Leetcode Dynamic Programming (DP) Algorithms Problem Solving

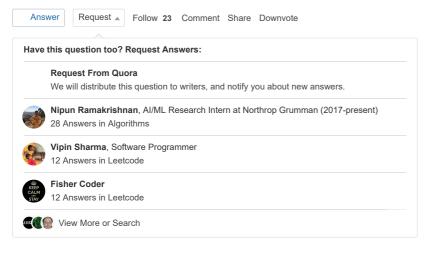
How do I solve maximum product subarray problems?

Find the contiguous subarray within an array (containing at least one number) which has the largest product.

For example, given the array [2,3,-2,4],

the contiguous subarray [2,3] has the largest product = 6.

As far as I understand there is a DP solution, which I can not understand. Any help? Here is a link to the problem: Maximum Product Subarray



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6 Answers



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Updated Nov 24, 2014

When the array has only positive elements then the product of all elements will be answer

Problem becomes interesting and complex simultaneously when there are negative elements.

The way I looked at this problem is as follows.

You have three choices to make at any position in array.

- 1. You can get maximum product by multiplying the current element with maximum product calculated so far. (might work when current element is positive).
- 2. You can get maximum product by multiplying the current element with minimum product calculated so far. (might work when current element is negative).
- Current element might be a starting position for maximum product sub array

so you have to maintain current maximum product and current minimum product.

```
curr_max_prod = A[0];
prev_max_prod = A[0];
prev_min_prod = A[0];
ans = A[0];
for i=1 to n-1
{
    curr_max_prod = MAX ( prev_max_prod*A[i],
```

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```
curr_min_prod = MIN ( prev_max_prod*A[i],
                      prev_min_prod*A[i],
                      A[i]);
  Ans = MAX(ans, curr_max_prod);
  prev_max_prod = curr_max_prod;
  prev_min_prod = curr_min_prod;
return ans:
```

Above algorithm requires O(n) time and constant space, very similar to Kadane's algorithm.

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Timon Manfred Gehr Updated Oct 28, 2015

If the array has only one element, return that element.

Otherwise, compute for each index the non-positive and non-negative products of maximum magnitude of a non-empty contiguous subarray ending there. Return the largest non-negative product encountered.

You can compute the maximum magnitude products as follows (we use 0 as a sentinel value):

Let $A_0, \ldots A_{n-1}$ denote the elements of your array, then $p_0 = m_0 = 0$,

$$p_{i+1} = \begin{cases} \max(1, p_i) \cdot A_i & \text{if } A_i > 0 \\ m_i \cdot A_i & \text{otherwise} \end{cases},$$

$$m_{i+1} = \begin{cases} \max(1, p_i) \cdot A_i & \text{if } A_i < 0 \\ m_i \cdot A_i & \text{otherwise} \end{cases}$$

The answer is

$$\begin{cases} A_0 & \text{if } n = 1\\ \max_{i \in [n]} p_i & \text{otherwise} \end{cases}$$

Implementation:

```
1 int p=0,m=0,r=0;
2 if(n==1) r=A[0];
3 else for(int i=0;i<n;i++){</pre>
    p=max(1,p)*A[i], m*=A[i];
    if(p<0) swap(p,m);</pre>
6
     r=max(p,r);
7 }
```

(This solution works if the array entries are arbitrary real numbers. For the more specific problem where all entries are integers, an alternative solution would be to split the array at values 0 and to return the maximum prefix/suffix product among the resulting subarrays.)

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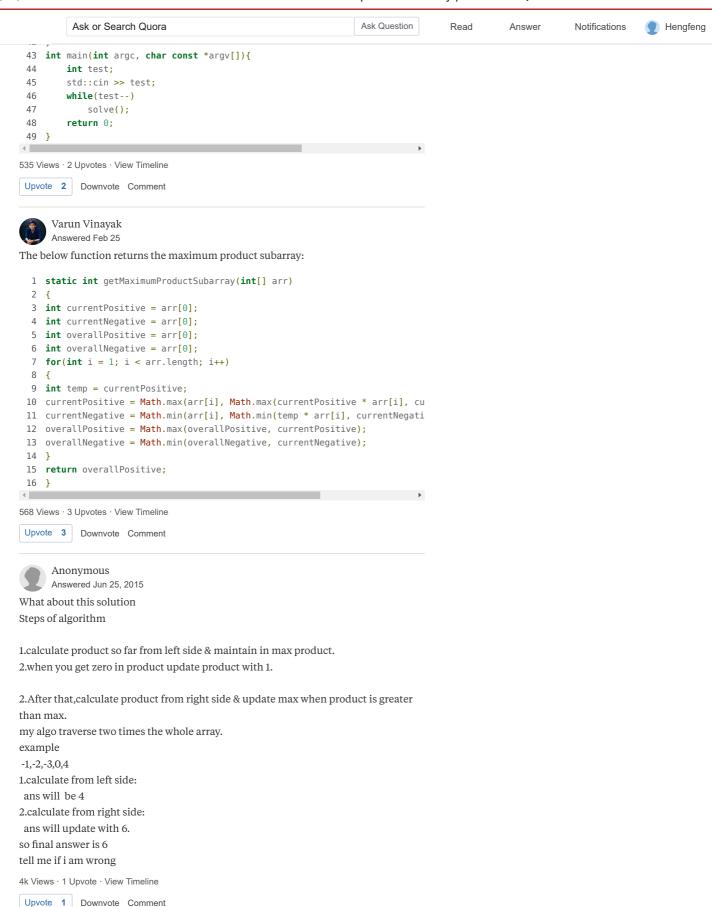
other OJ to test the efficiency and correctness of my code for this problem).

Algorithm:

- We will deal with different subarrays separated by 0. As two or more subarrays with a zero between them will always give a combined product as zero.
- 2. We will maintain a variable that store the 'product obtained so far' after the last zero was encountered. That is once we encounter a zero we start taking product from the next element with initializing the variable maintaining the 'product obtained so far' to 1. By this we can get the total running product of each subarray separated by zero.
- 3. We maintain another variable that counts the total number of negative elements.
- 4. One more variable is used that stores the product till 'first negative element' in each subarray separated by zero(its use will be explained later).
- 5. Now, suppose we are at an element with index i, if total number of negative elements till here are even then: 'max product ending at i' = product so far. else if the number of negative elements are odd then: 'max product ending at i = max product so far / product till first negative element. (removing the first negative element will make the total negative elements even).
- 6. The global maximum can be obtained by taking the max of 'max product for each subarray ending at index i'.
- 7. The algorithm runs in a time complexity O(N).

C++ implementation:

```
1 #include <bits/stdc++.h>
2 #define isneg(x) ((x < 0 ? 1 : 0))
3 int ar[10];
4
   int prodTillFirstNeg(int index, int elems, int &remove){
        remove = 1;
6
        for(int i = index; i < elems and ar[i] != 0; ++i){
7
            remove *= ar[i];
8
            if(ar[i] < 0)
9
                return i:
10
11
       return elems;
12 }
13 int getResl(int elems){
       int max_prod = 0, so_far = 1, current, negs = 0, remove, index = pro
14
15
        for(int i = 0; i < elems; ++i){</pre>
            if(ar[i] == 0){
16
17
                so_far = 1;
18
                negs = 0;
19
                index = prodTillFirstNeg(i + 1, elems, remove);
20
21
           negs += isneg(ar[i]);
22
23
            so_far *= ar[i];
24
            if(negs % 2 == 0)
25
                current = so_far;
26
            else{
27
                if(index == i)
28
                    current = so_far / remove * ar[i];
29
                else
30
                    current = so_far / remove;
31
32
            max_prod = std :: max(max_prod, current);
33
34
       return max prod;
35
36 void solve(){
37
       int elems;
38
       std::cin >> elems;
        for(int i = 0; i < elems; ++i)
```





Phanindra Saggurthi, F.R.I.E.N.D and Polymath in progress....

Updated Oct 5, 2016

try below approach...

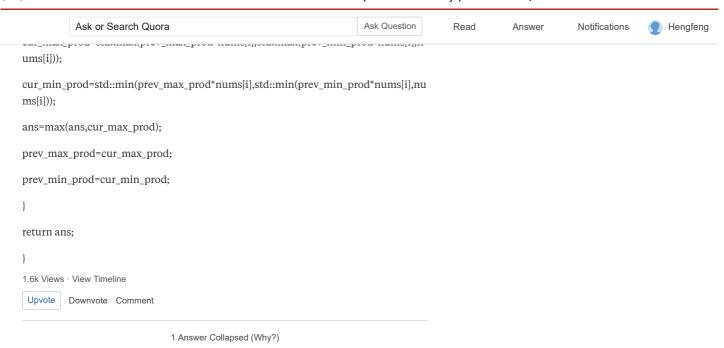
If array has only one element, return that element other wise you've to iterate all over the array to find out maximum sub array from each position.

For the input, $[2\,3\,-2\,4]$, you need to use two loops cause we need to find sub array from each position.

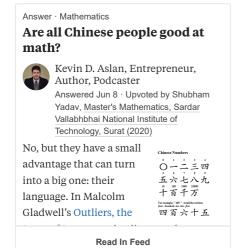
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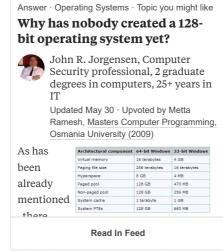
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Ask Question Ask or Search Quora Read Answer int prev_max=1; for(int col=row;col<A.size();col++){ if(row == col)prev_max=A[col]; else prev_max=prev_max*A[col]; max_elem=max(prev_max,max_elem); For row-0,col-0 - the maximum we can have in this position is 2,and set prev_max as 2 cause we need for further calculations in the row, max_elem-2 For row-0,col-1 - the maximum value we can get by compute by prev_max*array[1]i.e., is 6, max_elem-6 we are comparing our maximum value for each position:: max_elem=max(prev_max,max_elem); For row-0,col-2 - the maximum value we can get by compute by prev_max*array[2]i.e., is -12 ---> max_elem-6 For row-0,col-3 - the maximum value we can get by compute by prev_max*array[3]i.e., is -12 ---> max_elem-6 For row-1,col-1 - the maximum we can have in this position is 3,prev_max-2,max_elem-6 For row-1,col-2 - the maximum we can have in this position is prev_max*array[2],prev_max-(-6),max_elem-6 For row-1,col-2 - the maximum we can have in this position is prev_max*array[2],prev_max-(-6),max_elem-6 For row-1,col-3 - the maximum we can have in this position is prev_max*array[3],prev_max-(-24),max_elem-6 For row-2,col-2 - the maximum we can have in this position is -2, prev_max= (-2),max_elem-6 For row-2,col-3 - the maximum we can have in this position is prev_max*array[3],prev_max-(-24),max_elem-6 For row-3,col-3 - the maximum we can have in this position is 4, prev_max= (4),max_elem-6 here now you can return max_elem... EDIT: the above one is $O(n^*n)$ run time complexity, the below runs in O(n). Thanx to Gautam Kumar int maxProduct(vector<int>& nums) { int ans=nums[0]; int cur_max_prod=nums[0]; int cur_min_prod=nums[0]; int prev_max_prod=nums[0]; int prev_min_prod=nums[0];



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