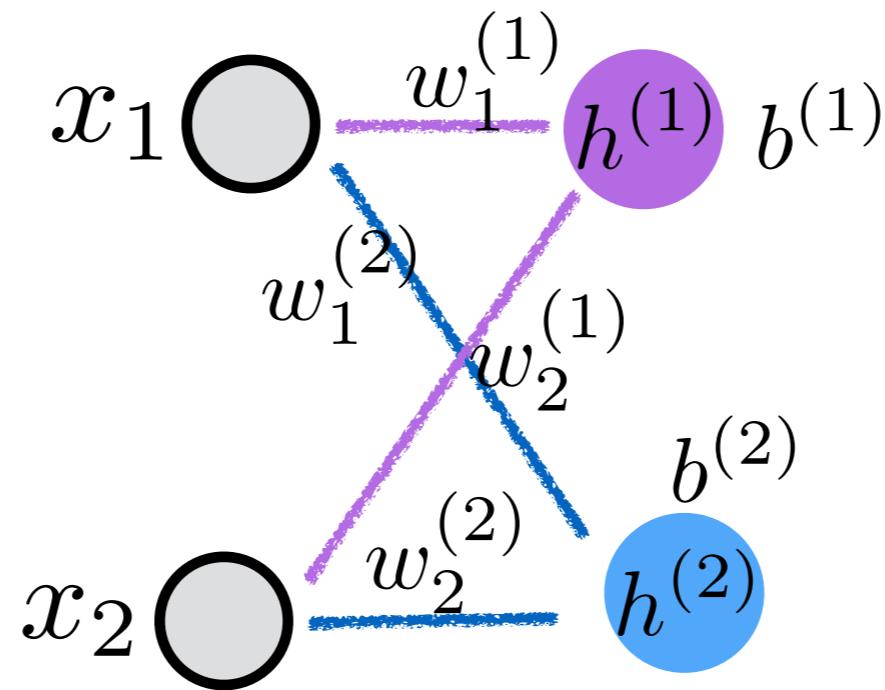


$$(x_1^A, x_2^A) \mapsto (h_1^A, h_2^A)$$

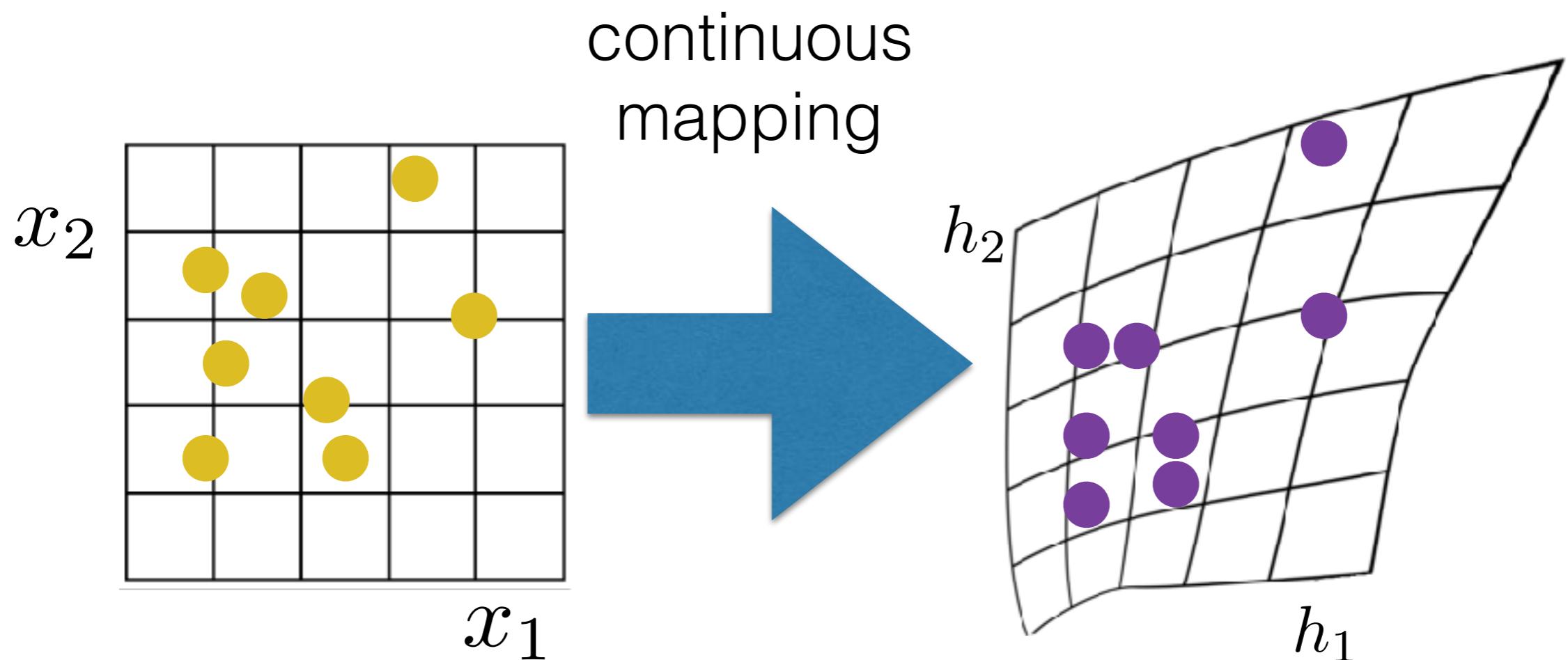




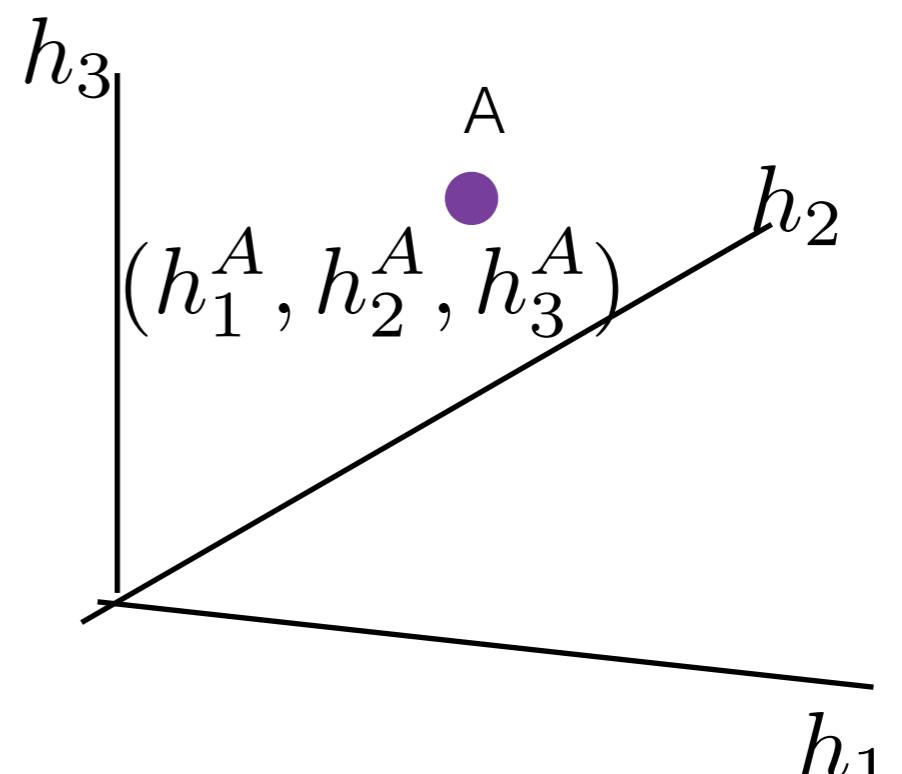
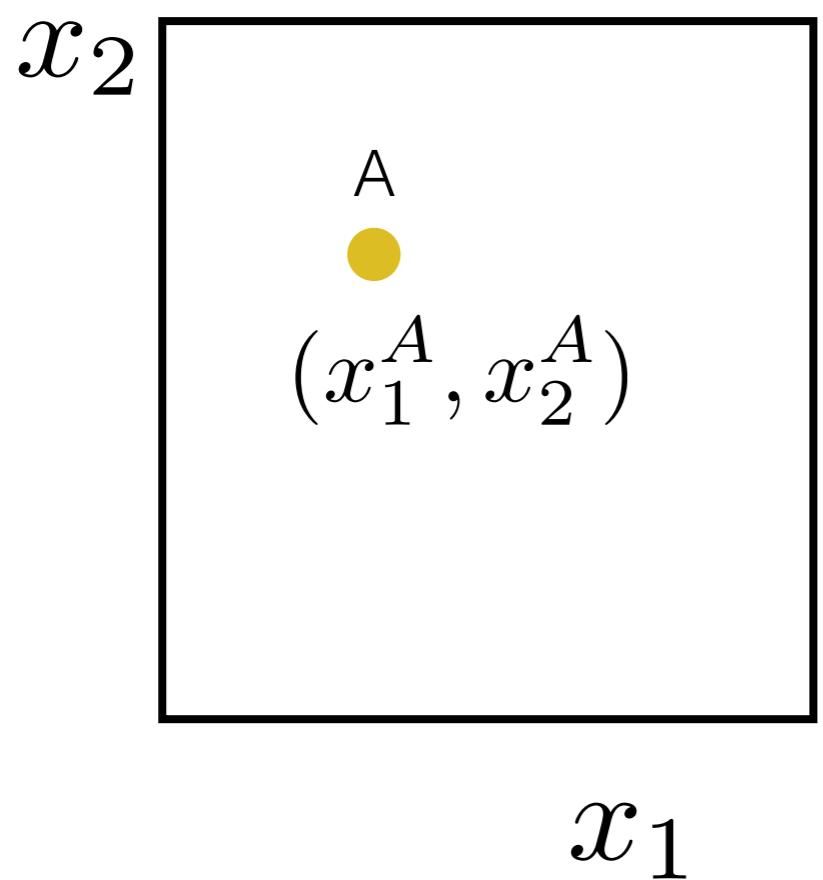
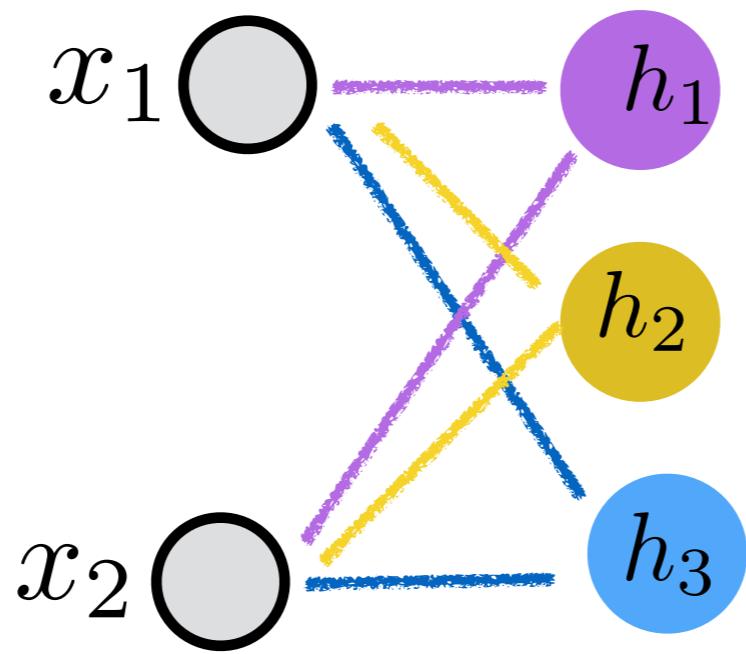
$$(x_1^A, x_2^A) \mapsto (h_1^A, h_2^A)$$

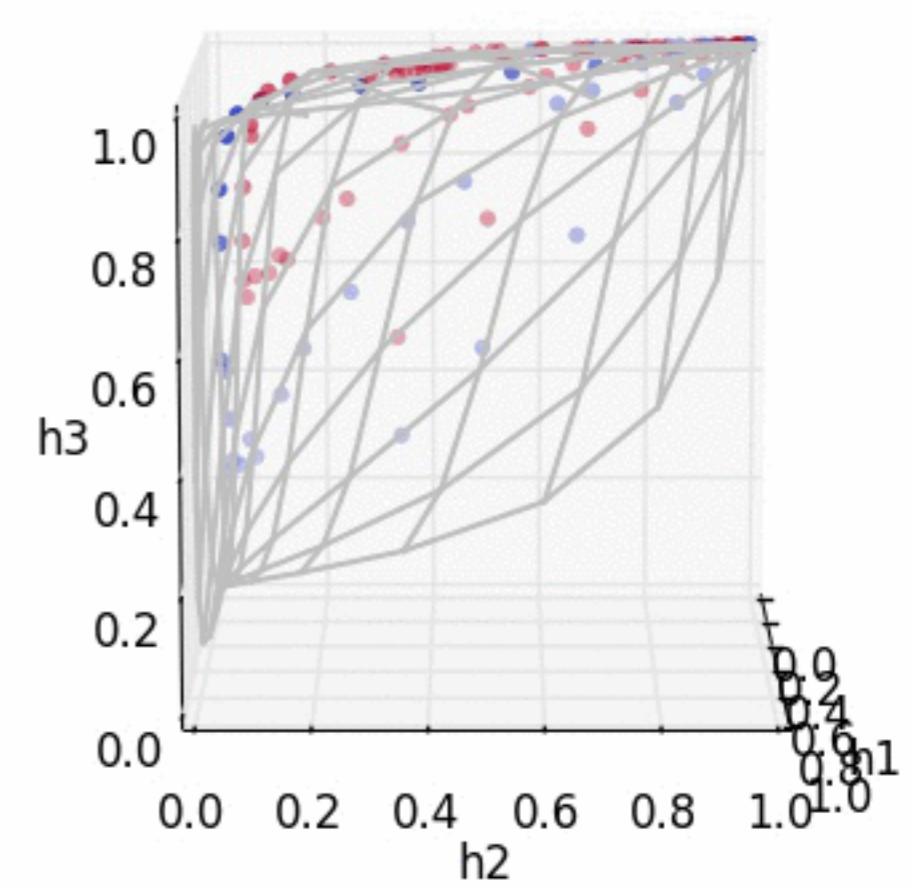
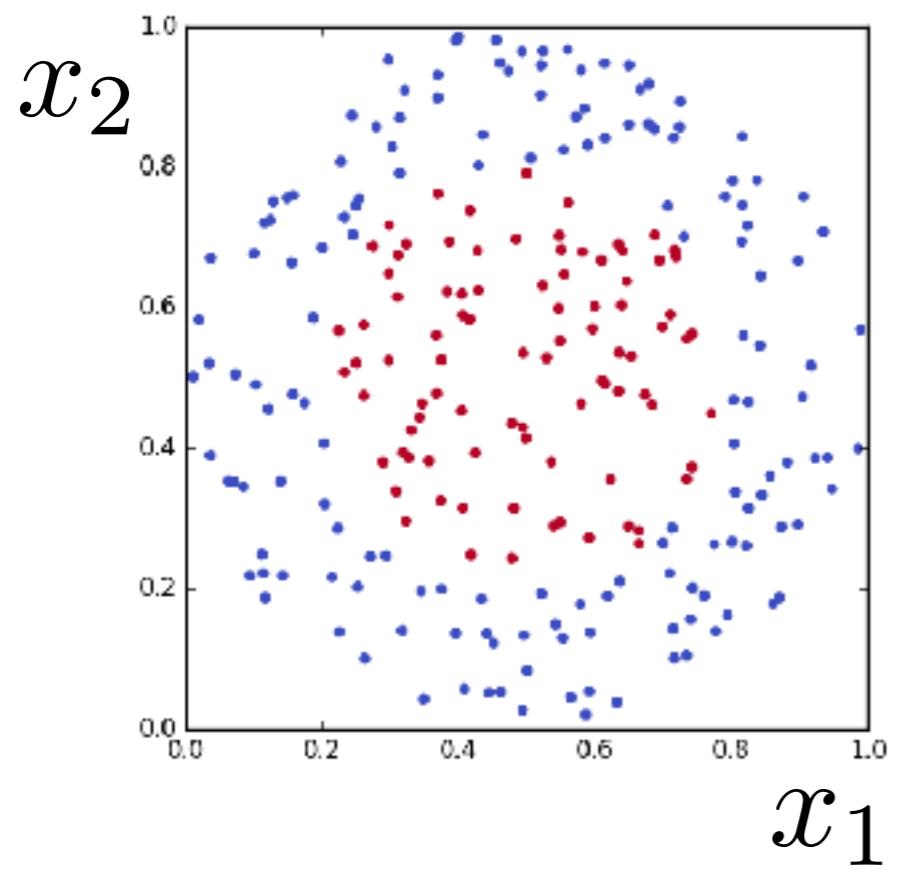
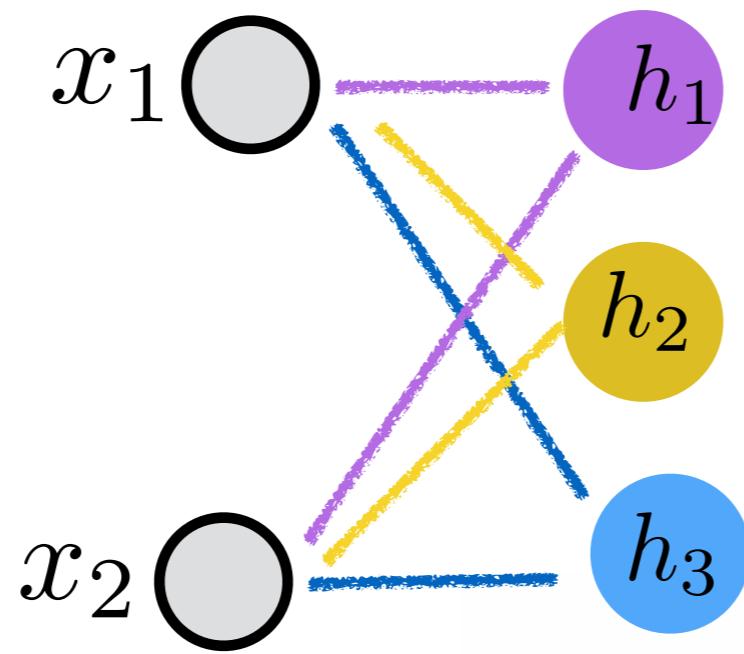


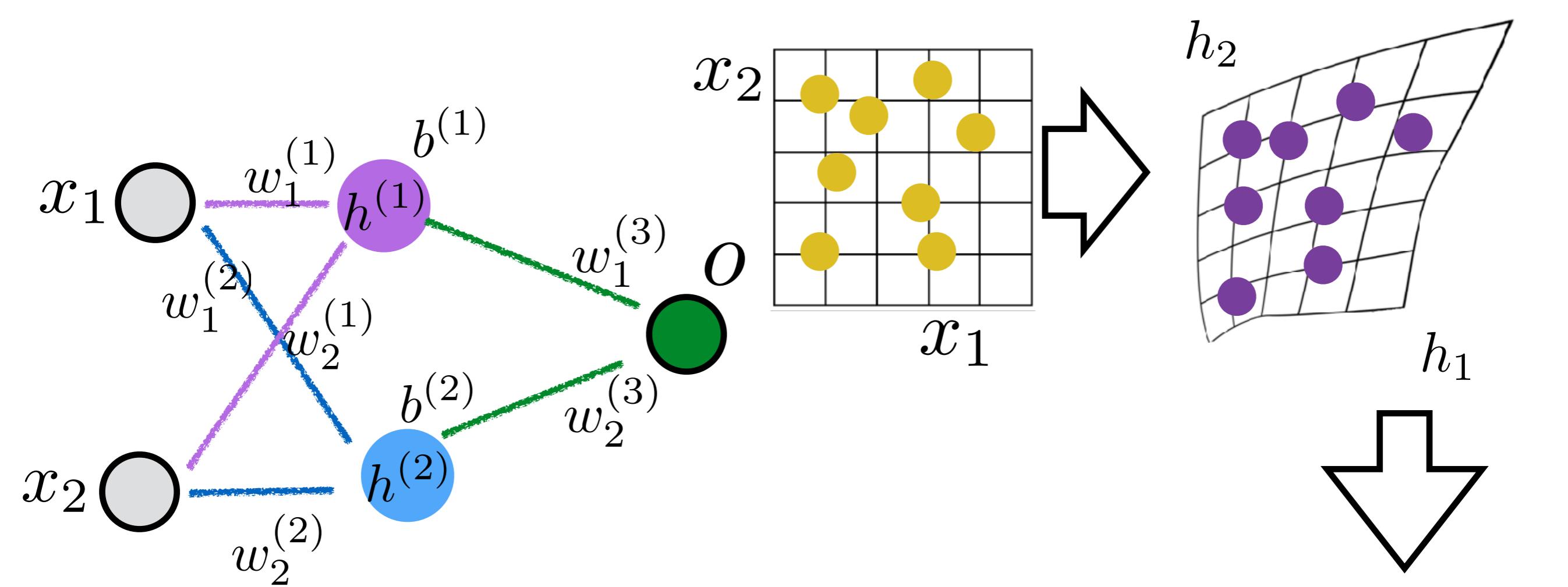
Neighbourhood relationship is conserved



$$(x_1^A, x_2^A) \mapsto (h_1^A, h_2^A)$$







$$h^{(1)} = \sigma(w_1^{(1)}x_1 + w_2^{(1)}x_2 + b^{(1)})$$

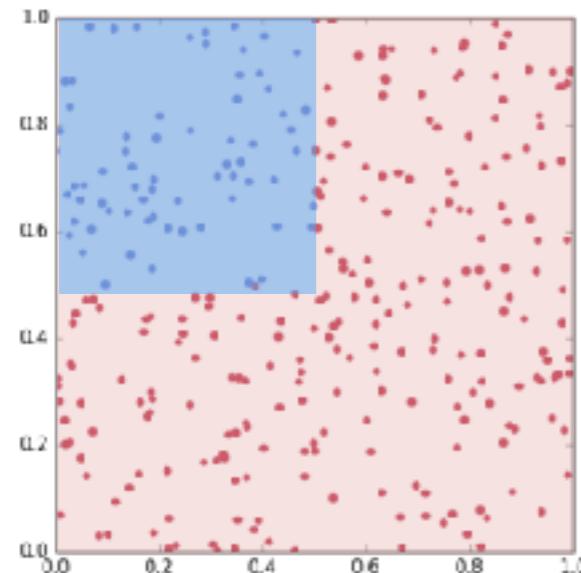
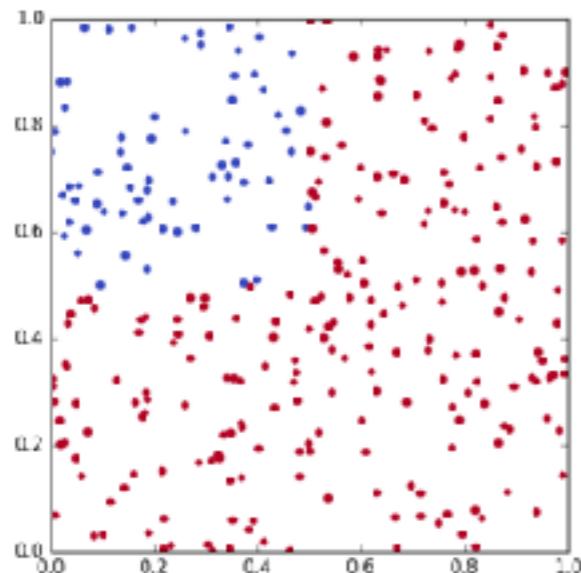
$$h^{(2)} = \sigma(w_1^{(2)}x_1 + w_2^{(2)}x_2 + b^{(2)})$$

$$o = \sigma(w_1^{(3)}h^{(1)} + w_2^{(3)}h^{(2)} + b^{(3)})$$

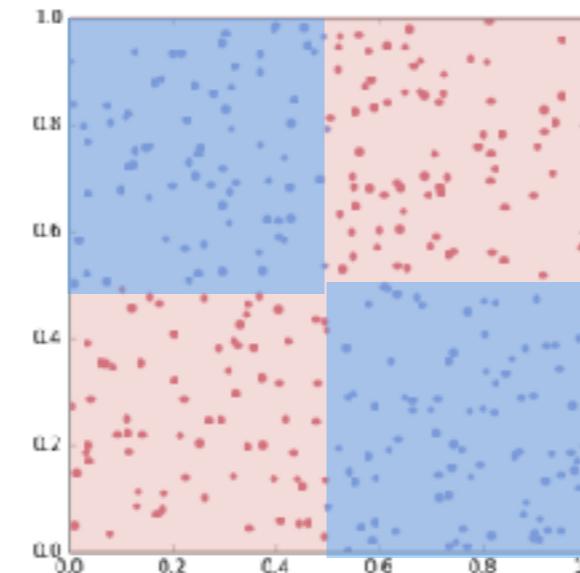
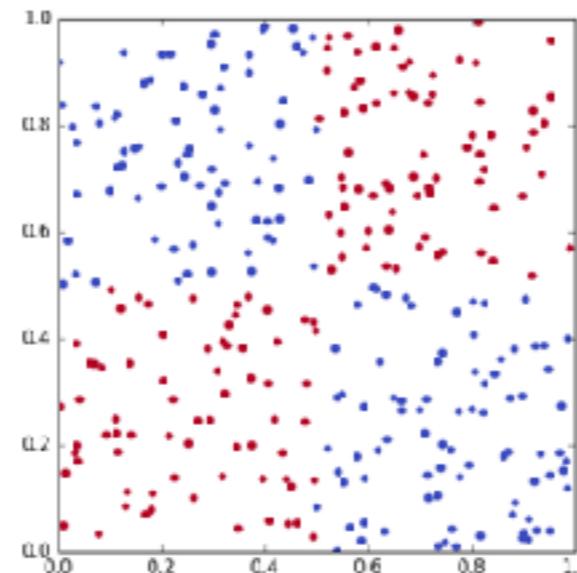
Some real life examples

courtesy of our TA Connie Kou
source code will be available online

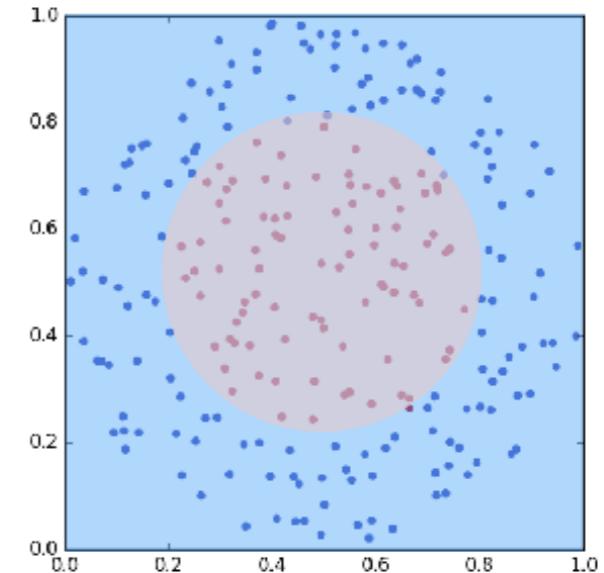
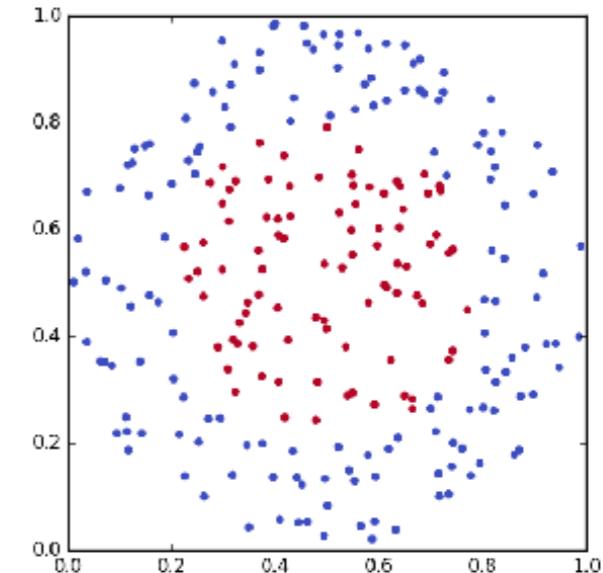
The Angle Data



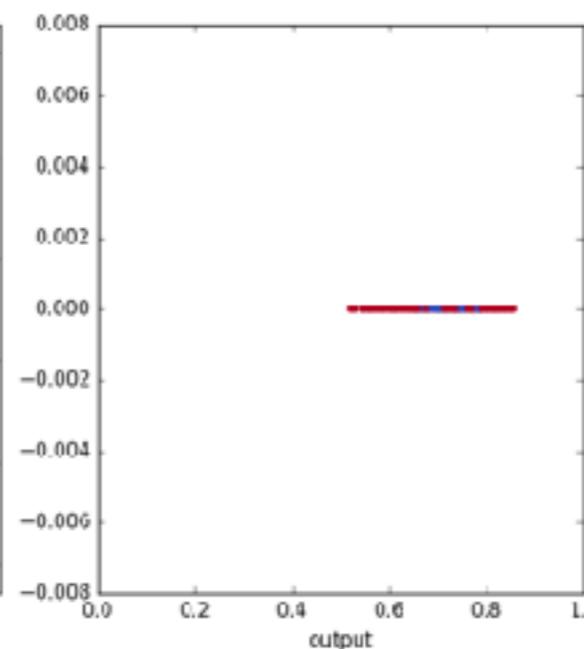
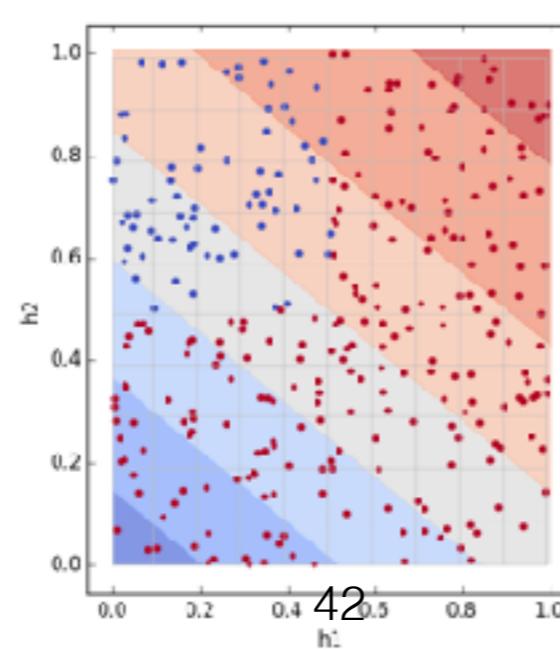
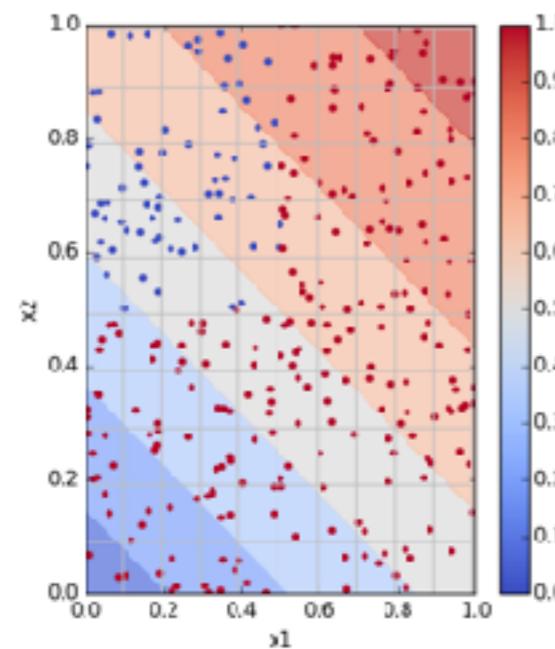
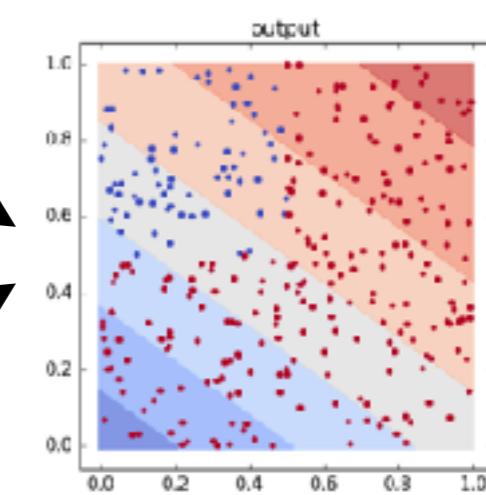
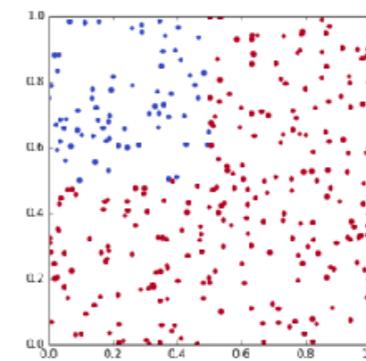
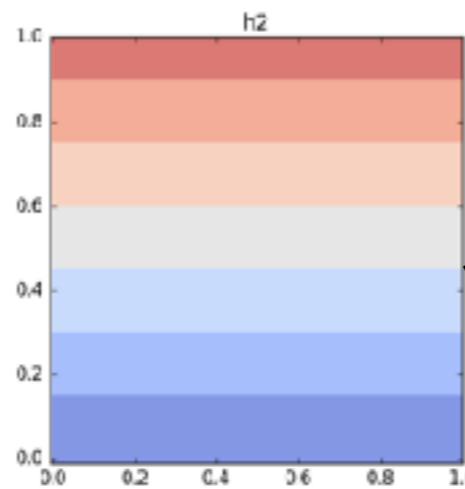
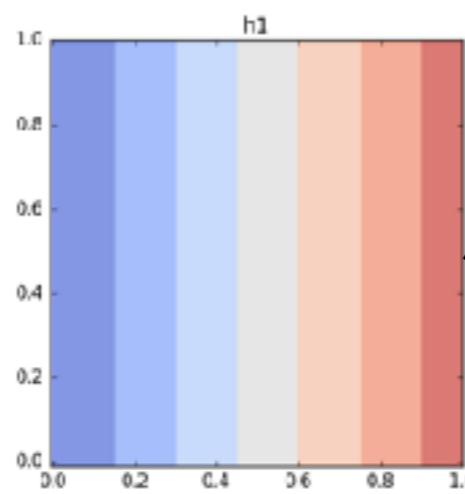
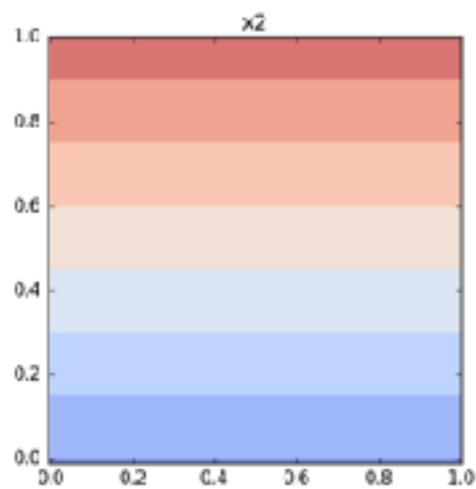
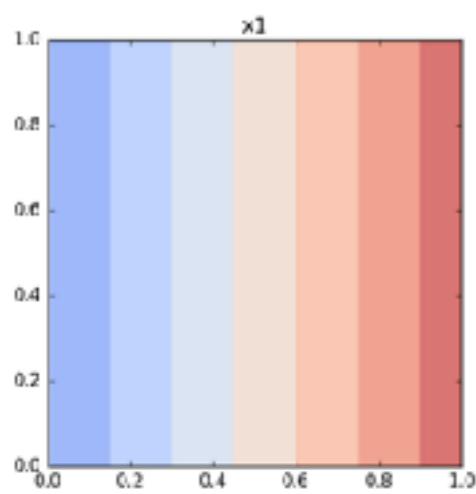
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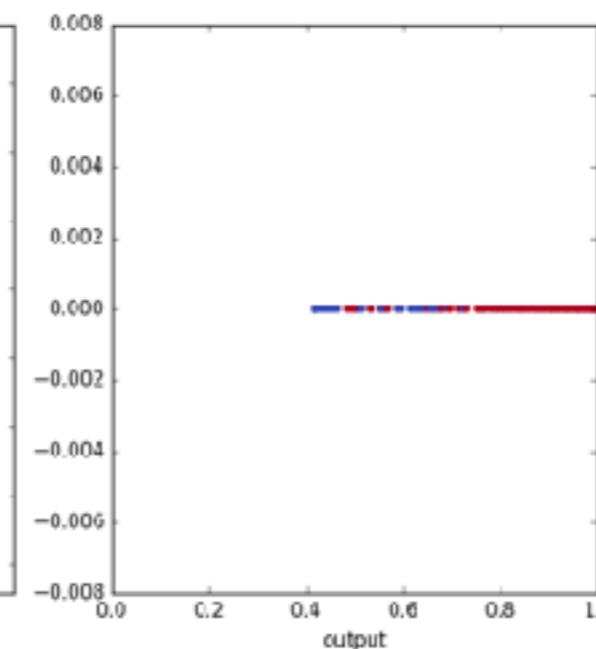
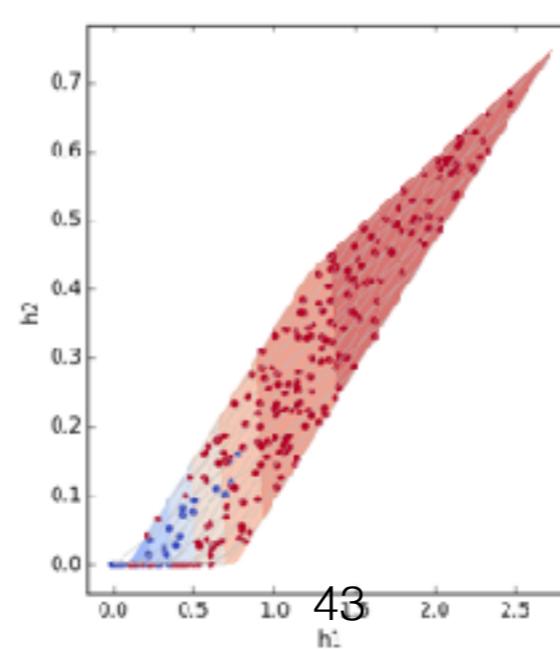
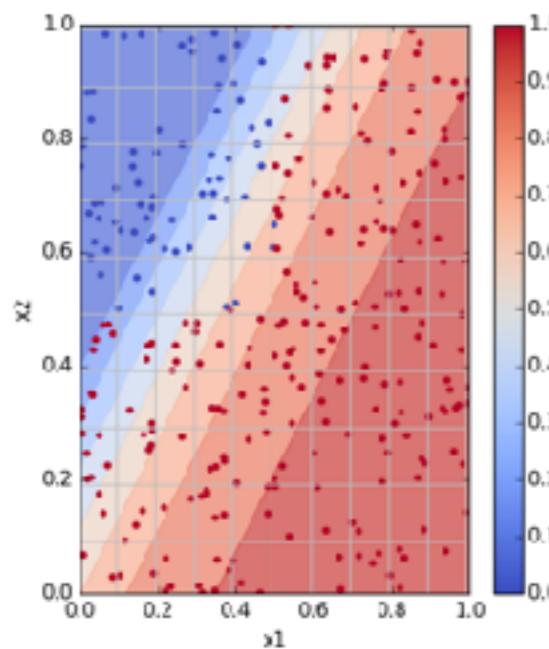
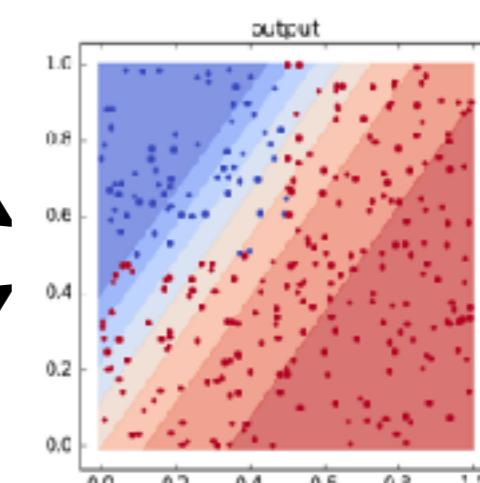
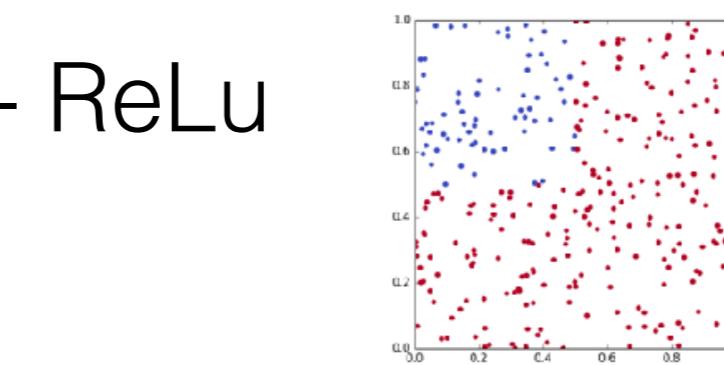
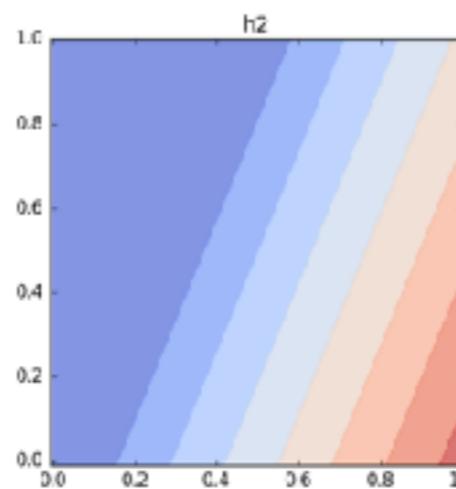
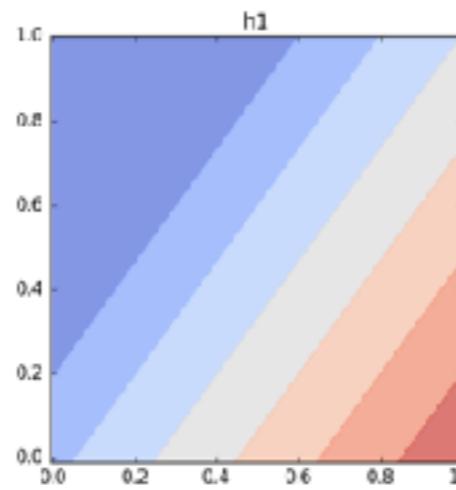
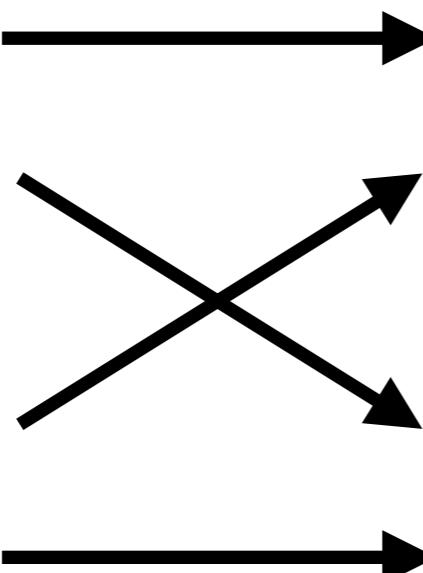
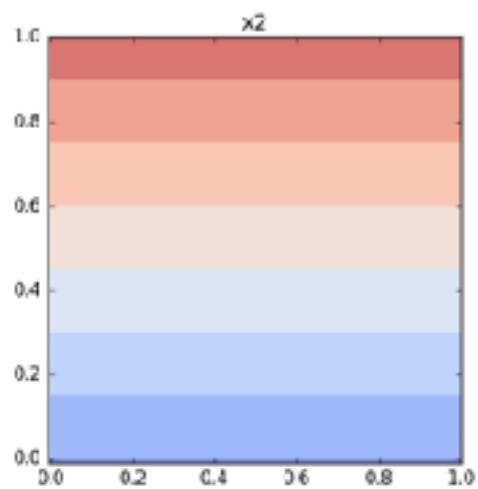
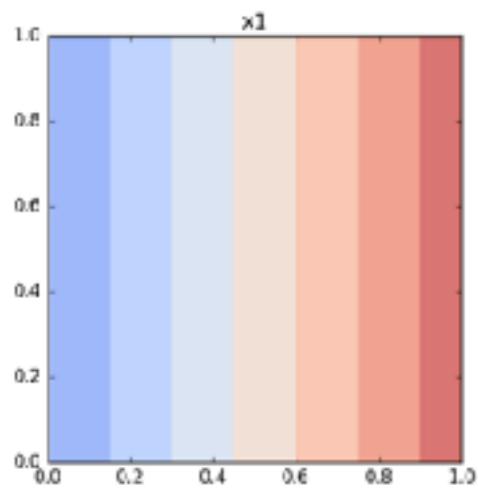
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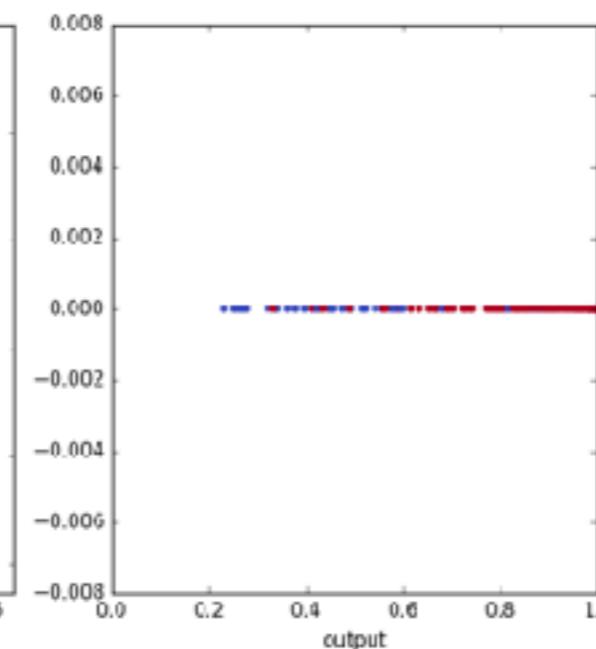
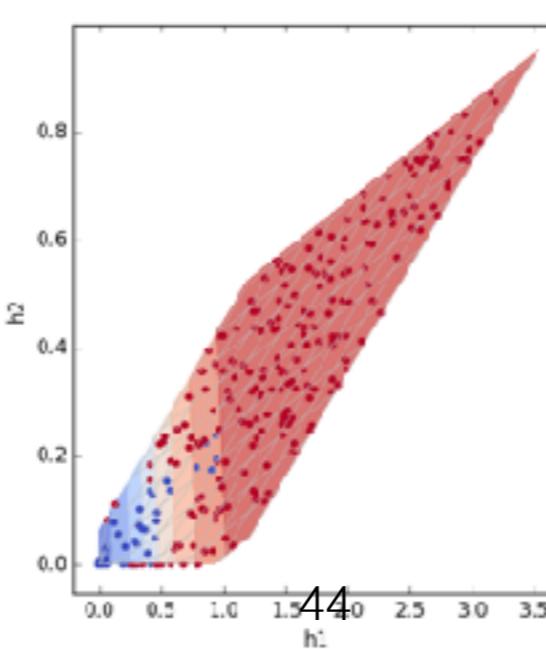
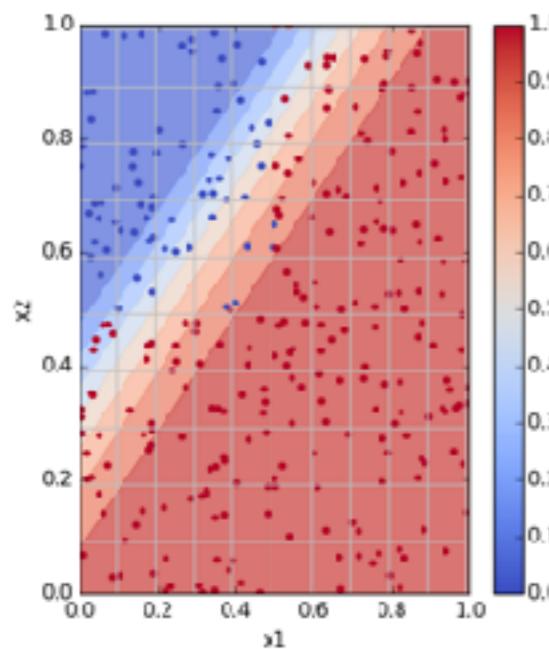
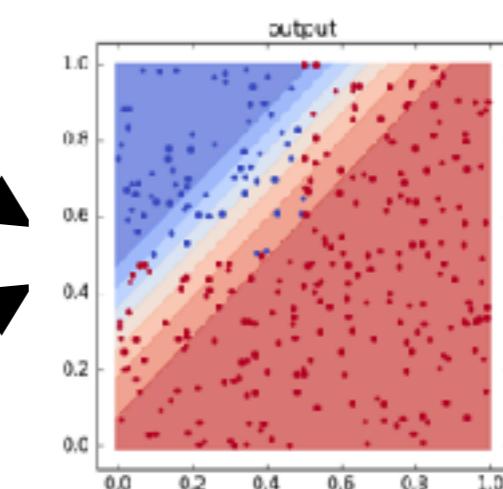
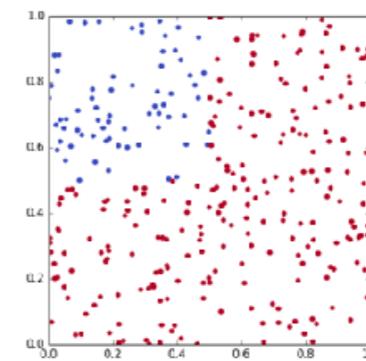
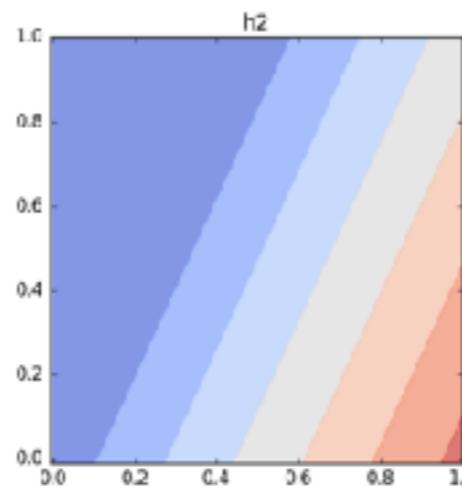
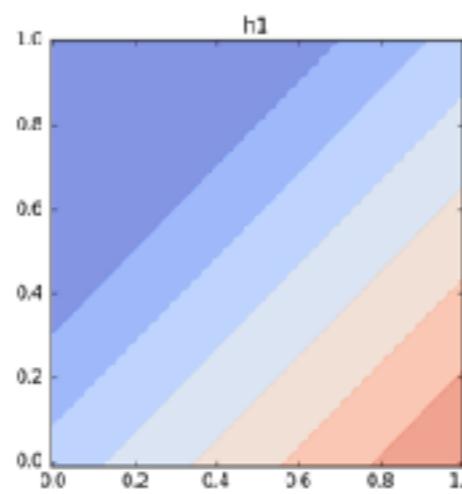
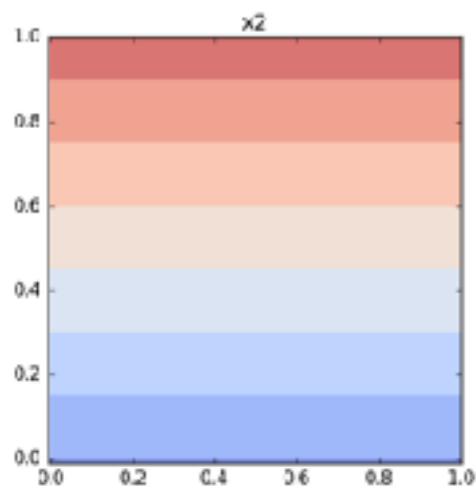
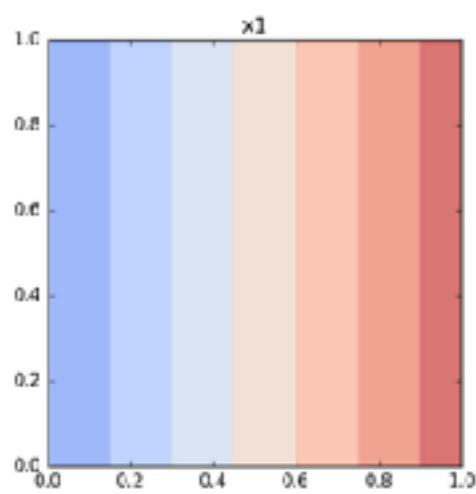
The Angle Data - ReLu



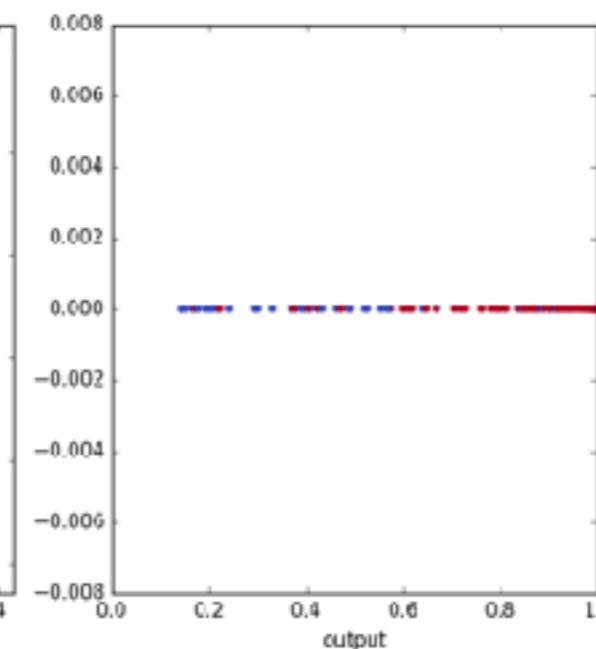
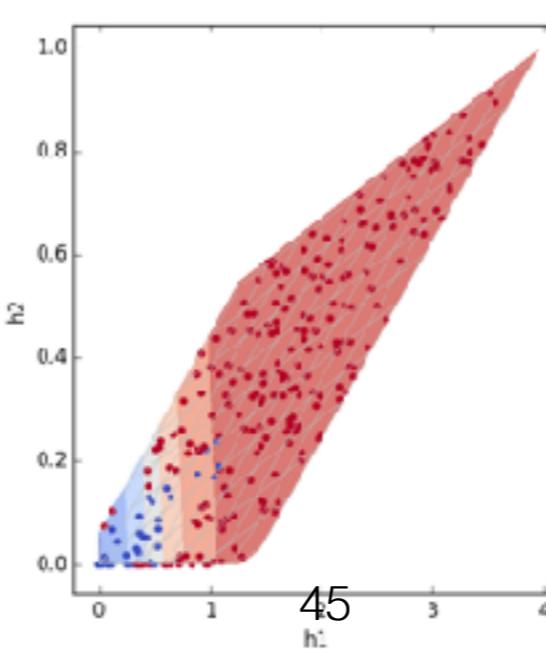
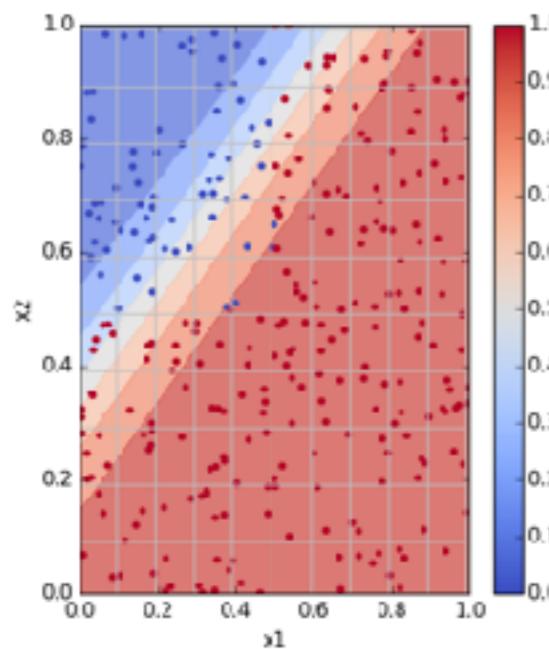
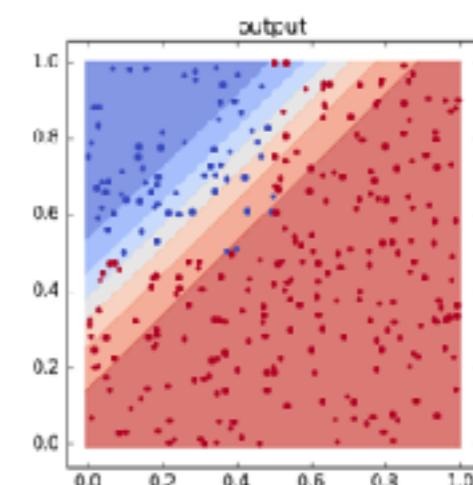
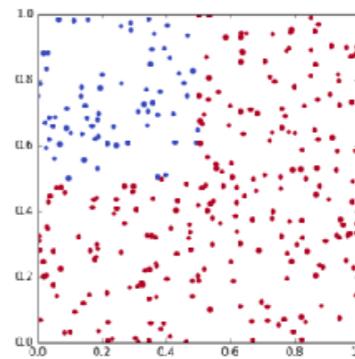
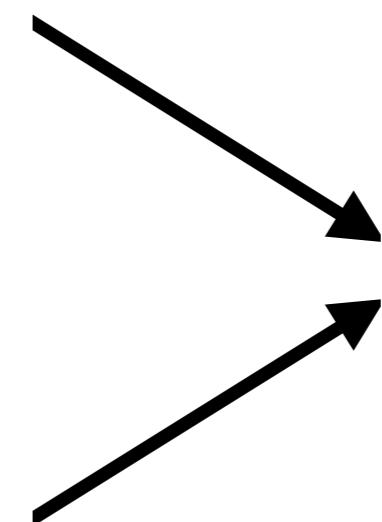
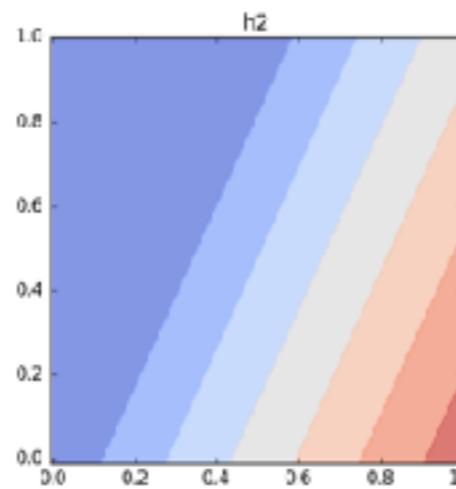
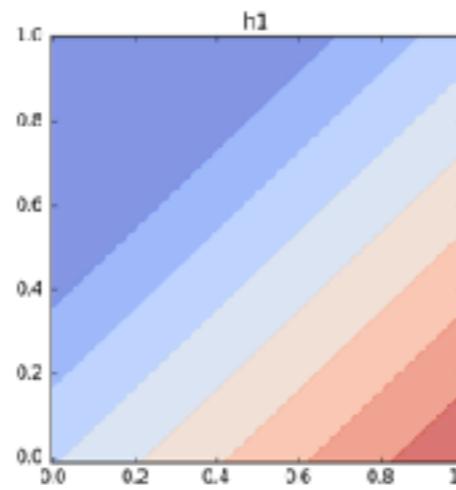
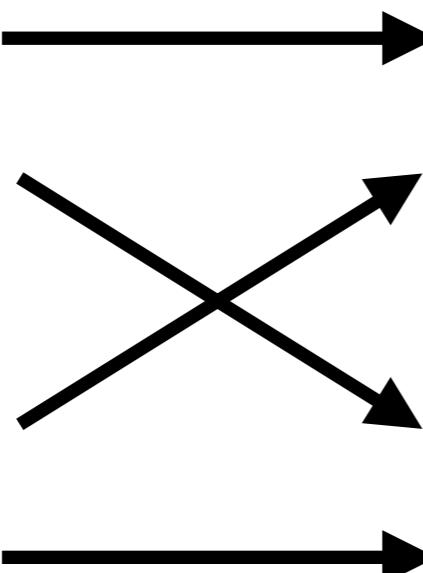
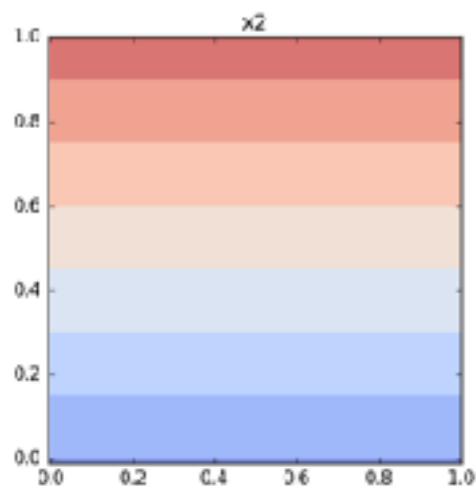
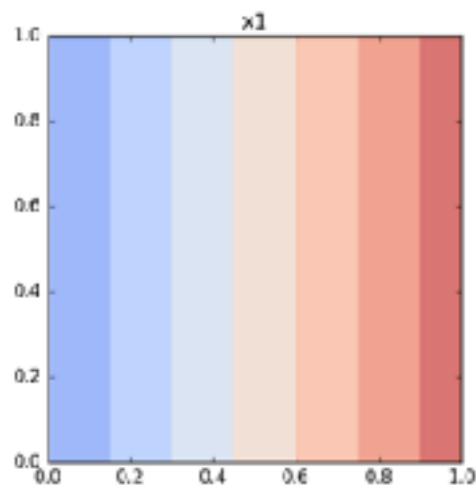
The Angle Data - ReLu



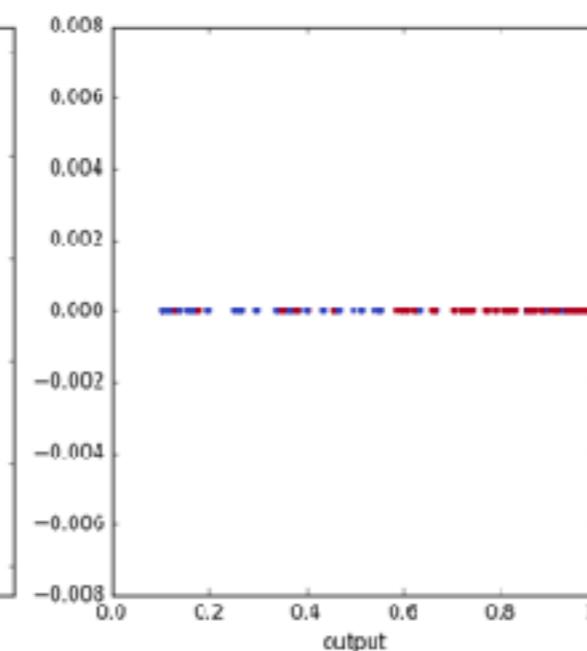
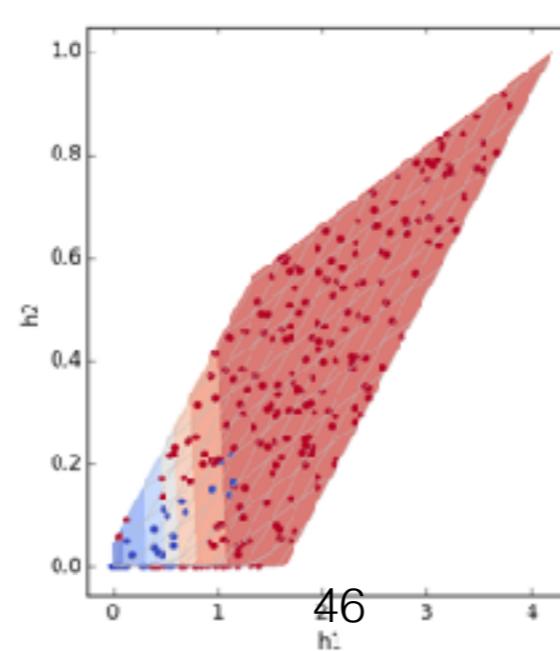
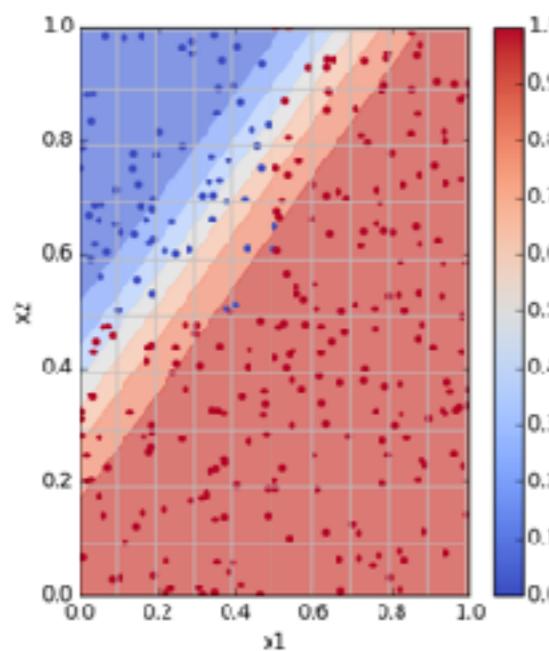
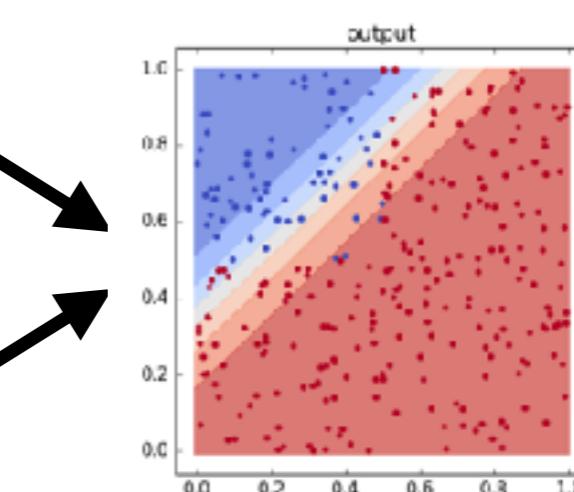
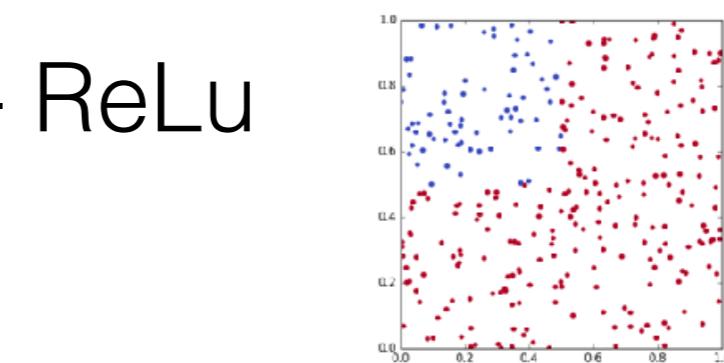
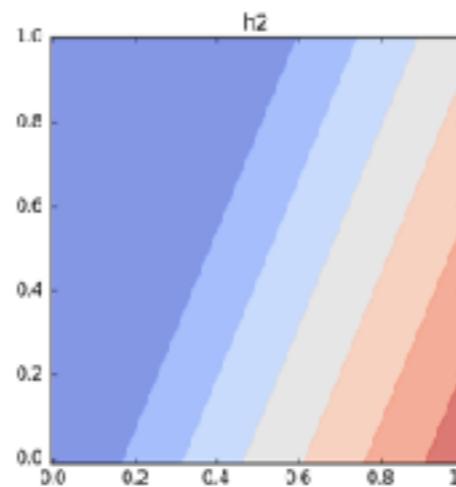
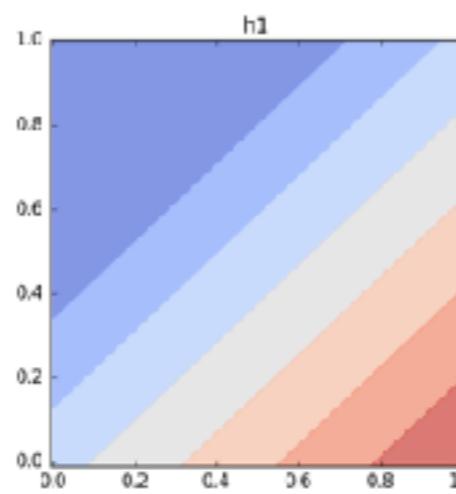
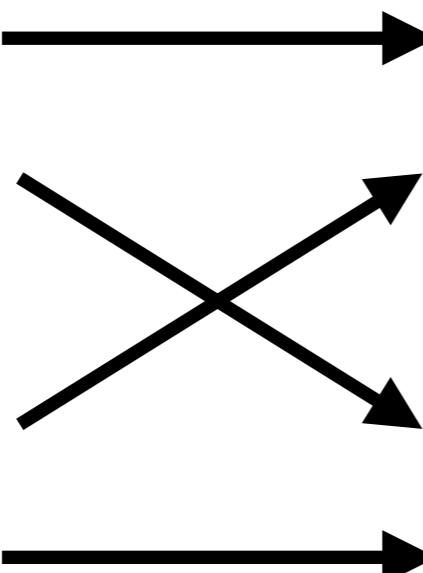
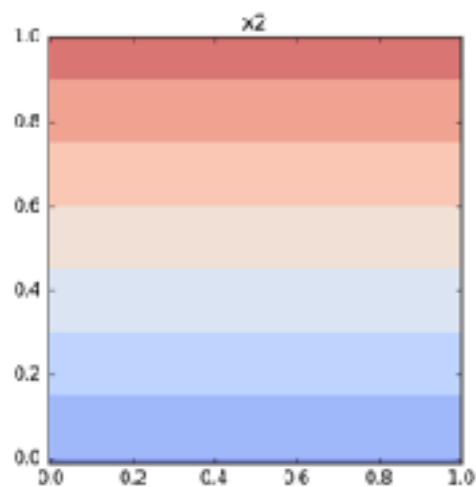
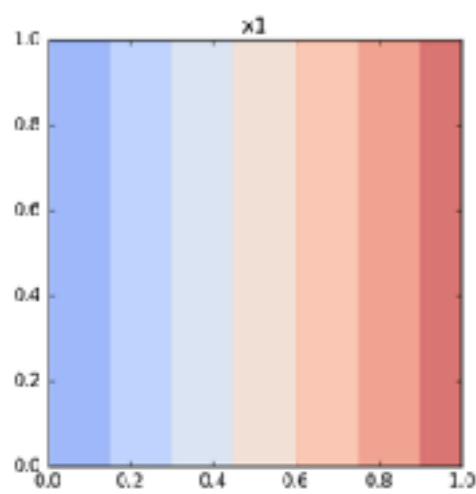
The Angle Data - ReLu



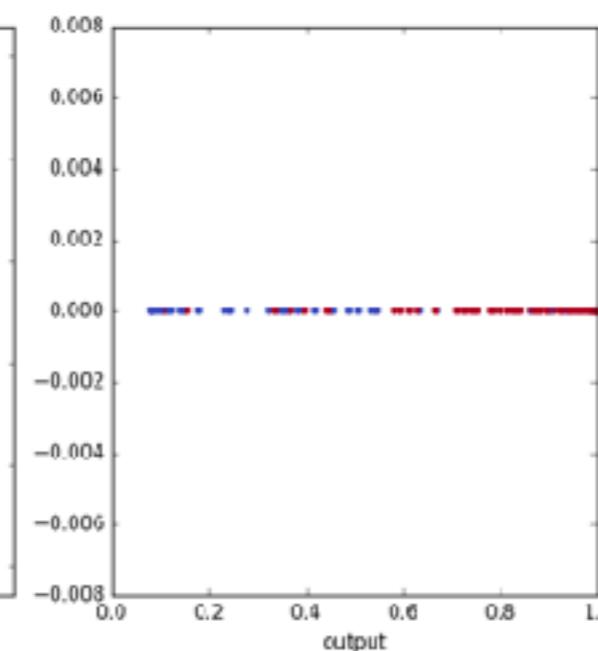
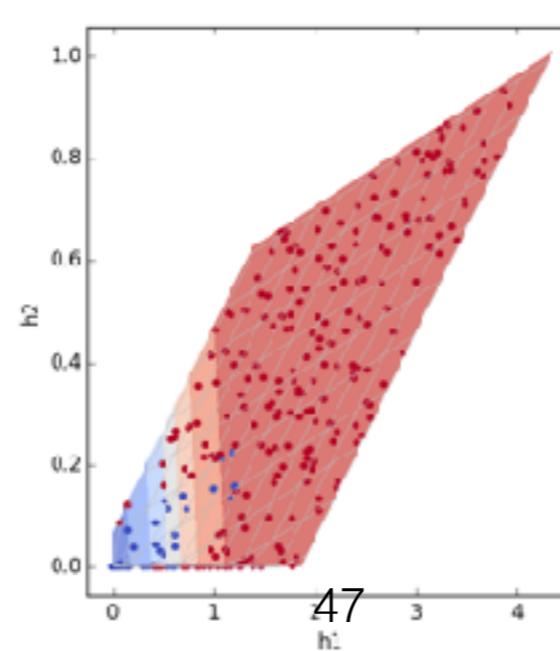
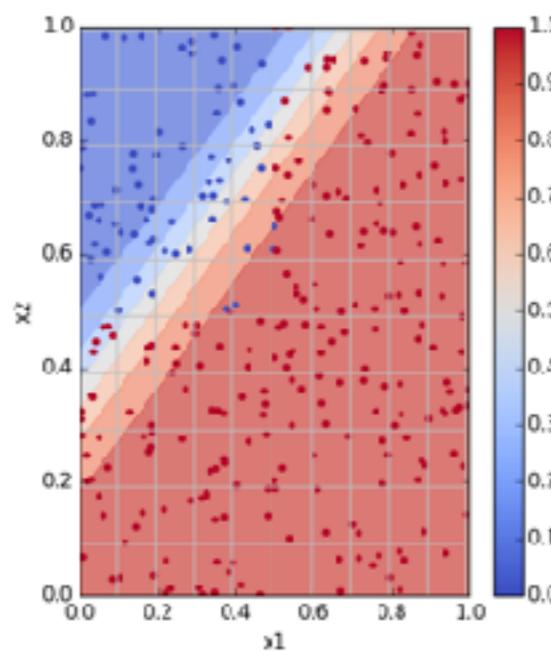
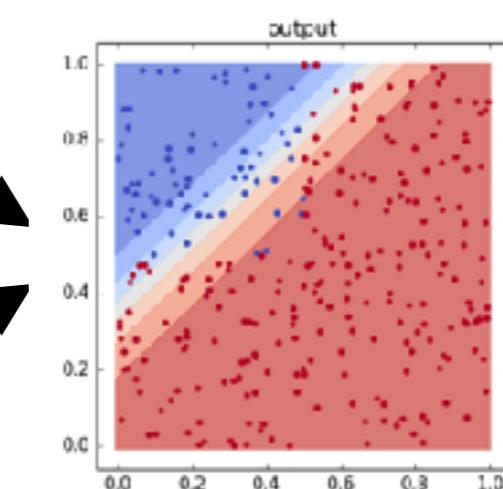
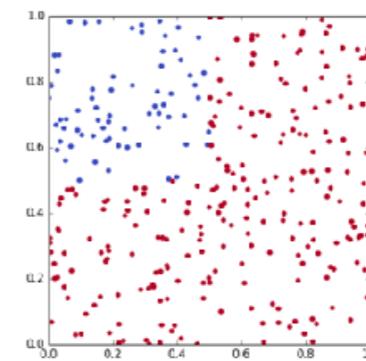
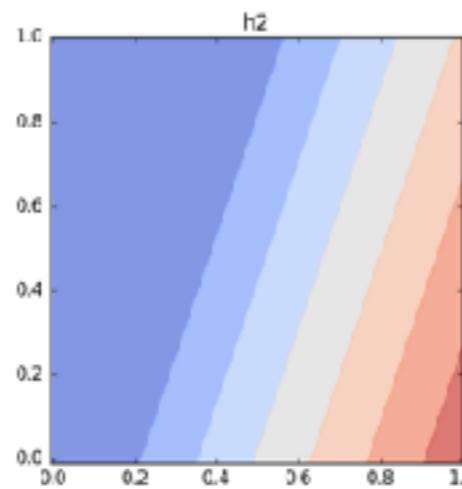
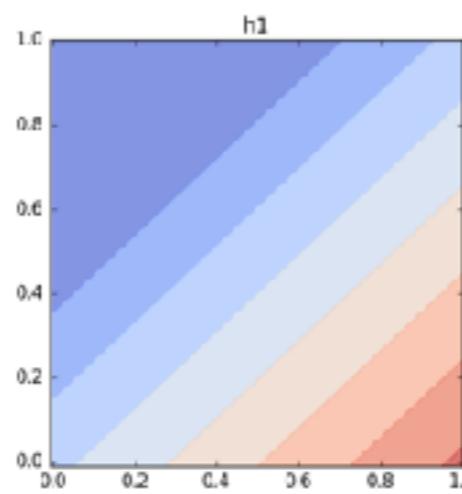
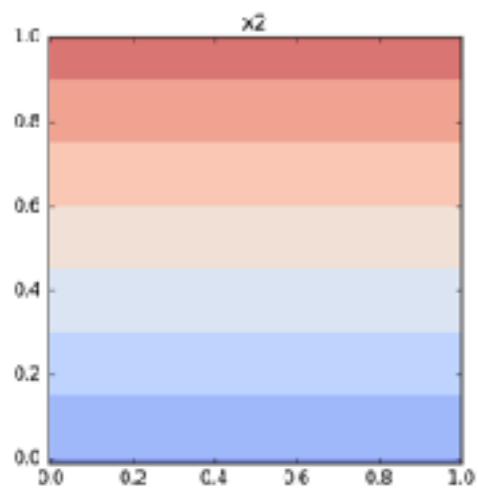
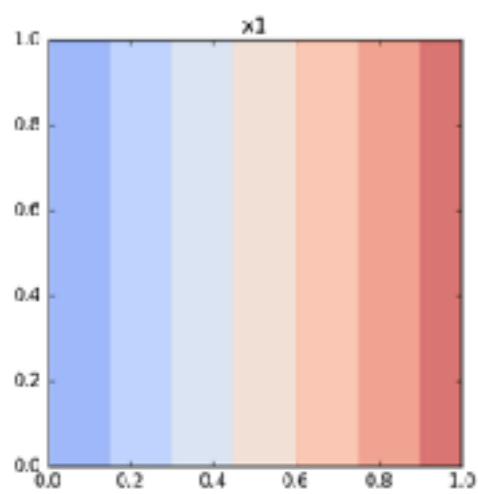
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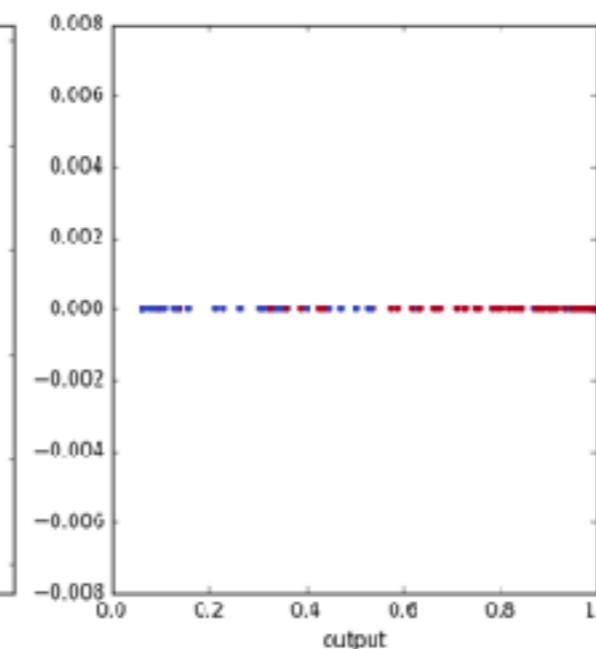
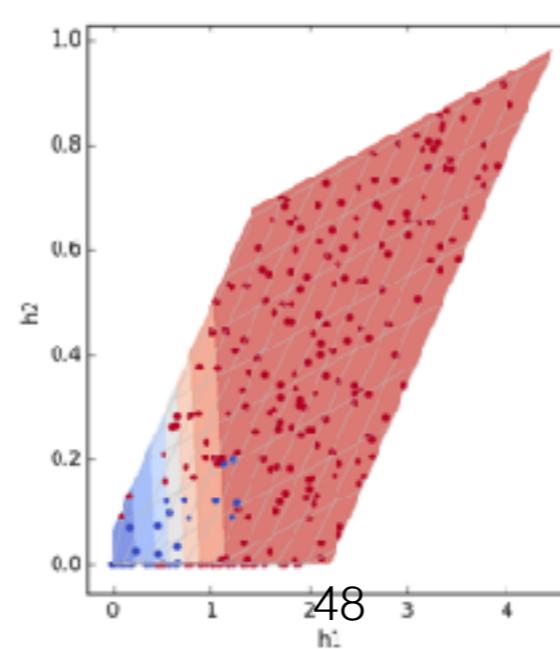
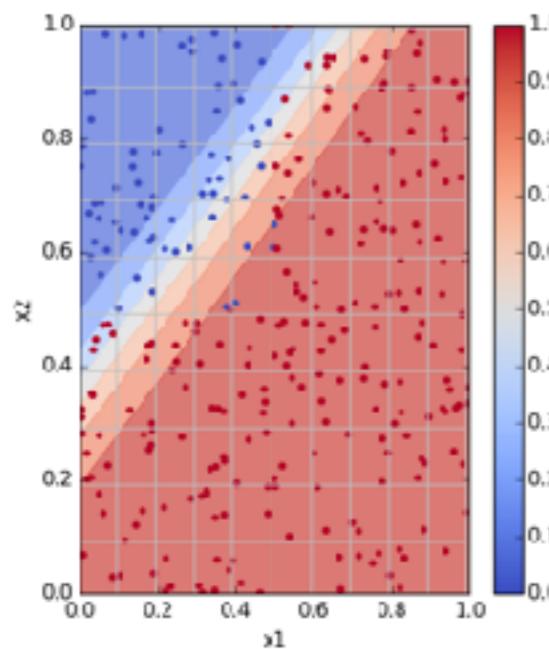
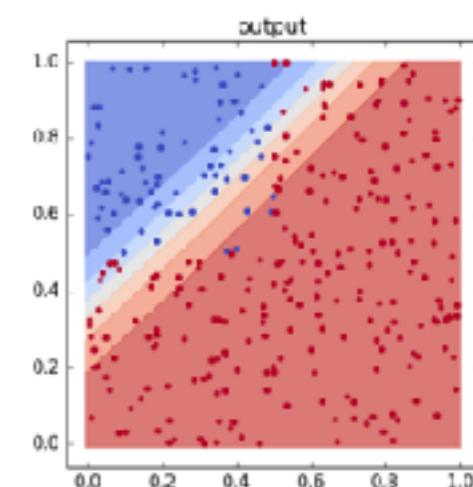
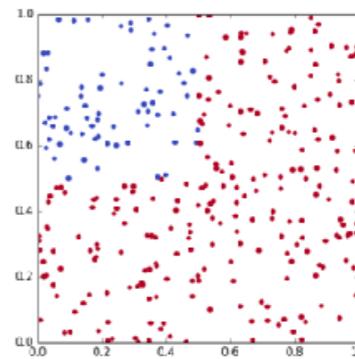
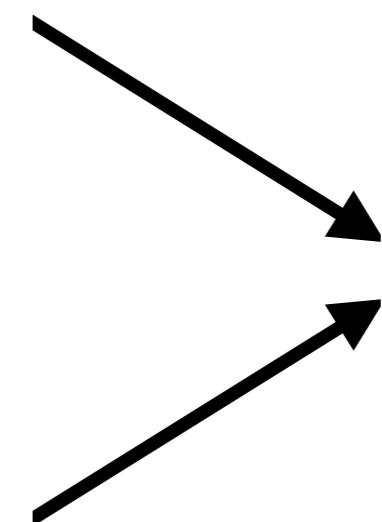
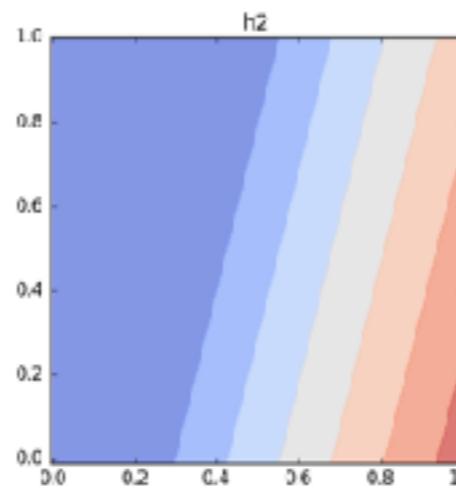
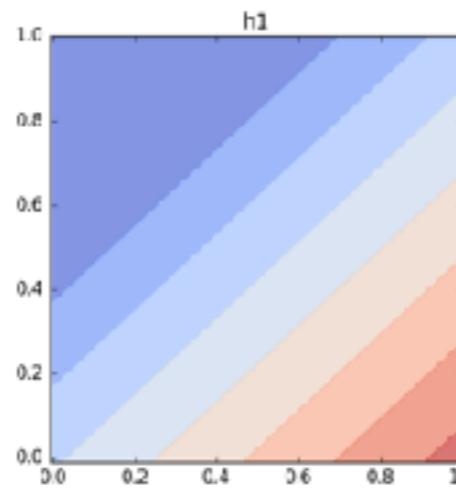
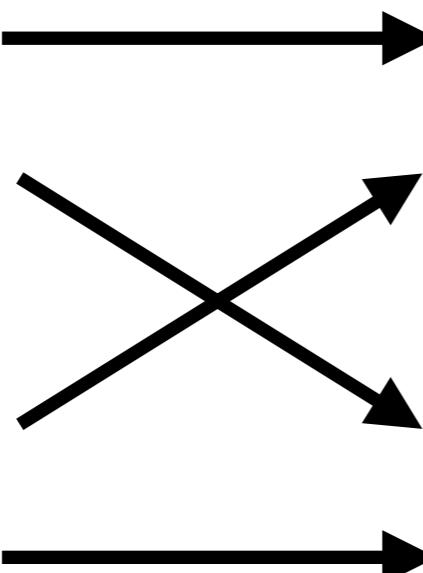
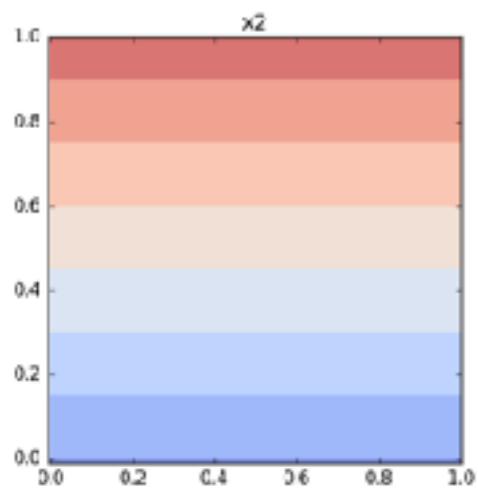
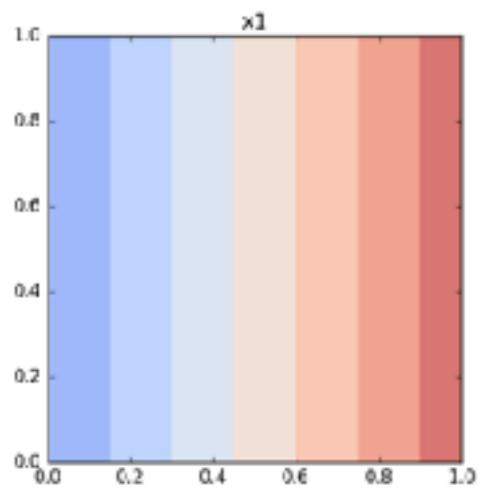
The Angle Data - ReLu



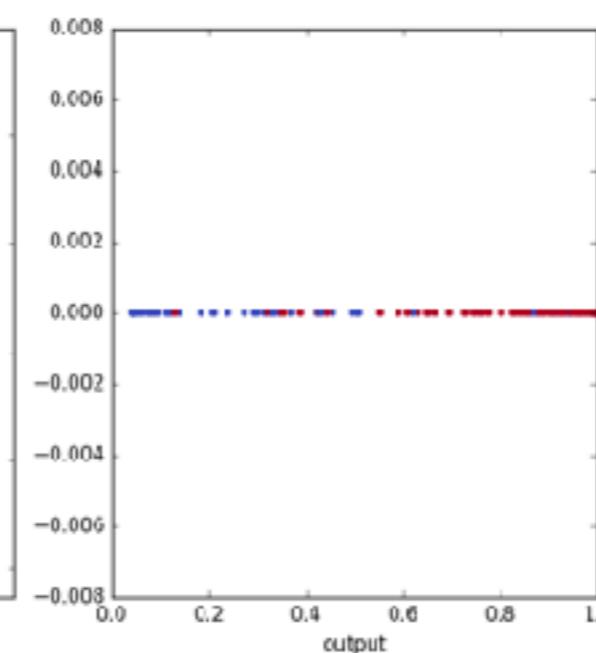
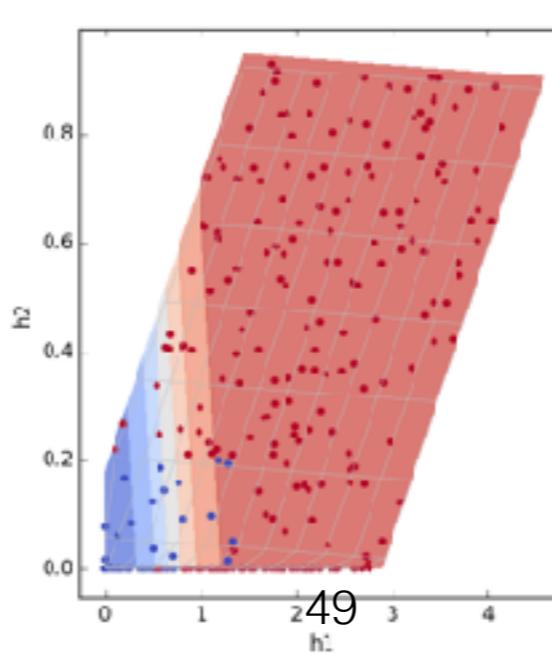
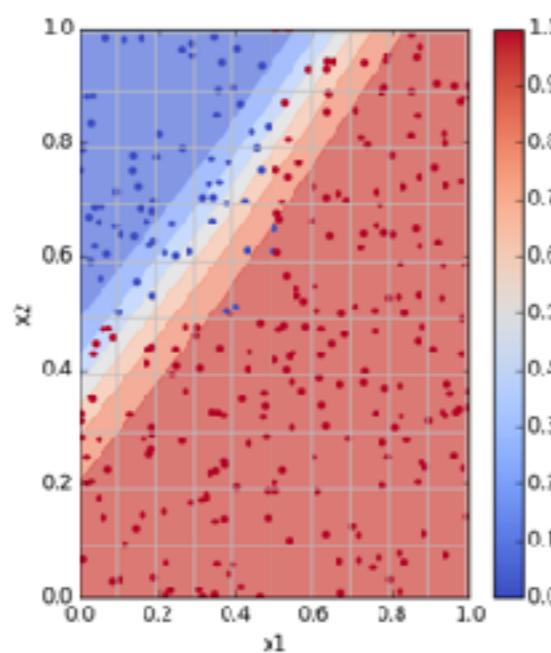
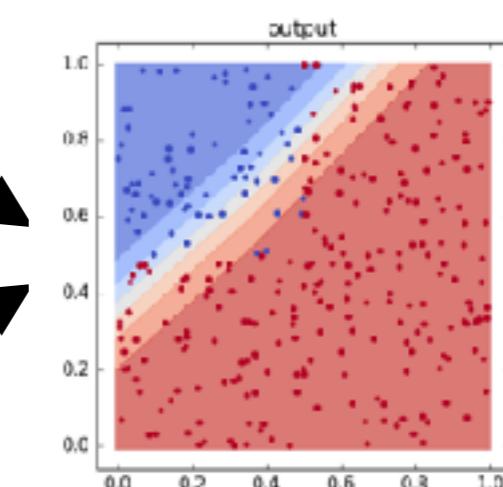
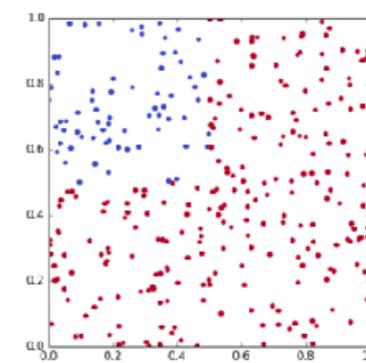
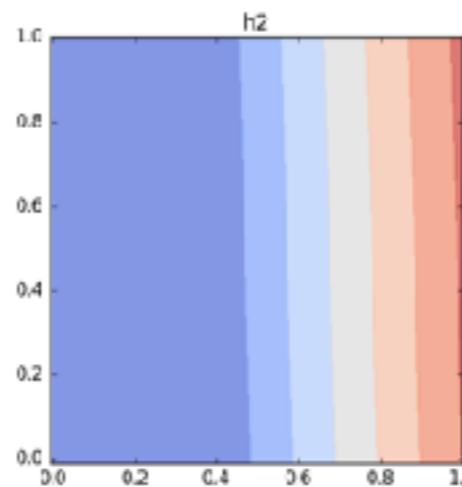
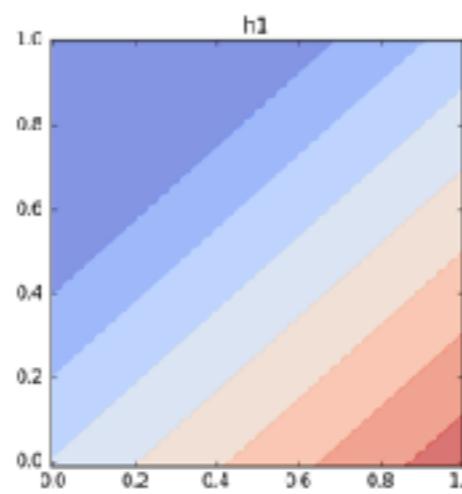
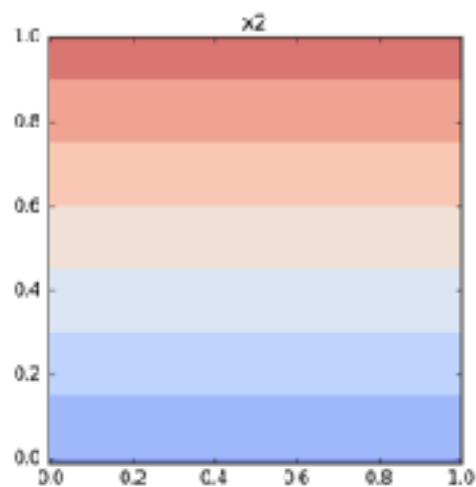
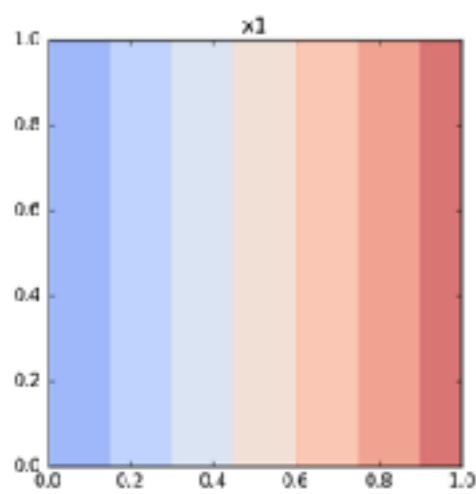
The Angle Data - ReLu



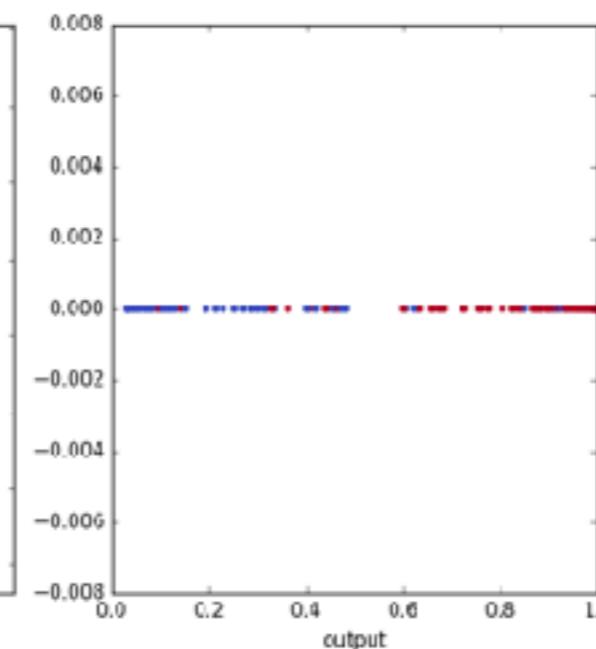
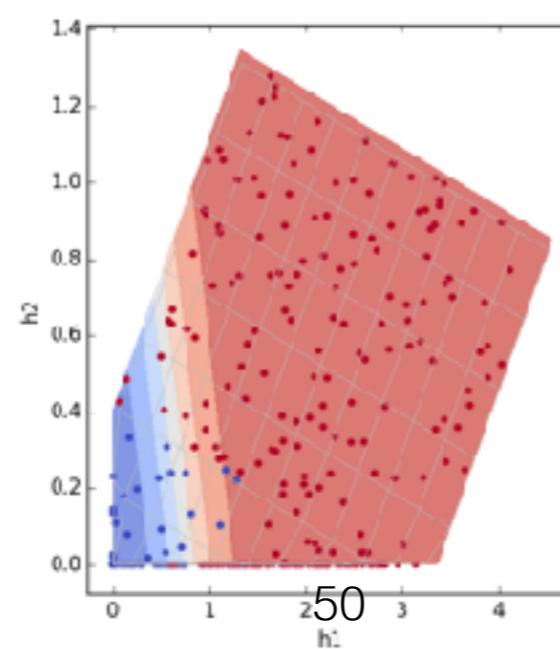
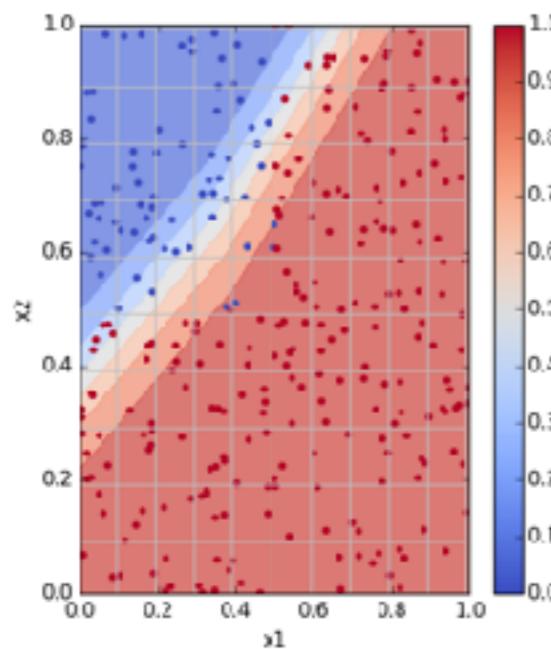
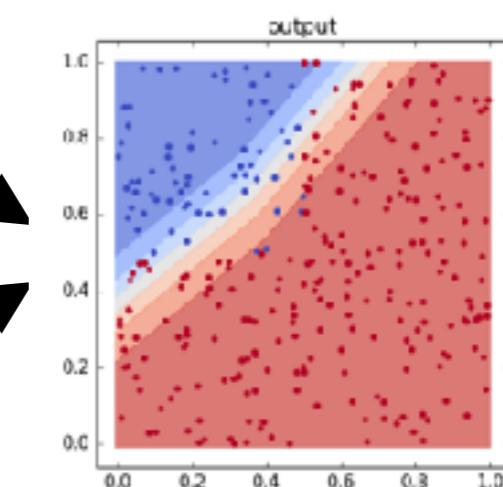
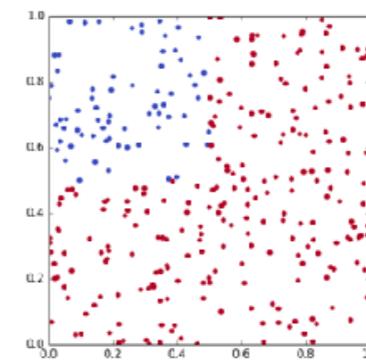
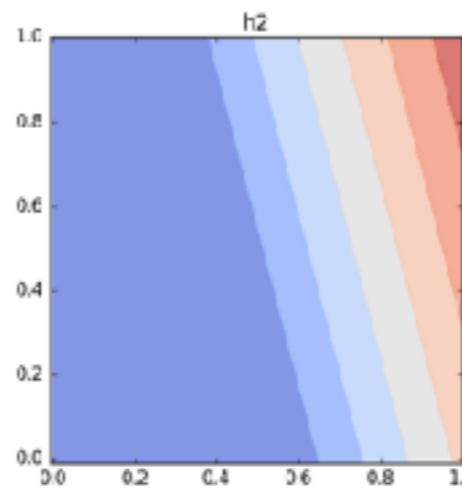
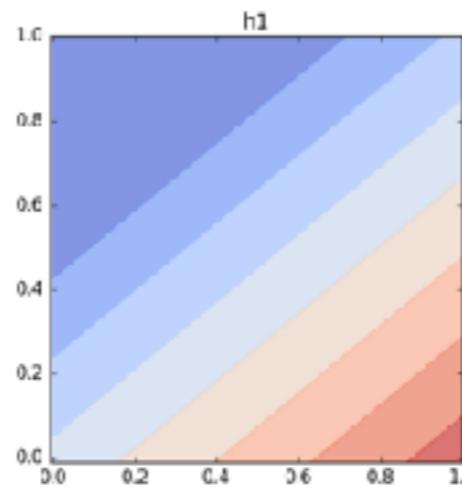
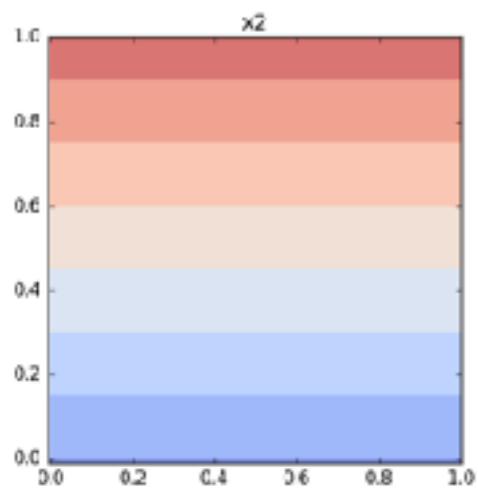
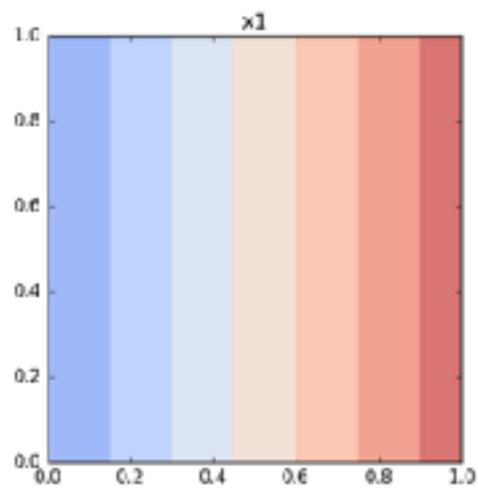
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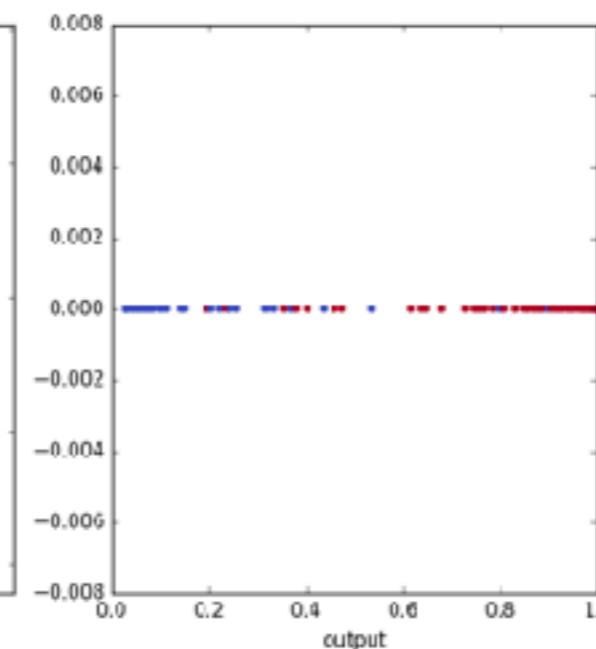
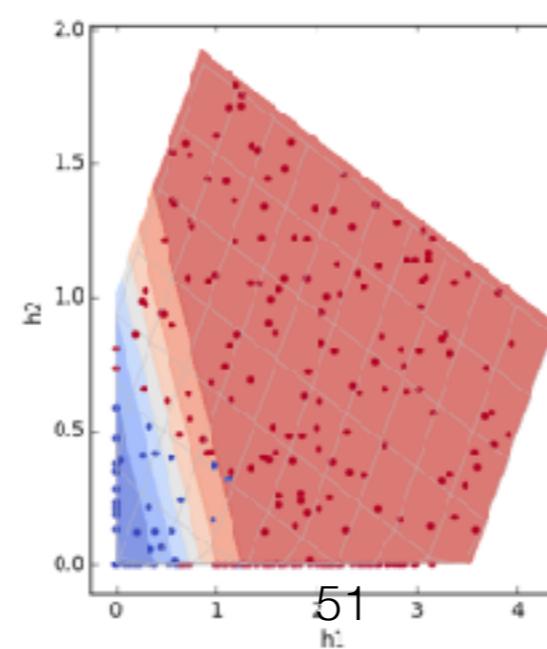
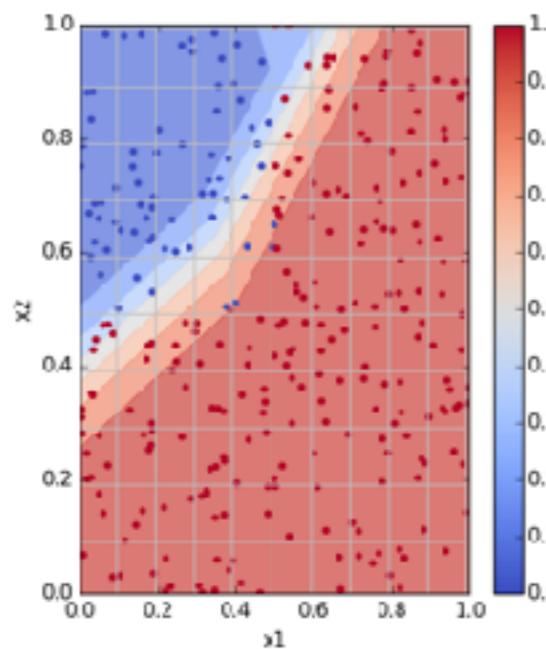
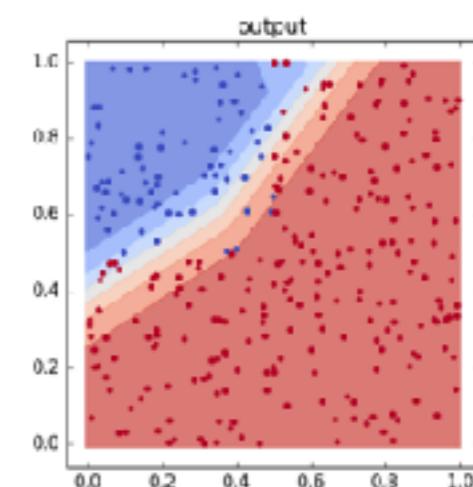
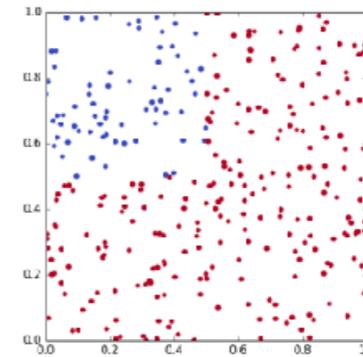
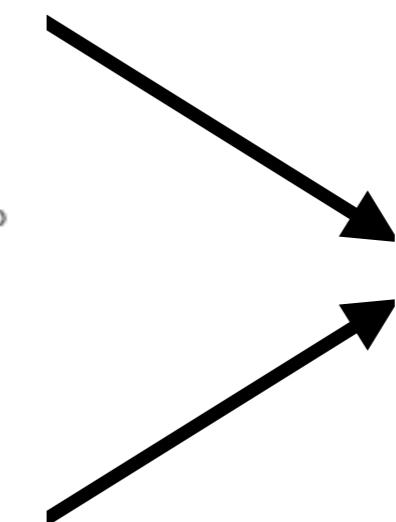
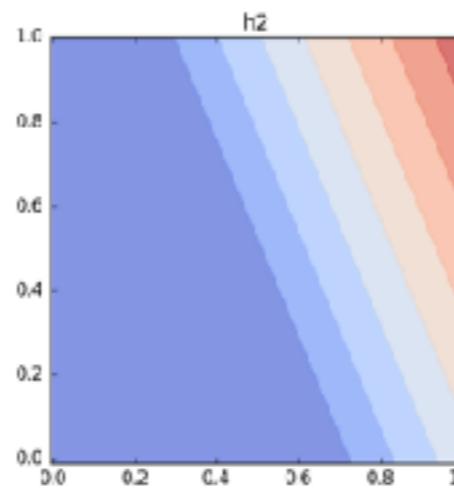
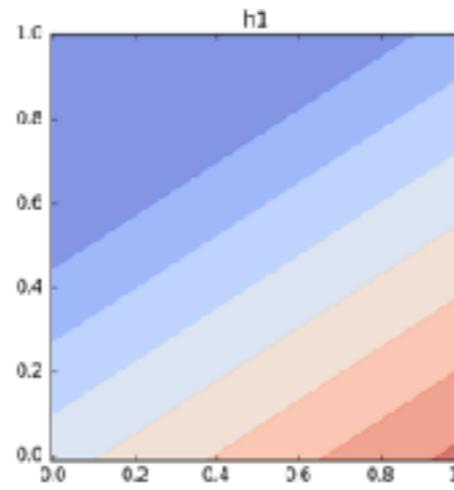
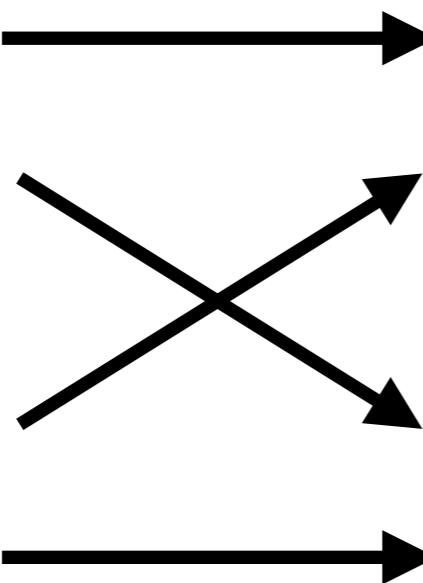
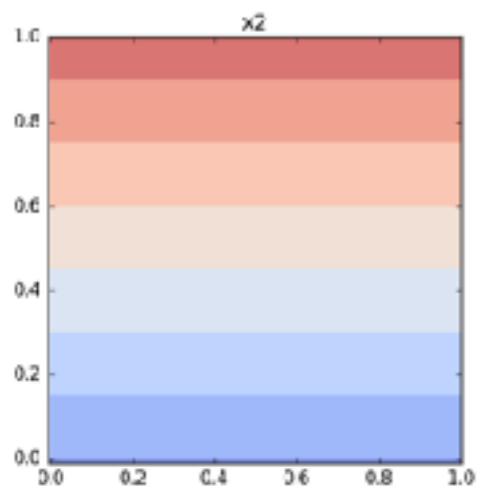
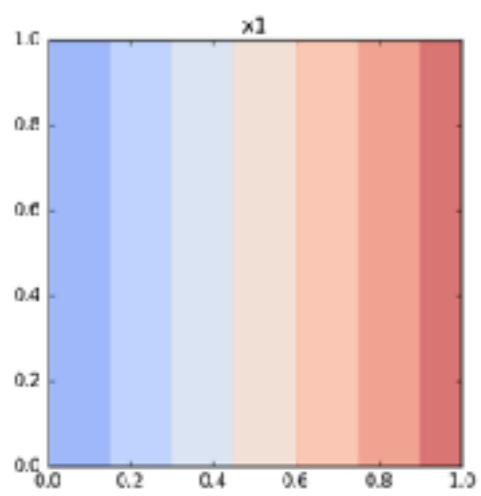
The Angle Data - ReLu



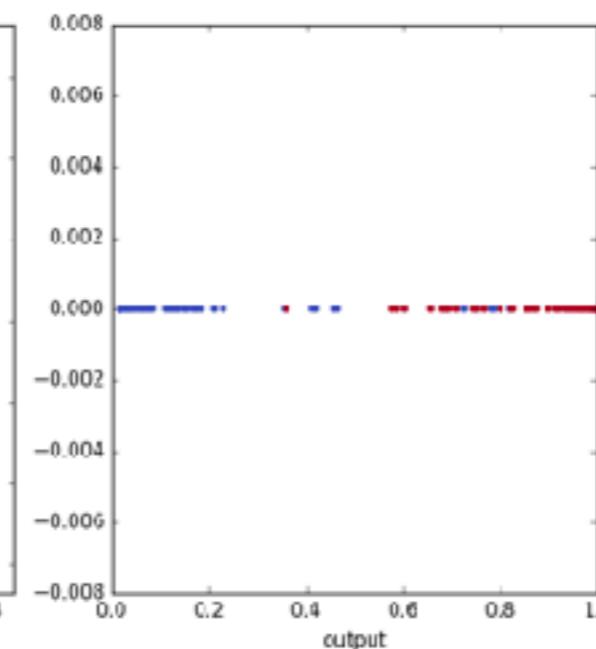
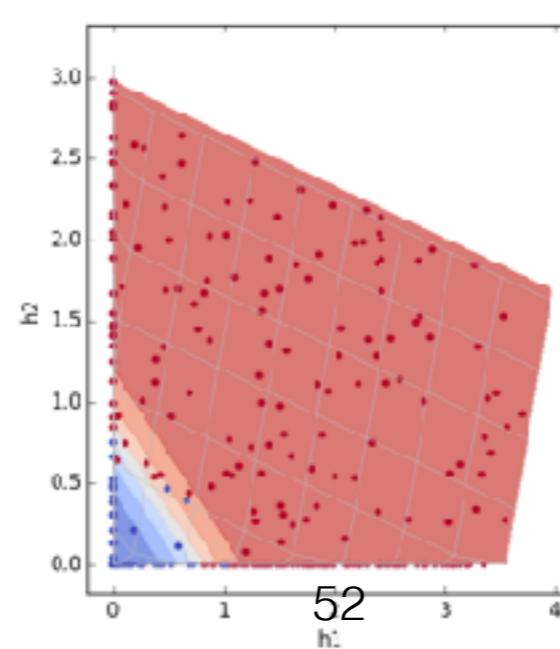
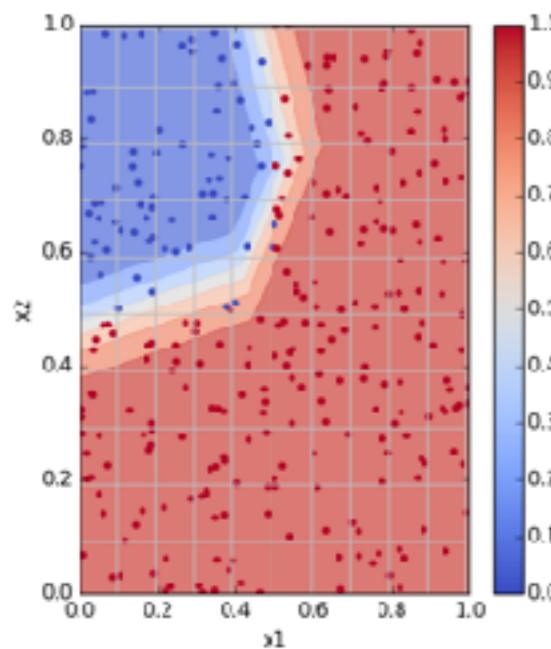
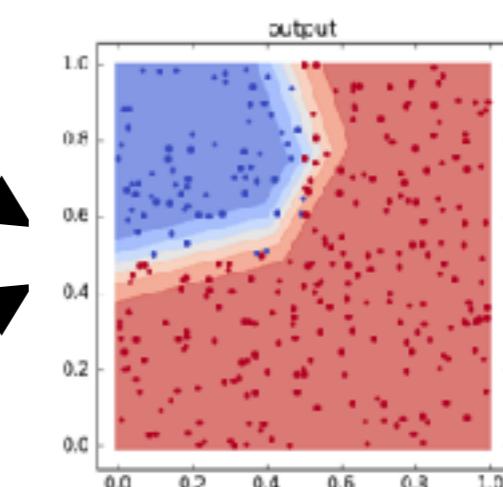
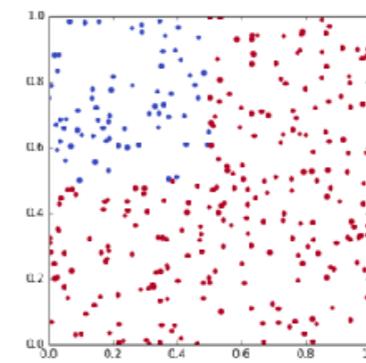
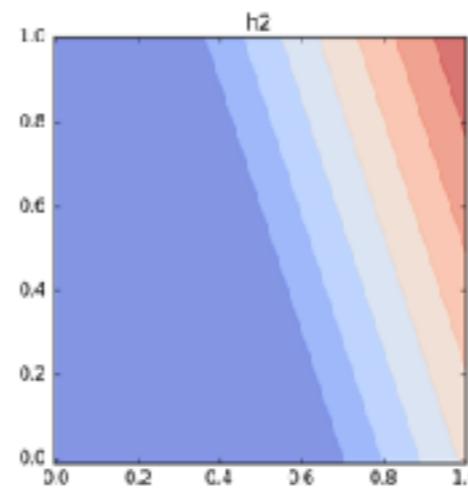
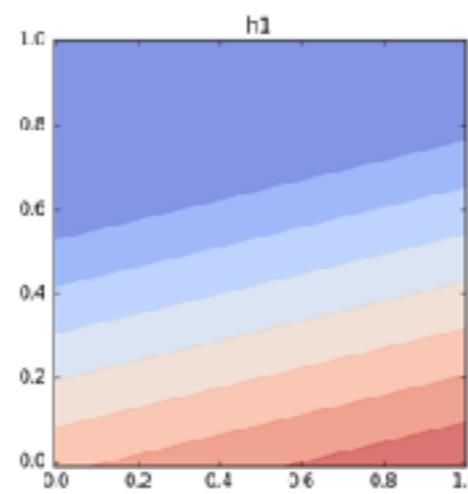
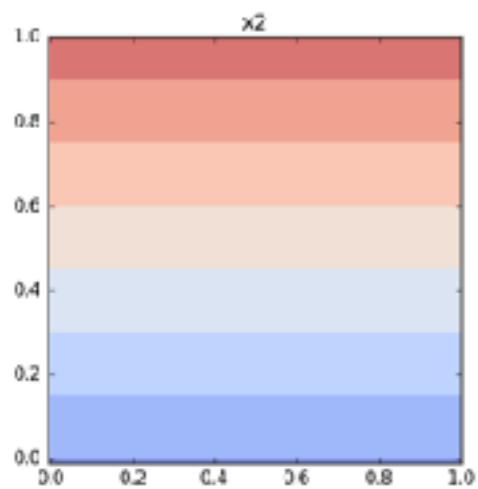
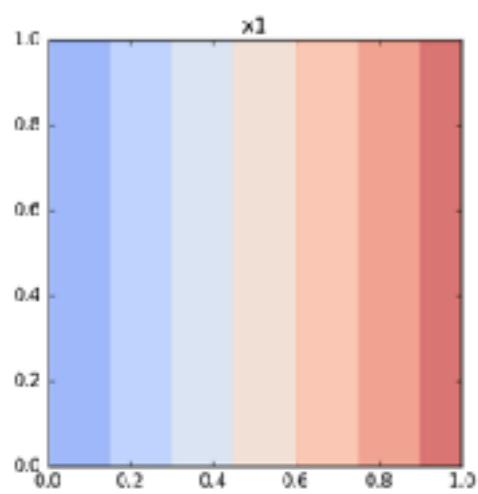
The Angle Data - ReLu



The Angle Data - ReLu

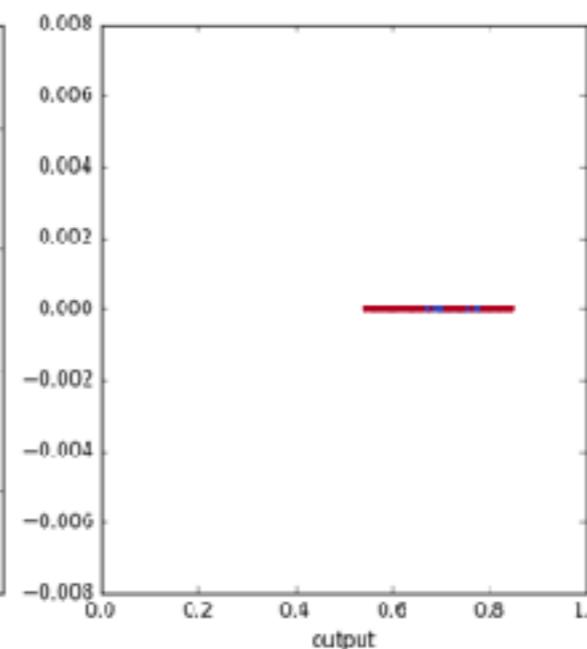
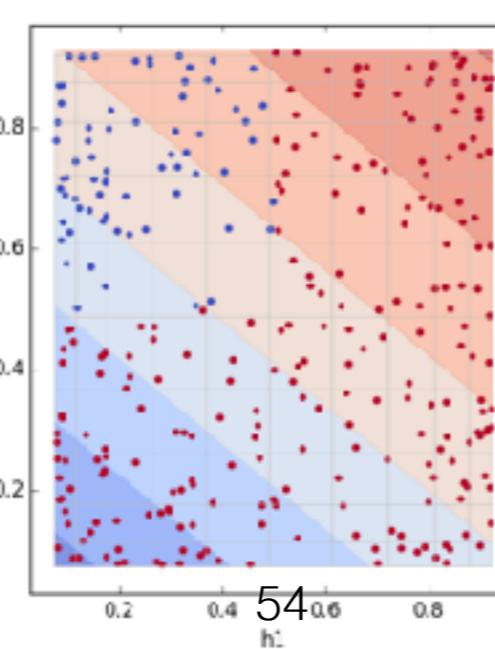
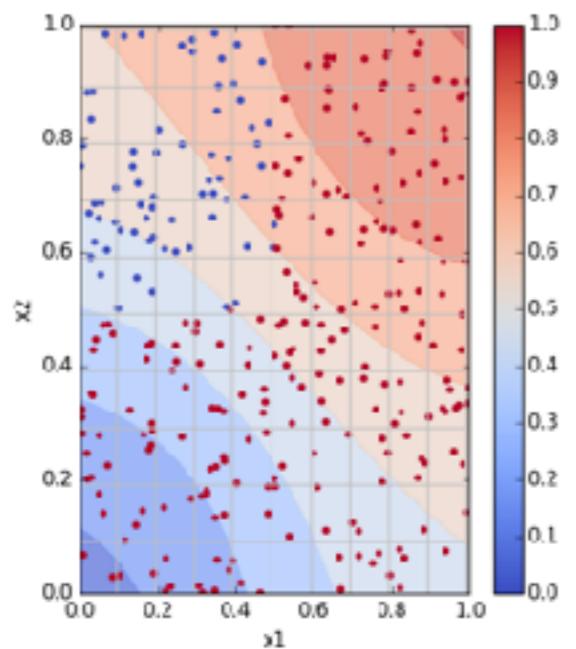
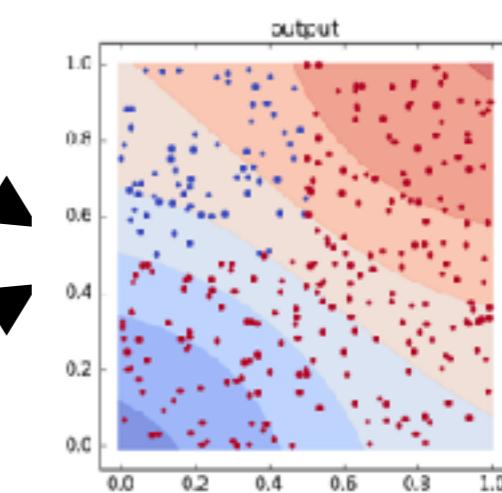
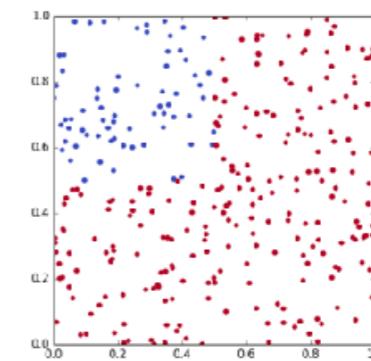
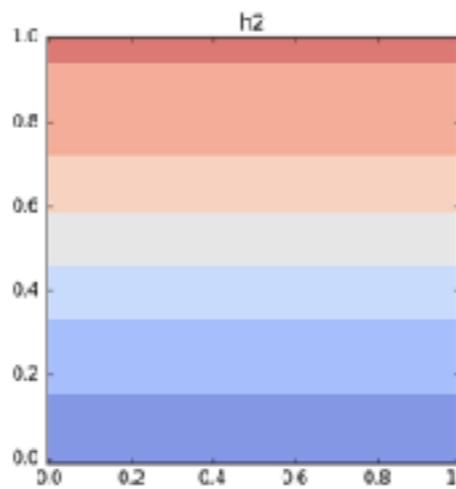
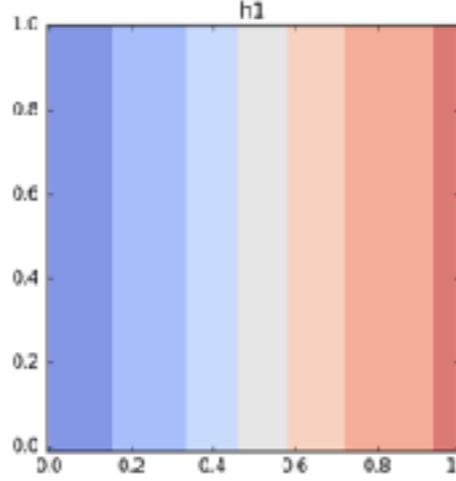
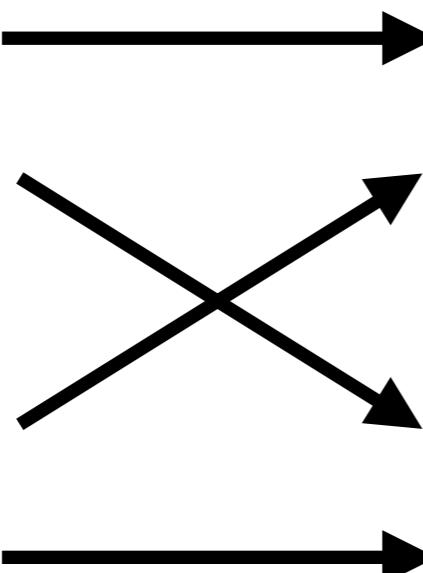
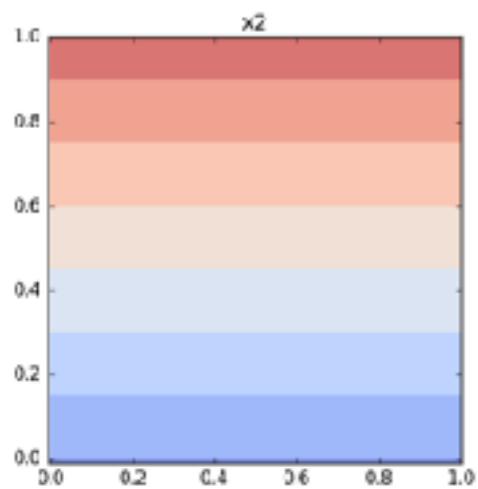
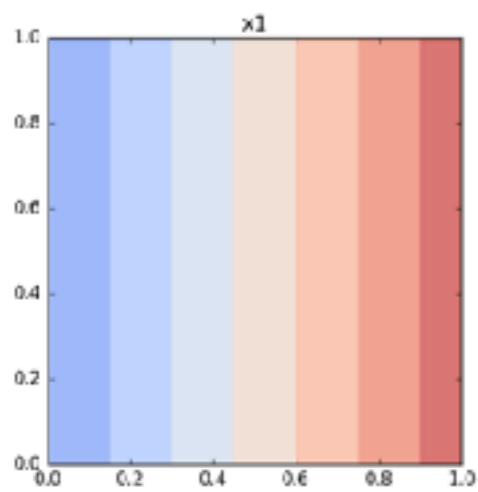


The Angle Data - ReLu

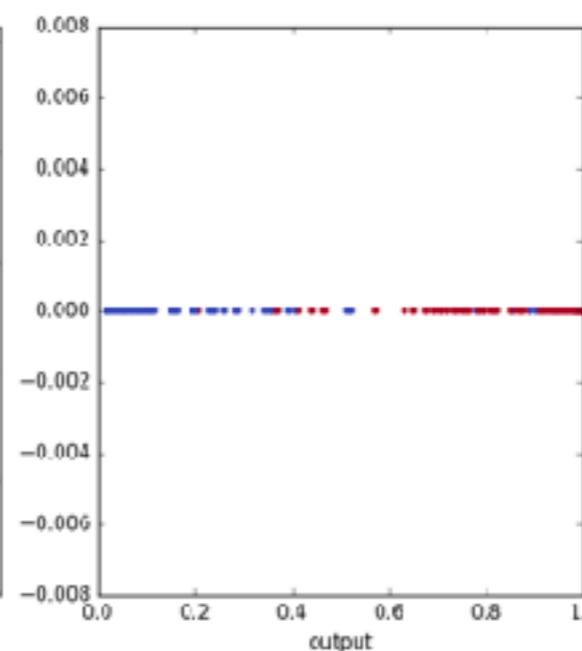
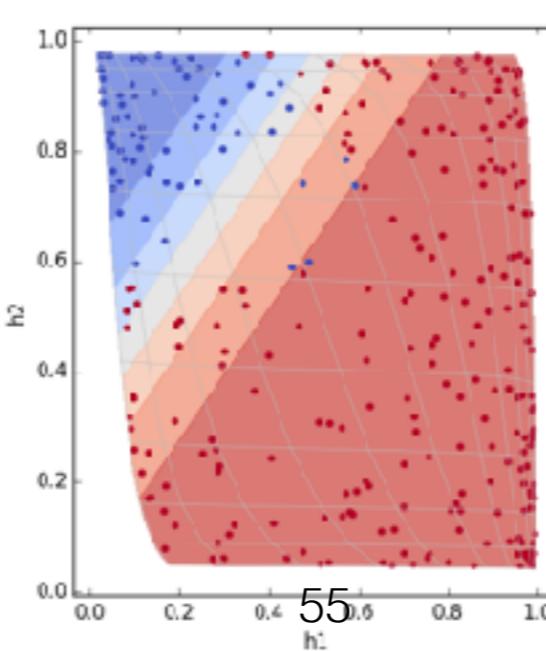
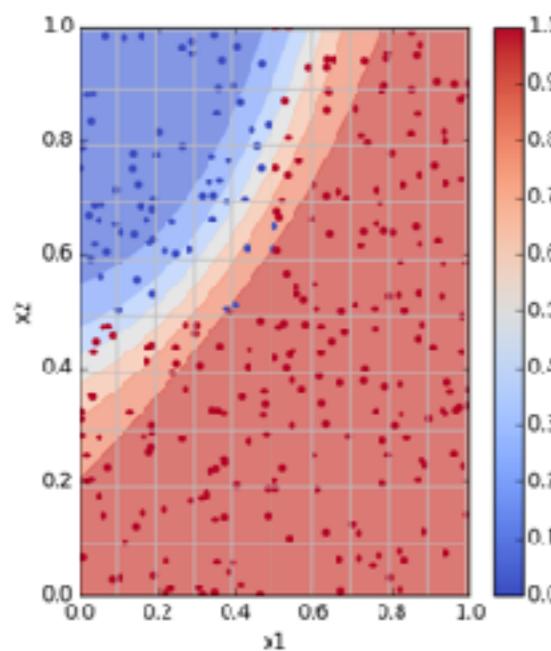
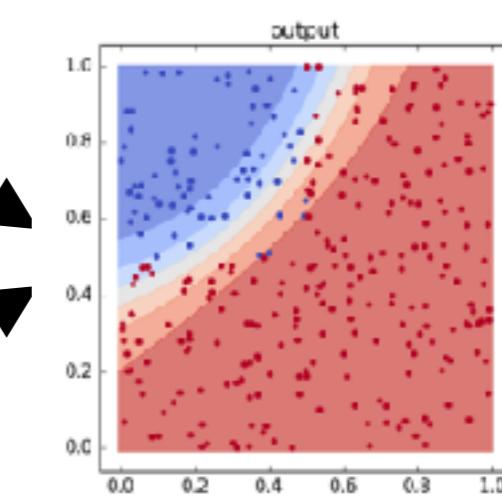
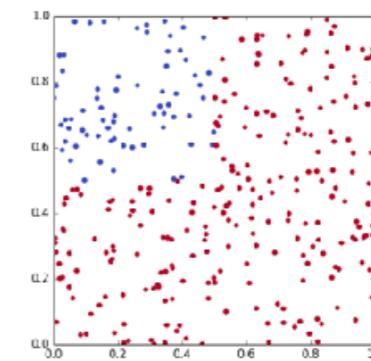
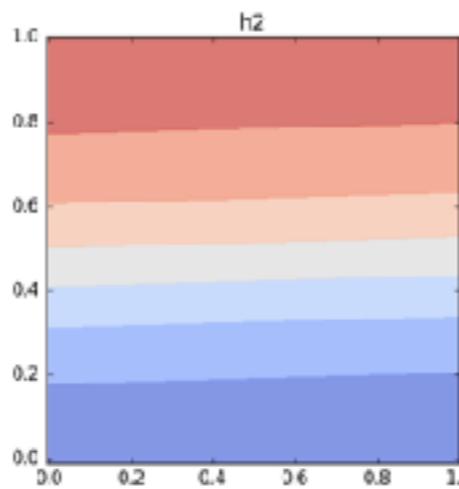
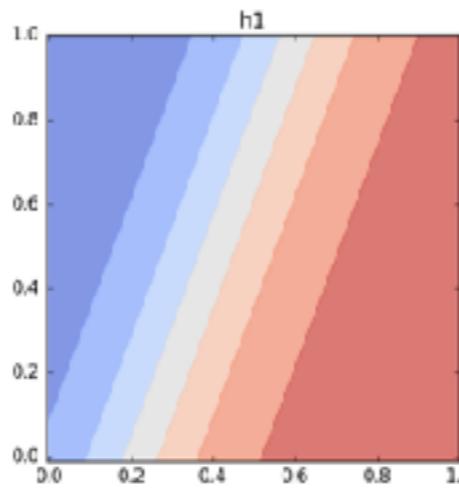
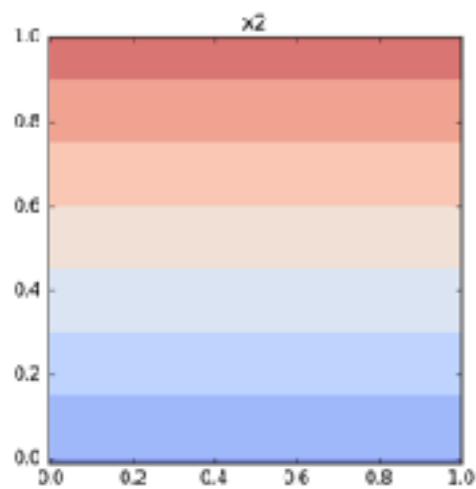
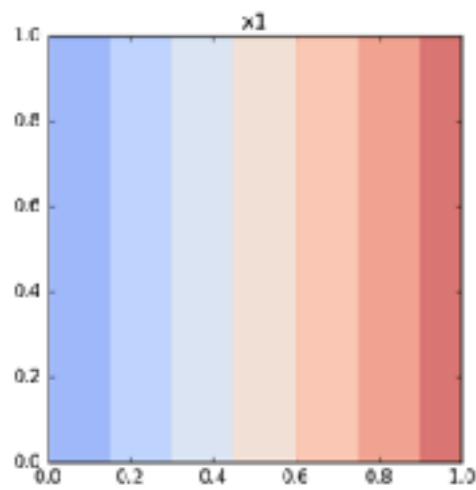


The Angle Data - Sigmoid

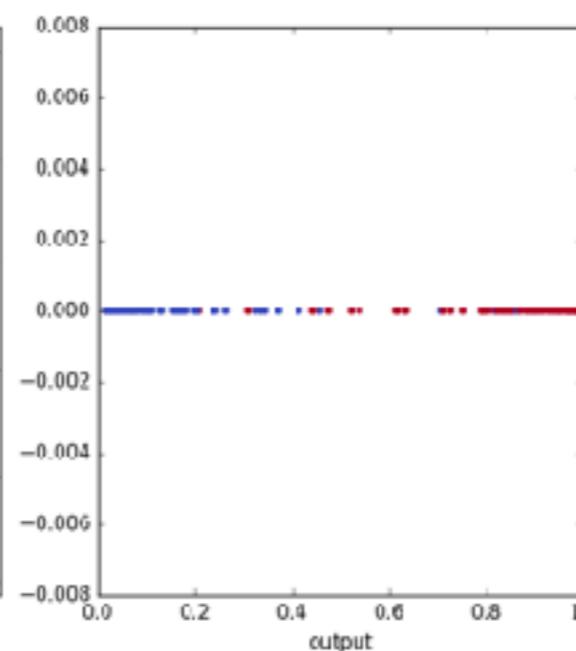
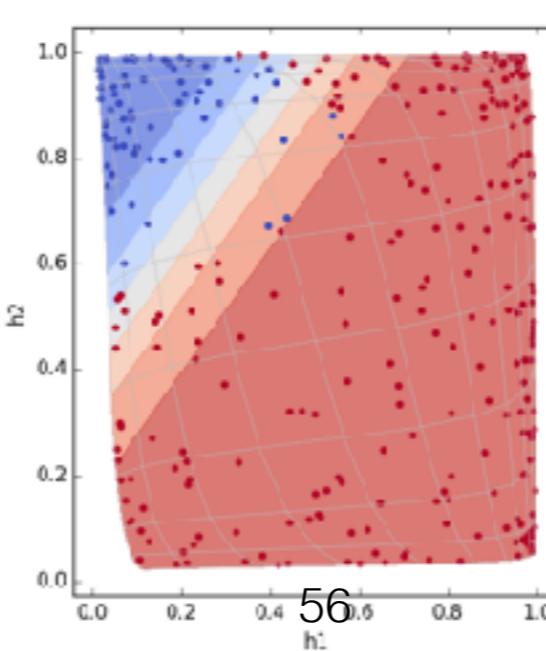
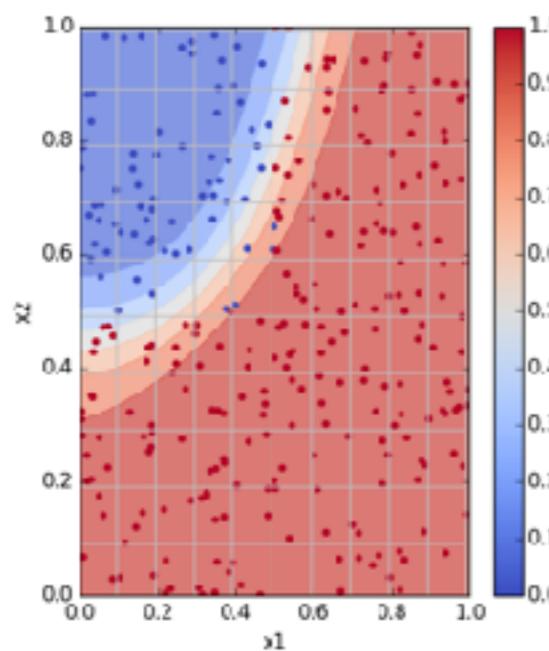
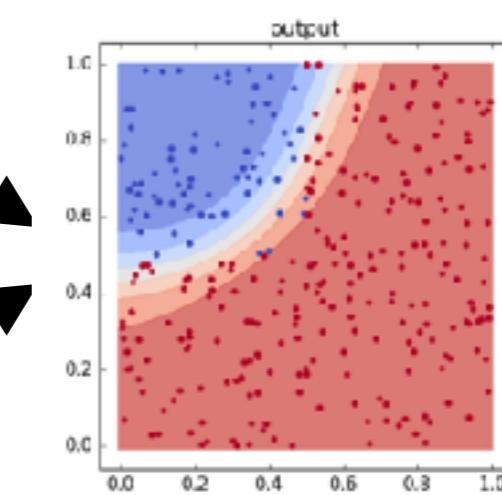
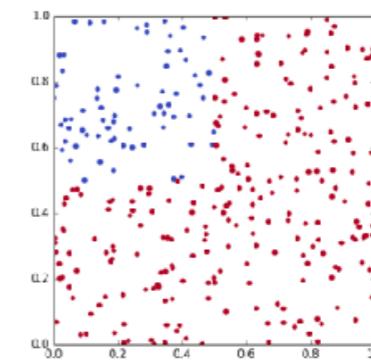
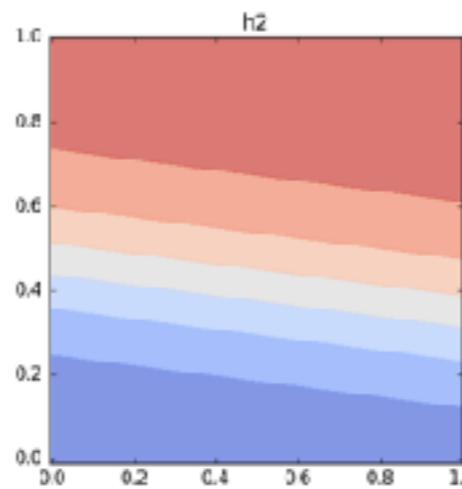
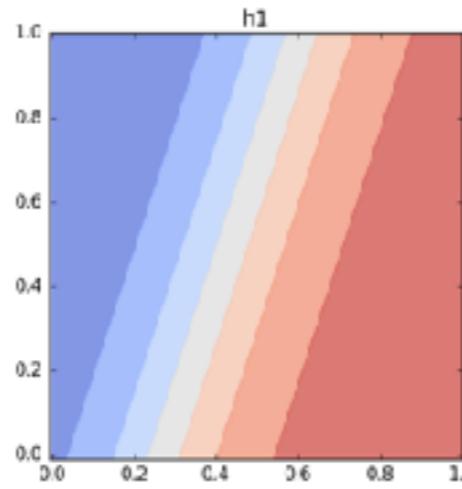
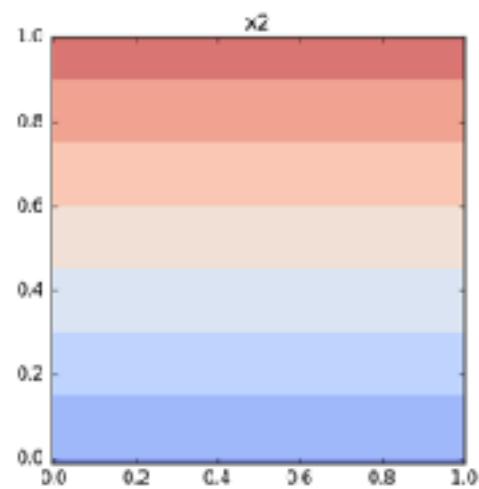
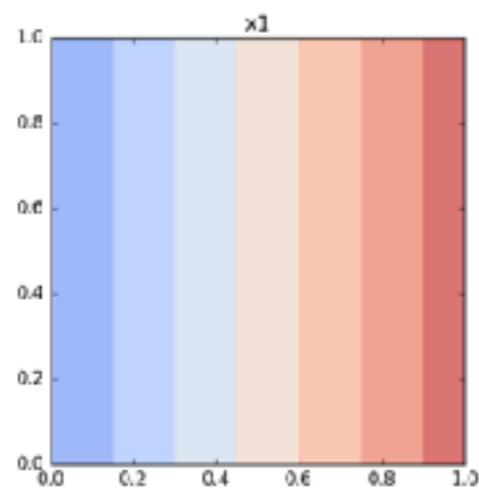
The Angle Data - Sigmoid



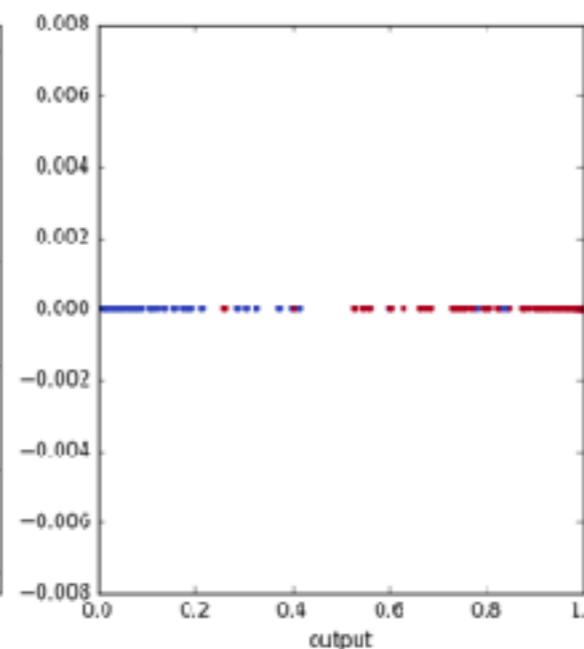
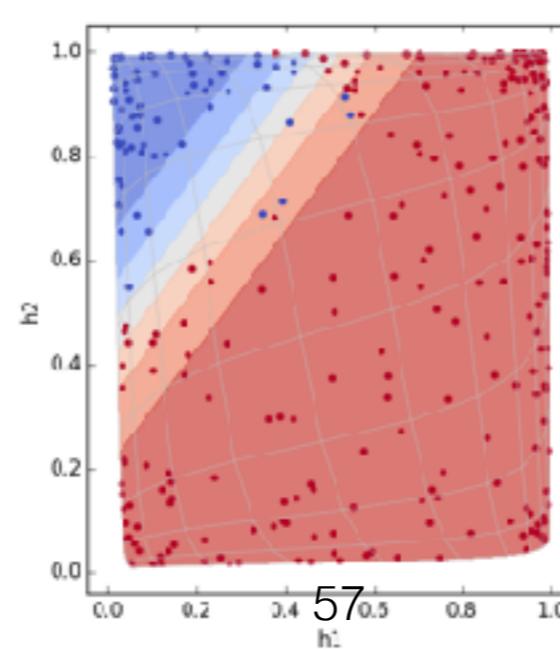
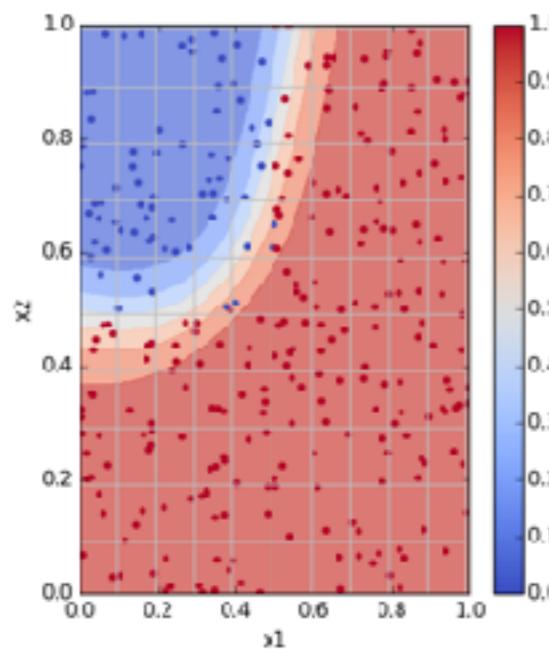
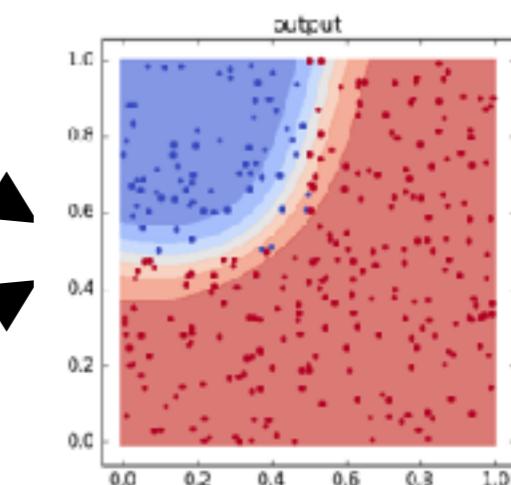
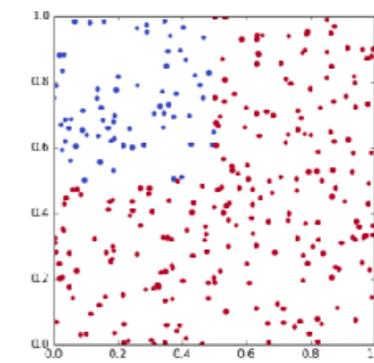
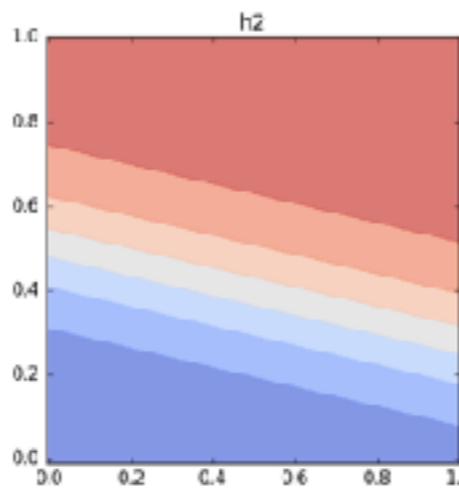
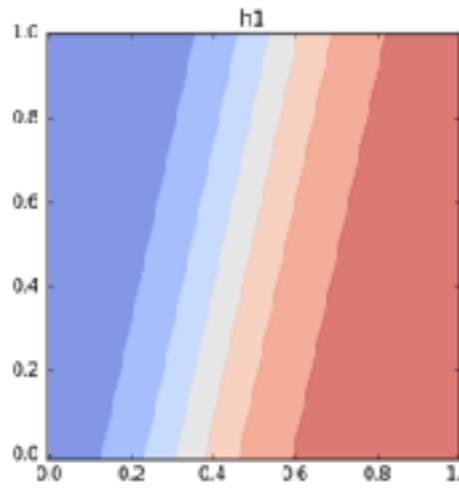
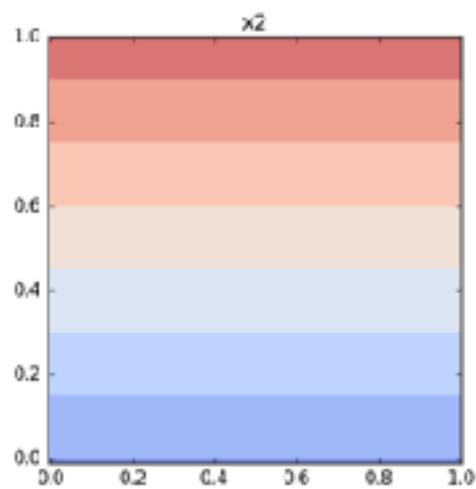
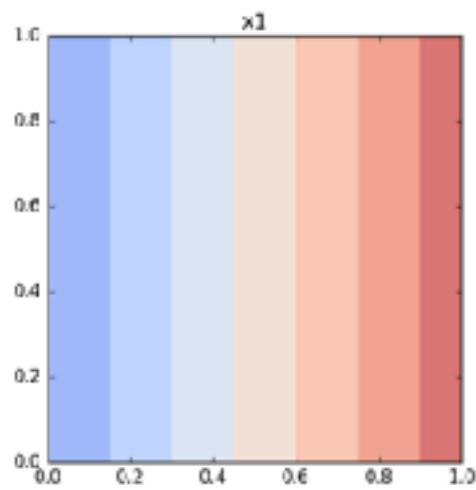
The Angle Data - Sigmoid



The Angle Data - Sigmoid

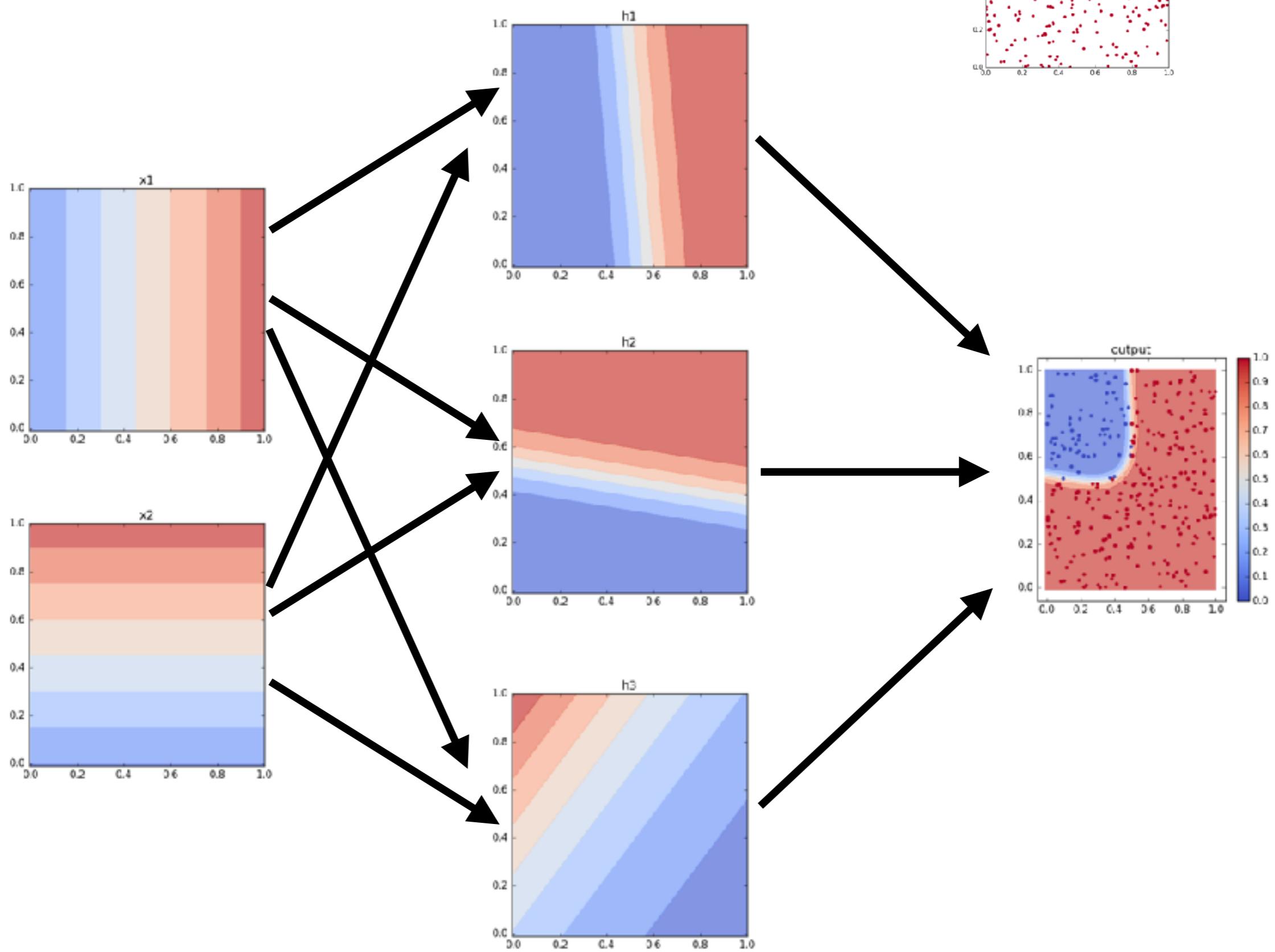


The Angle Data - Sigmoid

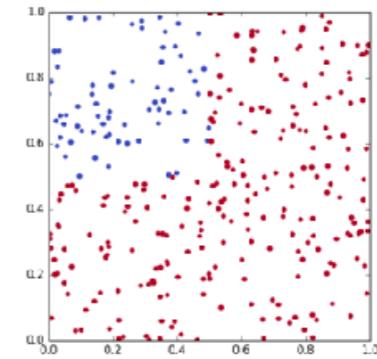
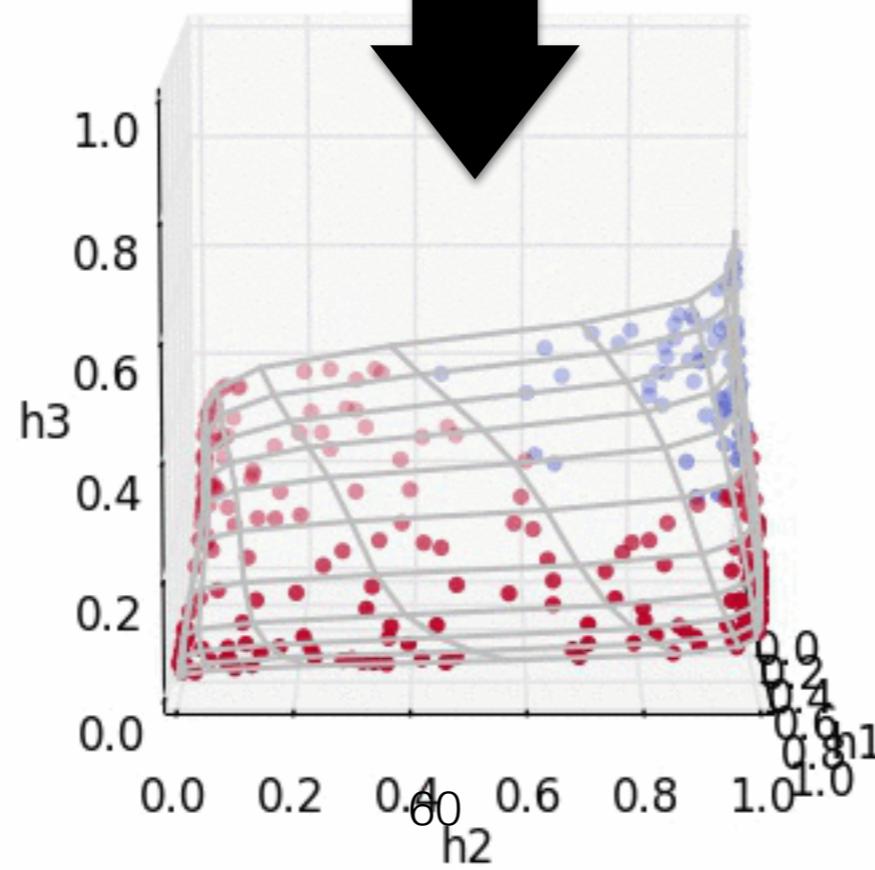
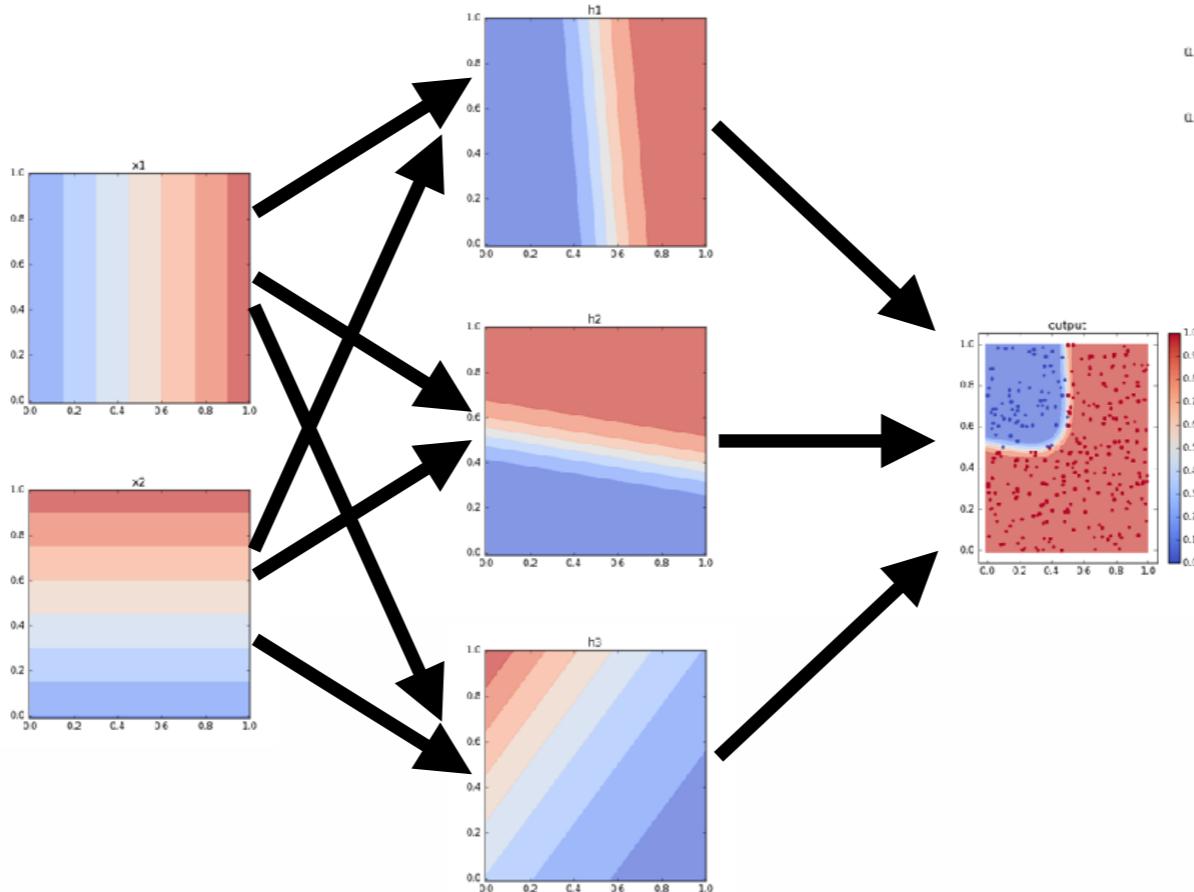


The Angle Data - Sigmoid
3 hidden nodes

The Angle Data - Sigmoid

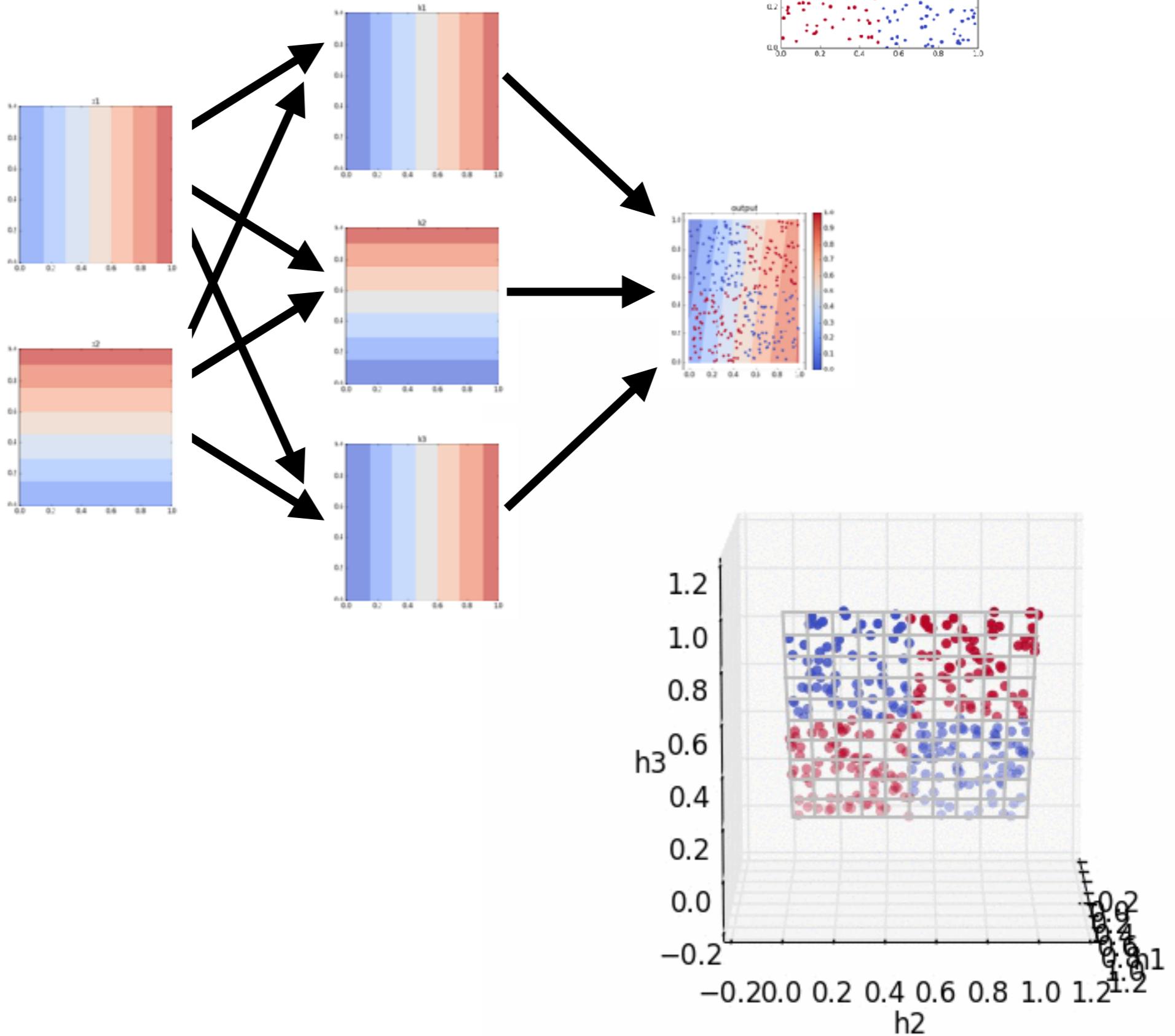


The Angle Data - Sigmoid

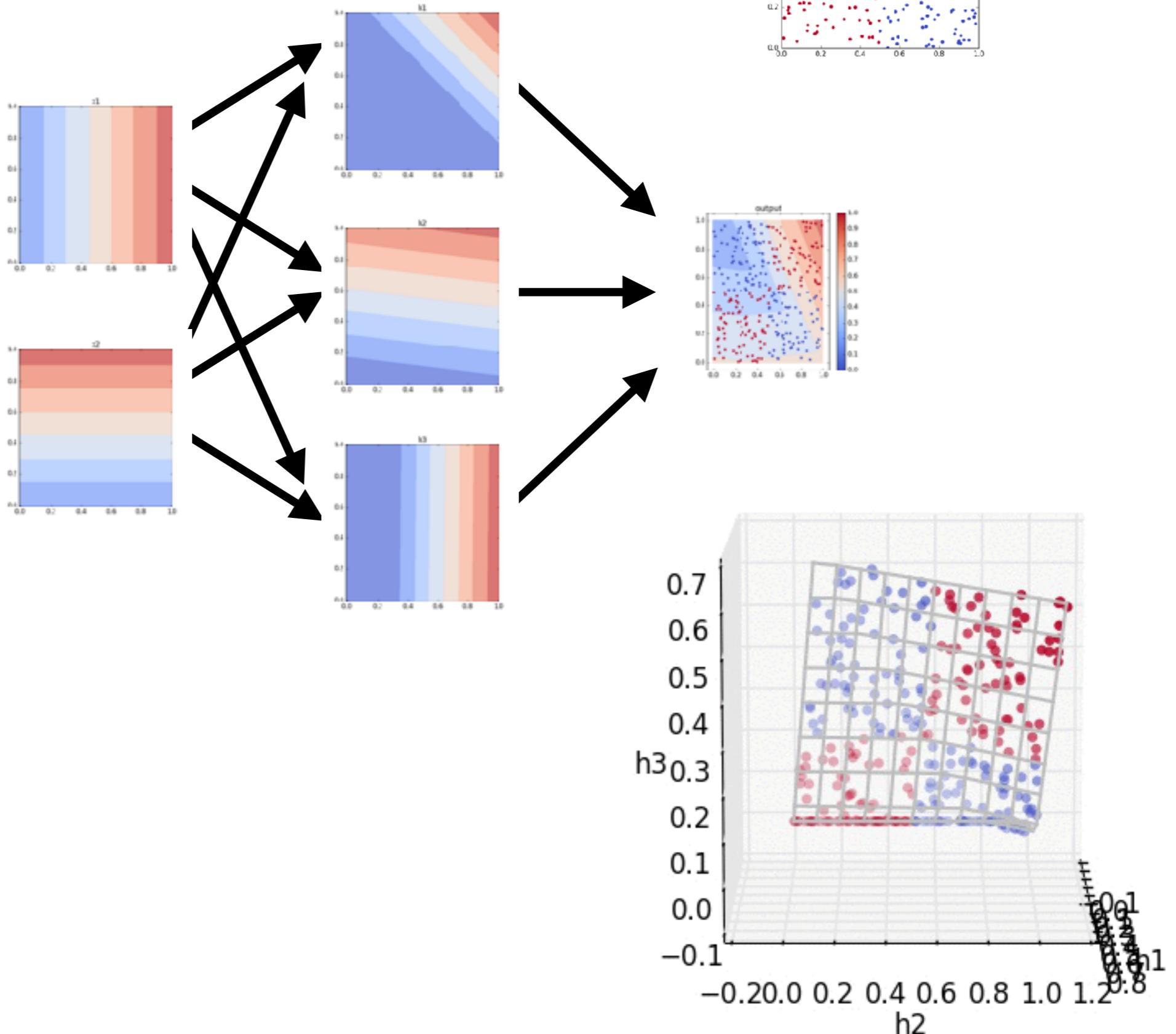


The XOR Data - ReLU

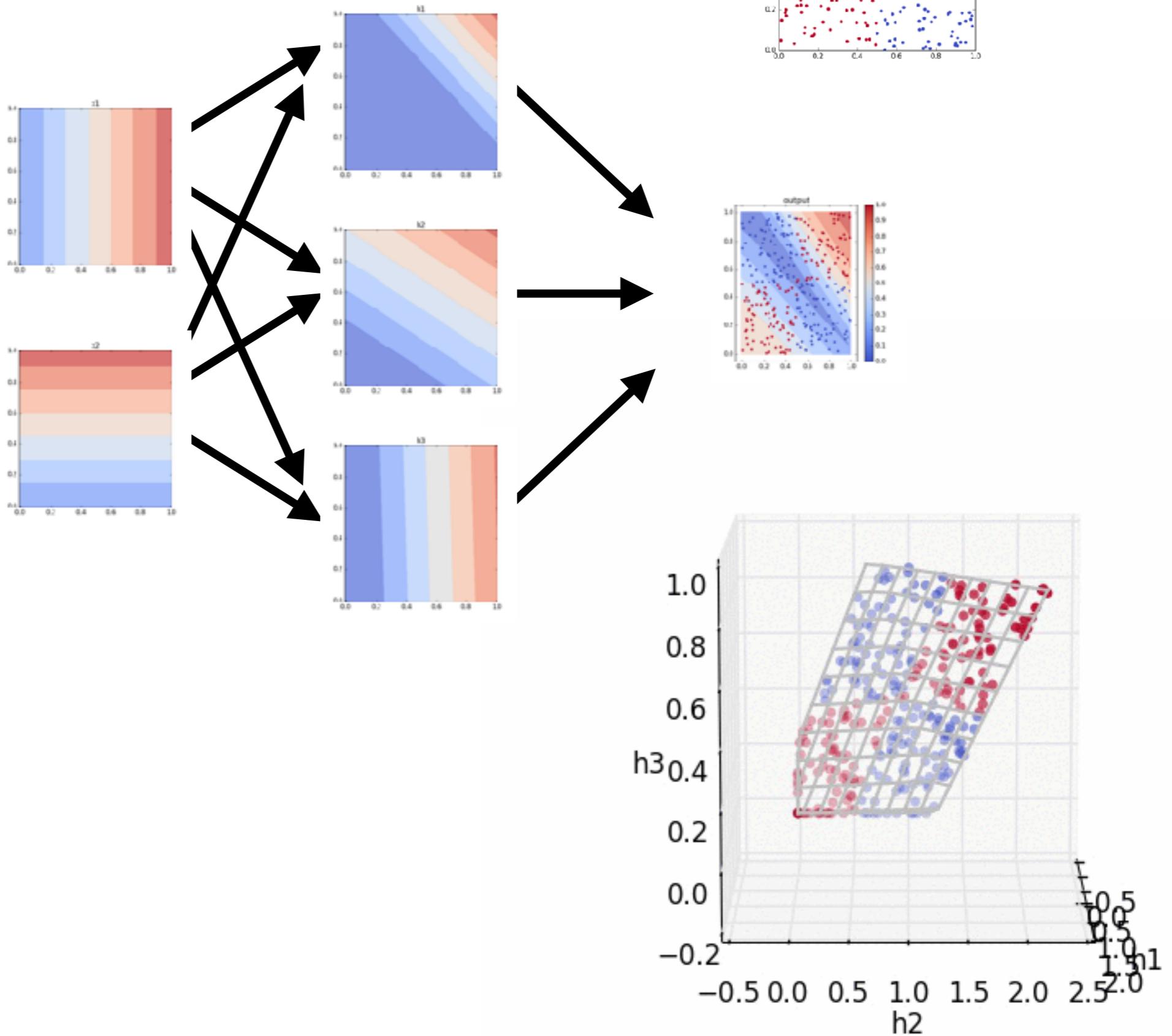
The XOR Data - ReLU



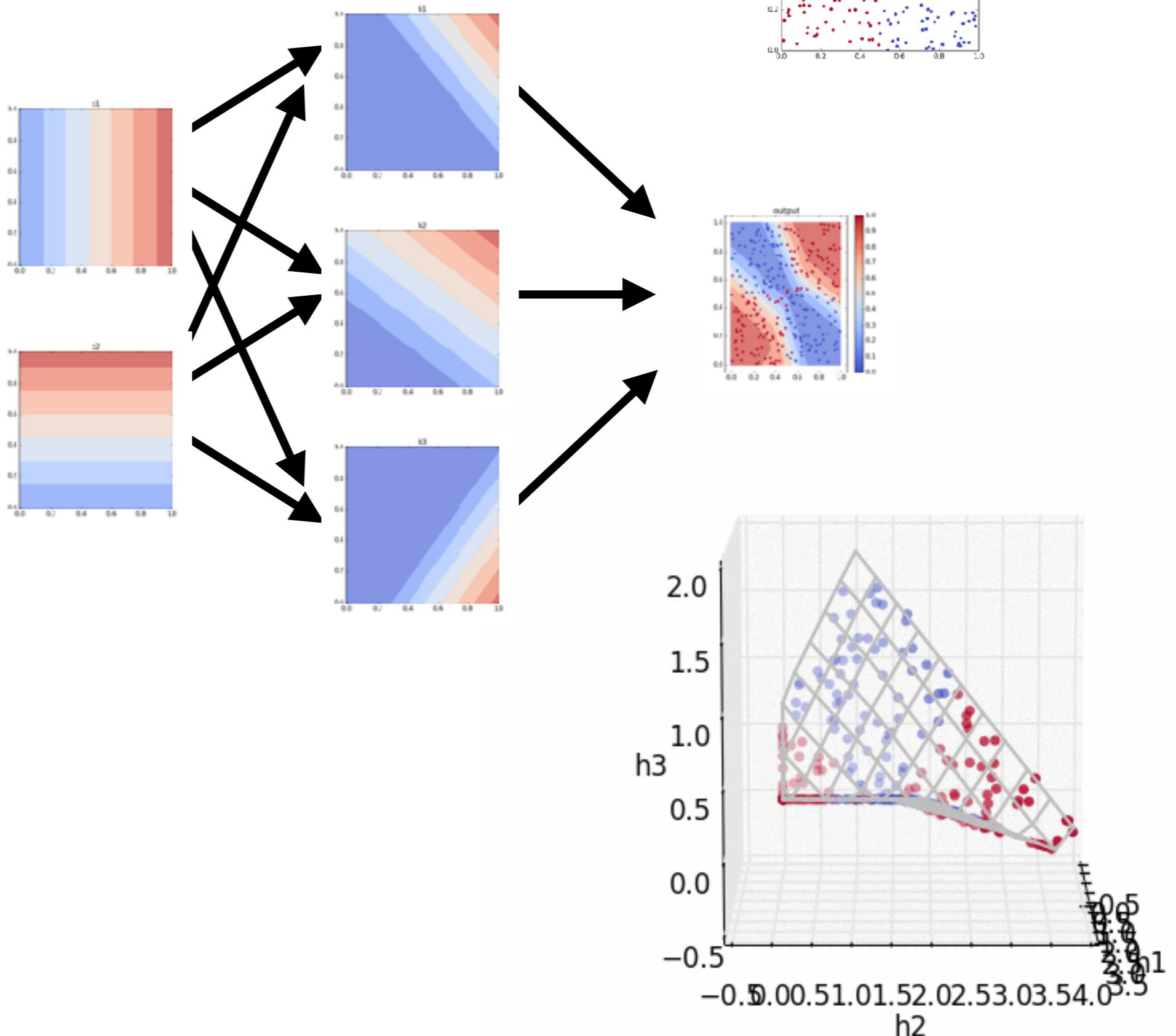
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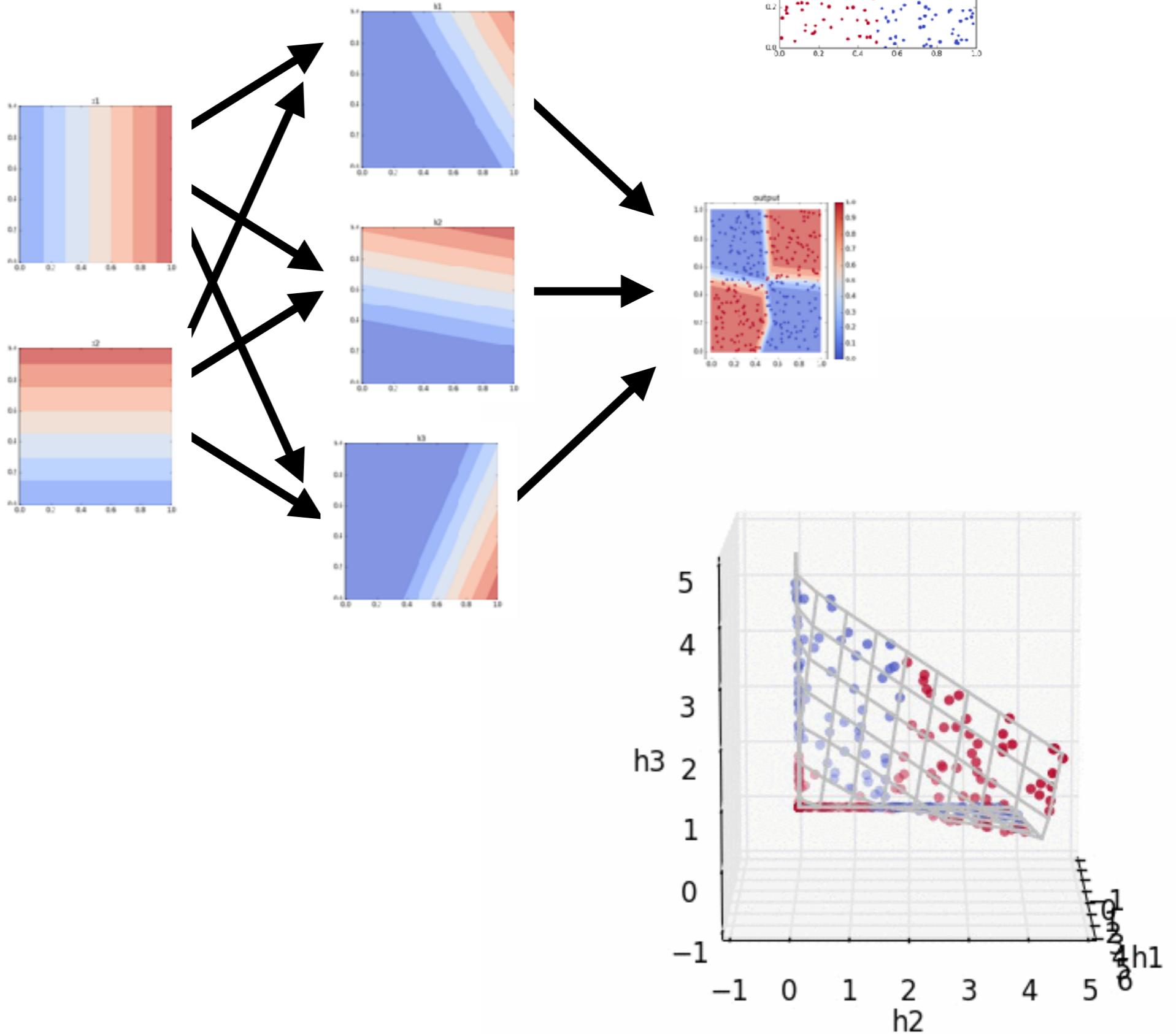
The XOR Data - ReLU



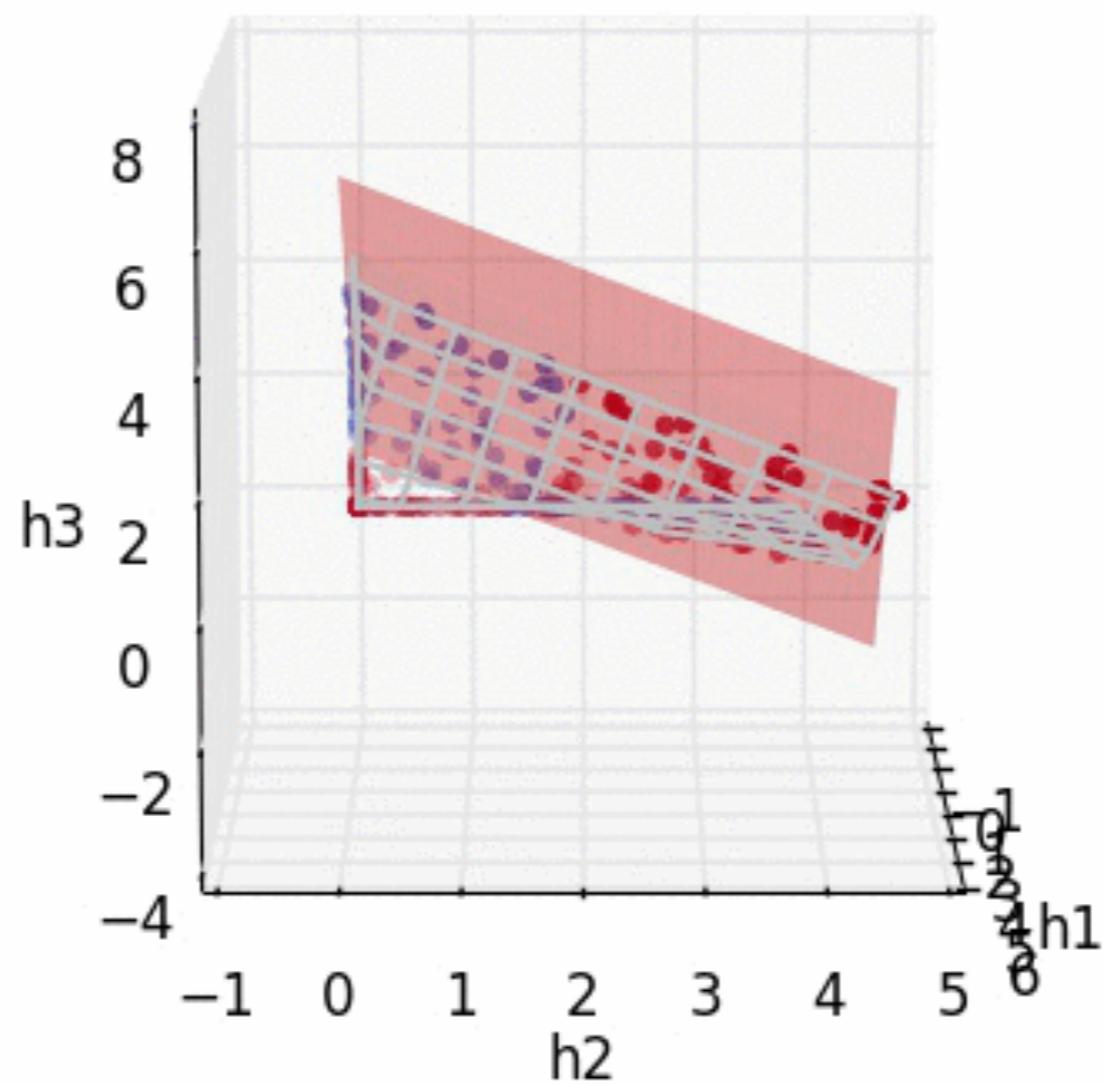
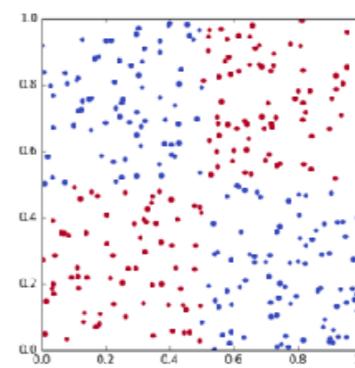
The XOR Data - ReLU



The XOR Data - ReLU

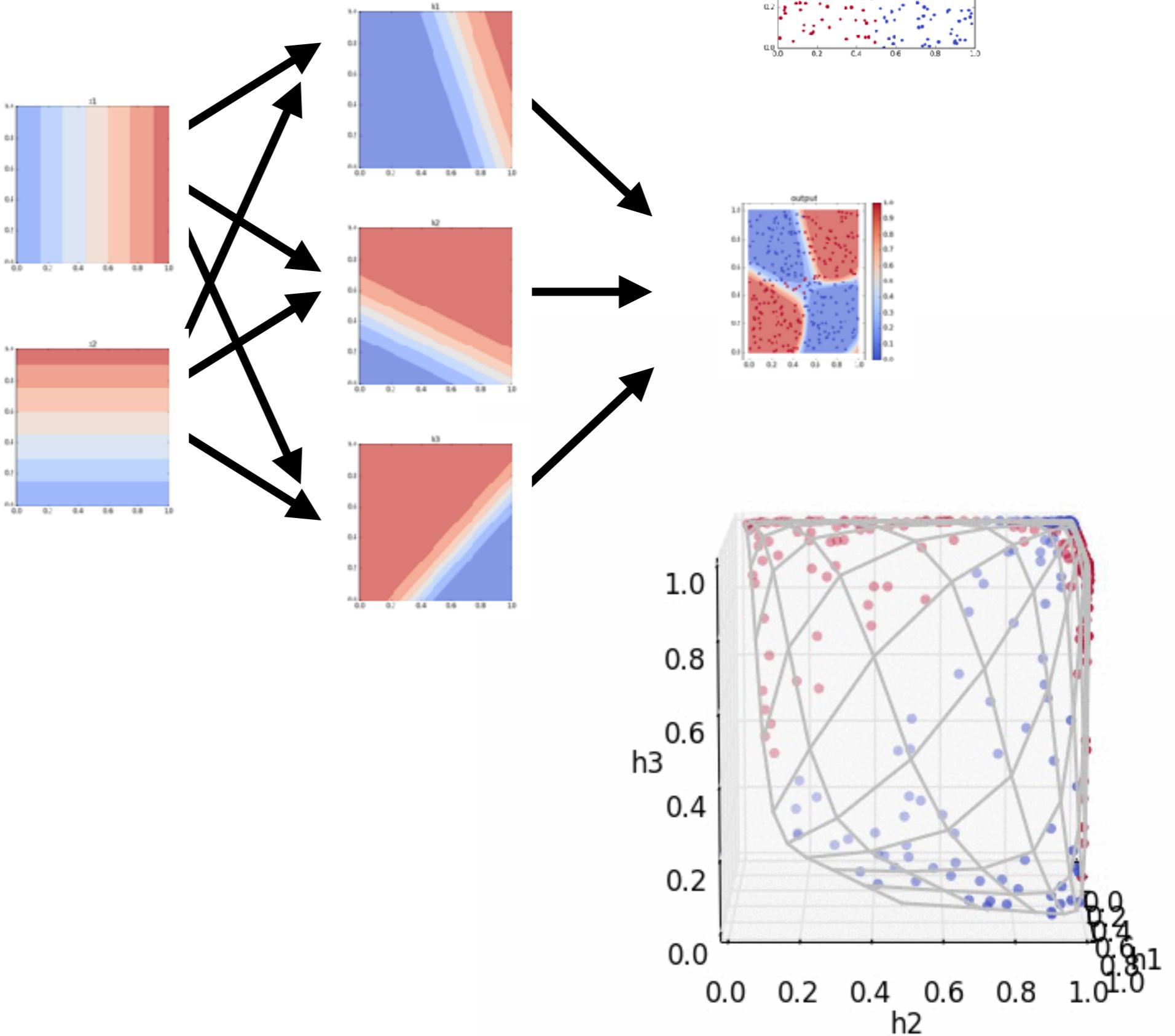


The XOR Data - ReLU

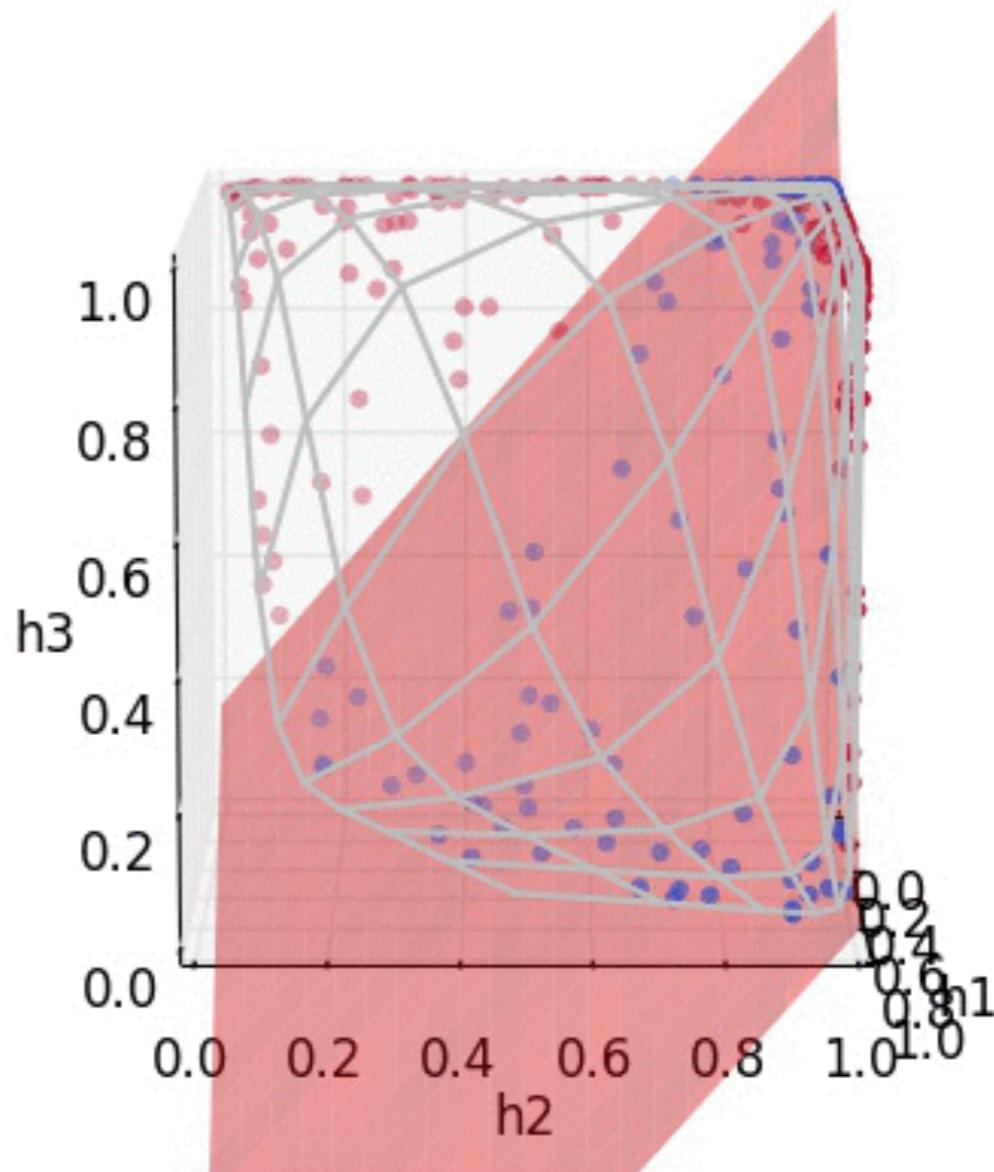
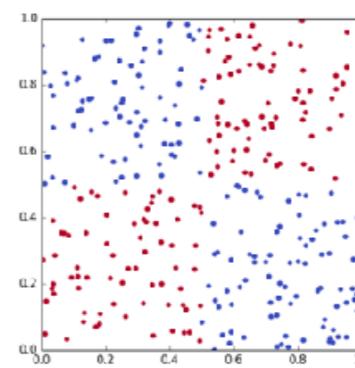
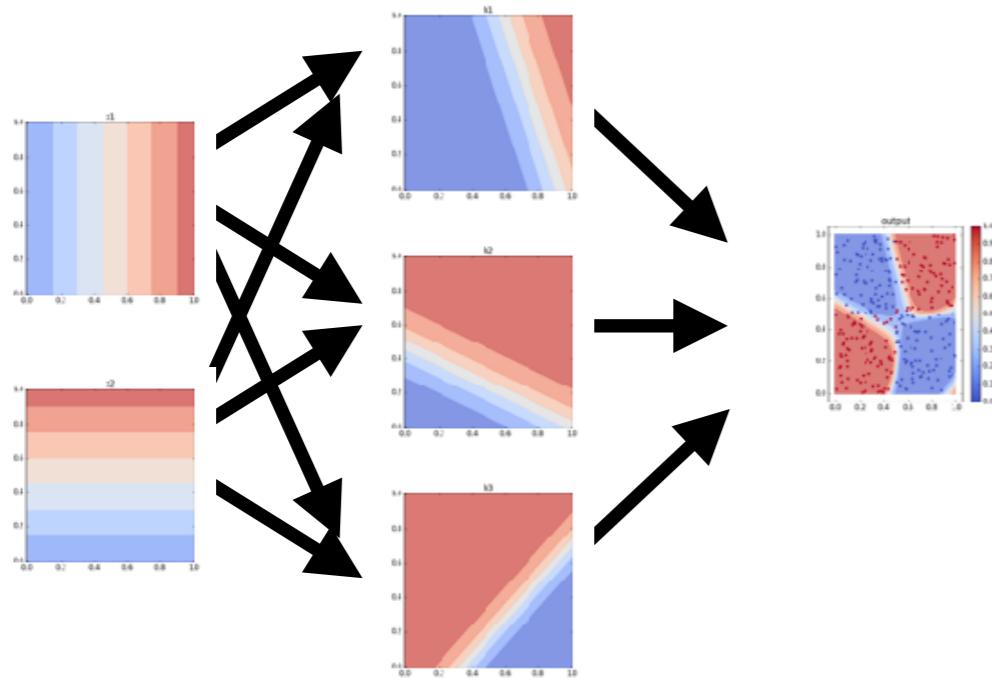


The XOR Data - Sigmoid

The XOR Data - Sigmoid



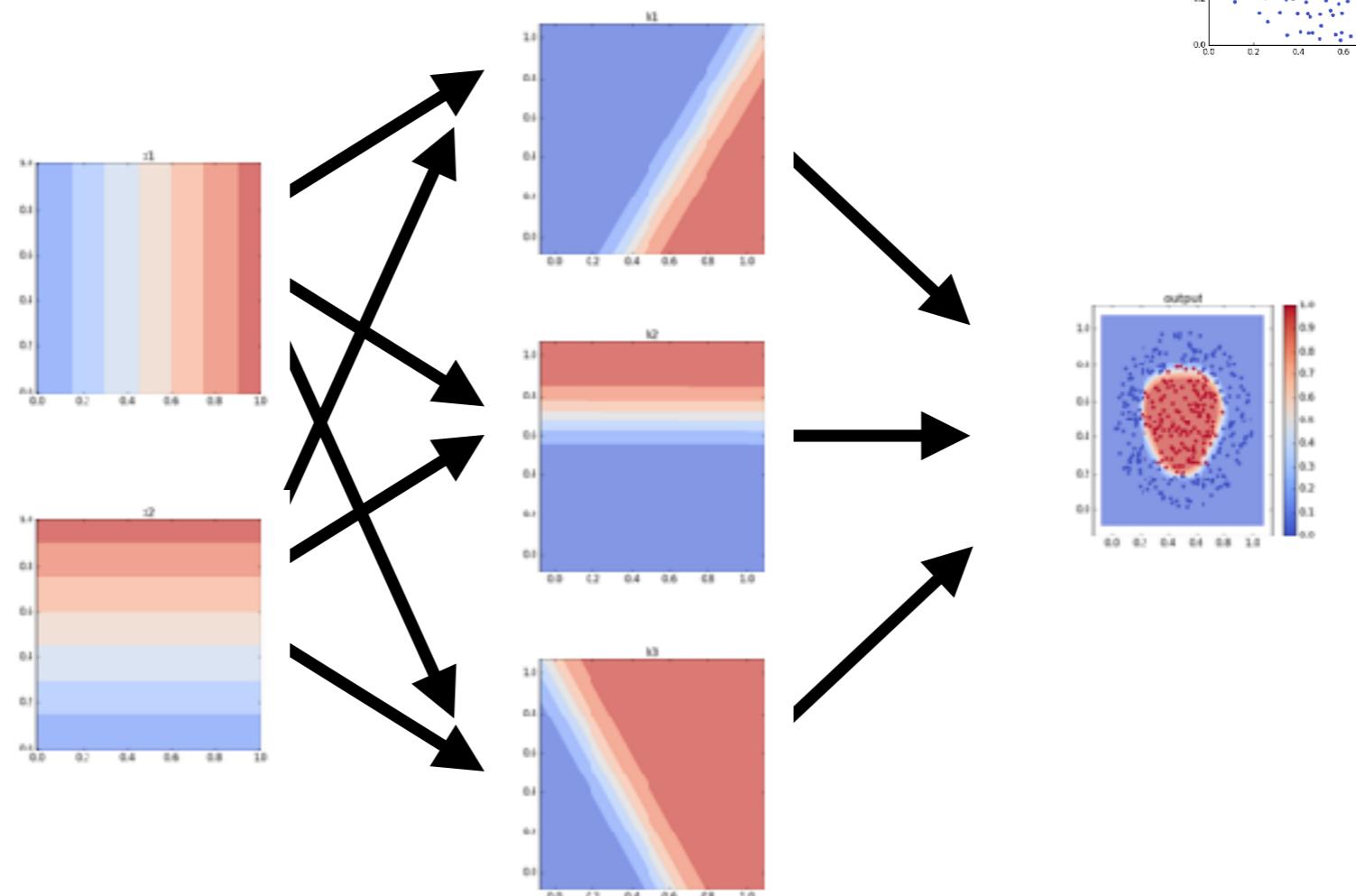
The XOR Data - Sigmoid

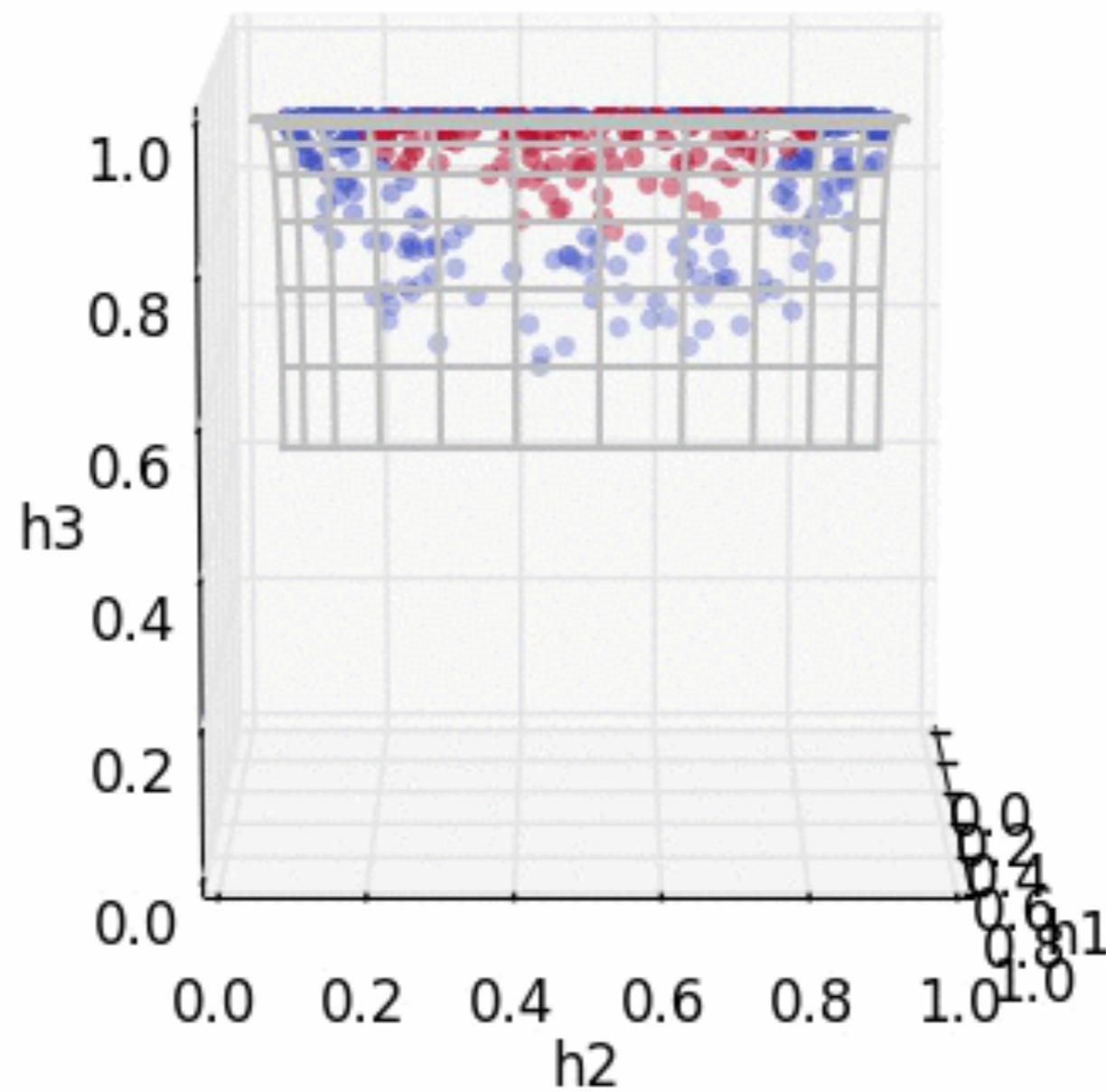
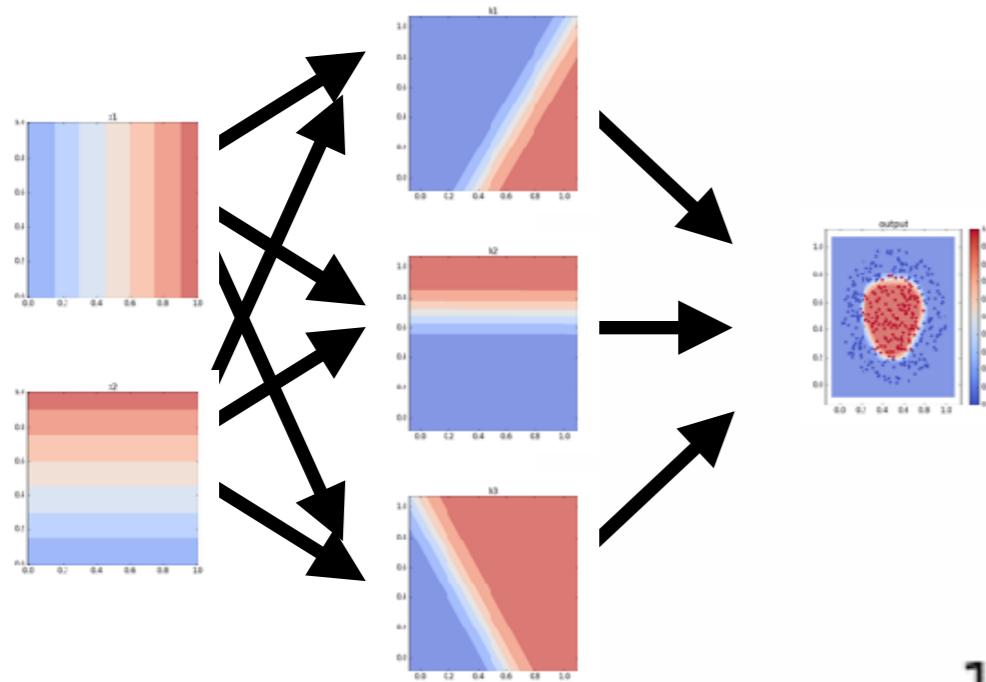


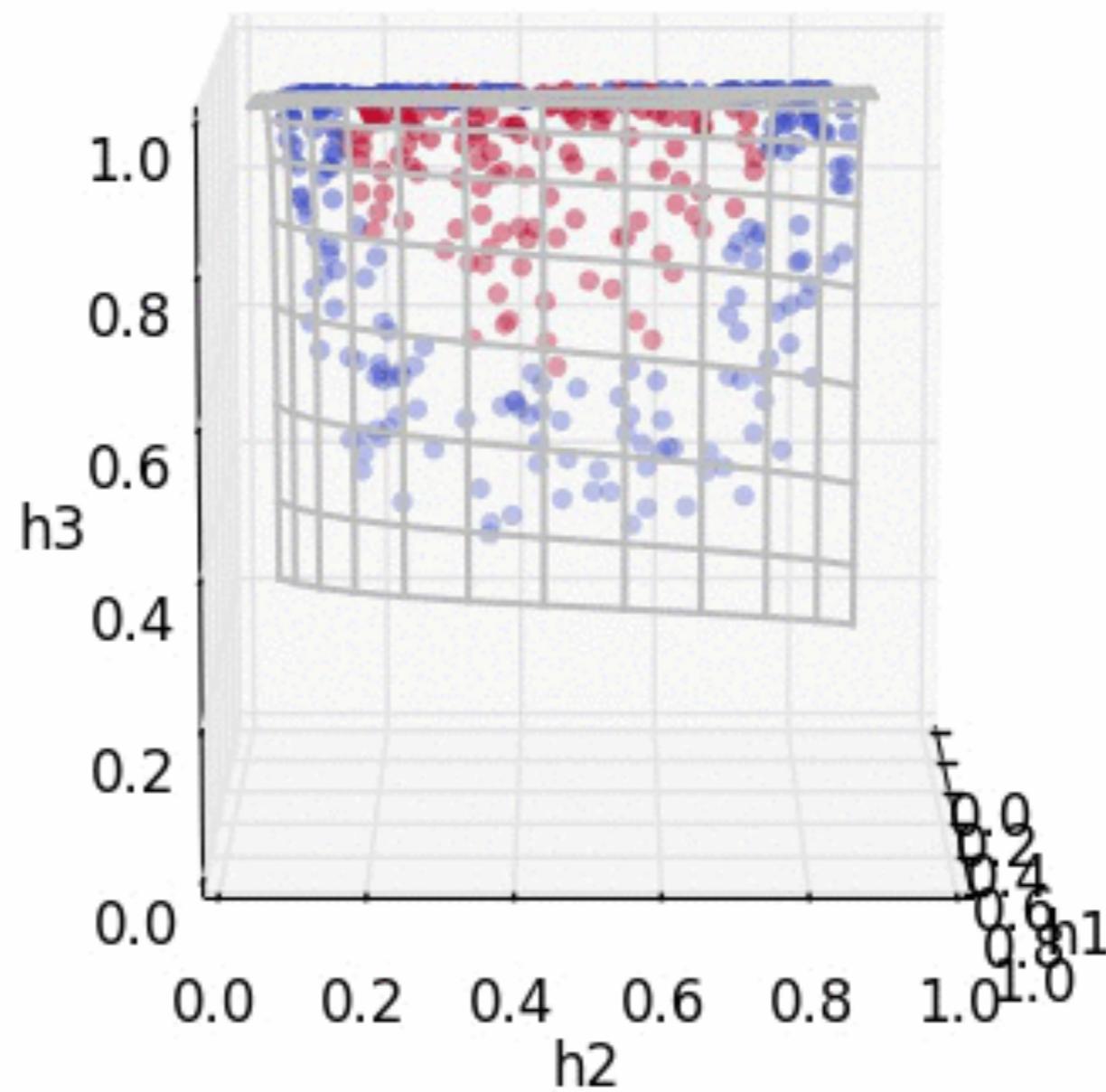
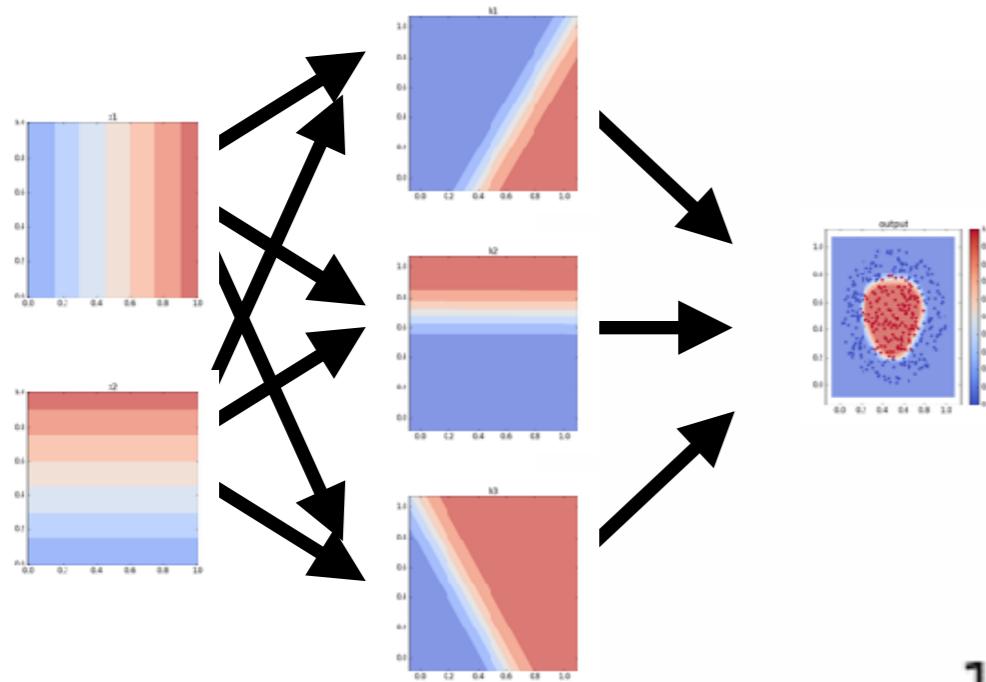
The Ring Data - Sigmoid

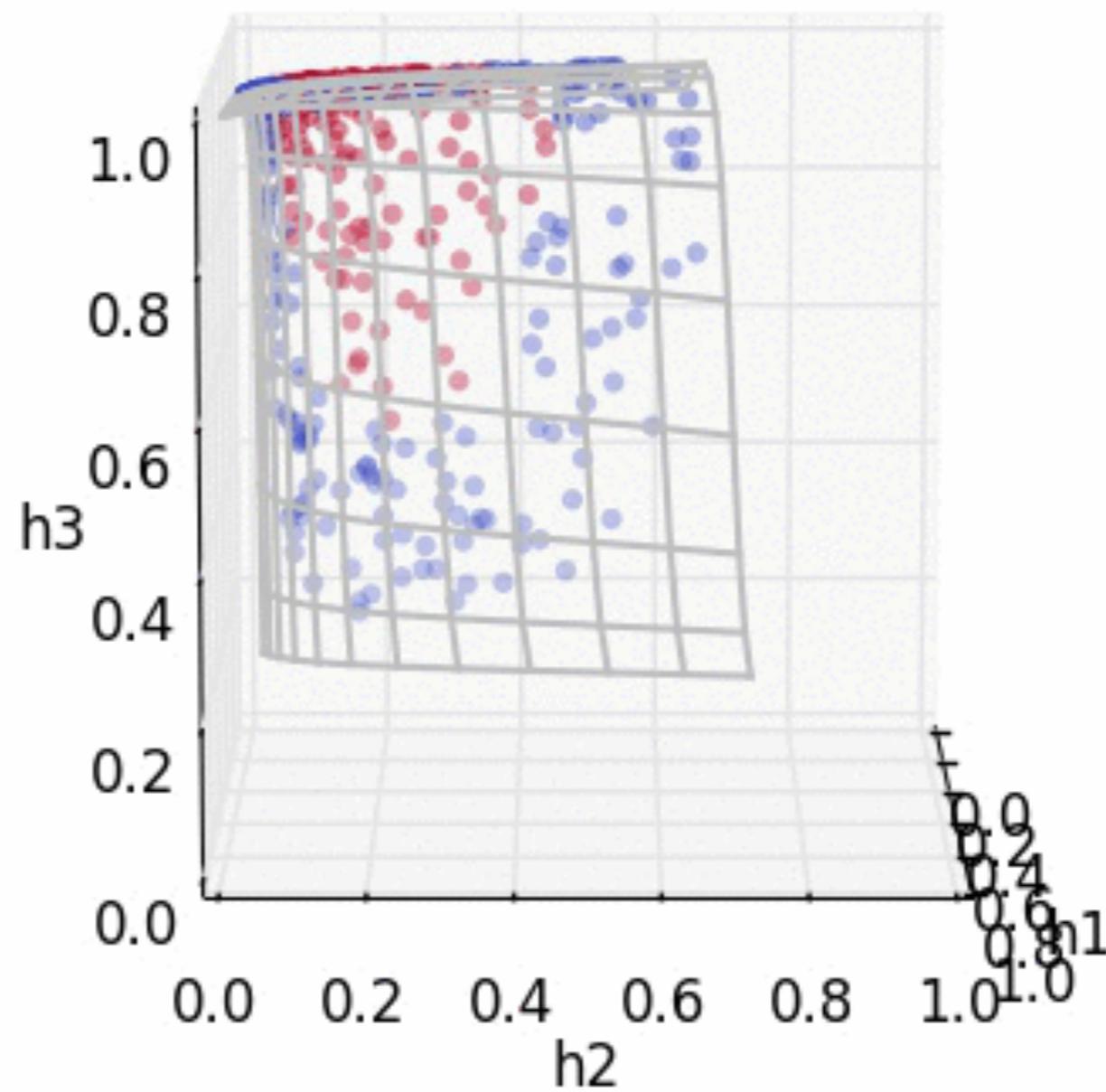
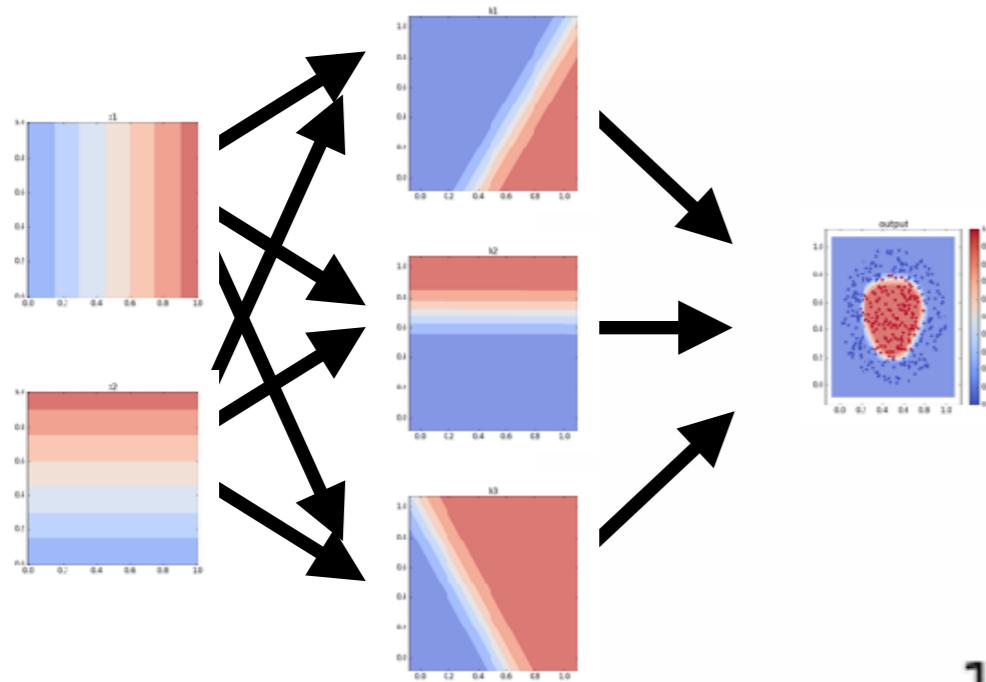
how the manifold is being fold?

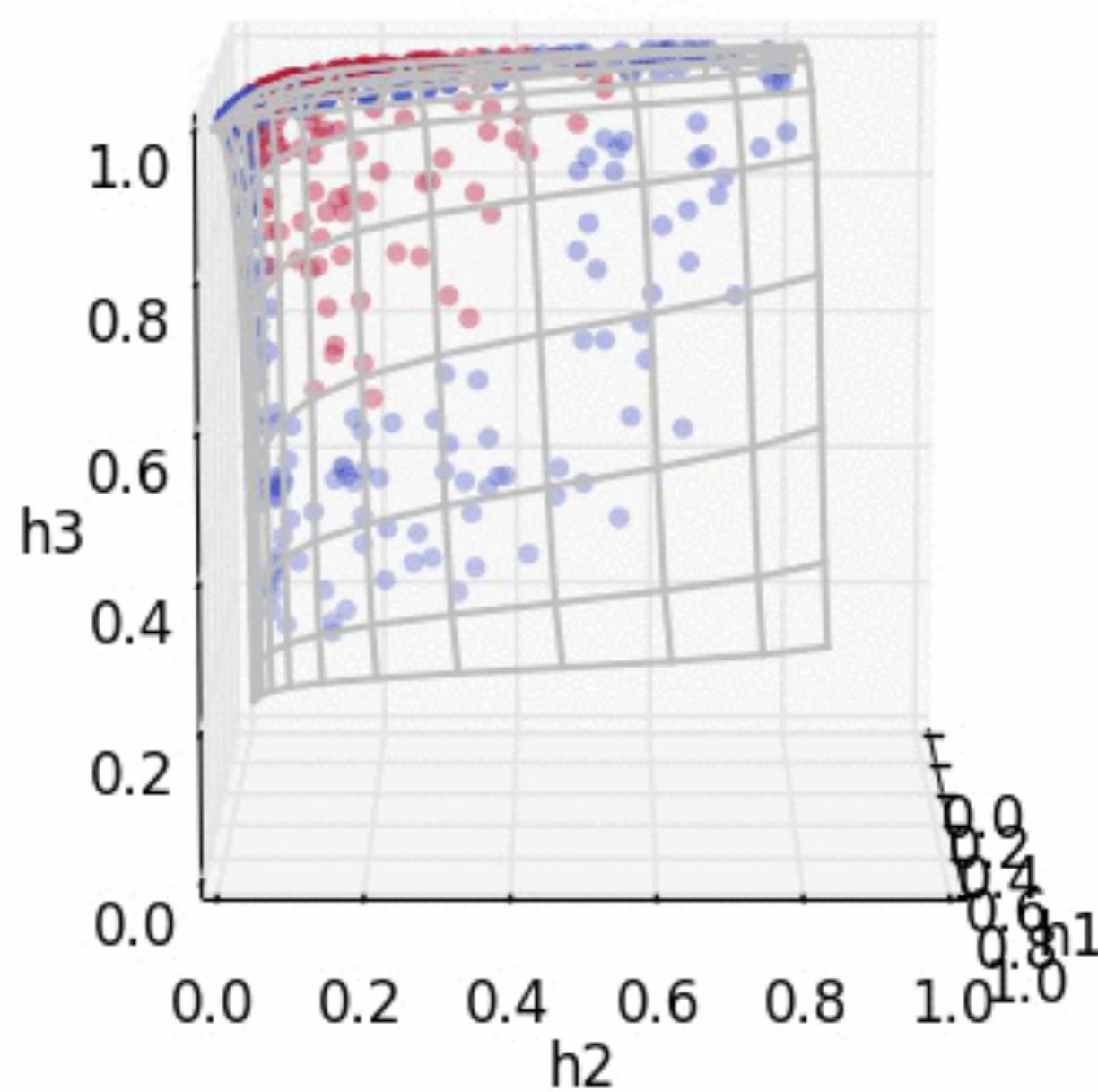
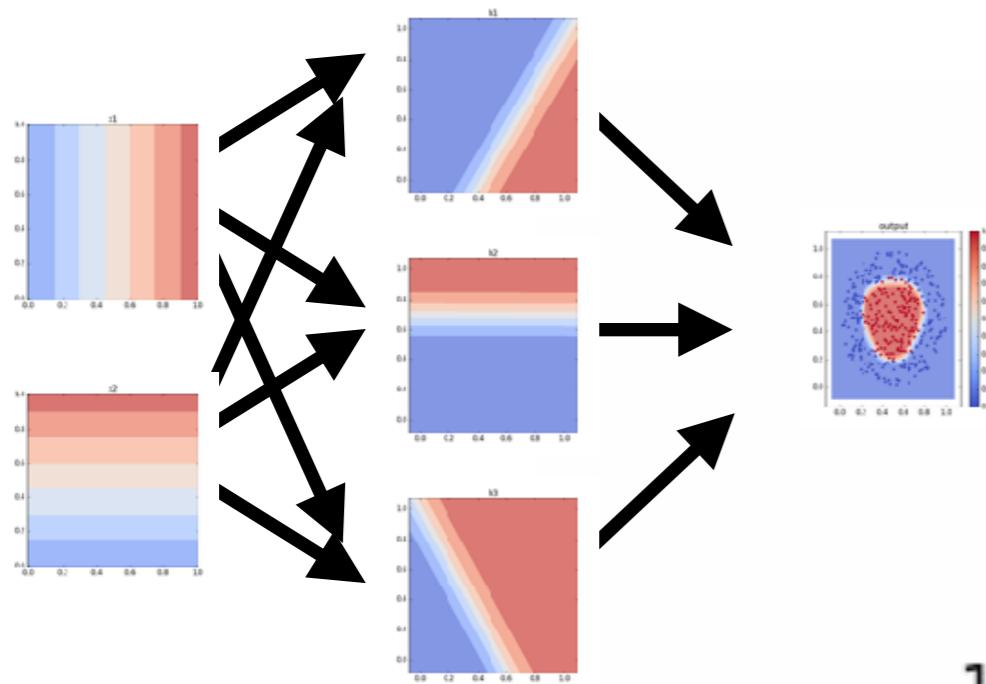
The Ring Data - Sigmoid

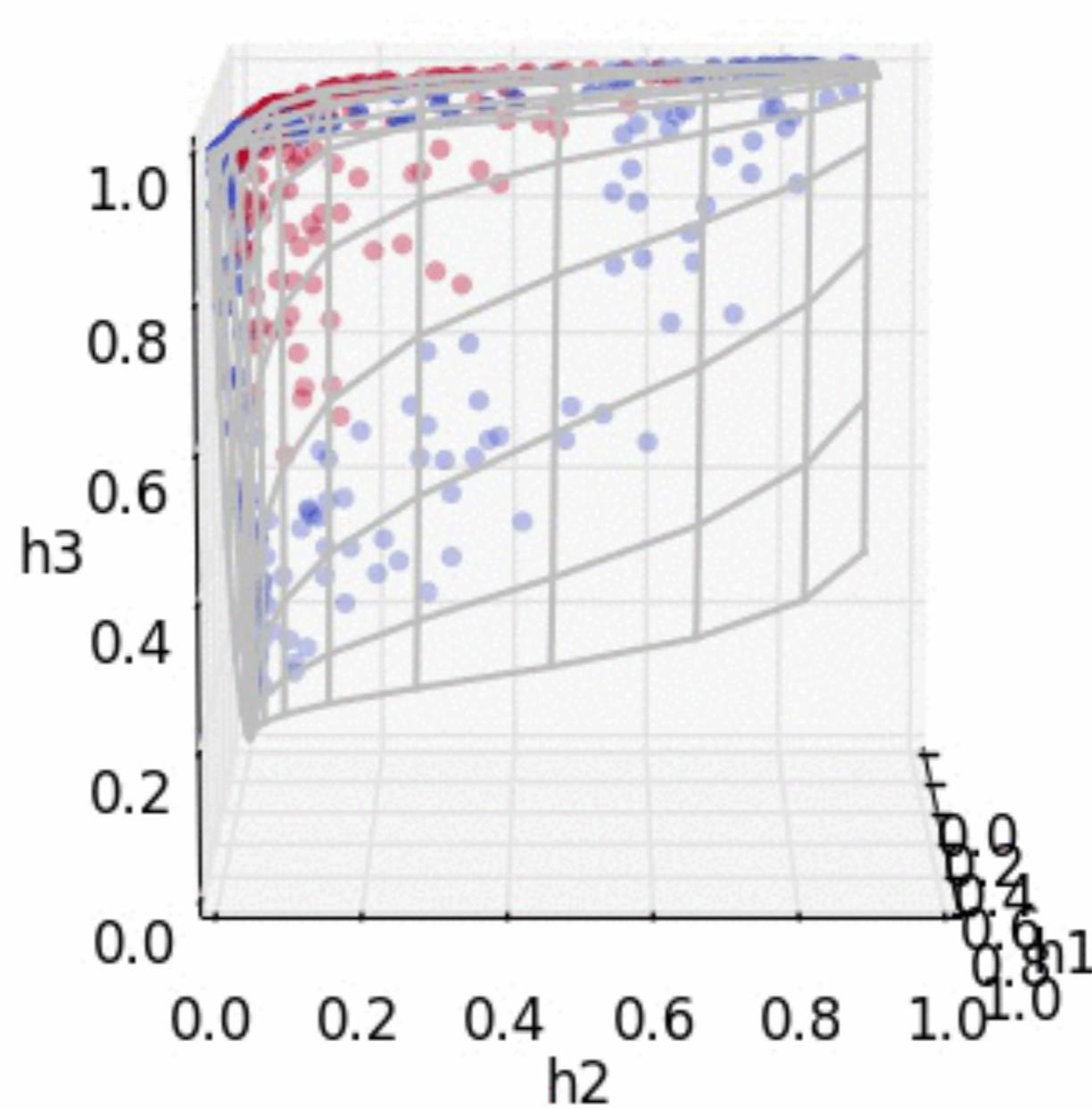
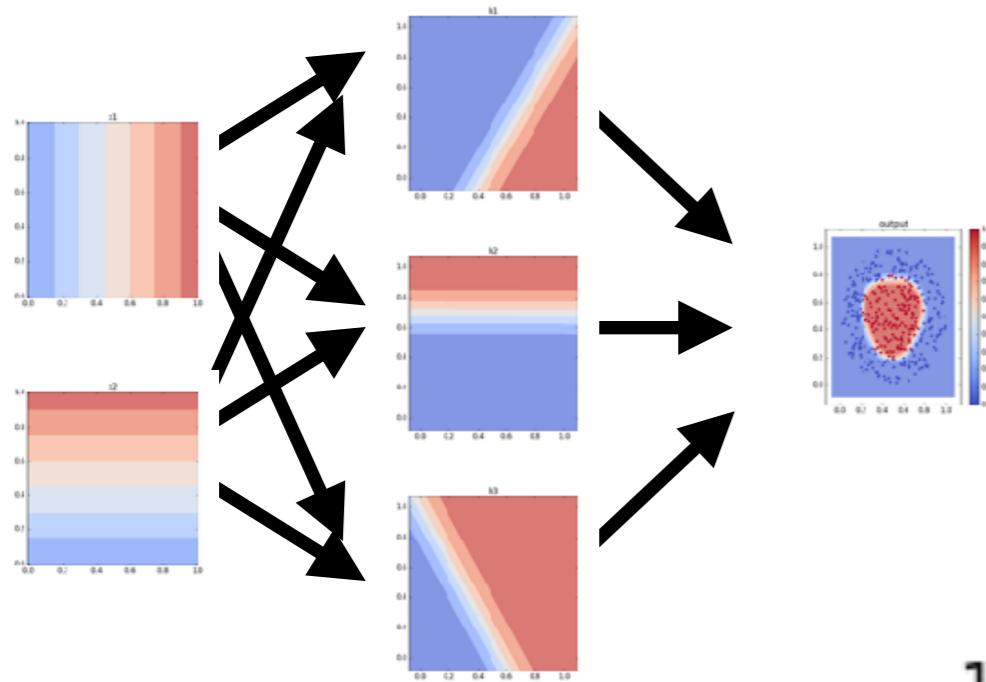


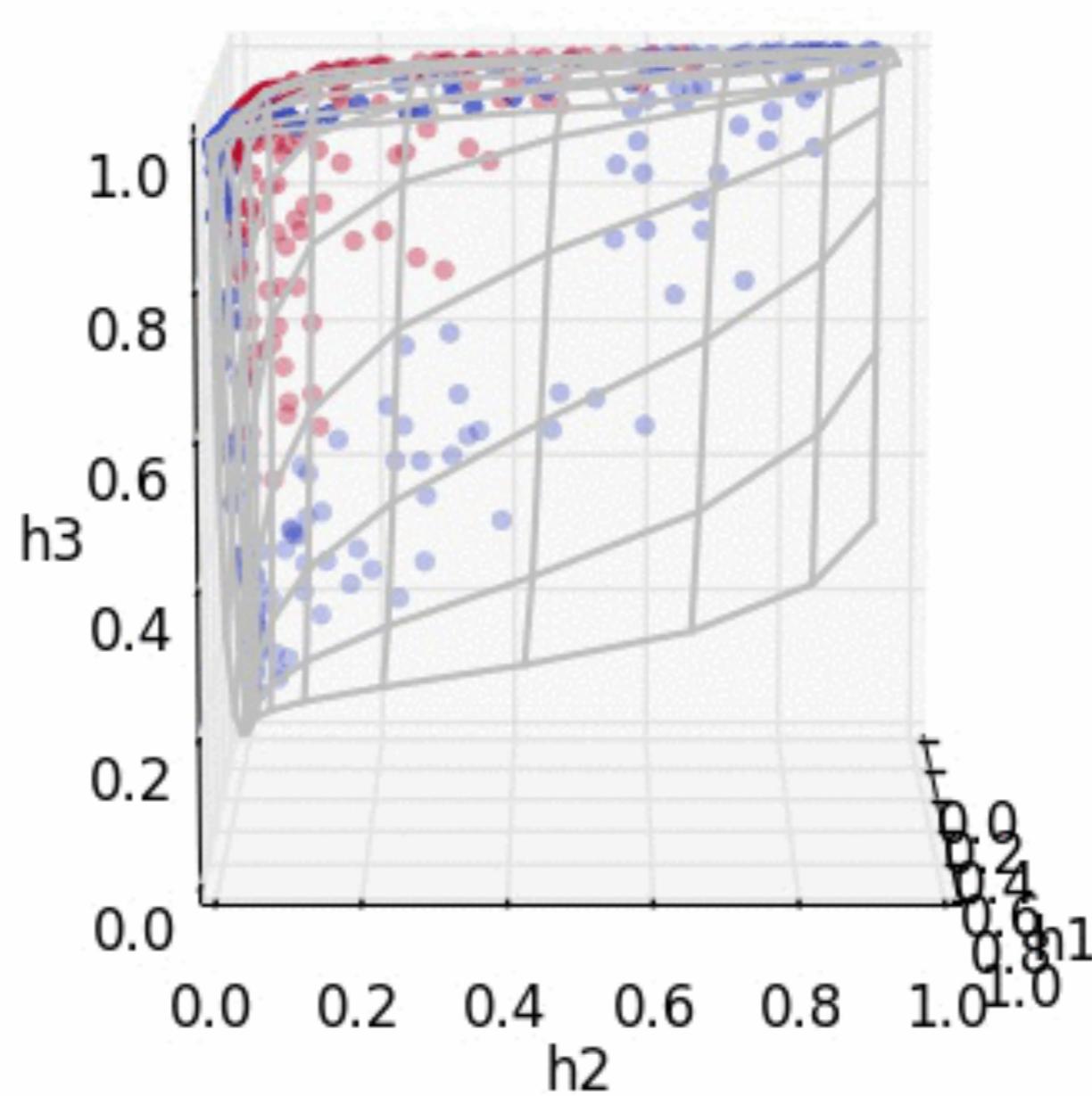
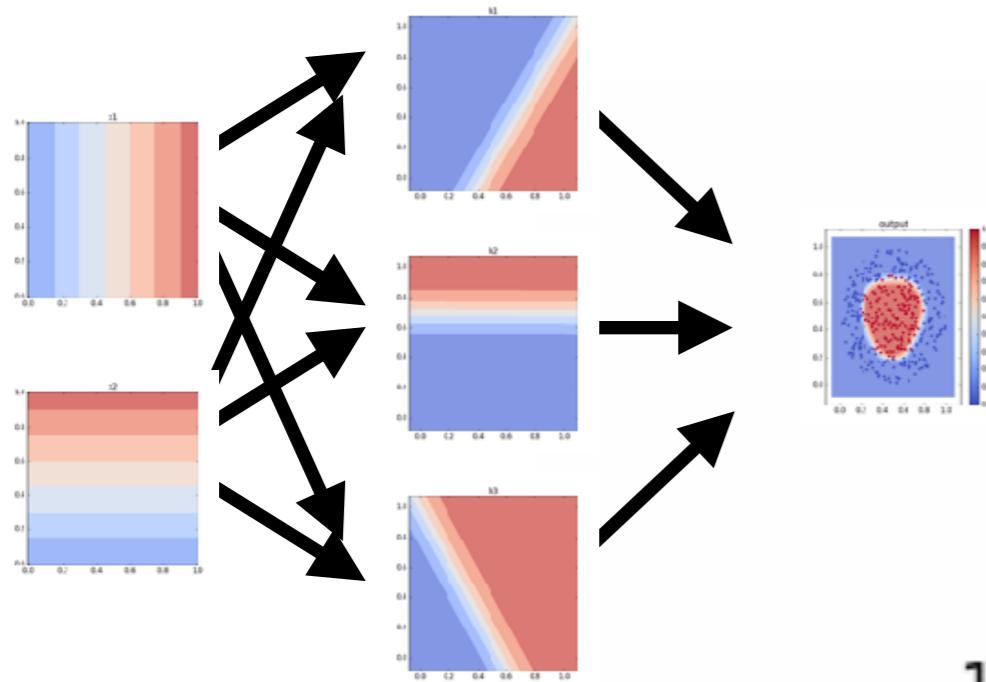


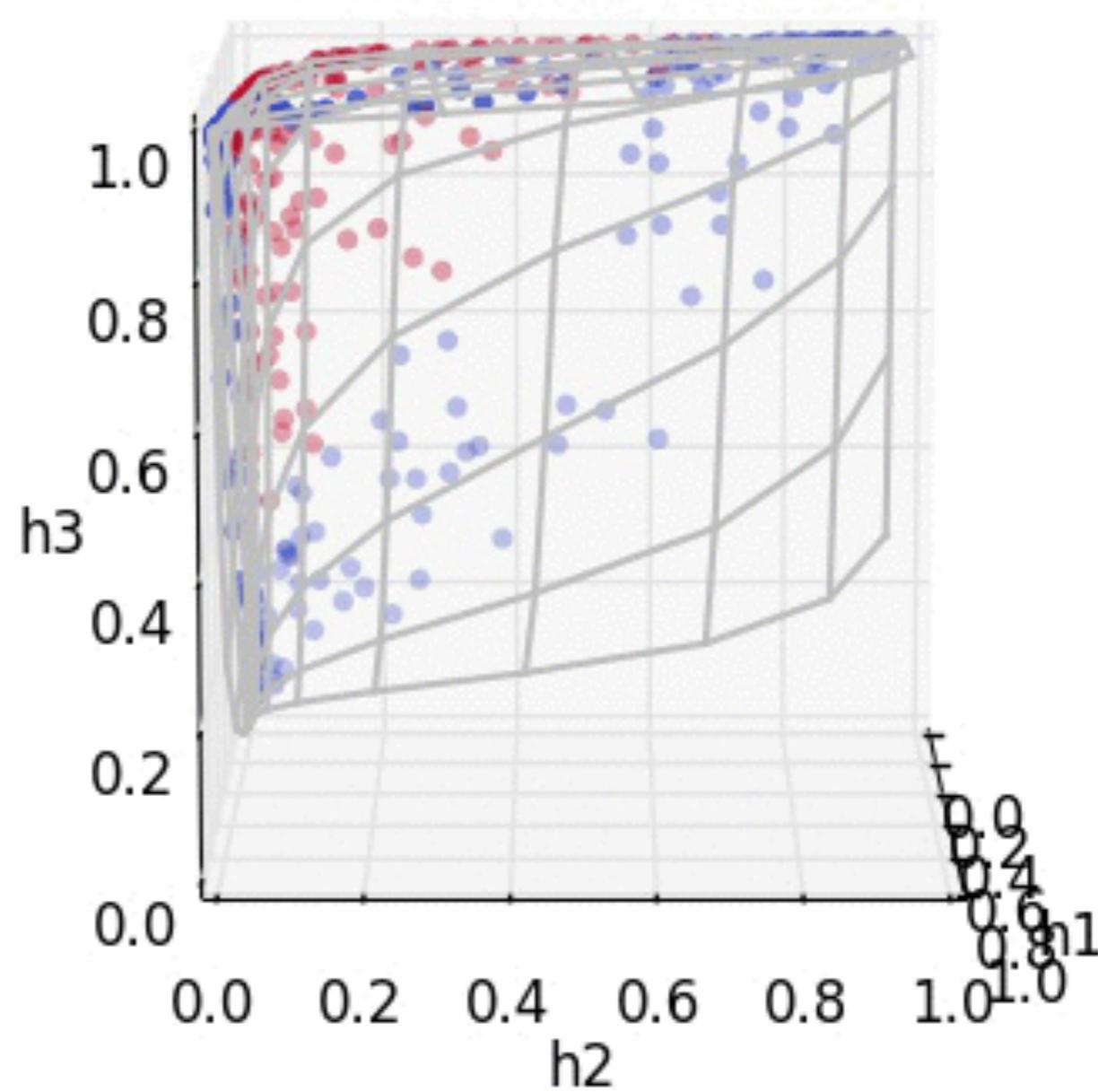
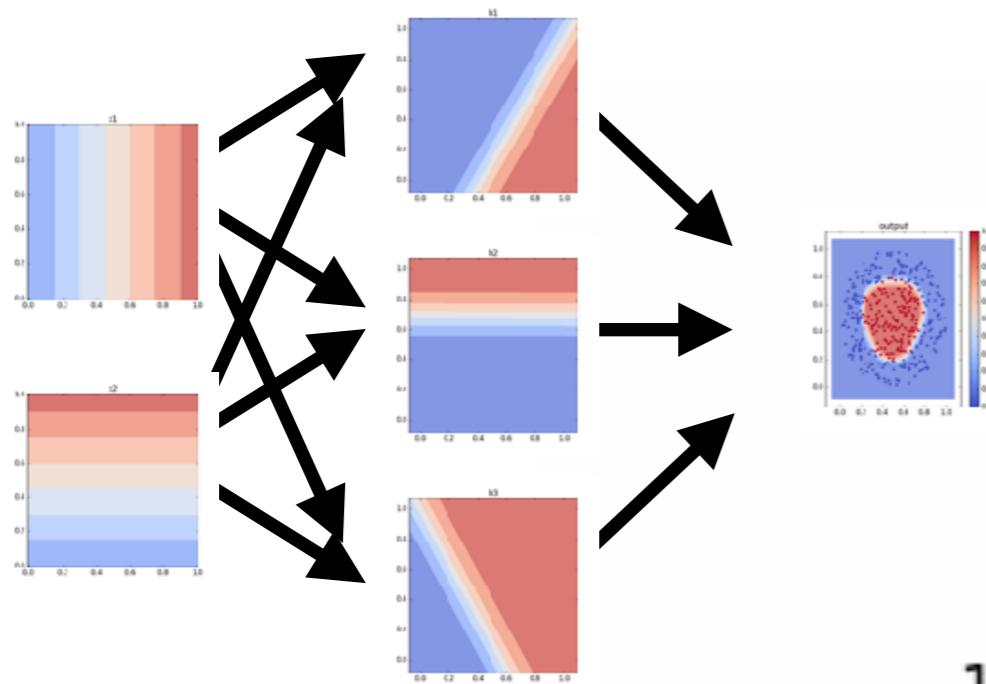


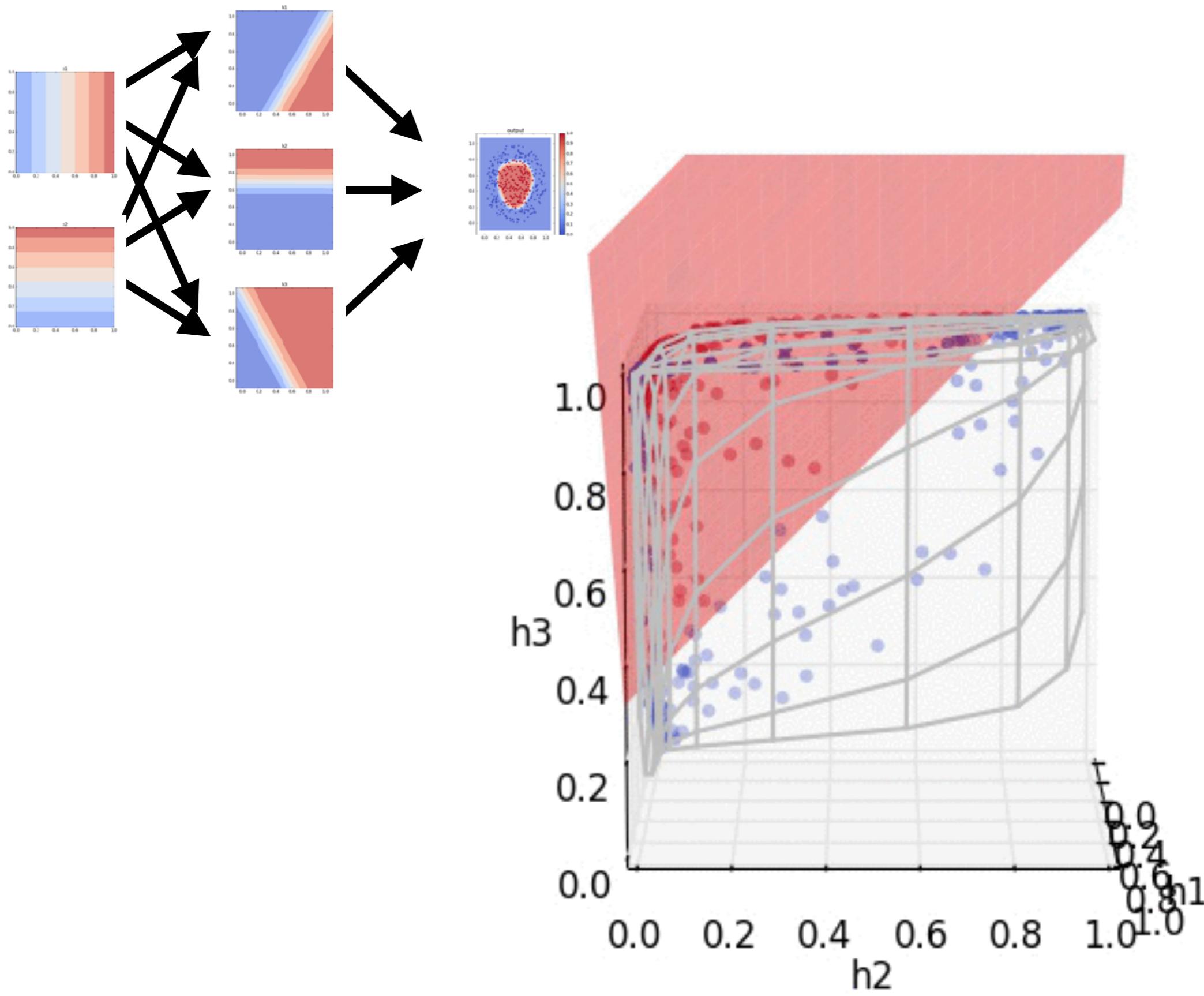


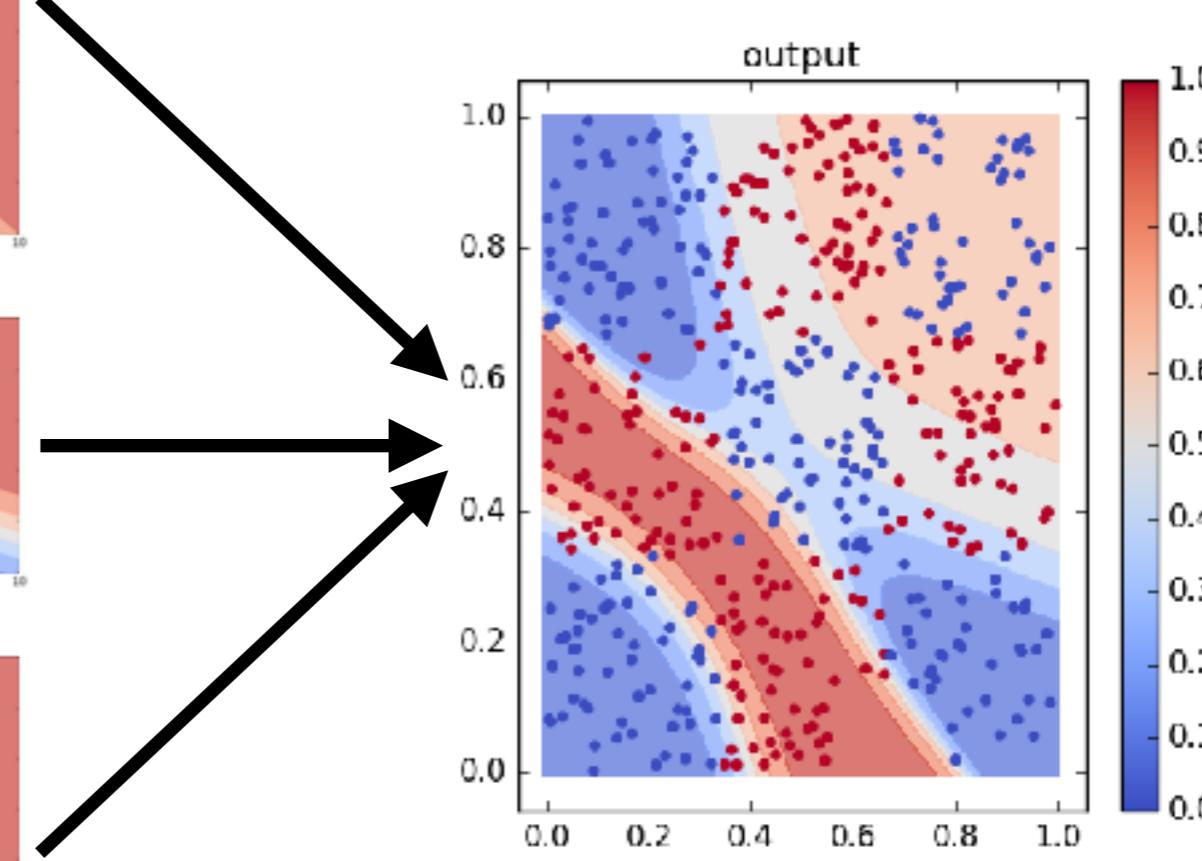
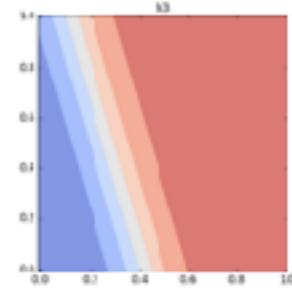
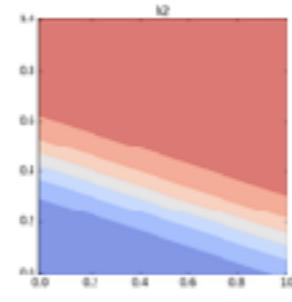
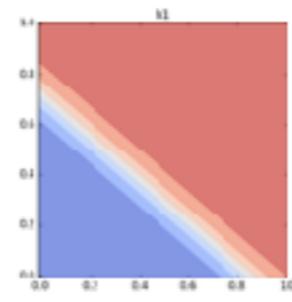
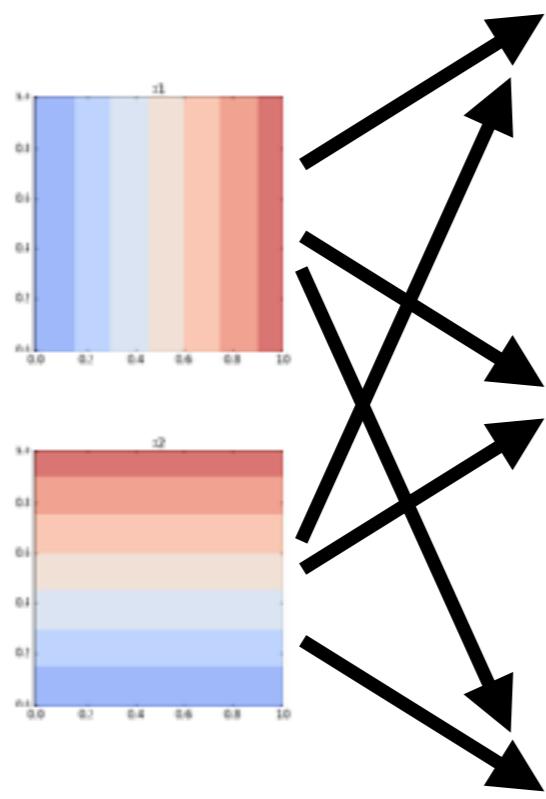
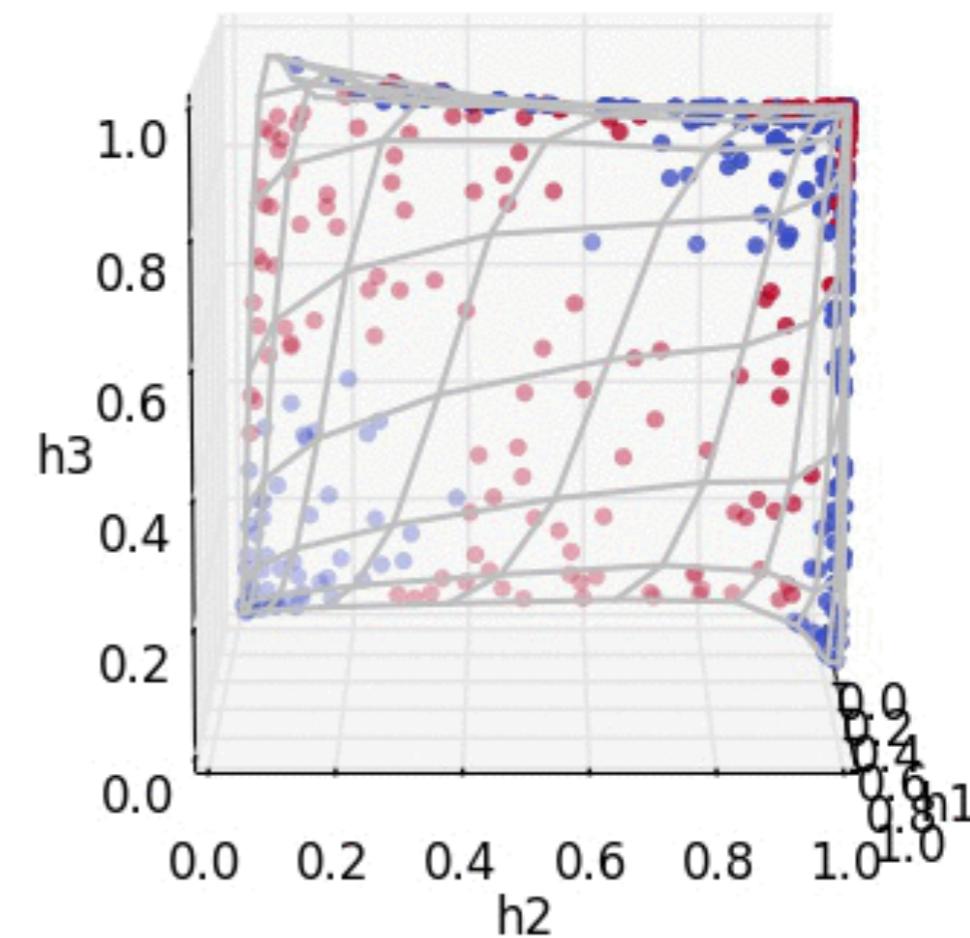
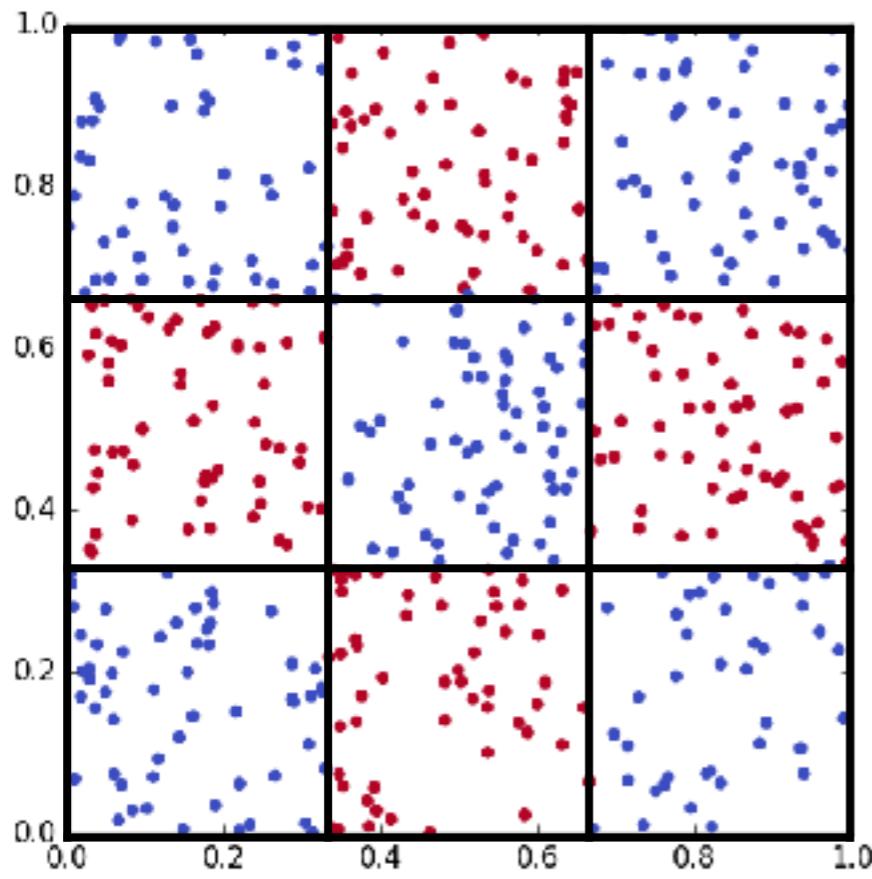




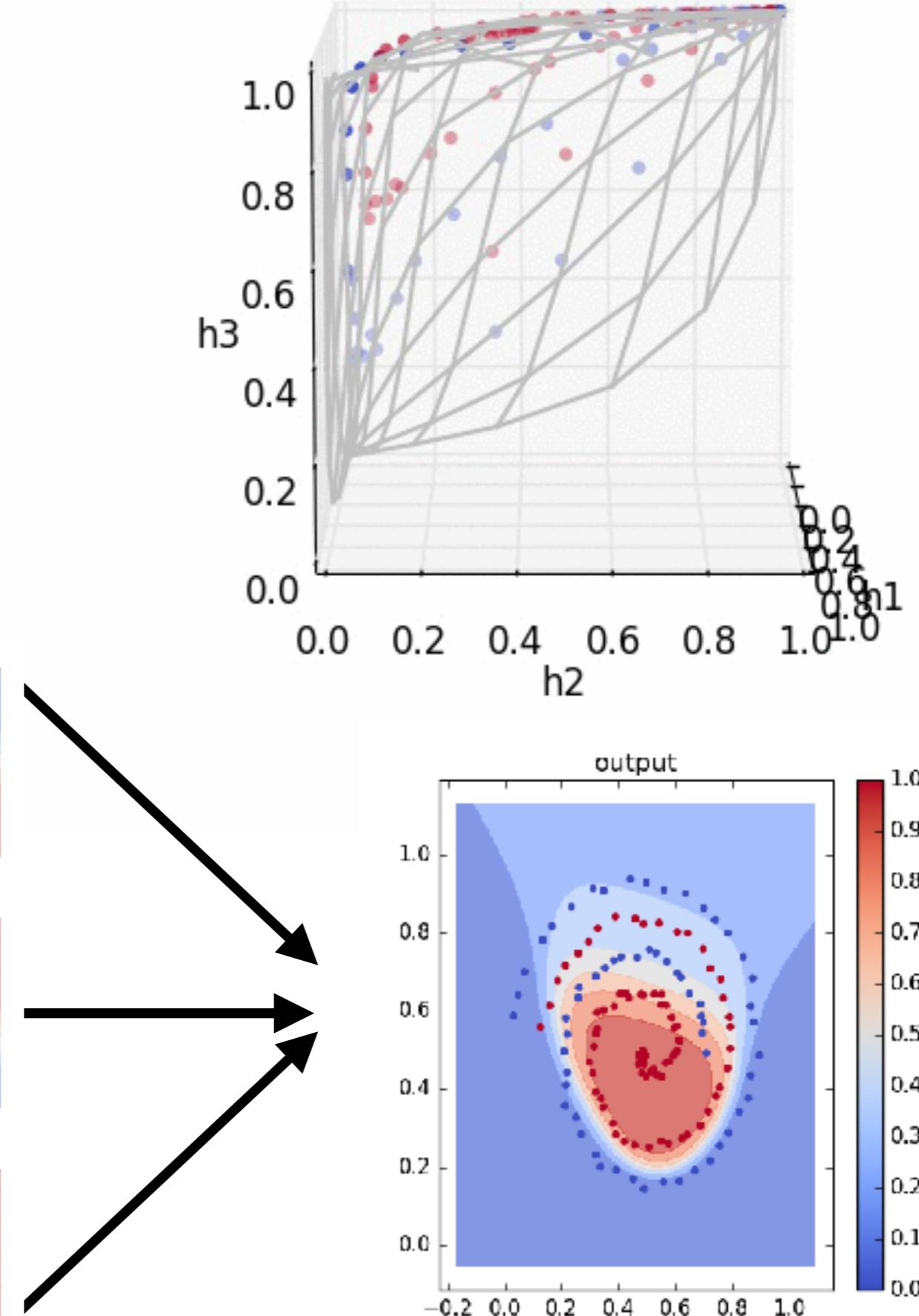
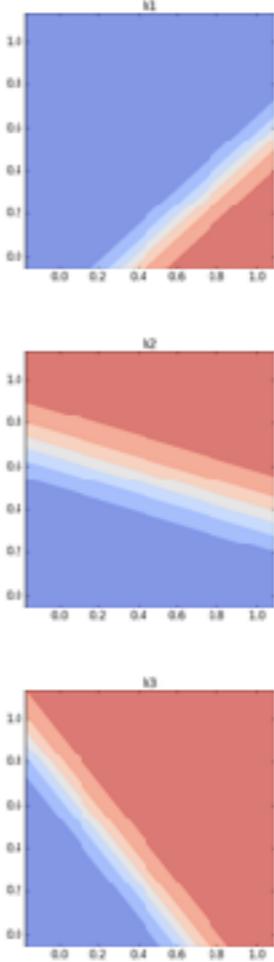
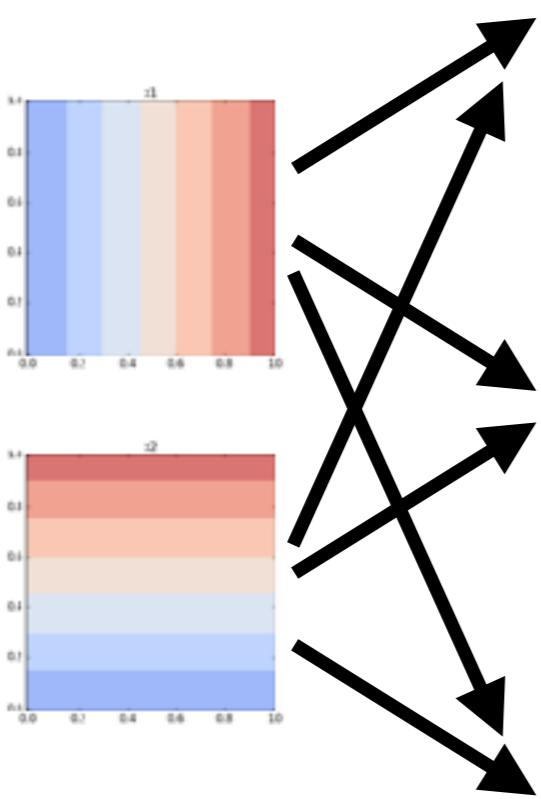




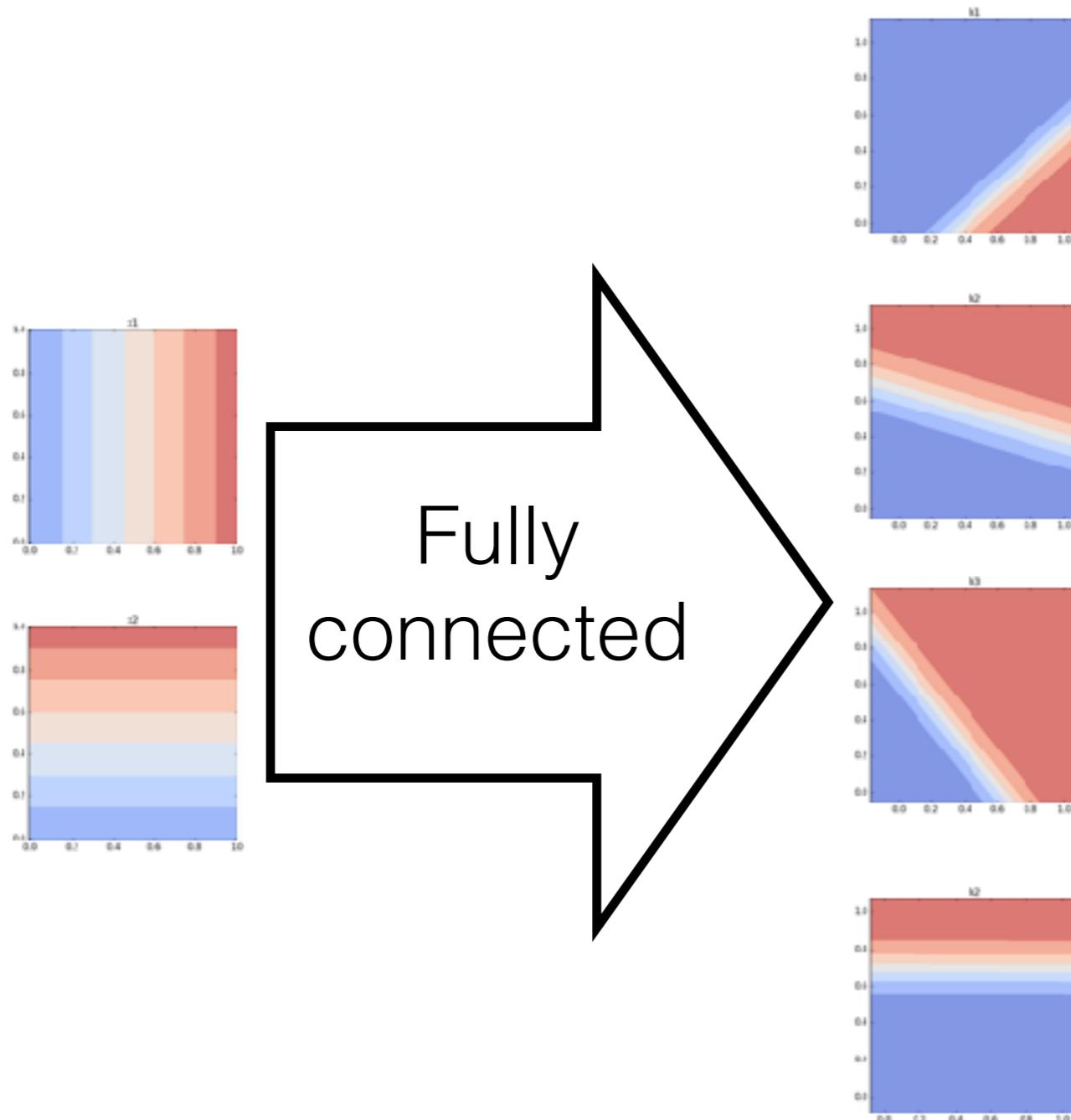




Spiral



How about this network?



Feed backward

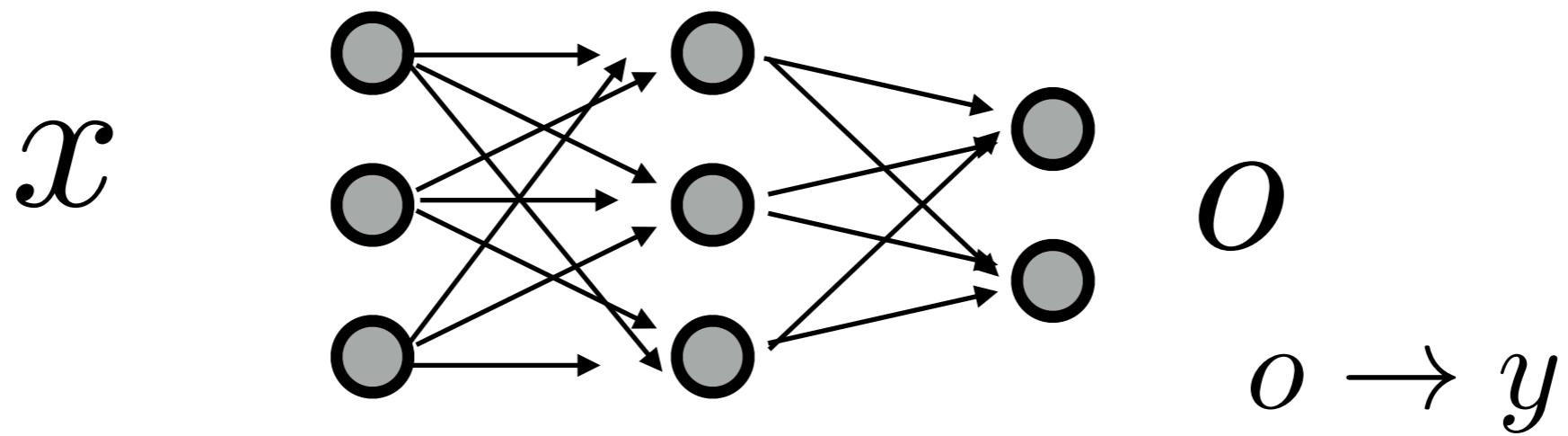
A general objective

Tweak the output of neural network to be as similar to the label as possible.

$$o \approx y$$

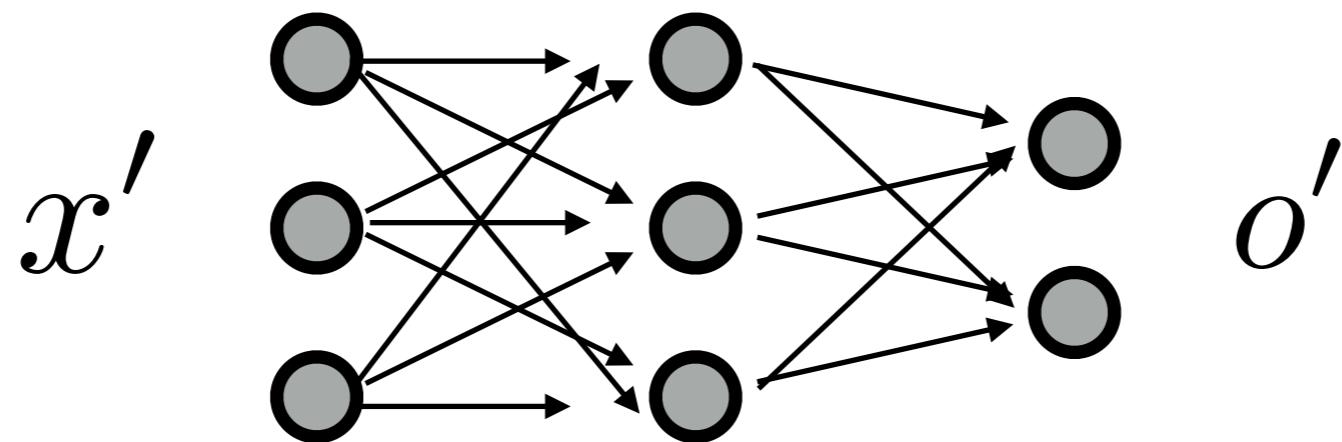
How to tweak? Adjust the weights

Given an example (x, y)



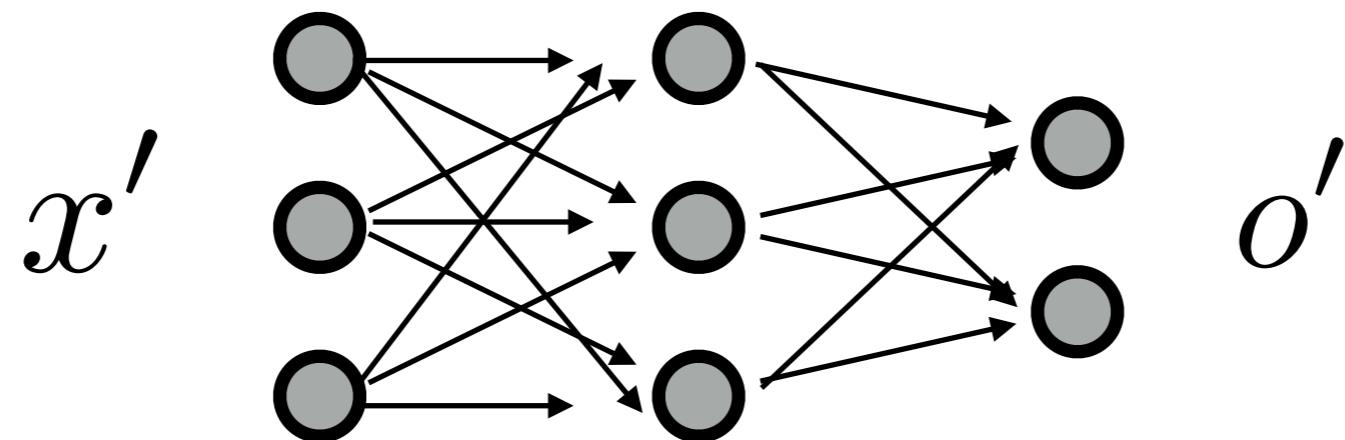
For this example, the neural network ‘behaves well’

After the first example, give another example
 $(x', ?)$



Now we say for a well behaved neural network
 $o' = y'$

How good is the trained network?

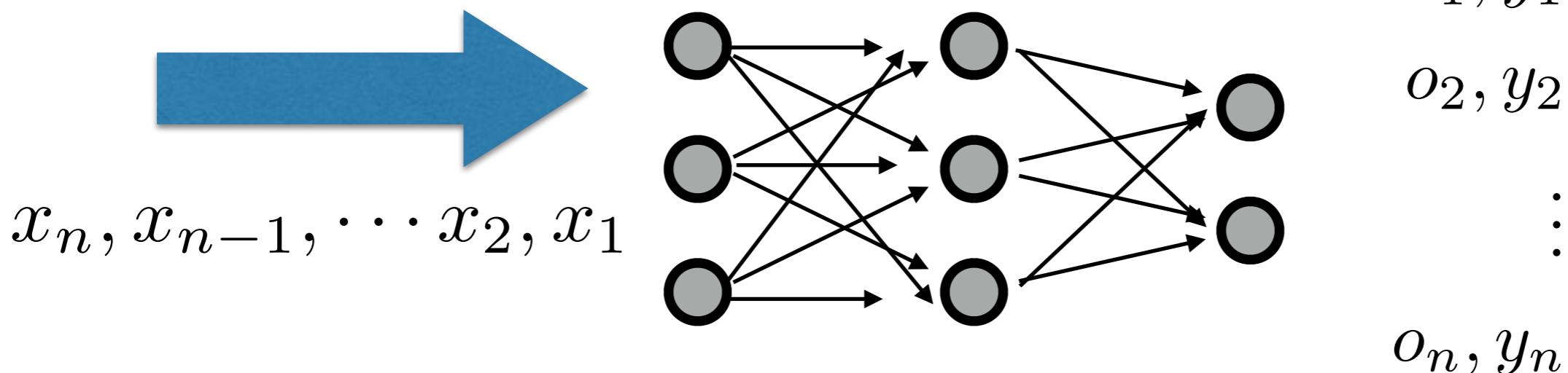


Square error

Given data points $(x_i, y_i), i = 1, \dots, n$

$$l(y_i, o_i) = \|y_i - o_i\|^2$$

$$C = \frac{1}{n} \sum_i l(y_i, o_i)$$



Adjust the weights until $C = 0$ (or close to zero)

Cross entropy cost function

Two class example $y_i \in \{0, 1\}$

$$C = -\frac{1}{n} \sum_i y_i \log[o(x_i)] + (1 - y_i) \log[1 - o(x_i)]$$

Three class example

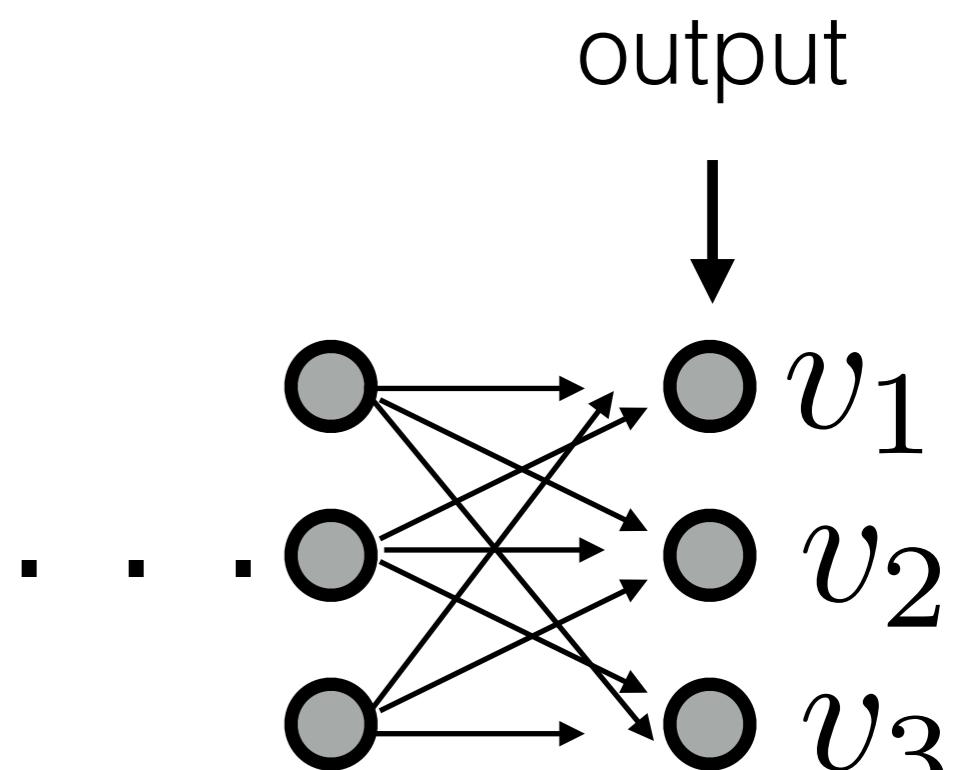
$$y_i \in \{(1, 0, 0), (0, 1, 0), (0, 0, 1)\}$$

$$m = \exp(v_1) + \exp(v_2) + \exp(v_3)$$

$$o_i = \left(\frac{\exp(v_1)}{m}, \frac{\exp(v_2)}{m}, \frac{\exp(v_3)}{m} \right)$$

$$l(y_i, o_i) = -y_i \cdot \log(o_i)$$

$$C = \frac{1}{n} \sum_i l(y_i, o_i)$$



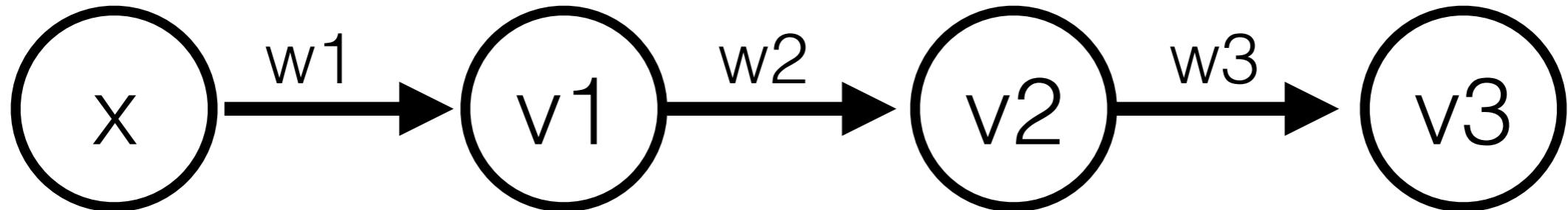
How to adjust the weights?

Conceptually, this will work:

Try all possible weights combinations, for all weights combinations, calculate the cost. Then pick the weight combination that has the lowest cost.

Practically, there are too many weights combinations to try.

Gradient descend



$$v_1 = \sigma(z_1) = \sigma(w_1 x + b_1)$$

$$v_2 = \sigma(z_2) = \sigma(w_2 v_1 + b_2)$$

$$v_3 = \sigma(z_3) = \sigma(w_3 v_2 + b_3)$$

$$\frac{\partial C}{\partial w_j} = 0$$

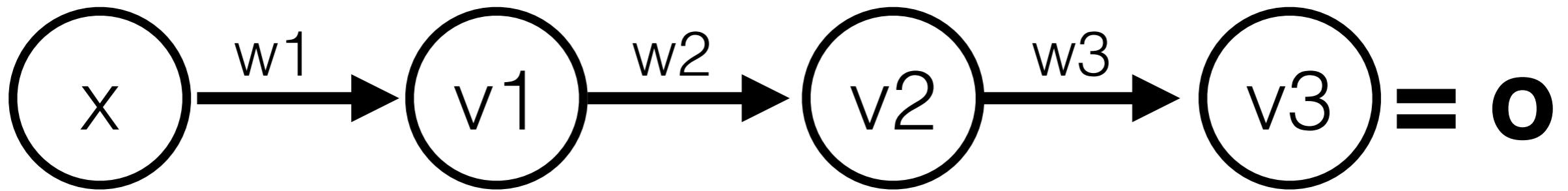
$$\frac{\partial C}{\partial b_j} = 0$$

$$\frac{\partial C}{\partial w_j} = 0 \quad \frac{\partial C}{\partial b_j} = 0$$

$$\begin{aligned}\frac{\partial C}{\partial w_j} &= \frac{1}{n} \sum_i \frac{\partial(y_i - o_i)^2}{\partial w_j} \\ &= -\frac{2}{n} \sum_i (y_i - o_i) \frac{\partial o_i}{\partial w_j}\end{aligned}$$

We just need $\frac{\partial o_i}{\partial w_j}$

$$w_j(t+1) = w_j(t) - \eta \frac{\partial C}{\partial w_j}$$



$$v_1 = \sigma(z_1) = \sigma(w_1 x + b_1)$$

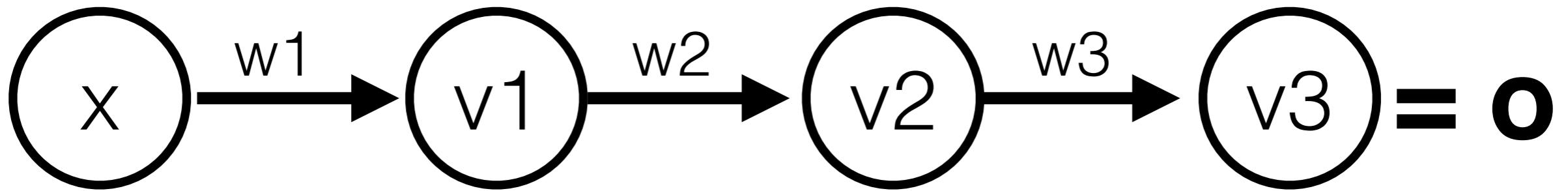
$$v_2 = \sigma(z_2) = \sigma(w_2 v_1 + b_2)$$

$$v_3 = \sigma(z_3) = \sigma(w_3 v_2 + b_3)$$

$$\frac{\partial v_3}{\partial w_3} = \frac{\partial v_3}{\partial z_3} \frac{\partial z_3}{\partial w_3} = \sigma'(z_3) v_2$$

$$\frac{\partial v_3}{\partial w_2} = \frac{\partial v_3}{\partial z_3} \frac{\partial z_3}{\partial w_2} = \sigma'(z_3) w_3 \frac{\partial v_2}{\partial w_2} = \sigma'(z_3) w_3 \sigma'(z_2) v_1$$

$$\begin{aligned} \frac{\partial v_3}{\partial w_1} &= \frac{\partial v_3}{\partial z_3} \frac{\partial z_3}{\partial w_1} = \sigma'(z_3) w_3 \frac{\partial v_2}{\partial w_2} = \sigma'(z_3) w_3 \sigma'(z_2) w_2 \frac{\partial v_1}{\partial w_1} \\ &= \sigma'(z_3) w_3 \sigma'(z_2) w_2 \sigma'(z_1) x \end{aligned}$$



$$\frac{\partial v_3}{\partial w_3} = \frac{\partial v_3}{\partial z_3} \frac{\partial z_3}{\partial w_3} = \sigma'(z_3)v_2$$

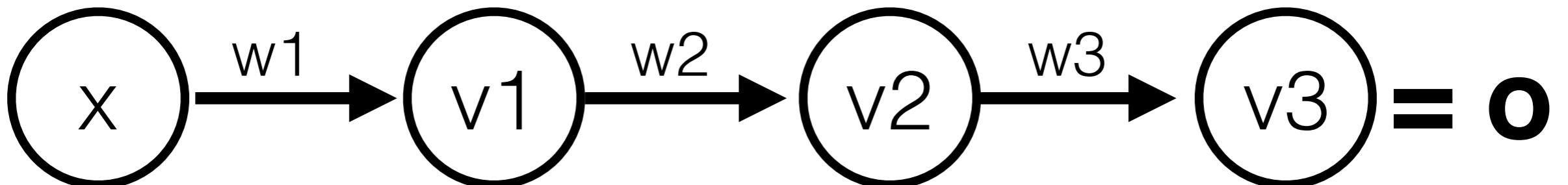
$$\frac{\partial v_3}{\partial w_2} = \frac{\partial v_3}{\partial z_3} \frac{\partial z_3}{\partial w_2} = \sigma'(z_3)w_3 \frac{\partial v_2}{\partial w_2} = \sigma'(z_3)w_3\sigma'(z_2)v_1$$

$$\begin{aligned} \frac{\partial v_3}{\partial w_1} &= \frac{\partial v_3}{\partial z_3} \frac{\partial z_3}{\partial w_1} = \sigma'(z_3)w_3 \frac{\partial v_2}{\partial w_2} = \sigma'(z_3)w_3\sigma'(z_2)w_2 \frac{\partial v_1}{\partial w_1} \\ &= \sigma'(z_3)w_3\sigma'(z_2)w_2\sigma'(z_1)x \end{aligned}$$



problem!! : long mathematical expression
leads to large computational time for deep network

Compute and store strategy



$$\frac{\partial v_3}{\partial z_1}$$

$$\frac{\partial v_3}{\partial z_2}$$

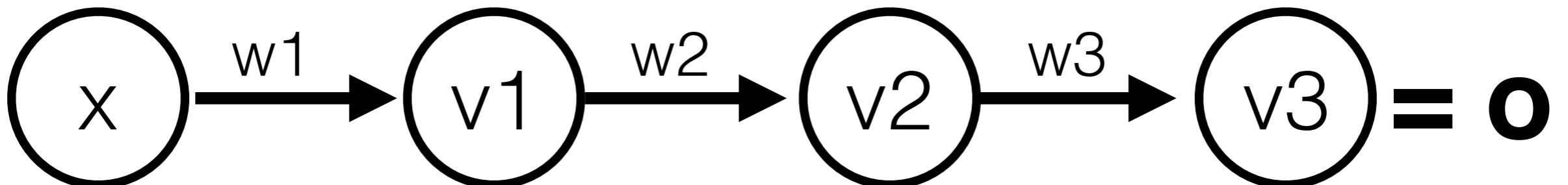
$$\frac{\partial v_3}{\partial z_3}$$

$$\frac{\partial v_3}{\partial z_3} = \sigma'(z_3)$$

$$\frac{\partial v_3}{\partial z_2} = \frac{\partial v_3}{\partial z_3} \frac{\partial z_3}{\partial z_2} = \frac{\partial v_3}{\partial z_3} w_3 \sigma'(z_2)$$

$$\frac{\partial v_3}{\partial z_1} = \frac{\partial v_3}{\partial z_2} \frac{\partial z_2}{\partial z_1} = \frac{\partial v_3}{\partial z_2} w_2 \sigma'(z_1)$$

Compute and store strategy



$$\frac{\partial v_3}{\partial z_1}$$

$$\frac{\partial v_3}{\partial z_2}$$

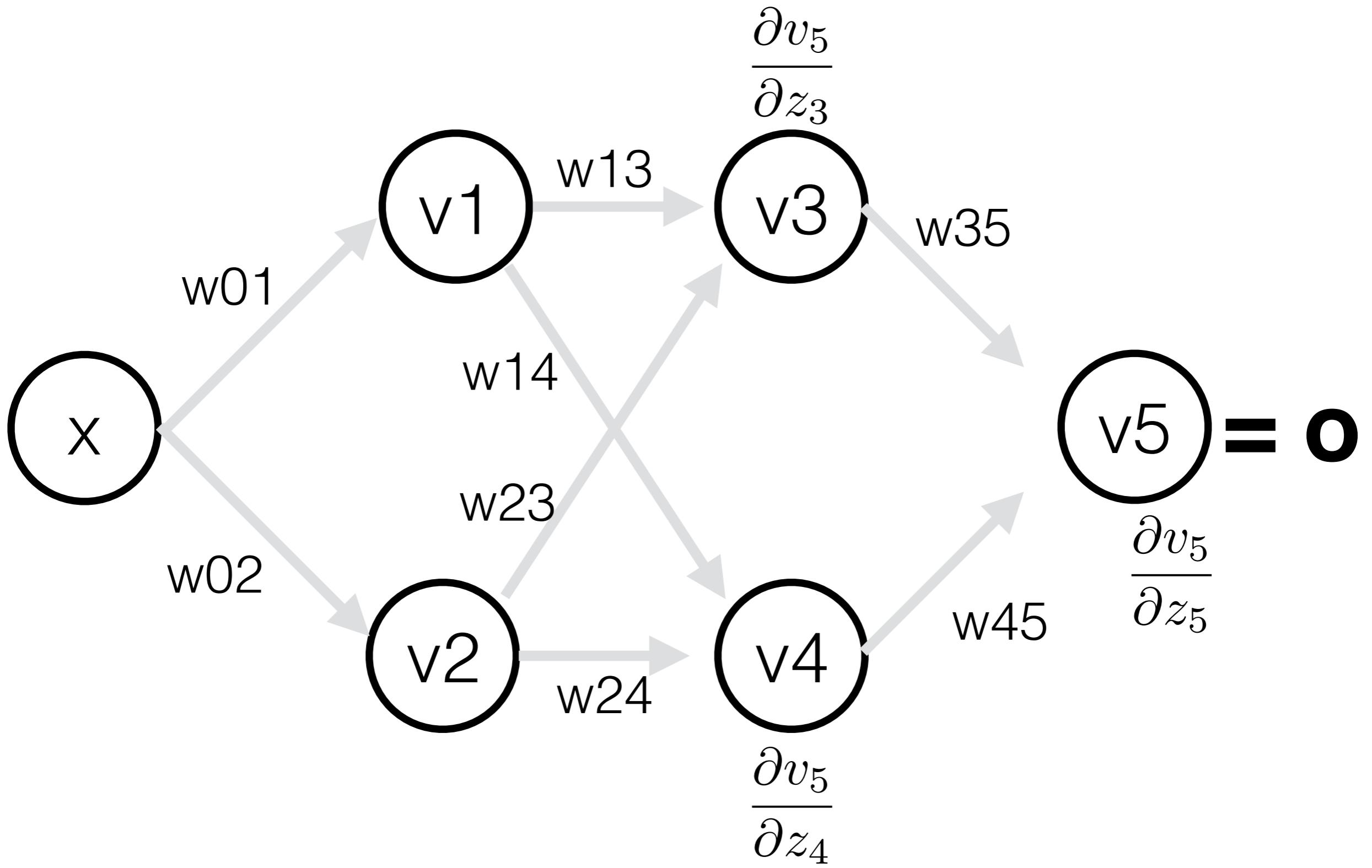
$$\frac{\partial v_3}{\partial z_3}$$

$$\frac{\partial v_3}{\partial w_3} = \frac{\partial v_3}{\partial z_3} \frac{\partial z_3}{\partial w_3} = \frac{\partial v_3}{\partial z_3} v_2$$

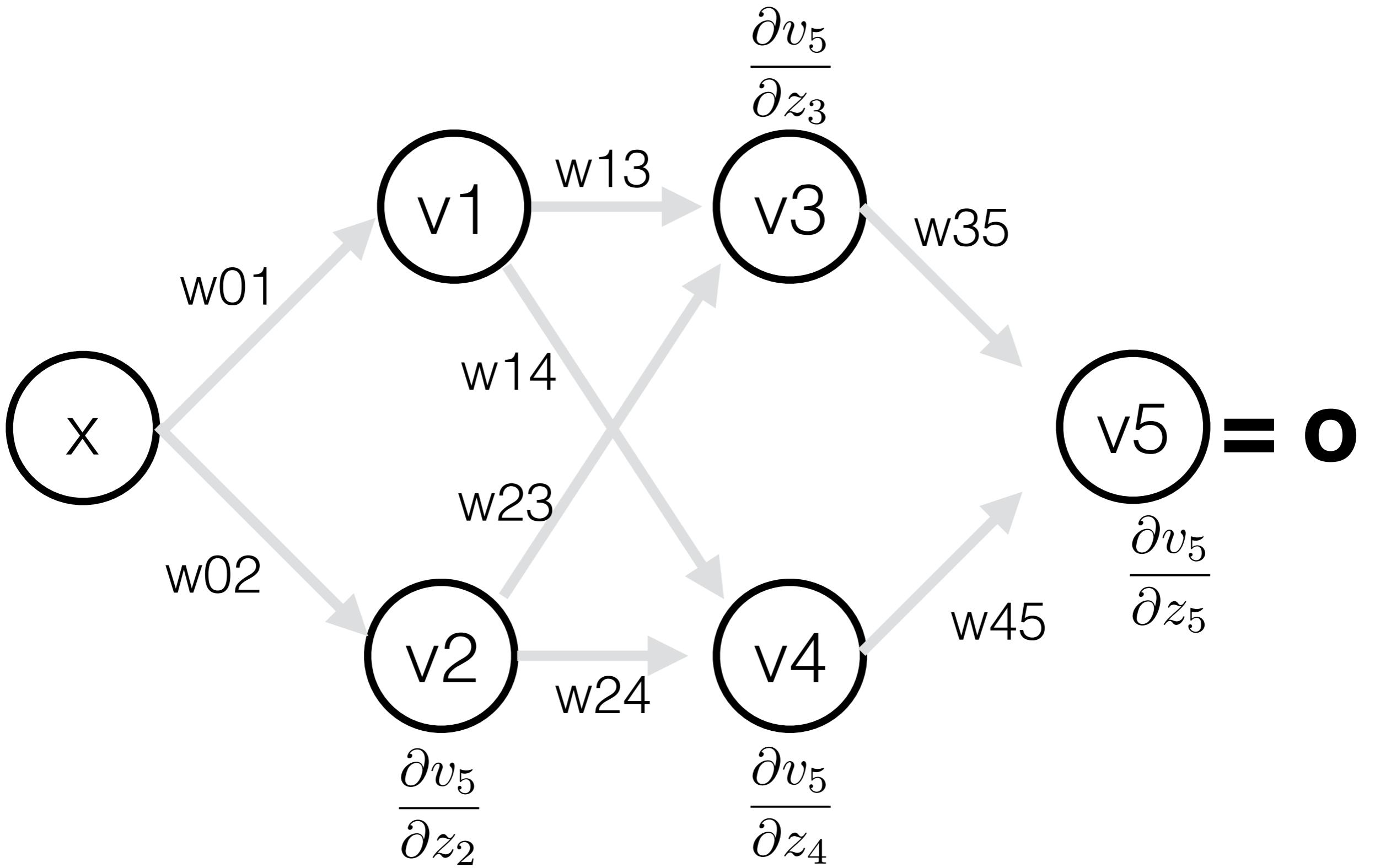
$\frac{\partial v_3}{\partial b_j}$? homework
question

$$\frac{\partial v_3}{\partial w_2} = \frac{\partial v_3}{\partial z_2} \frac{\partial z_2}{\partial w_2} = \frac{\partial v_3}{\partial z_2} v_1$$

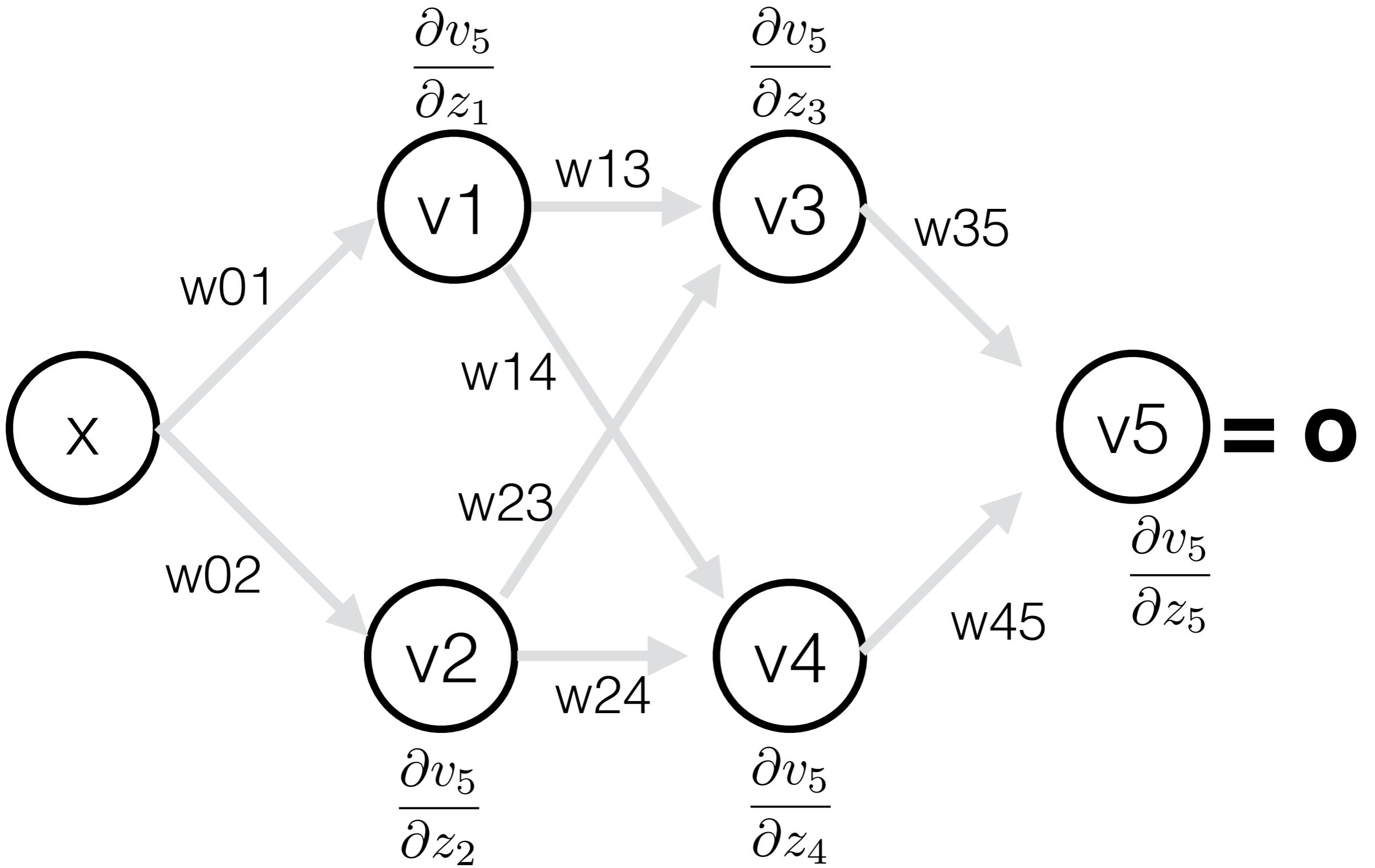
$$\frac{\partial v_3}{\partial w_1} = \frac{\partial v_3}{\partial z_1} \frac{\partial z_1}{\partial w_1} = \frac{\partial v_1}{\partial z_1} x$$



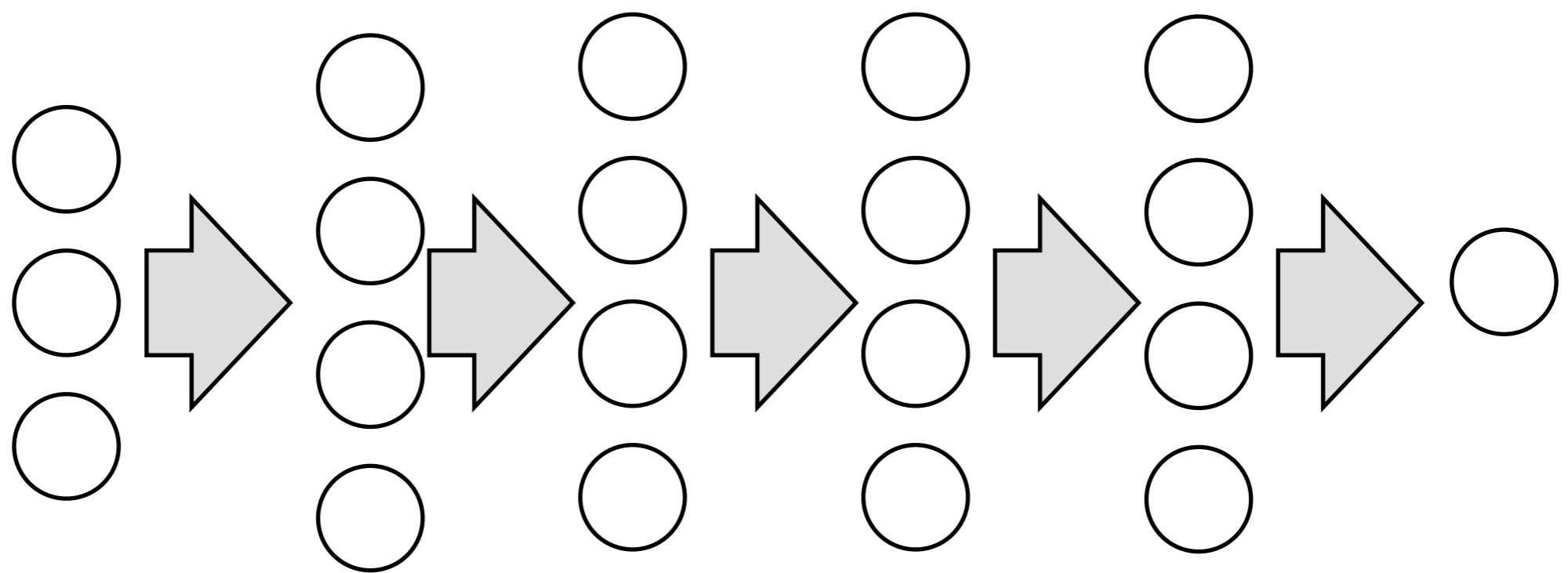
$$\frac{\partial v_5}{\partial z_4} = \frac{\partial v_5}{\partial z_5} \sigma'(z_4) w_{45}$$

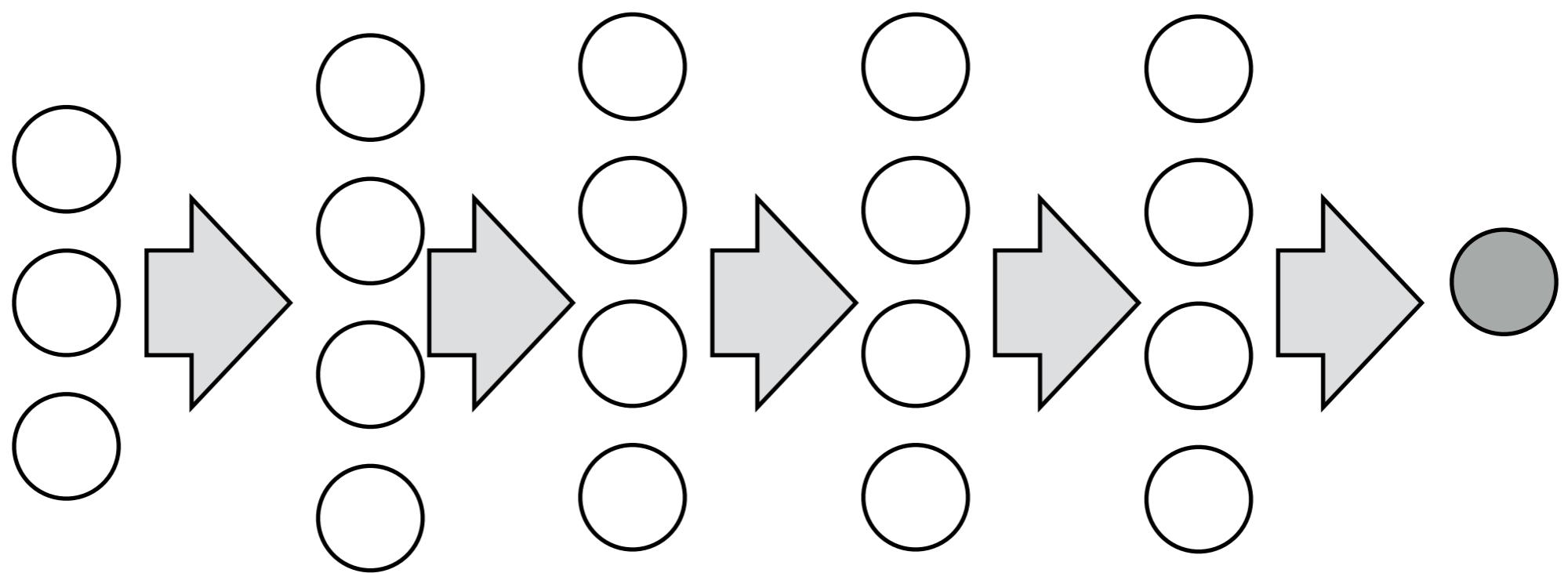


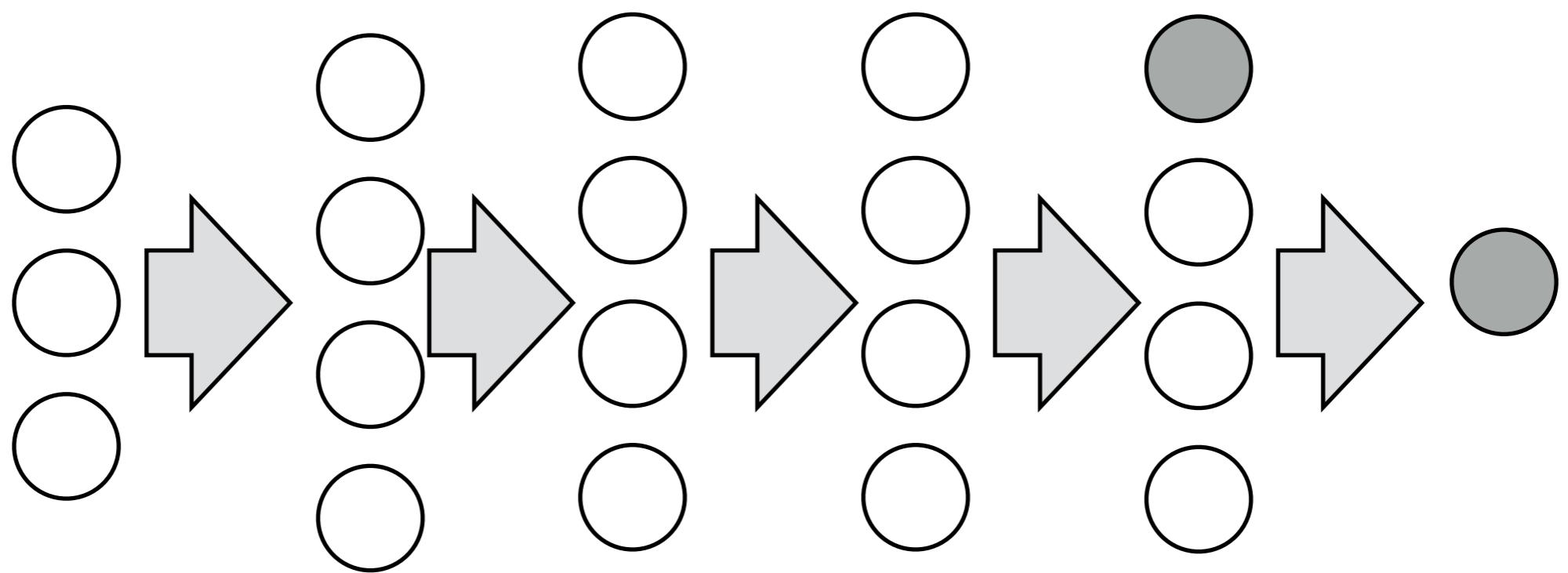
$$\frac{\partial v_5}{\partial z_2} = \frac{\partial v_5}{\partial z_4} \sigma'(z_2) w_{24} + \frac{\partial v_5}{\partial z_3} \sigma'(z_2) w_{23}$$

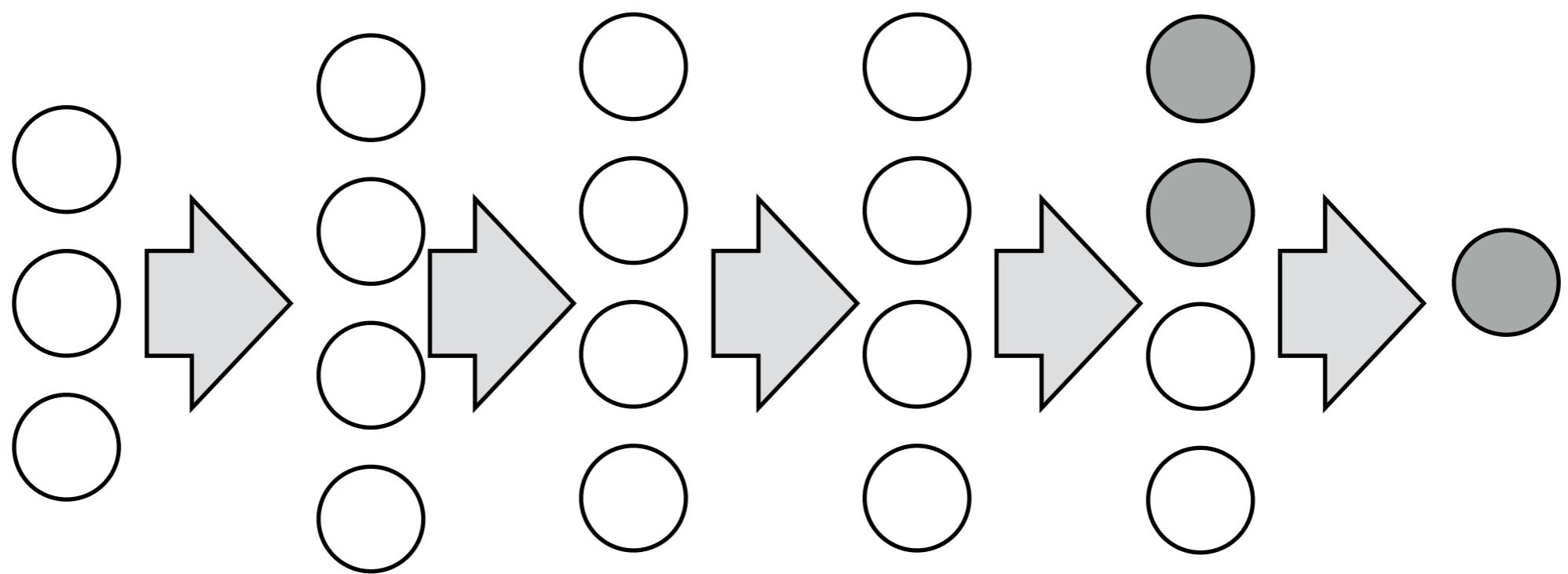


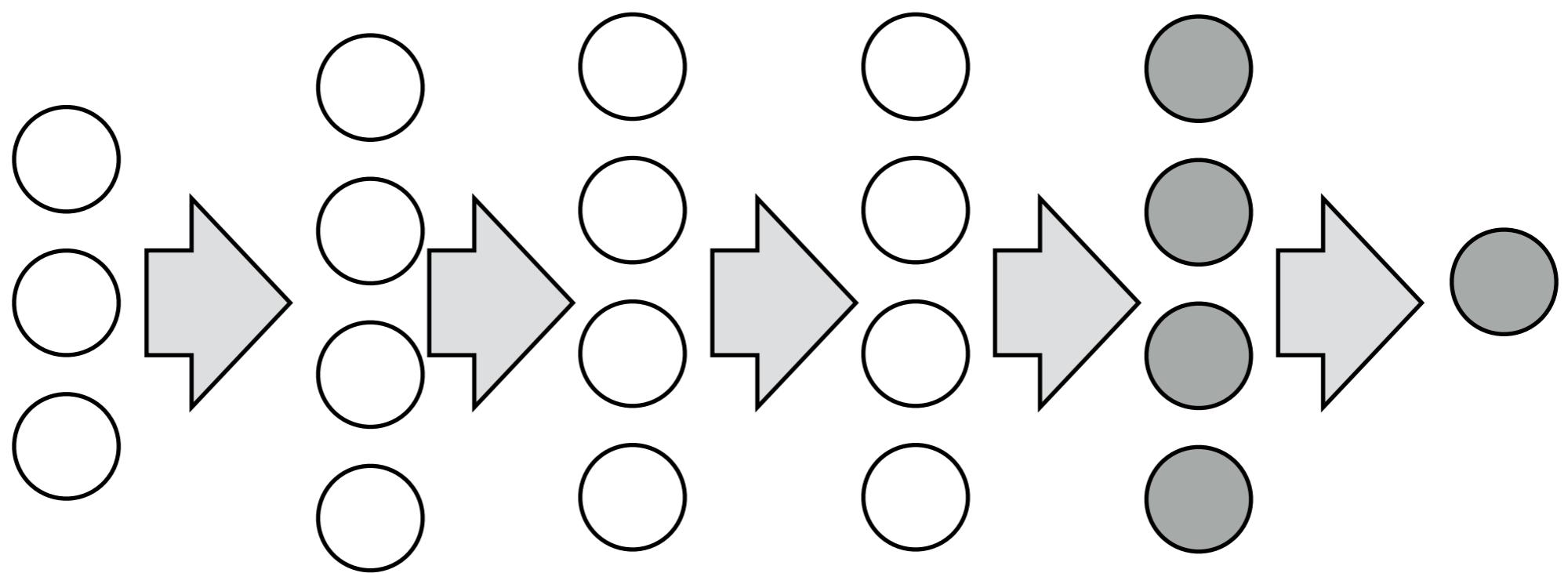
This is call the back propagation algorithm

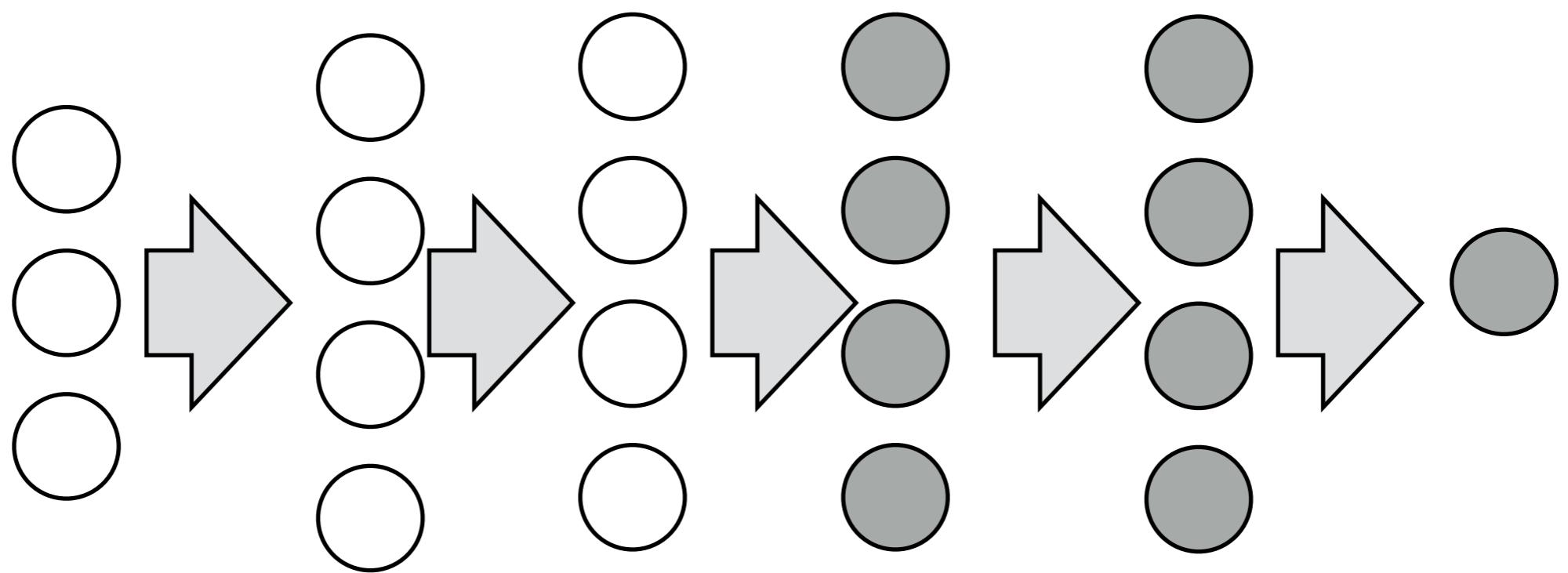


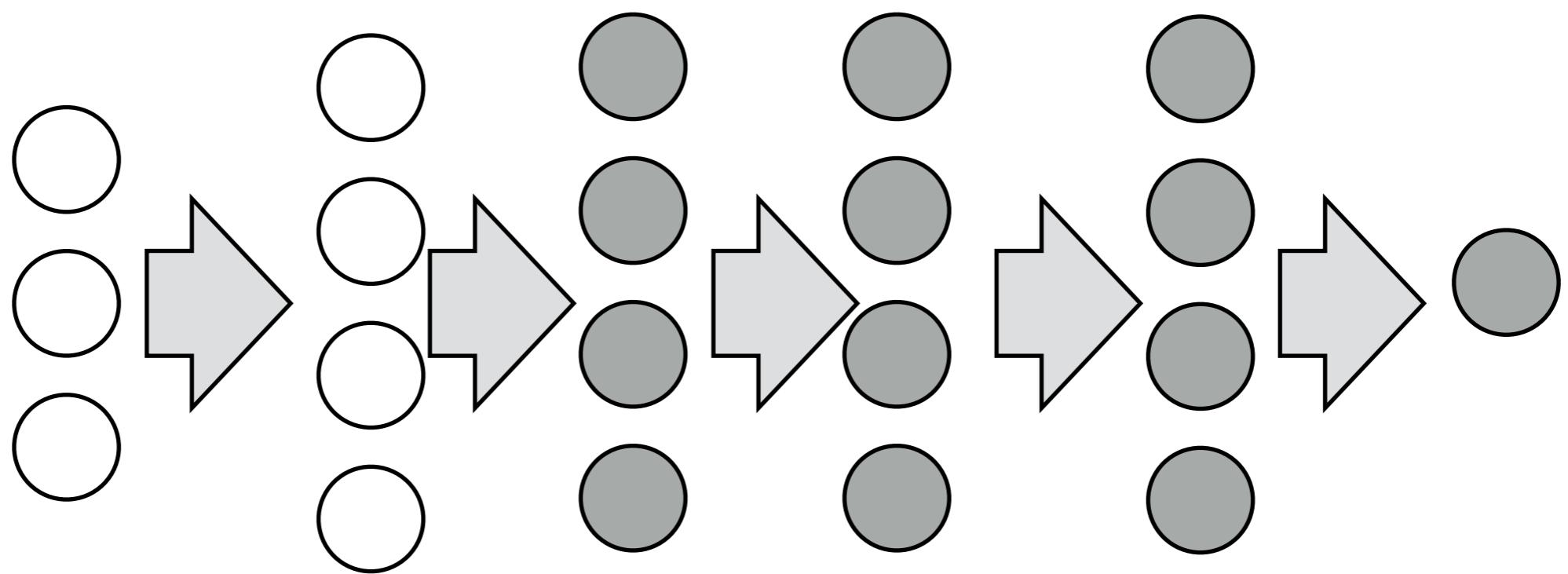


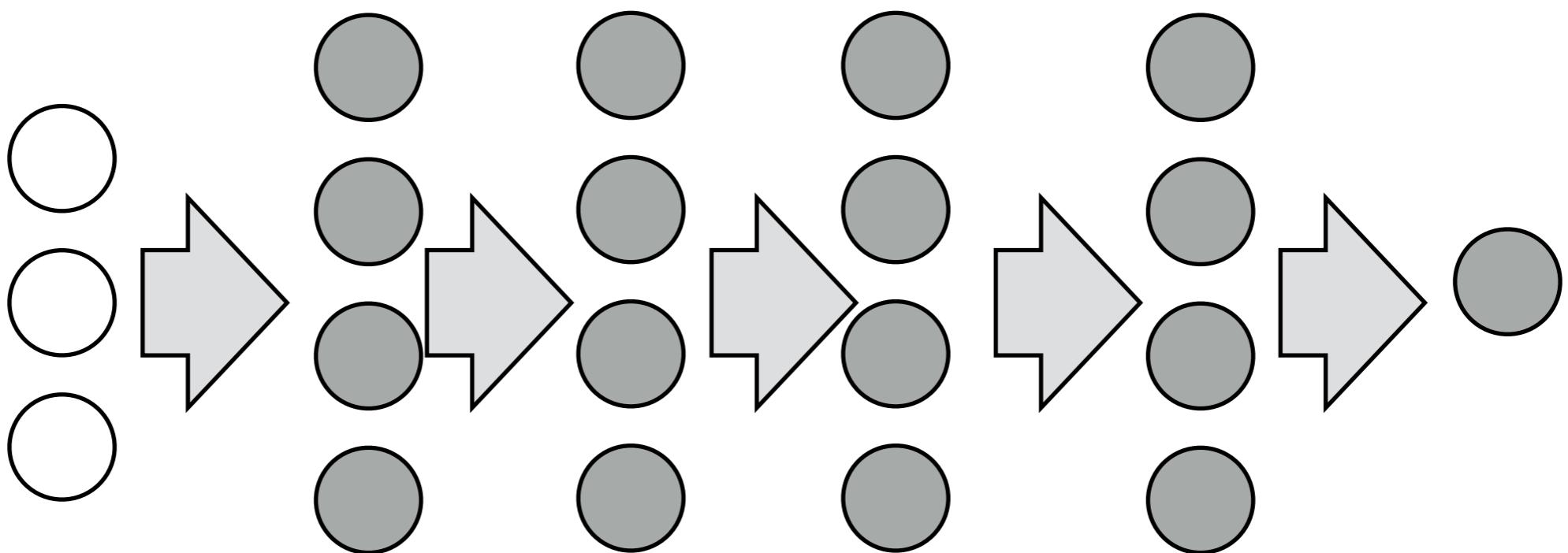








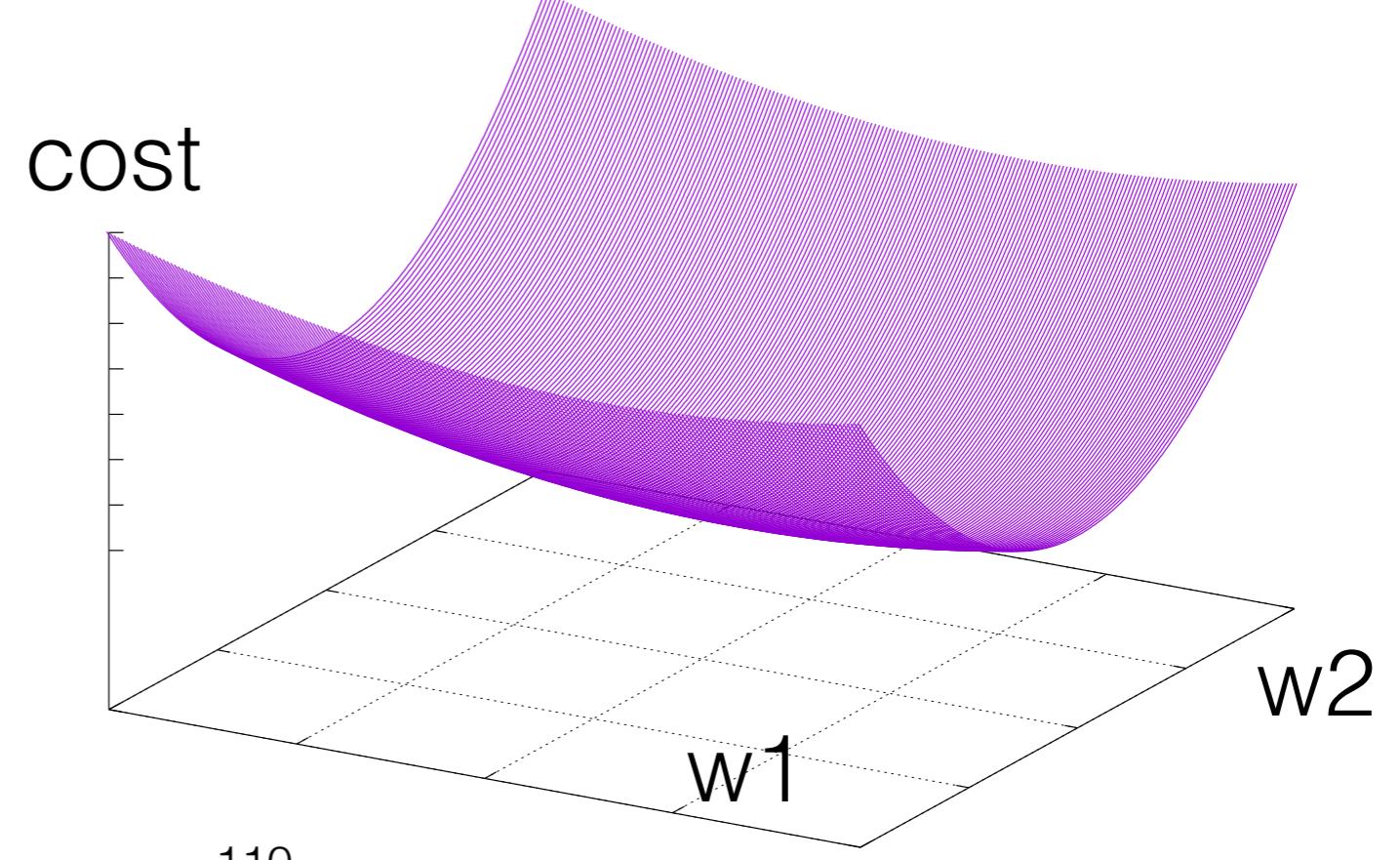
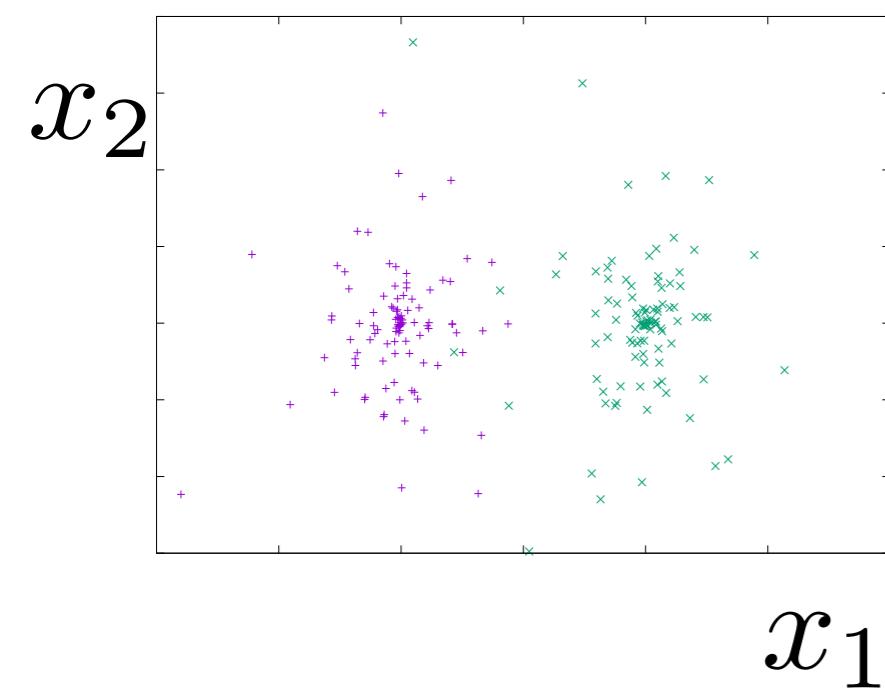
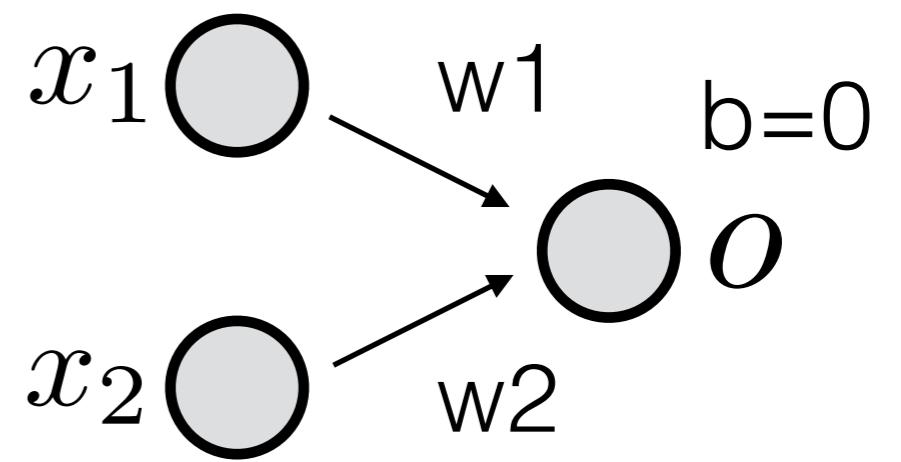


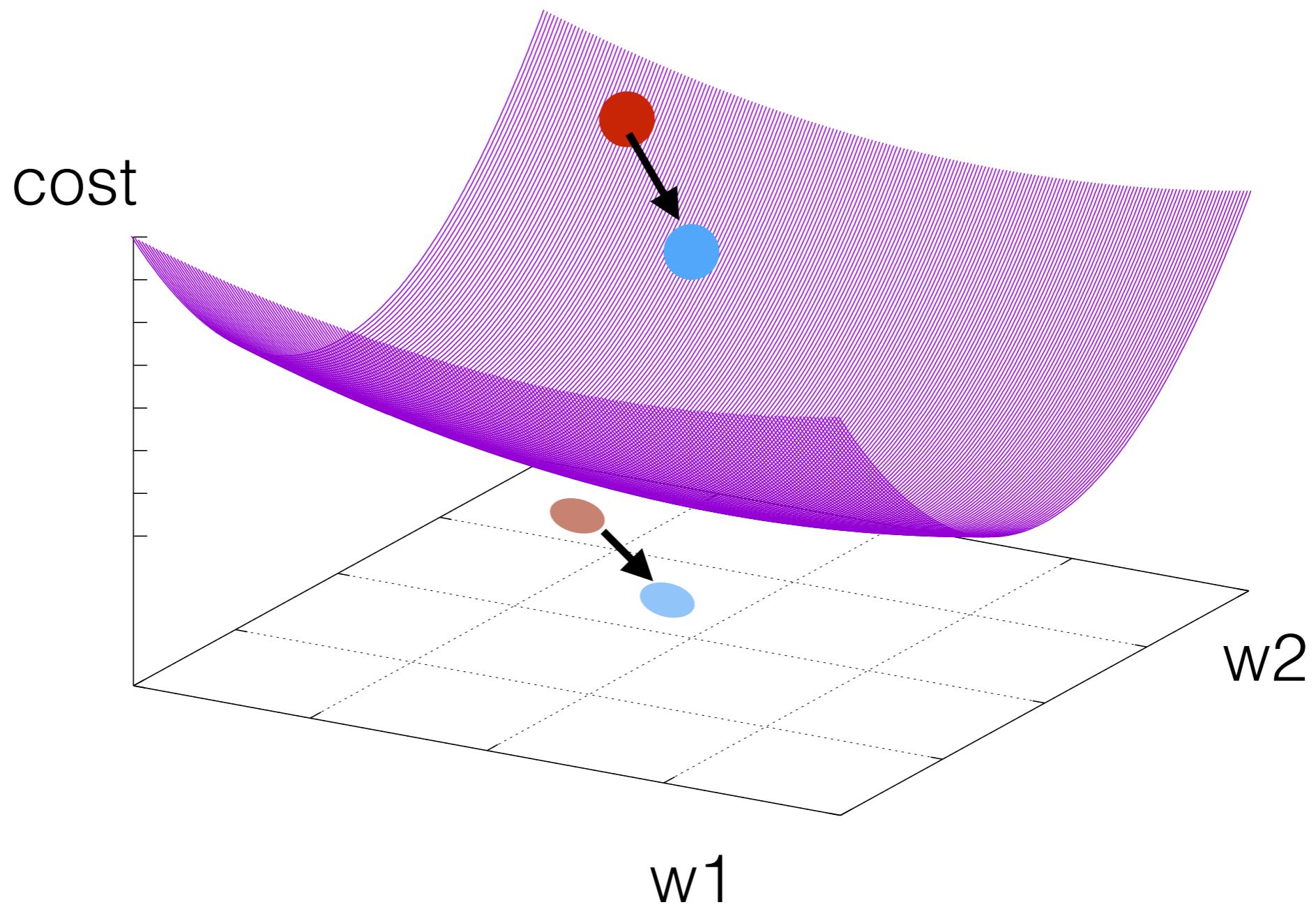


Cost function is a surface

$$l(y_i, o_i) = \|y_i - o_i\|^2$$

$$C(w_1, w_2) = \frac{1}{n} \sum_i l(y_i, o_i) + 0.2(w_1^2 + w_2^2)$$





$$w_j(t+1) = w_j(t) - \eta \frac{\partial C}{\partial w_j}$$

111

→

How to use data set?

- 1.Train a network
- 2.Keep it for future use
- 3.When previously unseen data comes in without labels, use the network to predict

There is a problem here!

How can we know when we “keep” the network at step (2), it is good enough to fulfil the task of step (3)?

We got to find some ways to test it before we use the network

Training and Validation set

Given an annotated data set, $(x_i, y_i), i = 1, \dots, n$
randomly sample x% of it and keep aside.

Train the network on the remaining (100-x)%

Validate the network with the x% of the data that you have not yet show to the network

Network is ready to use if validation results is good.
Else, start troubleshoot.